Searching and characterizing compact binary coalescence signals: challenges and solutions in real data

**Greg Ashton** 





# Background and motivation

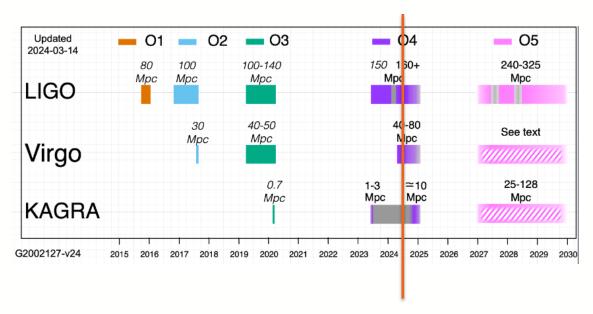


### Observing runs



# O<sub>4</sub>b started on the 10<sup>th</sup> of April

#### We are here



### Observations to date



- O1-O3 produced nearly 100 observations
- All signals arise from Compact Binary Coalescence (CBC):
  - Binary black hole collisions



- Binary neutron star collisions



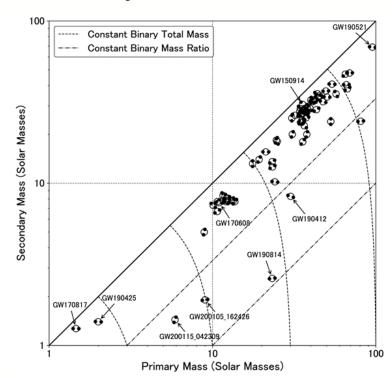
- Neutron star – black holes



#### Stand out highlights:

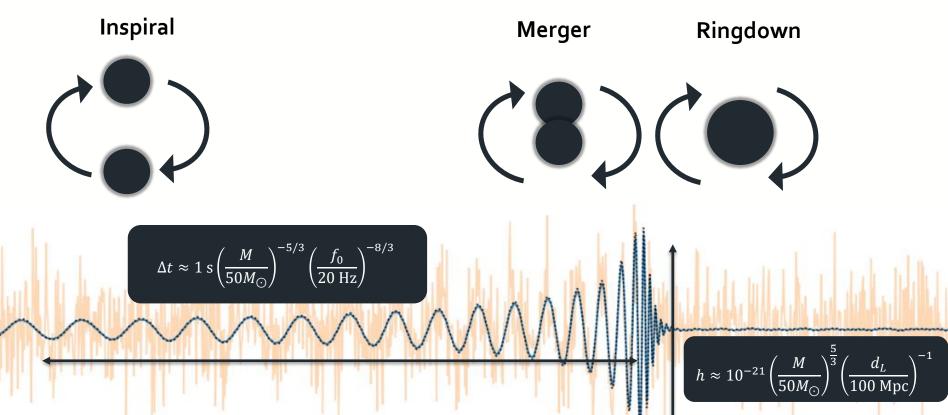
- GW1050914: the first observation
- GW170817: a multimessenger BNS

#### Credit: LIGO-Virgo-KAGRA Collaboration / IGFAE / Thomas Dent



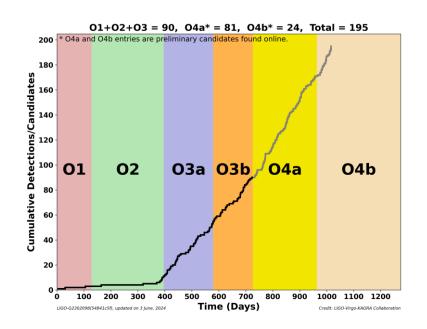
# Compact binary mergers (CBC)





# CBC triggers



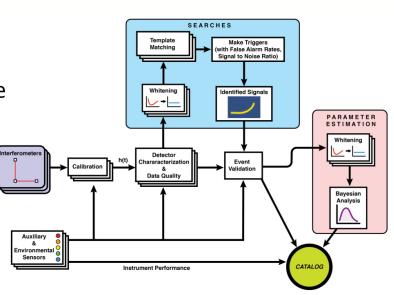


- Total number of triggers in O<sub>4</sub> now exceeds all previous runs
- No clear binary neutron star candidates..
- No multimessenger candidates..

