

# Designing Block Ciphers

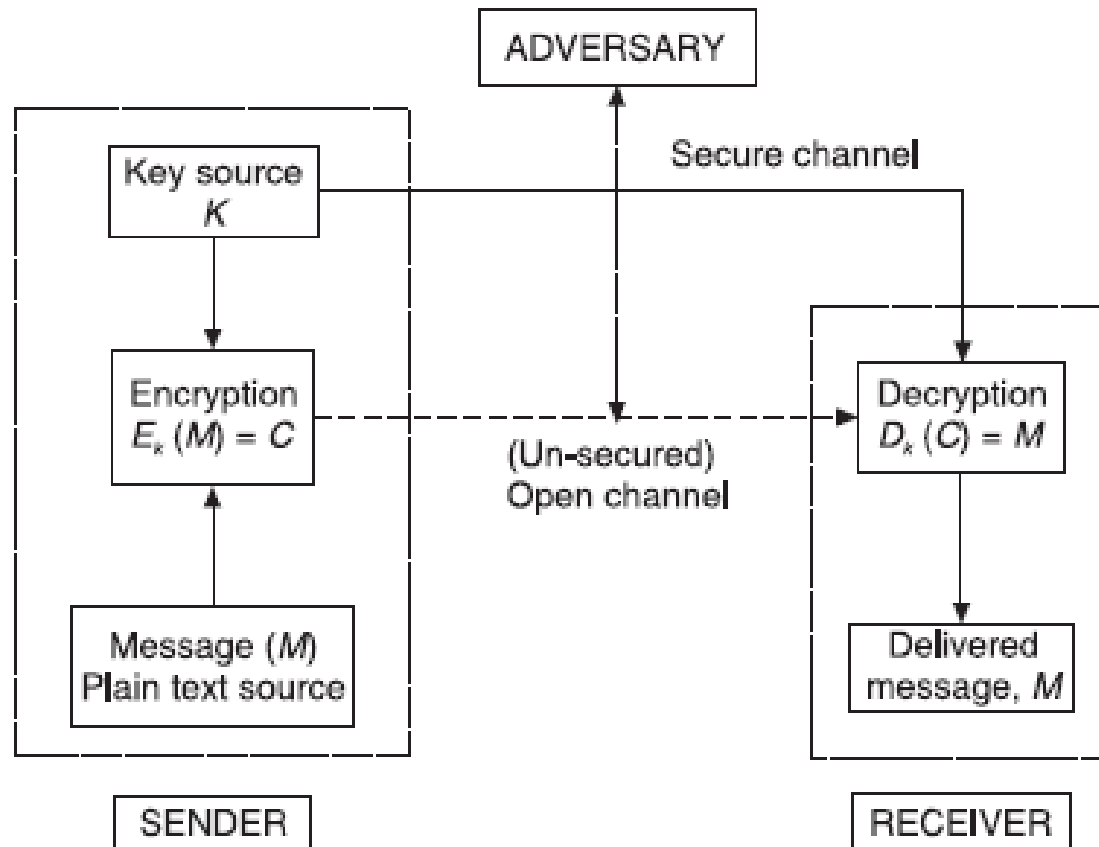
## AES

B Tech III CSE (March-April 2024)

Dhiren Patel

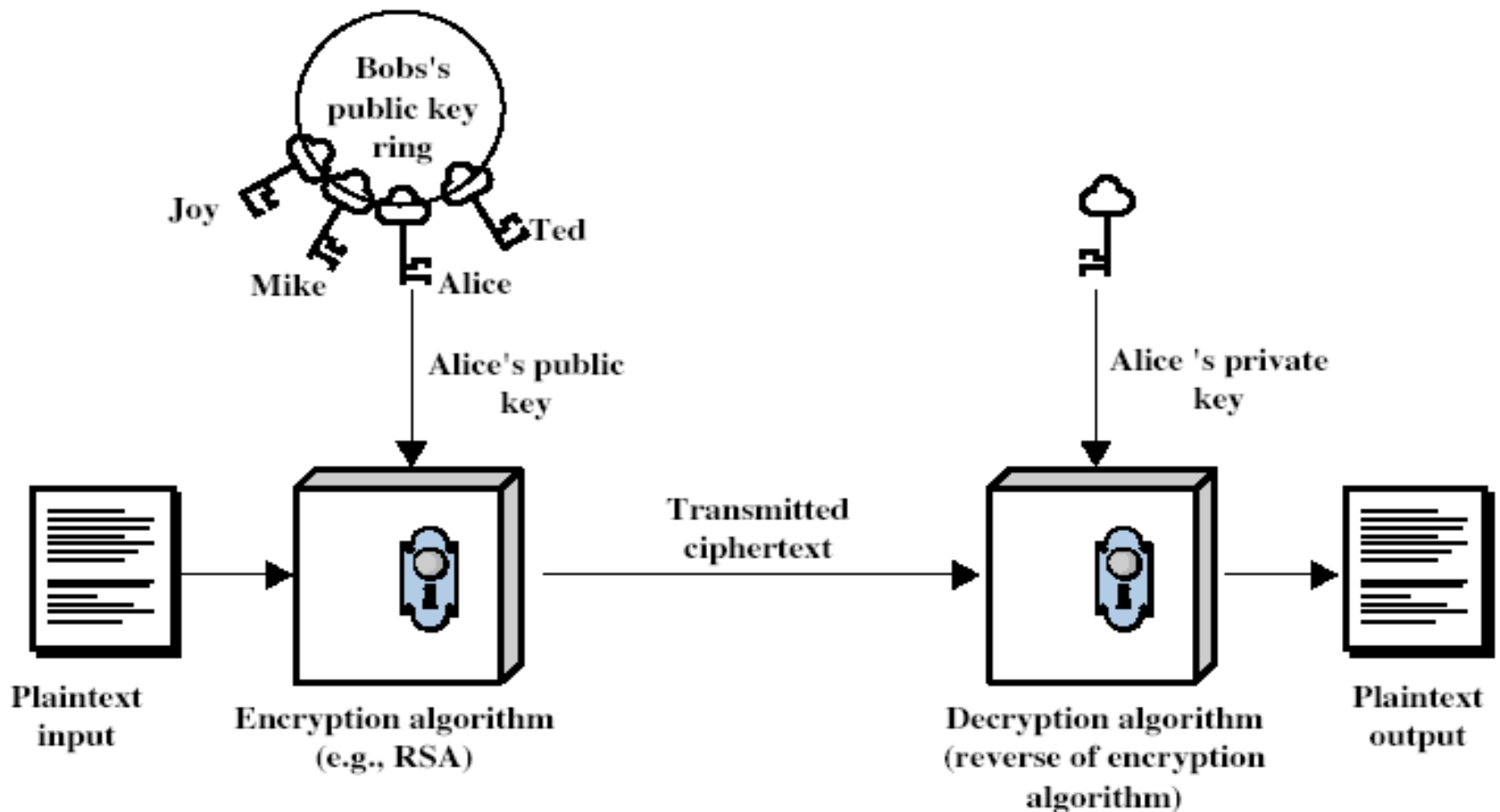
(Week#12/13)

# SKC – Symmetric Key Cryptography



**Figure 3.1** Communication using symmetric key cryptography ( $k = k_1 = k_2$ ).

# Public-Key Cryptography



# S-box and P-box

- S - Substitution, P - Permutation
- Injects non-linearity into the design of cipher
- absence of a linear relationship between any subset of bits in the plain text, cipher text, and the key.

# DES S Box 1

- takes 6 bits as input and gives 4 bits as output
- What is the output if input is 101000?
- 101000
- Row = 10 = 2 ,Column = 0100 = 4

14	4	13	1	2	15	11	8	3	10	6	12	5	9	0	7
0	15	7	4	14	2	13	1	10	6	12	11	9	5	3	8
4	1	14	8	13	6	2	11	15	12	9	7	3	10	5	0
15	12	8	2	4	9	1	7	5	11	3	14	10	0	6	13

# Permutation box - P box

- Performs permutation or rearrangement of the bits in the input
- E.g. IP (initial permutation in DES – 64 bit), there is a 32bit P also!
- The meaning is as follows: the first bit of the output is taken from the 58th bit of the input; the second bit from the 50th bit, and so on, with the last bit of the output taken from the 7th bit of the input. This information is presented as a table for ease of presentation; it is a vector.

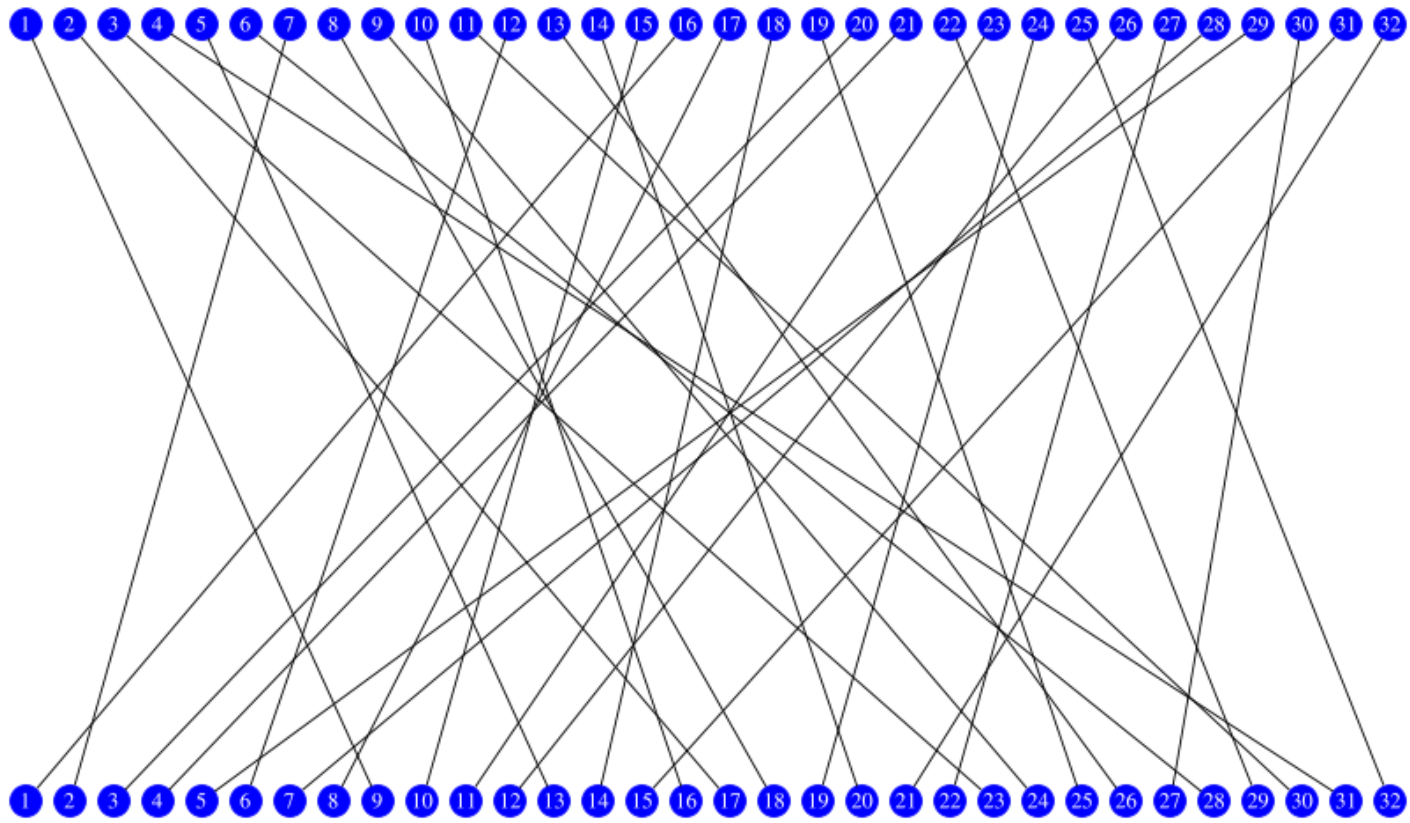
IP							
58	50	42	34	26	18	10	2
60	52	44	36	28	20	12	4
62	54	46	38	30	22	14	6
64	56	48	40	32	24	16	8
57	49	41	33	25	17	9	1
59	51	43	35	27	19	11	3
61	53	45	37	29	21	13	5
63	55	47	39	31	23	15	7

# P-Box

- Diffuses or spreads contiguous bits of the input across the block
- Removing local effect i.e. certain bits of the output would not be a certain bits of input

# P (different than IP)

- The P permutation shuffles the bits of a 32-bit half-block.





