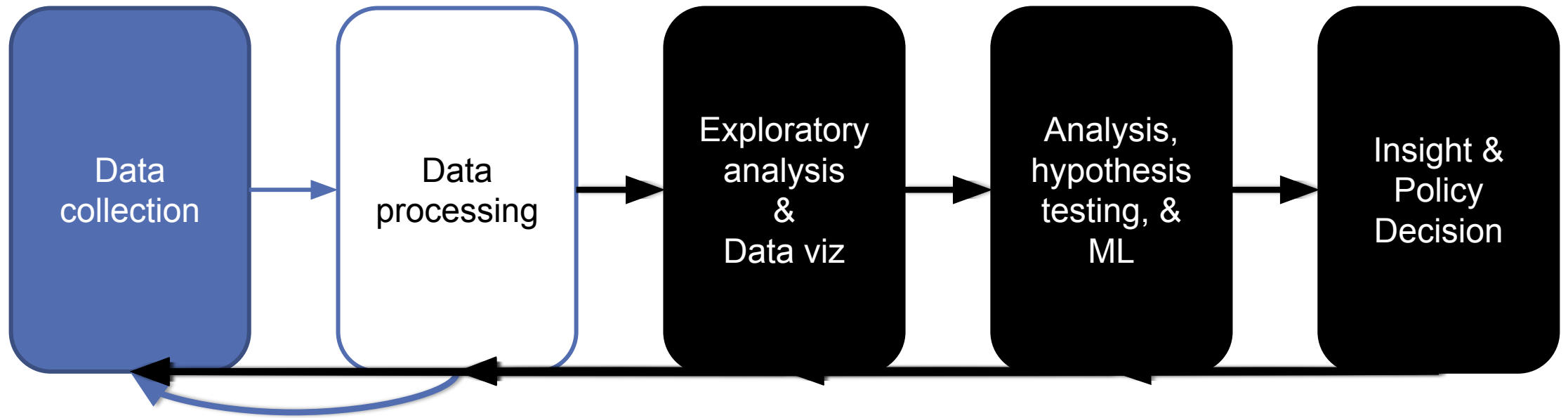


# THE DATA LIFECYCLE



# NEXT FEW CLASSES

1. **NumPy: Python Library for Manipulating nD Arrays**  
Multidimensional Arrays, and a variety of operations including Linear Algebra
2. **Pandas: Python Library for Manipulating Tabular Data**  
Series, Tables (also called **DataFrames**)  
Many operations to manipulate and combine tables/series
3. **Relational Databases**  
Tables/Relations, and SQL (similar to Pandas operations)
4. **Apache Spark**  
Sets of objects or key-value pairs  
MapReduce and SQL-like operations

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# NUMERIC & SCIENTIFIC APPLICATIONS

