

GLOBAL
EDITION



Cryptography and Network Security

Principles and Practice

SEVENTH EDITION

William Stallings



Pearson



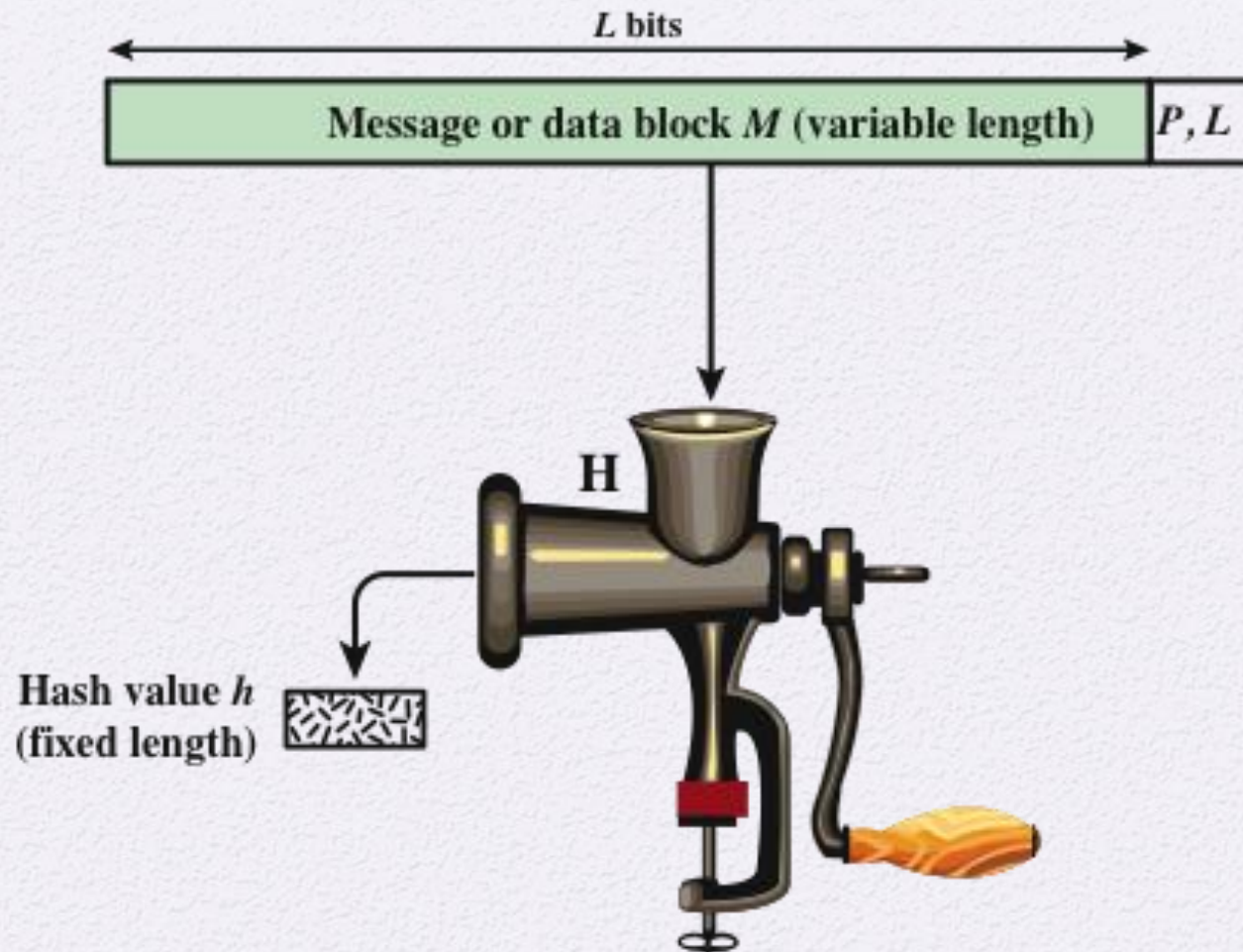
Chapter 11

Cryptographic Hash Functions

Hash Functions

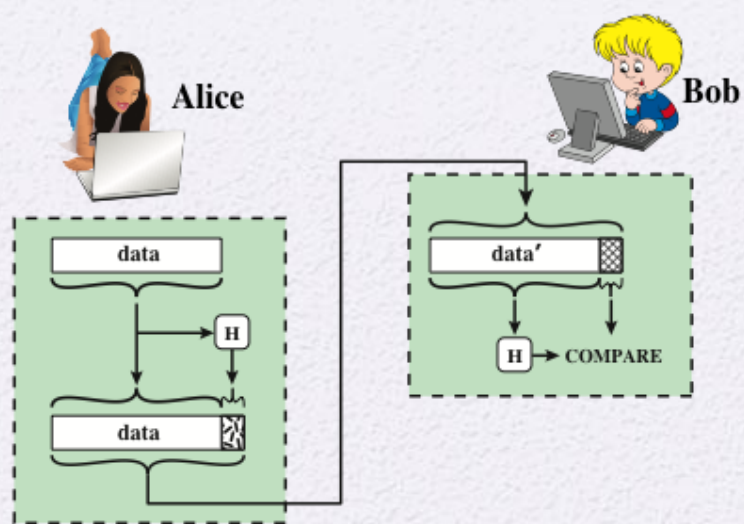
<https://youtu.be/jNoUtbK8hv4?feature=shared>

- A hash function H accepts a variable-length block of data M as input and produces a fixed-size hash value
 - $h = H(M)$
 - Principal object is data integrity
- Cryptographic hash function
 - An algorithm for which it is computationally infeasible to find either:
 - (a) a data object that maps to a pre-specified hash result (the one-way property)
 - (b) two data objects that map to the same hash result (the collision-free property)

