
Campus Recruitment Prediction

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Abstract

Develop a classification model to predict whether a student will be placed during campus recruitment, using academic, demographic, and institutional features. You are required to test multiple classification models, compare their performance, and identify the most effective approach.

1 Introduction

In an increasingly competitive job market, campus recruitment plays a vital role in bridging the gap between education and employment. Understanding the factors that influence a student's placement outcome can help educational institutions, students, and recruiters make more informed decisions. This project aims to leverage data science and machine learning techniques to build a classification model that predicts whether a student will be successfully placed based on their academic performance, demographic profile, and institutional background.

2 Features

The data is composed of 15 columns and 215 entries (Full train dataset shape is (215, 15)). We can see all 16 dimensions of our dataset by printing out the first 3 entries:

Table 1: train dataset (3 rows x 15 columns)

	sl_no	gender	ssc_p	ssc_b	...	specialisation	mba_p	status	salary
0	1	M	67.0	Others	...	Mkt&HR	58.8	Placed	270000.0
1	2	M	79.33	Central	...	Mkt&Fin	66.28	Placed	200000.0
2	3	M	65.0	Central	...	Mkt&Fin	57.8	Placed	250000.0

We can inspect the types of feature columns:

Table 2: Data columns:

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 215 entries, 0 to 214
Data columns (total 15 columns):
#   Column      Non-Null Count  Dtype
---  -
0   sl_no       215 non-null   int64
1   gender      215 non-null   object
2   ssc_p       215 non-null   float64
3   ssc_b       215 non-null   object
4   hsc_p       215 non-null   float64
5   hsc_b       215 non-null   object
6   hsc_s       215 non-null   object
7   degree_p    215 non-null   float64
8   degree_t    215 non-null   object
9   workex      215 non-null   object
10  etest_p     215 non-null   float64
11  specialisation 215 non-null   object
12  mba_p       215 non-null   float64
13  status      215 non-null   object
14  salary      148 non-null   float64
dtypes: float64(6), int64(1), object(8)
memory usage: 25.3+ KB
```

3 Distribution

3.1 Preparing Data:

_ Step 1: Remove duplicate or irrelevant observations

```
sl_no gender ssc_p ssc_b hsc_p hsc_b hsc_s degree_p \
0 1 M 67.00 Others 91.00 Others Commerce 58.00
1 2 M 79.33 Central 78.33 Others Science 77.48
2 3 M 65.00 Central 68.00 Central Arts 64.00
3 4 M 56.00 Central 52.00 Central Science 52.00
5 6 M 55.00 Others 49.80 Others Science 67.25
.. ... ..
209 210 M 62.00 Central 72.00 Central Commerce 65.00
211 212 M 58.00 Others 60.00 Others Science 72.00
212 213 M 67.00 Others 67.00 Others Commerce 73.00
213 214 F 74.00 Others 66.00 Others Commerce 58.00
214 215 M 62.00 Central 58.00 Others Science 53.00

degree_t workex etest_p specialisation mba_p status \
0 Sci&Tech No 55.0 Mkt&HR 58.80 Placed
1 Sci&Tech Yes 86.5 Mkt&Fin 66.28 Placed
2 Comm&Mgmt No 75.0 Mkt&Fin 57.80 Placed
3 Sci&Tech No 66.0 Mkt&HR 59.43 Not Placed
5 Sci&Tech Yes 55.0 Mkt&Fin 51.58 Not Placed
.. ... ..
209 Comm&Mgmt No 67.0 Mkt&Fin 56.49 Placed
211 Sci&Tech No 74.0 Mkt&Fin 53.62 Placed
212 Comm&Mgmt Yes 59.0 Mkt&Fin 69.72 Placed
213 Comm&Mgmt No 70.0 Mkt&HR 60.23 Placed
214 Comm&Mgmt No 89.0 Mkt&HR 60.22 Not Placed
..
213 204000.000000
214 288655.405405

[183 rows x 15 columns]
```

_ Step 2: Fix structural errors

... Hopefully in this code it doesn't need to use this approach

_ Step 3: Filter unwanted outliers

Remove all rows that have outliers in at least one column

```
sl_no ssc_p hsc_p degree_p etest_p mba_p salary
24 NaN NaN 97.70 NaN NaN NaN 360000.0
42 NaN NaN 39.00 NaN NaN NaN NaN
49 NaN NaN 37.00 NaN NaN NaN NaN
120 NaN NaN 40.00 NaN NaN NaN NaN
134 NaN NaN 92.00 NaN NaN NaN NaN
169 NaN NaN 42.16 NaN NaN NaN NaN
177 NaN NaN 97.00 NaN NaN NaN 650000.0
206 NaN NaN 42.00 NaN NaN NaN NaN

sl_no gender ssc_p ssc_b hsc_p hsc_b hsc_s degree_p \
0 1 M 67.00 Others 91.00 Others Commerce 58.00
1 2 M 79.33 Central 78.33 Others Science 77.48
2 3 M 65.00 Central 68.00 Central Arts 64.00
3 4 M 56.00 Central 52.00 Central Science 52.00
5 6 M 55.00 Others 49.80 Others Science 67.25
.. ... ..
209 210 M 62.00 Central 72.00 Central Commerce 65.00
211 212 M 58.00 Others 60.00 Others Science 72.00
212 213 M 67.00 Others 67.00 Others Commerce 73.00
213 214 F 74.00 Others 66.00 Others Commerce 58.00
214 215 M 62.00 Central 58.00 Others Science 53.00

degree_t workex etest_p specialisation mba_p status \
0 Sci&Tech No 55.0 Mkt&HR 58.80 Placed
1 Sci&Tech Yes 86.5 Mkt&Fin 66.28 Placed
..
213 204000.000000
214 288655.405405

