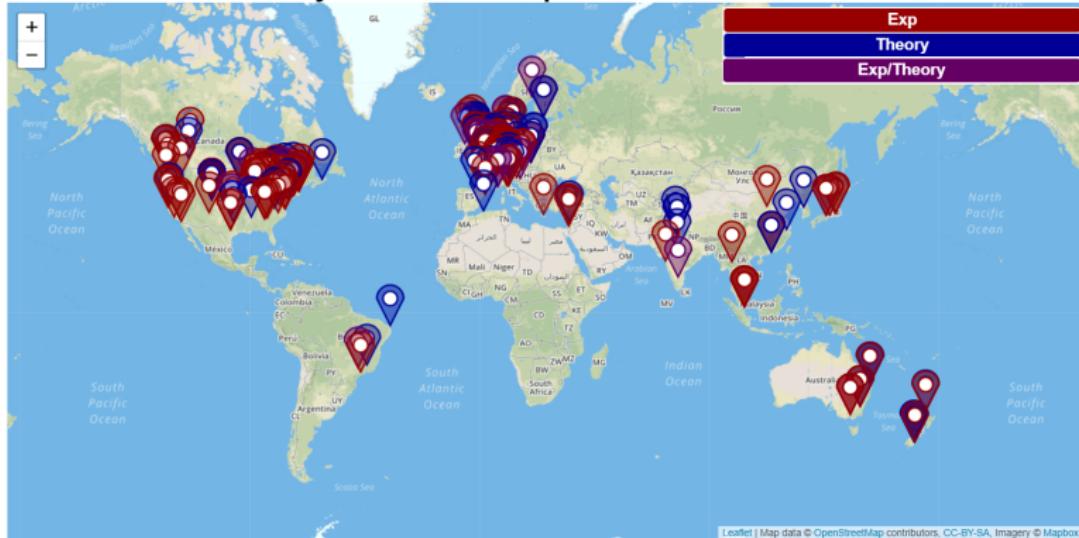


# The cold atom zoo<sup>1</sup>

57	58	59	60	61	62	63	64	65	66	67	68	69	70	71
La	Ce	Pr	Nd	Pm	Sm	Eu	Gd	Tb	Dy	Ho	Er	Tm	Yb	Lu
89	90	91	92	93	94	95	96	97	98	99	100	101	102	103
Ac	Th	Pa	U	Np	Pu	Am	Cm	Bk	Cf	Es	Fm	Md	No	Lr

# The world of ultracold atoms<sup>2</sup>

Every Cold Atoms Experiment in the World



# Metrology & many-body physics with ultracold Helium

He\* BEC group, LPC

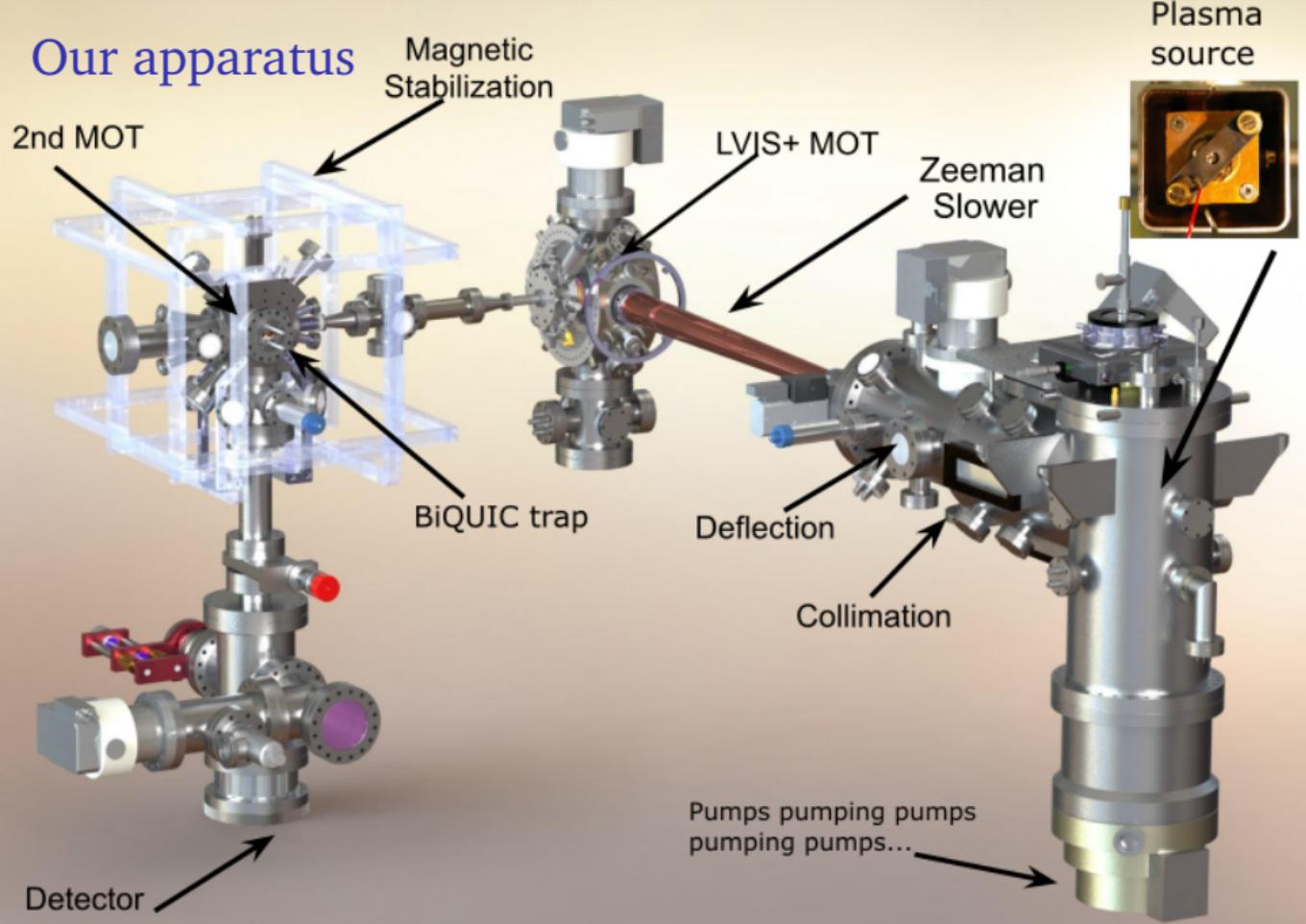
## What good are BECs?

