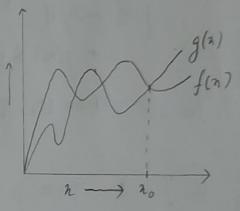
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(Q1) What do you understand by Asymptotic notation, define different asymptotic rotation with exp example

(1) Big O(n) f(n) = 0 (g(n))if $f(n) \leq g(n) \times c + n > n_0$ for some constant, c > 0 g(n) is 'tight' upper bound of f(n) (c + c) = 2



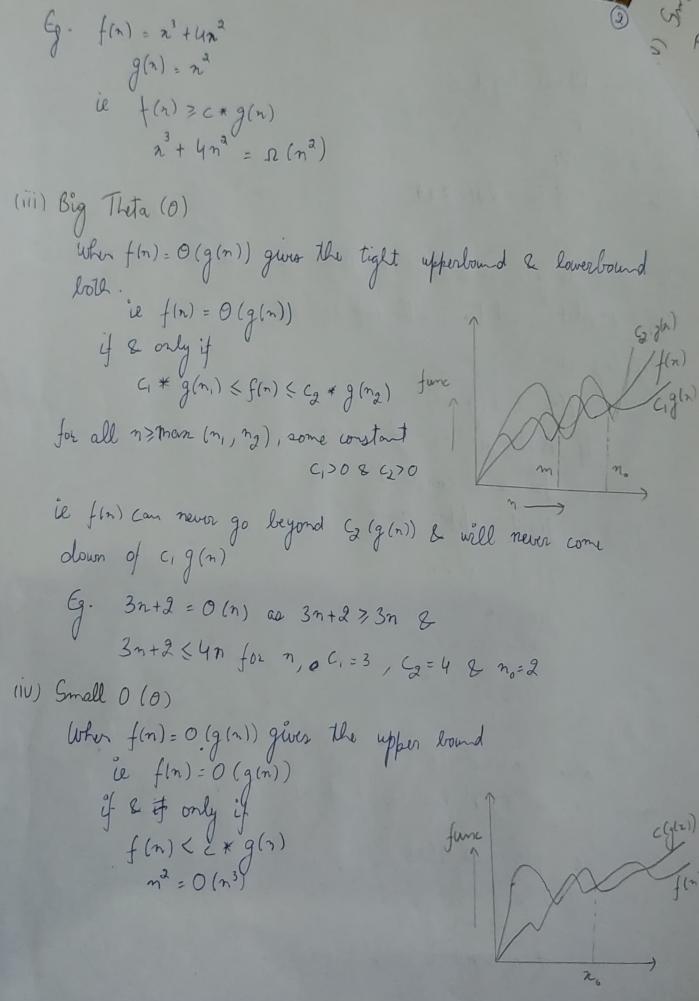
 $E_{g}-f(n)=n^{2}+n$ g(n) = n3 $n^{2}+n \leq C \times n^{3}$ $n^{2}+n = O(n^{3})$

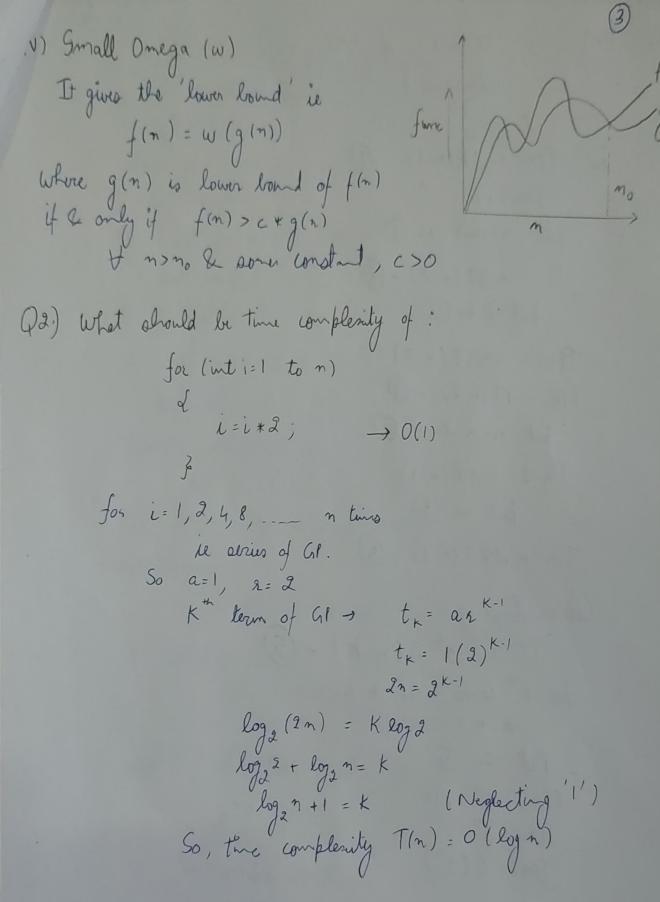
(II) Big Omiga (II) When f(n) = 12 (g(n))

of f(n) ie f(n) can go beyond means g(n) is 'tight' lowerbound

g(n) ie f(n) = n g(n)if & only if f(n) > c.g(n)

