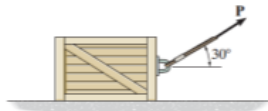


Assignment 2

Assignment #2 - VGP248

1. If the 50-kg crate starts from rest and achieves a velocity of $v = 4 \text{ m/s}$ when it travels a distance of 5 m to the right, determine the magnitude of force P acting on the crate. The coefficient of kinetic friction between the crate and the ground is $\mu_k = 0.3$.



2. The coefficient of static friction between the 200-kg crate and the flat bed of the truck is $\mu_s = 0.3$. Determine the shortest time for the truck to reach a speed of 60 km/h, starting from rest with constant acceleration, so that the crate does not slip.



Prob. 13-35

3. The 400-lb cylinder at A is hoisted using the motor and the pulley system shown. If the speed of point B on the cable is increased at a constant rate from zero to $v_B = 10 \text{ ft/s}$ in $t = 5 \text{ s}$, determine the tension in the cable at B to cause the motion.



Prob. 13-40

1. Given:

- $m = 50 \text{ kg}$
- $v = 4.0 \text{ m/s}$
- $s = 5.0 \text{ m}$
- $\mu_k = 0.3$
- angle $\theta = 30^\circ$
- $g = 9.8 \text{ m/s}^2$

Step 1: Divide by s and solve for P

$$P(\cos\theta + \mu_k \sin\theta) = \frac{\frac{1}{2}mv^2}{s} + \mu_k mg$$

$$P = \frac{\frac{1}{2}mv^2/s + \mu_k mg}{\cos\theta + \mu_k \sin\theta}$$

Step 2: Plugging given values

$$P \approx \frac{(0.5)(50)(4^2)/5 + 0.3(50)(9.8)}{\cos 30^\circ + 0.3 \sin 30^\circ} \approx 223.4 \text{ N}$$

Final Answer:

The pulling force is approximately $P \approx 2.23 \times 10^2 \text{ N}$ (about 223 N.)

2. Given:

- Mass of crate $m = 200 \text{ kg}$
- Coefficient of static friction $\mu_s = 0.3$
- Target speed $v = 60 \text{ km/h} = 60 \times \frac{1000}{3600} = 16.67 \text{ m/s}$
- Starts from rest $u = 0$
- Aim, crate does not slip

Step 1: Find maximum possible acceleration (before crate slip)

static friction formula: $f_s = ma$, maximum static friction: $f_{s,\max} = \mu_s mg$

at the limit: $ma_{\max} = \mu_s mg \rightarrow a_{\max} = \mu_s g \rightarrow a_{\max} = 0.3 \cdot 9.8 = 2.94 \text{ m/s}^2$

Step 2: Use kinematics to find the shortest time to reach $v = 16.67 \text{ m/s}$

$$v = u + at \rightarrow t = \frac{v - u}{a_{\max}} = \frac{16.67 - 0}{2.94} = 5.67 \text{ s}$$

Final Answer:

Maximum acceleration: $a_{\max} = 2.94 \text{ m/s}^2$

Shortest time: $t_{\min} = 5.67 \text{ s}$

The truck must accelerate no faster than 2.94 m/s^2 , and it will take about 5.7 seconds to reach 60 km/h without the crate falling

3. Assuming the rope is massless and the pulleys are frictionless

Step 1: Kinematics (length constraint)

$$v_A = \frac{1}{2}v_B \rightarrow a_A = \frac{1}{2}a_B$$

Given v_B goes from 0 to 10 ft/s in $t = 5 \text{ s}$

$$a_B = \frac{10 - 0}{5} = 2.0 \text{ ft/s}^2, \quad a_A = \frac{1}{2}(2.0) = 1.0 \text{ ft/s}^2$$

Step 2: Dynamics (Newton's 2nd law)

- Let T = tension in the cable (same everywhere)
- The movable pulley (and cylinder) is supported by two upward tensions = $2T$
- Downward weight $W = 400 \text{ lb}$.
- Using $m = W/g$, with $g = 32.2 \text{ ft/s}^2$

$$2T - W = ma_A = \frac{W}{g}a_A$$

$$\text{Solve for } T \rightarrow T = \frac{1}{2}(W + \frac{W}{g}a_A) = \frac{W}{2}(1 + \frac{a_A}{g})$$

$$m = \frac{400}{32.2} = 12.422 \text{ slugs} \rightarrow T = \frac{1}{2}(400 + 12.422(1.0)) = \frac{412.422}{2} \approx 206.21 \text{ lb}$$

Final Answer: The tension in the cable at B is approximately 206.2 lb.

finished on
Oct 22, 2025

[Signature]