# DES subkeys

- DES consists of 16 “rounds”.
- Each round uses a roundkey, also called a subkey, derived from the main key.
- Subkey length is 48 bits for each subkey  $K_1, \dots, K_{16}$ .
- Subkeys are derived from the 56 bit key via the “key schedule” - a different 48-bit Sub Key is generated during each round **using a process called key transformation**

# Key permutation (64 → 56) – PC1

The 64-bit key is permuted to generate 56-bit key. (It is to note that bit 08, 16, 24, 32, 40, 48, 56, 64 are ignored/discarded)

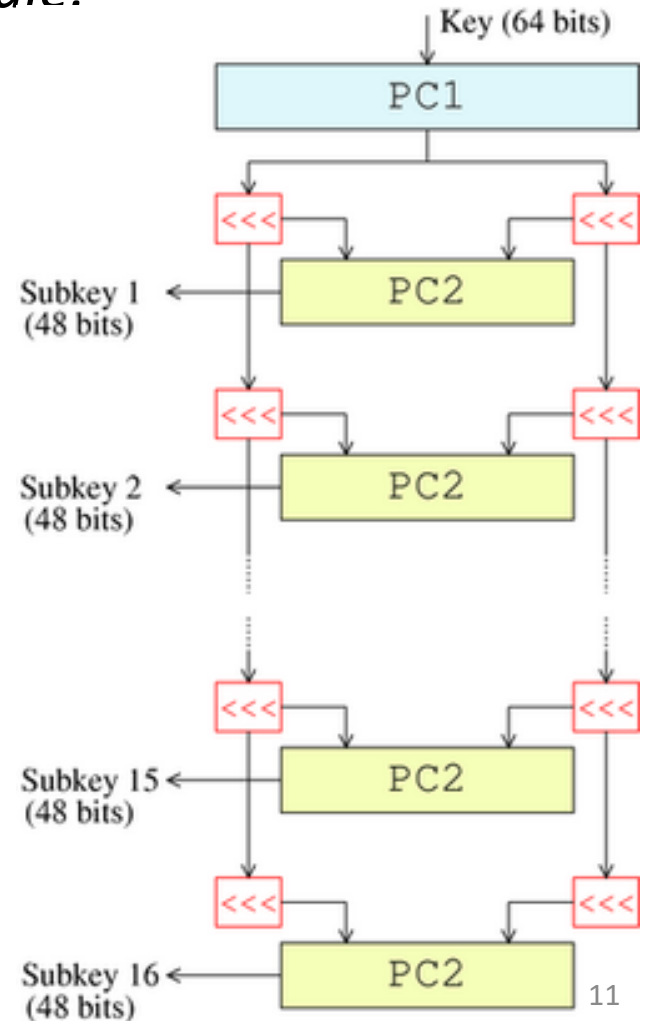
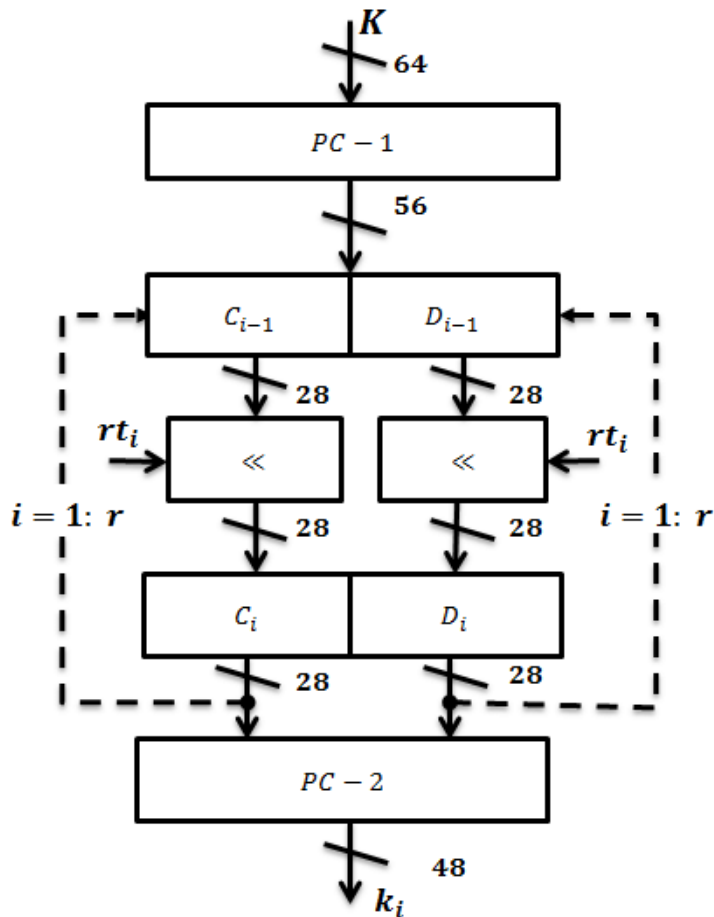
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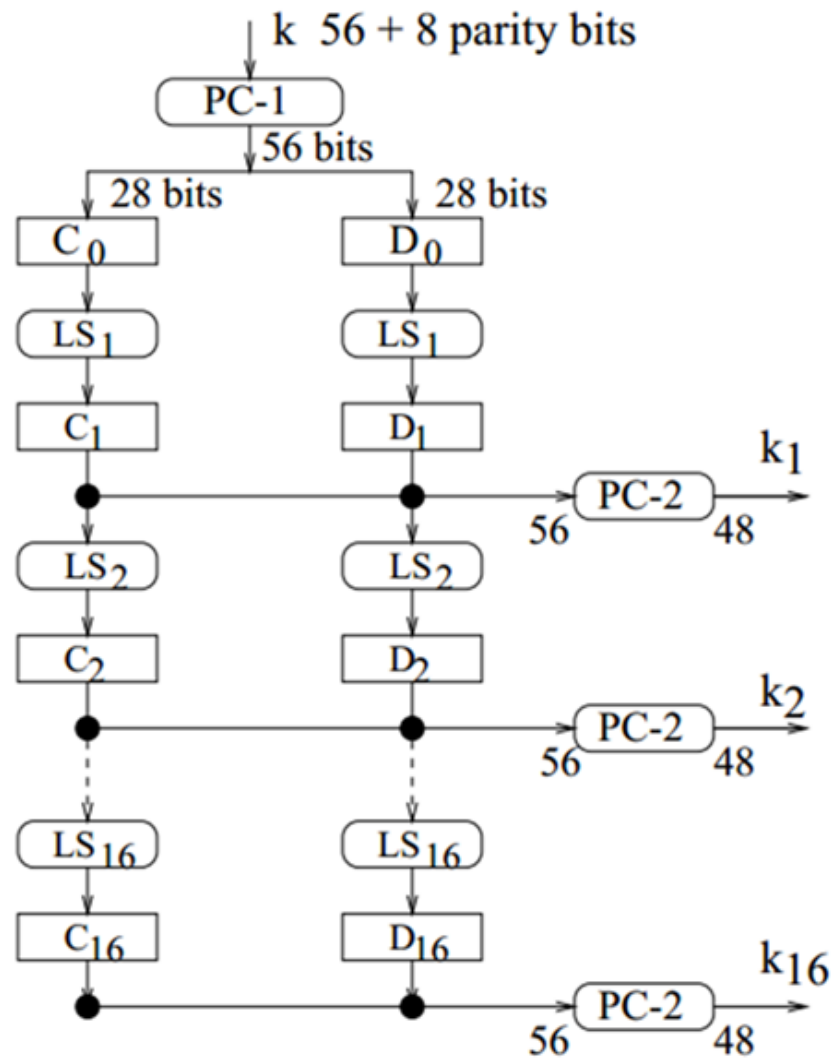
57	49	41	33	25	17	9	F
1	58	50	42	34	26	18	F
10	2	59	51	43	35	27	F
19	11	3	60	52	44	36	F
63	55	47	39	31	23	15	F
7	62	54	46	38	30	22	F
14	6	61	53	45	37	29	F
21	13	5	28	20	12	4	F

---

# Key schedule of DES

- 16 nos. of 48-bit subkeys — one for each round — are derived from the main key using the *key schedule*.





1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1	1	2	2	2	2	2	2	1	2	2	2	2	2	2	1

# Key schedule

- Next, split this key into left and right halves,  $\mathbf{C}_0$  and  $\mathbf{D}_0$ , where each half has 28 bits.
- With  $\mathbf{C}_0$  and  $\mathbf{D}_0$  defined, create sixteen blocks  $\mathbf{C}_n$  and  $\mathbf{D}_n$ ,  $1 \leq n \leq 16$ .
- Each pair of blocks  $\mathbf{C}_n$  and  $\mathbf{D}_n$  is formed from the previous pair  $\mathbf{C}_{n-1}$  and  $\mathbf{D}_{n-1}$ , respectively using the following left shift schedule.
- $\mathbf{C}_3$  and  $\mathbf{D}_3$  are obtained from  $\mathbf{C}_2$  and  $\mathbf{D}_2$ , respectively, by two left shifts, and  $\mathbf{C}_{16}$  and  $\mathbf{D}_{16}$  are obtained from  $\mathbf{C}_{15}$  and  $\mathbf{D}_{15}$ , respectively, by one left shift

1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	16
1	1	2	2	2	2	2	2	1	2	2	2	2	2	2	1

# Key schedule - PC-2

- Form the keys (48-bit)  $K_n$ , for  $1 \leq n \leq 16$ , by applying the following permutation table to each of the concatenated pairs  $C_n D_n$ . Each pair has 56 bits, but **PC-2** only uses 48 of these.

---

14	17	11	24	1	5
3	28	15	6	21	10
23	19	12	4	26	8
16	7	27	20	13	2
41	52	31	37	47	55
30	40	51	45	33	48
44	49	39	56	34	53
46	42	50	36	29	32

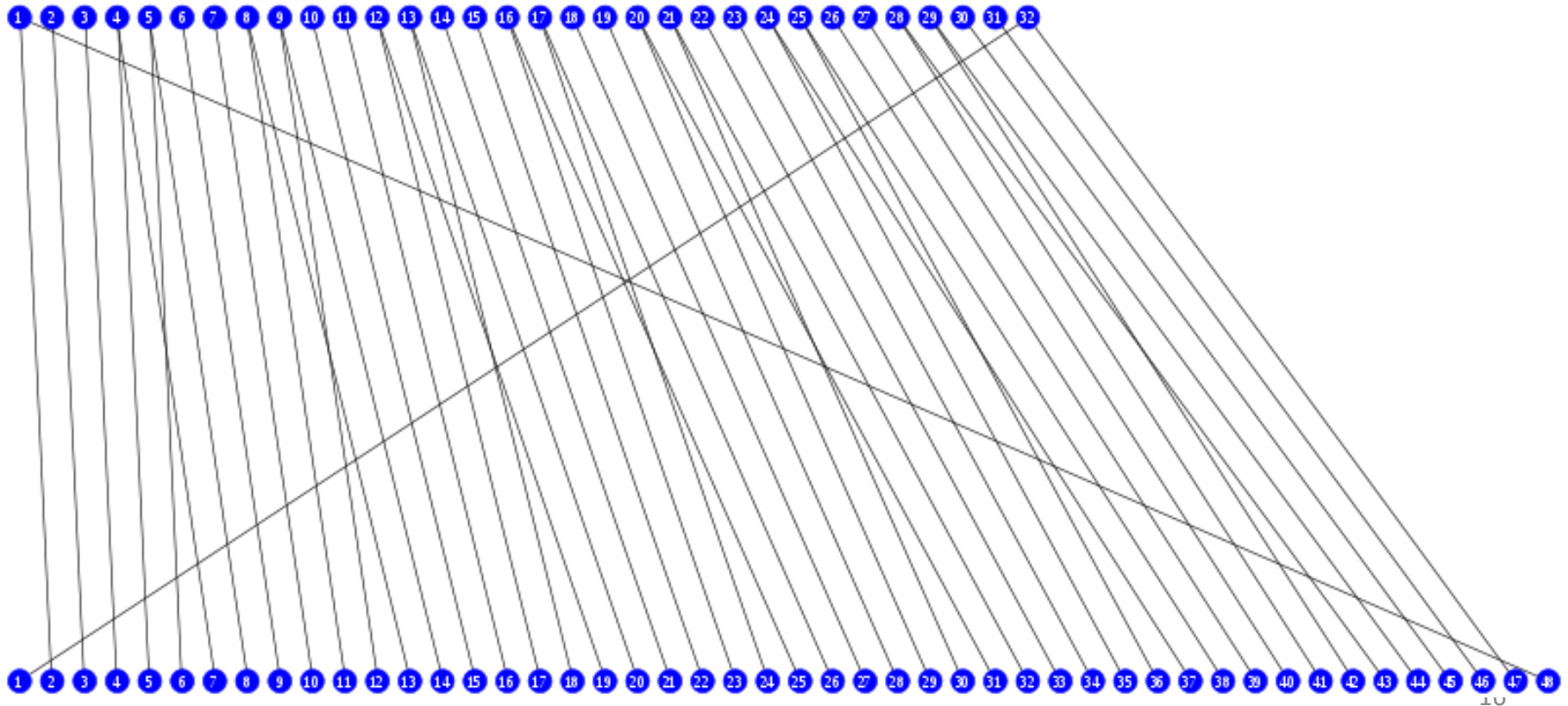
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# F -function

- operates on half a block (32 bits) at a time and consists of four stages:
- —The Feistel function (F-function) of DES
- *Expansion* — the 32-bit half-block is expanded to 48 bits using the *expansion permutation*, denoted  $E$  in the diagram, by duplicating half of the bits. The output consists of eight 6-bit ( $8 \times 6 = 48$  bits) pieces, each containing a copy of 4 corresponding input bits, plus a copy of the immediately adjacent bit from each of the input pieces to either side.

# E - function

- Some bits from the input are duplicated at the output; e.g. the fifth bit of the input is duplicated in both the sixth and eighth bit of the output. Thus, the 32-bit half-block is expanded to 48 bits.