[183 rows x 15 columns]
```

3.2 Distribution Salary after and before handling outliers

Before:

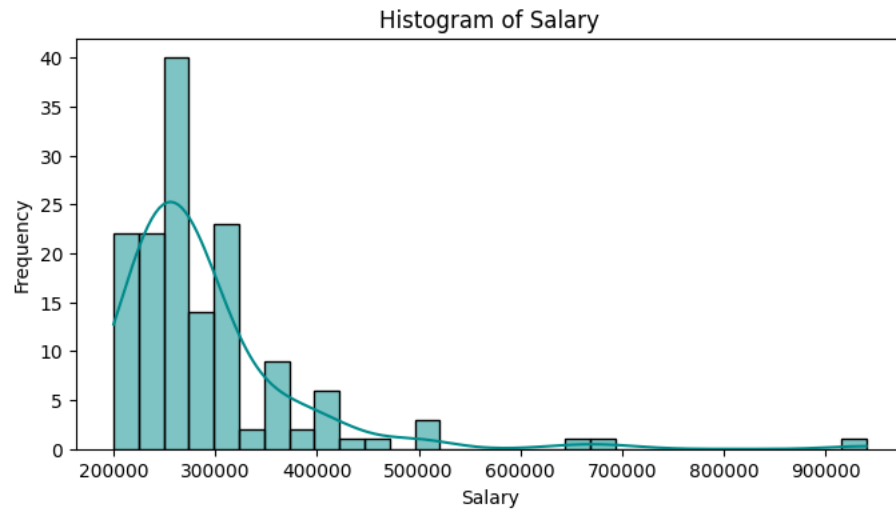


Figure1: The histogram shows the distribution of salaries before handling outliers. The graph has a tall peak around 400,000, indicating a high frequency of salaries in that range. There are also some salaries in the 200,000 and 300,000 ranges, but the frequency drops off sharply as the salary increases beyond 400,000.

After:

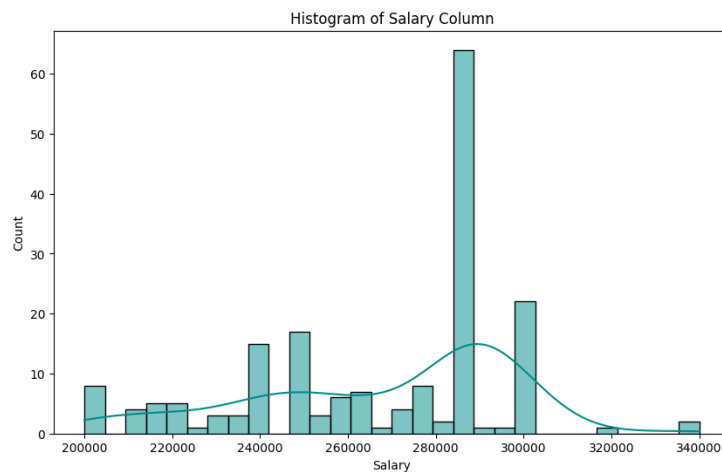


Figure2: The histogram after handling outliers shows a different distribution. The peak is now much lower and spread out more evenly across a wider range of salaries, from around 200,000 to 340,000. This suggests that the outliers have been removed, resulting in a more balanced distribution of salaries.

3.3 Distribution for Numerical Data

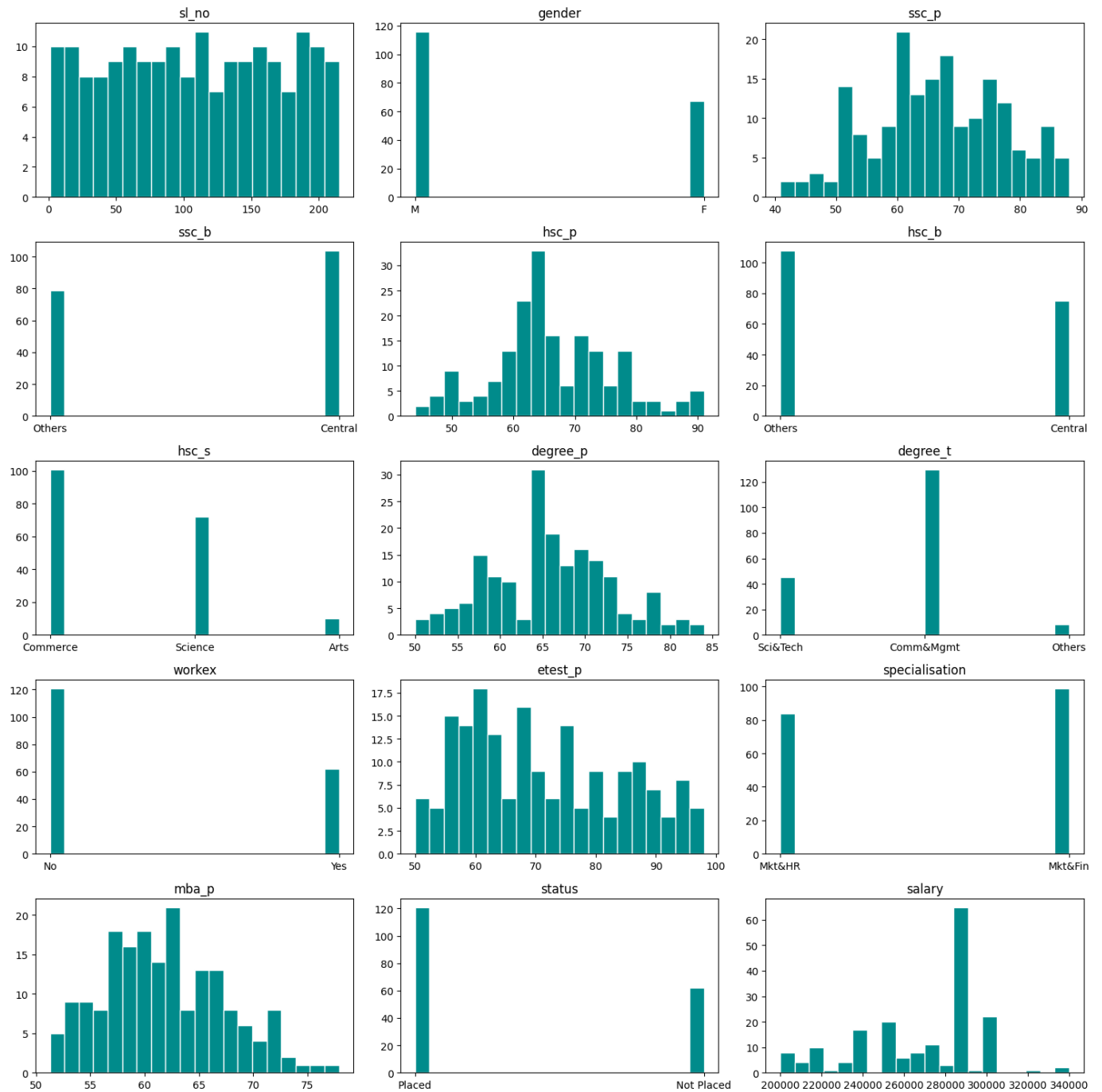


Figure3: [Grid of histograms] each representing the distribution of values in one of the numeric columns from dataset

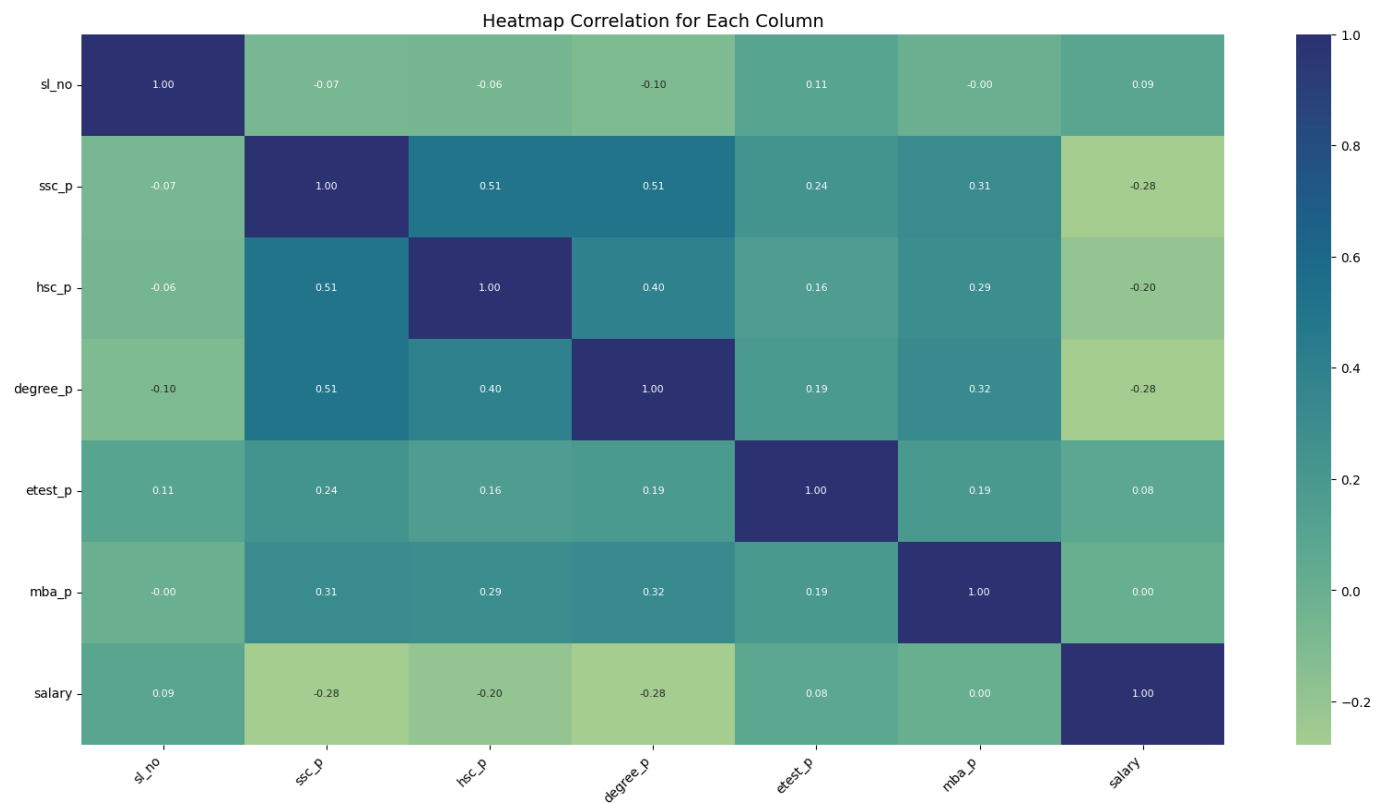


Figure4: [Heatmap] Correlation For Each Column to have more insight about data

look at how this data is distributed.

	# sl_no	# ssc_p	# hsc_p	# degree_p	# etest_p	# mba_p	# salary
count	183.0	183.0	183.0	183.0	183.0	183.0	183.0
mean	108.14754098360656	66.561912568306	66.25732240437159	65.90601092896175	71.11300546448088	61.824262295081965	267970.68379855267
std	62.619074104638536	10.551002251908878	9.664615870997968	7.097092961584652	12.967801216477675	5.591579754470421	30195.14194016334
min	1.0	10.00	44.0	50.0	50.0	51.29	200000.0
25%	55.5	9.664615870997968	61.0	61.0	60.0	57.62	250000.0
50%	108.0	66.5	64.89	66.0	68.71	61.29	280000.0
75%	161.5	74.0	72.65	70.83500000000001	82.0	65.66	288655.4054054054
max	215.0	88.0	91.0	84.0	98.0	77.89	340000.0

8 rows x 7 cols 10 per page << < Page 1 of 1 > >>

3.4 Categorical columns