They're excellent testbeds for fundamental physics.

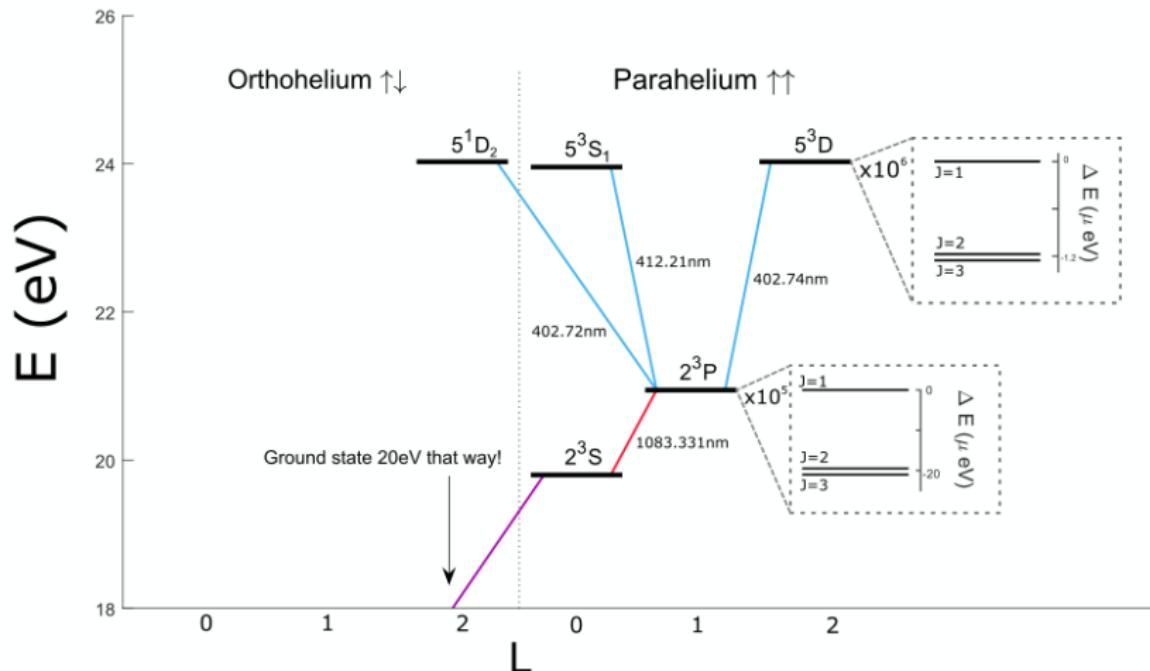
They exhibit controllable macroscopic coherent phenomena.

They're rich resources for engineering 'large' quantum states.

# Our apparatus

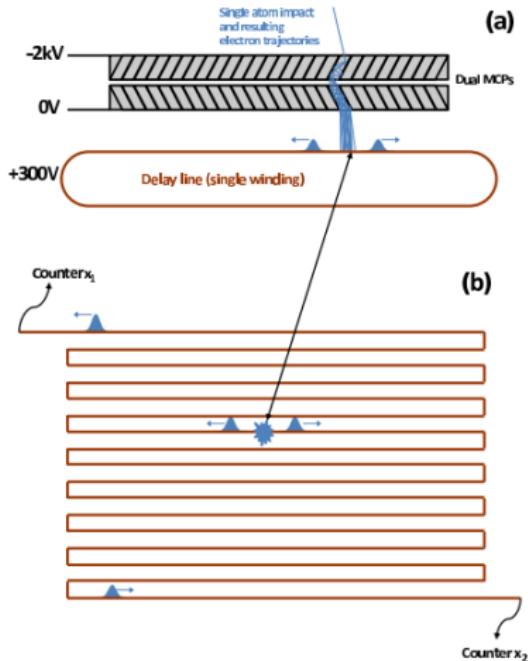
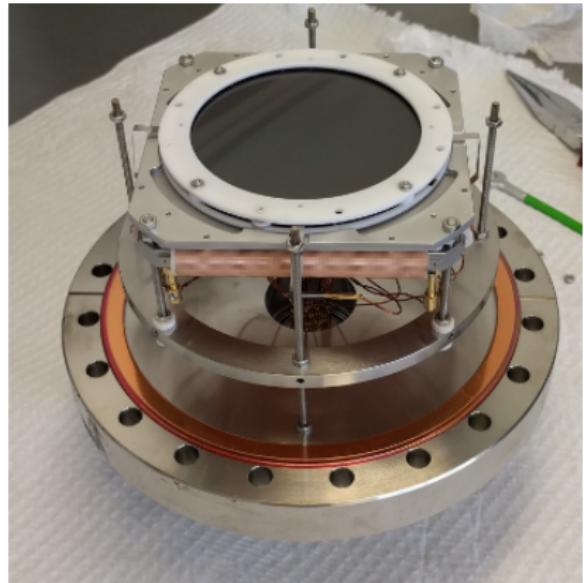


# Helium



20eV gap to metastable  $2^3S_1$  allows single-atom detection and laser accessibility.

