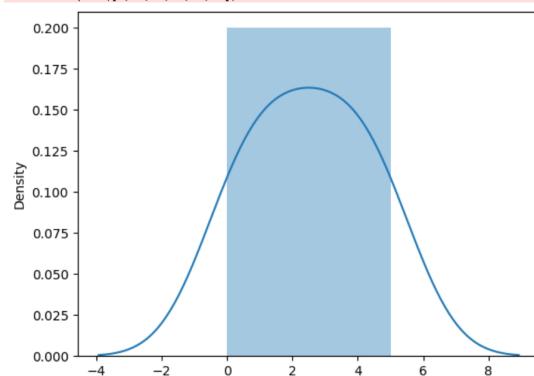


```
C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\3490525831.py:3: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'histplot' (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot([0, 1, 2, 3, 4, 5])
```



```
[18]: #without histogram
sns.distplot([0, 1, 2, 3, 4, 5], hist=False)

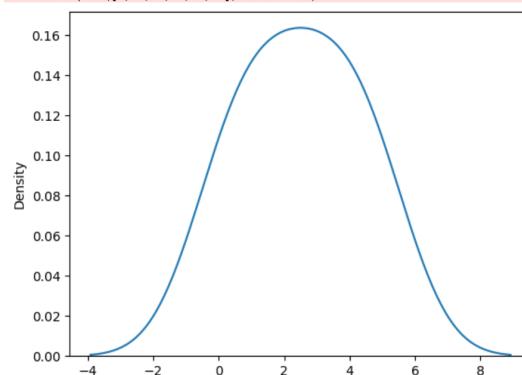
plt.show()

C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\1074436991.py:2: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot([0, 1, 2, 3, 4, 5], hist=False)
```



### Normal / Gaussian Distribution

It's characterized by a **bell-shaped curve** where most values cluster around the **mean** (average), and the further away you move from the mean, the fewer values you encounter.

Imagine you're measuring the heights of students in a classroom. If most students are around the average height, with only a few being significantly taller or shorter, their heights would follow a **Gaussian distribution**.

It's a handy mathematical model for describing how data is spread out around a central value.

```
[27]: #random normal distribution of size 2x3
x = random.normal(size=(2, 3))
print(x)
print("next")
# loc - (Mean) where the peak of the bell exists.
# scale - (Standard Deviation) how flat the graph distribution should be.
x = random.normal(loc=1, scale=2, size=(2, 3))

print(x)
[[ 0.10208513  1.53001522 -1.55693939]
 [ 0.89140773 -0.92985223 -0.20313126]]
next
[[1.01074621  1.4428591  1.299793 ]
 [2.17960629  4.84752901  0.53968406]]
```

- Each value represents a random observation drawn from a normal distribution with a **mean of 1 and a standard deviation of 2**.
- The mean of this distribution is **shifted to 1**, so the values tend to be **closer to 1 on average**.
- The **standard deviation of 2** determines how spread out the values are around the mean. **Larger** standard deviation values result in a **wider spread** of values.

### Discrete Distribution vs Continuous Distribution

- **Discrete Distribution** - Represents probabilities of outcomes in a finite or countably infinite set of possible values.
- Examples include rolling a die, counting occurrences of words in a text, or recording the number of defects in a batch of products.
- Possible outcomes: (1, 2, 3, 4, 5, 6) of Rolling a Dice
- **Continuous Distribution** - Represents probabilities of outcomes in a continuous range of values.
- Can take any value within a given interval.
- Examples include measuring heights or weights of individuals, recording reaction times, or estimating temperatures.

### Binomial Distribution:

- Discrete Distribution
- outcome of binary scenarios, e.g. toss of a coin, it will either be head or tails.

```
[20]: # n - number of trials.
# p - probability of occurrence of each trial (e.g. for toss of a coin 0.5 each).
# size - The shape of the returned array.

x = random.binomial(n=10, p=0.5, size=10)

print(x)
[6 8 2 8 6 4 2 5 5 3]
```