**Number of third-party packages available for numerical and scientific computing**

**These include:**

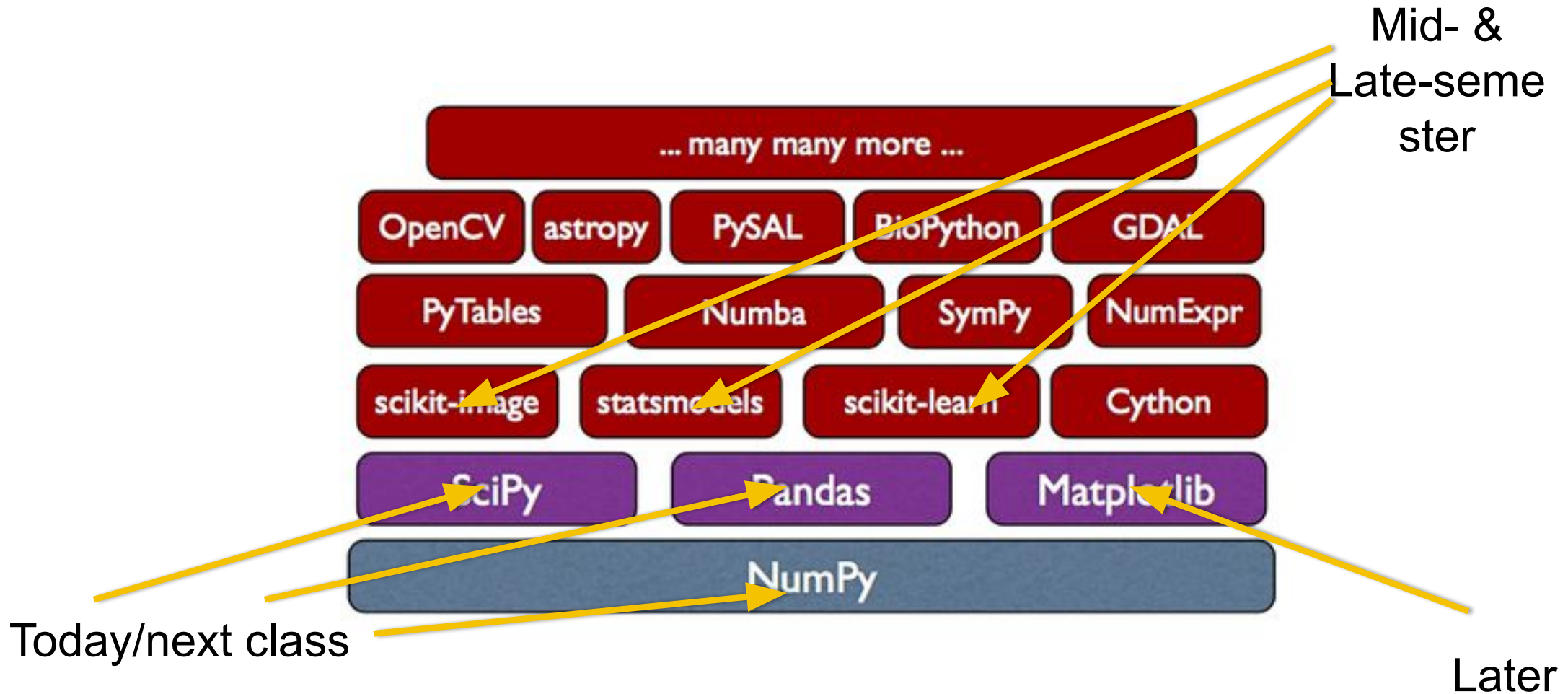
- NumPy/SciPy – numerical and scientific function libraries.
- numba – Python compiler that support JIT compilation.
- ALGLIB – numerical analysis library.
- pandas – high-performance data structures and data analysis tools.
- pyGSL – Python interface for GNU Scientific Library.
- ScientificPython – collection of scientific computing modules.

# NUMPY AND FRIENDS

**By far, the most commonly used packages are those in the NumPy stack. These packages include:**

- NumPy: similar functionality as Matlab
- SciPy: integrates many other packages like NumPy
- Matplotlib & Seaborn – plotting libraries
- iPython via Jupyter – interactive computing
- Pandas – data analysis library
- SymPy – symbolic computation library

# THE NUMPY STACK



# NUMPY

**Among other things, NumPy contains:**

- A powerful  $n$ -dimensional array object.
- Sophisticated (broadcasting/universal) functions.
- Tools for integrating C/C++ and Fortran code.
- Useful linear algebra, Fourier transform, and random number capabilities, etc.

**Besides its obvious scientific uses, NumPy can also be used as an efficient multi-dimensional container of generic data.**



# NUMPY

**ndarray object:** an  $n$ -dimensional array of homogeneous data types, with many operations being performed in compiled code for performance

**Several important differences between NumPy arrays and the standard Python sequences:**

- NumPy arrays have a fixed size. Modifying the size means creating a new array.
- NumPy arrays must be of the same data type, but this can include Python objects – may not get performance benefits
- More efficient mathematical operations than built-in sequence types.



# NUMPY DATATYPES

**Wider variety of data types than are built-in to the Python language by default.**

**Defined by the `numpy.dtype` class and include:**

- `intc` (same as a C integer) and `intp` (used for indexing)
- `int8`, `int16`, `int32`, `int64`
- `uint8`, `uint16`, `uint32`, `uint64`
- `float16`, `float32`, `float64`
- `complex64`, `complex128`
- `bool_`, `int_`, `float_`, `complex_` are shorthand for defaults.