# Gravitational-wave data analysis



- Sam Finn (1992):
  - Search: decide if the data contains a signal
  - Parameter Estimation: assume the presence of a signal and measure its parameters
- LIGO-Virgo-KAGRA:
  - Calibration, Detector Characterisation
  - Search + Parameter Estimation
  - Population studies, Tests of General Relativity,
     Cosmology, Searching for lensed pairs, ...

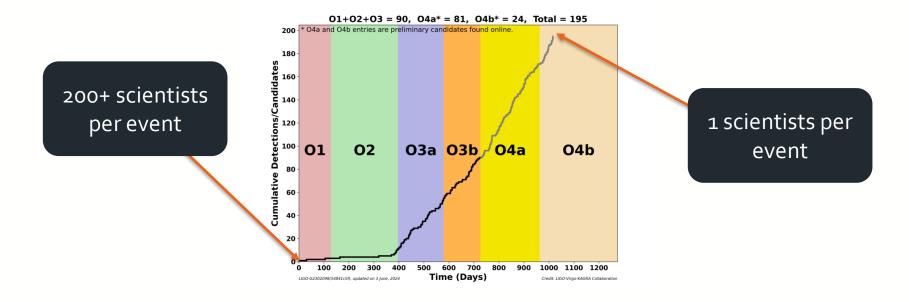


# Challenge: more signals!



# Challenge: more signals



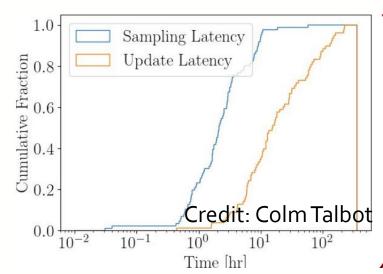


# Challenge: more signals



Time is of the essence: low-latency and high-latency analyses

- Identify and address bottlenecks
- Build faster software:
  - More efficient
  - Leverage computational parallelisation
  - Improve validation/checking
- Automate everything









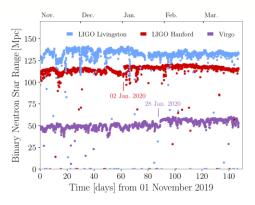
# Challenge: an asymmetric detector network



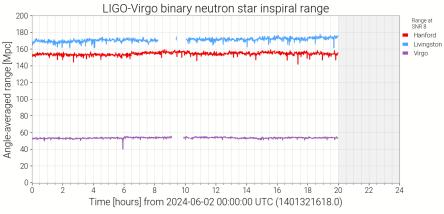
# Challenge: an asymmetric detector network



- Virgo did not join O4a due to technical challenges
- Excellent duty cycles across LIGO-Virgo in O4b
- LIGO 3x more sensitive than Virgo
- KAGRA to join later in the run with ~10 Mpc



O<sub>3</sub> (arXiv:2111.03606)



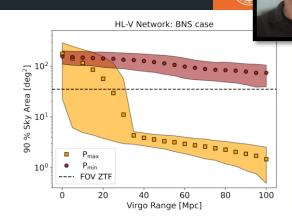
O4 (gwosc.org/detector status/day/20240602/)

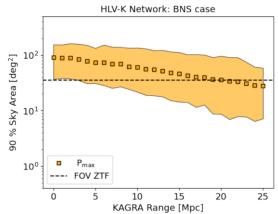
/AY

### Challenge: an asymmetric detector network

#### Emma et al. (2024) study O4 sensitivities:

- For detection:
  - A third weaker IFO is not (on average) useful
- For parameter estimation:
  - A third detector is critical to improving **sky localisation**
  - When Virgo is within a factor of 6 of LIGO, it produces a significant improvement in the sky localisation
  - Though the KAGRA range is limited, it could provide a factor of a few reduction in sky area for an optimal sky location