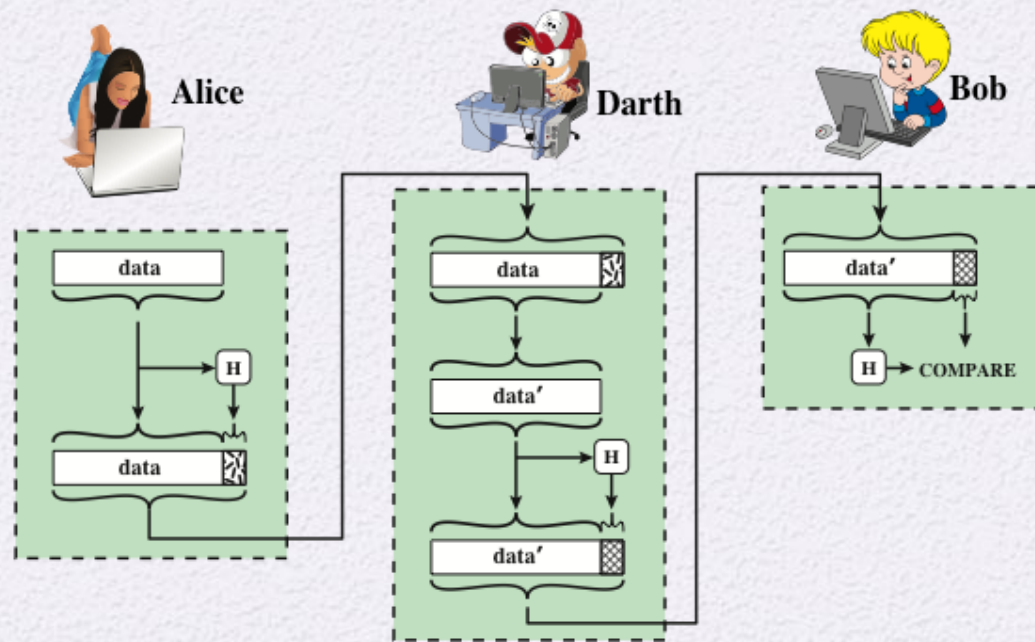


P, L = padding plus length field

Figure 11.1 Cryptographic Hash Function; $h = H(M)$



(a) Use of hash function to check data integrity



(b) Man-in-the-middle attack

Figure 11.2 Attack Against Hash Function

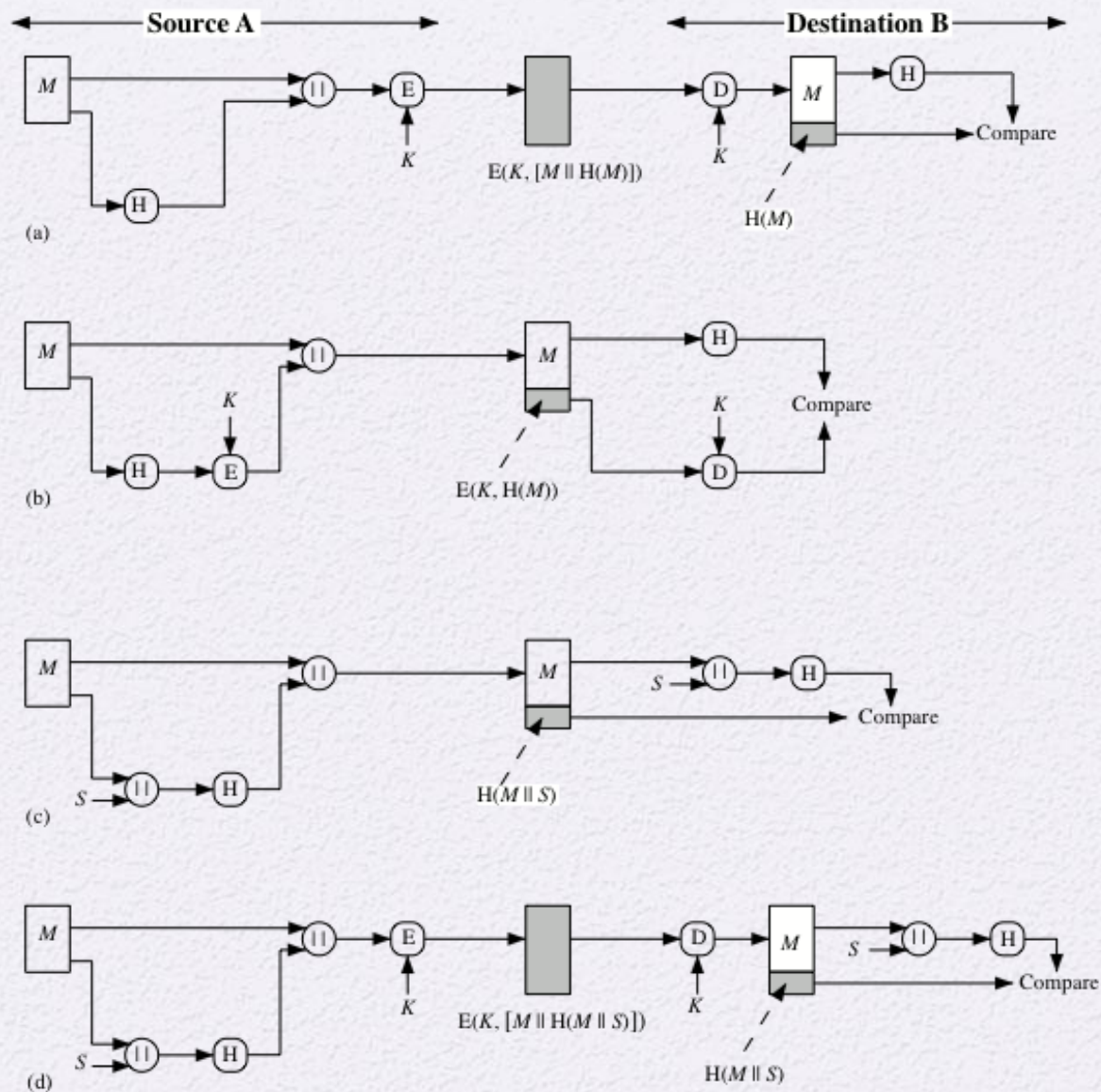


Figure 11.3 Simplified Examples of the Use of a Hash Function for Message Authentication

Message Authentication Code (MAC)

- Also known as a *keyed hash function*
- Typically used between two parties that share a secret key to authenticate information exchanged between those parties

