



National Textile University

Department of Computer Science

Subject:

Operating System

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Assignment Number:

2

Semester:

5th

Part#1

A counting semaphore is initialized to 7. If 10 wait() and 4 signal() operations are performed, find the final value of the semaphore.

Solution:

Applying wait():

$$S=7-10$$

$$S=-3$$

Applying signal():

$$S=-3+4$$

$$S=1$$

Final Answer:

$$\underline{S=1}$$

A semaphore starts with value 3. If 5 wait() and 6 signal() operations occur, calculate the resulting semaphore value.

Solution:

Applying wait():

$$S=3-5$$

$$S=-2$$

Applying signal():

$$S=-2+6$$

$$S=4$$

Final Answer:

$$\underline{S=4}$$

A semaphore is initialized to 0. If 8 signal() followed by 3 wait() operations are executed, find the final value?

Solution:

Applying wait():

$$S=0+8$$

$$S=8$$

Applying signal():

$$S=8-3$$

$$S=5$$

Final Answer:

$$\underline{S=5}$$

A semaphore is initialized to 2. If 5 wait() operations are executed?

Solution:

$$S=2-1=1$$

$$S=1-1=0$$

$$S=0-1=-1$$

$$S=-1-1=-2$$

$$S=-2-1=-3$$

(a) How many processes enter the critical section?

Just first 2 process enter critical section, because to enter in critical section semaphore must be ≤ 0

(b) How many processes are blocked?

Remaining 3 process are blocked

A semaphore starts at 1. If 3 wait() and 1 signal() operations are performed?

Solution:

Applying wait():

$$S=1-1=0$$

$$S=0-1=-1$$

$$S=-1-1=-2$$

Applying signal():

$$S=-2+1=-1$$

(a) How many processes remain blocked?

1 process.

(b) What is the final semaphore value?

$$\underline{S=-1}$$

Semaphore $S = 3$; wait(S); wait(S); signal(S); wait(S); wait(S)?

Solution:

Applying wait():

$$S=3-1=2$$

$$S=2-1=1$$

Applying signal():

$$S=1+1=2$$

Applying wait():

$$S=2-1=1$$

$$S=1-1=0$$

(a) How many processes enter the critical section?

4 processes.

(b) What is the final value of S?

S=0

Semaphore S = 1; wait(S); wait(S); signal(S); signal(S).

Solution:

Applying wait():

$S = 1 - 1 = 0$

$S = 0 - 1 = -1$

Applying signal():

$S = -1 + 1 = 0$

$S = 0 + 1 = 1$

(a) How many processes are blocked?

1 Process.

(b) What is the final value of S?

S=1

A binary semaphore is initialized to 1. Five wait() operations are executed without any signal().

Solution:

Applying wait():

$S = 1 \rightarrow 0$

$S = 0$

$S = 0$

$S = 0$

$S = 0$

How many processes enter the critical section?

Only one process, because to enter in critical section semaphore must be ≤ 0 .

How many are blocked?

Remaining all are blocked (4 process).

A counting semaphore is initialized to 4. If 6 processes execute wait() simultaneously?

Solution:

Applying wait():

$S = 4 - 1 = 3$

$S = 3 - 1 = 2$

$S = 2 - 1 = 1$

$S = 1 - 1 = 0$

$S = 0 - 1 = -1$

$S = -1 - 1 = -2$

How many proceed?

First 4 process.

How many are blocked?

Last 2 process.

A semaphore S is initialized to 2. wait(S); wait(S); wait(S); signal(S); signal(S); wait(S); a) Track the semaphore value after each operation.

Solution:

Semaphore Value	Process State	Blocked?
2	NULL	N0
2-1=1	Critical Section	N0
1-1=0	Critical Section	N0
0-1=-1	Blocked	Yes
-1+1=0	Unblocks	N0
0+1=1	NULL	N0
1-1=0	Critical Section	N0

(b) How many processes were blocked at any time?

Only 1 process is blocked at wait(3).