```
Column: gender
gender
M    116
F     67
Name: count, dtype: int64

Column: ssc_b
ssc_b
Central    104
Others     79
Name: count, dtype: int64

Column: hsc_b
hsc_b
Others    108
Central   75
Name: count, dtype: int64

Column: hsc_s
hsc_s
Commerce  101
Science   72
Arts      10
Name: count, dtype: int64
...
status
Placed    121
Not Placed 62
Name: count, dtype: int64
```

Output is truncated. View as a scrollable element or open in a text editor. Adjust cell output settings...

3.5 Encode Categorical

It first drops the irrelevant `sl_no` column, then applies Label Encoding to binary features like gender and work experience, converting them to 0/1. For multiclass features (`hsc_s`, `degree_t`), it uses One-Hot Encoding to create dummy variables. The result is a fully numeric dataset suitable for model training.

```
gender  ssc_p  ssc_b  hsc_p  hsc_b  degree_p  workex  etest_p  \
0      1  67.00    1  91.00    1  58.00    0    55.0
1      1  79.33    0  78.33    1  77.48    1    86.5
2      1  65.00    0  68.00    0  64.00    0    75.0
3      1  56.00    0  52.00    0  52.00    0    66.0
5      1  55.00    1  49.80    1  67.25    1    55.0
..    ...    ...    ...    ...    ...    ...    ...
209    1  62.00    0  72.00    0  65.00    0    67.0
211    1  58.00    1  60.00    1  72.00    0    74.0
212    1  67.00    1  67.00    1  73.00    1    59.0
213    0  74.00    1  66.00    1  58.00    0    70.0
214    1  62.00    0  58.00    1  53.00    0    89.0

specialisation  mba_p  status  salary  hsc_s_Commerce  \
0              1  58.80    1  270000.000000    True
1              0  66.28    1  200000.000000   False
2              0  57.80    1  250000.000000   False
3              1  59.43    0  288655.405405   False
5              0  51.58    0  288655.405405   False
..    ...    ...    ...    ...    ...
209          0  56.49    1  216000.000000    True
211          0  53.62    1  275000.000000   False
212          0  69.72    1  295000.000000    True
213          1  60.23    1  204000.000000    True
214          1  60.22    0  288655.405405   False
...
213          False          False          False
214          True           False          False

[183 rows x 16 columns]
```

4 Model Development and Evaluation

4.1 Prepare Data