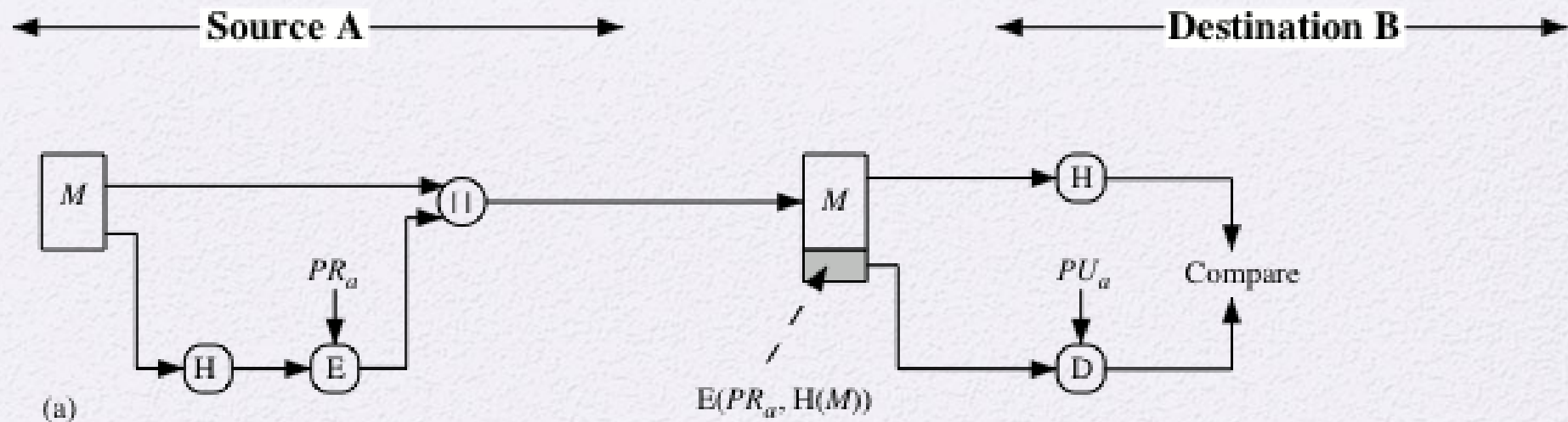
Takes as input a secret key and a data block and produces a hash value (MAC) which is associated with the protected message

- integrity kevi ritna check karvani 6e?
- If the integrity of the message needs to be checked, the MAC function can be applied to the message and the result compared with the associated MAC value
 - An attacker who alters the message will be unable to alter the associated MAC value without knowledge of the secret key

secrete key na vagar tame message ne alter nahi kari skao...

Digital Signature

- Operation is similar to that of the MAC
- The hash value of a message is encrypted with a user's private key
- Anyone who knows the user's public key can verify the integrity of the message
- An attacker who wishes to alter the message would need to know the user's private key
- Implications of digital signatures go beyond just message authentication



why don't we apply directly the asymmetric key cryptography here.

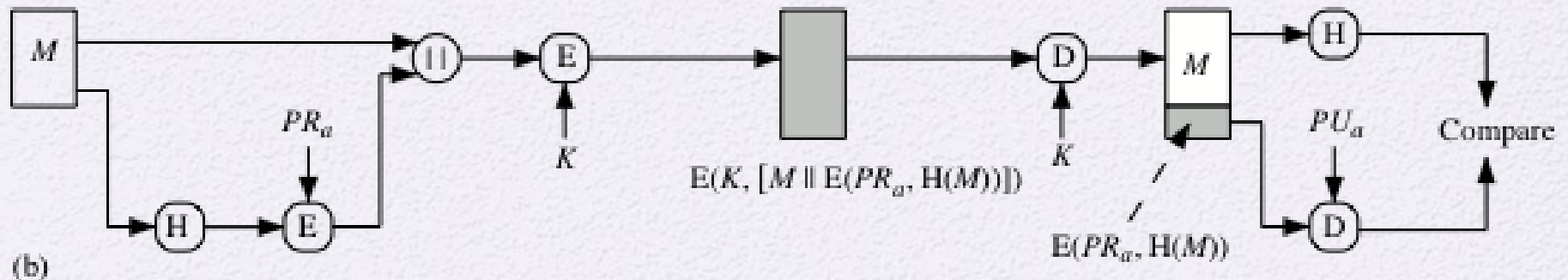


Figure 11.4 Simplified Examples of Digital Signatures

Other Hash Function Uses

Commonly used to create a one-way password file

When a user enters a password, the hash of that password is compared to the stored hash value for verification

This approach to password protection is used by most operating systems

Can be used for intrusion and virus detection

Store $H(F)$ for each file on a system and secure the hash values

One can later determine if a file has been modified by recomputing $H(F)$

An intruder would need to change F without changing $H(F)$

Can be used to construct a pseudorandom function (PRF) or a pseudorandom number generator (PRNG)

A common application for a hash-based PRF is for the generation of symmetric keys

Requirements and Security

Preimage

- x is the preimage of h for a hash value $h = H(x)$
- Is a data block whose hash function, using the function H , is h
- Because H is a many-to-one mapping, for any given hash value h , there will in general be multiple preimages

Collision

- Occurs if we have $x \neq y$ and $H(x) = H(y)$
- Because we are using hash functions for data integrity, collisions are clearly undesirable



Table 11.1

Requirements for a Cryptographic Hash Function H

Requirement	Description
Variable input size	H can be applied to a block of data of any size.
Fixed output size	H produces a fixed-length output.
Efficiency jaldi thi hash function ni value ne compute kari sakai 6e.. .hardware and software bane ave 6e.	$H(x)$ is relatively easy to compute for any given x , making both hardware and software implementations practical.
Preimage resistant (one-way property) pacha nathi jai sakatu	For any given hash value h , it is computationally infeasible to find y such that $H(y) = h$.
Second preimage resistant (weak collision resistant) given x... $H(x)$... na jevo y nathi generate kari sakatu	For any given block x , it is computationally infeasible to find $y \neq x$ with $H(y) = H(x)$.
Collision resistant (strong collision resistant) $x_1 \neq x_2 \Rightarrow$ bane $h(x_1) = h(x_2) \Rightarrow$ sodhwa aghra 6e.	It is computationally infeasible to find any pair (x, y) such that $H(x) = H(y)$.
Pseudorandomness	Output of H meets standard tests for pseudorandomness

(Table can be found on page 323 in textbook.)