Semaphore is initialized to 0. Three processes execute wait() before any signal(). Later, 5 signal() operations are executed.

Solution:

Applying wait():

$S=0-1=-1$

$S=-1-1=-2$

$S=-2-1=-3$

Applying signal():

$S=-3+1=-2$

$S=-2+1=-1$

$S=-1+1=0$

$S=0+1=1$

$S=1+1=2$

(a) How many processes wake up?

3 Blocked process waked up at signal().

(b) What is the final semaphore value?

S=2

Part#2

Code:

```
#include <stdio.h>
#include <pthread.h>
#include <semaphore.h>
#include <unistd.h>
#define SIZE 5

int buffer[SIZE];
int in = 0, out = 0;
sem_t empty, full;
pthread_mutex_t lock;

void* producer(void* arg) {
    for(int i=0; i<5; i++) {
        int item = i+1;
        sem_wait(&empty);
        pthread_mutex_lock(&lock);
        buffer[in] = item;
        printf("Producer produces %d at %d\n", item, in);
        in = (in+1) % SIZE;
        pthread_mutex_unlock(&lock);
        sem_post(&full);
        sleep(1);
    }
    return NULL;
}

void* consumer(void* arg) {
    for(int i=0; i<5; i++) {
        sem_wait(&full);
        pthread_mutex_lock(&lock);
        int item = buffer[out];
        printf("Consumer consumes %d from %d\n", item, out);
        out = (out+1) % SIZE;
        pthread_mutex_unlock(&lock);
        sem_post(&empty);
        sleep(2);
    }
    return NULL;
}

int main() {
```

```

    pthread_t prod, cons;
    sem_init(&empty, 0, SIZE);
    sem_init(&full, 0, 0);
    pthread_mutex_init(&lock, NULL);

    pthread_create(&prod, NULL, producer, NULL);
    pthread_create(&cons, NULL, consumer, NULL);

    pthread_join(prod, NULL);
    pthread_join(cons, NULL);

    sem_destroy(&empty);
    sem_destroy(&full);
    pthread_mutex_destroy(&lock);

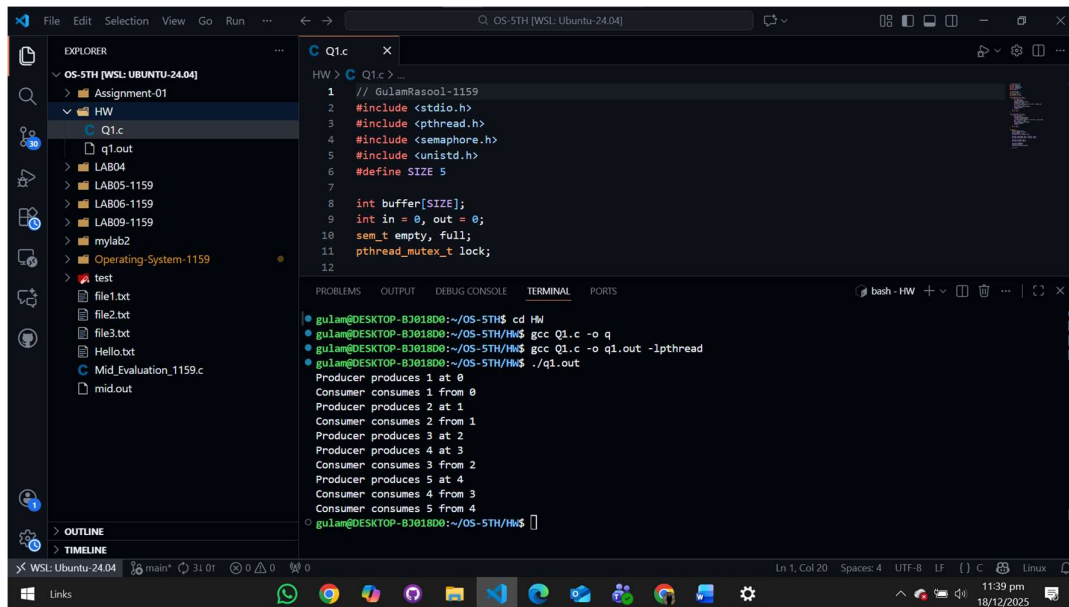
    return 0;
}

