# Operating Systems2(CS3523) Programming Assignment 4: The Jurassic Park Problem

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# Low level design:

First the input parameters is read from "inp-params.txt" file and all those parameters are declared gloablly. Explanation of side functions which support various steps in execution are given below and after explanation of all functions the main design is explained below .

#### 1. main() function:

The two random number generator distribution1 and distribution2 are intiliased by given means  $\lambda_P$  and  $\lambda_C$  which are later used to generate exponentially distributed random numbers with given means. Now class Dat is created with 4 fields for storing request time request\_time,entry time entry\_time,exit time exit\_time and car no int carno. For each thread and for each iteration. So a 2d array Dat \*\*req\_dat; is created globally of size P×K.To store entry time and entry time of each passenger into the museum two 1D arrays each of size P are created string \*entry\_mu,\*exit\_mu;. A boolean array bool \*is\_avail\_car; is created to store status of each car which is used later. Now the function museum\_car() is called which is solution to given problem. After all threads finish their execution the function metric\_p1 and metric\_p2 is called to print data required for graph plotting and now the allocated memory is freed. The car threads are killed forcefully to prevent infinite looping pthread\_kill(pid[i], SIGKILL); this part is explained below in Main design.

## 2. exponential\_distribution<double> var\_rand(int meaner)

At high level this function returns object which generates exponential distributed numbers when called whose mean is given as argument. To generate this first random\_device rd is intiliased globally which is used to produce non deterministic random numbers. This is used to generate seed value for mt19937 gen(rd()) which is very efficient pseudo-random number generator, by Mersenne twister algorithm, this is used later to generate random numbers. In the function var\_rand(int meaner) exponential\_distribution<br/>
distribution<br/>
distribution<br/>
1 mean and this is returned. Two objects are intiliased exponential\_distribution<br/>
distribution<br/>
1 distribution<br/>
2 distribution<br/>
1 distribution<br/>
2 distribution<br/>
2 distribution<br/>
2 distribution<br/>
3 object which is intiliased before.

## 3. void file\_printer()

This function is to print output file as per given requirements. All the request, entry, exit times and car numbers stored in req\_dat are read and printed into "output.txt" as per given instructions.

#### 4. std::string get time()

This function returns current system time in HH:MM:SS.mmm (mmm is milliseconds) format as string. using clock = system\_clock creates an alias for system\_clock. clock::now gives the system time and assign to variable current\_time\_point and in next two steps it is converted into duration from epoch. Then the next expression (duration\_cast<milliseconds> (current\_time\_since\_epoch).count() % 1000) calculates the number of milliseconds that have elapsed since the current second began. Then the time is converted into string format HH.MM.SS.mmm (where m is milliseconds) and returned.

## 5. void sleeper(double req\_time)

This function is used to sleep the current thread for time in milliseconds which is given as argument double req\_time. This is mainly implemented by using nanosleep() function. The parameter req\_time is divided by 1000 to get time in milliseconds. struct timespec tim is intiliased with tim.tv\_sec=(int)req\_time/1 which is time in seconds and tim.tv\_nsec=(req\_time-(int)req\_time/1)\*1000000000 which is time in nanoseconds example if 2004.678 milliseconds is the parameter value then tim.tv\_sec= 2 seconds and tim.tv\_nsec=4678000 nanoseconds. Then nanoleep function is called which make sleep the current thread according to specified time.

### 6. void metric\_p1()

This function is used to calculate the average time taken by the passengers to complete their tour, which is helpful in graph plotting. A for loop is made for p passenger threads Inside the loop, the function extracts the entry time and exit time of the passenger i from the arrays entry\_mu and exit\_mu, calculates the time time difference between them in milliseconds. This gives the time spent in museum by a passenger and the average of all passenger is calculated accordingly.

