## MATH-338 Midterm 2 Cheat Sheet

## THEORY

Day 14: probability density function is represented an integral with function f(x). Our probability lies within the curve and is always 1. Density curve  $\rightarrow$  bell curve. Z-Score allows us to have a universal standard for density curves with different scales. They are directly proportional to the standard deviation and the delta from the mean of the graph.

Day 15: unimodal: one hump, bimodal: two humps. Mean is resistant whereas the mean is subject to change. Density curves decay to histograms (integral  $\rightarrow$ to Reimann Sum). Whisker plots are an effective method to determine if a data set contains outliers (data points not belonging to the sample set)

Day 16: error: since there is some error while taking sample data, we do allow for some buffer. We also do not measure exact but to a tolerance which is influenced by the buffer above. The mean of the sampling distribution of the

## **FORMULAS**

- $\sqcap = width \times \frac{1}{width}$  (finite curve)
- II = waath  $\times \frac{width}{width}$   $Z = \frac{x-\mu}{\sigma}$  (z-score)
   $X \sim N(\mu, \sigma)$   $\bar{X} \sim N(\mu, \frac{\sigma}{\sqrt{n}})$   $t = \frac{\bar{X} \mu}{\frac{S}{\sqrt{n}}}$   $SEM = \frac{s}{\sqrt{n}}$

- IQR =  $Q_3 Q_1$  K = 1.5

- K = 1.5
   Lower fence: Q<sub>1</sub> K × IQR
   Upper fence: Q<sub>3</sub> + K × IQR