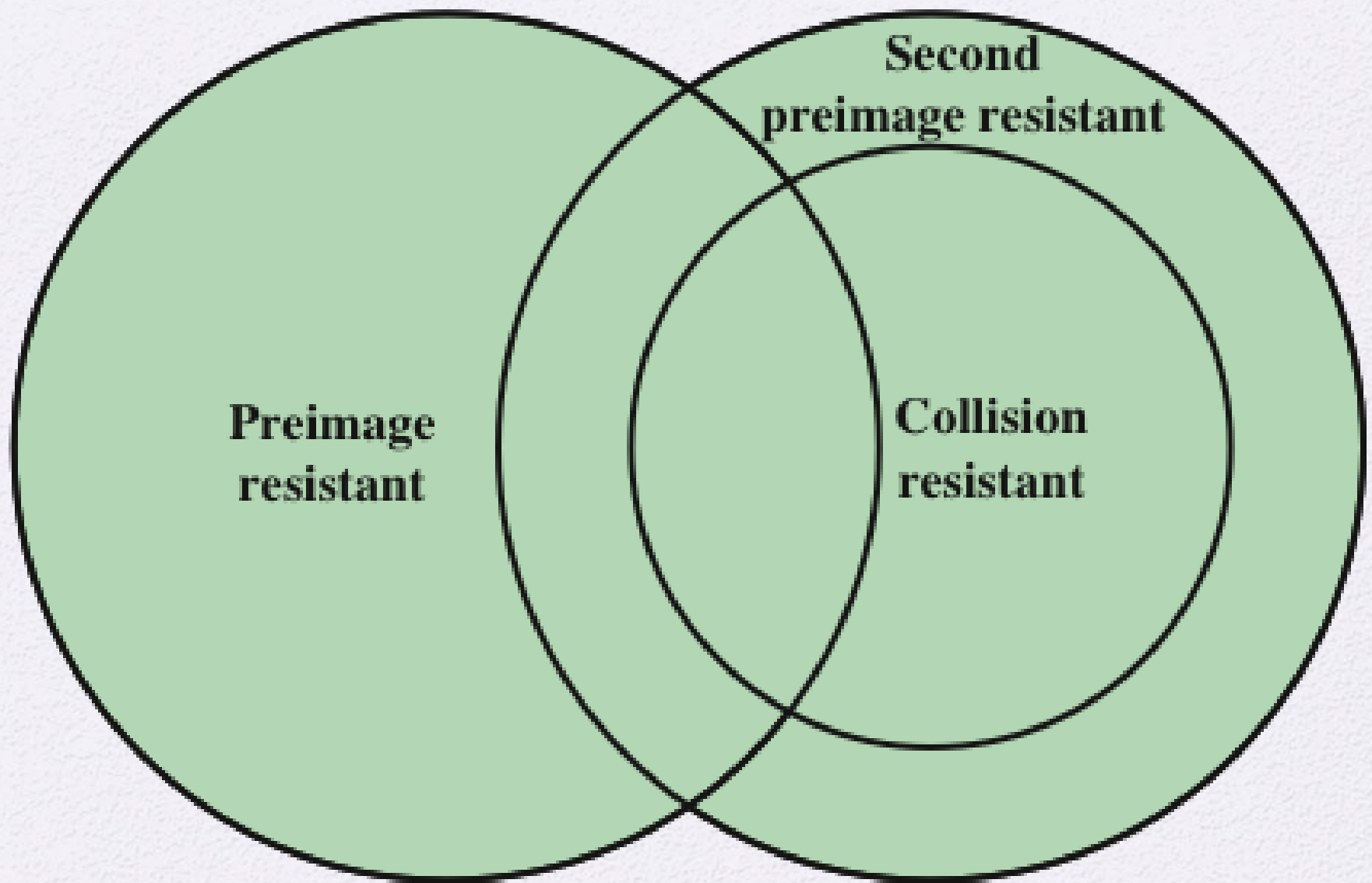


Figure 11.6 Relationship Among Hash Function Properties

Attacks on Hash Functions

Brute-Force Attacks

- Does not depend on the specific algorithm, only depends on bit length
- In the case of a hash function, attack depends only on the bit length of the hash value
- Method is to pick values at random and try each one until a collision occurs

Cryptanalysis

- An attack based on weaknesses in a particular cryptographic algorithm
- Seek to exploit some property of the algorithm to perform some attack other than an exhaustive search



Collision Resistant Attacks

- For a collision resistant attack, an adversary wishes to find two messages or data blocks that yield the same hash function
 - The effort required is explained by a mathematical result referred to as the *birthday paradox*
 - In essence, if we choose random variables from a uniform distribution in the range 0 through $N - 1$, then the probability that a repeated element is encountered exceeds 0.5 after \sqrt{N} choices have been made.
- Yuval proposed the following strategy to exploit the birthday paradox in a collision resistant attack:
 - The source (A) is prepared to sign a legitimate message x by appending the appropriate m -bit hash code and encrypting that hash code with A's private key
 - Opponent generates $2^{m/2}$ variations x' of x , all with essentially the same meaning, and stores the messages and their hash values
 - Opponent prepares a fraudulent message y for which A's signature is desired
 - Opponent generates minor variations y' of y , all of which convey essentially the same meaning. For each y' , the opponent computes $H(y')$, checks for matches with any of the $H(x')$ values, and continues until a match is found. That is, the process continues until a y' is generated with a hash value equal to the hash value of one of the x' values
 - The opponent offers the valid variation to A for signature which can then be attached to the fraudulent variation for transmission to the intended recipient
 - Because the two variations have the same hash code, they will produce the same signature and the opponent is assured of success even though the encryption key is not known

A Letter in 2³⁸ Variation

(Letter is located on page 334 in textbook)

As { the } Dean of Blakewell College, I have { had the pleasure of knowing } Cherise
 { -- } { known }

Rosetti for the { last } four years. She { has been } { a tremendous } { asset to }
 { past } { was } { an outstanding } { role model in }

{ our } school. I { would like to take this opportunity to } recommend Cherise for your
 { the } { wholeheartedly }

{ school's } graduate program. I { am } { confident } { that } { she } will
 { -- } { feel } { certain } { -- } { Cherise }

{ continue to } succeed in her studies. { She } is a dedicated student and
 { -- } { Cherise }

{ thus far her grades } { have been } { exemplary } . In class, { she }
 { her grades thus far } { are } { excellent } { Cherise }

{ has proven to be } a take-charge { person } { who is } able to successfully develop
 { has been } { individual } { -- } plans and implement them.