 $f(n) \ge C \cdot g(n)$ for f(n) $f(n) \ge C \cdot g(n)$ $f(n) \ge C \cdot g(n)$ $f(n) \ge C \cdot g(n)$ $f(n) \ge C \cdot g(n)$





$$Q_3$$
) $T(n) = \{ 3T(n-1) | if n>0 \}$

O(her wise 1)

ie
$$T(n) = 3T(n-1) - 1$$

 $T(n) = 1$

$$T(n-1) = 3T(n-2) - (2)$$

$$T(\eta) = 3 \times 3T(\eta-2)$$

$$T(n-2) = 3T(n-3)$$

Generalizing, T(K)=3^KT(n-K)-(5)

for Kth terms, let n-K=1

Q5.) What should be two complexity of ml i=1, a=1; While (s<=n) ₹ i++; A= 4+i; printy ("#"); L=123456... D=1+2+6+10+15+ -Sum = 1+3+6+10-- +n Also A = 1+3+6+10+---+ + Tn-1 + Tn 0=1+2+3+4+. ___ n-Tn TK = 1+2+3+ --- +K $T_k = \frac{1}{2}K(k+1)$ for Kiterations 1+2+3+ K <= n K(K+1) <=n $\frac{k^2+k}{2} \leq n \qquad \Rightarrow \qquad O(k^2) \leq n$ (m)=0(m) K=0(m)

Q6) Time complexity of void f(mt n)of int i, count=0;

for (i=1, i*i <=n; ++2)

Aa
$$i^{2}=n$$
 $i=1,3,3,4...$
 $I=1,3,4...$
 $I=1,3,4...$
 $I=1,3,4...$
 $I=1,3,4...$
 $I=1,3,4...$
 $I=1,3,4..$

$$T(n) = O(n)$$

O7) The complexity of

void f (nt n)

L int i, j, k, count = 0;

for (int i = 1/2; i(=n; ++i))

for (j=1; j(=n; j=j*2))

for (h=1; h<=n; k=k+2)

Count ++;

b

Since, for k=n2 K=1,2,4,8....nd : Series is in al.

So,
$$a=1$$
, $a=2$

$$\frac{a(x^{n}-1)}{x-1} = 1(2^{k}-1)$$

$$n = 2^{k}-1$$

m= d n+1-2k

log2 n = K

logn * logn log m logn * logn T.C = O(n* logn * logn) = 0 (n log 2 (n)) Q8;) The Complexity of void function (int n) d if (n==1) return, for (i=1 to n) ~ for (j=1 to n) & printf (" *"); function (n-3) for (i=1 to n) we get j=n line every term h^{12} , $Now y T(n) = n^2 + T(n-3)$ $T(2) - (n^2 3)^2 + T(n-3)$ $T(n-3) = (n^2 3)^2 + T(n-6)$ T(n-6) = (n36) + T(n-9)

& T(1)=1

Q9) Time Complishing of

boid function (int n)

Let for (int i=1 to m) Let

for (int j=1; j <= n; j=j+i) Let

printf("x");

3

for i=1 j = 1+2+... $(n \ge j+i)$ i=2 j = 1+3+5... $(n \ge j+i)$ i=3 j = 1+4+7... $(n \ge j+i)$ nto term of AP

we get,

$$T(n) = i_1 J_1 + i_2 J_2 + \dots + i_{m+1} J_{m-1}$$
 $= \frac{(n-1)}{2} + \frac{(n-2)}{2} + \frac{(n-3)}{3} + \dots - 1$
 $= n + \frac{n}{2} + \frac{n}{3} + \dots - \frac{n}{n-1} - n \times 1$
 $= n \times log n - n + 1$

Since $\int L = log n$
 $T(n) = O(n log n)$

Q10) For the function n'k & C', what is asymptotic relationally blow these function.

Assume that k>=1 & C>1 are constants. Find out the value of c & no of which relationship holds.

As given n'k & C'

Relationship blow n'k & C' is

n'k = O(C')

n'k < a(C'')

the no & constant, a>0

for no=1; c=2

= $|K \subset a^2$

=) no=1 2 1=2