

## Experiment-16

## MST using Greedy Techniques.

- Aim:  
To perform Minimum Spanning tree using greedy techniques.
- Algorithms:
- \* Give the input of number of nodes & give the matrix of nodes.
  - \* Create for loops to get the number of nodes of matrices.
  - \* Creating a loop in such a way that once a node is visited, then it should not be repeated, for this create another while loop for not visiting the nodes.
  - \* Get result and End program.

→ Program:

```
#include<stdio.h>
#include <conio.h>
int a,b,u,v,n,i,j,ne=1;
int visited[10]={0},min,minCost=0,cost[10][10];
int main(){
    printf("\nEnter the number of nodes:");
    scanf("%d",&n);
    printf("\nEnter adjacency matrix:\n");
    for(i=1;i<=n;i++)
        for(j=1;j<=n;j++){
            scanf("%d",&cost[i][j]);
            if(cost[i][j]==0)
                cost[i][j]=999;
        }
    visited[1]=1;
    printf("\n");
    while(ne<n){
        for(i=1;min=999;i<=n;i++)
            for(j=1;j<=n;j++)
                if(cost[i][j]<min)
```

→ Output

Enter

0

5

6

4

0

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```

if (visited[i] == 0) {
    min = cost[i][j];
    a = u = i; // mark a as parent of current & start of
    b = v = j; // spanning tree branch
    if (visited[u] == 0 || visited[v] == 0) {
        printf("In Edge %d : (%d, %d) Cost: %d", netr, a, b, min);
        minCost += min;
        visited[b] = 1; // mark b as visited
        cost[a][b] = cost[b][a] = 999; // init parent &
        printf("In min Cost = %d", minCost);
        getch(); // wait until user hits enter
    }
}

```

→ Output:

Enter the number of nodes: 6

→ Enter adjacency matrix:

0	5	6	4	0	0
5	0	1	2	0	0
6	1	0	2	5	3
4	2	2	0	0	4
0	0	5	0	0	4
0	0	3	4	4	0

Edge 1: (1, 4) Cost: 4

Edge 2: (4, 2) Cost: 2

Edge 3: (2, 3) Cost: 1

Edge 4: (3, 6) Cost: 3

Edge 5: (6, 5) Cost: 4.

Minimum Cost = 14

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```

for(i=0; i<n; i++)
    printf(" %f\t", x[i]);
printf("\n Max profit is: %f", tP);
}

int main() {
    float weight[20], profit[20], capacity;
    int num, i, j;
    float ratio[20], temp;
    printf("\nEnter no. of objects:");
    scanf("%d", &num);
    printf("\nEnter wts & profits of each object:");
    for(i=0; i<num; i++) {
        scanf("%f %f", &weight[i], &profit[i]);
    }
    printf("\nEnter capacity of knapsack:");
    scanf("%f", &capacity);
    for(i=0; i<num; i++) {
        ratio[i] = profit[i]/weight[i];
    }
    for(i=0; i<num; i++) {
        for(j=i+1; j<num; j++) {
            if(ratio[i] < ratio[j]) {
                temp = ratio[i];
                ratio[i] = ratio[j];
                ratio[j] = temp;
                weight[i] = weight[i]/ratio[i];
                weight[j] = weight[j]/ratio[j];
                temp = profit[i];
                profit[i] = profit[j];
                profit[j] = temp;
            }
        }
    }
    knapsack(num, weight, profit, capacity);
    return(0);
}

```

→ Program:

Enter no. of Objects: 5.

Enter wts & profits of each object: 2 10 3 15 6 15 4 9

Enter Capacity: 20

Result: 1.0 1.0 1.0 1.0 1.0

MaxProfit: 69.00

## Experiment-18

Optimal Binary Search tree using Dynamic Program.

→ Aim:

To perform the optimal binary search tree using dynamic programming.

→ Algorithm:

- \* include the limits.h file
- \* Create with double datatypes.
- \* Create a double function with optimal BST Cost.
- \* Create for loops with respect to optimal BST Cost.
- \* Create Keys in double datatypes.
- \* Get result & End program.

→ Program:

```
#include<Stdio.h>
#include<limits.h>
double sumprobabilities(double probabilities[], int start,
                        int end) {
    double sum=0.0;
    for (int i = start; i <= end; i++)
        sum+=probabilities[i];
    return sum;
}
double optimalBSTCost(double keys[], double probabilities[],
                      int n) {
    double dp[n][n];
    for (int i = 0; i < n; i++)
        dp[i][i] = probabilities[i];
    for (int l = 2; l <= n; l++) {
        for (int i = 0; i <= n - l + 1; i++) {
            int j = i + l - 1;
            dp[i][j] = INT_MAX;
            for (int r = i; r <= j; r++)
```



```

    {
        double cost = (r > i) ? dp[i][r - 1] : 0 + (r < j) ?
            dp[r + 1][j] : 0 + sumProbabilities
            (probabilities, i, j); // p[i..j]
        if (cost < dp[i][j])
            dp[i][j] = cost;
    }
    return dp[0][n - 1];
}

int main()
{
    int n;
    printf("Enter no. of keys:");
    scanf("%d", &n);
    double keys[n], probabilities[n];
    printf("Enter keys & their probabilities:\n");
    for (int i = 0; i < n; i++)
    {
        scanf("%lf %lf", &keys[i], &probabilities[i]);
    }
    double cost = optimalBSTCost(keys, probabilities, n);
    printf("Optimal BST Cost: %.1f\n", cost);
    return 0;
}

```

→ Output:

Enter no. of keys: 3

Enter keys & their probabilities:

10 15

20 24

30 10

Optimal BST Cost: 4.000

# Experiment - 19.

## Binomial Coefficient Using Dynamic Pgm

→ Aim: To find the binomial coefficient of the given numbers using dynamic programming

→ Algorithm/Program:

```
#include <stdio.h>
int main()
{
    int i, n=1, r=1, k=1, n1, n2, n3, binomial;
    printf("\n Enter value of n:");
    scanf("%d", &n1);
    printf("\n Enter value of r:");
    scanf("%d", &r);
    n3 = n1 - r;
    for(i=1; i<=n3; i++)
    {
        k = k * i;
    }
    for(i=1; i<=r; i++)
    {
        r = r * i;
    }
    binomial = n1! / (k * r);
    if (n1<0)
    {
        printf("\n Invalid, enter correct choice\n");
    }
    else if (r<0)
    {
        printf("\n Invalid, Correct choice\n");
    }
    else
    {
        printf("\n binomial coeff is %d", binomial);
    }
    return 0;
}
```



Algorithm:

- \* Enter binomial value by creating for loops
- \* If entered value is less than 0, we need to perform and print result as Invalid.
- \* Print result & End the program.

Output:

Enter value of n: 9  
 Enter value of r: 18  
 Invalid, enter correct choice.

## Experiment - 20

### Merge Sort.

- dim:  
To perform merge Sorting using C programming.
- Algorithm:
  - \* Create duplicate Copies of Sub arrays of to be sorted
  - \* Maintain Current index of Subarrays & main array.
  - \* until we reach the end of either L or M
  - Pick larger elements L & M & place them in the correct position
  - \* when we run out of elements in either L or M,
  - Pickup remaining elements & put in a [P--r]
  - \* Print result & Stop.