{ She } has also assisted { us } in our admissions office. { She } has
 { Cherise } { -- }

{ successfully } demonstrated leadership ability by counseling new and prospective students.
 { -- }

{ Her } advice has been { a great } help to these students, many of whom have
 { Cherise's } { of considerable }

{ taken time to share } their comments with me regarding her pleasant and { encouraging }
 { shared } { reassuring }

attitude. { For these reasons } I { highly recommend } Cherise
 { It is for these reasons that } { offer high recommendations for }

{ without reservation } . Her { ambition } and { abilities } will { truly } be an
 { unreservedly } { drive } { potential } { surely }

{ asset to } your { establishment } .
 { plus for } { school }

Figure 11.7 A Letter in 2³⁸ Variations

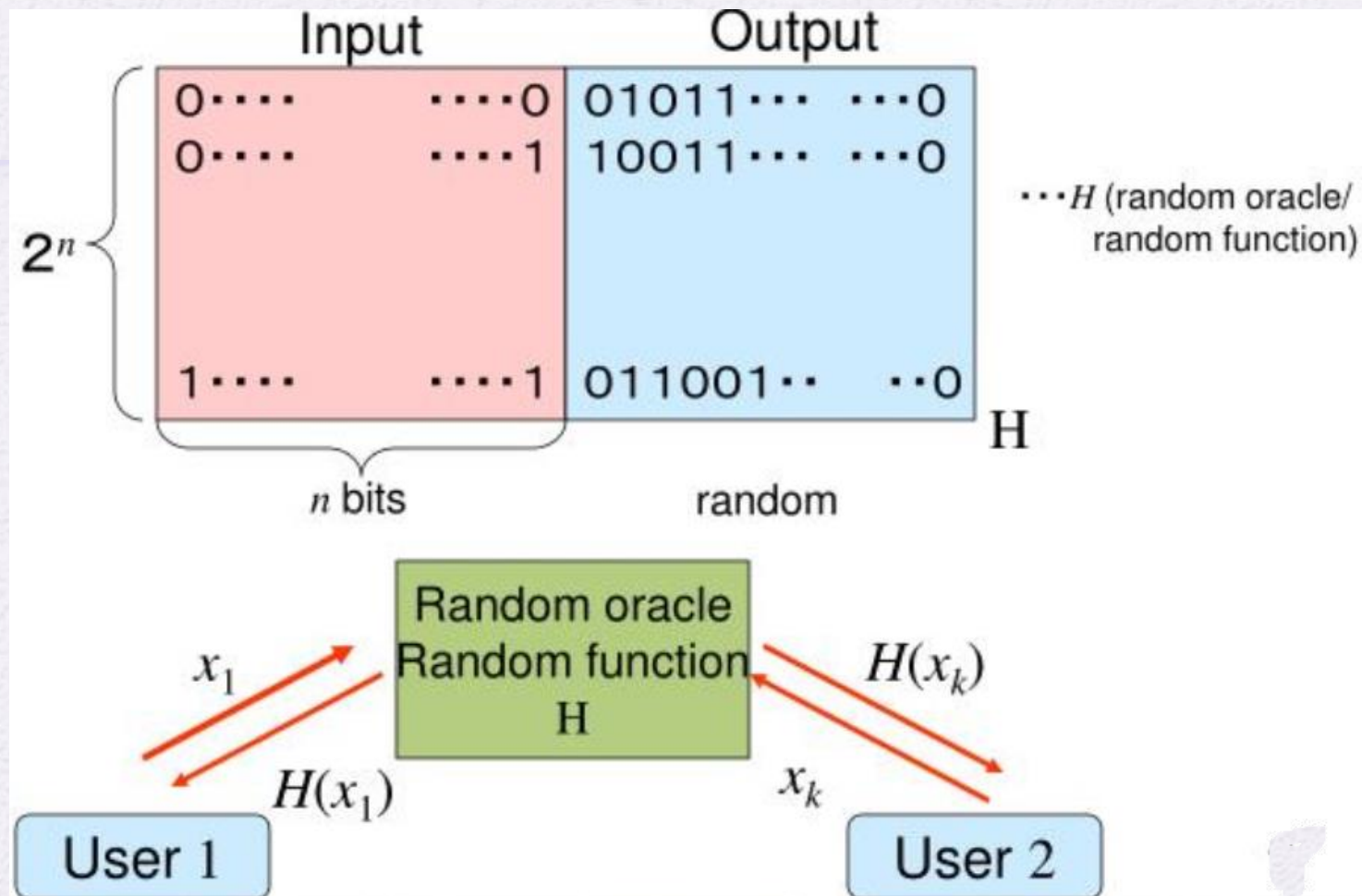
Random Oracle Model

- Notion of an idealized hash function
- Random Oracle model is a model in which all parties (including adversaries) have oracle (black-box) access to a consistent, uniformly random function