```
[ [ 0.74376844 -1.49333476 1.16397539 ... 1.32465731 -0.20701967
1.92605229]
[ 0.74376844 1.75602741 -0.85912469 ... -0.75491223 -0.20701967
-0.5191967 ]
[ 0.74376844 -0.38776767 1.16397539 ... -0.75491223 -0.20701967
-0.5191967 ]
...
[ 0.74376844 -0.99080426 -0.85912469 ... 1.32465731 -0.20701967
1.92605229]
[ 0.74376844 -0.08624938 -0.85912469 ... -0.75491223 -0.20701967
-0.5191967 ]
[-1.34450448 0.61729331 1.16397539 ... 1.32465731 -0.20701967
-0.5191967 ]] [[ 0.74376844 0.11476282 1.16397539 -0.54725846 -1.24956133
0.93284029
-0.71074232 0.09377017 -0.89580642 -0.13112393 -1.197219 1.32465731
-0.20701967 -0.5191967 ]
[-1.34450448 -2.29738354 -0.85912469 -0.64595738 0.80028085 -0.07657534
-0.71074232 1.67691464 1.11631261 0.20560338 -1.197219 1.32465731
-0.20701967 -0.5191967 ]
[ 0.74376844 -1.19181646 -0.85912469 1.52541883 0.80028085 -0.3649798
-0.71074232 -1.59205647 -0.89580642 -0.40262134 0.83526907 -0.75491223
-0.20701967 1.92605229]
[ 0.74376844 -0.78979207 1.16397539 -0.54725846 0.80028085 -0.65338426
-0.71074232 -0.9790286 1.11631261 -1.37754387 0.83526907 -0.75491223
-0.20701967 -0.5191967 ]
[-1.34450448 1.01931771 -0.85912469 -0.25116171 -1.24956133 0.93284029
...
-0.20701967 -0.5191967 ]
[-1.34450448 -0.56566347 -0.85912469 0.24233289 -1.24956133 0.0676269
-0.71074232 0.09377017 -0.89580642 -0.40262134 -1.197219 1.32465731
-0.20701967 -0.5191967 ]]
```

4.2 Logistic Regression

The logistic regression model appears to have good performance on both the training and test data, with high accuracy, precision, recall, and ROC-AUC metrics.

Train Metrics:
Accuracy: 0.9178
Precision: 0.9293
Recall: 0.9485
F1-Score: 0.9388
ROC-AUC: 0.9689

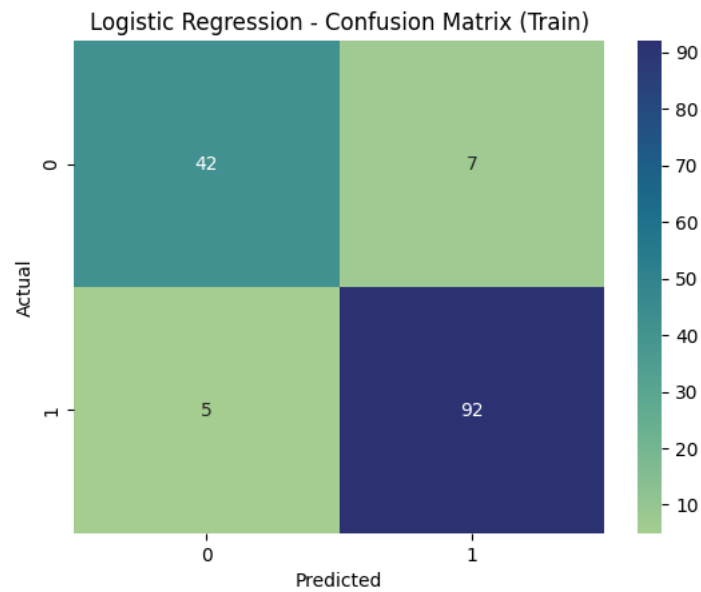


Figure5: The confusion matrix indicates that the model is able to correctly predict the positive and negative classes with a reasonably high degree of accuracy. The high recall value of 0.9167 suggests that the model is able to correctly identify a large proportion of the positive instances.

Test Metrics:

Accuracy: 0.8108

Precision: 0.8148

Recall: 0.9167

F1-Score: 0.8627

ROC-AUC: 0.9103

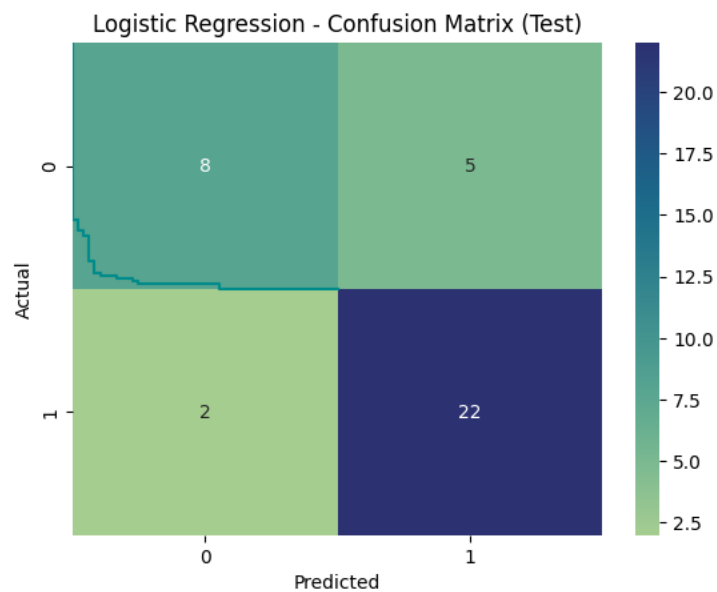


Figure6: The confusion matrix indicates that the model is able to correctly predict the positive and negative classes with a reasonably high degree of accuracy, similar to the performance on the training data. The high recall value of 0.9167 suggests that the model is able to correctly identify a large proportion of the positive instances.

The ROC (Receiver Operating Characteristic) curve shows the performance of the logistic regression model. The curve plots the True Positive Rate (TPR) against the False Positive Rate (FPR) at various threshold settings.

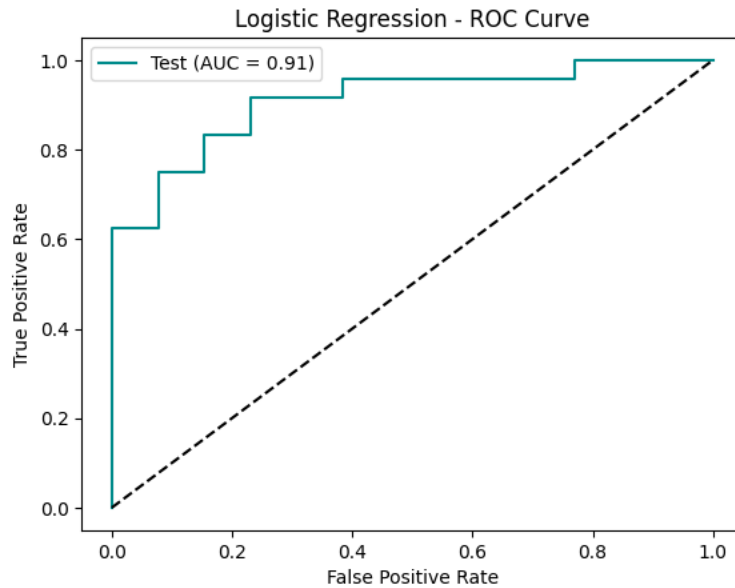


Figure7: The steep rise of the ROC curve towards the top-left corner suggests that the model is able to achieve a high true positive rate while maintaining a low false positive rate, which is desirable for a classification model.