```

Description:

- Create a 2 function for producer and consumer.
- Producer() create 1 item.
- Use sem_wait(&empty) check the space is empty or not, if the space is empty it put them in buffer, otherwise wait for it empty.
- Then use pthread_mutex_lock to apply synchronization.
- The item is placed in 'in' index of buffer.
- Then update the 'in' index of buffer.
- Unlock the buffer using pthread_mutex_unlock(&lock).
- Then signal the consumer by sem_post(&full).
- Consumer() takes 1 item at a time from the buffer.
- Use sem_wait(&full) to check if the buffer has an item.
- If an item exists, it is taken from the buffer.
- If not, the consumer waits until an item is produced.
- Lock the buffer using pthread_mutex_lock(&lock).
- The item from the 'out' index of the buffer.
- Update the out index for the next item ($out = (out + 1) \% SIZE$).
- Unlock the buffer using pthread_mutex_unlock(&lock).
- Then signal the producer by sem_post(&full).
- In main(), Initialize semaphore and mutex lock.
- Then create a producer and consumer object.
- At last, destroy both semaphore and mutex.

Output:



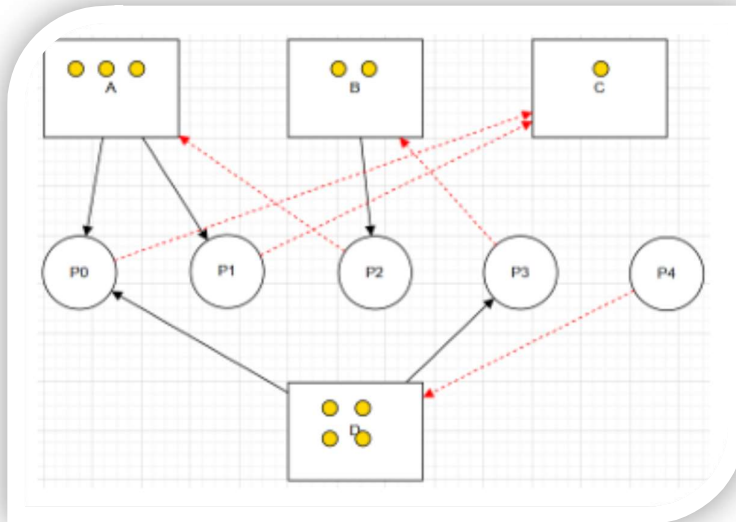
The screenshot displays the Visual Studio Code interface with a C program named `Q1.c` open in the editor. The program is a producer-consumer example using pthreads. The terminal shows the compilation and execution of the program, resulting in a sequence of producer and consumer actions.

```
1 // GulamRasool-1159
2 #include <stdio.h>
3 #include <pthread.h>
4 #include <semaphore.h>
5 #include <unistd.h>
6 #define SIZE 5
7
8 int buffer[SIZE];
9 int in = 0, out = 0;
10 sem_t empty, full;
11 pthread_mutex_t lock;
12
```

```
gulam@DESKTOP-BJ018D0:~/OS-5TH$ cd HW
gulam@DESKTOP-BJ018D0:~/OS-5TH/HW$ gcc Q1.c -o q
gulam@DESKTOP-BJ018D0:~/OS-5TH/HW$ gcc Q1.c -o q1.out -lpthread
gulam@DESKTOP-BJ018D0:~/OS-5TH/HW$ ./q1.out
Producer produces 1 at 0
Consumer consumes 1 from 0
Producer produces 2 at 1
Consumer consumes 2 from 1
Producer produces 3 at 2
Consumer consumes 3 from 2
Producer produces 4 at 3
Consumer consumes 4 from 3
Producer produces 5 at 4
Consumer consumes 5 from 4
gulam@DESKTOP-BJ018D0:~/OS-5TH/HW$
```


