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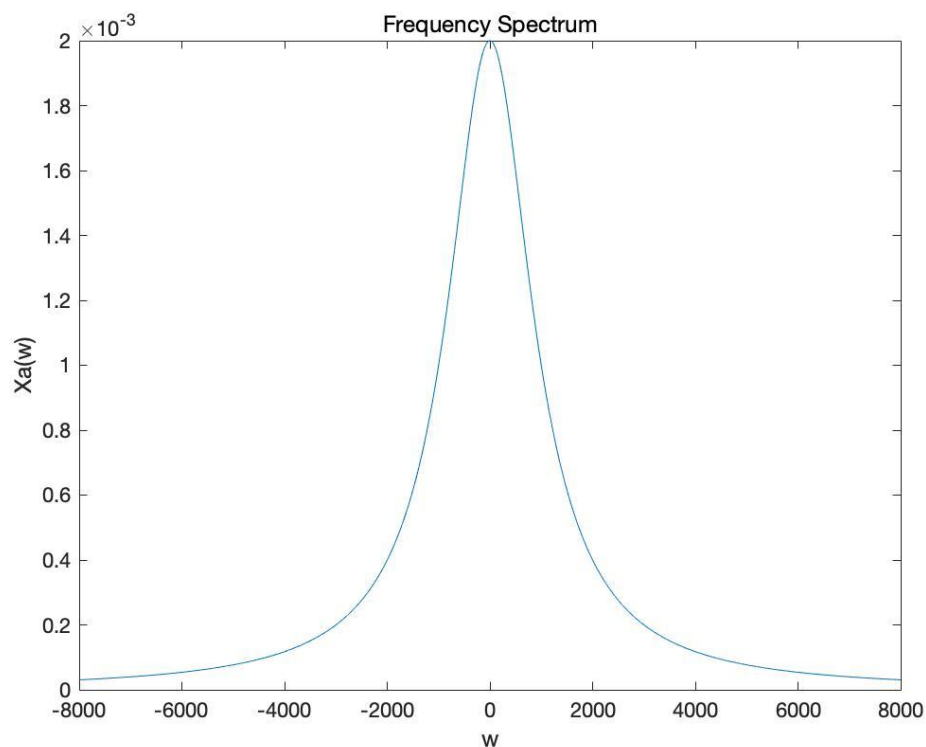
## Assignment 2

### Task 1

#### 1. Code

```
a=1000;
w=linspace(-8000,8000,100000);
for k=1:length(w)
    Xa(k)=2*a/(a^2+w(k)^2);
end
plot(w,Xa);
title('Frequency Spectrum');
xlabel('w');
ylabel('Xa(w)');
```

#### 2. Graph



#### 3. Comment

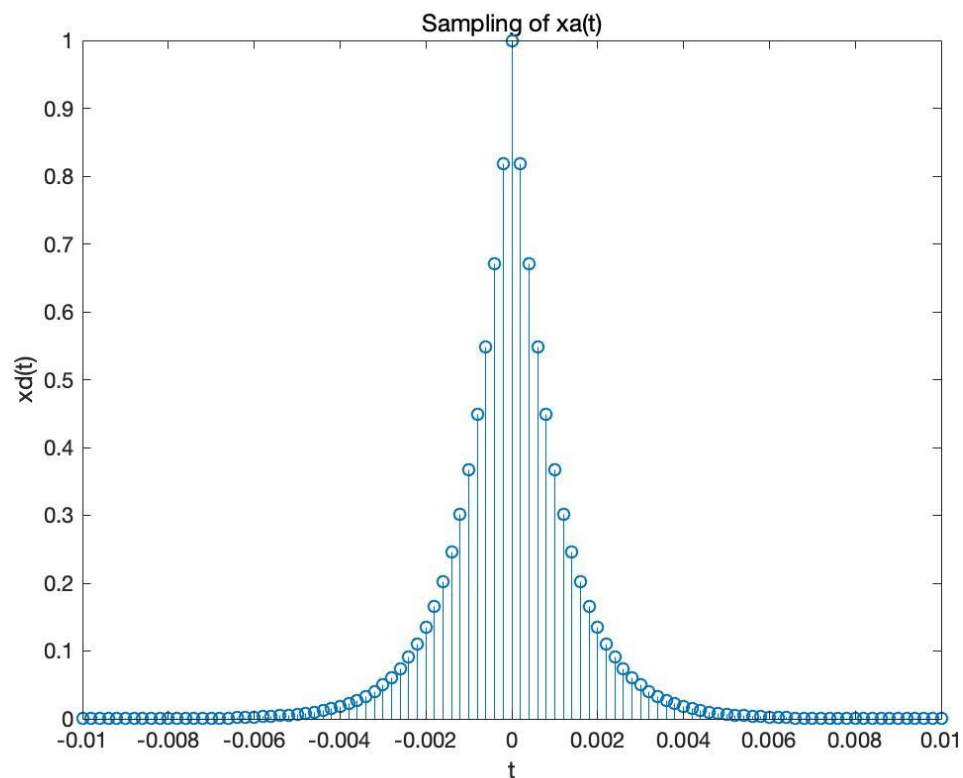
The main task of Task1 is to plot the spectrum of  $X_a(t)$ , also known as  $X_a(\omega)$ , by means of analysis. This allows us to compare it with the spectrum formed later by sampling the signal afterwards.

