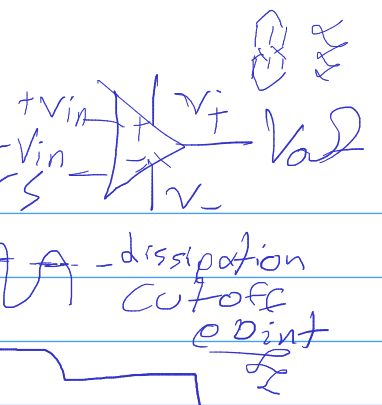
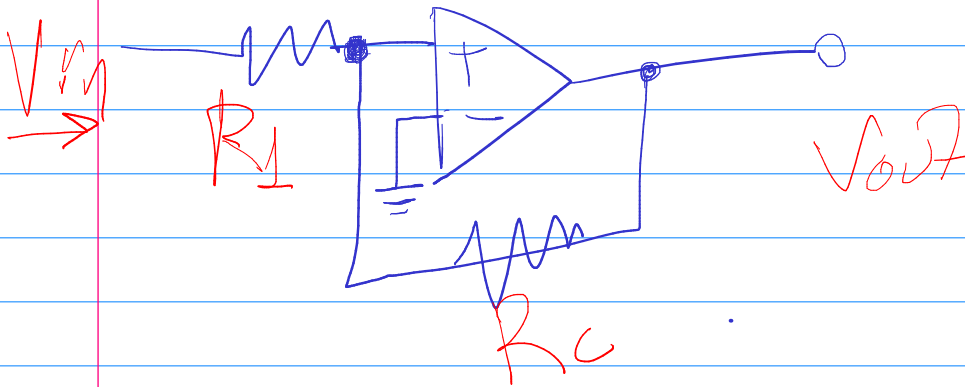
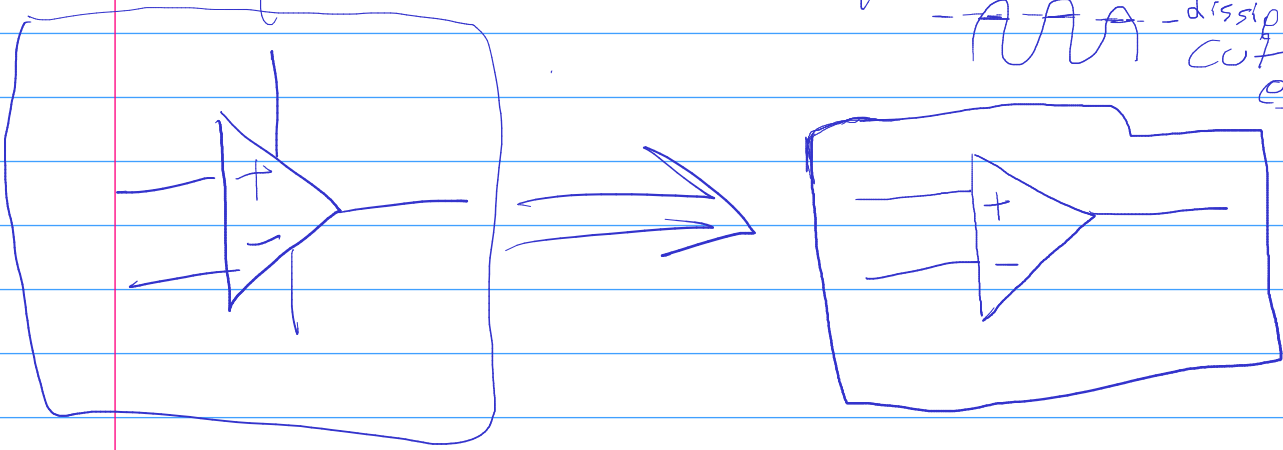


