

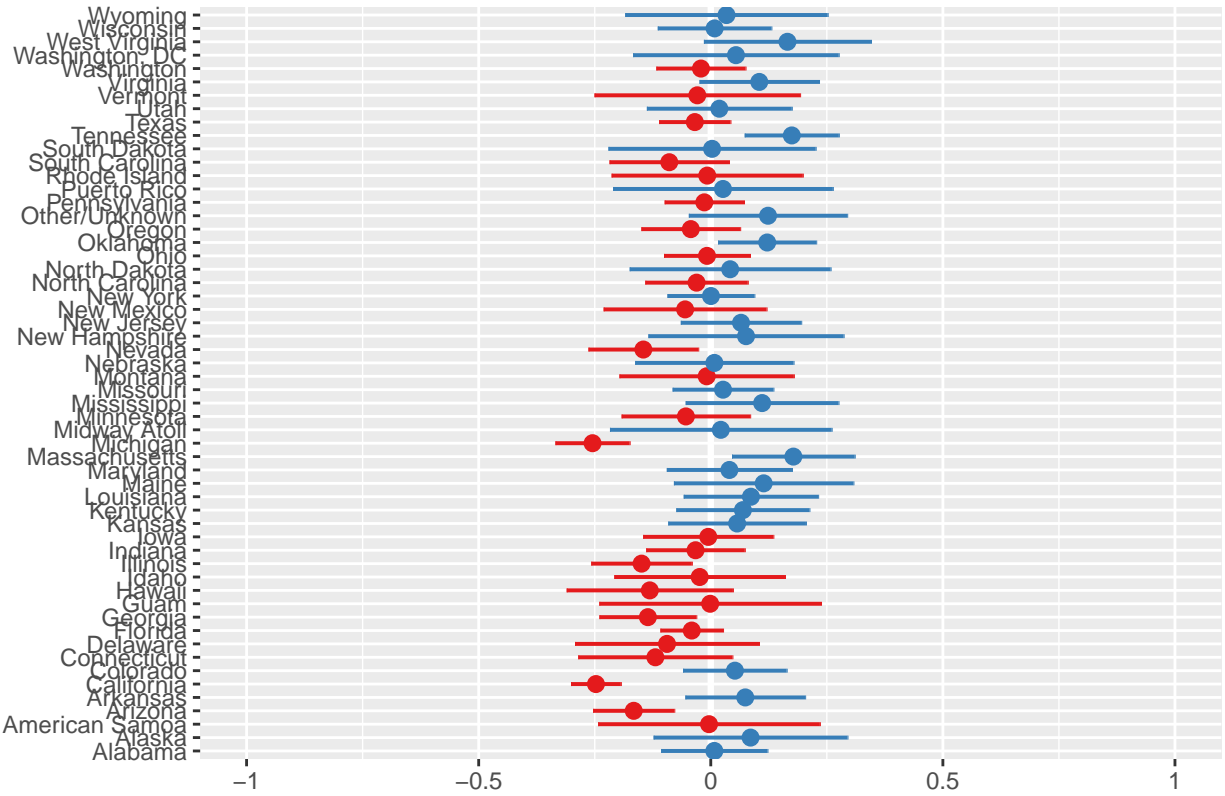
# Model 1&2

## Conclusion

Table 1: Fixed Effect

	x
(Intercept)	-0.5892355
mgstr	-0.0100367
as.factor(Bulk)1	-0.1031110

## Random effects

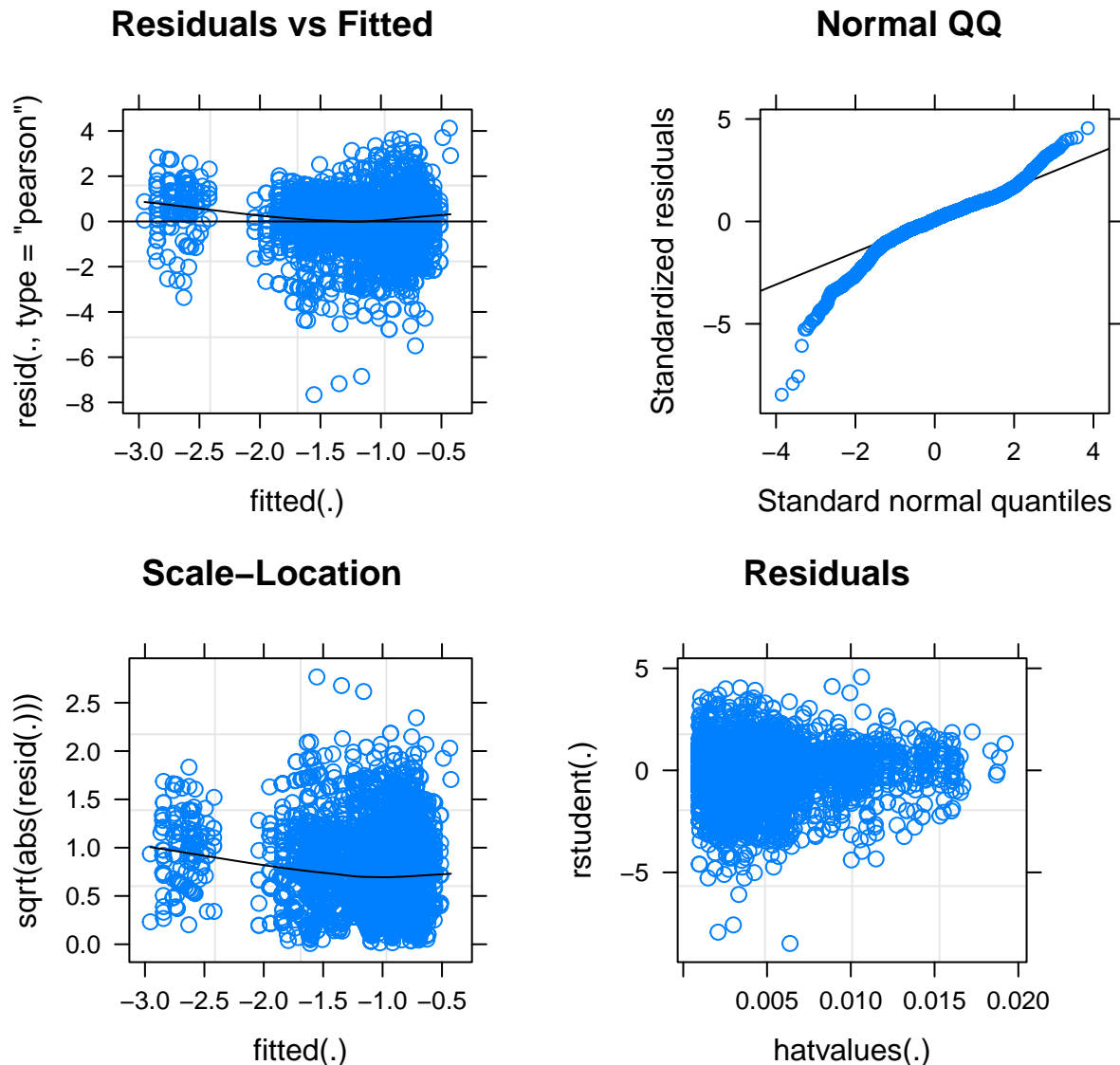


Our model only includes three variables: State, mgstr, and Bulk. Mgstr and Bulk are fixed effects and State has a random effect.

Let's first check the fixed effect in this model. As we can see from the fixed effect table, the intercept for this model is  $-0.59$ , which means the price of the drug would be  $e^{-0.59} = 0.554$  while the dosage strength is 0 and Bulk is also 0. For mgstr, its coefficient is  $-0.01$ , which means a 1 unit increase in dosage strength will lead to a 0.01 decrease in log price per mg while holding all other coefficients constant. That is to say, a 1 unit increase in mgstr will lead to original price increase by a factor of  $e^{-0.01} = 0.99$  times. For Bulk, if we switch

the category of bulk from 0 to 1 while holding all other coefficients constant, then the intercept of the log price will decrease 0.103, which means the original price per gram will increase by a factor of  $e^{-0.103} = 0.902$  times.

For random effect of the state, it means in different states, the base price of Morphine will be a little bit different. The across-state variation is 0.015 and the within-state variation is 0.82, which means the across-state random effect is not strong compared to within state variation. As we can see from the graph, there is certain degree random effect in the model although their contribution is small. For states like Tennessee, Virginia, and Oklahoma, the price of Morphine would be higher. However, for states like Arizona, California, and Nevada, the price of Morphine would be lower.



Above plots are the diagnostic plots for the model. In the first plot, all of the points are nearly randomly distributed around the 0 line except there is a small pattern. However, that pattern is acceptable. The QQ plot shows the target variable is deviated from the normal distribution. That deviation is expected because the distribution of the  $\log(\text{price})$  is not that normally distributed as shown in the EDA. For the scale-location plot, there is not an obvious pattern in the graph, which means the variance of the residual is constant across all level of predictions. In the last plot, there are also not any influential outliers exist. Thus our model is good. At this point, we successfully train a model that can predict the Morphine price.

## Limitation

When we are exploring the models, there are actually several interactions that can improve the performance of the model. There are two primary reasons we did not include those interactions. First, the interpretability of model will decrease. For example, the interaction between the Bulk and Primary\_reason. It is hard for us to explain how that relate to the price of the drug. Second, those interactions may potentially lead the model to overfitting.