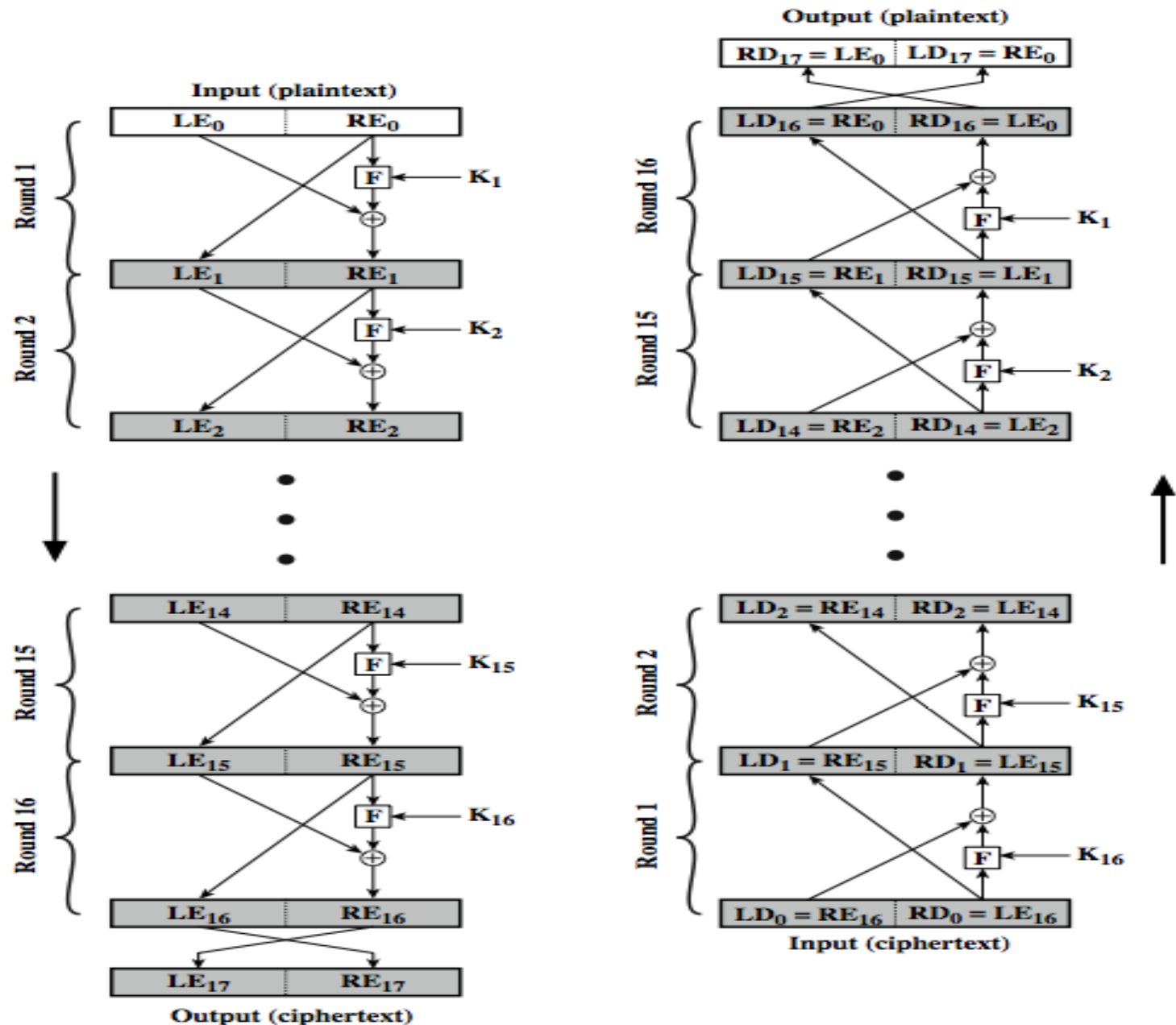




# F-function

- *Substitution* — after mixing in the subkey, the block is divided into eight 6-bit pieces before processing by the *S-boxes*.
- Each of the eight S-boxes replaces its six input bits with four output bits according to a non-linear transformation, provided in the form of a lookup table.
- The S-boxes provide the core of the security of DES — without them, the cipher would be linear, and trivially breakable.
- *Permutation* — finally, the 32 outputs from the S-boxes are rearranged according to a fixed permutation, the *P-box*.
- This is designed so that, after expansion, each S-box's output bits are spread across 6 different S boxes in the next round.

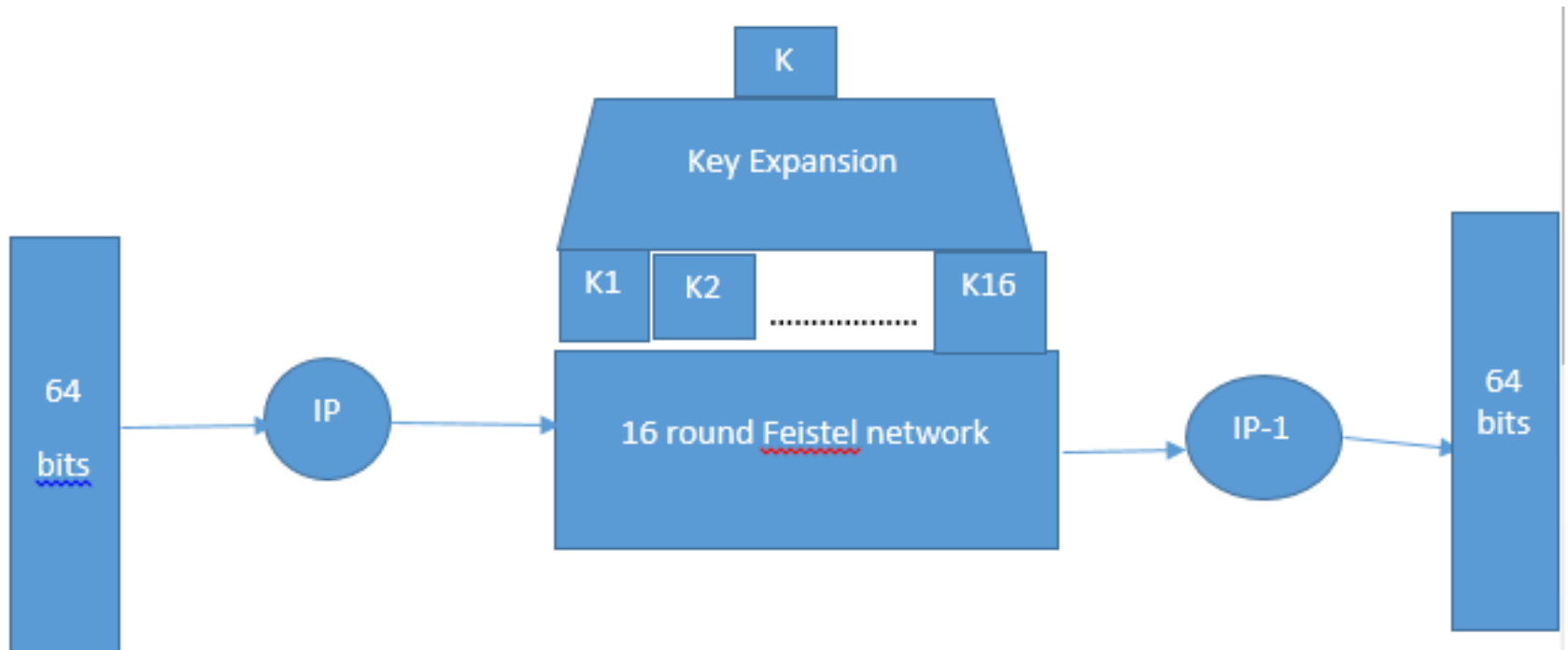
# Feistel Cipher Structure (DES – encryption and decryption)



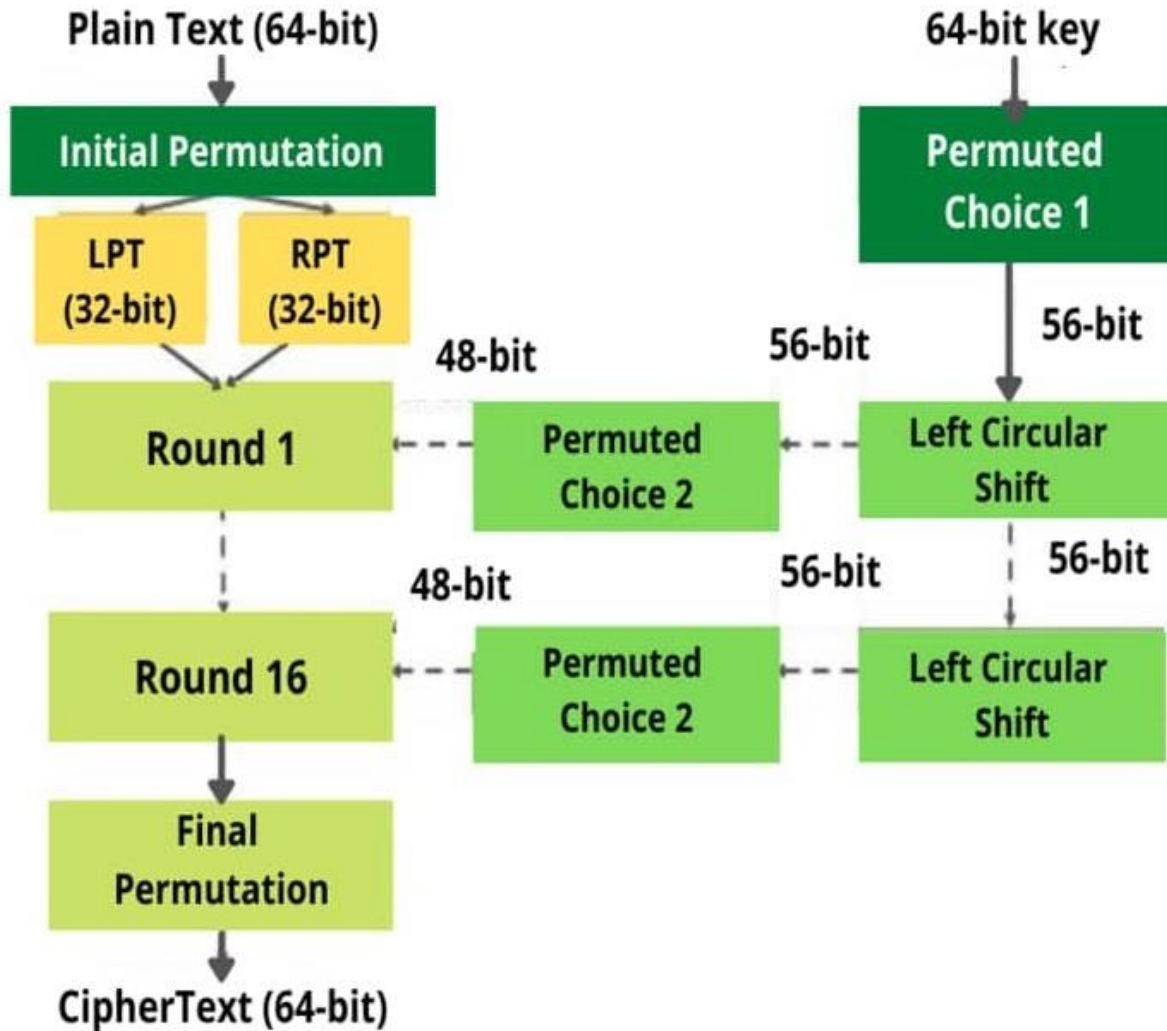
# Decryption

- Use cipher text as input to algorithm
- Use the subkeys in reverse order, i.e.  $k_n$  is for first round,  $k_{n-1}$  for the second round and so on...
- ***Avalanche effect*** – small change in either the plaintext or the key should produce a significant change in the ciphertext.

# DES



# DES



# Security of block ciphers

- The objective of a block cipher is to provide confidentiality.
- The corresponding objective of an adversary is to recover plaintext from ciphertext.
- The best measure of security for practical ciphers is the complexity of the best known attack. Various aspects of such complexity may be distinguished as follows:
  - Data Complexity
  - Storage Complexity
  - Processing Complexity
- Cost of attack v/s value of information!!!

# Security of Block Ciphers

- A block cipher is *totally broken* if a key can be found, and *partially broken* if an adversary is able to recover part of the plaintext (but not the key) from ciphertext.
- To evaluate block cipher security, it is customary to always assume that an adversary
  - (i) has access to all data transmitted over the ciphertext channel;
  - (ii) knows all details of the encryption function except the secret key

# Weak keys in DES

- few specific keys termed "weak keys" and "semi-weak keys".
- These are keys that cause the encryption mode of DES to act identically to the decryption mode of DES (albeit potentially that of a different key).
- four keys are weak and twelve keys are semi-weak
- DES *weak keys* produce sixteen identical subkeys.
- DES semi-weak keys produce 2 different subkeys (instead of 16).



# Weak/Semi-weak keys

- Using weak keys, the outcome of the Permuted Choice 1 (PC1) in the DES key schedule leads to round keys being either all zeros, all ones or alternating zero-one patterns.
- Since all the subkeys are identical, and DES is a Feistel network, the encryption function is self-inverting; that is, encrypting twice produces the original plaintext.