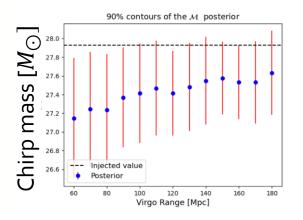


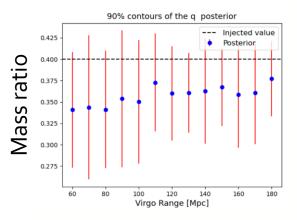


# Challenge: an asymmetric detector network



Extending the Virgo range closer to LIGO sensitivity would moderately improve intrinsic source parameter estimation





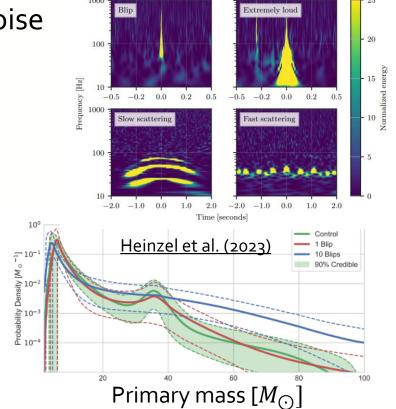
# Challenge: real detectors are full of glitches



# Challenge: real detector data is full of glitches



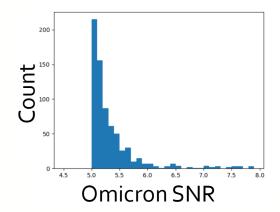
- Glitches: transient non-Gaussian noise
- One every few minutes
- Impact:
  - Reduce search sensitivity
  - Contaminate observed signals
  - Contaminate the population

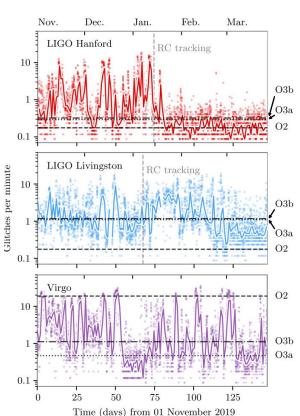


# Challenge: glitches



- How many LVK signals are contaminated by a glitch?
  - Glitches happen about **once per minute** (Omicron:  $\rho > 6.5$ )
  - Most signals last just a few seconds
  - $\sim$  1/15 signals should be contaminated..
- Note that the Omicron rate is saturated





# Challenge: glitches



However, 20% of signals in GWTC-3 are "deglitched"

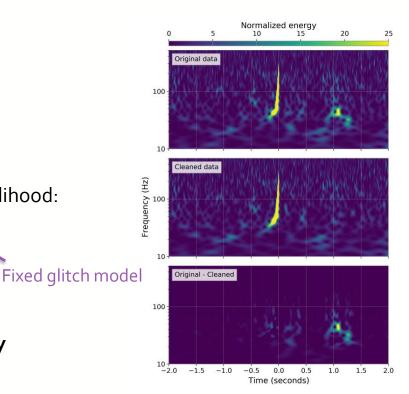
#### Deglitching:

- Build a model for the glitch
- Subtract it from the data
- Analyse the "cleaned" data the standard Whittle likelihood:

$$\ln \mathcal{L}(\widetilde{\boldsymbol{d}}|\boldsymbol{\theta}, M) \propto -\frac{2}{T} \sum_{j} \frac{\left|\tilde{d}_{j} - \tilde{\mu}_{j}(\boldsymbol{\theta}) - \tilde{g}_{j}(\boldsymbol{\vartheta})\right|^{2}}{P_{j}}$$

Methods: BayesWave, gwsubtract, ML non-linear

Problem: deglitching ignores glitch model uncertainty



### Alternative: Implicit modelling with Gaussian processes



Recall: the Whittle likelihood approximates the full Gaussian likelihood:

$$\ln \mathcal{L}(\boldsymbol{d}|\boldsymbol{\theta}, M) = -\frac{1}{2}\boldsymbol{r}(\boldsymbol{\theta})^T \boldsymbol{\Sigma}^{-1} \boldsymbol{r}(\boldsymbol{\theta}) - \frac{1}{2}\ln((2\pi)^N |\boldsymbol{\Sigma}|)$$

Where:

 $r(\theta) = d - \mu(\theta)$  is the time-domain residual

 $\Sigma$  is the noise covariance matrix

A Gaussian Process (GP) introduces a kernel with hyperparameters  $\alpha$  to model the covariance:

$$\Sigma \to \Sigma_{mn}(\alpha) = k(t_m, t_n; \alpha)$$

Then the GP likelihood is:

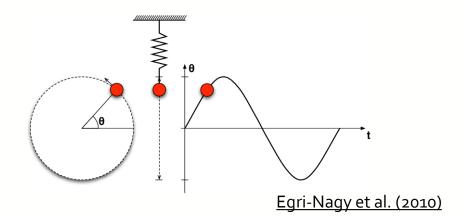
$$\ln \mathcal{L}(\boldsymbol{d}|\boldsymbol{\theta},\boldsymbol{\alpha},\boldsymbol{M}) = -\frac{1}{2}\boldsymbol{r}(\boldsymbol{\theta})^{T}\boldsymbol{\Sigma}(\boldsymbol{\alpha})^{-1}\boldsymbol{r}(\boldsymbol{\theta}) - \frac{1}{2}\ln((2\pi)^{N}|\boldsymbol{\Sigma}(\boldsymbol{\alpha})|)$$

# **GPBilby**



- Ashton et al. (2022): extension of the Bilby Bayesian inference library
- Uses the <u>celerite</u> GP package (<u>Foreman-Mackay 2017</u>)
- Construct kernels from mixture-model of simple harmonic oscillators
- Pre-whiten the data to avoid modelling the coloured noise





### Validation of GPBilby

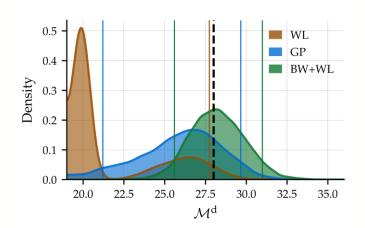


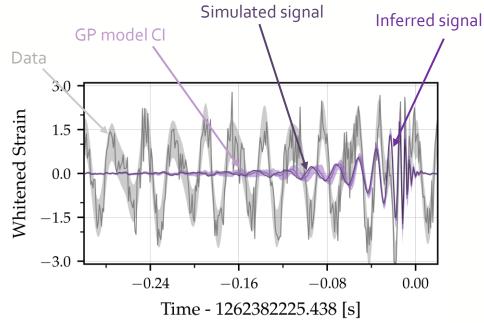
Simulated signals contaminated by glitches

WL: no de-glitching

• BW+WL with de-glitching

• GP: joint analysis

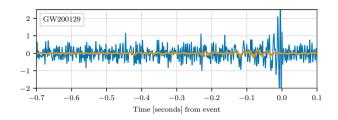


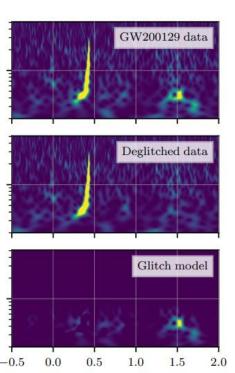


### GW200129: glitch contamination



- GW200129: First claimed event with evidence for GR precession (<u>Hannam et al. 2022</u>) and measurement of large recoil kick (<u>Varma et al. 2022</u>)
- Event is glitch-contaminated, <u>Payne et al 2022</u> conclude the evidence is dependent on the glitch model
- Looking directly at the glitch model <u>Davis et al. (2022):</u>

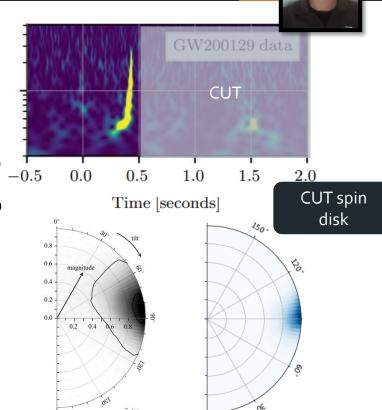




There is a "wiggle" in the inspiral...

