ACM ICPC Template



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Last Modify at January 29, 2015

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1 Graph

1.1 Shortest path

1.1.1 Dijkstra

```
void dijkstra()
2
       memset(dist, 0, sizeof(dist));
3
4
       while(!Q.empty())
5
       {
6
            int x = Q.top().second; Q.pop();
7
           if(done[x]) continue;
            done[x] = 1;
8
            for(Link p = head[x]; p; p = p->next)
9
                if(dist[p->y] > dist[x] + p->z)
10
                {
11
                    dist[p->y] = dist[x] + p->z;
12
                    Q.push(make_pair(dist[p->y], p->y));
13
14
                }
15
       }
   }
16
```

1.1.2 Spfa

```
void spfa()
   {
2
3
       memset(dist, 0x3f, sizeof(dist));
4
       Q.push(S);//S为源点
5
       while(!Q.empty())
       {
6
7
            int x = Q.front();
            Q.pop(); inQ[x] = 0;
8
            for(Link p = head[x]; p; p = p->next)
9
                if(dist[p->y] > dist[x] + p->z)
10
11
                {
                     dist[p->y] = dist[x] + p->z;
12
                     if(!inQ[p->y])
13
14
                     {
                         Q.push(p->y);
15
                         inQ[p->y] = 1;
16
                    }
17
                }
18
19
       }
20 | }
```

1.1.3 Floyd

```
1 | void floyd()
2 | {
3 | for(int k = 1; k <= n; k++) // 这里可以看作是一个加边的过程
```

```
4
            for(int i = 1; i <= n; i++)</pre>
5
                for(int j = 1; j <= n; j++)</pre>
                     map[i][j] = min(map[i][j], map[i][k] + map[k][j]);
6
7
8
9
   // 最小环
10
   void MinCircle()
11
12
       cap[] = map[];
13
        int circle = 0x3f3f3f3f;
        for(int k = 1; k <= n; k++)</pre>
14
15
            for(int i = 1; i < k; i++)</pre>
16
17
                for(int j = i+1; j < k; j++)</pre>
18
                     circle = min(circle, map[i][j] + cap[j][k] + cap[k][i])
19
            for(int i = 1; i <= n; i++)</pre>
                for(int j = 1; j <= n; j++)</pre>
20
21
                     map[i][j] = min(map[i][j], map[i][k] + map[k][j]);
22
23
        return circle == 0x3f3f3f3f ? -1 : circle;
24
25
   // floyd判圈法 (大白书 p44)
26
   void Circle()
27
   {
28
29
        int ans = k;
30
        int k1 = k, k2 = k;
31
        do{
32
            k1 = next(k1);
33
            k2 = next(k2); ans = max(ans, k2);
34
            k2 = next(k2); ans = max(ans, k2);
35
        }while(k1 != k2);
36
        return ans;
37 | }
```

1.2 Minimum Spanning Tree

1.2.1 Prime

```
void prime()
2
3
       memset(dist, 0, sizeof(dist));
4
       int res = 0;
       while(!Q.empty())
5
6
7
           int x = Q.top().second;
8
           if(done[x]) {Q.pop(); continue;}
9
            res += Q.top().first;
10
           Q.pop();
            for(Link p = head[x]; p; p = p->next)
11
                if(dist[p->y] > p->z)
12
```

```
13
                 {
                     dist[p->y] = p->z;
14
                     Q.push(make_pair(dist[p->y], p->y));
15
                 }
16
17
        }
   }
18
   1.2.2 Kruskal
```

```
void prime()
2
3
       sort(edge, edge+Cnt, cmp);
4
       int res = 0;
5
       for(int i = 0; i < Cnt; i++)</pre>
6
7
            if(getroot(edge[i].x) == getroot(edge[i].y)) continue;
8
            merge(edge[i].x, edge[i].y);
            res += edge[i].z;
9
10
       }
11 | }
```

Tarjan - Strong Union

```
void dfs(int x)
1
2
3
        now[x] = low[x] = ++dfstime;
4
        hash[x] = 1;
5
        st.push(x); inst[x] = 1;
        for(int i = 1; i <= n; i++)</pre>
6
7
            if(map[x][i])
8
            {
9
                if(!hash[i])
10
                {
11
                     dfs(i);
                     low[x] = min(low[x], low[i]);
12
13
                else if(inst[i]) low[x] = min(low[x], now[i]);
14
15
        if(low[x] == now[x])
16
17
18
            while(!st.empty())
19
20
                int u = st.top();
                st.pop(); inst[u] = 0;
21
22
                belong[u] = number;
23
                if(u == x) break;
24
25
            numer++;
26
        }
27
28
   |void tarjan()
```

```
29
  {
30
       for(int i = 1; i <= n; i++)</pre>
           if(!hash[i]) dfs(i);
31
       if(!st.empty()) // 这是一个未知 bug
                                             栈中还会剩下一个强连通分量
32
33
34
           while!st.empty())
35
           {
               int u = st.top();
36
37
               st.pop();
38
               belong[u] = number;
           }
39
40
           number++;
41
       }
42 | }
```