Part#3

Covert the following graph into matrix table:



Allocation Matrix:

Processes	A	B	C	D
P0	1	0	0	1
P1	1	0	0	0
P2	0	1	0	1
P3	0	0	0	0
P4	0	0	0	0

Request Matrix:

Processes	A	B	C	D
P0	0	0	1	0
P1	0	0	1	0
P2	1	0	0	1
P3	0	1	0	0
P4	0	0	0	1

Part#4

Part 4: Banker's Algorithm

System Description:

- The system comprises five processes (P0–P3) and four resources (A,B,C,D).
- Total Existing Resources:

Total			
A	B	C	D
6	4	4	2

- Snapshot at the initial time stage:

	Allocation				Max				Need			
	A	B	C	D	A	B	C	D	A	B	C	D
P0	2	0	1	1	3	2	1	1				
P1	1	1	0	0	1	2	0	2				
P2	1	0	1	0	3	2	1	0				
P3	0	1	0	1	2	1	0	1				

Allocation Matrix

	A	B	C	D
P0	2	0	1	1
P1	1	1	0	0
P2	1	0	1	0
P3	0	1	0	1

Max Matrix

	A	B	C	D
P0	3	2	1	1
P1	1	2	0	2
P2	3	2	1	0
P3	2	1	0	1

1. Available vector:

$A.V = \text{Total} - \text{sum of allocated}$

Sum of allocated

$$A = 2 + 1 + 1 + 0 = 4$$

$$B = 0 + 1 + 0 + 1 = 2$$

$$C = 1 + 0 + 1 + 0 = 2$$

$$D = 1 + 0 + 0 + 1 = 2$$

Now, apply available vector:

$$A = 6 - 4 = 2$$

$$B = 4 - 2 = 2$$

$$C = 4 - 2 = 2$$

$$D = 2 - 2 = 0$$

2. Need Matrix:

Need = Max - Allocation

	A	B	C	D
P0	3-2	2-0	1-1	1-1
P1	1-1	2-1	0-0	2-0
P2	3-1	2-0	1-1	0-0
P3	2-0	1-1	0-0	1-0

Now, need matrix is:

	A	B	C	D
P0	1	2	0	0
P1	0	1	0	2
P2	2	2	0	0
P3	2	0	0	1

3. Safety Check:

Available = [2, 2, 2, 0]

Step 1:

Check P0: Need (1, 2, 0, 0)

\leq Available [2, 2, 2, 0]

Available + Available [P0] =

[2, 2, 2, 0] + [2, 0, 1, 1]

= [4, 2, 3, 1]

Finished [P0] = True

Sequence = [P0]

Step 2

Check P1 : Need $[0, 1, 0, 2]$
 \leq Available $[4, 2, 3, 1]$

\therefore as above decision is false, so we skip it.

check

P2 : Need $[2, 2, 0, 0] \leq$
Available $[4, 2, 3, 1]$

\therefore Now above decision is true

Available + Allocation [P2]

Available = $[5, 2, 4, 1]$

Finished [P2] = True

Sequence = $[P0, P2]$

Step 3:

Check P1 again: Same process repeat as above

Check P3 . Need $[2, 0, 0, 0] \leq$
Available $[5, 2, 4, 1]$

\therefore the above decision is true

Available + Allocation [P3]

Available = $[5, 3, 4, 2]$

Finished [P3] = True.

Sequence = $[P0, P2, P3]$

Step 4:

Now only P_1 left:

$$\text{Need } [0, 1, 0, 2] \leq \text{Available } [5, 3, 4, 2]$$

∴

The above decision is true

$\text{Available} += \text{Allocation } [P_1]$

$$\text{Available} = [6, 4, 4, 2]$$

$\text{Finished } [P_1] = \text{True}$

$\text{Sequence} = [P_0, P_2, P_3, P_1]$

Results:

Now system is purely safe
safe sequence is:

$P_0 \rightarrow P_2 \rightarrow P_3 \rightarrow P_1$