```
In[1]:= Needs["MaTeX`"];
In[2]:= 11 = .025;
    12 = .001;
    s = 11 / 2;
In[5]:= SetDirectory[
        "C:\\Users\\user-pc\\Documents\\Docs Guillem\\PhD ICFO\\Projects\\PIEWS\\Final"];
    (* Link to the data file *)
```

Spin-1

```
+
GSSpin1 = Transpose[Transpose@{First[First[Import["x_spin1_N100_iso.mat"]]],
     First[First[Import["y_spin1_N100_iso.mat"]]]}];
FeasSpin1 = Transpose[Import["FeasSpin1_iso.mx"]];
FeasSpin2 = Transpose[Import["FeasSpin2_N24_iso.mx"]];
GSSpin2 = Import["GSSpin2 N24 iso.mx"];
t = -0.5;
Spin1Iso = Show[
  ConvexHullMesh[Transpose@{FeasSpin1[[1]], FeasSpin1[[2]] + t},
   MeshCellStyle → {2 → Opacity[1, White], EdgeForm[]}],
  Plot[x+t, \{x, 0.82, 1.6\}, PlotStyle \rightarrow \{Black\}, PlotLegends \rightarrow \{"Populations EW"\}],
  ListLinePlot[
   Transpose@{ConstantArray[1, 11], N@Subdivide[0.82, 1.6, 10] + t}, PlotRange → All,
   PlotStyle \rightarrow \{Black, AbsoluteDashing[\{20, 5\}]\}, PlotLegends \rightarrow \{"Spin EW"\}],
  ListLinePlot[Transpose@{GSSpin1[[1]], GSSpin1[[2]] + t},
   PlotStyle → {Black, Dotted}, PlotLegends → {"GS spin-1"}],
  Frame \rightarrow True, PlotRange \rightarrow {{-0.2, 2.2}, {0.82 + t, 1.6 + t}}, TicksStyle \rightarrow Large,
  BaseStyle → FontSize → 15, AspectRatio → 1, Axes → False, FrameLabel →
   Prolog → {LightGray, Rectangle[Scaled[{0, 0}], Scaled[{1, 1}]]}]
   1.1
   1.0
   0.9
   8.0

    Populations EW

   0.7

    Spin EW

   0.6
                                                       ······ GS spin-1
   0.5
   0.4
                  0.5
                                               2.0
         0.0
                            1.0
                                      1.5
                          <\hat{\mathbf{J}}^2/N>
```

```
In[12]:=
     FeasSpin1BA = Import["FeasSpin1_N100_BA.mx"];
     FeasSpin2BA = Import["FeasSpin2_N24_BA.mx"];
     xGSSpin1 = First[First[Import["x_spin1_N100_BA.mat"]]];
     yGSSpin1 = First[First[Import["y_spin_1_N100_BA.mat"]]];
     t = 3 / 2;
     Spin1BA = Show[
       ConvexHullMesh[
         Transpose@{Transpose[FeasSpin1BA][[1]], Transpose[FeasSpin1BA][[2]] + t},
         MeshCellStyle → {2 → Opacity[1, White], EdgeForm[]}],
       Plot[x+t, \{x, -1.2, -0.4\}, PlotStyle \rightarrow \{Black\}, PlotLegends \rightarrow \{"Populations EW"\}],
        (*ListLinePlot[
         Transpose@{Transpose[FeasSpin1BA][[1]],Transpose[FeasSpin1BA][[2]]+t},
         PlotStyle→{Red,Dashed},PlotRange→All,PlotLegends→{"Feasible spin-1"}],
       Plot[x+t, {x, -2,0}, PlotStyle \rightarrow {Black, Dotted, Thickness[0.01]},
         PlotLegends→{"Populations EW"}]*)
       ListLinePlot[Transpose@{ConstantArray[-1, 11], N@Subdivide[-0.4, -1.2, 10] + t},
         PlotStyle → {Black, AbsoluteDashing[{20, 5}]}, PlotLegends → {"Spin EW"}],
       ListLinePlot[Transpose@{xGSSpin1, yGSSpin1+t}, PlotStyle → {Black, Dotted},
         PlotLegends → {"GS spin-1"}, PlotRange → All],
       Frame \rightarrow True, PlotRange \rightarrow {{-1.6, 0.1}, {-0.4 + t, -1.2 + t}}, TicksStyle \rightarrow Large,
       BaseStyle → FontSize → 15, AspectRatio → 1, Axes → False, FrameLabel → {MaTeX[
