

## Assignment 4

### Part 3

```
dir = "..."  
file1 = "ex1124.csv"  
dfEx1124 = read.table(file=paste(dir,file1, sep=""), header=TRUE, sep=',')  
  
type = dfEx1124[, "type"]  
bodymass = dfEx1124[, "bodymass"]  
maxdist = dfEx1124[, "maxdist"]  
  
# Create indicator variables for diet type.  
omni = herbi = carni = rep(0,64) # make 3 variables of length 64  
  
# all values equal to 0  
omni[type=="O"] = 1 # if type ==O, then omni <- 1; else omni <- 0;  
herbi[type=="H"] = 1  
carni[type=="C"] = 1  
lbodymass = log(bodymass)  
lmaxdist = log(maxdist)  
  
# Attach new variables to data frame  
dfEx1124 = data.frame(dfEx1124, omni, herbi, carni, lbodymass, lmaxdist)  
#attach(dfEx1124, pos=1)
```

3a)

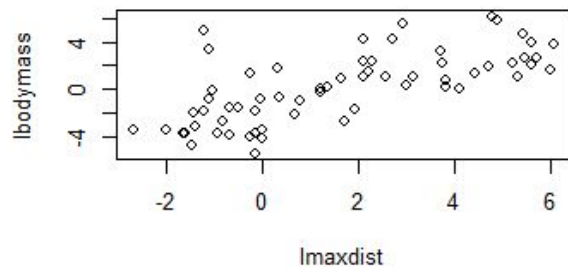
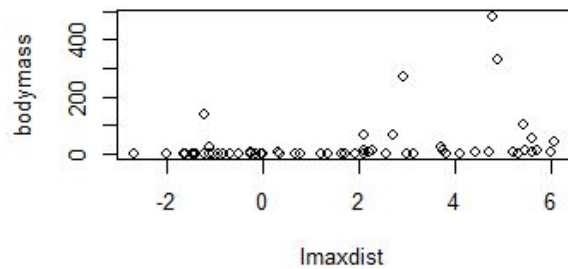
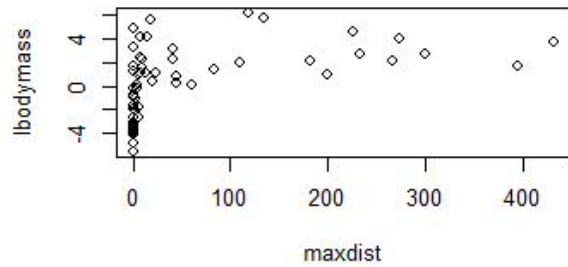
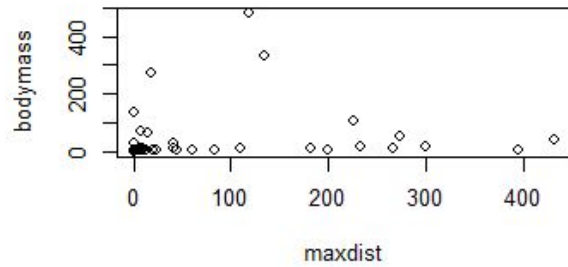
```
par(mfrow=c(2,2))
```

```
plot(maxdist,bodymass)
```

```
plot(maxdist,lbodymass)
```

```
plot(lmaxdist,bodymass)
```

```
plot(lmaxdist,lbodymass)
```



The relationship between lbodymass and lmaxdist appears to be linear and certainly the most linear of the four relationships.

3b)

```
M1 = lm(lmaxdist~lbodymass*type, data=dfEx1124)
```

```
summary(M1)
```

OUTPUT

Call:

```
lm(formula = lmaxdist ~ lbodymass * type, data = dfEx1124)
```

Residuals:

Min	1Q	Median	3Q	Max
-3.9221	-0.6731	0.0952	0.7020	4.2592

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )	
(Intercept)	3.01854	0.35649	8.467	1.01e-11	***
lbodymass	0.70771	0.14168	4.995	5.72e-06	***
typeH	-2.41569	0.42694	-5.658	4.95e-07	***
typeO	-1.13373	0.65608	-1.728	0.0893	.
lbodymass:typeH	-0.27648	0.16140	-1.713	0.0921	.
lbodymass:typeO	-0.09824	0.21802	-0.451	0.6540	

---

Signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

Residual standard error: 1.425 on 58 degrees of freedom

Multiple R-squared: 0.7049, Adjusted R-squared: 0.6794

F-statistic: 27.7 on 5 and 58 DF, p-value: 3.232e-14

3c)

```
M2 = lm(lmaxdist~lbodymass+type, data=dfEx1124)
```

```
summary(M2)
```

```
anova(M2)
```

OUTPUT

```
Call:
```

```
lm(formula = lmaxdist ~ lbodymass + type, data = dfEx1124)
```

```
Residuals:
```

Min	1Q	Median	3Q	Max
-4.3571	-0.6168	-0.0674	0.9038	4.1355

```
Coefficients:
```

	Estimate	Std. Error	t value	Pr(> t )	
(Intercept)	3.1839	0.3439	9.258	3.64e-13	***
lbodymass	0.5112	0.0635	8.049	4.04e-11	***
typeH	-2.5381	0.4216	-6.020	1.14e-07	***
typeO	-1.1672	0.6133	-1.903	0.0618	.

