

ARTIFICIAL INTELLIGENCE ASSIGNMENT 4

U20CS005
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Implement Traveling Salesman problem using below algorithms in prolog.
Compare the complexity of both algorithms. Which algorithm is best suited for implementing the Traveling Salesman problem and why?

BFS Code:

```
#include <bits/stdc++.h>
using namespace std;

const int N = 20;
int n, graph[N][N], visited[1 << N][N], ans = INT_MAX;
struct node
{
    int removed, current, cost;
};

void bfs()
{
    queue<node> q;
    q.push({1, 0, 0});
    visited[1][0] = 1;
    while (!q.empty())
    {
        node nd = q.front();
        q.pop();
        if (nd.removed == (1 << n) - 1 && graph[nd.current][0])
            ans = min(ans, nd.cost + graph[nd.current][0]);
        for (int i = 0; i < n; i++)
        {
            if (!visited[nd.removed | (1 << i)][i] &&
graph[nd.current][i])
            {
                visited[nd.removed | (1 << i)][i] = 1;
                q.push({nd.removed | (1 << i), i, nd.cost +
graph[nd.current][i]});
            }
        }
    }
}
```

```

}

int main()
{
    cout << "\n*****Travelling Salesman Problem Using Breadth First
Serach*****\n";
    cout << "Enter the number of nodes: ";
    cin >> n;
    cout << "Enter adjacency matrix: \n";
    for (int i = 0; i < n; i++)
        for (int j = 0; j < n; j++)
            cin >> graph[i][j];

    bfs();
    if (ans == INT_MAX)
        cout << "Cycle doesn't exist!!\n";
    else
        cout << "Minimum cost is: " << ans << "\n";
    return 0;
}

```

```

PS D:\BANSI MARAKANA\AI> g++ a4q1.cpp
PS D:\BANSI MARAKANA\AI> ./a

```

```

*****Travelling Salesman Problem Using Breadth First Serach*****
Enter the number of nodes: 7
Enter adjacency matrix:
0 12 10 0 0 0 0
12 0 8 12 0 0 0
10 8 0 11 3 0 9
0 12 11 0 11 6 0
0 0 3 11 0 6 7
0 0 0 6 6 0 9
0 0 9 0 7 9 0
Minimum cost is: 59
PS D:\BANSI MARAKANA\AI> 

```

Time Complexity: $O(N^2)$
Space Complexity: $O(2^N)$

DFS Code:

```
#include <bits/stdc++.h>
using namespace std;

vector<int> path;
vector<int> min_path;
int min_tsp = INT_MAX - 1;

void dfs(vector<vector<int>> &adj, int node, int cnt, vector<bool>
visited, int cost)
{
    if (cnt == adj.size() && adj[node][0] > 0)
    {
        if (min_tsp > cost + adj[node][0])
        {
            min_tsp = cost + adj[node][0];
            min_path = path;
        }
        return;
    }
    for (int i = 0; i < adj.size(); i++)
    {
        if (adj[node][i] <= 0 || visited[i])
            continue;
        visited[i] = true;
        path.push_back(i);
        dfs(adj, i, cnt + 1, visited, cost + adj[node][i]);
        path.pop_back();
        visited[i] = false;
    }
}

int main()
{
    cout << "\n*****Travelling Salesman Problem Using Depth First
Serach*****\n";

    int n;
    cout << "Enter the number of nodes: ";
    cin >> n;
    vector<vector<int>> adj(n, vector<int>(n, -1));
```

```

    cout << "\nEnter the adjacency matrix\n";
    for (int i = 0; i < n; i++)
        for (int j = 0; j < n; j++)
            cin >> adj[i][j];
    vector<bool> visited(n, false);
    visited[0] = true;
    path.push_back(0);
    dfs(adj, 0, 1, visited, 0);
    cout << "Minimum cost path is: ";
    for (int i = 0; i < min_path.size(); i++)
        cout << min_path[i] << " -> ";
    cout << 0 << endl;
    cout << "Minimum Cost is: " << min_tsp << endl;
}

```

```
PS D:\BANSI MARAKANA\AI> g++ a4q2.cpp
```

```
PS D:\BANSI MARAKANA\AI> ./a
```

```
*****Travelling Salesman Problem Using Depth First Serach*****
```

```
Enter the number of nodes: 7
```

```
Enter the adjacency matrix
```

```
0 12 10 0 0 0 0
```

```
12 0 8 12 0 0 0
```

```
10 8 0 11 3 0 9
```

```
0 12 11 0 11 6 0
```

```
0 0 3 11 0 6 7
```

```
0 0 0 6 6 0 9
```

```
0 0 9 0 7 9 0
```

```
Minimum cost path is: 0 -> 1 -> 3 -> 5 -> 6 -> 4 -> 2 -> 0
```

```
Minimum Cost is: 59
```

Time Complexity: $O(N!)$

Space Complexity: $O(N^2)$

As shown above both algorithms are complete and we can conclude from time complexity of both the algorithms that BFS is faster than DFS, so BFS is a better algorithm to solve this problem.