**These can be used as functions to cast literals or sequence types, as well as arguments to NumPy functions that accept the `dtype` keyword argument.**

# NUMPY DATATYPES

```
>>> import numpy as np
>>> x = np.float32(1.0)
>>> x
1.0
>>> y = np.int_([1,2,4])
>>> y
array([1, 2, 4])
>>> z = np.arange(3, dtype=np.uint8)
>>> z
array([0, 1, 2], dtype=uint8)
>>> z.dtype
dtype('uint8')
```

# NUMPY ARRAYS

**There are a couple of mechanisms for creating arrays in NumPy:**

- Conversion from other Python structures (e.g., lists, tuples)
  - Any sequence-like data can be mapped to a ndarray
- Built-in NumPy array creation (e.g., `arange`, `ones`, `zeros`, etc.)
  - Create arrays with all zeros, all ones, increasing numbers from 0 to 1 etc.
- Reading arrays from disk, either from standard or custom formats (e.g., reading in from a CSV file)



# NUMPY ARRAYS

In general, any numerical data that is stored in an array-like container can be converted to an `ndarray` through use of the `array()` function. The most obvious examples are sequence types like lists and tuples.

```
>>> x = np.array([2,3,1,0])

>>> x = np.array([2, 3, 1, 0])

>>> x = np.array([[1,2.0],[0,0]],[1+1j,3.])])

>>> x = np.array([[ 1.+0.j, 2.+0.j], [ 0.+0.j, 0.+0.j],
[ 1.+1.j, 3.+0.j]])
```

# NUMPY ARRAYS

## Creating arrays from scratch in NumPy:

- `zeros(shape)` – creates an array filled with 0 values with the specified shape. The default dtype is `float64`.

```
>>> np.zeros((2, 3))  
array([[ 0.,  0.,  0.], [ 0.,  0.,  0.]])
```

- `ones(shape)` – creates an array filled with 1 values.
- `arange()` – like Python's built-in `range`

```
>>> np.arange(10)  
array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])  
>>> np.arange(2, 10, dtype=np.float)  
array([ 2.,  3.,  4.,  5.,  6.,  7.,  8.,  9.])  
>>> np.arange(2, 3, 0.2)  
array([ 2. ,  2.2,  2.4,  2.6,  2.8])
```

# NUMPY ARRAYS

`linspace()` – creates arrays with a specified number of elements, and spaced equally between the specified beginning and end values.

```
>>> np.linspace(1., 4., 6)
array([ 1. , 1.6, 2.2, 2.8, 3.4, 4. ])
```

`random.random(shape)` – creates arrays with random floats over the interval `[0,1)`.

```
>>> np.random.random((2,3))
array([[ 0.75688597,  0.41759916,  0.35007419],
       [ 0.77164187,  0.05869089,  0.98792864]])
```

# NUMPY ARRAYS

Printing an array can be done with the print

- statement (Python 2)
- function (Python 3)

```
>>> import numpy as np
>>> a = np.arange(3)
>>> print(a)
[0 1 2]
>>> a
array([0, 1, 2])
>>> b = np.arange(9).reshape(3,3)
>>> print(b)
[[0 1 2]
 [3 4 5]
 [6 7 8]]
>>> c =
np.arange(8).reshape(2,2,2)
>>> print(c)
[[[0 1]
  [2 3]]

 [[4 5]
  [6 7]]]
```

# INDEXING

Single-dimension indexing is accomplished as usual.

```
>>> x = np.arange(10)
>>> x[2]
2
>>> x[-2]
8
```

Multi-dimensional arrays support multi-dimensional indexing.

```
>>> x.shape = (2,5) # now x is 2-dimensional
>>> x[1,3]
8
>>> x[1,-1]
9
```



# INDEXING

Using fewer dimensions to index will result in a subarray:

```
>>> x = np.arange(10)
>>> x.shape = (2,5)
>>> x[0]
array([0, 1, 2, 3, 4])
```

This means that `x[i, j] == x[i][j]` but the second method is less efficient.