- In the first experiment, there were 6 successes (heads) out of 10 trials.
- In the second experiment, there were 8 successes (heads) out of 10 trials.
- In the third experiment, there were 2 successes (heads) out of 10 trials.
- In the fourth experiment, there were 8 successes (heads) out of 10 trials.

```
[21]: sns.distplot(random.binomial(n=10, p=0.5, size=1000), hist=True, kde=False)

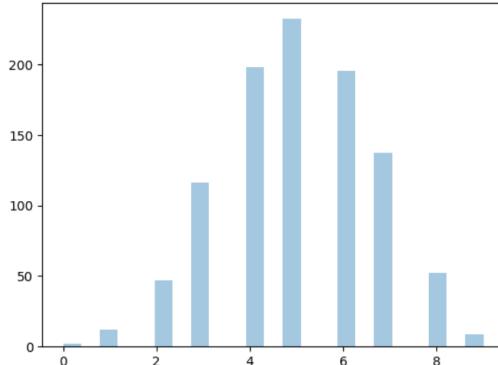
plt.show()

C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\661670757.py:1: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'histplot' (an axes-level function for histograms).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(random.binomial(n=10, p=0.5, size=1000), hist=True, kde=False)
```



```
[22]: # Normal vs Binomial
# if there are enough data points it will be quite similar to normal distribution with certain loc and scale.
sns.distplot(random.normal(loc=50, scale=5, size=1000), hist=False, label='normal')
sns.distplot(random.binomial(n=100, p=0.5, size=1000), hist=False, label='binomial')
```

```
plt.show()

C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\3334510217.py:3: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

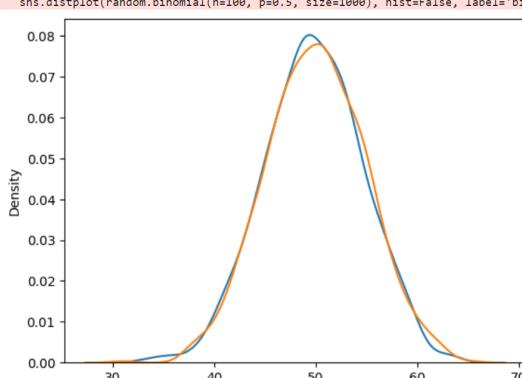
For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(random.normal(loc=50, scale=5, size=1000), hist=False, label='normal')
C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\3334510217.py:4: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(random.binomial(n=100, p=0.5, size=1000), hist=False, label='binomial')
```



### Poisson Distribution

- Estimates **how many times an event can happen** in a specified time ?
- In a call center, the Poisson distribution can model the **number of incoming calls per minute**, where  $\lambda$  (lambda) represents the average rate of calls.

```
[28]: # Lambda - avg rate, here lets assume 5
x = random.poisson(lam=5, size=5)
```

```
print(x)
[3 5 1 7 4]
```

- The generated value stored in variable x represents the **number of incoming calls** that occurred in that minute, based on the **Poisson distribution with an average rate of 5 calls per minute**.

#### Understand the Output [3 5 1 7 4]:

- **3**, means that in one particular observation or interval, there were **3 occurrences of the event** (e.g., 3 phone calls in a minute, 3 accidents in an hour, etc).
- **5**, indicates that in **another observation or interval**, there were **5 occurrences of the event**.
- **1**, suggests that in yet **another observation or interval**, there was only **1 occurrence of the event**.
- **7**, implies that in **another observation or interval**, there were **7 occurrences of the event**.
- **4**, shows that in **another observation or interval**, there were **4 occurrences of the event**.

#### Normal vs Poisson:

- Similar to binomial for a **large enough poisson distribution** it will become similar to **normal distribution with certain std dev and mean**.

```
[30]: sns.distplot(random.normal(loc=50, scale=7, size=1000), hist=False, label='normal')
sns.distplot(random.poisson(lam=50, size=1000), hist=False, label='poisson')

C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\2196936898.py:1: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

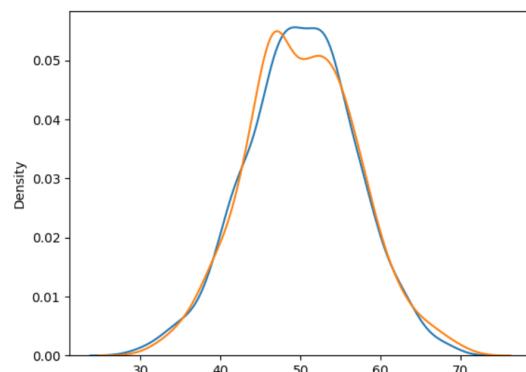
sns.distplot(random.normal(loc=50, scale=7, size=1000), hist=False, label='normal')
C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\2196936898.py:2: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(random.poisson(lam=50, size=1000), hist=False, label='poisson')

[30]: <Axes: xlabel='Density'>
```



#### Uniform Distribution:

- Describe probability where **every event has equal chances of occurring**.

```
[31]: # a - Lower bound - default 0 .
# b - upper bound - default 1.0.
# size - The shape of the returned array.
x = random.uniform(size=(2, 3))

print(x)
[[0.45081039 0.73389115 0.12742365]
 [0.05490672 0.83972275 0.43572517]]
```

- Each value in the output array x represents a **randomly generated number** drawn from a uniform distribution within the **range [0, 1]**.

```
[37]: #generates 1000 random numbers from a uniform distribution between 0 and 1
sns.distplot(random.uniform(size=1000), hist=False)

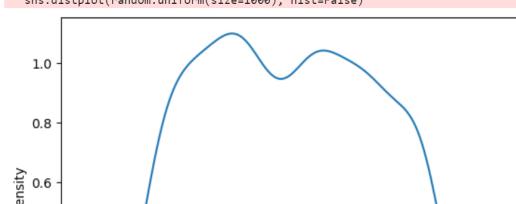
plt.show()

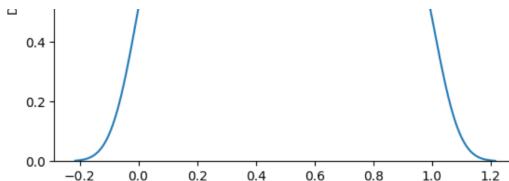
C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\873973027.py:2: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(random.uniform(size=1000), hist=False)
```





