

Test-1

Monetary Economics

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Q1
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Bond Price = 100

$rr = 0.5$

$cr = er = 0$

$C = 0$

→ Changed Balance Sheet of Central Bank

Asset	Liability
FOREX	C
$B \Rightarrow B - 100$	$R \Rightarrow R - 100$
Loan	
Gold	

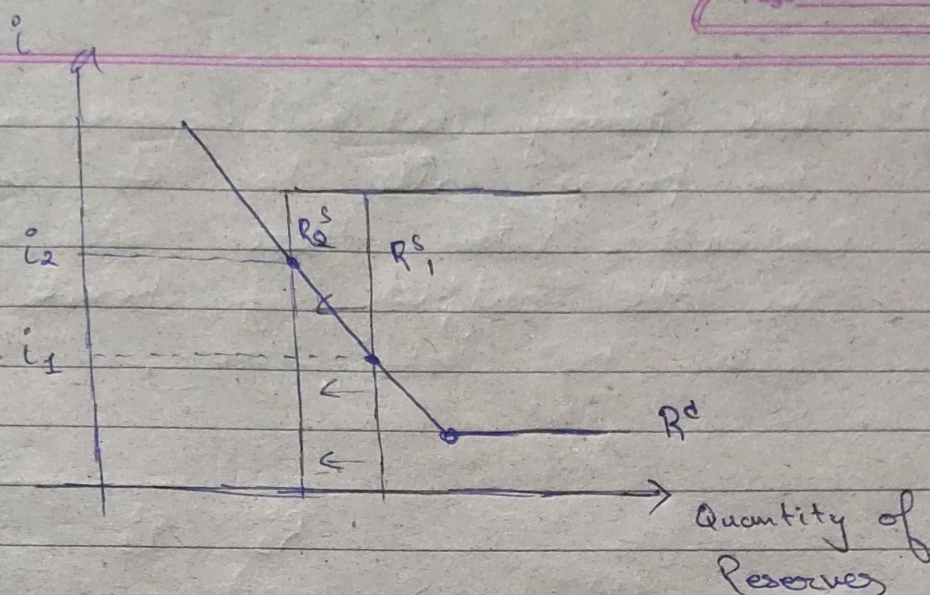
Changed Balance Sheet of Commercial Bank

Asset	Liability
$R \Rightarrow R - 100$	$D \Rightarrow D - 200$ ↓ $\left(\frac{100}{0.5} \right) =$
$B \Rightarrow B + 100$	
$\text{Loan} \Rightarrow \text{Loan} - 200$	

$$\begin{aligned} \text{Ans } M &= R^* D \\ \Delta M &= \Delta D \\ \Delta M &= -200 \end{aligned}$$

The central Bank has sold bonds worth ₹100 to the commercial Bank \Rightarrow Assets of the Central Bank have fallen, as assets are equal to the liability and assets have fallen, the liability will also fall by the same measure \Rightarrow Reserves of the Central Bank fall by ₹100.

As the Reserves have fallen, R to maintain rr , the deposits also fall proportionally (in proportion) \Rightarrow Money supply falls.



Open market selling of Bonds shifts the Reserve Supply curve to the left.

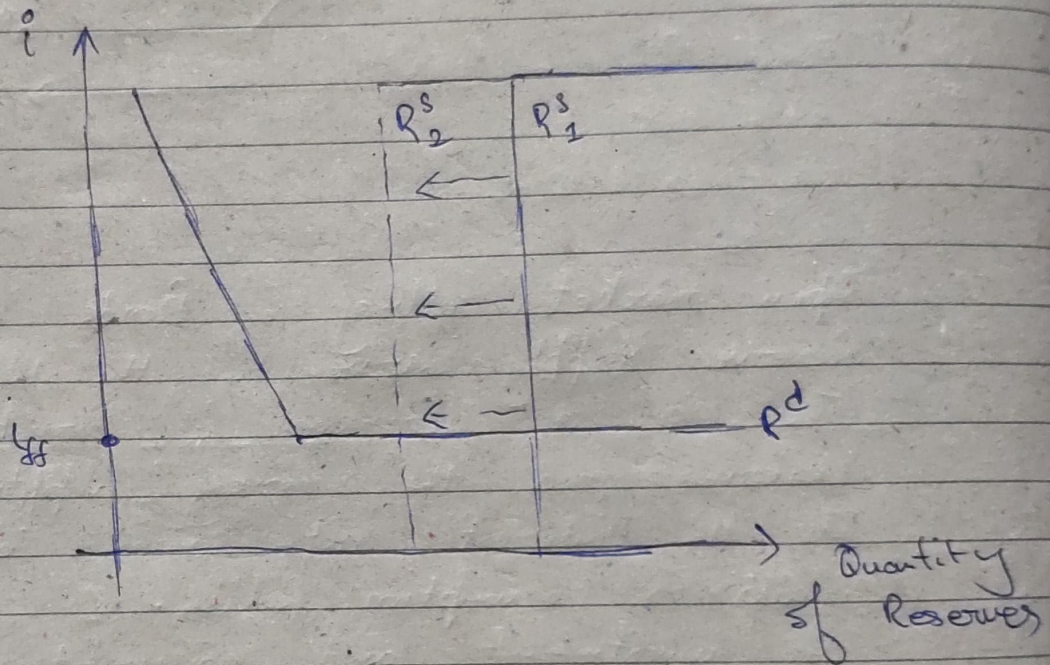
There is a decrease in non-borrowed reserves and the money supply falls.