# Single-atom detection



The MCP-DLD harnesses the unique ability of  $\text{He}^*$  for 3D single-atom momentum resolution

## Metrology I: Transition spectroscopy

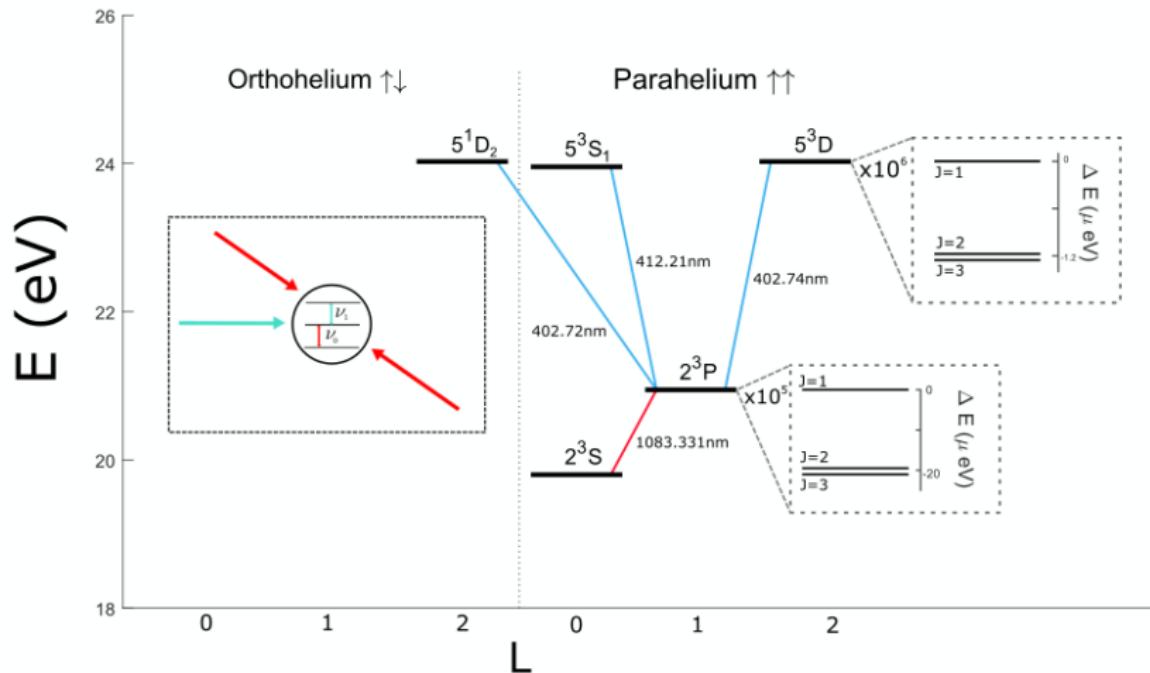
## Motivation

Spectroscopy built modern physics.

But, there are unresolved issues, like the proton radius puzzle.

Helium is simple enough that we can move towards testing QED; isotope shifts

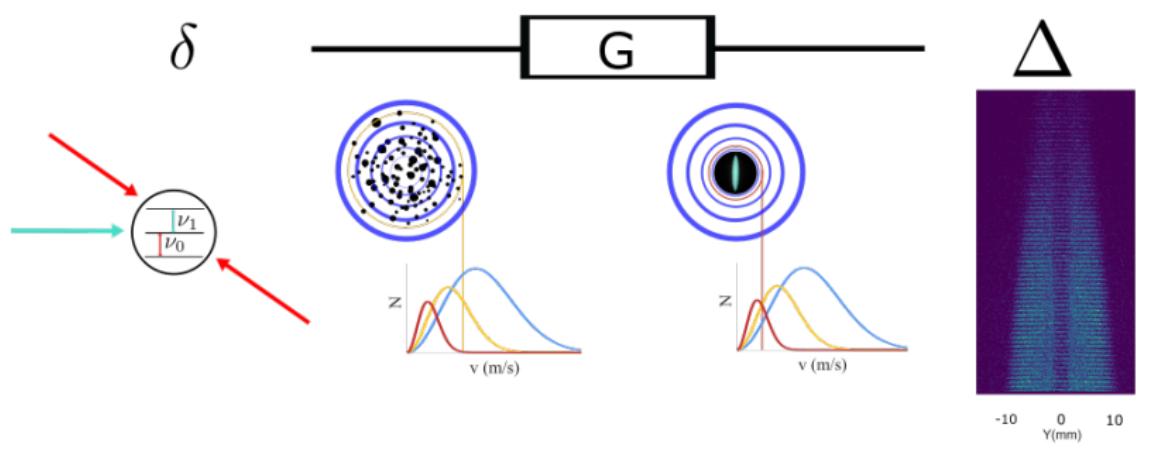
# On needles in haystacks



Measured  $2L \leftrightarrow 5D$  intervals disagree with predictions.