1.4 LCA

1.4.1 Tarjan

```
1 |// poj 1330 (changed something)
   // LCA tarjan
3
   #include <cstdio>
   #include <cstring>
4
5
   const int N = 10000 + 10;
6
7
8
   int n;
   struct Link{int y, idx; Link *next;}*head[N], *ask[N];
9
10
   int tx, ty;
   bool in[N], vis[N];
11
   int f[N];
12
   int ans[N]; // Query Answer
13
14
15
   void inLink(int x, int y)
16
   {
17
        Link *p = new Link;
18
        p \rightarrow y = y;
19
        p -> next = head[x];
20
        head[x] = p;
21
22
   void inAsk(int x, int y, int idx)
23
   {
24
        Link *p = new Link;
25
        p \rightarrow y = y;
26
        p \rightarrow idx = idx;
        p \rightarrow next = ask[x];
27
28
        ask[x] = p;
29
30
   int getroot(int x)
31
32
        return f[x] == x ? x : f[x] = getroot(f[x]);
33
```

```
34
  | }
35
   void LCA(int x)
36
37
38
        vis[x] = 1;
39
        f[x] = x;
        for(Link *p = ask[x]; p; p = p -> next)
40
41
            if(vis[p—>y]) ans[p—>idx] = getroot(p—>y);
        for(Link *p = head[x]; p; p = p -> next)
42
43
            if(!vis[p->y])
            {
44
                 LCA(p->y);
45
                 f[p->y] = x;
46
            }
47
48
49
50
   int main()
51
52
        int T; scanf("%d", &T);
53
        while (T--)
54
        {
            memset(head, 0, sizeof(head));
55
            memset(ask, 0, sizeof(ask));
56
57
            memset(in, 0, sizeof(in));
            memset(vis, 0, sizeof(vis));
58
            scanf("%d", &n);
59
            for(int i = 1; i <= n; i++) f[i] = i;</pre>
60
61
            for(int i = 1; i < n; i++)</pre>
62
            {
63
                 int x, y;
                 scanf("%d%d", &x, &y);
64
65
                 inLink(x, y);
                 in[y] = 1;
66
67
68
            int q = 1;// the number of query
69
            for(int i = 1; i <= q; i++)</pre>
70
            {
71
                 int x, y; scanf("%d%d", &x, &y);
72
                 inAsk(x, y, i); inAsk(y, x, i);
            }
73
            int root = -1;
74
75
            for(int i = 1; i <= n; i++)</pre>
76
                 if(!in[i]) {root = i; break;}
77
            LCA(root);
            for(int i = 1; i <= q; i++)</pre>
78
79
                 printf("%d\n", ans[i]);
80
        }
81
        return 0;
82 | }
```

1.4.2 Doubling Algorithm

还不会...

1.5 Bipartite Graph

1.5.1 Maximal Matching - The Hungarian algorithm

```
int ttt = 0; // 全局时间戳变量
1
2
   bool search(int x)
3
4
5
        for(int i = 1; i <= m; i++)</pre>
            if(map[x][i] && vis[i] != ttt)
6
7
            {
                 vis[i] = ttt;
8
9
                 if(pre[i] == -1 \mid | search(pre[i]))
10
                     pre[i] = x;
11
                     return 1;
12
13
                 }
14
            }
15
        return 0;
16
17
18
   int match()
19
20
       int res = 0;
21
        for(int i = 1; i <= n; i++)</pre>
22
            ++ttt; // 这里不用 memset 节省时间
23
            res += search(i);
24
25
26
        return res;
27 | }
```