## Task 2

### 1. Code

```
a=1000;  
n=-50:50;  
Fs=5000;  
Ts=1/Fs;  
t=n*Ts;  
xd=exp(-a*abs(t));  
stem(t,xd);  
title('Sampling of xa(t)');  
xlabel('t');  
ylabel('xd(t)');
```

### 2. Graph



### 3. Comment

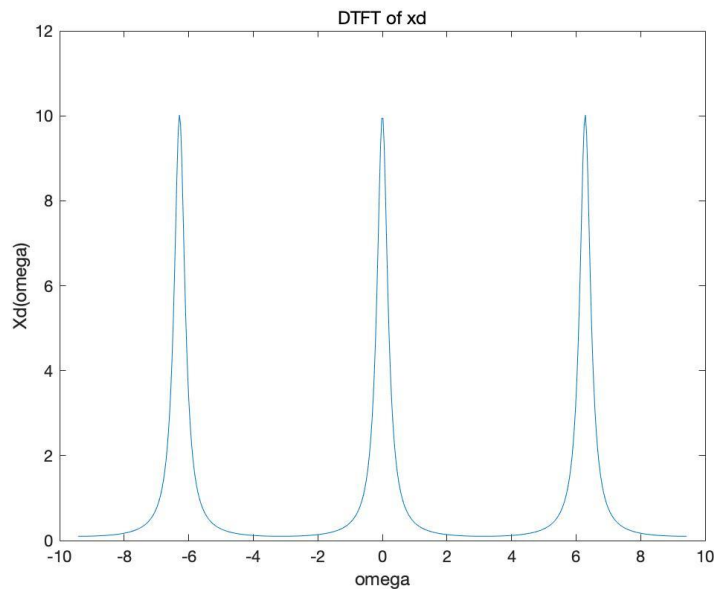
In Task2, we set the sampling frequency, the sampling period, and set the matrix  $n$  to form the range we are sampling. By this method, we obtain a discrete signal obtained by sampling the original signal with  $X_a(t)$ .

## Task 3

### 1. Code

```
w = linspace(-3*pi,3*pi,500);
Xd = zeros(1,length(w));
for k=1:length(w)
    Xd(k)=sum(xd.*exp(-1i*w(k)*n));
end
plot(w,abs(Xd));
title('DTFT of xd');
xlabel('omega');
ylabel('Xd(omega)');
```

### 2. Graph



### 3. Comment

$$X(\omega) = \int_{-\infty}^{\infty} x(t) \cdot e^{-j\omega t} dt = \frac{1}{T} \sum_{n=-\infty}^{\infty} X(\omega - n\omega_d)$$

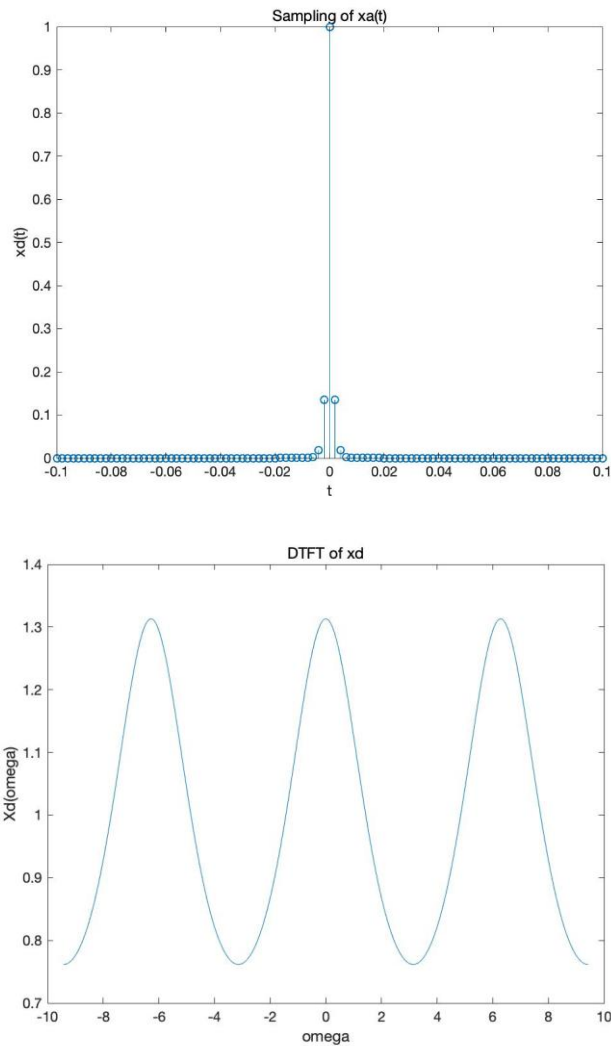
When we perform the Fourier transform on  $x_d$ , we find that it is the sum of the scaled and shifted  $X(\omega)$  obtained by performing the Fourier transform on  $x_a$  itself. This is why the image we obtain is in period  $2\pi$ . Comparing the plots obtained by Task3 with those obtained by Task1, we can clearly find similarities, and in terms of peaks, exactly the results that should be obtained by multiplying the set  $F_s$ .

## Task 4

### 1. Code

We changed the value of  $F_s$  from 5000 to 500.

### 2. Graph



### 3. Comment

1. After turning down the value of  $F_s$ , the sampled frequency is reduced and the obtained images are not as close as those obtained by Task2.
2. As the  $F_s$  decreases, the  $\omega_s$  takes a lower value as a result, and comparing this with the CTFT of the previous continuous signal, a more pronounced distortion can be found. This is more clearly contrasted in the upper and lower peaks.