$$\text{RO} : \{0, 1\}^* \rightarrow \{0, 1\}^n$$

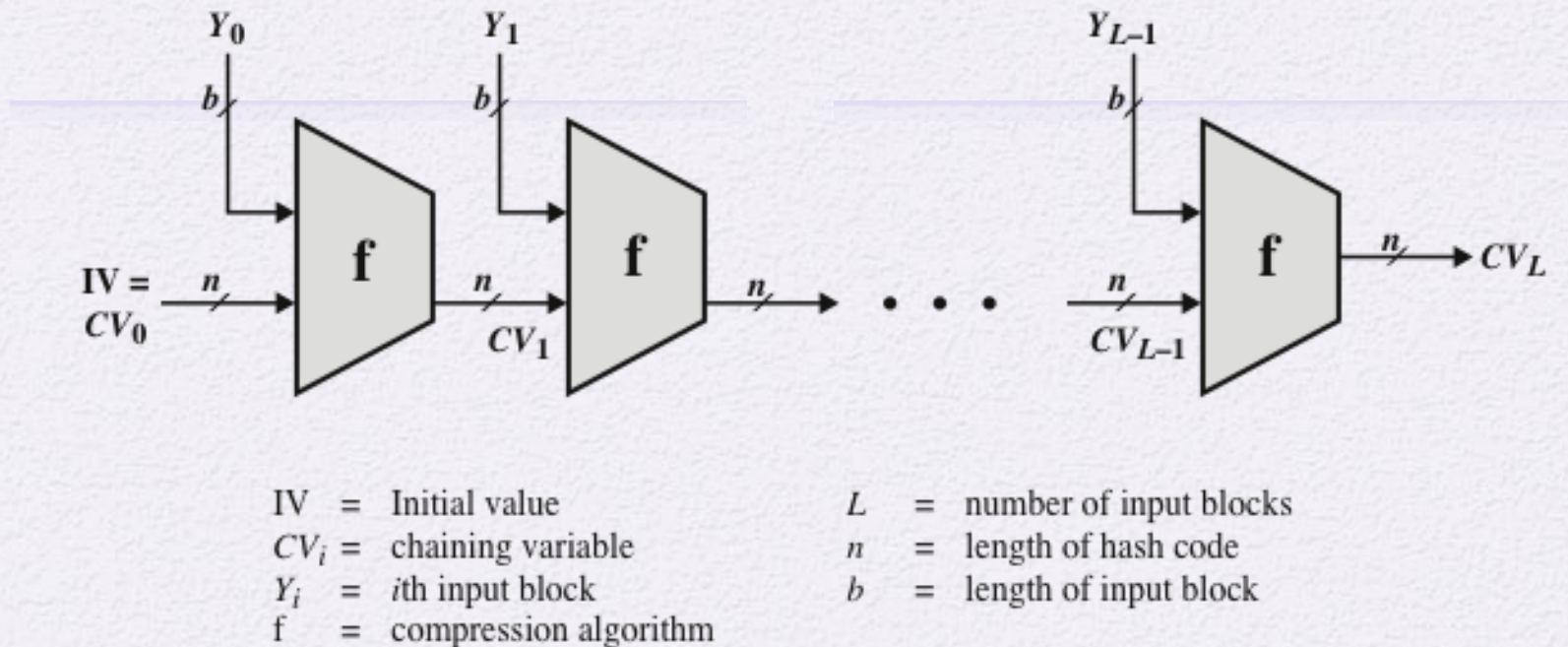
- This oracle can be thought of as choosing a random output y on being queried with a value x and remembering its choice.
- When two people query the function with the same x , they both receive the same y value.

Random Oracle Model...



- For a hash code of length m , the level of effort required, as we have seen, is proportional to the following:
 - Preimage resistant: 2^m
 - Second preimage resistant: 2^m
 - Collision resistant: $2^{m/2}$

Merkle-Damgard Iterated Hash Function: Idea



https://youtu.be/_6kxd6TCT3I?feature=shared

Figure 11.8 General Structure of Secure Hash Code

Hash Functions Based on Cipher Block Chaining

- Divide a message M into fixed-size blocks M_1, M_2, \dots, M_N and use a symmetric encryption system such as DES to compute the hash code G as
$$H_0 = \text{initial value}$$
$$H_i = E(M_i, H_{i-1})$$
$$G = H_N$$
- Similar to the CBC technique, but in this case, there is no secret key
- As with any hash code, this scheme is subject to the birthday attack
- If the encryption algorithm is DES and only a 64-bit hash code is produced, the system is vulnerable

Secure Hash Algorithm (SHA)

- SHA was originally designed by the National Institute of Standards and Technology (NIST) and published as a federal information processing standard (FIPS 180) in 1993
- Was revised in 1995 as SHA-1
- Based on the hash function MD4 and its design closely models MD4
- Produces 160-bit hash values
- In 2002 NIST produced a revised version of the standard that defined three new versions of SHA with hash value lengths of 256, 384, and 512
 - Collectively known as SHA-2

Table 11.3

Comparison of SHA Parameters

Algorithm	Message Size	Block Size	Word Size	Message Digest Size
SHA-1	$< 2^{64}$	512	32	160
SHA-224	$< 2^{64}$	512	32	224
SHA-256	$< 2^{64}$	512	32	256
SHA-384	$< 2^{128}$	1024	64	384
SHA-512	$< 2^{128}$	1024	64	512
SHA-512/224	$< 2^{128}$	1024	64	224
SHA-512/256	$< 2^{128}$	1024	64	256

Note: All sizes are measured in bits.