1.5.2 Optimal Matching - KM

不会... 用费用流解决

1.6 Network flow

1.6.1 Maximum Flow - isap

```
1 ///
       h[x]:
                 点 x 在第 h[x] 层
                 第 k 层有 v[k] 个点
       v[k]:
2
  int sap(int x, int flow)
4
5
      if(x == n) return flow;
6
      int res = 0;
7
      for(int i = S; i <= T; i++)</pre>
8
          if(g[x][i] && h[x] == h[i] + 1)
```

```
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9
            {
                int t = sap(i, min(g[x][i], flow - res));
10
                res += t; g[x][i] -= t; g[i][x] += t;
11
                if(res == flow) return res;
12
13
                if(h[S] >= T) return res;
14
        //if(h[S] >= T) return res;
15
16
        if((--v[h[x]]) == 0) h[S] = T;
17
        ++v[++h[x]];
18
        return res;
19
   int main()
20
21
22
        v[0] = T;
        int maxflow = 0;
23
        while(h[S] < T) maxflow += sap(1, inf);</pre>
24
25
        reutrn 0;
26 }
   1.6.2 Minimum Cost Maximum Flow - spfa
   struct EG{int from, to, flow, cost, next;}edge[M];
1
```

```
2
3
   void add edge(int a,int b,int c,int d)
4
5
       edge[L]=(EG){a,b,c,+d,head[a]};
       head[a]=L++;
6
7
       edge[L]=(EG){b,a,0,-d,head[b]};
       head[b]=L++;
8
9
10
11
   bool spfa()
12
   {
       memset(inQ, 0, sizeof(inQ));
13
       memset(dist, 0x3f, sizeof(dist));
14
15
       dist[S] = 0;
       q.push(S);
16
17
       while(!q.empty())
18
       {
19
            int x = q.front();
            q.pop();
20
21
            inQ[x] = 0;
22
            for(int i = head[x]; i != -1; i = edge[i].next)
                if(edge[i].flow && dist[edge[i].to] > dist[x] + edge[i].
23
                   cost)
                {
24
                    pre[edge[i].to] = i;
25
                    dist[edge[i].to] = dist[x] + edge[i].cost;
26
27
                    if(!inQ[edge[i].to])
28
                    {
29
                         inQ[edge[i].to] = 1;
30
                         q.push(edge[i].to);
```

```
31
                    }
                }
32
33
       return dist[T] != inf;
34
35
   void MFMC()
36
37
38
       memset(head, -1, sizeof(head));
39
       建图调用 add_edge();
40
       int mincost = 0, maxflow = 0;
41
42
       while(spfa())
43
44
            int res = inf;
45
            for(int i = T; i != S; i = edge[pre[i]].from)
46
                res = min(res, edge[pre[i]].flow);
47
48
49
            for(int i = T; i != S; i = edge[pre[i]].from)
50
51
                edge[pre[i]].flow -= res;
52
                edge[pre[i] ^ 1].flow += res;
53
54
            maxflow += res;
55
            mincost += res * dist[T];
56
       }
57 | }
```

2 Tools

2.1 C char*

2.2 C++ std::string

```
1 | //==== 初始化 ====
2 | 头文件 string 并加上 std::
3 | string s(str); //相当于 string s=str;
4 | string s(cstr); //把 char 数组类型的字符串 cstr作为 s的初值
5 | s.clear(); //清空,相当于 s="";
6 |
7 | //====长度 ====
```

```
|s.length();//获取s的长度, 0(1)
9
  s.size();//一样
10
  //==== 插入删除 ====
11
  s.insert(2, "a"); //在s的位置 2插入 string 类字符串 "a"
12
  s.erase(2, 3); //从s的位置2开始删除3个字符
13
14
  //====查找====
15
16 | s.find("abc");//查找字符串 "abc"在 s 中第一次出现的位置 (据说是 KMP 实现的)
  //s="aabcc"; printf("%d %d\n",(int)s.find("abc"),(int)s.find("aabb"));
17
18 | / / 上一行程序应输出 1 -1 (若没找到必须强行转换为 int 才为 -1 )
```

2.3 Batch test

2.3.1 @Linux

```
1 mkdata=mk
   filea=a
2
   fileb=b
3
 5
   g++ $mkdata.cpp —o $mkdata
6
   g++ $filea.cpp —o $filea
   g++ $fileb.cpp —o $fileb
7
   cas=0
8
9
   while true; do
       ./$mkdata > $filea.in
10
        ./$filea < $filea.in > $filea.out
11
        ./$fileb < $filea.in > $fileb.out
12
       if ! diff $filea.out $fileb.out
13
14
       then
15
            echo "⊔Wrong⊔Answer"
16
            break
17
       fi
       echo $((cas=cas+1)) "<sub>□</sub>Accepted"
18
19
   done
```

2.3.2 @Windows

```
1
  :loop
      mk > A.in
2
      A < A.in > A.out
3
4
       p < A.in > p.out
5
       fc A.out p.out
      if errorlevel 1 goto end
6
7
       goto loop
8
  :end
9
       pause
```