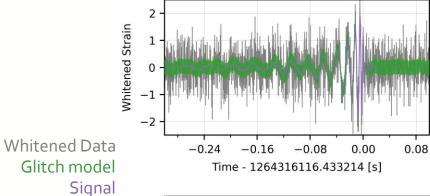
# GW200129: reanalysis

- Re-analyse the raw strain data with GPBilby
- Perform two analyses:
  - No-CUT: use the full data span
  - CUT: remove all data from 0.5s onwards (i.e. the visual glitch)
- Main takeaway: evidence of precession is robust to glitch treatment and choice of data
- Note: see also (arXiv:2311.09921) on improved non-linear glitch models from auxillary channels



### GW200129: confirmation

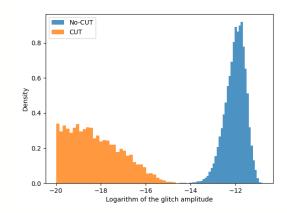




2 - Liter of Strain - 1 - Liter of Strain -

Time - 1264316116.433214 [s]

The CUT analysis finds no glitch power and we do not observe any excess noise model in the inspiral



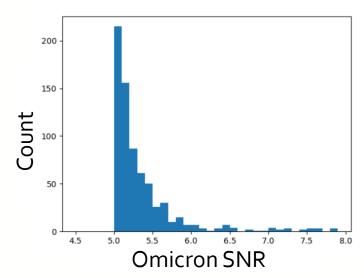
# Challenge: glitches



A-priori probability of contamination ( $\approx 1/15$ ) is mismatched with actual number of glitch-contaminated signals in GWTC-3 ( $\approx 1/5$ )

#### Either:

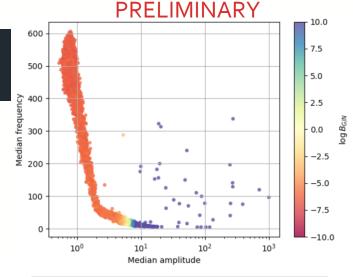
- Glitch-mitigation is overly conservative
- There are many sub-threshold glitches

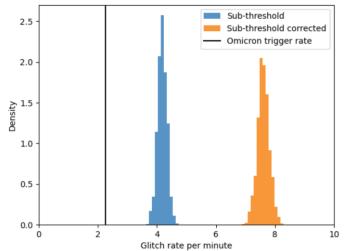


# Challenge: glitches

Apply population-style analysis to observe the "population" of glitches (rate and properties)

- Using the "antiglitch" model (<u>Bondarescu et al.</u> 2023) to capture the salient features of a broad range of glitches
- Analyse 1 day of data so far
- We find that:
  - The rate of sub-threshold glitches can be a factor of 4 larger than the Omicron trigger rate
  - Glitch amplitude scales inversely
  - Frequency has distinct "modes"





### Conclusion on glitches

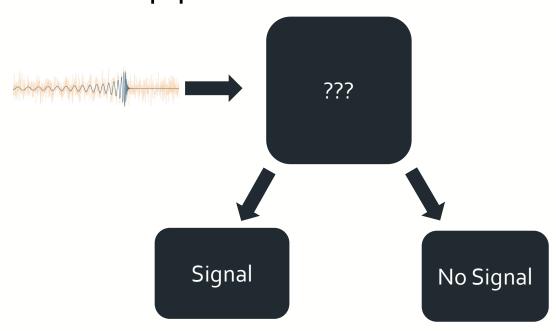


- More needs to be done to:
  - Understand and mitigate glitches
  - Analyse glitch-contaminated signals





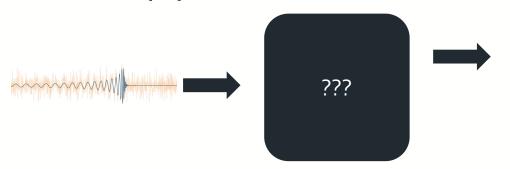
### Search pipelines:





### **Ewing et al (2023)**

### Search pipelines:



Context and decision procedure — needed to interpret the candidate significance

#### Loudest candidate:

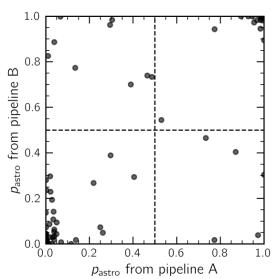
- FAR: 1/10 years
- p<sub>astro</sub>: 90%



#### Search pipelines don't agree:

- Different underlying assumptions
- Different models of the noise
- Intrinsic uncertainty on the significance

Non-experts often **do not** understand the differences between pipelines



Per-Pipeline Event Information						
		<b>♦</b> Pipeline				
G488676	CBC	CWB	BBH	1401177186.465	1.105e-06	
G488669	CBC	MBTA	AllSky	1401177186.456	1.417e-08	
G488673	CBC	gstlal	AllSky	1401177186.463	3.744e-12	

# Using Conformal Prediction to calibrate search pipelines



# Conformal prediction



#### Use Conformal Prediction (CP) to estimate uncertainty for search pipelines

- CP: A technique developed in Machine Learning settings to augment a pointprediction with a prediction interval
- For example, take an image classifier:



# Conformal prediction



#### AIM: Use Conformal Prediction (CP) to estimate uncertainty for search pipelines

 CP: A technique developed in Machine Learning settings to augment a pointprediction with a prediction interval

 $\alpha$  is the user-defined error rate For example, take an image classifier: **Conformal Prediction** Black-box Machine =[Squirrel, tree, fox] Learning classification algorithm is the "prediction set"

### What is a guarantee?



For some test data X, if it is **exchangeable** with the calibration data (of size n):

$$1 - \alpha \le P(\hat{Y} \in \Gamma^{\alpha}) \le 1 - \alpha + \frac{1}{n+1}$$

Where  $\hat{Y}$  is the true label

If n is sufficiently large

$$P(\hat{Y} \in \Gamma^{\alpha}) \sim 1 - \alpha$$

### How does CP work?



- We have images that come from *K* classes
- Determine an acceptable error rate  $\alpha$
- Define a conformity score

$$f(X) \in [0,1]^K$$

- Classification data  $(X_1, Y_1) \dots (X_n, Y_n)$  where X is the data and Y the true class
- Iterate through classification data and calculate scores:

$$s_i = 1 - f(X_i)_{Y_i}$$

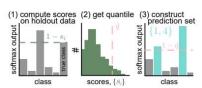
- Define  $\hat{q}$  as (essentially) the  $1-\alpha$  quantile of  $s_i$
- Finally for new data X, construct the prediction set:

$$\Gamma^{\alpha} = \{y : A(X)_y \ge 1 - \hat{q}\}$$









```
# 1: get conformal scores. n = calib_Y.shape[0]
cal_smx = model(calib_X).softmax(dim=1).numpy()
cal_scores = 1-cal_smx[np.arange(n),cal_labels]
# 2: get adjusted quantile
q_level = np.ceil((n+1)*(1-alpha))/n
qhat = np.quantile(cal_scores, q_level, method='higher')
val_smx = model(val_X).softmax(dim=1).numpy()
prediction_sets = val_smx >= (1-qhat) # 3: form prediction sets
```

#### In human terms



Ask the algorithm, "is this a fox squirrel"?

#### Without uncertainty:

A binary answer "yes/no"

#### With uncertainty:

- Yes, that is the only thing it could be!
- Maybe, but it also looks like a gray fox, a bucket, and a rain barrel
- (Not pictured): No, this doesn't look like a fox squirrel at all



fox squirrel



fox gray bucket, rain barrel on the squirrel, fox, bucket, barrel on the squirrel on the squire of t

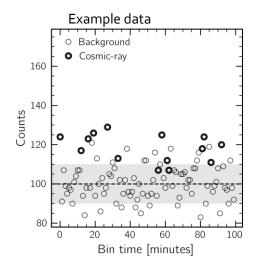


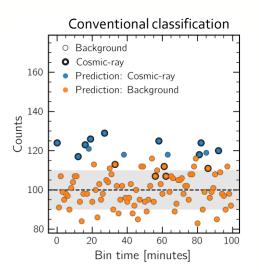
marmot, squirrel, mink, weasel, beaver, polecat 0.30 0.22 0.18 0.16 0.03 0.01