# AES

<https://www.youtube.com/watch?v=YVT4fcW7sl8>

- **AES** stands for Advanced Encryption Standard, (developed? Declared as standard) in 2001. Key length can be 128-bits, 192-bits, and 256-bits. (Vincent Rijmen and Joan Daemen - KUL)
- AES is 128-bit block cipher
- USA NIST issued call for ciphers in 1997
- 15 candidates accepted in Jun 98
- 5 were shortlisted in Aug-99
- Rijndael was selected as the AES in Oct-2000
- issued as FIPS PUB 197 standard in Nov-2001

# DES and AES

- DES involves 16 rounds of identical operations
- The rounds in DES are: Expansion, XOR operation with round key, Substitution and Permutation
- DES block size is 64 bit
- Number of rounds in AES depends on key length: 10(128-bits), 12(192-bits), or 14(256-bits)
- The rounds in AES are: Byte Substitution, Shift Row, Mix Column and Key Addition
- AES block size is 128 bit

# AES Requirements

## (Request for Proposals (RFP) 1997)

- private key symmetric block cipher
- 128-bit data, 128/192/256-bit keys
- stronger & faster than Triple-DES
- active life of 20-30 years (+ archival use)
- provide full specification & design details
- both C & Java implementations
- NIST have released all submissions & unclassified analyses

# AES Evaluation Criteria

- initial criteria:
  - security – effort to practically cryptanalyse
  - cost – computational
  - algorithm & implementation characteristics
- final criteria
  - general security
  - software & hardware implementation ease
  - implementation attacks
  - flexibility (in en/decrypt, keying, other factors)

# AES Shortlist

- after testing and evaluation, shortlist in Aug-99:
  - MARS (IBM) - complex, fast, high security margin
  - RC6 (USA) - v. simple, v. fast, low security margin
  - Rijndael (Belgium) - clean, fast, good security margin
  - Serpent (Euro) - slow, clean, v. high security margin
  - Twofish (USA) - complex, v. fast, high security margin
- then subject to further analysis & comment
- saw contrast between algorithms with
  - few complex rounds verses many simple rounds
  - which refined existing ciphers verses new proposals

# The AES Cipher - Rijndael

- Rijndael was selected as the AES in Oct-2000
  - Designed by Vincent Rijmen and Joan Daemen in Belgium
  - Issued as FIPS PUB 197 standard in Nov-2001
- An **iterative** rather than **Feistel** cipher
  - processes data as block of 4 columns of 4 bytes (128 bits)
  - operates on entire data block in every round
- Rijndael design:
  - simplicity
  - has 128/192/256 bit keys, 128 bits data
  - resistant against known attacks
  - speed and code compactness on many CPUs

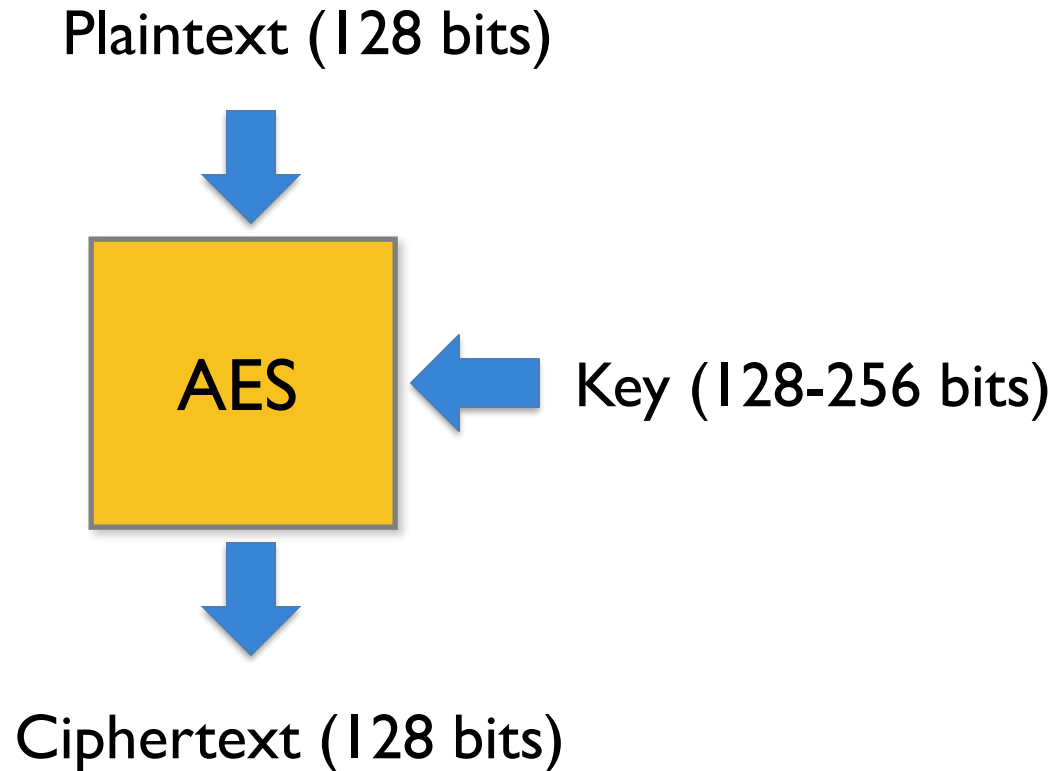


V. Rijmen



J. Daemen

# AES Conceptual Scheme





# AES

- Stronger Key Lengths: AES comes in three variants with key lengths of 128 bits, 192 bits, and 256 bits. These longer key lengths make brute-force attacks significantly more difficult compared to DES's 56-bit key.
- Modern Design: AES benefits from advancements in cryptography. Its design incorporates substitutions, permutations, and other operations in a way that's more resistant to cryptanalysis techniques compared to DES.
- Wider Adoption: Endorsed by the National Institute of Standards and Technology (NIST) in the US, AES has become the de facto standard for symmetric-key encryption. Governments, businesses, and individuals worldwide rely on AES to protect sensitive data.

# AES Mathematical Primitives

- Finite Field Arithmetic: AES operates in a finite field, specifically  $GF(2^8)$ .
- Bitwise Operations: Basic bitwise operations like XOR (exclusive OR) and bit shifting are heavily used throughout the AES rounds.
- Linear Transformations: Specific linear transformations are applied to the data during the MixColumns step of each round. These transformations help to diffuse the data and increase the overall avalanche effect, meaning a small change in the plaintext should lead to a significant change in the ciphertext.

# AES Cryptographic Primitives

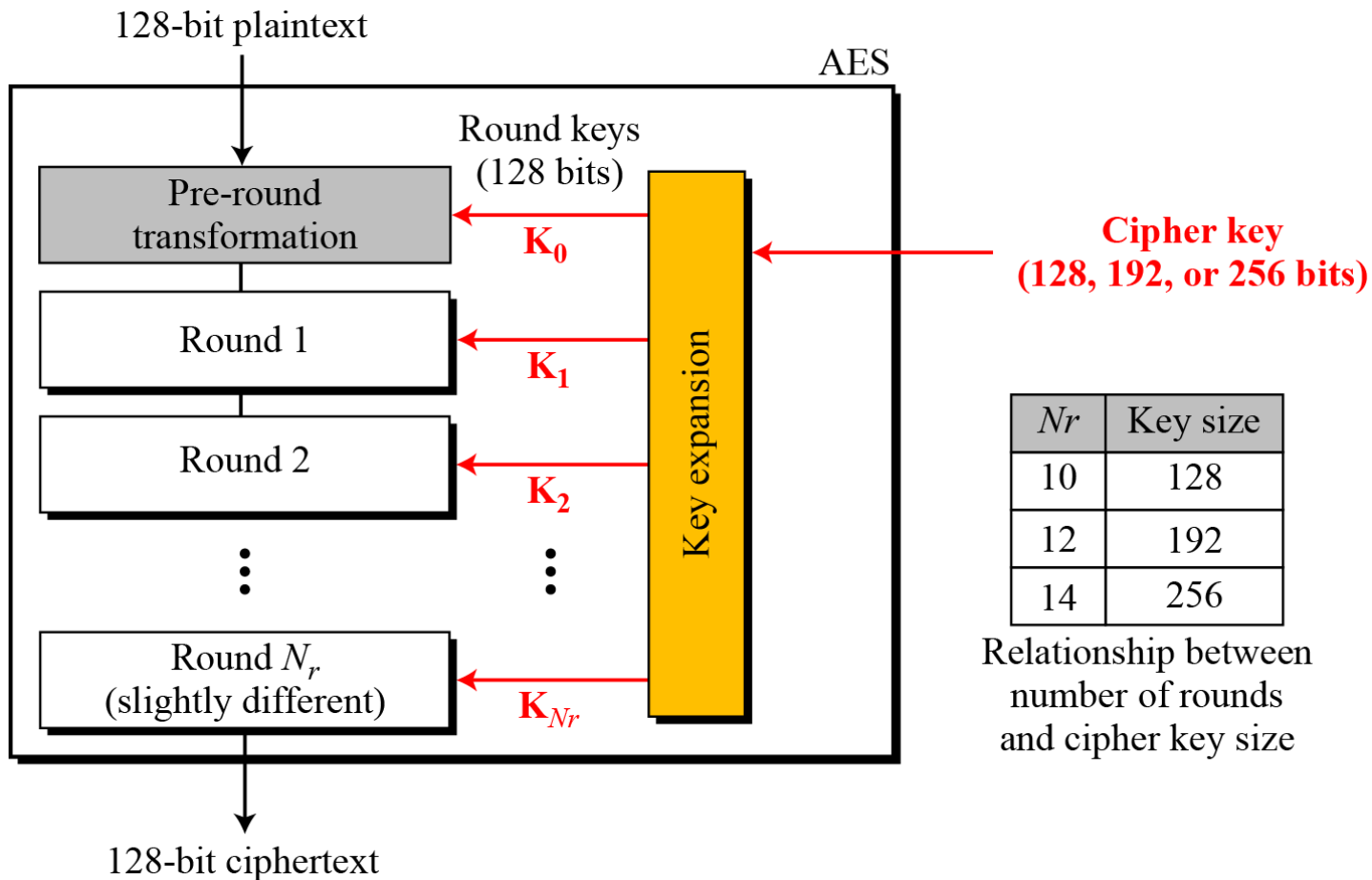
- Substitution: The core substitution operation in AES, called the S-box, replaces each byte of data with a different byte based on a predefined lookup table. This non-linear operation helps to confuse the relationship between the plaintext and ciphertext.
- Permutation: The ShiftRows step in each round permutes the bytes of the data matrix in a specific pattern. This disrupts the spatial relationship between data elements, further enhancing the confusion.
- Key Schedule: A key schedule algorithm takes the main secret key and generates a set of round keys used in each round of the encryption process. This ensures that different parts of the key are used in different rounds, strengthening the overall security.

# The AES Cipher - Rijndael

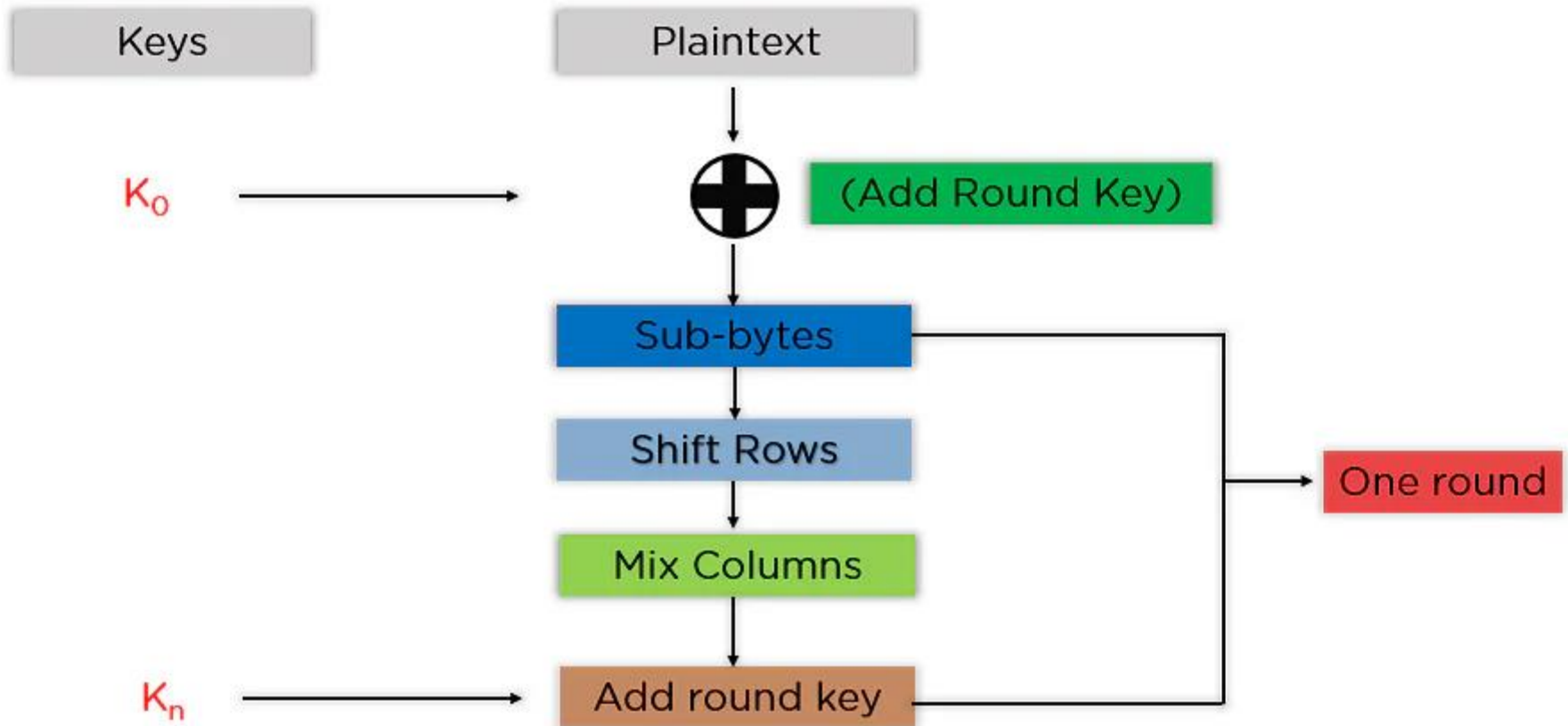
- an **iterative** rather than **feistel** cipher
  - treats data in 4 groups of 4 bytes
  - operates an entire block in every round
- AES uses a specific Galois field, also known as *Rijndael's finite field*, to perform many essential operations.
- In particular, it uses  $GF(2^8)$  with irreducible polynomial  $x^8 + x^4 + x^3 + x + 1$ .