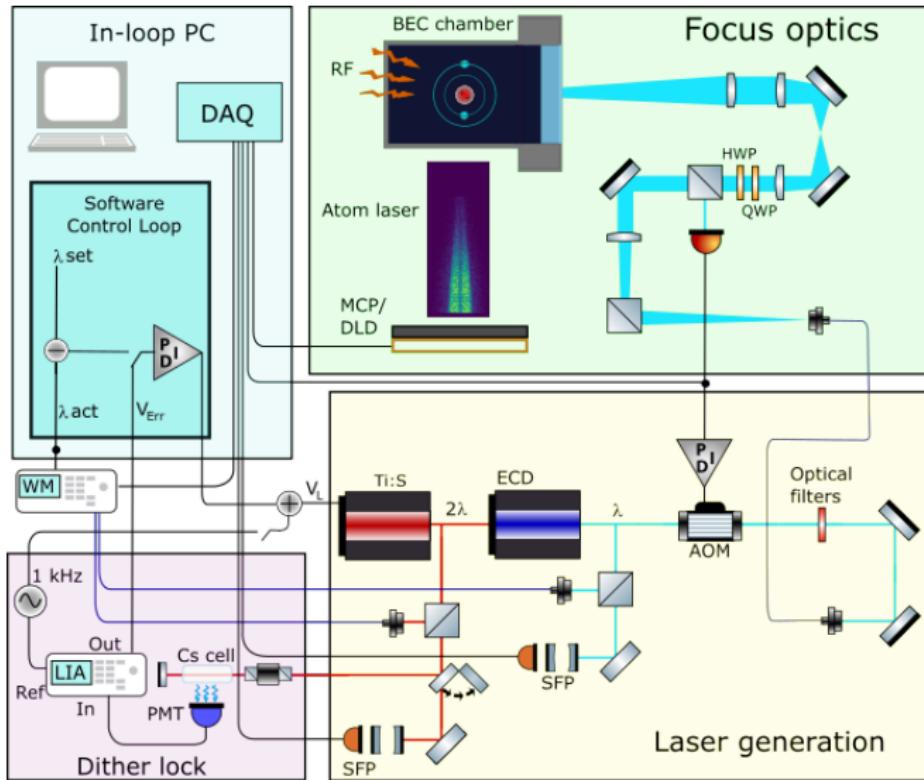
# Measurement method

New technique for ultracold, low-background, highly sensitive spectroscopy with multilevel transitions.

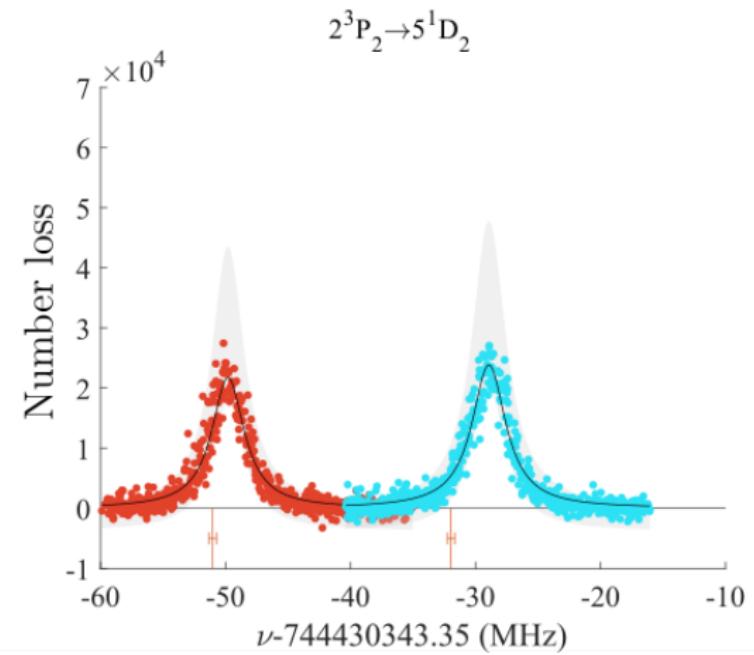


Small changes in phase space density  $n\lambda_{dB}^3 = n\hbar/\sqrt{2\pi mk_B T}$  measured with number changes at a fixed temperature.

# Experimental schematic

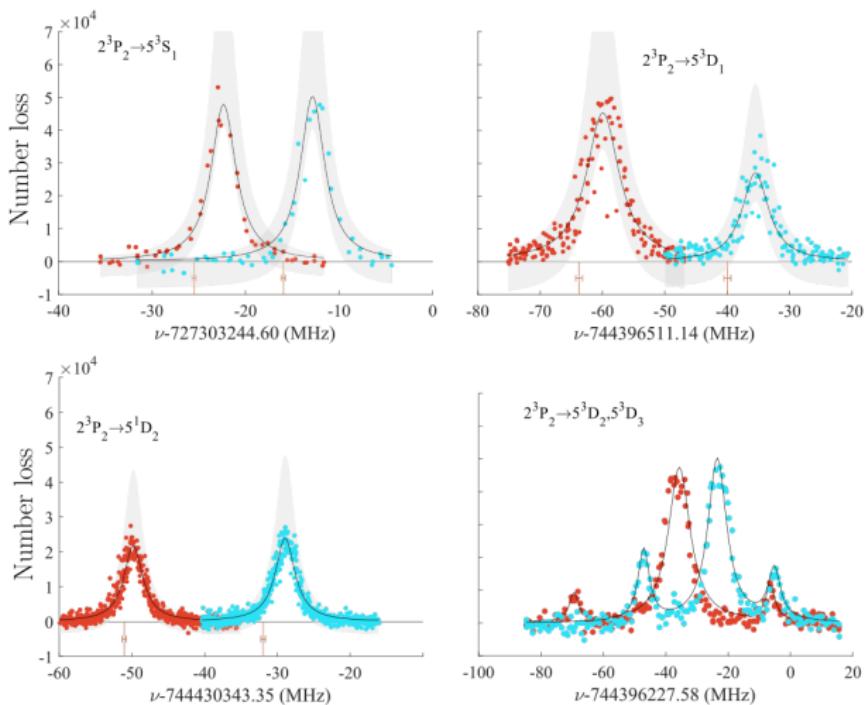


# Transition spectra



First measurement to constrain both singlet-triplet and  $2L - 5D$  intervals.

# Transition spectra



First resolution of sub-level transitions to the  $5^3D$  states.

## Spectroscopic results

$ e\rangle$	$\nu_{obs}$ (MHz)	$\nu_{obs} - \nu_{theory}$ (MHz)
$5^3S_1$	727303247.812(0.143)	3.212
$5^3D_1$	744396515.588(0.224)	4.448
$5^3D_2$	744396235.844(0.282)	8.264
$5^3D_3$	744396204.115(0.341)	-4.245
$5^1D_2$	744430345.471(0.047)	2.121

New method provides sub-MHz precision, sufficient for test of QED

## Systematics & past results

$ e\rangle$	$\nu_{obs}$ (MHz)	$\nu_{obs} - \nu_{old}$ <sup>3</sup> (MHz)
$5^3S_1$	727303247(4)	13713(201)
$5^3D_1$	744396515(20)	13575(168)
$5^3D_2$	744396235(20)	13855(168)
$5^3D_3$	744396204(20)	13886(168)
$5^1D_2$	744430345(20)	N/A

Accuracy limited by wavemeter (High Finesse WS-8).

