



林肯 FIT5171 保过班资料



Exam
内部资料 禁止外传
LINCOLN EDU

By 林肯 5171 教研组



Question 1.....15 marks

Consider a program *FizzPrime* that takes as input two non-negative integers, x and i , both between 0 and 100, both inclusive. The number x is a prime numbers. As output, the program prints the number i itself within the range $([0, 100])$ when it is not divisible by x . For multiples of x , but not multiples of x^2 , the program should print “Fizz” instead of the number. For multiples of x^2 but not multiples of x^3 , the program should print “Prime”. Finally, for numbers which are multiples of x^3 the program should print “FizzPrime” instead.

- (a) (5 marks) Develop robust equivalence classes for the input variables x and i given the above specification.

x

invalid: 1. $X < 0$; 2 $X > 100$; 3, x is not a prime number

valid: $x \geq 0$, $x \leq 100$, x is a prime number

i

invalid: 1. $i < 0$; 2 $i > 100$;

valid: $i \geq 0$, $i \leq 100$

Equivalence (i , Fizz, Prime, FizzPrime)

$R1 = \{x, i \text{ is valid, } i \text{ cannot be divided by } x\}$

$R2 = \{x, i \text{ is valid, } i \text{ canbe divided by } x \text{ but cannot be divided by } x^2\}$

$R3 = \{x, i \text{ is valid, } i \text{ canbe divided by } x^2 \text{ but cannot be divided by } x^3\}$

$R4 = \{x, i \text{ is valid, } i \text{ canbe divided by } x^3\}$

$R5 = \{x < 0, i \text{ is valid}\}$ $R6 = \{x > 100, i \text{ is valid}\}$ $R7 = \{X \text{ is not a prime, } i \text{ is valid}\}$

$R8 = \{i < 0, x \text{ is valid}\}$ $R9 = \{i > 100, x \text{ is valid}\}$

Test cases	x	i	Expected Output
R1	3	4	4
R2	3	6	Fizz
R3	3	9	Prime
R4	3	27	FizzPrime
R5	-1		Error input
R6	101		Error input
R7	4		Error input



- (b) (6 marks) Develop test cases using the *robust* (not worst-case) version of the boundary value testing technique.

Test cases	x	i	Expected output
1	-1	7	Invalid input
2	0	7	Invalid input
3	1	7	Invalid input
4	7	7	Fizz
5	99	7	Invalid input
6	100	7	Invalid input
7	101	7	Invalid input
8	7	-1	Invalid input
9	7	0	0
10	7	1	1
12	7	99	99
13	7	100	100
14	7	101	Invalid input

- (c) (4 marks) You have been given the task of performing blackbox testing on an implementation of the above algorithm. Of the main blackbox testing techniques we have discussed: boundary value testing (BVT), special value testing (SVT), equivalence class testing (ECT), and decision table-based testing (DTT), explain why each technique is (or is not) appropriate.

BVT: Not a appropriate, because not consider the x is a prime and output logic.

SVT: is appropriate, because consider the x is a prime and output logic.

ECT: is appropriate

DTT: is appropriate, it consider the out put logic



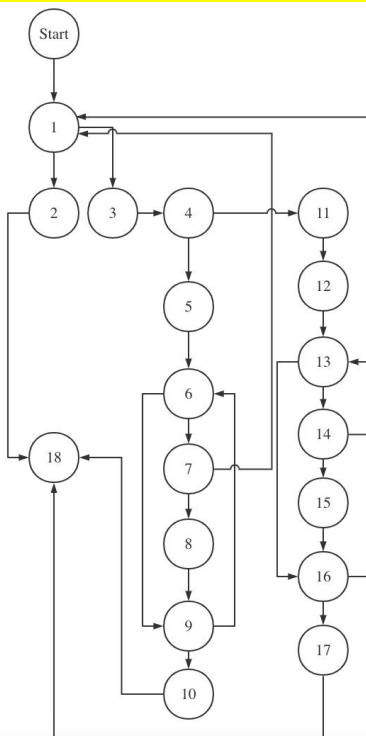
minimax(*node*, *depth*, *maximisingPlayer*)

```

1 if depth = 0 ∨ is_terminal(node) then
2   | return the heuristic value of node
3 end
4 if maximisingPlayer then
5   | bestValue ←  $-\infty$ 
6   | foreach child of node do
7     | val ← minimax(child, depth - 1, false)
8     | bestValue ← max(bestValue, val)
9   | end
10  | return bestValue
11 else
12   | bestValue ←  $+\infty$ 
13   | foreach child of node do
14     | val ← minimax(child, depth - 1, true)
15     | bestValue ← min(bestValue, val)
16   | end
17   | return bestValue
18 end

```

(a) (5 marks) Draw the program graph for the above function.