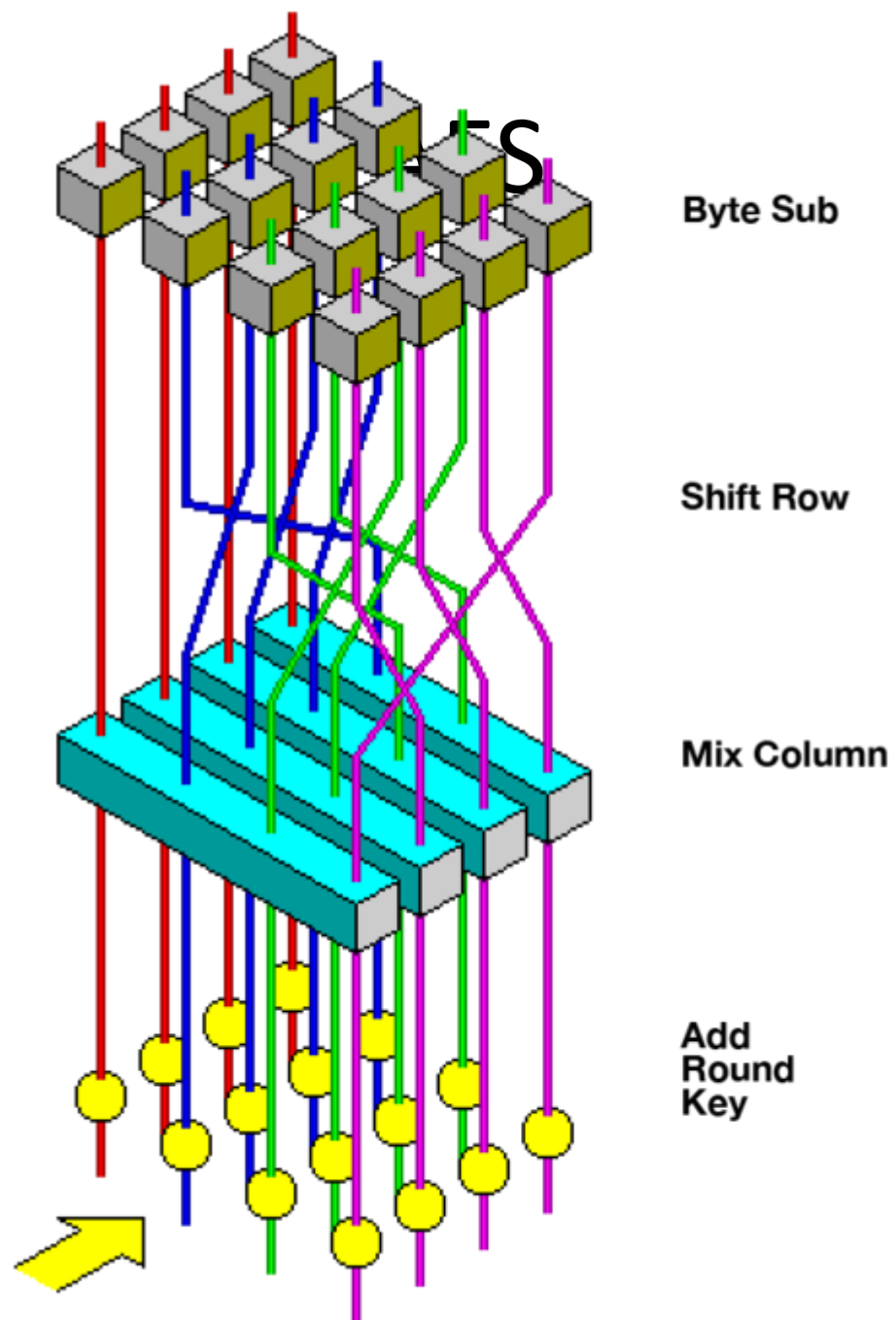
# Multiple rounds

- Rounds are (almost) identical
  - First and last round are a little different



# AES one Round





# High Level Description

## Key Expansion

- Round keys are derived from the cipher key using Rijndael's key schedule

## Initial Round

- AddRoundKey : Each byte of the state is combined with the round key using bitwise xor

## Rounds

- SubBytes : non-linear substitution step
- ShiftRows : transposition step
- MixColumns : mixing operation of each column.
- AddRoundKey

## Final Round

- SubBytes
- ShiftRows
- AddRoundKey

No MixColumns

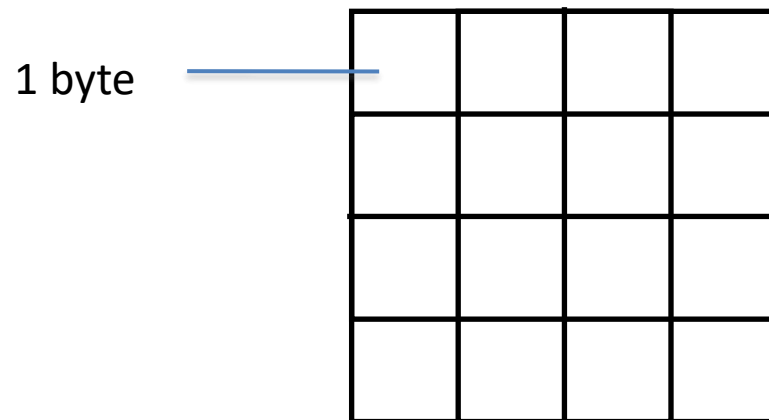


# Rijndael

- processes data as 4 groups of 4 bytes (state)
- has 9/11/13 rounds in which state undergoes:
  - byte substitution (1 S-box used on every byte)
  - shift rows (permute bytes between groups/columns)
  - mix columns (subs using matrix multiply of groups)
  - add round key (XOR state with key material)
- initial XOR key material & incomplete last round
- all operations can be combined into XOR and table lookups - hence very fast & efficient

# 128-bit values

- Data block viewed as 4-by-4 table of bytes
- Represented as 4 by 4 matrix of 8-bit bytes.
- Key is expanded to array of 32 bits words



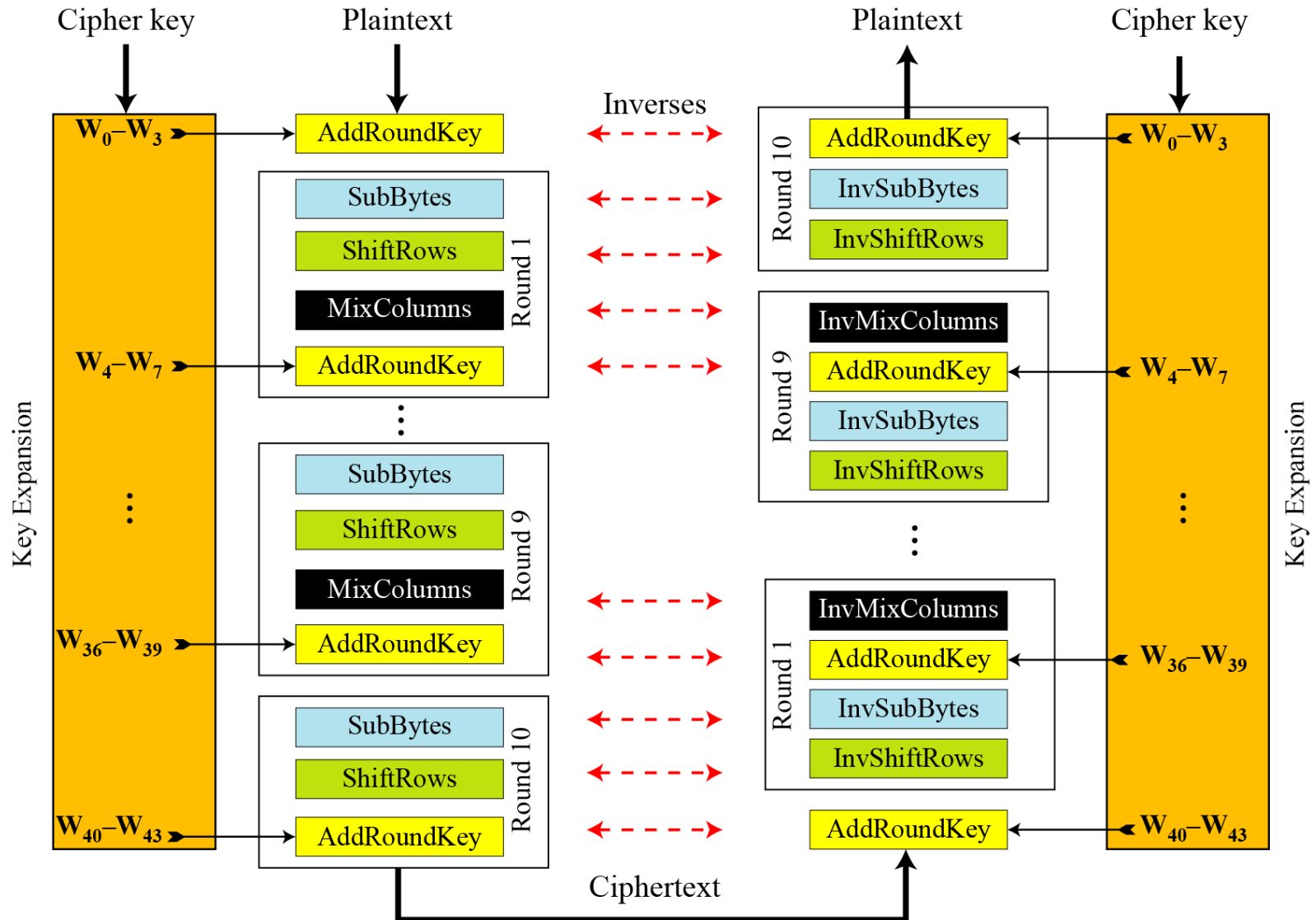
# Changing Plaintext to State

Text	A	E	S	U	S	E	S	A	M	A	T	R	I	X	Z	Z
------	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---	---

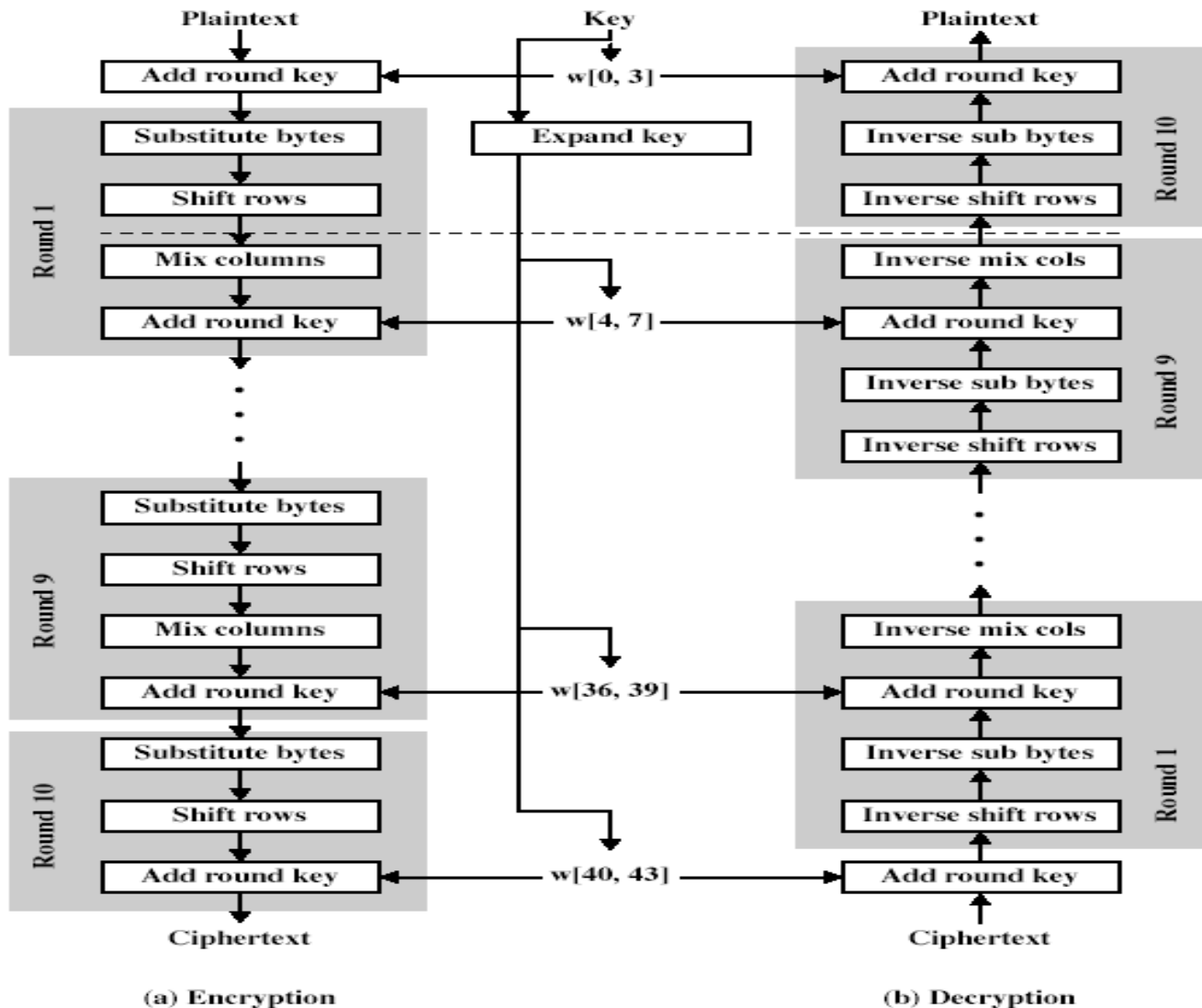
Hexadecimal	00	04	12	14	12	04	12	00	0C	00	13	11	08	23	19	19
-------------	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----	----

$$\begin{bmatrix} 00 & 12 & 0C & 08 \\ 04 & 04 & 00 & 23 \\ 12 & 12 & 13 & 19 \\ 14 & 00 & 11 & 19 \end{bmatrix} \text{ State}$$