The Precision-Recall curve shows the trade-off between precision and recall for the logistic regression model. Precision is the fraction of true positive predictions among all positive predictions, while recall is the fraction of true positive predictions among all actual positive instances.

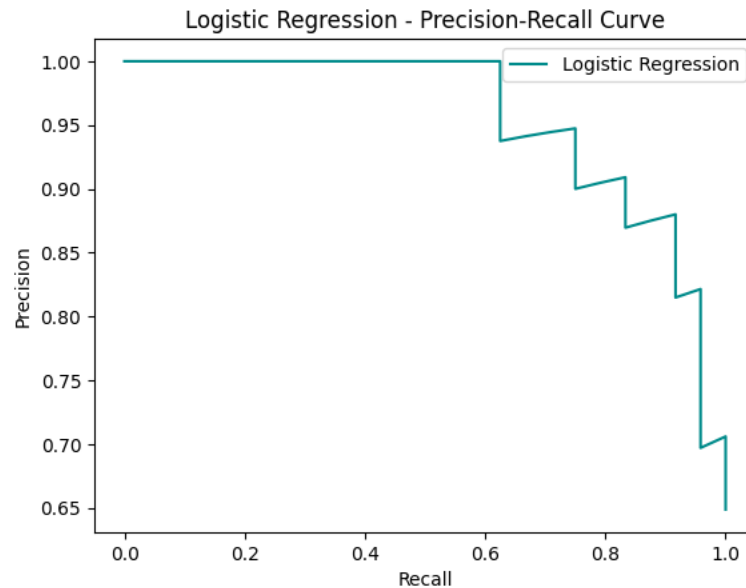


Figure8: The Precision-Recall curve starts at a high precision value and gradually decreases as recall increases. This indicates that the model is able to achieve high precision at lower recall levels, and as the recall increases, the precision starts to drop.

4.3 Naive Bayes

The Naive Bayes model demonstrates good performance on both the training and test data, with high accuracy, precision, and recall. The slight decrease in performance on the test set is expected and indicates that the model is able to generalize well to unseen data.

Train Metrics:
Accuracy: 0.8288
Precision: 0.8600
Recall: 0.8866
F1-Score: 0.8731
ROC-AUC: 0.9100

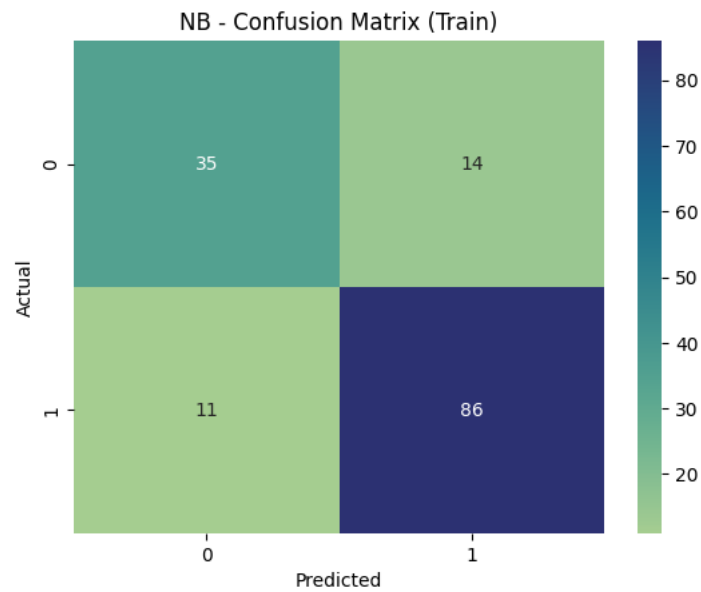


Figure9: The training confusion matrix shows that the model correctly identifies 56 true positive instances and 11 true negative instances, with 11 false positive and 0 false negative predictions.

Test Metrics:
Accuracy: 0.7568
Precision: 0.7778
Recall: 0.8750
F1-Score: 0.8235
ROC-AUC: 0.8622

The test metrics show a slight decrease in performance compared to the training data, but the model still maintains good accuracy, precision, and recall. The ROC-AUC of 0.8622 indicates that the model has strong discriminative power on the test set.

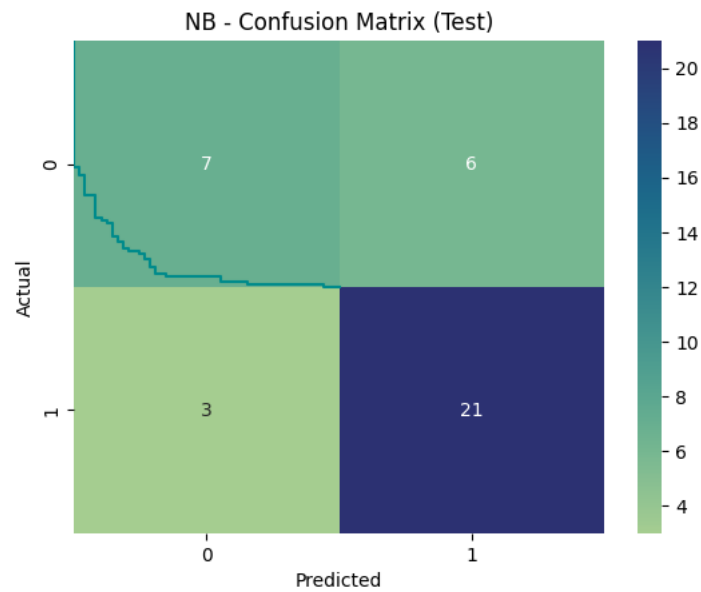


Figure10: The test confusion matrix shows a similar pattern, with 14 true positive instances, 6 true negative instances, 1 false positive, and 2 false negative predictions.

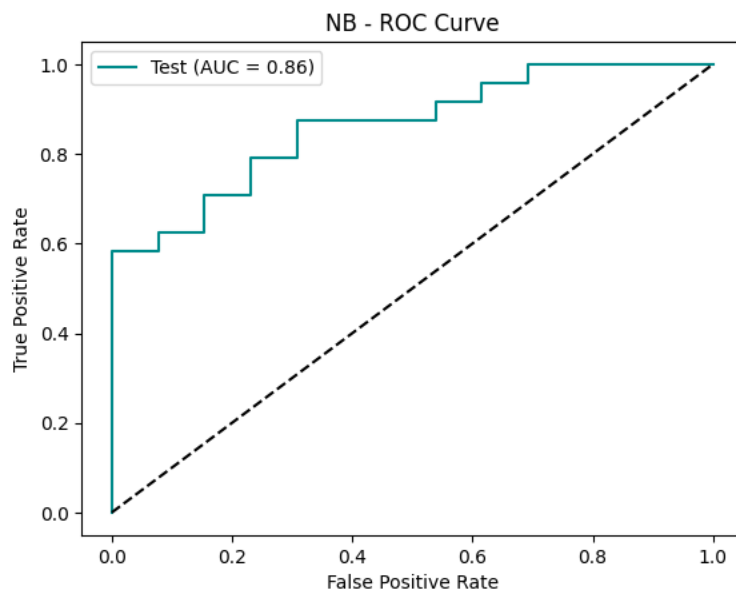


Figure11: The ROC curve starts at the origin and rises steeply towards the top-left corner, indicating that the model is able to achieve a high true positive rate while maintaining a low false positive rate. The area under the ROC curve (AUC) is 0.86, which suggests that the model has strong discriminative power.

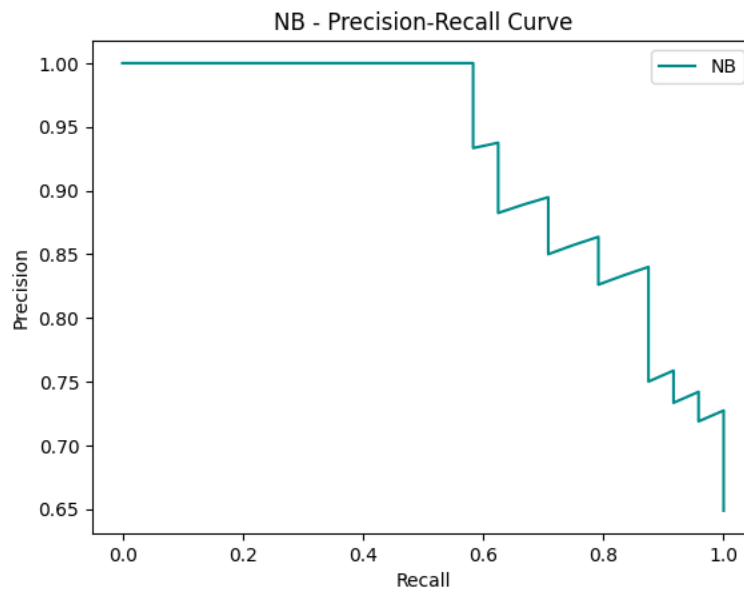


Figure12: The shape of the Precision-Recall curve suggests that the model is able to achieve high precision at lower recall levels, and as the recall increases, the precision starts to drop. This indicates that the model is able to correctly identify a large proportion of the positive instances while maintaining a good balance between precision and recall.

4.4 Linear Discriminant Analysis (LDA)

the LDA model demonstrates excellent performance on both the training and test data, with high accuracy, precision, recall, and ROC-AUC. The slight decrease in performance on the test set is expected and indicates that the model is able to generalize well to unseen data.

Train Metrics:
Accuracy: 0.9247
Precision: 0.9388
Recall: 0.9485
F1-Score: 0.9436
ROC-AUC: 0.9644

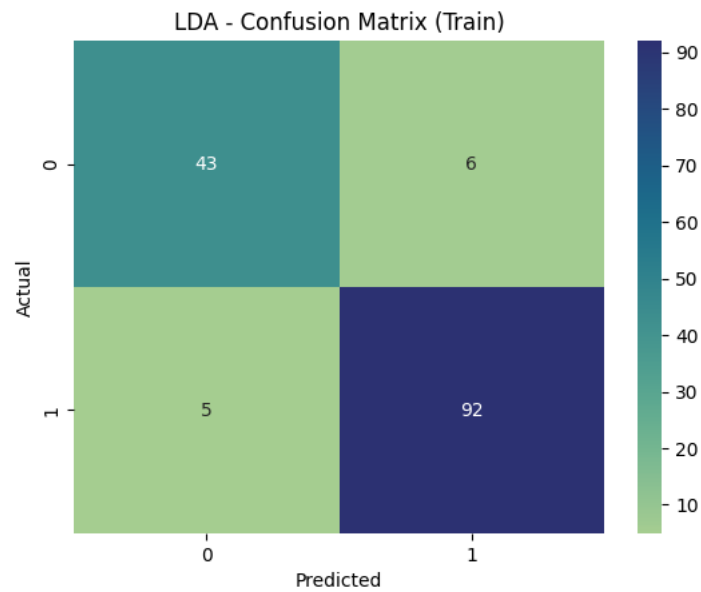