# Operational Amplifiers

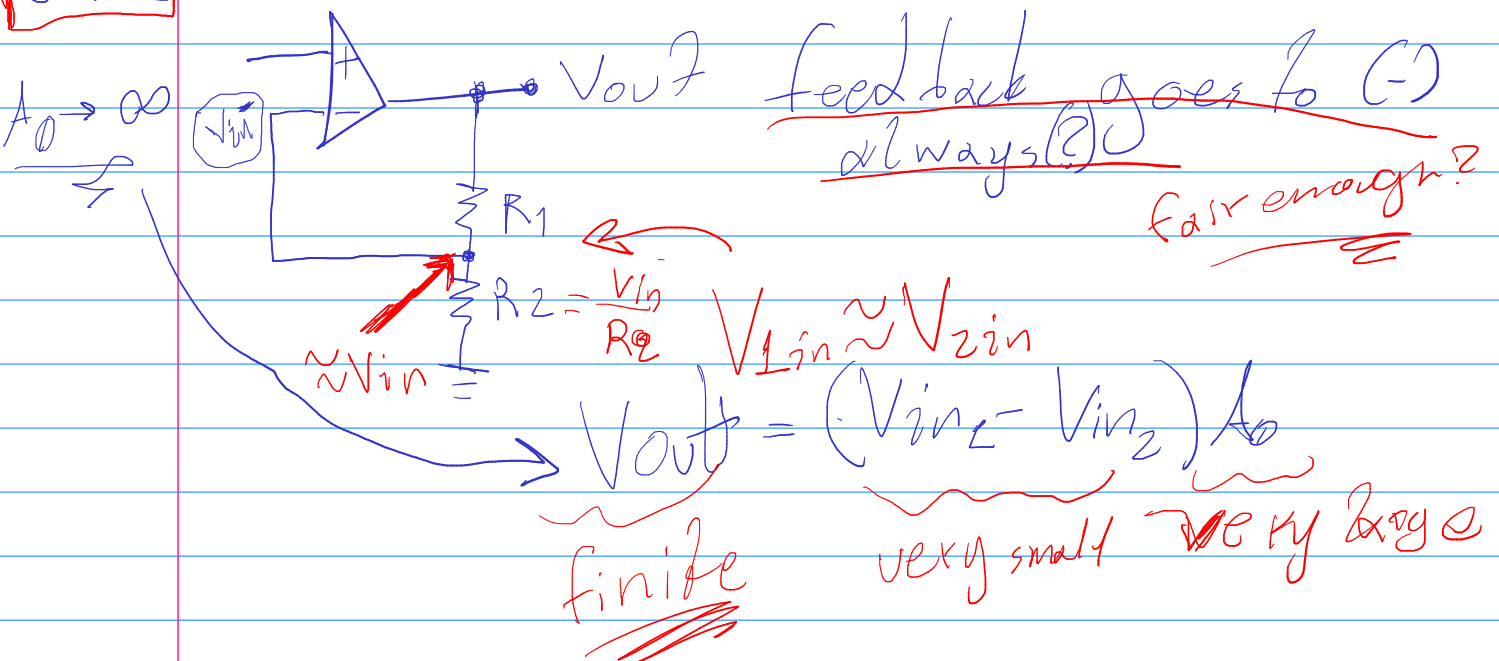


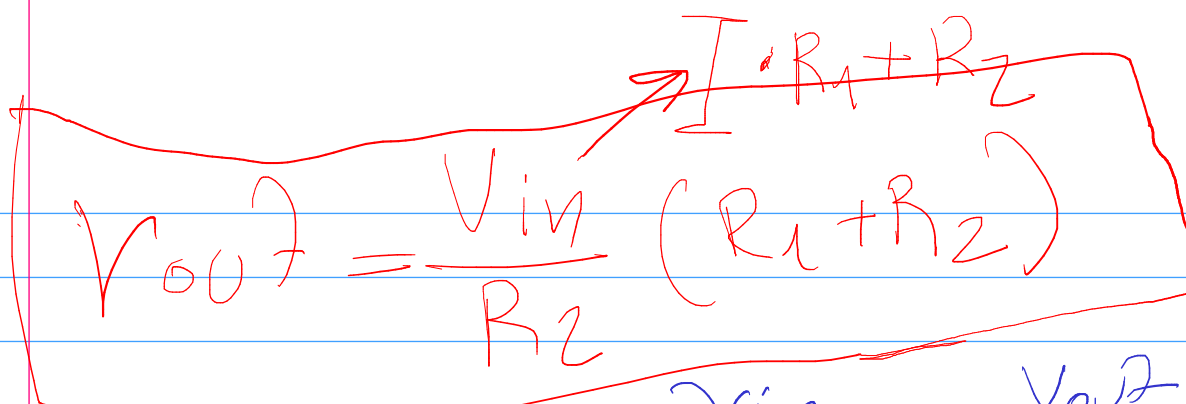
~~AAA~~ - dissipation  
 cutoff  
 $e_{int}$



