- I. Pre-class material Either read the indicated textbook sections OR watch the indicated video.
  - (a) **Sections to Read** (All content from Blitzstein and Hwang's *Introduction to Probability* unless otherwise noted). A digital copy of the textbook is available for free via the authors' website.
    - Sections 5.4, 5.9
  - (b) Videos to Watch (All videos from Blitzstein's Math 110 YouTube channel, unless otherwise noted)
    - Lecture 13: Normal Distribution (from 23:00 to end)
    - Lecture 14: Location, Scale, and LOTUS (from beginning to 23:00)
    - Read Section 5.9 (there is no discussion of R in the video)
- II. **Objectives** (By the end of the day's class, students should be able to do the following:)
  - Give the PDF, CDF and a story description for a Normal distribution.
  - Show that the PDF for a standard Normal random variable is valid, and compute the mean and variance for the standard Normal.
  - Express the CDF and PDF for a general Normal random variable in terms of the CDF and PDF for the standard Normal random variable.
  - Use the 68 95 99.7 rule to approximate probabilities of Normally distributed random variables.
- III. Reflection Questions (Submit answers on Gradescope https://www.gradescope.com/courses/425901)
  - 1) True or False: The function  $\varphi(t) = \frac{1}{\sqrt{2\pi}} e^{-t^2/2}$  does not have an antiderivative.
  - 2) Suppose  $Z \sim N(0,1)$  and  $X \sim N(2,25)$ . Recall that  $X \sim N(a,b)$  means that X has mean a and variance b
    - i. Use the 68-95-99.7 rule to estimate the value of P(Z > 2) and P(X > 12).
    - ii. Use R to find accurate decimal approximations of P(Z > 2) and P(X > 12).
  - 3) For  $Z \sim N(\mu, \sigma^2)$ , what is the **median** of Z (i.e. the value M so that  $P(X < M) = \frac{1}{2}$ )?
- IV. **Additional Feedback** Are there any topics you would like further clarification about? Do you have any additional questions based on the readings / videos? If not, you may leave this section blank.