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$$x = \overset{A_i \in AB(\mathcal{T})}{r}$$

$$x = t_i.A_{i,j}) \stackrel{(1)}{=} \underbrace{(v_1 \circ \dots \circ v_n)}_{=vf} . (A_i.A_{i,j}) \stackrel{(2)}{=} vf_{\in \{k:A_k=A_i.A_{i,j}\}} = v.A_i.A_{i,j}$$

$$\begin{array}{l} 1 = (A_{1,1}, \dots, A_{1,n}) \\ A_2 = (A_{2,1}, \dots, A_{2,n}) \\ v = (A_1, A_2) = (\underbrace{(A_{1,1}, \dots, A_{1,n})}_{v_1}, \underbrace{(A_{2,1}, \dots, A_{2,n})}_{v_2}) \end{array}$$

$$\begin{array}{l} \longrightarrow \text{flattenandrename} \\ flat(v) = (v_1 \circ v_2) = (A_1.A_{1,1}, \dots, A_1.A_{1,n}, A_2.A_{2,1}, \dots, A_2.A_{2,n}) \\ A_i \in AE(\mathcal{T}) A_i \in AB(\mathcal{T}) \\ x = \overset{A_i \in AE(\mathcal{T}) A_i \in AB(\mathcal{T})}{r} \end{array}$$

$$\begin{array}{l} A(\mathcal{R}_i) = v.A_i \\ x = t \end{array}$$

$$\overset{(1)}{i) \stackrel{\longrightarrow}{=} \{A_i.A_{i,1}, \dots, A_i.A_{i,n}\}}$$

$$flat(v).K = flat(v).A(\mathcal{R}_i) = (A_i.A_{i,1}, \dots, A_i.A_{i,n}) \stackrel{(2)}{=} v.A_i.A(\mathcal{R}_i).A_{i,j}$$

$$\begin{array}{l} A_i \in AE(\mathcal{T}) \\ is - key(K, va(t)) is - key(K', va(flat(t))) (\exists v \in va(flat(t)), k' \in K' : v.k' = \perp) \vee \\ (2) (\exists v, v' \in R : v =_{K'} v' \wedge v \neq v') \\ k' = A_i.k \end{array}$$

$$k' \in KEk' \in Kk' \perp$$

$$\begin{array}{l} k' = A_i.kK_iA_ik \in A(r_i) \wedge k \notin K_ik' \in K' \\ K_iA_i \end{array}$$

$$k' \in AE(t)$$