## 7. void metric\_p2()

This function is used to calculate the average time taken by the cars to complete its tour, which is helpful in graph plotting. The function uses nested loops to iterate over each ride taken by each passenger. The entry and exit times of a car are stored as strings in a two-dimensional array 'req\_dat', which is indexed using 'i' and 'j'. The entry and exit times are parsed to extract hours, minutes, seconds, and milliseconds using the substr() function and stoi() function to convert the extracted strings to integers. The time taken by a car is calculated by subtracting the entry time from the exit time and converting the result to milliseconds. The calculated time is added to the 'store' array at the index corresponding to the car number. The average time taken by a car is calculated by dividing the total time taken by all cars ('differ') by the total number of cars ('c'). The result is printed to the console.

# Main Design:

The main function calls the function void museum\_car(). This function creates and intiliases "P+C" binary semaphores in form of arrays sem\_t \*sem\_ex\_p,\*sem\_ex\_c. These will be useful later. Each of these semaphores is dedicated to each thread. Two semaphores sem\_c and sem\_bin are created and intiliased. All the semaphores are created globally. The semaphore sem\_c is intiliased to number of cars "C" which is useful for passenger thread to wait if there are no available cars. The binary semaphore sem\_bin is used particulary to protect boolean array bool \* is\_avail\_car. Then after semaphore creation "P" passenger threads and "C" car threads are created. Each passenger thread calls the function each\_pas(arg) with thread numbers(passenger

number) as its argument. Each car thread calls the function each\_car(arg) with thread number (car number) as its argument.

Each passenger thread first gets its passenger number (thread number) from argument. Then sem wait(sem ex p[t no]) is done to represent the passenger's entry into the museum. Note that this step is useful because if this step is not done then we have to call sem wait(sem ex p[t no]) two times first time to make semaphore 0 and second time to put that passenger thread to sleep or wait because of that step we can just call sem wait(sem ex p[t no]) once to put passenger thread to waiting. Then museum entry time is recorded into array entry mu[t no] .Next a for loop is made for 'K' iterations for each iteration the passenger thread generates a roaming time temp using a pre-defined probability distribution, distribution1(gen). The function then calls sleeper(temp) to simulate the passenger roaming for temp milliseconds. Now the request time is recorded into req dat[i][j].request time (for thread i and iteration j). After that, the passenger thread requests a car by waiting for the sem c semaphore. Once the semaphore is available (indicating a car is available), the passenger thread waits for the sem bin semaphore to read and modify is avail car and finds the first available car by checking the is avail car array. If a car is found, the passenger thread reserves the car by setting the is\_avail\_car array entry to the passenger's thread number to no and breaks from the loop. At this point of time the passenger thread got a available car for it's riding and the car number is stored in variable 'j' and also recorded into req dat[i][j].carno. And the passenger thread records the entry time into data structure req dat[i][j].entry time. Now the passenger thread signals that car 'j' by using semaphore sem post(&sem ex c[j]); and the passenger thread puts itself to waiting for the ride to be over (This riding is done in car thread).

Similiarly to passenger thread, in car thread sem\_wait(&sem\_ex\_c[t\_no]); is done to represent the car is available. Now a infinite loop (which will be terminated later by pthread\_kill(thread\_no)) is run. At start of this loop each car waits for signal from any passenger sem\_wait(&sem\_ex\_c[t\_no]);. After receiving signal from passenger the car thread simulates the roaming time by calling the function sleeper(temp) and the time temp is generated by distribution2(gen). After roaming the car thread signals the passenger thread sem\_post(&sem\_ex\_p[is\_avail\_car[t\_no]]); so that passenger thread can continue and car waits for another passenger signal. After riding is done the passenger thread records the exit time into req\_dat[i][j].exit\_time and sets is\_avail\_car[j]=-1; sem\_post(&sem\_c); which indicates the releasing of resources.

# Graph Analysis

Note for below graphs the parameters  $\lambda_P$  and  $\lambda_C$  are taken as 100 milliseconds.