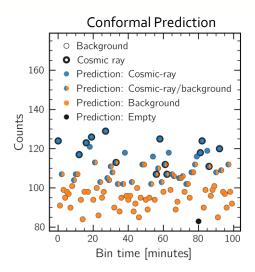
#### Calibrating search algorithms with conformal prediction



- Ashton et al. (2024) consider application of CP to binary search classification
  - Provides uncertainty estimate to single-pipeline predictions
  - Conformal prediction is self-calibrating
  - Can be applied to any classification algorithm with needing to understand internal details
  - Provides a framework to combine multiple pipelines together improving overall sensitivity



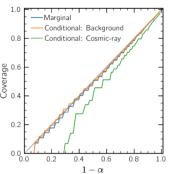


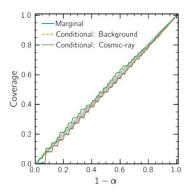


## Checking everything works



- Coverage: the fraction of events for which the true label is in the prediction set
- Validate performance on a test set
- For standard algorithm, conditional labels are not guaranteed
- Need Mondrian Conformal Prediction (increases calibration error due to smaller *n*):





## Application to Gravity Spy



True label ( $\widehat{y}$ )	Gravity Spy prediction	CP prediction set
Blip	Blip	[Blip]
Koi Fish	Koi Fish	[Blip, Koi Fish]
Tomte	Koi Fish	[Blip, Koi Fish, Tomte]

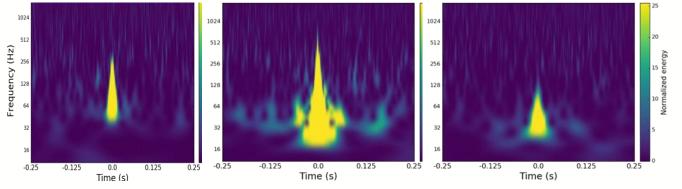


Figure 1: Reference glitch plots, left to right: 'Blip', 'Koi\_Fish', 'Tomte'. From Gravity Spy (Zevin et al, 2017)

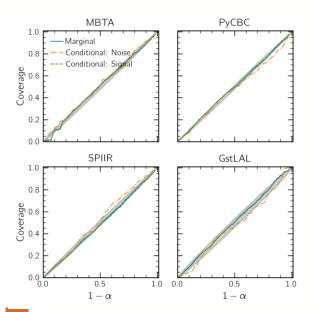


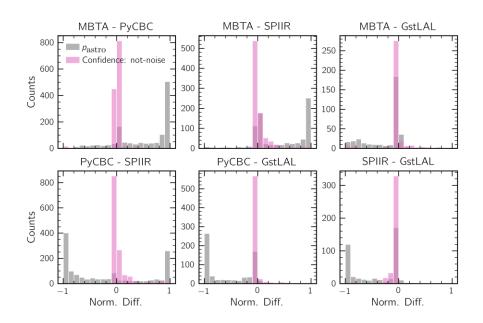


### Application to gravitational-waves: MDC



Using Mock Data Challenge (MDC) data and the FAR as the conformity score  $f(X) \rightarrow f(FAR)$ 





### Application to gravitational-waves: MDC

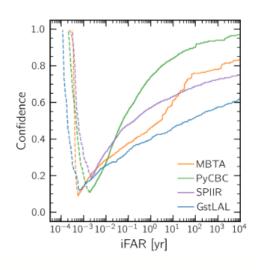


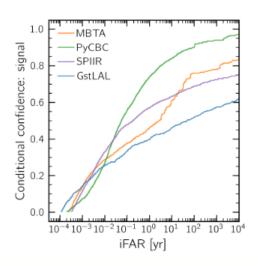
#### The **confidence** is used to assess significance

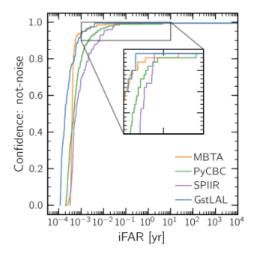
**Definition 1** The confidence is the value of  $\alpha$  such that the size of  $\Gamma^{\alpha}$  changes from 1 to 2 (i.e. the point where we go from the single to the double label).