We correct previous measurements, adding five lines to NIST.

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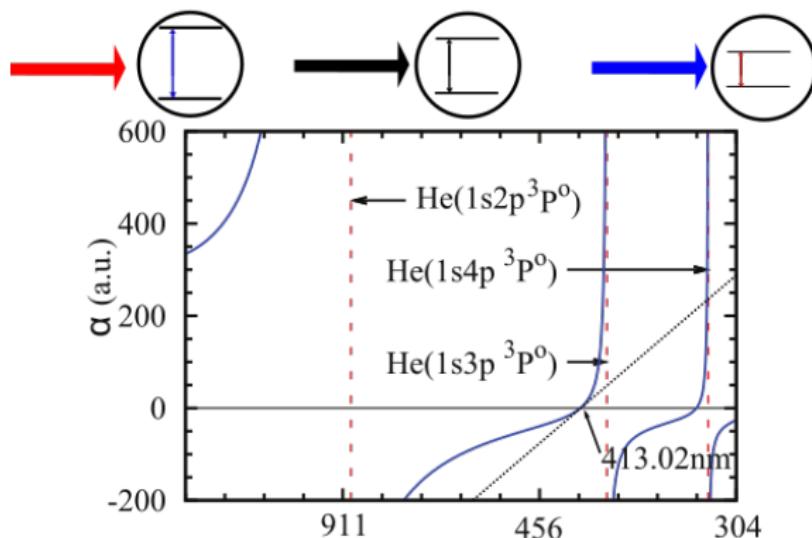
<sup>3</sup>Martin, New Wavelengths for Some Helium (He i) Lines, Journal of the Optical Society of America Vol. 50, Issue 2, pp. 174-176 (1960)

## Metrology II: Tuneout

## Tuneout wavelengths<sup>4</sup>

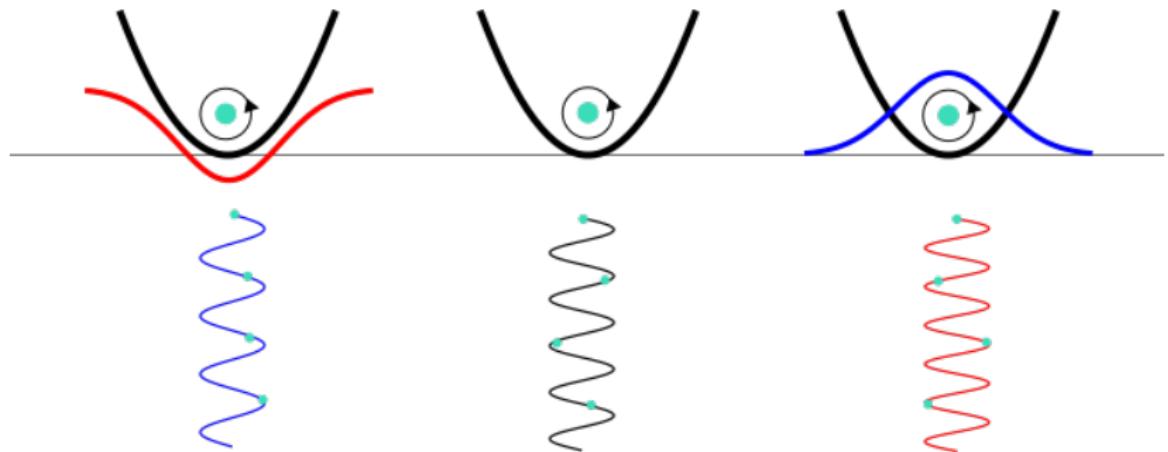
The dynamic polarizability determines the level shift in response to an AC field:

$$U_L = -\frac{\alpha(\nu)}{2} \langle \mathcal{E}^2 \rangle$$



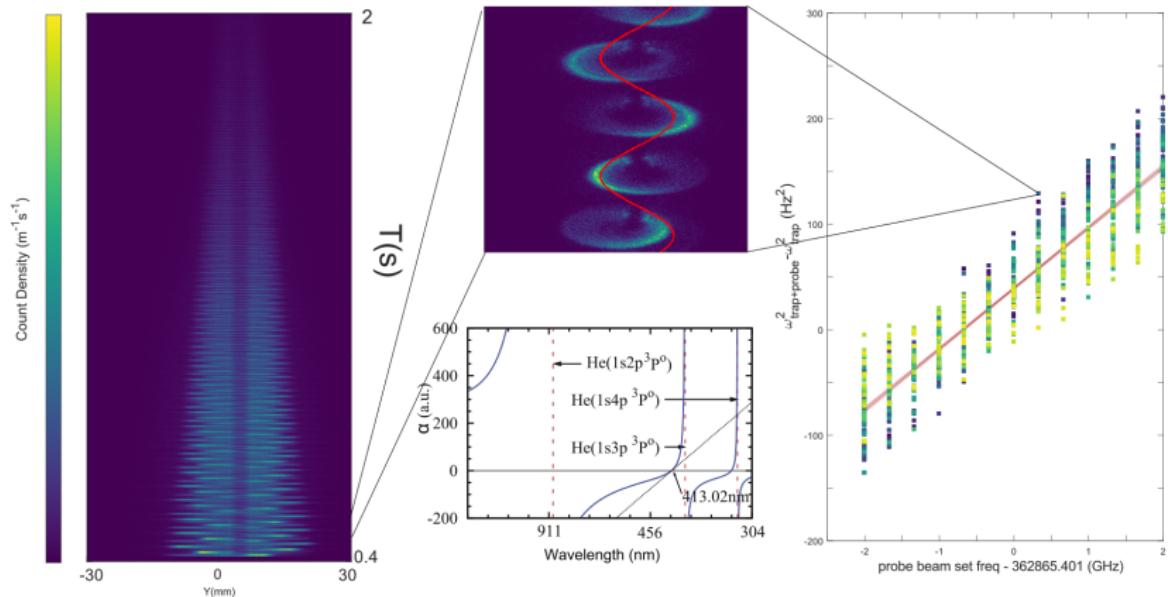
<sup>4</sup>Henson et al, PRL 115 (2015)