#### Logistic Distribution:

- Used to describe growth.
- Logistic & Normal Distribution are nearly identical.

```
[38]: # loc - mean, where the peak is. Default 0.
# scale - standard deviation, the flatness of distribution. Default 1.
# size - The shape of the returned array.
```

```
[40]: x = random.logistic(loc=1, scale=2, size=(2, 3))
print(x)
[[ 3.05237959  0.79660699  1.73357064]
 [-0.20501045  6.28039953 -0.96282702]]
```

- Each value in the output array represents a random observation drawn from the logistic distribution with a location parameter of 1 and a scale parameter of 2.

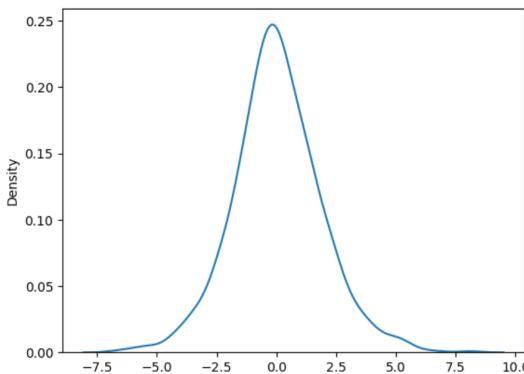
```
[41]: sns.distplot(random.logistic(size=1000), hist=False)

C:\Users\Gowtham\AppData\Local\Temp\ipykernel_15824\2288425481.py:1: UserWarning:
'distplot' is a deprecated function and will be removed in seaborn v0.14.0.

Please adapt your code to use either 'displot' (a figure-level function with
similar flexibility) or 'kdeplot' (an axes-level function for kernel density plots).

For a guide to updating your code to use the new functions, please see
https://gist.github.com/mwaskom/de44147ed2974457ad6372750bbe5751

sns.distplot(random.logistic(size=1000), hist=False)
[41]: <Axes: ylabel='Density'>
```



#### Multi-Nomial Distribution:

- Outcomes of multi-nomial scenarios unlike binomial where scenarios must be only one of two.
- Blood type of a population - Many types

```
[46]: # n - number of possible outcomes (e.g. 6 for dice roll).
# pvals - list of probabilities of outcomes (e.g. [1/6, 1/6, 1/6, 1/6, 1/6, 1/6] for dice roll).
# size - The shape of the returned array.
x = random.multinomial(n=6, pvals=[1/6, 1/6, 1/6, 1/6, 1/6, 1/6])
print(x)
```

- Outcome 1 Occurred 1 time
- Outcome 2 Occurred 1 time

#### Exponential Distribution:

- Describes time till next event e.g. failure/success etc.

```
[45]: # scale - inverse of rate ( see Lam in poisson distribution ) defaults to 1.0.
# size - The shape of the returned array.
x = random.exponential(scale=2, size=(2, 3))
print(x)
[[3.5710446  4.96320306  2.96054734]
 [2.03933716 0.11304665  0.3392997 ]]
```

- Each value in the output array represents a random observation drawn from the exponential distribution with a scale parameter of 2. These values represent durations or intervals between consecutive events, where the likelihood of observing shorter intervals increases as the interval becomes smaller.

#### Chi Square Distribution:

- Basis to verify the hypothesis
- Example - checking if the number of red, green, and blue candies in a bag matches what was expected.

```
[47]: # df - (degree of freedom).
# size - The shape of the returned array.
x = random.chisquare(df=2, size=(2, 3))
x
array([[0.19795771, 0.1880954 , 1.79874725],
       [2.27961498, 0.09918375, 0.08850529]])
```

#### Rayleigh Distribution:

- Used in signal processing to model signal amplitudes in scenarios like communication noise or radar signal reflections.

```
[49]: x = random.rayleigh(scale=2, size=(2, 3))
```

```
x
[49]: array([[2.99794597, 2.50224527, 3.90538088],
           [1.61604312, 1.55906398, 2.23914444]]))

Pareto Distribution:

- Pareto's law i.e. 80-20 distribution (20% factors cause 80% outcome).
- Model the distribution of wealth, where a small percentage of the population holds the majority of the wealth, such as in the distribution of income among individuals.


[50]: x = random.pareto(a=2, size=(2, 3))
x

[50]: array([[0.03139624, 1.91942264, 0.48232991],
           [0.03655805, 0.917247 , 0.29902159]])

Zipf Distribution:

- The Zipf distribution is observed in phenomena where the frequency of occurrence of certain events follows a power-law distribution, such as the distribution of word frequencies in natural languages like English, where a few words occur very frequently while most words occur rarely.


[52]: # a - distribution parameter.
      # size - The shape of the returned array.
x = random.zipf(a=2, size=(2, 3))
x

[52]: array([[ 1,  2,  1],
           [ 3, 12,  1]])
```