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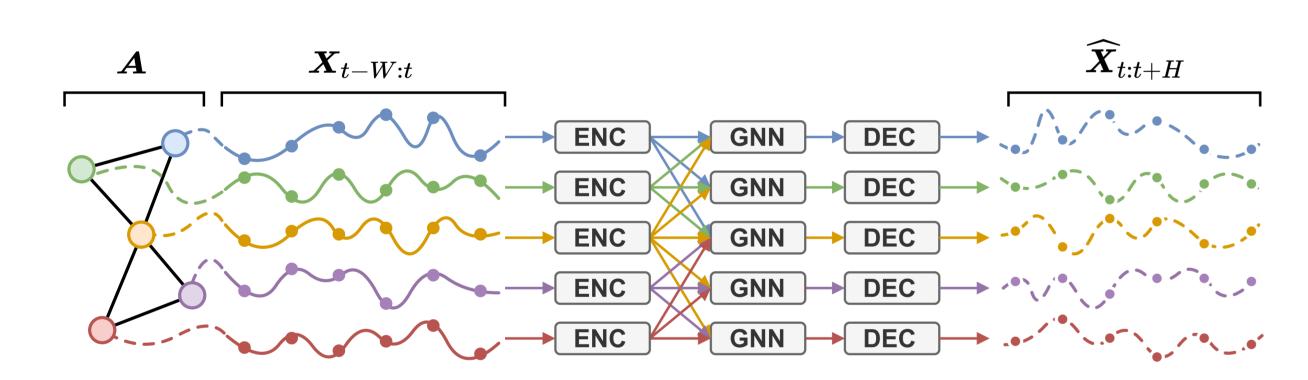


Motivation

Spatiotemporal GNNs (STGNNs) are effective in forecasting collections of time series, but fully global models often underperform.

- Global models share parameters among time series.
- ► While very flexible, they might fail in accounting for the **specific** dynamics of each time series.
- Understanding the interplay between global and local components in graph-based predictors is critical.
- Guidelines to design effective hybrid global-local STGNNs, amenable to **transfer learning**, are missing.

Graph-based Forecasting



We consider graph-based forecasting models composed of 3 blocks:

ENCODER encodes input features (e.g., with an MLP).

(ST)GNN propagates information along time and through the graph.

DECODER generates forecasts from obtained node representations.

The Issue

Models of this kind are **global**, i.e., all parameters are shared among the time series.

© Fewer parameters (in total)

Work in inductive settings

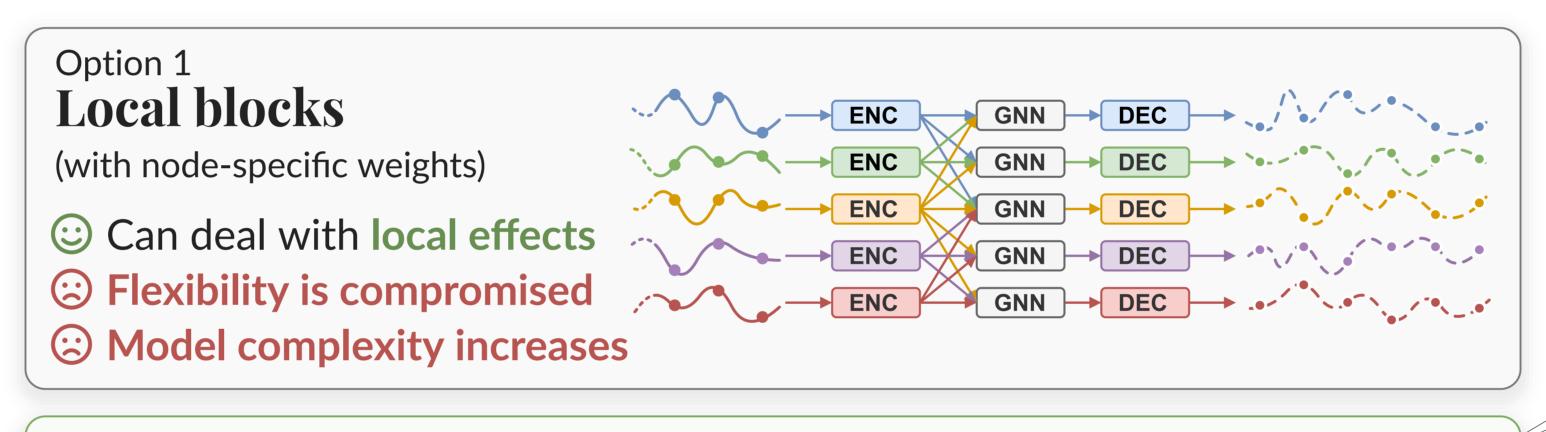
- Struggle to model local effects
- (a) More data available for training (b) Require large model capacity...
 - ...or impractically long windows
- Make STGNNs global-local with specialized local components!

