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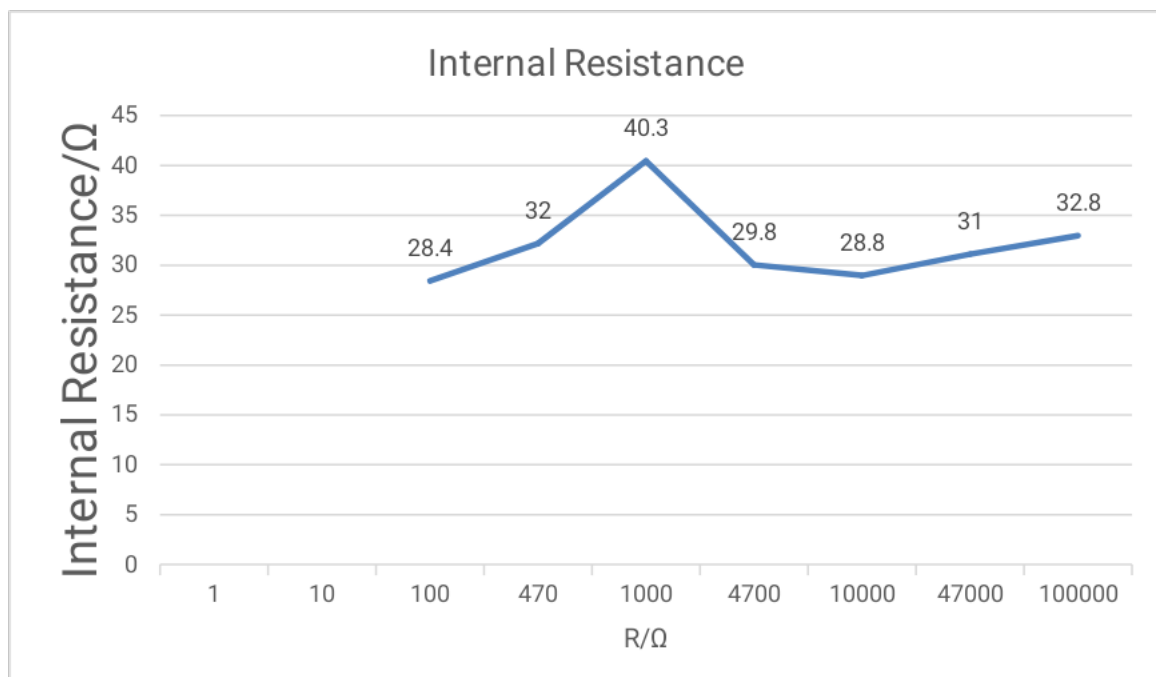
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Laboratory 3: Source and Thevenin's Theorem

Part 1: Measuring a Battery

	100 Ω	470 Ω	1000 Ω	
V_o	3.3V	3.1V	3.20V	
V_R	2.48V	3.01V	3.11V	
Internal Resistance	28.4 Ω	32.0 Ω	40.3 Ω	
I_R	27.3mA	6.3mA	3.2mA	
	4700 Ω	10 k Ω	47k Ω	100 k Ω
V_o	3.18V	3.08V	3.12V	2.91V
V_R	3.16V	3.07V	2.98V	2.90V
Internal Resistance	29.8 Ω	28.8 Ω	31 Ω	32.8 Ω
I_R	0.67mA	0.36mA	63 μ A	28. μ A

Graph your results using a log scale for the X axis (ie one that goes 1,10,100,1000, 10,000).



Comment on the obtained results.

ANSWER: Ignore small errors, the internal resistance is 33Ω

Part 2: Theorem of Superposition

V ₁	V ₂	Voltage Across R _T
5 V	3 V	1.900V
0 V	3 V	1.298V
5 V	0 V	0.561V

Comment on the algebraic sum of the voltages measured and compare with the original measurement.

ANSWER: Within the error range, the algebraic sum of the resistance measured when two power sources work alone is equal to the voltage when two power sources work together

V ₁	V ₂	V ₁ and V ₂ active	V ₁ active and V ₂ =0	V ₁ =0 and V ₂ active	V ₁ +V ₂ effect
5	-2	0.923	1.328V	-0.384	0.944
5	-1	1.088	1.327V	-0.183	1,144
5	+1	1.485	1.326V	0.182	1.508
5	+2	1.680	1.332V	0.369	1.701
5	+3	1.897	1.329	0.570	1.899

Comment on your results:

ANSWER: For a linear system, the response (voltage or current) of any branch of a two-sided linear circuit containing multiple independent sources is equal to the algebraic sum of the response of each independent source acting independently, where all other independent sources are replaced by their respective impedances.

Part3: Thevenin's Theorem

V _{thevenin}	0.315V
R _{thevenin}	15873 Ω

Measure the voltage flowing through the 1k resistor. Comment on the degree of similarity (or not) with the results from Part 7.

ANSWER: The voltage through 1k resistance is 0.302.

CONCLUSION : Within the error range, the data obtained by the two measurements are basically similar and conform to Thevenin's Theorem.