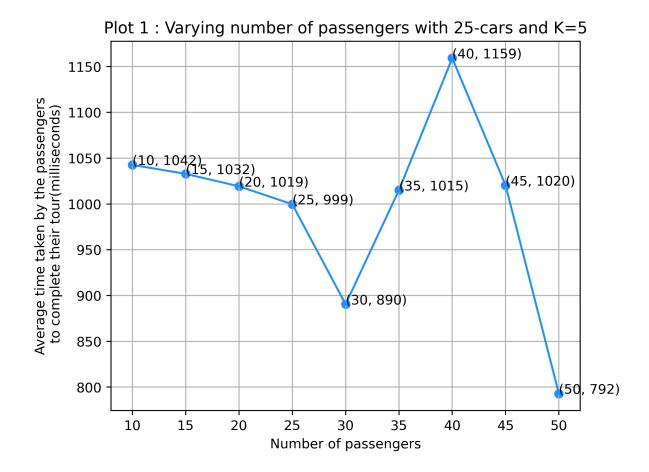


Figure 1: Plot between average time taken by the passengers to complete their tour vs number of passengers, by fixing number of cars=25 and K=5

From the above Figure 1 the overall average time taken by the passengers to complete their tour is almost lies in the range (800-1000) ms. When number of passengers are increased there are no significant change in average time. The average time is decreasing upto 30 passengers and reach the local minimum at 30. This is obvious as the number of cars are 25 and total number of passengers <25 so the average tour time decreases. When passengers count is >30 the average tour time increases because as number of cars are less compared to passengers the passengers have to wait for a car which increases the tour time so the average increases.

## Anomalies

One anomaly is that when passenger count >40 we expect the average time to increase but it decreases because of the fact that number of passengers are increased but the waiting time almost remains same to that of when passenger count >30. This is because there are atmost two people each car has to serve (taking average analysis) for each iteration in both cases (passenger count>30 and passenger count>40) so the waiting time almost remains same.

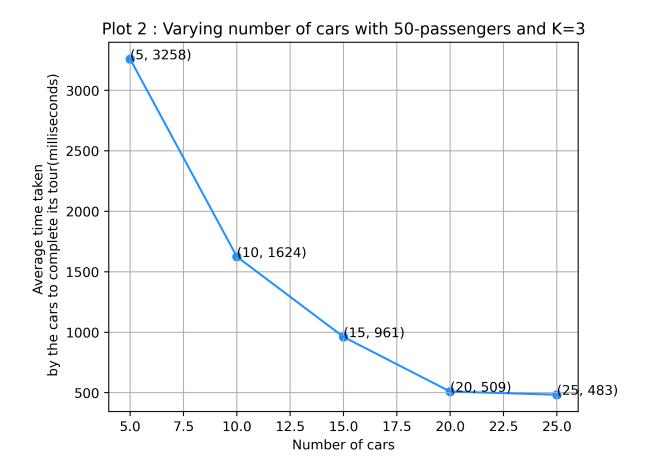


Figure 2: Plot between the average time taken by the cars to complete its tour vs number of cars ,by fixing number of passengers=50 and K=3

From the above Figure 2 the average time taken by the car to complete its tour decrease as number of cars increases. This is obvious because of the fact that, as there are more number of cars available all the cars can complete its tour fastly as the work (picking up passengers) is shared so the average decreases. But as number of cars are increased the time becomes decreasingly constant as because of more number of cars available the work sharing reduces average time such that it becomes a constant. This graph is perfect example for the fact that number of cars should be comparable to passenger for efficient use of work sharing.

# Analysis of algorithm:

For a given input  $P,C,\lambda_P,\lambda_C$ . The space complexity is  $O(3\times P\times K+2\times P)$ . Time complexity can be calculated by assuming each thread sleeps for approximately  $\lambda_P$  amount of time to simulate museum viewing section and  $\lambda_C$  amount of time for roaming section so for total of P threads and each thread with K iterations takes  $< O((\lambda_P + \lambda_K) \times P \times k)$ . That "less than" is occurring because of the fact that, the all threads are executing in parellel so the time may decrease.