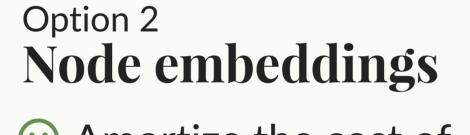
Main Findings

- Local components can be crucial for accurate predictions.
- ► Node embeddings can amortize the learning of local components.
- Global-local STGNNs capture local effects with contained model complexity and smaller input windows w.r.t. global approaches.
- Node embeddings facilitate transferability of global-local models.
- Structuring the embedding space is an effective regularization.

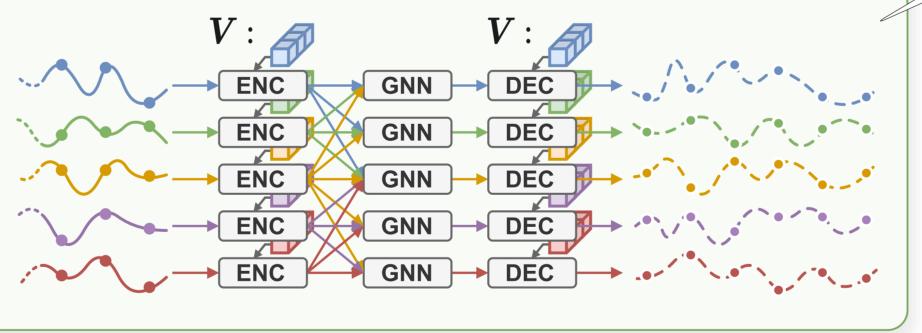
Taming local effects in STGNNs

We study the impact of introducing local components in global STGNNs.





- Amortize the cost of learning local components
- **Ease transfer learning**



Structuring the Embedding Space

Regularizing the embedding space improves transferability and interpretability.

► Variational: the smoother embedding space enables interpolation.

$$\mathcal{L}_{t}^{\mathsf{r}} \doteq \mathbb{E}_{\boldsymbol{Q} \sim \boldsymbol{M}} \left[\left\| \widehat{\boldsymbol{X}}_{t:t+H} - \boldsymbol{X}_{t:t+H} \right\|_{2}^{2} \right] + \beta D_{\mathrm{KL}}(\boldsymbol{M} | \mathcal{N} \left(\boldsymbol{0}, \mathbb{I} \right))$$

► Clustering: clusters in the latent space improve interpretability.

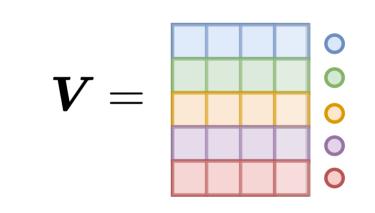
$$\mathcal{L}_{reg} \doteq \mathbb{E}_{\boldsymbol{M}} [\| \boldsymbol{V} - \boldsymbol{M} \boldsymbol{C} \|_{2}], \quad p(\boldsymbol{M}_{ij} = 1) = \frac{e^{\boldsymbol{S}_{ij}/\tau}}{\sum e^{\boldsymbol{S}_{ik}/\tau}}$$