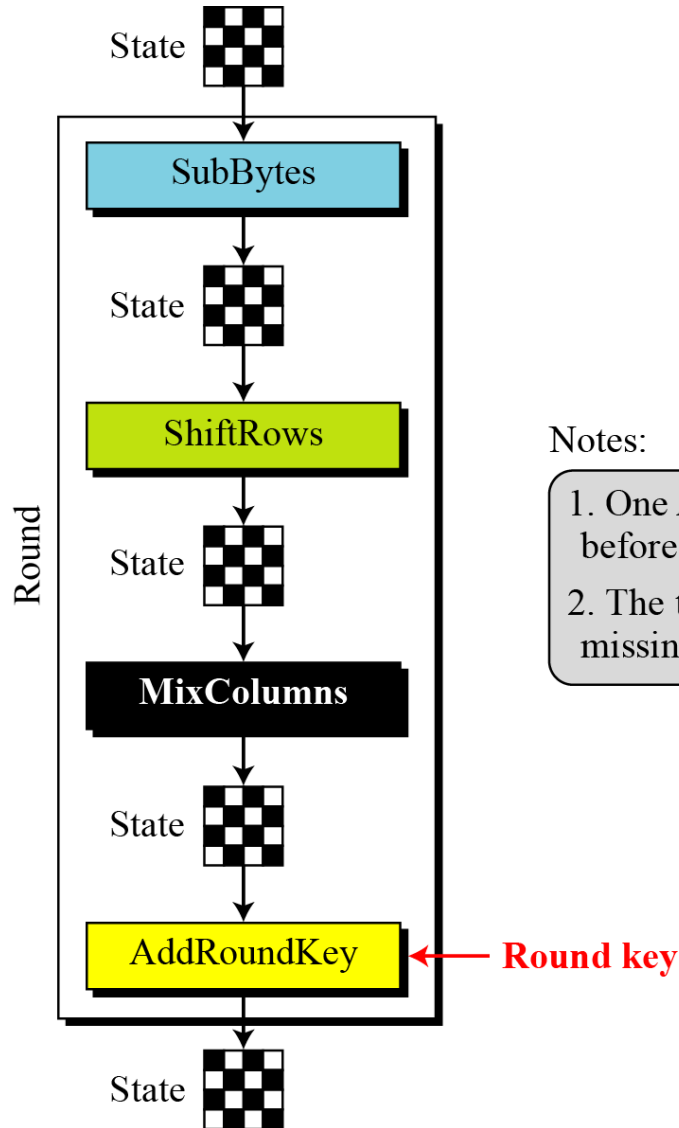
# Overall Structure



# Rijndael



# Details of Each Round



Notes:

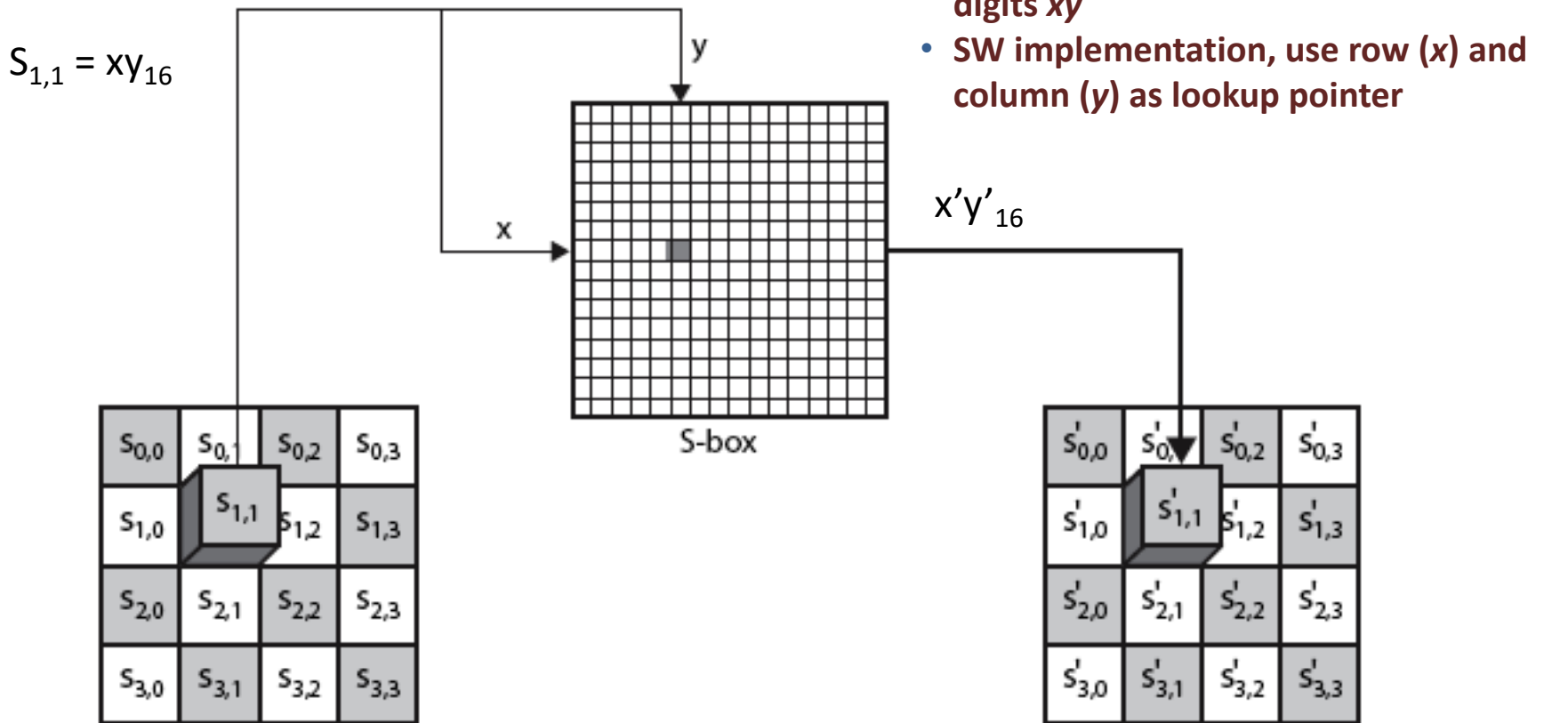
1. One AddRoundKey is applied before the first round.
2. The third transformation is missing in the last round.

# Byte Substitution

- a simple substitution of each byte
- uses one table of 16x16 bytes containing a permutation of all 256 8-bit values
- each byte of state is replaced by byte in row (left 4-bits) & column (right 4-bits)
  - eg. byte {95} is replaced by row 9 col 5 byte
  - which is the value {2A}
- S-box is constructed using a defined transformation of the values in  $GF(2^8)$
- designed to be resistant to all known attacks

# SubBytes Operation

- The SubBytes operation involves 16 independent byte-to-byte transformations.





# SubBytes Table

- Implement by Table Lookup

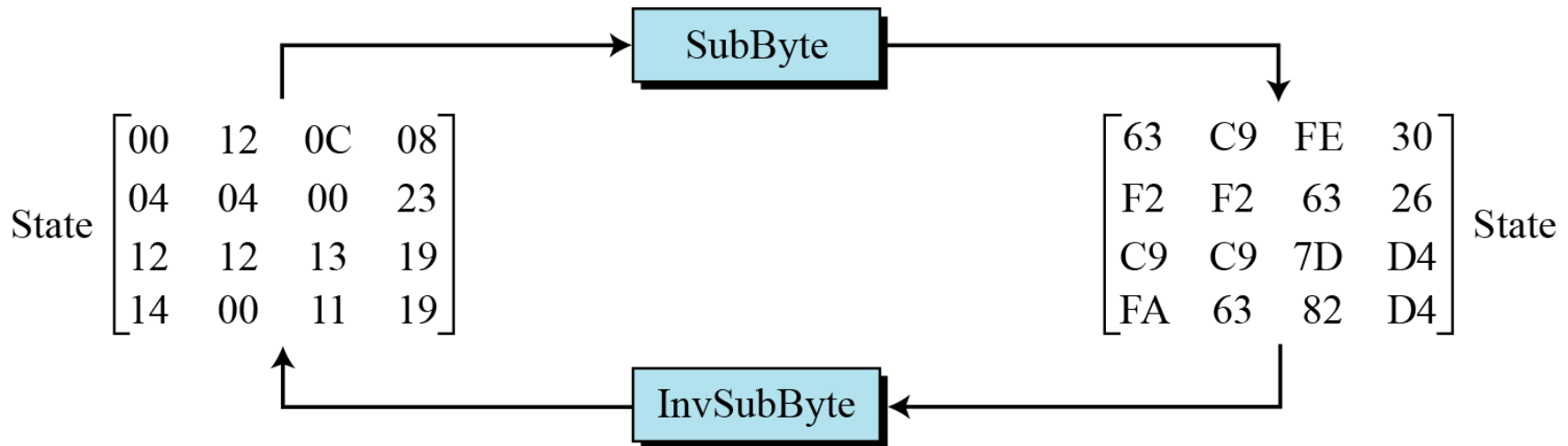
		<i>y</i>															
		0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
<i>x</i>	0	63	7C	77	7B	F2	6B	6F	C5	30	01	67	2B	FE	D7	AB	76
	1	CA	82	C9	7D	FA	59	47	F0	AD	D4	A2	AF	9C	A4	72	C0
	2	B7	FD	93	26	36	3F	F7	CC	34	A5	E5	F1	71	D8	31	15
	3	04	C7	23	C3	18	96	05	9A	07	12	80	E2	EB	27	B2	75
	4	09	83	2C	1A	1B	6E	5A	A0	52	3B	D6	B3	29	E3	2F	84
	5	53	D1	00	ED	20	FC	B1	5B	6A	CB	BE	39	4A	4C	58	CF
	6	D0	EF	AA	FB	43	4D	33	85	45	F9	02	7F	50	3C	9F	A8
	7	51	A3	40	8F	92	9D	38	F5	BC	B6	DA	21	10	FF	F3	D2
	8	CD	0C	13	EC	5F	97	44	17	C4	A7	7E	3D	64	5D	19	73
	9	60	81	4F	DC	22	2A	90	88	46	EE	B8	14	DE	5E	0B	DB
	A	E0	32	3A	0A	49	06	24	5C	C2	D3	AC	62	91	95	E4	79
	B	E7	C8	37	6D	8D	D5	4E	A9	6C	56	F4	EA	65	7A	AE	08
	C	BA	78	25	2E	1C	A6	B4	C6	E8	DD	74	1F	4B	BD	8B	8A
	D	70	3E	B5	66	48	03	F6	0E	61	35	57	B9	86	C1	1D	9E
	E	E1	F8	98	11	69	D9	8E	94	9B	1E	87	E9	CE	55	28	DF
	F	8C	A1	89	0D	BF	E6	42	68	41	99	2D	0F	B0	54	BB	16

# InvSubBytes Table

		<i>y</i>															
		0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
<i>x</i>	0	52	09	6A	D5	30	36	A5	38	BF	40	A3	9E	81	F3	D7	FB
	1	7C	E3	39	82	9B	2F	FF	87	34	8E	43	44	C4	DE	E9	CB
	2	54	7B	94	32	A6	C2	23	3D	EE	4C	95	0B	42	FA	C3	4E
	3	08	2E	A1	66	28	D9	24	B2	76	5B	A2	49	6D	8B	D1	25
	4	72	F8	F6	64	86	68	98	16	D4	A4	5C	CC	5D	65	B6	92
	5	6C	70	48	50	FD	ED	B9	DA	5E	15	46	57	A7	8D	9D	84
	6	90	D8	AB	00	8C	BC	D3	0A	F7	E4	58	05	B8	B3	45	06
	7	D0	2C	1E	8F	CA	3F	0F	02	C1	AF	BD	03	01	13	8A	6B
	8	3A	91	11	41	4F	67	DC	EA	97	F2	CF	CE	F0	B4	E6	73
	9	96	AC	74	22	E7	AD	35	85	E2	F9	37	E8	1C	75	DF	6E
	A	47	F1	1A	71	1D	29	C5	89	6F	B7	62	0E	AA	18	BE	1B
	B	FC	56	3E	4B	C6	D2	79	20	9A	DB	C0	FE	78	CD	5A	F4
	C	1F	DD	A8	33	88	07	C7	31	B1	12	10	59	27	80	EC	5F
	D	60	51	7F	A9	19	B5	4A	0D	2D	E5	7A	9F	93	C9	9C	EF
	E	A0	E0	3B	4D	AE	2A	F5	B0	C8	EB	BB	3C	83	53	99	61
	F	17	2B	04	7E	BA	77	D6	26	E1	69	14	63	55	21	0C	7D

# Sample SubByte Transformation

- The SubBytes and InvSubBytes transformations are inverses of each other.