As the interest rate rises, investment falls \Rightarrow consumption falls.

As investment and consumption fall, the output also falls.

As the output falls, open market selling of bonds is a contractionary policy.

> The policy is not always effective, if the policy fails to alter the interest rate, there will be no change in the output & hence the policy will be ineffective.



The interest rate remains unchanged as the Reserves Supply shifts to the left \Rightarrow The policy is ineffective.

Q2
=

$$\frac{M^d}{P} = 500 + 0.2Y - 1000i$$

• Real Money demand = $\frac{M^d}{P}$

Substitute the values of Y & i in the equation, we get

$$\begin{aligned}\frac{M^d}{P} &= 500 + 0.2(1000) - 1000(0.1) \\ &= 500 + 200 - 100 \\ \frac{M^d}{P} &= 600. \quad \text{--- (1)}\end{aligned}$$

• Nominal Money Demand = M^d .

We have $M^d = 600(P)$ — from (1)
 & $P = 100$ — Given
 $\therefore M^d = 60000$

• Velocity = $\frac{PY}{M^d} = \frac{PY}{P \cdot L(Y, i)} = \frac{Y}{L(Y, i)}$ — (2)

Substituting the values of P, Y & M^d , we get

$$V = \frac{100(1000)}{60000} = \frac{10}{6} = \frac{5}{3}$$

(b) The Price level changes from 100 → 200

Real Money demand is independent of Price level so it remains the same

$$\left[\frac{M^d}{P} = 600 \right]$$

$$\begin{aligned} \text{Nominal } M^d &= P(600) \\ &= 200(600) = 120000 \end{aligned}$$

Velocity is also independent of the price level & hence won't change

$$\left[\begin{array}{l} V = \frac{Y}{L(Y, i)} = \frac{5}{3} \end{array} \right]$$

c) We have $V = \frac{Y}{L(Y, i)}$

where $L = 500 + 0.2Y - 1000i$

To calculate the effect of Real income, nominal interest rate & price level, we need to calculate the ^{respective} derivatives.

$$\begin{aligned} \frac{dV}{dY} &= \frac{L - 0.2(Y)}{L^2} \\ &= \frac{(0.8) \times 600}{(600)^2} = \frac{8}{600 \times 600} \end{aligned}$$

$$1) \frac{dV}{dY} = \frac{L - 0.2(Y)}{L^2} = \frac{600 - 0.2(1000)}{(600)^2}$$

$$= \frac{400}{600 \times 600} = \frac{1}{900} > 0$$

$$\frac{dV}{dY} > 0 \quad \therefore \text{As } Y \uparrow \Rightarrow V \uparrow$$

$$2) \frac{dV}{di} = \frac{L(Y, i)}{L^2} \frac{dY}{di} - Y \left(\frac{dL}{di} \right)$$

$$= \frac{L \left(\frac{1000}{0.2} \right)}{L^2} - Y(-1000)$$

$$\frac{dV}{di} = \frac{600 \left(\frac{1000}{0.2} \right) + (1000)(1000)}{L^2} > 0$$

$$\frac{dV}{di} > 0 \quad \Rightarrow \text{As } i \uparrow \Rightarrow V \uparrow$$

$$3) \frac{dV}{dP} = 0 \quad \text{as } V \text{ is independent of } P \Rightarrow \text{a rise in } P \text{ doesn't affect } V_0$$