EXPERIMENT 2

MST-PRIM(G, w, r)1 for each vertex $u \in G.V$ 2 $u.key = \infty$

 $\begin{array}{ll}
4 & r.key = 0 \\
5 & O = \emptyset
\end{array}$

10 11

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 $u.\pi = NIL$

for each vertex $u \in G.V$

u = EXTRACT-MIN(Q)

 $v.\pi = u$

if $v \in Q$ and w(u, v) < v.key

DECREASE-KEY (Q, v, w(u, v))

v.key = w(u, v)

 $/\!\!/$ add u to the tree

for each vertex v in G.Adj[u] // update keys of u's non-tree neighbors

INSERT(Q, u)

while $Q \neq \emptyset$

Objective: Implementation of Prim's algorithm to find Minimum Spanning Tree (MST).

Brief Theory:

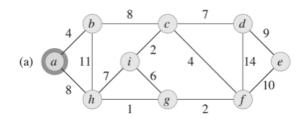
Prim's Algorithm is a greedy method to find the MST of a connected, weighted graph. It starts from any node and grows the MST by repeatedly adding the smallest edge connecting a vertex in the MST to one outside it.

Steps:

- 1. Initialize a starting node and use a data structure to store edges by weight.
- 2. Select the smallest edge connecting MST to an unvisited vertex.
- 3. Add the edge and vertex to the MST, updating the queue with new edges.
- 4. Repeat until all vertices are included in the MST.

Tasks:

1) Implement Prim's algorithm to find the Minimum Spanning Tree (MST) for the given connected, weighted graph using an adjacency matrix.



- 2) Modify the implementation to use a priority queue for selecting the smallest edge more efficiently.
- 3) Create a program where the user can input graph nodes, edges, and weights, then compute the MST using Prim's algorithm.

Apparatus and components required: Computer with C or C++ Compiler and Linux/Windows platform.

Experimental/numerical procedure: Coding, compilation, editing, run and debugging.