# INDEXING

Slicing is possible just as it is for typical Python sequences:

```
>>> x = np.arange(10)
>>> x[2:5]
array([2, 3, 4])
>>> x[:-7]
array([0, 1, 2])
>>> x[1:7:2]
array([1, 3, 5])
>>> y = np.arange(35).reshape(5,7)
>>> y[1:5:2,::3]
array([[ 7, 10, 13], [21, 24, 27]])
```

# ARRAY OPERATIONS

Basic operations apply element-wise. The result is a new array with the resultant elements.

```
>>> a = np.arange(5)
>>> b = np.arange(5)
>>> a+b
array([0, 2, 4, 6, 8])
>>> a-b
array([0, 0, 0, 0, 0])
>>> a**2
array([ 0,  1,  4,  9, 16])
>>> a>3
array([False, False, False, False,  True], dtype=bool)
>>> 10*np.sin(a)
array([ 0.,  8.41470985,  9.09297427,  1.41120008,
        -7.56802495])
>>> a*b
array([ 0,  1,  4,  9, 16])
```

# ARRAY OPERATIONS

Since multiplication is done element-wise, you need to specifically perform a dot product to perform matrix multiplication.

```
>>> a = np.zeros(4).reshape(2,2)
>>> a
array([[ 0.,  0.],
       [ 0.,  0.]])
>>> a[0,0] = 1
>>> a[1,1] = 1
>>> b = np.arange(4).reshape(2,2)
>>> b
array([[0, 1],
       [2, 3]])
>>> a*b
array([[ 0.,  0.],
       [ 0.,  3.]])
>>> np.dot(a,b)
array([[ 0.,  1.],
       [ 2.,  3.]])
```

# ARRAY OPERATIONS

There are also some built-in methods of ndarray objects.

Universal functions which may also be applied include `exp`, `sqrt`, `add`, `sin`, `cos`, etc.

```
>>> a = np.random.random((2,3))
>>> a
array([[ 0.68166391,  0.98943098,
         0.69361582],
       [ 0.78888081,  0.62197125,
         0.40517936]])
>>> a.sum()
4.1807421388722164
>>> a.min()
0.4051793610379143
>>> a.max(axis=0)
array([ 0.78888081,  0.98943098,
        0.69361582])
>>> a.min(axis=1)
array([ 0.68166391,  0.40517936])
```

# ARRAY OPERATIONS

An array shape can be manipulated by a number of methods.

`resize(size)` will modify an array in place.

`reshape(size)` will return a copy of the array with a new shape.

```
>>> a =  
np.floor(10*np.random.random((3,4)))  
>>> print(a)  
[[ 9.  8.  7.  9.]  
 [ 7.  5.  9.  7.]  
 [ 8.  2.  7.  5.]]  
>>> a.shape  
(3, 4)  
>>> a.ravel()  
array([ 9.,  8.,  7.,  9.,  7.,  5.,  9.,  
        7.,  8.,  2.,  7.,  5.])  
>>> a.shape = (6,2)  
>>> print(a)  
[[ 9.  8.]  
 [ 7.  9.]  
 [ 7.  5.]  
 [ 9.  7.]  
 [ 8.  2.]  
 [ 7.  5.]]  
>>> a.transpose()  
array([[ 9.,  7.,  7.,  9.,  8.,  7.],  
       [ 8.,  9.,  5.,  7.,  2.,  5.]])
```

# LINEAR ALGEBRA

One of the most common reasons for using the NumPy package is its linear algebra module.

It's like Matlab, but free!

```
>>> from numpy import *
>>> from numpy.linalg import *
>>> a = array([[1.0, 2.0],
               [3.0, 4.0]])

>>> print(a)
[[ 1.  2.]
 [ 3.  4.]]
>>> a.transpose()
array([[ 1.,  3.],
       [ 2.,  4.]])
>>> inv(a) # inverse
array([[ -2. ,  1. ],
       [ 1.5, -0.5]])
```

# LINEAR ALGEBRA

```
>>> u = eye(2) # unit 2x2 matrix; "eye" represents "I"
>>> u
array([[ 1.,  0.],
       [ 0.,  1.]])
>>> j = array([[0.0, -1.0], [1.0, 0.0]])
>>> dot(j, j) # matrix product
array([[ -1.,  0.],
       [ 0., -1.]])
>>> trace(u) # trace (sum of elements on diagonal)
2.0
>>> y = array([[5.], [7.]])
>>> solve(a, y) # solve linear matrix equation
array([[ -3.],
       [ 4.]])
>>> eig(j) # get eigenvalues/eigenvectors of matrix
(array([ 0.+1.j, 0.-1.j]),
 array([[ 0.70710678+0.j, 0.70710678+0.j],
        [ 0.00000000-0.70710678j,
         0.00000000+0.70710678j]]))
```



# SCIPY?

In its own words:

SciPy is a collection of mathematical algorithms and convenience functions **built on the NumPy extension** of Python. It adds significant power to the interactive Python session by providing the user with high-level commands and classes for manipulating and visualizing data.

