## Diving into SyntaxNet

Kim Ho Yeob

### NLP Procedure

**Tokenizing** 

형태소 분석

**POS-Tagging** 

품사 태깅

Syntactic Parsing

문장 구조 분석

**Semantic Parsing** 

문장 의미 분석

SyntaxNet?

Tokenizing

**POS-Tagging** 

Syntactic Parsing



SyntaxNet

**Semantic Parsing** 

## SyntaxNet Main Paper

### Globally Normalized Transition-Based Neural Networks

### **Globally Normalized**

Tools for solving problems of local normalization

### **Transition-Based**

Method of dependency parsing

**Neural Networks** 

## SyntaxNet Main Paper

Globally Normalized Transition-Based Neural Networks

Globally Normalized

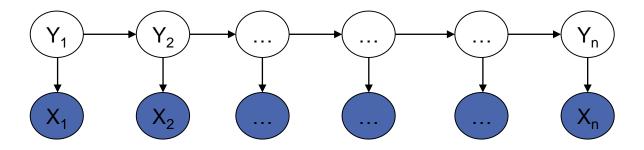
Tools for solving problems of local normalization

2. Transition-Based
Method of dependency parsing

**Neural Networks** 

### Globally Normalized?

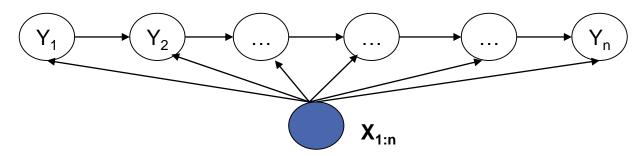
Globally Normalization starts from Hidden Markov Model(HMM)



- Shortcomings of Hidden Markov Model
- HMM models direct dependence between each state and only its corresponding observation
  - NLP example: In a sentence segmentation task, segmentation may depend not just on a single word, but also on the features of the whole line such as line length, indentation, amount of white space, etc.

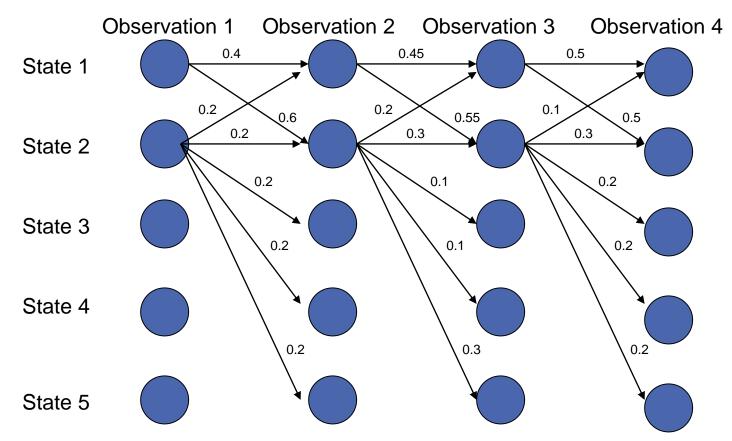
### Globally Normalized?

- Maximum Entropy Markov Model(MEMM)
  - Solution for shortcomings of HMM



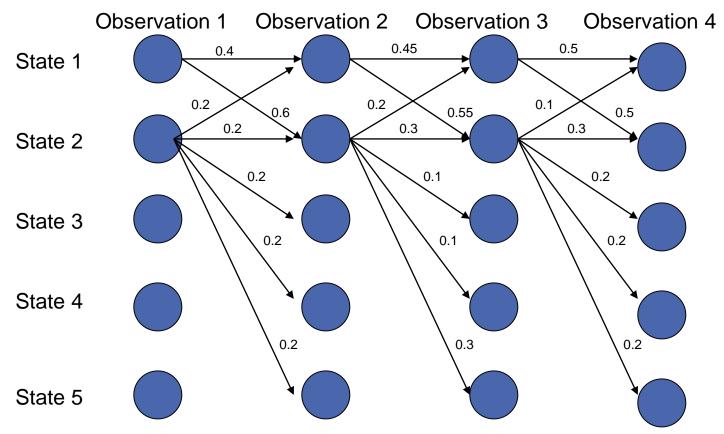
$$P(\mathbf{y}_{1:n}|\mathbf{x}_{1:n}) = \prod_{i=1}^{n} P(y_i|y_{i-1},\mathbf{x}_{1:n}) = \prod_{i=1}^{n} \frac{\exp(\mathbf{w}^T \mathbf{f}(y_i,y_{i-1},\mathbf{x}_{1:n}))}{Z(y_{i-1},\mathbf{x}_{1:n})}$$