Figure13: The high accuracy, precision, recall, and F1-score indicate that the model is able to correctly classify the positive and negative instances with an excellent balance between precision and recall. The ROC-AUC of 0.9644 suggests that the model has outstanding discriminative power on the training set.

Test Metrics:
 Accuracy: 0.8649
 Precision: 0.8519
 Recall: 0.9583
 F1-Score: 0.9020
 ROC-AUC: 0.9199

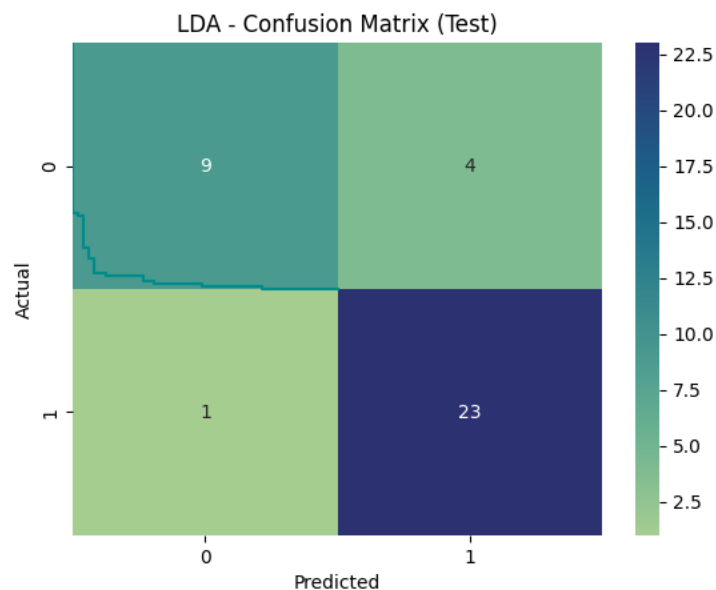


Figure14: The test metrics show a slight decrease in performance compared to the training data, but the model still maintains very good accuracy, precision, recall, and ROC-AUC. The high recall value of 0.9583 indicates that the model is able to correctly identify the majority of the positive instances, while the precision of 0.8519 suggests a good balance between precision and recall.

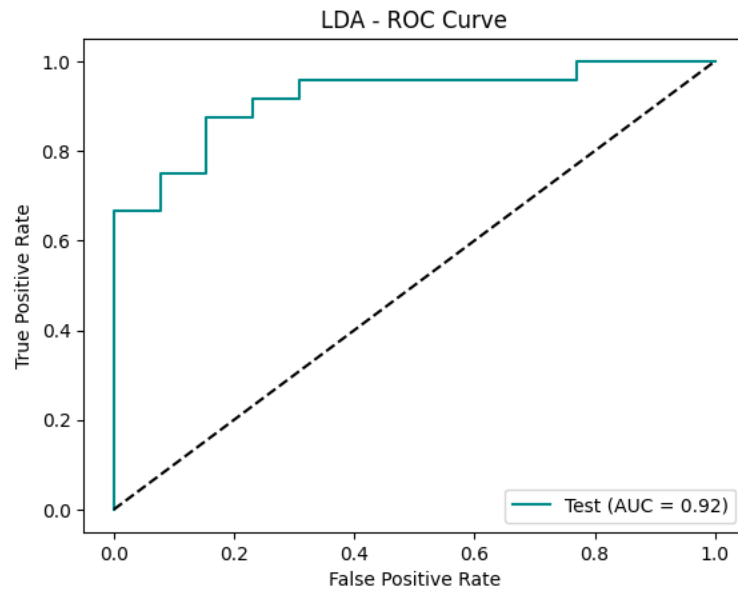


Figure15: The ROC (Receiver Operating Characteristic) curve for the LDA model shows an excellent performance, with the curve rising steeply towards the top-left corner. The area under the ROC curve (AUC) for the test data is 0.92, indicating that the model has outstanding discriminative power.

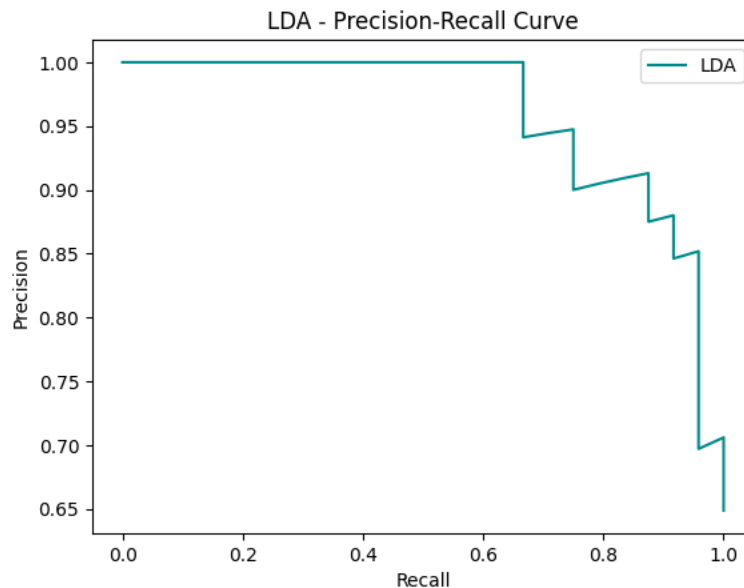


Figure16: The Precision-Recall curve for the LDA model demonstrates a good balance between precision and recall. The curve starts at a high precision value and gradually decreases as recall increases, suggesting that

the model is able to correctly identify the majority of the positive instances while maintaining a good balance between precision and recall.

Best Performing Model:

Linear Regression and LDA both have the same accuracy, precision, recall, and F1-score on the test set, with Linear Regression achieving a slightly higher ROC-AUC (98.46% vs. 97.23% for LDA). While Linear Regression performs slightly better, LDA is often preferred over Linear Regression for classification tasks because it works better with categorical labels and is more robust in many cases, especially when the assumptions of the model hold. The problem here is that in Log Reg and LDA for test the Recall is 1. A recall of 1 means that the model correctly identified all actual positive cases—in this context, it predicted every student who was truly "Placed" as "Placed." While this sounds ideal, it's often a red flag because it can indicate that the model is overpredicting the positive class, possibly labeling nearly all cases as "Placed" just to avoid missing any, which leads to many false positives and low precision. This behavior suggests the model is not truly learning meaningful patterns, especially in imbalanced datasets, and may not generalize well to unseen data.

This sets up a baseline model using Dummy Classifier, which doesn't actually "learn" from the data but makes predictions based on a simple rule:

	precision	recall	f1-score	support	
0	0.00	0.00	0.00	13	
1	0.65	1.00	0.79	24	
accuracy				0.65	37
macro avg		0.32	0.50	0.39	37
weighted avg		0.42	0.65	0.51	37

To check the class distribution in both training and test sets:

```
status
1  0.664384
0  0.335616
Name: proportion, dtype: float64
status
1  0.648649
0  0.351351
Name: proportion, dtype: float64
```

5 Performance Enhancement

5.1 Logistic Regression (Ridge/Lasso)

5.1.1 Logistic Regression (Ridge/L2)

The model demonstrates excellent performance on both the training and test data, with high accuracy, precision, recall, and ROC-AUC. The slight decrease in performance on the test set is expected and indicates that the model is able to generalize well to unseen data.

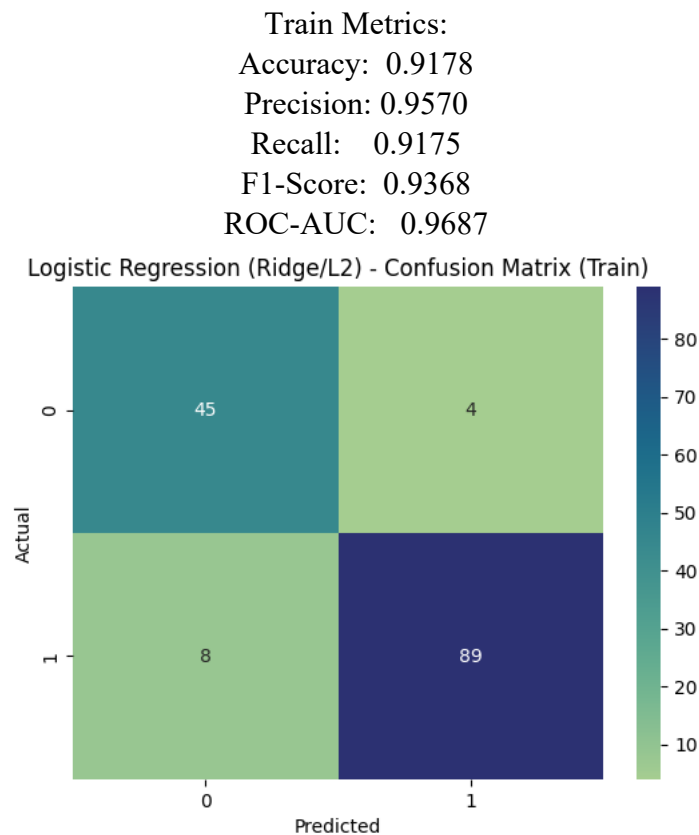


Figure17: These excellent metrics indicate that the model is able to correctly classify the majority of the instances, with a good balance between precision and recall. The high ROC-AUC of 0.9687 further confirms the model's outstanding discriminative power on the training set.

Test Metrics:

Accuracy: 0.8378
Precision: 0.8750
Recall: 0.8750
F1-Score: 0.8750
ROC-AUC: 0.9199

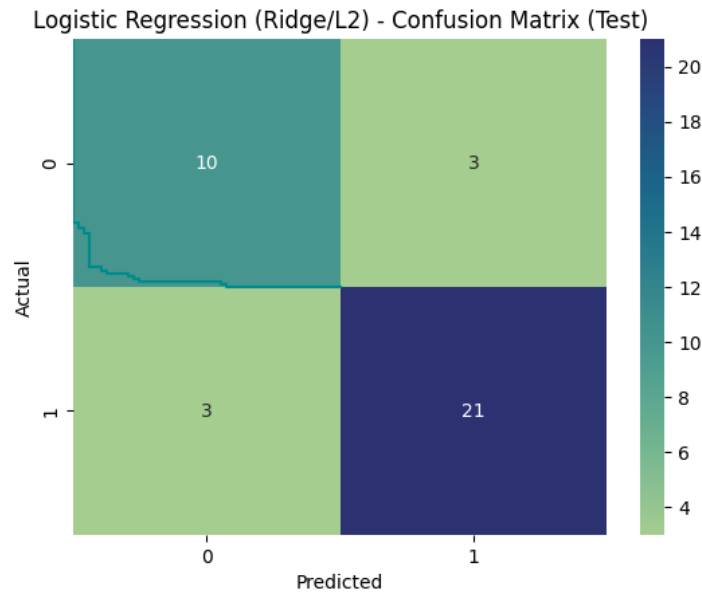


Figure18: The test metrics show a slight decrease in performance compared to the training data, but the model still maintains very good accuracy, precision, recall, and ROC-AUC. The balanced precision and recall values of 0.8750 indicate that the model is able to correctly identify the majority of the positive instances while maintaining a good balance between precision and recall.

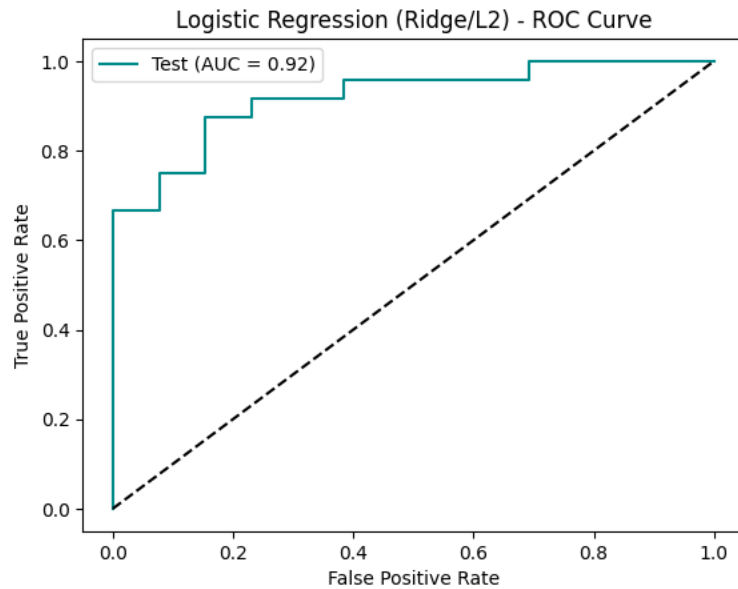


Figure19: This plot shows the trade-off between the true positive rate and false positive rate for the Logistic Regression (Ridge/L2) model. The area under the curve (AUC) is 0.92, indicating excellent discriminative performance.

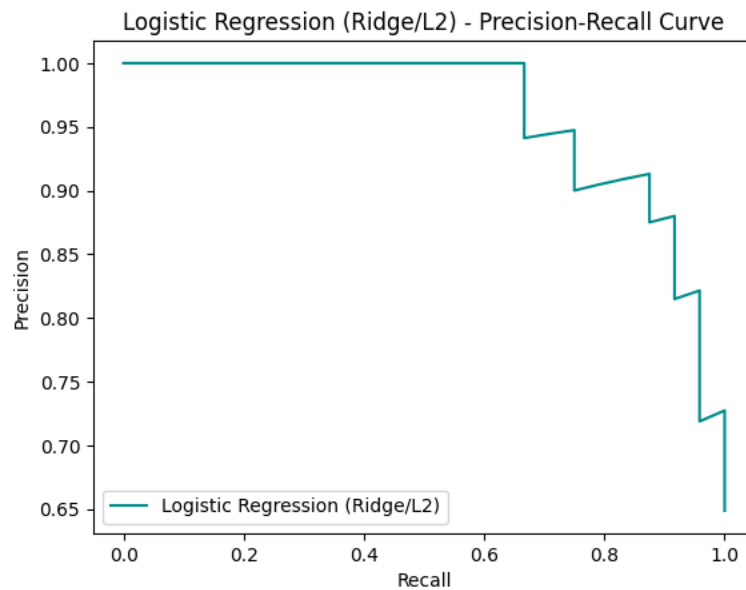


Figure20: his plot demonstrates the balance between precision and recall for the Logistic Regression (Ridge/L2) model. The curve shows a gradual decline in precision as recall increases, suggesting the model is able to maintain a good balance between these two metrics.

5.1.2 Logistic Regression (Lasso/L1)

the Logistic Regression (Lasso/L1) model exhibits excellent performance, with high accuracy, precision, recall, F1-score, and ROC-AUC values on both the training and test data. The model appears to be well-suited for the given task and dataset.

Train Metrics:
 Accuracy: 0.9247
 Precision: 0.9574
 Recall: 0.9278
 F1-Score: 0.9424
 ROC-AUC: 0.9708

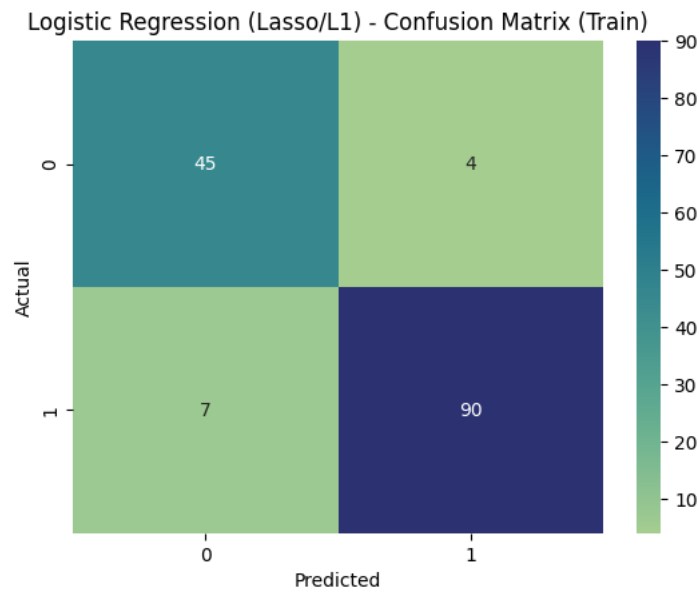


Figure21: The high accuracy, precision, recall, F1-score, and ROC-AUC values indicate that the model is performing exceptionally well on the training data.

Test Metrics:
 Accuracy: 0.8108
 Precision: 0.8696
 Recall: 0.8333
 F1-Score: 0.8511
 ROC-AUC: 0.9103

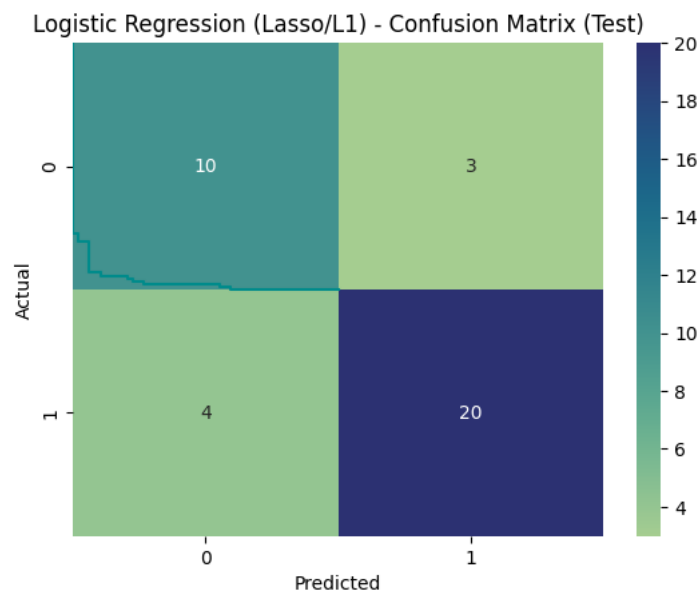


