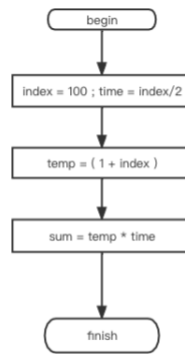
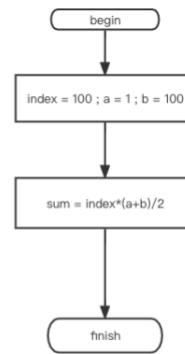


Method 1



Method 2



Method 3

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2022/03/10

EE208.

3. Sol

(i) Due to $V = \frac{4}{3} \pi r^3$ ①
the unit is $(\text{cm})^3$

(ii) $V = \frac{4}{3} \times 3.1416 \times (4)^3 \text{ cm}^3$
 $= 268.08 \text{ cm}^3$

(iii) ① the input is the data of the radius (cm) of the sphere
② the output is the data of the volume of the sphere

③ algorithm: ~~float x~~;

// set the input; float radius;

// calculate the data; cout << "Volume =" << $3.1416 * \text{pow}(\text{radius}, 3) * 4/3$;

PS: in this algorithm, we must include the api <math.h>

sol
T(ii) $r^3 = \frac{d \times P}{\pi \times S}$ ②

So $r^3 = \frac{7 \times 300}{\pi \times 10000} (\text{in}^3)$ $r \approx 0.406 \text{ inch}$

(ii) ① the input is the data of the length of the crank arm & the weight placed on the pedal and the stress.

② the output is the radius of the cylindrical rod in.

③ algorithm:

// set the input; float d, P, S;

// calculate the output; cout << "radius =" << $\text{pow}((d * P / \pi) / S, 1.0/3.0)$;

Thank you!