## Hybrid trap response function



$$\begin{aligned} F &= -\nabla(U_L + U_B) \\ &= \sqrt{m\partial_x(\alpha(\nu)|\mathcal{E}| + \mu|B|)}x \\ \implies \omega &= \sqrt{\omega_B^2 + \omega_E^2} \end{aligned}$$

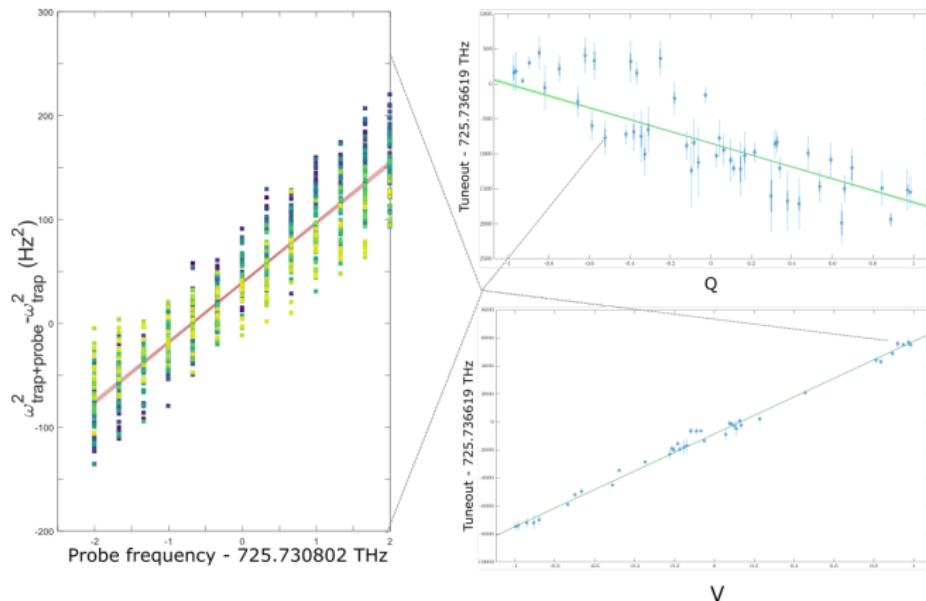
# Determining the Tuneout wavelength



Change in fitted trap frequency<sup>2</sup> is proportional to polarizability;  
fit the scan to fix the Tuneout

# Determining the Tuneout wavelength

Sufficient sensitivity to resolve polarization dependence!



Multiparameter fit on the Stokes sphere to obtain the value...

Results... coming soon!

## Many-Body physics I: Quantum depletion

## What is depletion?

Thermodynamics forbids a pure condensate. Instead, they coexist with a ‘depleted’ population:

$$|\Psi\rangle = \psi_0 + \delta\hat{\psi}, \text{ where } \psi_0 = \sqrt{N_0}e^{i\theta}$$

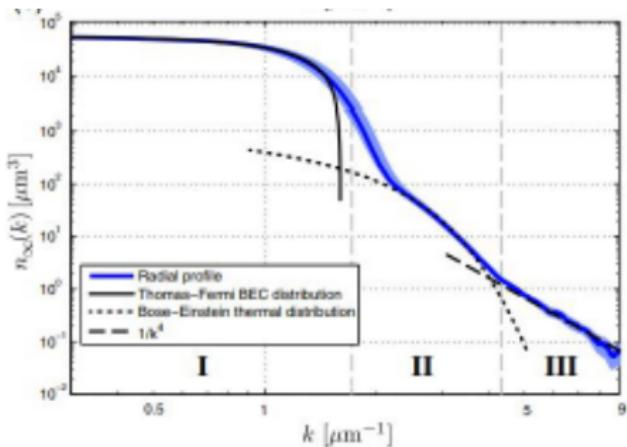
The Gross-Pitaevskii equation describes the dynamics of the condensed fraction:

$$i\hbar \frac{\partial \psi_0}{\partial t} = \left( -\frac{\hbar^2}{2m} \nabla^2 + V + g|\psi_0|^2 \right) \psi_0$$

Quantum depletion is the ‘quantum correction’ to  $\psi_0$ , whose amplitude scales with the *gas parameter*  $\sqrt{n a_s^3}$

# What does depletion look like?

The depleted fraction is populated by bosons in quasiparticle modes, whose asymptotic momentum density scales with  $k^{-4}$ :

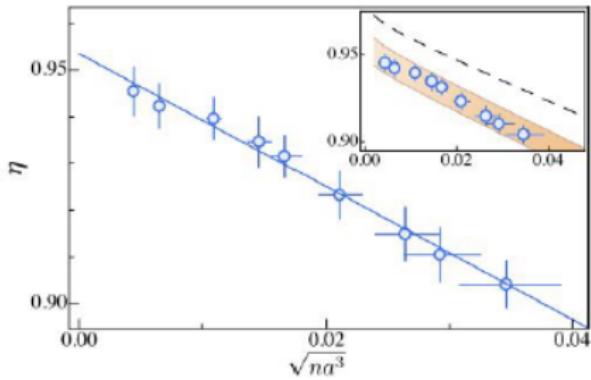
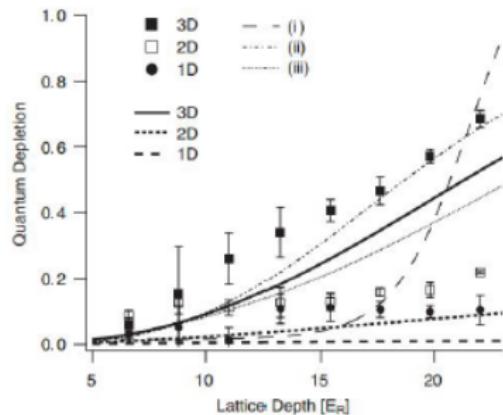