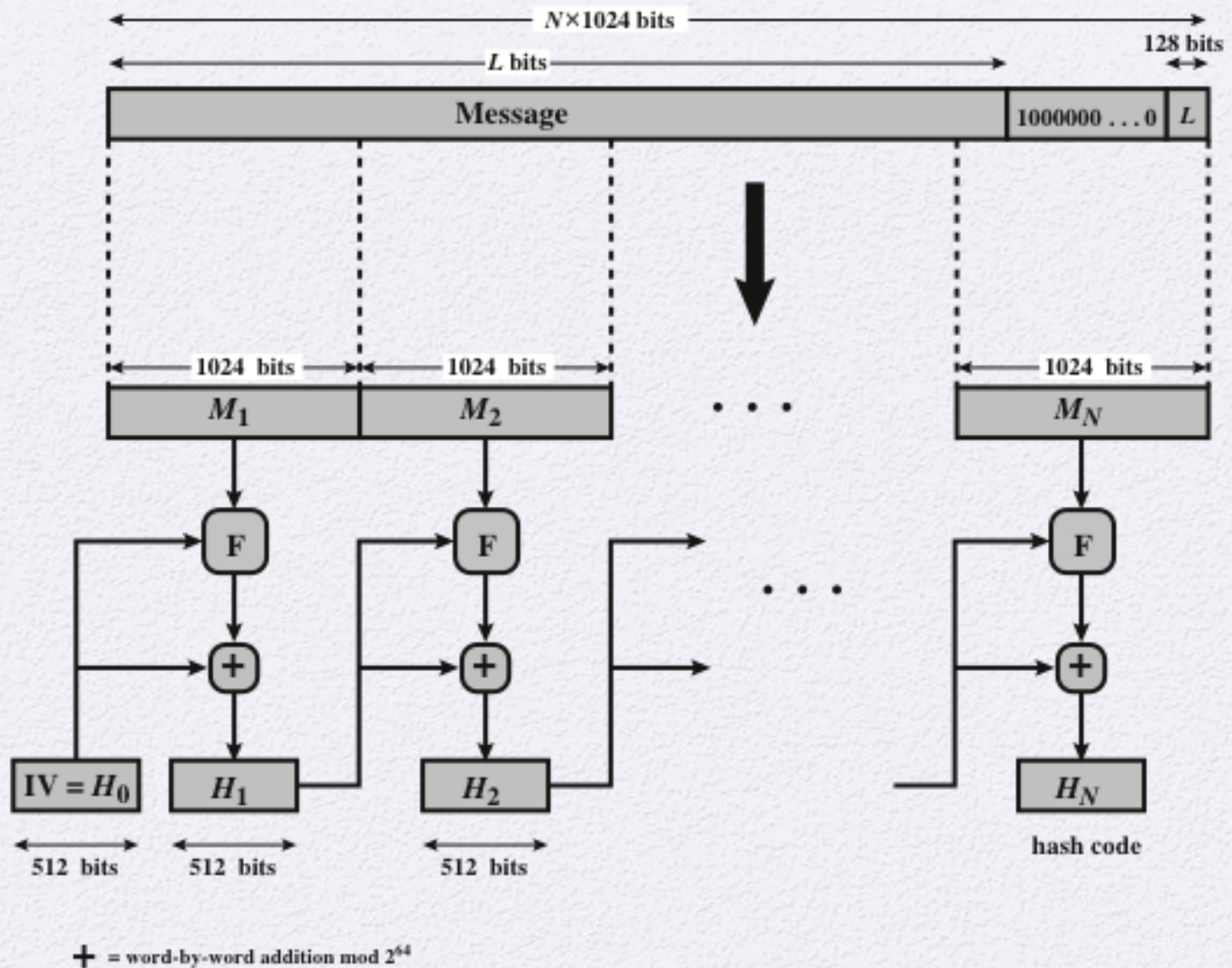


Figure 11.9 Message Digest Generation Using SHA-512

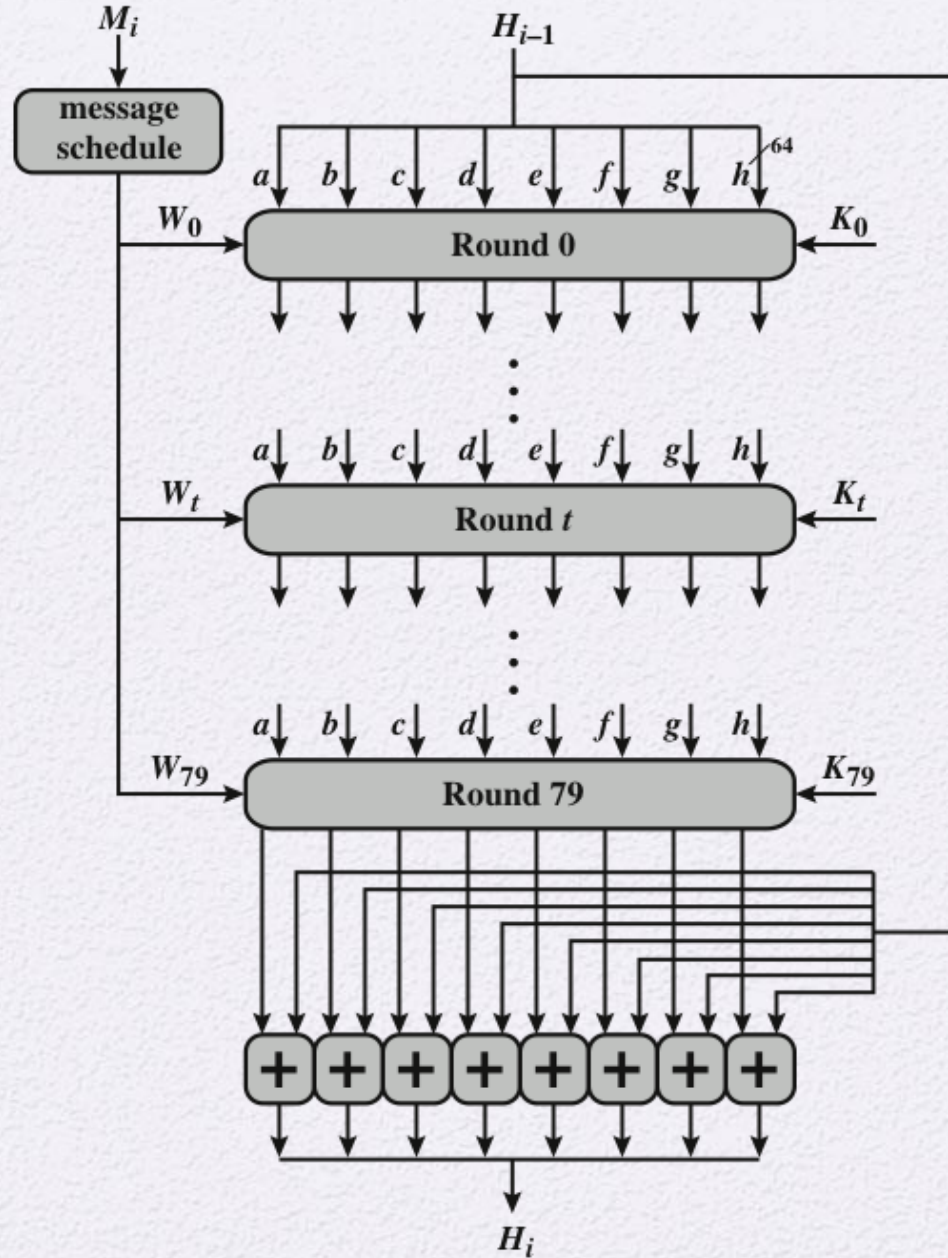


Figure 11.10 SHA-512 Processing of a Single 1024-Bit Block

Table 11.4 ---- SHA-512 Constants

428a2f98d728ae22	7137449123ef65cd	b5c0fbcfec4d3b2f	e9b5dba58189dbbc
3956c25bf348b538	59f111f1b605d019	923f82a4af194f9b	ab1c5ed5da6d8118
d807aa98a3030242	12835b0145706fbe	243185be4ee4b28c	550c7dc3d5ffb4e2
72be5d74f27b896f	80deblfe3b1696b1	9bdc06a725c71235	c19bf174cf692694
e49b69c19ef14ad2	efbe4786384f25e3	0fc19dc68b8cd5b5	240calcc77ac9c65
2de92c6f592b0275	4a7484aa6ea6e483	5cb0a9dcdbd41fbd4	76f988da831153b5
983e5152ee66dfab	a831c66d2db43210	b00327c898fb213f	bf597fc7beef0ee4
c6e00bf33da88fc2	d5a79147930aa725	06ca6351e003826f	142929670a0e6e70
27b70a8546d22ffc	2e1b21385c26c926	4d2c6dfc5ac42aed	53380d139d95b3df
650a73548baf63de	766a0abb3c77b2a8	81c2c92e47edaee6	92722c851482353b
a2bfe8a14cf10364	a81a664bbc423001	c24b8b70d0f89791	c76c51a30654be30
d192e819d6ef5218	d69906245565a910	f40e35855771202a	106aa07032bbd1b8
19a4c116b8d2d0c8	1e376c085141ab53	2748774cdf8eeb99	34b0bcb5e19b48a8
391c0cb3c5c95a63	4ed8aa4ae3418acb	5b9cca4f7763e373	682e6ff3d6b2b8a3
748f82ee5defb2fc	78a5636f43172f60	84c87814alf0ab72	8cc702081a6439ec