Basically, SciPy contains various tools and functions for solving common problems in **scientific** computing.



# SCIPY

SciPy gives you access to a ton of specialized mathematical functionality.

- **Just know it exists.** We won't use it much in this class.

Some functionality:

- Special mathematical functions (`scipy.special`) -- elliptic, `bessel`, etc.
- Integration (`scipy.integrate`)
- Optimization (`scipy.optimize`)
- Interpolation (`scipy.interpolate`)
- Fourier Transforms (`scipy.fftpack`)
- Signal Processing (`scipy.signal`)
- Linear Algebra (`scipy.linalg`)
- Compressed Sparse Graph Routines (`scipy.sparse.csgraph`)
- Spatial data structures and algorithms (`scipy.spatial`)
- Statistics (`scipy.stats`)
- Multidimensional image processing (`scipy.ndimage`)
- Data IO (`scipy.io`) – overlaps with `pandas`, covers some other formats

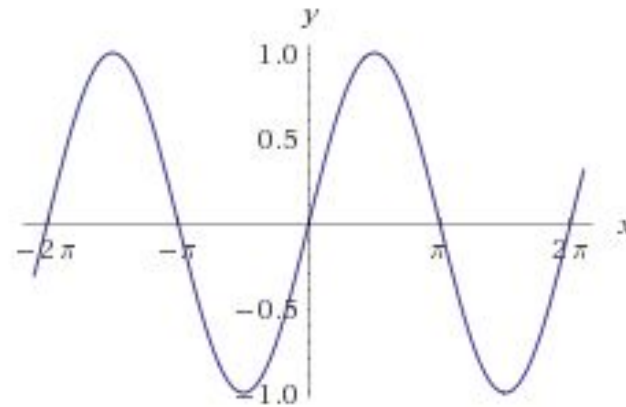
# ONE SCIPY EXAMPLE

We can't possibly tour all of the SciPy library and, even if we did, it might be a little boring.

- Often, you'll be able to find higher-level modules that will work around your need to directly call low-level SciPy functions

Say you want to compute an integral:

$$\int_a^b \sin x \, dx$$



# SCIPY.INTEGRATE

We have a function object – `np.sin` defines the sin function for us.

We can compute the definite integral from  $x = 0$  to  $x = \pi$  using the quad function.

```
>>> res = scipy.integrate.quad(np.sin, 0, np.pi)
>>> print(res)
(2.0, 2.220446049250313e-14) # 2 with a very small error
margin!
>>> res = scipy.integrate.quad(np.sin, -np.inf, +np.inf)
>>> print(res)
(0.0, 0.0) # Integral does not converge
```

# SCIPY.INTEGRATE

Let's say that we don't have a function object, we only have some (x,y) samples that "define" our function.

We can estimate the integral using the trapezoidal rule.

```
>>> sample_x = np.linspace(0, np.pi, 1000)
>>> sample_y = np.sin(sample_x) # Creating 1,000 samples
>>> result = scipy.integrate.trapz(sample_y, sample_x)
>>> print(result)
1.99999835177

>>> sample_x = np.linspace(0, np.pi, 1000000)
>>> sample_y = np.sin(sample_x) # Creating 1,000,000
samples
>>> result = scipy.integrate.trapz(sample_y, sample_x)
>>> print(result)
2.0
```

# **WRAP UP: FIRST PART**

**Shift thinking from imperative coding to operations on datasets**

**Numpy: A low-level abstraction that gives us really fast multi-dimensional arrays**

**Next class:**

**Pandas: Higher-level tabular abstraction and operations to manipulate and combine tables**

**Reading Homework focuses on Pandas and SQL**