But... This shouldn't be visible!<sup>5</sup>

<sup>5</sup>Chang et al, PRL 117 (2016)

# Quantum depletion in the wild

- ▶ First observation in an optical lattice<sup>6</sup>
- ▶ More recently observed in a homogenous trap<sup>7</sup>

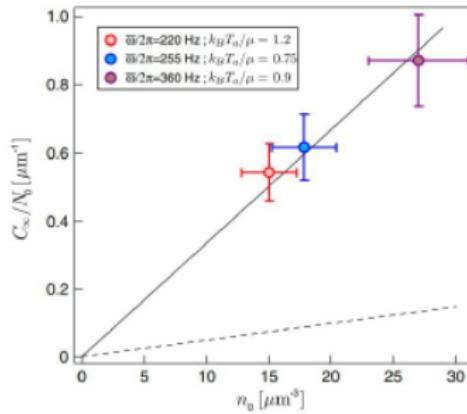
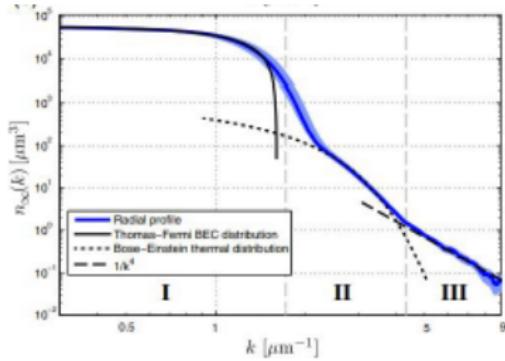


<sup>6</sup>Xu et al, PRL 96 (2006)

<sup>7</sup>Lopes et al, PRL 119 (2017)

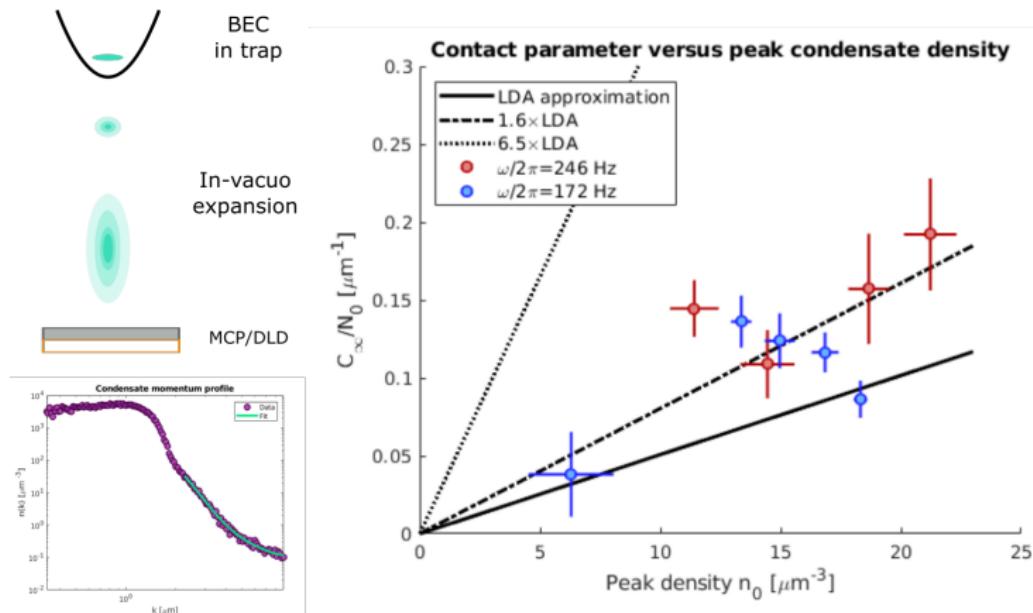
# Quantum depletion in far-field

- ▶ Far-field anomaly reported by Palaiseau lab<sup>8</sup>
- ▶ MCP-DLD resolves six orders of magnitude in momentum density



<sup>8</sup>Chang et al, PRL 117 (2016)

# Results (preliminary)



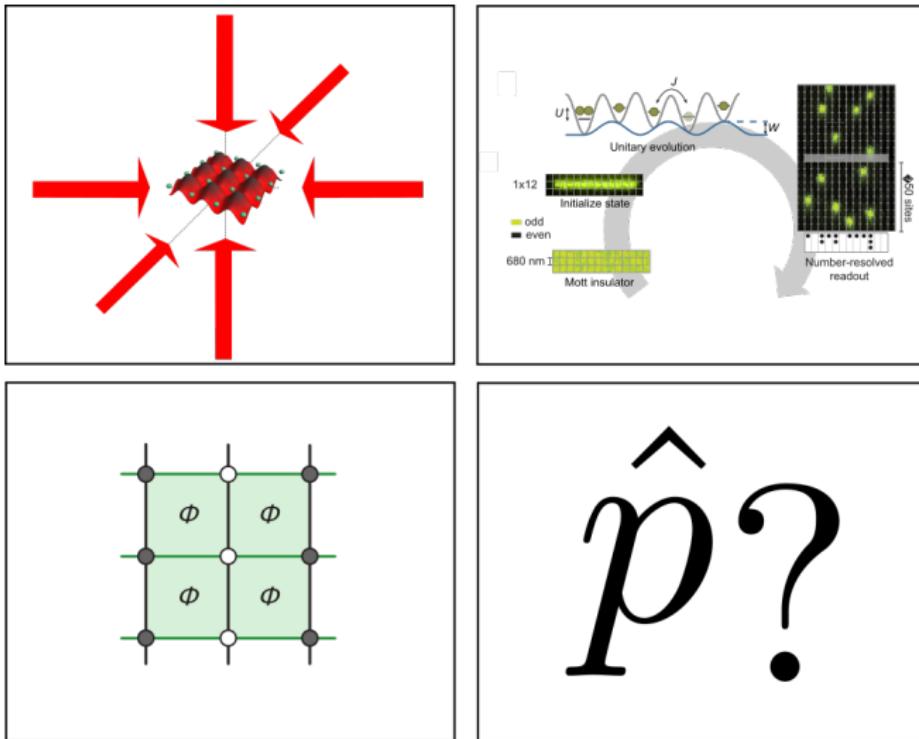
Depleted population fraction scales as  $C_\infty/N_0 \propto n_0$ , where the asymptotic momentum density is  $n(k) = \frac{C_\infty}{(2\pi)^2 k^4}$

# Many-Body physics II: Towards an optical lattice

## Motivation: Quantum simulation

- ▶ Large-scale engineering requires accurate and efficient simulation.
- ▶ In general, simulating large quantum systems is intractable.
- ▶ Digital quantum computers would help, but are too small and noisy.
- ▶ Quantum simulators directly realize the Hamiltonian of a system of interest.