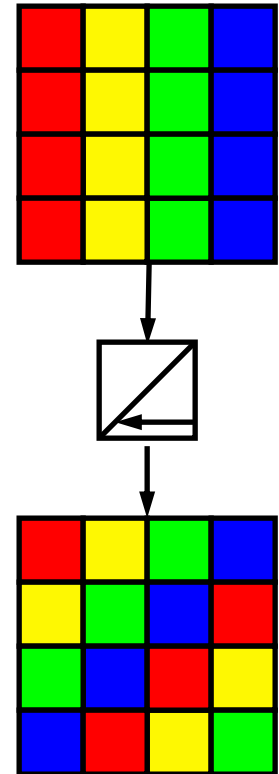


# Shift Rows

- a circular byte shift in each each
  - 1<sup>st</sup> row is unchanged
  - 2<sup>nd</sup> row does 1 byte circular shift to left
  - 3<sup>rd</sup> row does 2 byte circular shift to left
  - 4<sup>th</sup> row does 3 byte circular shift to left
- decrypt does shifts to right
- since state is processed by columns, this step permutes bytes between the columns

# ShiftRows

- Shifting, which permutes the bytes.
- A circular byte shift in each each
  - 1<sup>st</sup> row is unchanged
  - 2<sup>nd</sup> row does 1 byte circular shift to left
  - 3<sup>rd</sup> row does 2 byte circular shift to left
  - 4<sup>th</sup> row does 3 byte circular shift to left
- In the encryption, the transformation is called ShiftRows
- In the decryption, the transformation is called InvShiftRows and the shifting is to the right



# Mix Columns

- each column is processed separately
- each byte is replaced by a value dependent on all 4 bytes in the column
- effectively a matrix multiplication in  $GF(2^8)$  using prime poly  $m(x) = x^8 + x^4 + x^3 + x + 1$

$$\begin{bmatrix} 02 & 03 & 01 & 01 \\ 01 & 02 & 03 & 01 \\ 01 & 01 & 02 & 03 \\ 03 & 01 & 01 & 02 \end{bmatrix} \begin{bmatrix} s_{0,0} & s_{0,1} & s_{0,2} & s_{0,3} \\ s_{1,0} & s_{1,1} & s_{1,2} & s_{1,3} \\ s_{2,0} & s_{2,1} & s_{2,2} & s_{2,3} \\ s_{3,0} & s_{3,1} & s_{3,2} & s_{3,3} \end{bmatrix} = \begin{bmatrix} s'_{0,0} & s'_{0,1} & s'_{0,2} & s'_{0,3} \\ s'_{1,0} & s'_{1,1} & s'_{1,2} & s'_{1,3} \\ s'_{2,0} & s'_{2,1} & s'_{2,2} & s'_{2,3} \\ s'_{3,0} & s'_{3,1} & s'_{3,2} & s'_{3,3} \end{bmatrix}$$

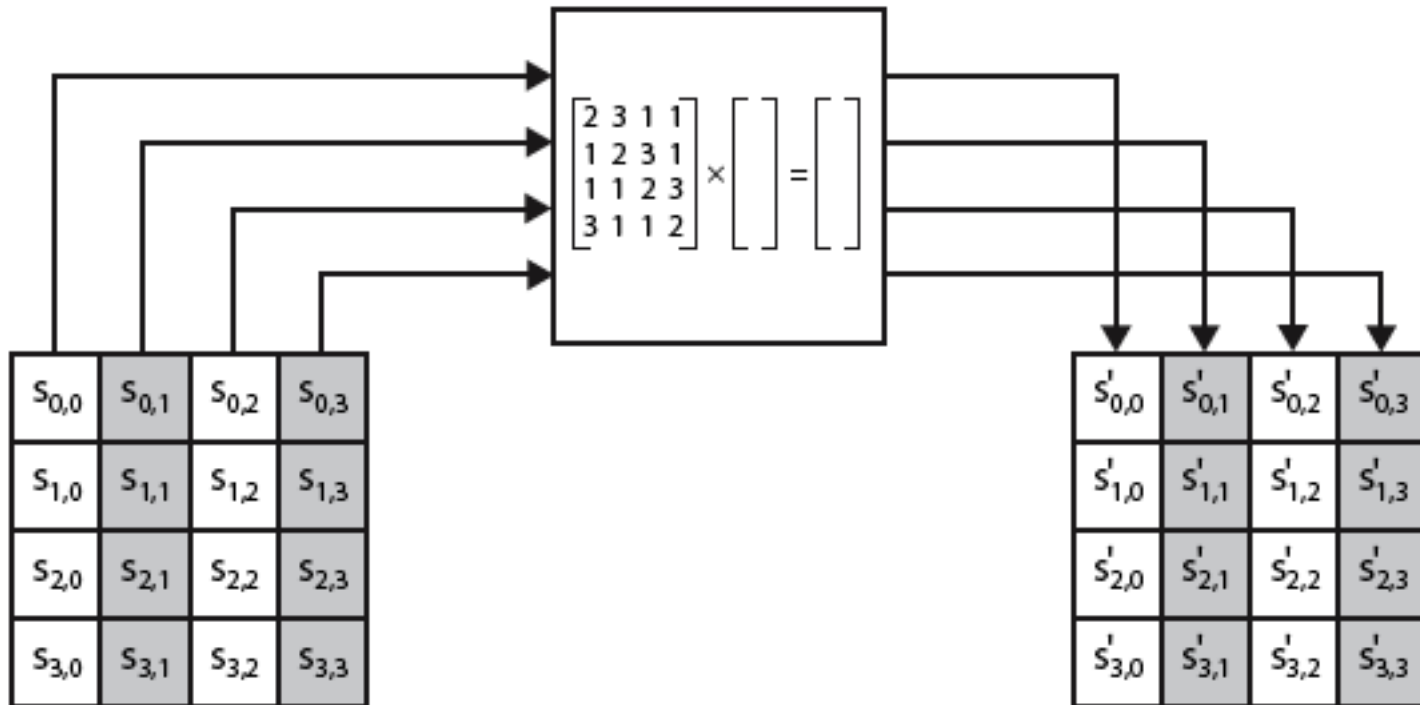
# MixColumns

- ShiftRows and MixColumns provide diffusion to the cipher
- Each column is processed separately
- Each byte is replaced by a value dependent on all 4 bytes in the column
- Effectively a matrix multiplication in  $GF(2^8)$  using prime poly  $m(x) = x^8 + x^4 + x^3 + x + 1$

$$\begin{array}{l}
 ax + by + cz + dt \\
 ex + fy + gz + ht \\
 ix + jy + kz + lt \\
 mx + ny + oz + pt
 \end{array}
 \begin{array}{c}
 \rightarrow \\
 \rightarrow \\
 \rightarrow \\
 \rightarrow
 \end{array}
 \begin{bmatrix}
 \text{Green Box} \\
 \text{Green Box} \\
 \text{Green Box} \\
 \text{Green Box}
 \end{bmatrix}
 =
 \begin{bmatrix}
 a & b & c & d \\
 e & f & g & h \\
 i & j & k & l \\
 m & n & o & p
 \end{bmatrix}
 \times
 \begin{bmatrix}
 \mathbf{x} \\
 \mathbf{y} \\
 \mathbf{z} \\
 \mathbf{t}
 \end{bmatrix}$$

New matrix
**Constant matrix**
Old matrix

# MixColumns Scheme



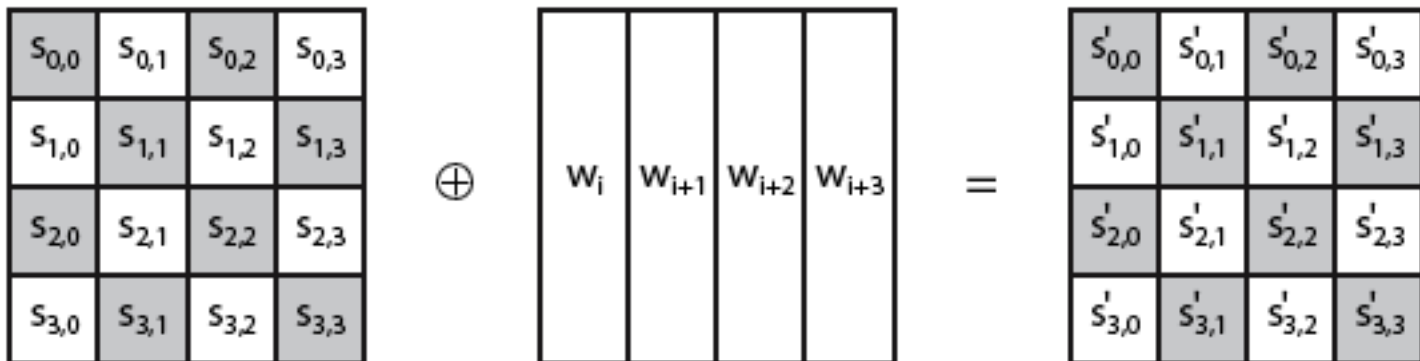
*The MixColumns transformation operates at the column level; it transforms each column of the state to a new column.*

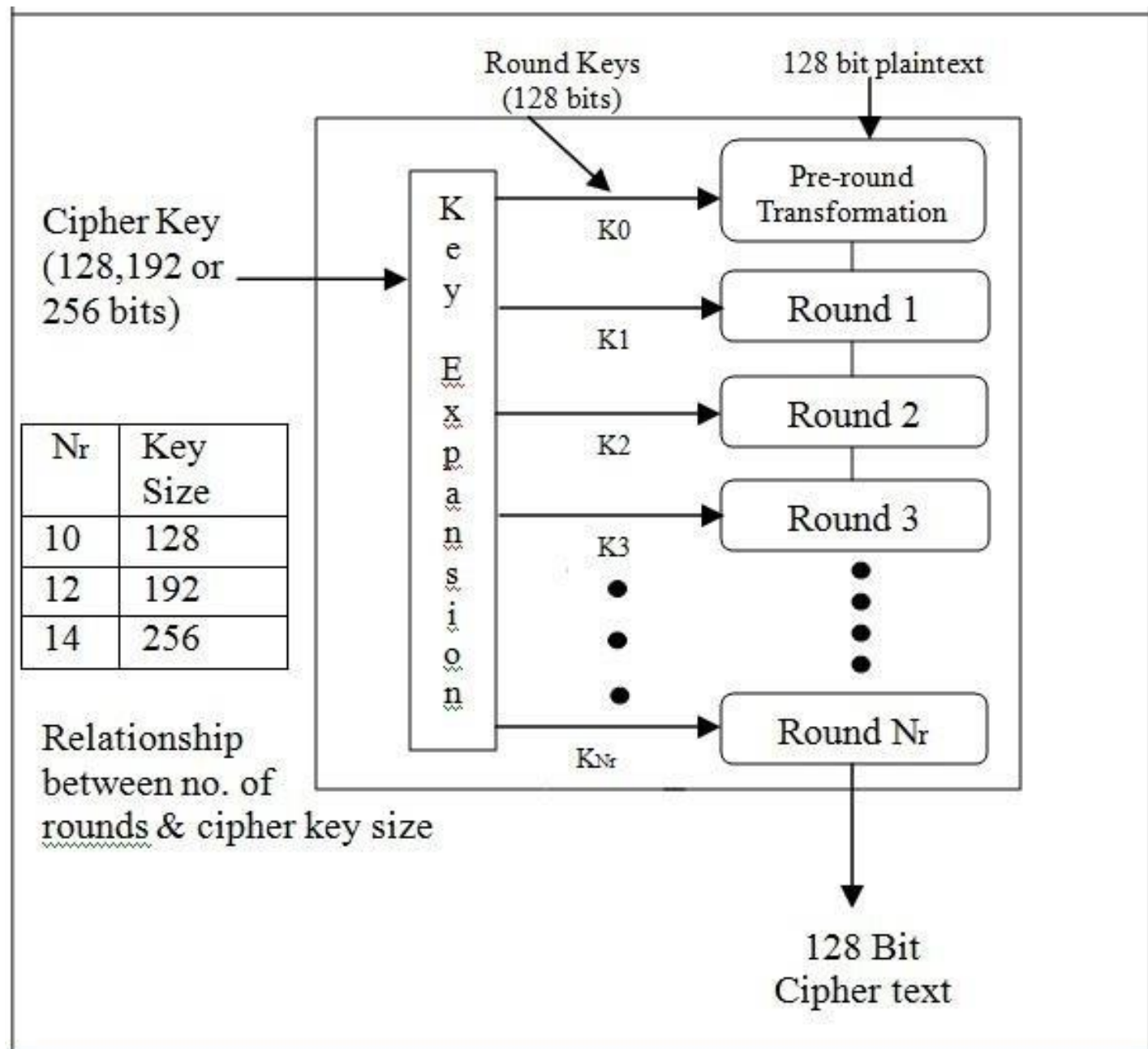


# Add Round Key (come from key schedule/expansion) – later slides

- (Before any encryption takes place, separate 128-bit keys must be generated for each round).
- XOR state with 128-bits of the round key
- again processed by column (though effectively a series of byte operations)
- inverse for decryption is identical since XOR is own inverse, just with correct round key
- designed to be as simple as possible

# AddRoundKey Scheme





# AES key expansion

- The AES key expansion takes as input a four word (16byte) key and produces a linear array of 44 words (176bytes).
- This is sufficient to provide a four-word round key for the initial AddRoundKey stage and each of the 10 rounds of the cipher.