**Definition 2** The conditional confidence in label y is the minimum value of  $\alpha$  such that  $y \in \Gamma^{\alpha}$ .

**Definition 3** The not-noise confidence is the minimum  $1 - \alpha$  such that the noise label is not included in  $\Gamma^{\alpha}$ .







### Future potential for CP



- Enables automatic-calibration of the FAR
- Can regulate differences between pipelines
- Future potential to combine pipelines

$$f(FAR) \rightarrow f(FAR_A, FAR_B, ...)$$

- Currently we apply a simple combination algorithm
- Enables leveraging pipeline strengths to improve overall performance
- Provides opportunity to model and infer pipeline behaviour

# Thank you for listening!



### Can you include glitches in your population?



- Choose a threshold that includes glitches
- Model the glitches
- Heinzel et al. (2023)

Likelihood for standard hierarchical population inference  $\frac{N_{\text{events}}}{\int d\theta \mathcal{L}(d_i|\theta) p_A(\theta|\Lambda)}$ 

$$\mathcal{L}(\{d_i\}|\Lambda) \propto \prod_{i=1}^{N_{\text{events}}} \frac{\int d\theta \mathcal{L}(d_i|\theta) p_A(\theta|\Lambda)}{\alpha(\Lambda)}$$

Likelihood for glitch-robust hierarchical population inference

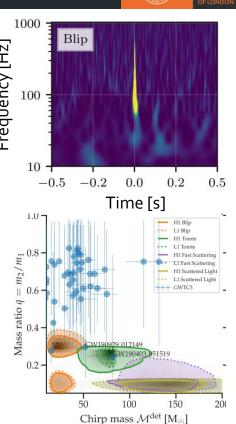
$$\prod_{i=1}^{N_{\text{events}}} \frac{\eta \int d\theta \mathcal{L}(d_i|\theta) p_A(\theta|\Lambda_A) + (1-\eta) \int d\psi \mathcal{L}(d_i|\psi) p_G(\psi|\Lambda_G)}{\eta \alpha_A(\Lambda_A) + (1-\eta) \alpha_G(\Lambda_G)},$$

(0)

### Developing a glitch model



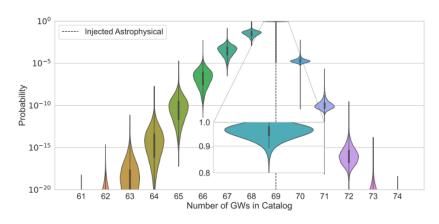
- Initial study uses the blip population from Ashton et al. (2022) 전 Characterized four glitch classes by their astrophysical population imprint
- Blip glitches:
  - Chirp mass of ~ 25
  - Bimodal mass ratio's,  $q \sim 0.1$  and 0.3

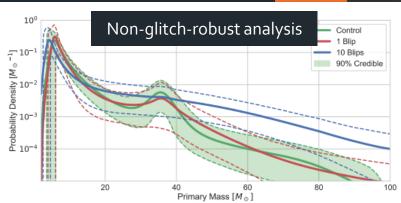


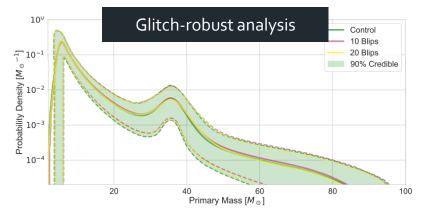
## Glitch-robust population modelling



- Verify performance by contaminating the GWTC-3 catalogue with known blip glitches
- Can extract population properties, e.g. the number of GWs in the catalogue.
- Robust inference even when contaminated







## Glitch-robust population modelling



- Still in development:
  - More complete glitch population models needed
  - Improved glitch modelling (i.e., using physical glitch models)
- Will enable population studies to dig down into the noise and extract features
- Quietest signals are at the largest redshift