Some Empirical Results

Models	MetrLA	PemsBAY	CER-E	AQI	MetrLA	PemsBAY	CER-E	AQI
Reference arch.		Globa	l models		+ Embeddings			
RNN	3.54±.00	1.77±.00	456.98 _{±0.61}	14.02±.04	3.15 _{±.03}	1.59±.00	421.50 _{±1.78}	13.73±.04
T&S-IMP	3.35±.01	1.70±.01	443.85±0.99	12.87±.02	3.10 _{±.01}	1.59±.00	417.71 _{±1.28}	12.48 ±.03
TTS-IMP	3.34 _{±.01}	$1.72 \scriptstyle{\pm .00}$	$439.13{\scriptstyle \pm 0.51}$	$12.74 \scriptstyle{\pm .02}$	3.08±.01	$1.58 \scriptstyle{\pm .00}$	412.44 _{±2.80}	$\textbf{12.33} \scriptstyle{\pm .02}$
T&S-AMP	3.22±.02	$1.65 \scriptstyle{\pm .00}$	N/A	N/A	3.07±.02	$\pmb{1.59} \scriptstyle{\pm .00}$	N/A	N/A
TTS-AMP	3.24 _{±.01}	$1.66 \scriptstyle{\pm .00}$	$431.33{\scriptstyle \pm 0.68}$	$12.30 \scriptstyle{\pm .02}$	3.06±.01	$\textbf{1.58} \scriptstyle{\pm .01}$	412.95 _{±1.28}	$\textbf{12.15} {\scriptstyle \pm .02}$
Baseline arch.	Original				+ Embeddings			
DCRNN	3.22±.01	1.64±.00	428.36 _{±1.23}	12.96±.03	3.07±.02	1.60 ±.00	412.87 _{±1.51}	12.53±.02
GraphWaveNet	3.05±.03	$\pmb{1.56} \scriptstyle{\pm .01}$	397.17 _{±0.67}	12.08±.11	2.99±.02	$1.58 \scriptstyle{\pm .00}$	401.15 _{±1.49}	11.81 ±.04
AGCRN	3.16±.01	1.61 ±.00	444.80 _{±1.25}	13.33±.02	3.14 _{±.00}	$1.62 \scriptstyle{\pm .00}$	436.84 _{±2.06}	13.28 _{±.03}

Table 1. Performance (MAE) on benchmark datasets.

Node embeddings are a table of learnable parameter vectors, each associated with a

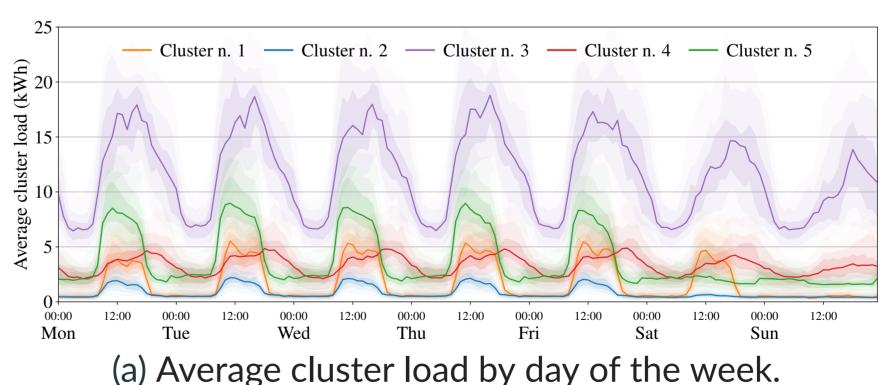


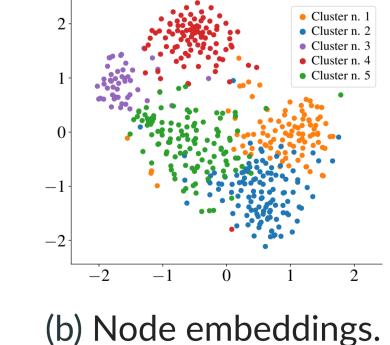
				8	
	TTS-IMP	PEMS03	PEMS04	PEMS07	PEMS08
ine-tı	Global	15.30±.03	$21.59 {\scriptstyle \pm .11}$	23.82±.03	15.90±.07
	Embeddings	14.64±.05	20.27±.11	22.23 ±.08	15.45±.06
	- Variational	14.56 ±.03	$20.19 \pm .05$	22.43±.02	15.41 ±.06
	- Clustering	14.60±.02	19.91±.11	22.16 ±.07	15.41±.06
	Zero-shot	18.20±.09	23.88±.08	32.76±.69	20.41±.07

Transfer Learning

Table 2. Performance (MAE) on traffic datasets.

Clusterized embedding space (CER dataset)













Check out our library for STGNNs! **TorchSpatiotemporal/tsl**