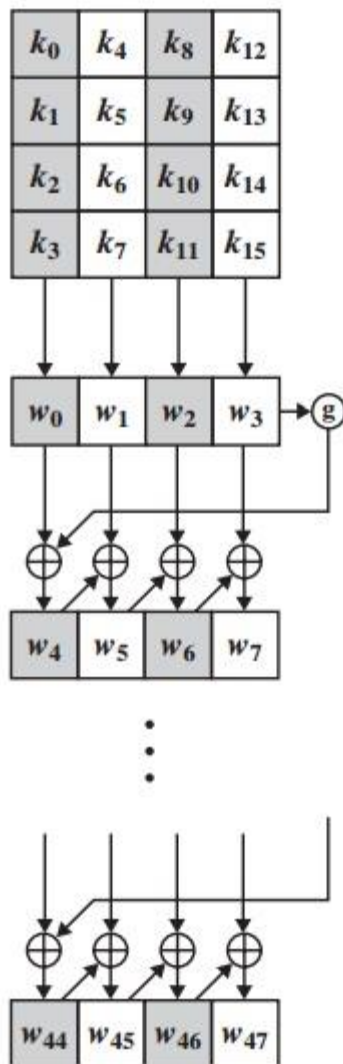
# AES Key Expansion

- takes 128-bit (16-byte) key and expands into array of 44/52/60 32-bit words (10,12,14 rounds)
- start by copying key into first 4 words
- then loop creating words that depend on values in previous & 4 places back
  - in 3 of 4 cases just XOR these together
  - every 4<sup>th</sup> has S-box + rotate + XOR constant of previous before XOR together
- designed to resist known attacks

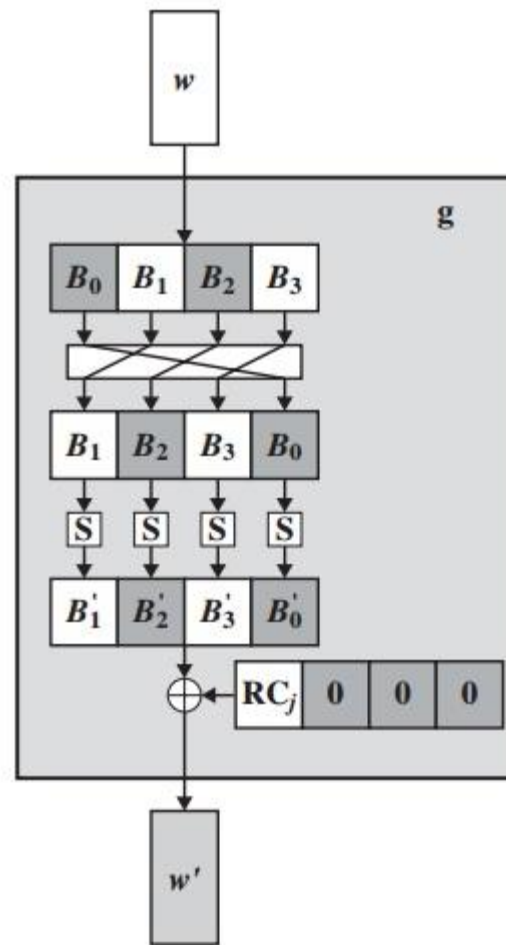
# AES Key Scheduling/expansion

- takes 128-bits (16-bytes) key and expands into array of 44 32-bit words

<i>Round</i>	<i>Words</i>			
Pre-round	$\mathbf{w}_0$	$\mathbf{w}_1$	$\mathbf{w}_2$	$\mathbf{w}_3$
1	$\mathbf{w}_4$	$\mathbf{w}_5$	$\mathbf{w}_6$	$\mathbf{w}_7$
2	$\mathbf{w}_8$	$\mathbf{w}_9$	$\mathbf{w}_{10}$	$\mathbf{w}_{11}$
...	...			
$N_r$	$\mathbf{w}_{4N_r}$	$\mathbf{w}_{4N_r+1}$	$\mathbf{w}_{4N_r+2}$	$\mathbf{w}_{4N_r+3}$



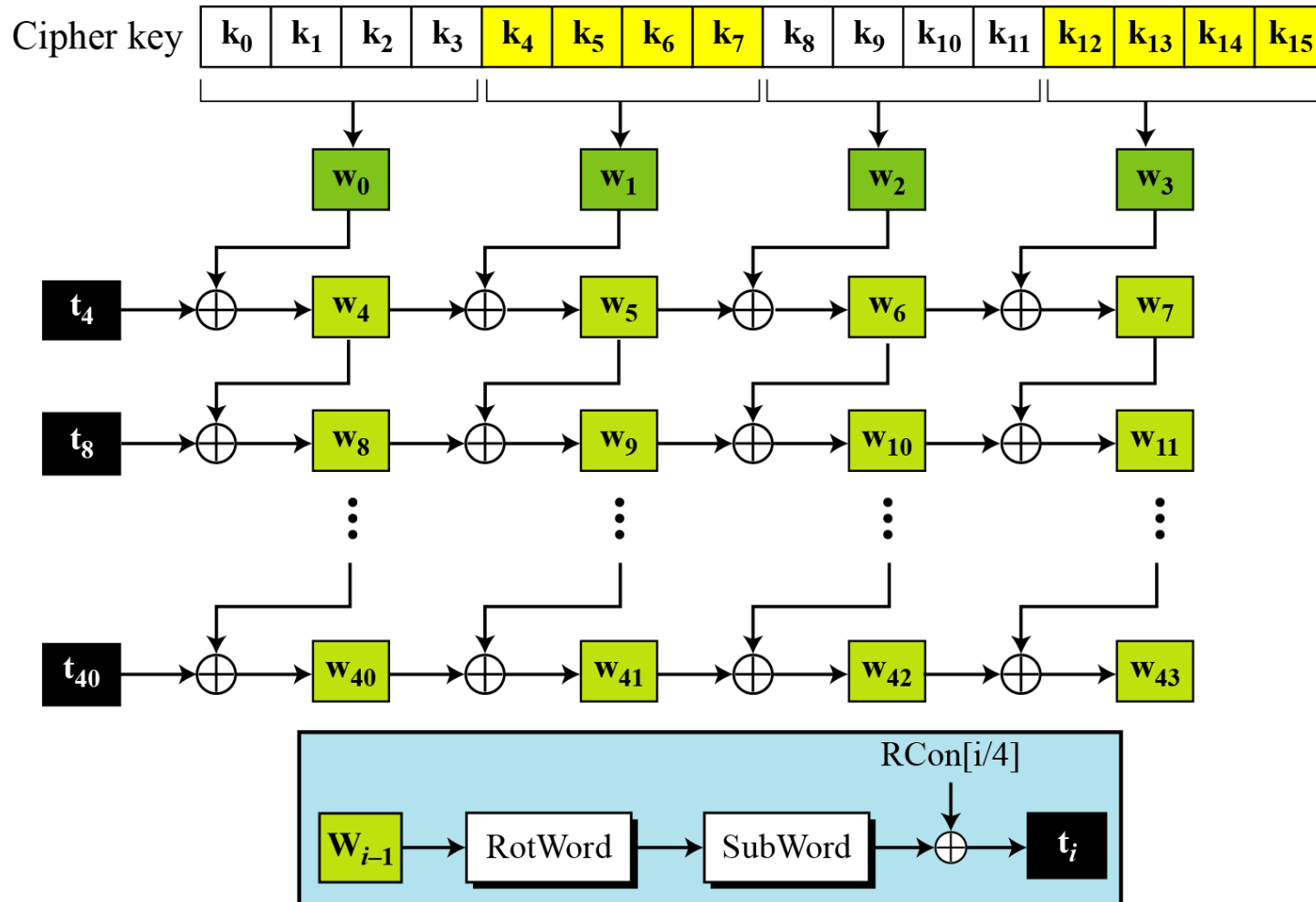
(a) Overall algorithm



(b) Function  $g$

Figure 5.9 AES Key Expansion

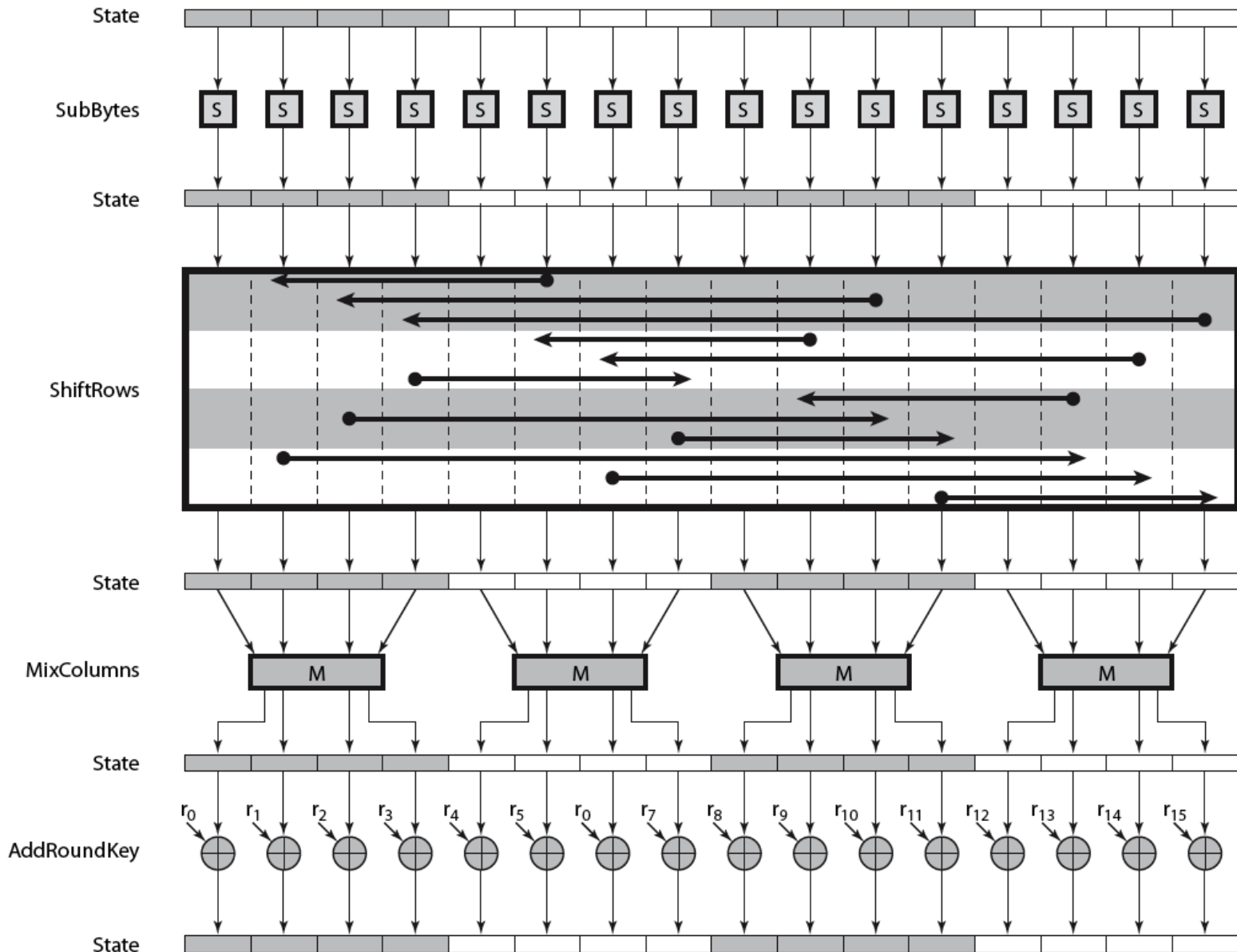
# Key Expansion Scheme



Making of  $t_i$  (temporary) words  $i = 4 N_r$ .



# AES Round



- *The quick brown fox jumped over the lazy dog*
- 16 byte first block is like this

T	q	k	o
h	u		w
e	i	b	n
	c	r	

54	71	6b	6f
68	75	20	77
65	69	62	6e
20	63	72	20

# AES Decryption

- AES decryption is not identical to encryption since steps done in reverse
- but can define an equivalent inverse cipher with steps as for encryption
  - but using inverses of each step
  - with a different key schedule
- works since result is unchanged when
  - swap byte substitution & shift rows
  - swap mix columns & add (tweaked) round key

# Implementation Aspects

- can efficiently implemented on 8-bit CPU
  - byte substitution works on bytes using a table of 256 entries
  - shift rows is simple byte shifting
  - add round key works on byte XORs
  - mix columns requires matrix multiply in  $GF(2^8)$  which works on byte values, can be simplified to use a table lookup

# Implementation Aspects

- can efficiently implemented on 32-bit CPU
  - redefine steps to use 32-bit words
  - can precompute 4 tables of 256-words
  - then each column in each round can be computed using 4 table lookups + 4 XORs
  - at a cost of 16Kb to store tables
- designers believe this very efficient implementation was a key factor in its selection as the AES cipher

# AES pseudo code

- function AESSencrypt(plaintext, key)
- {  
  blocks := divideIntoBlocks(plaintext);  
  roundKeys = getRoundKeys(key)  
  for (block in blocks) { addRoundKey(roundKeys[0], block);  
    //intermediate rounds  
    for (8, 10 or 12 rounds) {  
      subBytes(block);  
      shiftRows(block);  
      mixColumns(block);  
      addRoundKey(roundKeys[..], block);  
    }  
    //last round  
    subBytes(block);  
    shiftRows(block);  
    addRoundKey(roundKeys[numRounds - 1], block); }  
  ciphertext := reassemble(blocks);  
  return ciphertext;}

# DES and AES

- NIST FIPS 46 (DES – Jan 1977)
- FIPS 46-3 Triple DES (3DES) - applies the DES cipher algorithm three times to each data block
- NIST FIPS 197 (AES - November 2001) – request for update - **Classical security, Key size and Post quantum security and Implementation Security (Side Channel)**

# Attacks on DES and AES

- Known attacks against DES include Brute-force, Linear crypt-analysis, and Differential crypt-analysis
- No known crypt-analytical attacks against AES but side channel attacks against AES implementations possible.
- Overall, AES is a well-vetted and secure encryption standard that offers a significant leap forward in protecting information



# Moving forward

- **Cryptanalytic attacks.** The attacks rely on nature of the algorithm and also knowledge of the general characteristics of the plaintext
- Post-quantum cryptography: There's ongoing research in the field of post-quantum cryptography, which aims to develop algorithms resistant to attacks from powerful quantum computers

# Post-quantum cryptography

- Quantum computers – machines that exploit quantum mechanical phenomena to solve mathematical problems that are difficult or intractable for conventional computers. If large-scale quantum computers are ever built, they will be able to break many of the public-key cryptosystems currently in use.
- This would seriously compromise the confidentiality and integrity of digital communications on the Internet and elsewhere.

# Post-quantum cryptography

- The goal of post-quantum cryptography (also called quantum-resistant cryptography) is to develop cryptographic systems that are secure against both quantum and classical computers, and can interoperate with existing communications protocols and networks.
- Draft FIPS 203, Module-Lattice-Based Key-Encapsulation Mechanism Standard
- Draft FIPS 204, Module-Lattice-Based Digital Signature Standard
- Draft FIPS 205, Stateless Hash-Based Digital Signature Standard