## Non-Inverting Amp (?)

Case 1





$$V_{out} = \frac{V_{in}}{R_2} (R_1 + R_2)$$

$$\frac{V_{in}}{R_2} = \frac{V_{out}}{R_1 + R_2}$$

Voltage Gain:

$$\frac{V_{out}}{V_{in}} = 1 + \frac{R_1}{R_2}$$

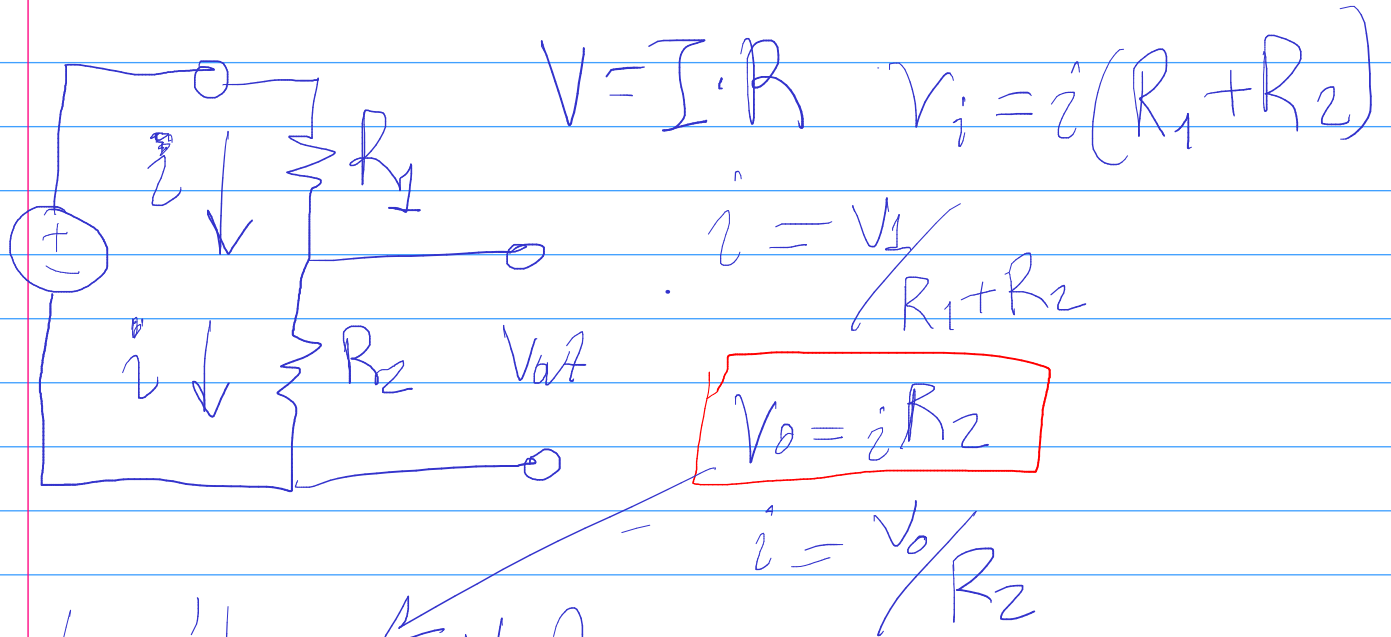
Ground:

A point of reference for voltage. A deep for current.

Case 2: Do not very high

# Voltage Divider:

allows you to div the voltage between 2 resistors. Therefore allowing you to step down the voltage, from a power supply, to any other voltage you require.



provides a  $V_{out}$   
from a supply of  $V_i$   
MONO

Since:  $i$  is the same cause it's a series circuit & same everywhere so.

$$\frac{V_o}{R_2} = \frac{V_i}{R_1 + R_2} \Rightarrow V_{out} = \left( \frac{V_i}{R_1 + R_2} \right) \cdot R_2$$