90beffffa23631e28	a4506cebde82bde9	bef9a3f7b2c67915	c67178f2e372532b
ca273eceeaa26619c	d186b8c721c0c207	eada7dd6cde0eb1e	f57d4f7fee6ed178
06f067aa72176fba	0a637dc5a2c898a6	113f9804bef90dae	1b710b35131c471b
28db77f523047d84	32caab7b40c72493	3c9ebe0a15c9bebc	43ld67c49c100d4c
4cc5d4becb3e42b6	597f299cfc657e2a	5fcb6fab3ad6faec	6c44198c4a475817

(Table
can be
found on
page 341
in

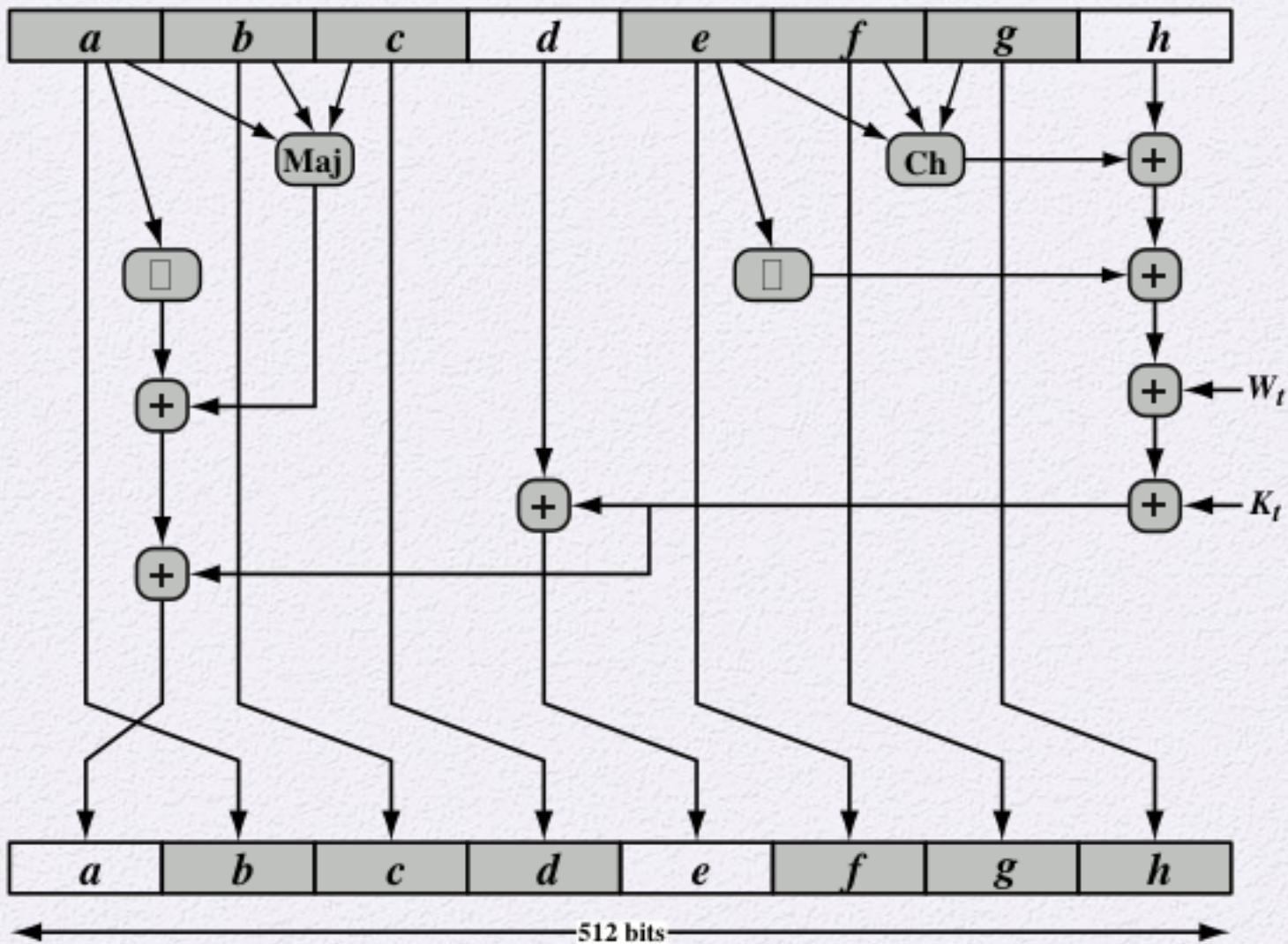


Figure 11.11 Elementary SHA-512 Operation (single round)

SHA-3

SHA-1 has not yet been "broken"

- No one has demonstrated a technique for producing collisions in a practical amount of time
- Considered to be insecure and has been phased out for SHA-2



NIST announced in 2007 a competition for the SHA-3 next generation NIST hash function

- Winning design was announced by NIST in October 2012
- SHA-3 is a cryptographic hash function that is intended to complement SHA-2 as the approved standard for a wide range of applications

SHA-2 shares the same structure and mathematical operations as its predecessors so this is a cause for concern

- Because it will take years to find a suitable replacement for SHA-2 should it become vulnerable, NIST decided to begin the process of developing a new hash standard