           "<(N-1)[\hat{J}^{(z)}]^2-N\hat{Q}^{(z)}-[\hat{J}^{(x)}]^2-[\hat{J}^{(y)}]^2>/
              (N(N+1))"], MaTeX["<\hat{\mathbf{N}}_0^2 >/ (N(N+1))"]},
       Prolog → {LightGray, Rectangle[Scaled[{0, 0}], Scaled[{1, 1}]]}]
         1.0
     <\hat{\mathbf{N}}_0^2 > /(N(N+1))
         0.8

    Populations EW

    Spin EW

         0.6
                                                                ----- GS spin-1
         0.4
             -1.5
                                          -0.5
                            -1.0
                                                         0.0
              <(N-1)[\hat{J}^{(z)}]^2-N\hat{Q}^{(z)}-[\hat{J}^{(x)}]^2-[\hat{J}^{(y)}]^2>/(N(N+1))
```

Spin-2

```
+
In[18]:=
                GSSpin1 = Transpose[Transpose@{First[First[Import["x_spin1_N100_iso.mat"]]],
                                  First[First[Import["y_spin1_N100_iso.mat"]]]}];
                FeasSpin1 = Transpose[Import["FeasSpin1_iso.mx"]];
                FeasSpin2 = Transpose[Import["FeasSpin2_N24_iso.mx"]];
                GSSpin2 = Import["GSSpin2_N24_iso.mx"];
                GSSpin2Nem = Import["GSSpin2_N24_iso_j1pm1qm10to10.mx"];
                GSSpin2Sin = Import["GSSpin2_N24_iso_j1p1qm10to10.mx"];
                t = -0.85;
                Spin2Iso = Show[
                       ConvexHullMesh[Transpose@{FeasSpin2[[1]], FeasSpin2[[2]] + t},
                          MeshCellStyle → {2 → Opacity[1, White], EdgeForm[]}],
                       Plot[x+t, \{x, 0.80, 1.5\}, PlotStyle \rightarrow \{Black\}, PlotLegends \rightarrow \{"Populations EW"\}],
                       ListLinePlot[
                          Transpose@ {ConstantArray[1, 11], N@Subdivide[0.80, 1.5, 10] + t}, PlotRange → All,
                          PlotStyle → {Black, AbsoluteDashing[{20, 5}]}, PlotLegends → {"Spin EW"}],
                       ListLinePlot[Transpose@{Transpose[GSSpin2Nem] [[1]],
                                  Transpose[GSSpin2Nem] [[2]] + t}, PlotStyle → {Black, Dotted},
                          PlotLegends \rightarrow {"GS spin-2 p = -1"}, PlotRange \rightarrow All],
                       ListLinePlot[Transpose@{Transpose[GSSpin2Sin] [[1]],
                                  Transpose[GSSpin2Sin] [[2]] + t},
                          PlotStyle → {Black, AbsoluteDashing[{20, 5, 1, 5}]},
                          PlotLegends \rightarrow {"GS spin-2 p = +1"}, PlotRange \rightarrow All],
                       Frame \rightarrow True, PlotRange \rightarrow {{-0.2, 2.2}, {0.80 + t, 1.5 + t}},
                       TicksStyle → Large, BaseStyle → FontSize → 15, AspectRatio → 1,
                      Axes \rightarrow False, FrameLabel \rightarrow {MaTeX["<\hat{\mathbf{J}}^2/(2N)>"],
                              \label{eq:mathbf} $$MaTeX["<\hat{N}]_0(\hat{N})_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb{N}}_0^{\mathbb
                       Prolog → {LightGray, Rectangle[Scaled[{0, 0}], Scaled[{1, 1}]]},
                       PlotRange \rightarrow \{\{0, 2\}, \{0.82 + t, 1.5 + t\}\}\]
```