IMPORTANT

or

$$V_{in} \cdot \frac{R_2}{R_1 + R_2}$$

Case 2:

to not very high

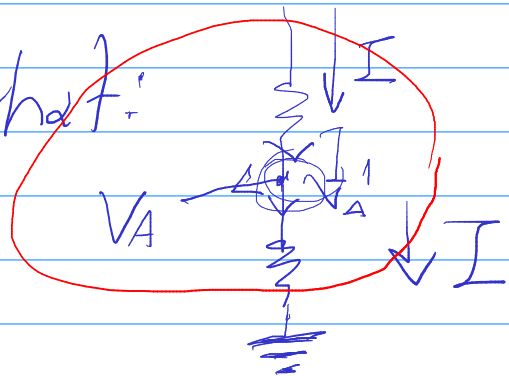
We cannot assume  $V_{in} \approx V_{e in}$

finite gain of OP.AMP.

how does it affect PERFORMANCE

We find as we can see a resistive divider.

So we know that:



$$\frac{V_A}{R_2} = \frac{V_o}{R_1 + R_2}$$

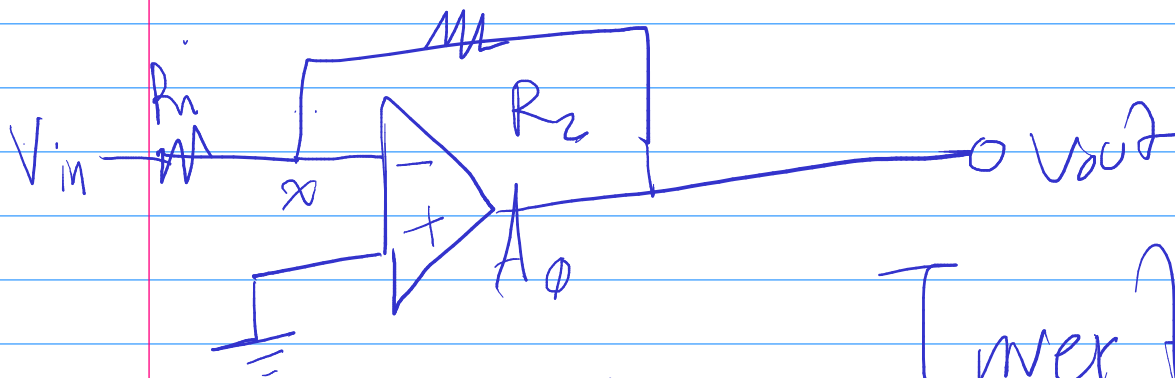
$$V_A = V_o \frac{R_2}{R_1 + R_2}$$



$$V_{out} = (V_{in+} - V_{in-}) \cdot A_o$$

$$\left( V_{in} - V_{out} \cdot \frac{R_2}{R_1 + R_2} \right) A_0 = V_{out}$$

$$\frac{V_{out}}{V_{in}} = \frac{A_0}{1 + \frac{R_2}{R_1 + R_2} \cdot A_0}$$



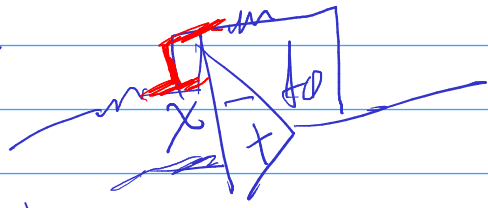
Gain is Negative

Inverting Amplifier

Case 1:  $A_0 \rightarrow \infty$

One of the input is 0 so the other one has to be near 0 as well

node x (virtual GND) very close to 0.



$$\text{Current through } R_1 = \frac{V_{in} - V_x}{R_1}$$

$$\approx \frac{V_{in}}{R_1} \text{ since } V_x \approx 0$$

Since  $V_{in}(-)$  has high impedance it goes around the loop.

Then through  $R_2$ . Then the output of the op. amp.

$$\frac{V_{in}}{R_1} \cdot R_2 = \cancel{V_x} - V_{out}$$

$$V_{out} = -\frac{V_{in}}{R_1} \cdot R_2$$

So the Gain

$$\frac{V_{out}}{V_{in}} = -\frac{R_2}{R_1} \quad \boxed{\text{Eq. 1}}$$

---

The diff. between the 2 is.  
Input Impedance along with  
other parameters.

$V_{in}(+) \uparrow$        $V_{in}(-) \downarrow$

Input Imp approximately  $\left[ \frac{1}{R_1} \right]$

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