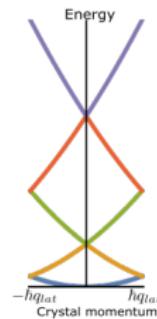
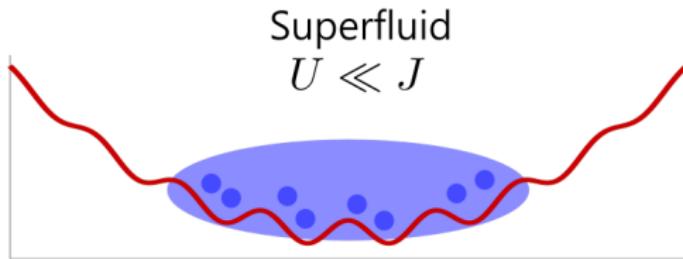
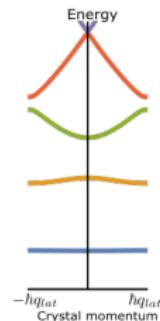
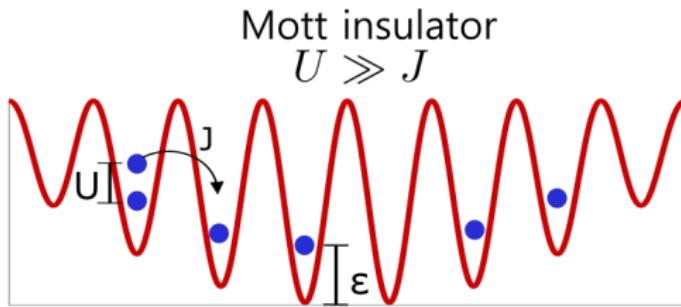
# Optical lattices<sup>9</sup>



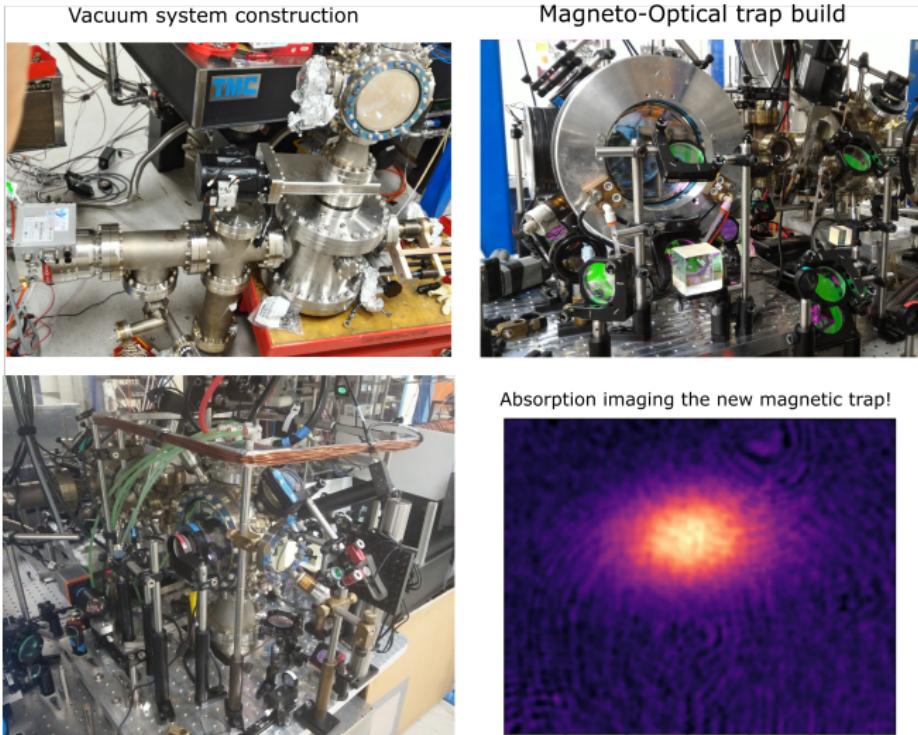
<sup>9</sup>Rispoli et al, arxiv.org/abs/1812.06959, Aidelsburger et al, Nat Phys 11 (2015)

# The Bose-Hubbard model

$$\hat{H} = -J \sum_{\langle ij \rangle} (\hat{b}_i^\dagger \hat{b}_j + \text{c.c.}) + U \sum_i \hat{n}_i (\hat{n}_i - 1) + \sum_i \epsilon_i \hat{n}_i$$



# Building in progress...



Coming soon...

What happens during the trap switch-off?

Can we find the forbidden  $2^3S_1 \rightarrow 3^3S_1$  transition?

Did we find a crack in the crown jewel of physics?

## With thanks to...

- ▶ **Fellow students:** Bryce Henson, David Shin, Abbas Hussein, Kieran Thomas, Sam Meng
- ▶ **Supervisors:** Andrew Truscott, Sean Hodgman, Ken Baldwin
- ▶ **Technical wizards:** Ross Tranter, Colin Dedman
- ▶ **Theory support:** Piotr Deuar, Gordon Drake, Li-Yan Tan
- ▶ And you!