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 1.441 on 60 degrees of freedom
```

```
Multiple R-squared:  0.6878,    Adjusted R-squared:  0.6722
```

```
F-statistic: 44.07 on 3 and 60 DF,  p-value: 3.546e-15
```

```
> anova(M2)
```

```
Analysis of Variance Table
```

```
Response: lmaxdist
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)	
lbodymass	1	198.024	198.024	95.323	5.250e-14	***
type	2	76.622	38.311	18.442	5.715e-07	***
Residuals	60	124.643	2.077			

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
<|
```

3d)

`anova(M2,M1)`

$F_{critical} = qf(0.95, df1=2, df2=58) = 3.1559$

Table

`> anova(M2,M1)`

Analysis of Variance Table

Model 1: `lmaxdist ~ lbodymass + type`

Model 2: `lmaxdist ~ lbodymass * type`

	Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	60	124.64				
2	58	117.85	2	6.7972	1.6727	0.1967

5 Step Hypothesis test:

1.  $H_0$ : The Parallel Lines model is sufficient to describe the data  
 $H_1$ : The Three-Lines model is necessary to describe the data
2. Significance level,  $\alpha = 0.05$
3. From Table 1 we can see that our  $F_{obs}$  value for the Three-Lines model is 1.6727
4. We will reject the null hypothesis if  $F_{obs} > F_{critical}$ . We can see that  $1.6727 < 3.1559$  so we do not have evidence to reject the null.
5. There is not enough evidence to reject the null hypothesis and so we can see that the parallel lines model is sufficient to describe the data.

3e)

```
M3=lm(lmaxdist~lbodymass, data=dfEx1124)
```

```
summary(M3)
```

```
anova(M3)
```

```
Call:
```

```
lm(formula = lmaxdist ~ lbodymass, data = dfEx1124)
```

```
Residuals:
```

Min	1Q	Median	3Q	Max
-5.6635	-1.0135	-0.1455	1.3091	3.4661

```
Coefficients:
```

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	1.52351	0.22531	6.762	5.55e-09 ***
lbodymass	0.59854	0.07663	7.810	8.44e-11 ***

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

```
Residual standard error: 1.802 on 62 degrees of freedom
```

```
Multiple R-squared:  0.4959,    Adjusted R-squared:  0.4878
```

```
F-statistic:    61 on 1 and 62 DF,  p-value: 8.444e-11
```

```
> anova(M3)
```

```
Analysis of Variance Table
```

```
Response: lmaxdist
```

	Df	Sum Sq	Mean Sq	F value	Pr(>F)
lbodymass	1	198.02	198.024	61.002	8.444e-11 ***
Residuals	62	201.26	3.246		

```
---
```

```
Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
```

3f)

`anova(M3,M2)`

$F_{critical} = qf(0.95, df1=2, df2=60) = 3.1504$

Table 2:

```
> anova(M3,M2)
```

Analysis of Variance Table

Model 1: `lmaxdist ~ lbodymass`

Model 2: `lmaxdist ~ lbodymass + type`

	Res.Df	RSS	Df	Sum of Sq	F	Pr(>F)
1	62	201.26				
2	60	124.64	2	76.622	18.442	5.715e-07 ***

---

signif. codes: 0 '\*\*\*' 0.001 '\*\*' 0.01 '\*' 0.05 '.' 0.1 ' ' 1

5 Step Hypothesis test:

1.  $H_0$ : The SLR is sufficient to describe the data  
 $H_1$ : The Parallel Lines model is necessary
2. Significance level,  $\alpha = 0.05$
3. From Table 2 we can see that our F value for Parallel Lines model is 18.442
4. We will reject the null hypothesis if  $F_{obs} > F_{critical}$ . We can see that  $18.442 > 3.1504$  so we have evidence to reject the null.
5. There is evidence to reject the null hypothesis and so we can see that the SLR Model is not sufficient to describe the data.

3g)

$B_1 = 0.5112$ , the coefficient on  $lbodymass$ , is the expected change of  $lmaxdistance$  if we increase  $lbodymass$  by 1 unit while holding the type variable constant.

$B_2 = -2.5381$ , the coefficient on  $typeH$ , is the expected difference of  $lmaxdistance$  between  $typeH$  and  $typeO$  if we hold  $lbodymass$  constant.

$B_3 = -1.1672$ , the coefficient on  $typeO$  is the expected difference in  $lmaxdistance$  between  $typeO$  and  $typeH$  if we hold  $lbodymass$  constant.