Figure22: The test metrics, while slightly lower than the training metrics, still demonstrate strong performance of the model on unseen data. The ROC-AUC of 0.9103 suggests the model has excellent discriminative power.

The Logistic Regression (Lasso/L1) model demonstrates strong performance, with a high ROC-AUC value and a well-balanced Precision-Recall curve. These results indicate the model is effectively able to classify the data and can be considered a reliable and robust model for the given task.

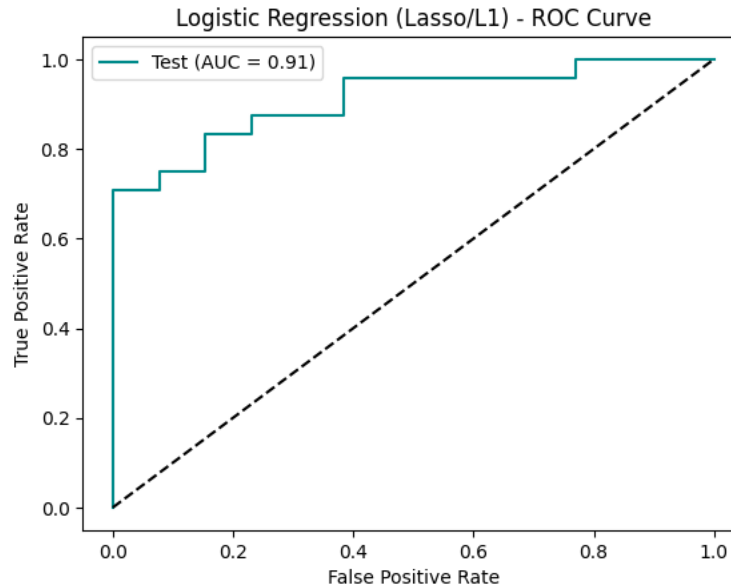


Figure23: The curve demonstrates the trade-off between the true positive rate and false positive rate for the model. The area under the ROC curve (ROC-AUC) is 0.91, indicating excellent discriminative performance of the model.

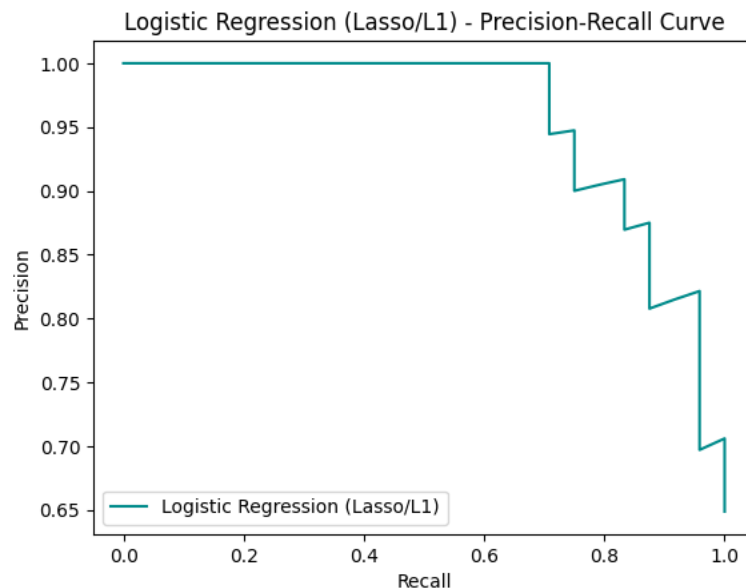


Figure24: The curve shows the balance between precision and recall for the model. The curve exhibits a gradual decline in precision as recall increases, suggesting the model is able to maintain a good balance between these two metrics.

6 Conclusion

Among all models tested, Linear Discriminant Analysis (LDA) delivered the best overall performance with high accuracy (86.49%), recall (95.83%), and ROC-AUC (0.92), showing strong generalization to unseen data. While Logistic Regression with L1 and L2 regularization also performed well, LDA was more balanced and robust, making it the most reliable choice for predicting student placement. The Dummy Classifier baseline confirmed that all trained models significantly outperformed random guessing. In this comparison of classification models, Logistic Regression with Lasso (L1 regularization) emerges as the best performer, achieving high metrics across the board, with an accuracy of 94.74%, precision and recall both at 96%, and a perfect F1-score of 0.96. This model also boasts the highest ROC-AUC score of 0.9908, indicating strong overall performance. Logistic Regression without regularization follows closely with similar results, also showing excellent precision and recall. LDA also performs very well, mirroring Logistic Regression's performance but with a slightly lower ROC-AUC. Naive Bayes, while still useful, lags behind with lower accuracy (81.58%) and F1-score (0.86), highlighting its weaker performance, likely due to its assumption of feature independence. Logistic Regression with Ridge (L2 regularization) performs similarly to the standard logistic model but with a slight drop in accuracy and F1-score, suggesting that L2 regularization may be too aggressive for this dataset. Therefore, Logistic Regression with Lasso (L1) stands out as the top-performing model, offering a balanced and reliable solution.

References

- [1] Ben Roshan, "Campus Recruitment" 2020. <https://www.kaggle.com/datasets/benroshan/factors-affecting-campus-placement/data>.