(b) (1 mark) Calculate the cyclomatic complexity of the program graph in the previous part.

$$C = E - V + 2p$$



Question 3..... 6 marks

One of the goals of integration testing is to be able to isolate faults when a test case causes a failure. Consider integration testing for a program written in a procedural/object-oriented programming language. Rate the following integration strategies on their abilities of (1) relative fault isolation and (2) testing of co-functionality.

You also need to provide a *rationale* for your answer.

- A** Big bang
- B** Decomposition-based top-down integration
- C** Decomposition-based bottom-up integration
- D** Decomposition-based sandwich integration
- E** Call graph-based pairwise integration
- F** Call graph-based neighbourhood integration (radius 1)
- G** Call graph-based neighbourhood integration (radius 2)

Show your ratings graphically by placing the letters corresponding to a strategy on a line, as in the example below. Suppose that for the ability of fault isolation, strategies X and Y are about equal and not very effective, and strategy Z is very effective.

Note that this rating is relative and qualitative, so don't agonise over where *exactly* to put a strategy, but focus on their *relative* position.

Fault isolation





Question 4 **8 marks**

In lecture 8 we introduced Weyuker's 9 properties to evaluate software metrics. Some of the properties (for example, properties 1, 3, 4 and 8) are quite simple and intuitive. However, some other properties are a bit more complex and need further analysis.

Weyuker's property 9 states that the complexity of the composition of two programs may be greater than the sum of the complexities of the two taken separately. More formally,

$$\exists A, B: \text{Program} \bullet M(A) + M(B) < M(A + B)$$

where M represents a given metric and $A + B$ represents the composition of A and B .

The structural metric *depth of nesting* of a program P , denoted $n(P)$, is defined for programs that only contain *structured programming constructs*.

Given a program, the repeated application of the following two operations can be used to decompose it into a unique tree of structured programming constructs.

Sequence: composing two program graphs sequentially by merging one program graph's terminal node with the other program graph's initial node. For example, sequential composition of programs A and B is denoted by $A; B$.

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Nesting: replacing one node in one program with the entirety of another program. For example, nesting program B in program A at node x of A is denoted by $A(B, x)$.

The depth of nesting values of programs constructed by the above two operations are defined as below.

Sequence: $n(P_1; P_2; \dots; P_n) = \max(n(P_1), n(P_2), \dots, n(P_n))$, and

Nesting: $n(P_1(P_2; \dots; P_n)) = 1 + \max(n(P_2), \dots, n(P_n))$, where P_2, \dots, P_n are sequentially nested inside P_1 .

Recall that there are six basic types of structured programming constructs:

Construct	Description	Construct	Description
P_n	sequence ($n = 1, 2, \dots$)	D_2	while loop
D_0	if-then	D_3	do-while loop
D_1	if-then-else	C_n	case-switch

The depth of nesting value for all the above constructs is 1 except for P_1 , which is 0. The depth of nesting value of a program is calculated in a bottom-up fashion.

For Weyuker's property 9 and the metric depth of nesting $n(P)$ of a valid program P , do the following:

- State whether the property holds or not.
- Prove your claim (informally).

Sequence:

$$n(A) = n(px)$$

$$n(B) = n(py)$$

$$n(A+B) = n(px; py) = \max(n(px), n(py))$$

$n(A)$ or $n(B)$ 的最大值是 $n(A+B)$ 的值, 所以 $n(A+B) == n(A)$ or $n(b)$, 推导出 $n(A+B) <= n(A) + n(b)$, 所以不等式不成立



Nesting:

$$n(A) = n(p1) = 0$$

$$n(B) = n(p2) = 1$$

$$n(A+B) = n(p1(p2)) = 1 + \max(n(p2)) = 2$$

$$n(A) + n(B) < n(A+B)$$

不等式成立

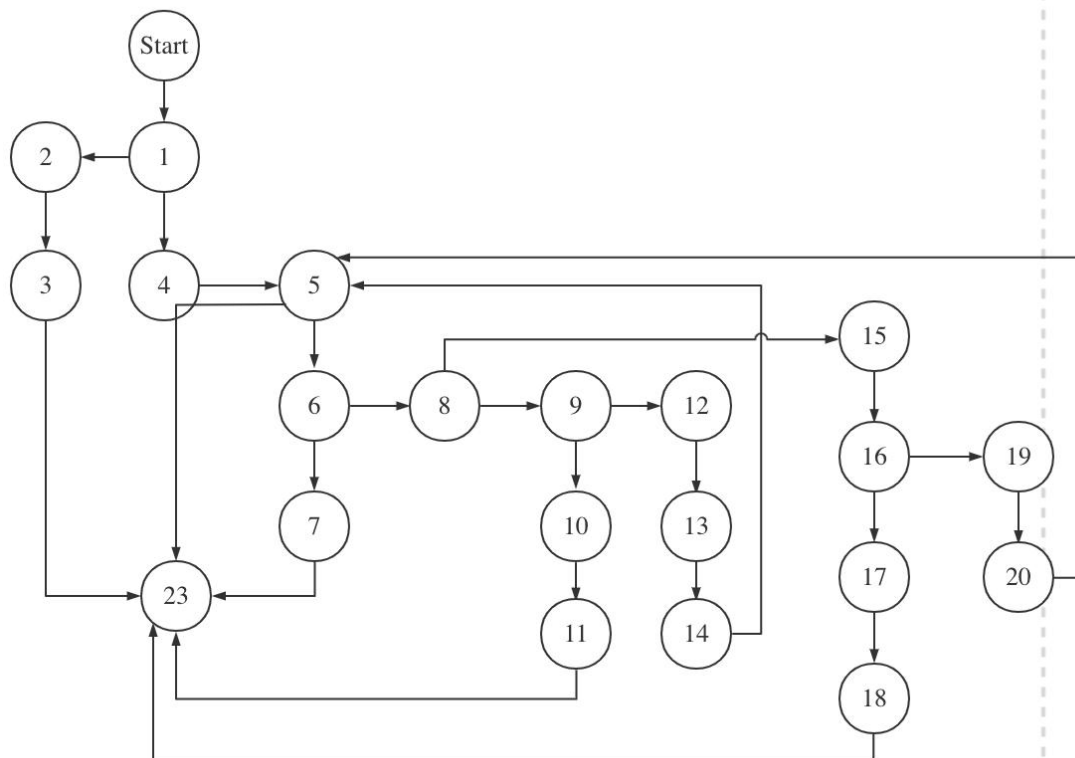


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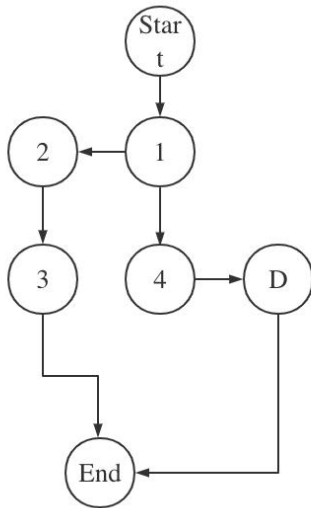
```
Input: node
Input: root
1 if root = null then
2   | root ← node
3   | return
4 end
5 while root ≠ null do
6   | if node = root then
7   |   | return
8   | else if node < root then
9   |   | if root.left = null then
10  |   |   | root.left ← node
11  |   |   | return
12  |   | else
13  |   |   | root ← root.left
14  |   | end
15  | else
16  |   | if root.right = null then
17  |   |   | root.right ← node
18  |   |   | return
19  |   | else
20  |   |   | root ← root.right
21  |   | end
22  | end
23 end
```

▷ Node to be inserted.
▷ The root node of the BST.
▷ Node already in the BST
▷ Insert left
▷ Insert right





- (b) (5 marks) Recall that McCabe's essential complexity measures how *unstructured* the logic of a program is by calculating the Cyclomatic complexity of the condensed program graph. In this part,
- draw the final condensed graph for the program graph you came up with in part (a) above, and
 - calculate the Cyclomatic complexity of the condensed graph you draw.



Question 5.....15 marks

Mutation testing is a technique to assess the efficacy and quality of a test suite. It works by making *mutants*, syntactic variations of the program under test, and measures how many of the mutants are *killed* by the test suite. The presence of non-equivalent *live* mutants represents inadequacy of the test suite.

The following Java method, `min`, returns the smallest of three integer parameters.

```

1  public int min(int a, int b, int c) {
2      int temp = a;
3      if (b < a) {
4          temp = b;
5      }
6      if (c < b) {
7          temp = c;
8      }
9      return temp;
10 }
```

- (a) (3 marks) Come up with an *equivalent* mutant by applying a *first-order* mutation. In your answer, identify:
- The mutation operator applied,
 - The associated statement to be changed, and
 - What the statement is changed to.

Conditionals Boundary Mutator 或者 ROR

line3 change to `b<=a`



- (b) (8 marks) Devise a set of three test cases that achieves 100% statement coverage. Come up with three *non-equivalent* first-order mutants of the original program, making use one of the following mutation operators in each mutant. Determine the *kill rate* of your test suite on the three mutants.

The mutation operators you can use are:

ror Relational operator replacement.

sd1 Statement deletion.

uoi Unary operator insertion.

Test cases	a	b	c	Expect output
1	3	2	1	1
2	1	2	3	1
3	2	3	1	1

ROR	line 3: $b > a$	Kill tc1
SDL	remove line 4	Kill tc3
UOI	line2: $a++$	kill tc1

All MT be killed by test cases, so the rate is 100%.

- (c) (4 marks) Is there a defect in the program? If so, develop the smallest set of test cases that achieves 100% statement coverage but *does not* reveal the defect. If not, develop the smallest set of test cases that achieves 100% statement coverage.

There is a defect, when $a=1, b=3, c=2$, output is 2. It is not a min number.

Test cases	a	b	c	Expect output
1	3	2	1	1
2	1	2	3	1