- Models dependence between each state and the full observation sequence explicitly
  - More expressive than HMMs
- Discriminative model
  - Completely ignores modeling P(X): saves modeling effort
  - Learning objective function consistent with predictive function: P(Y|X)



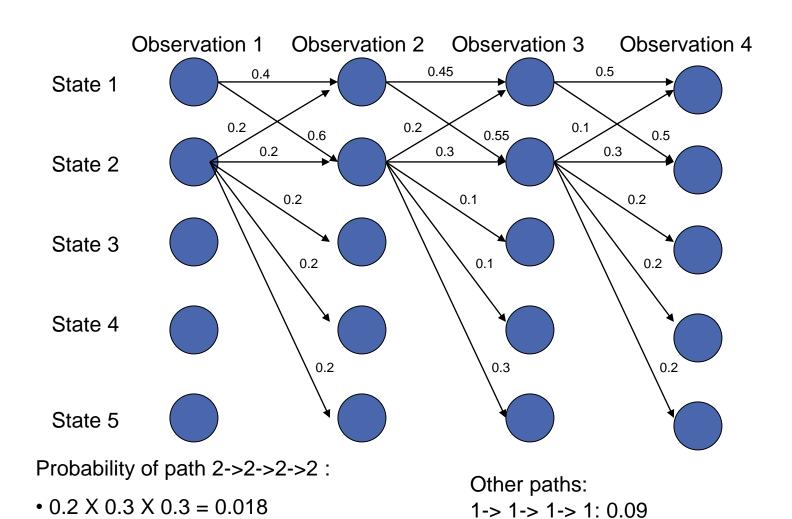
#### What the local transition probabilities say:

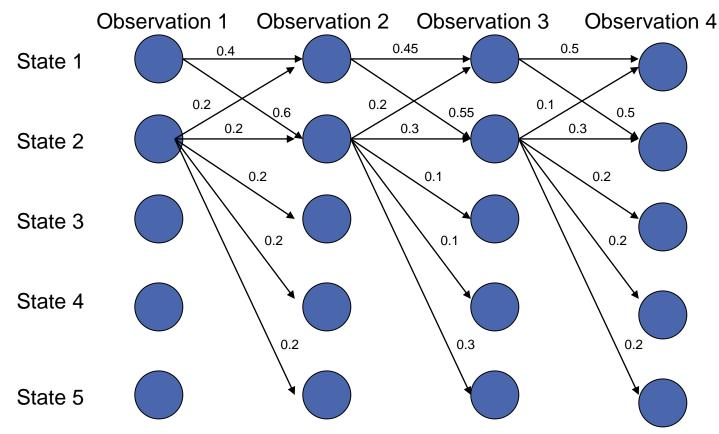
- State 1 almost always prefers to go to state 2
- State 2 almost always prefer to stay in state 2



Probability of path 1-> 1-> 1:

•  $0.4 \times 0.45 \times 0.5 = 0.09$ 





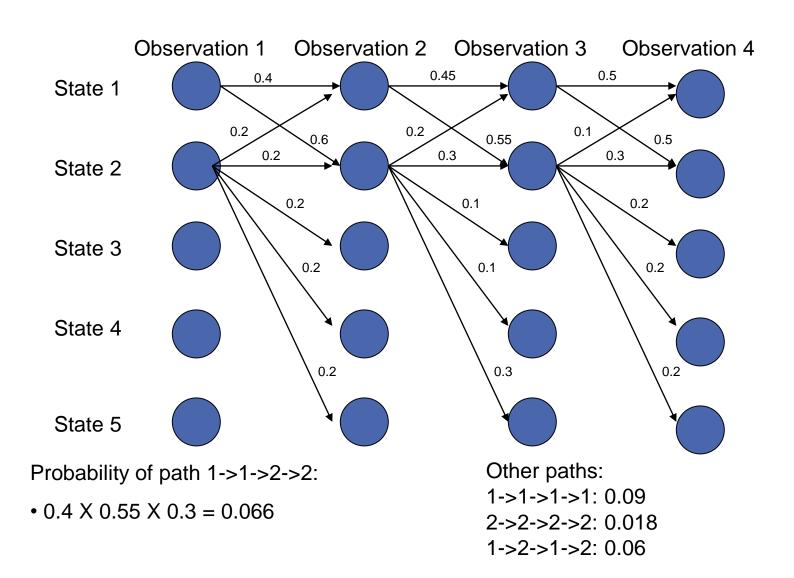
Probability of path 1->2->1->2:

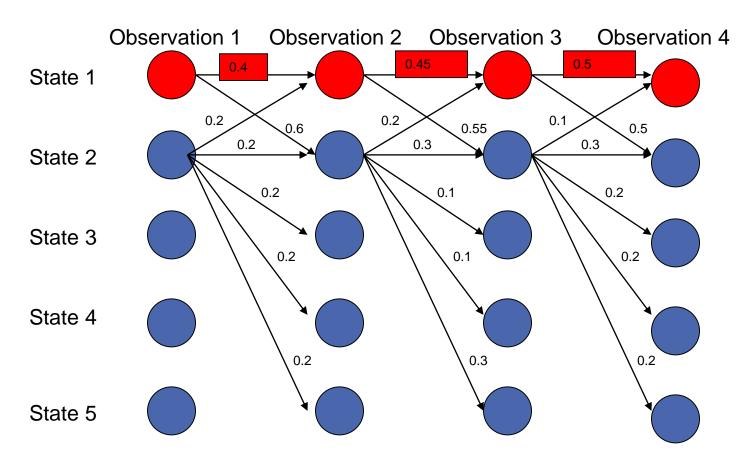
•  $0.6 \times 0.2 \times 0.5 = 0.06$ 

Other paths:

1->1->1: 0.09

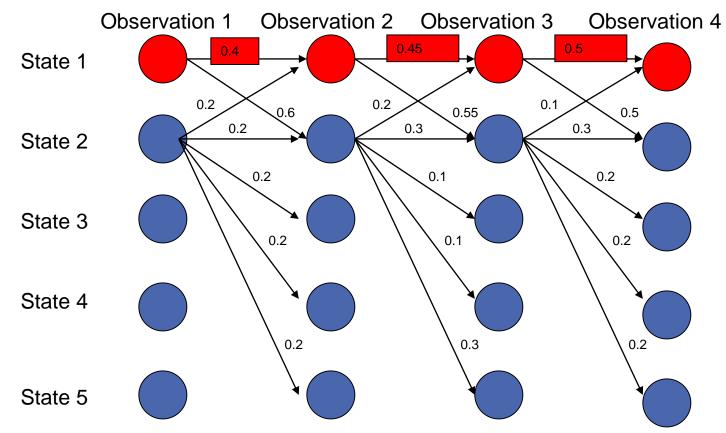
2->2->2: 0.018





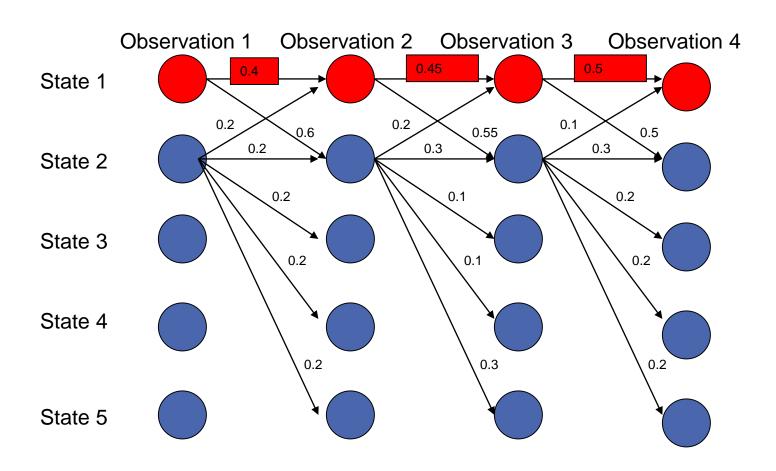
#### Most Likely Path: 1-> 1-> 1

- Although locally it seems state 1 wants to go to state 2 and state 2 wants to remain in state 2.
- why?



Most Likely Path: 1-> 1-> 1

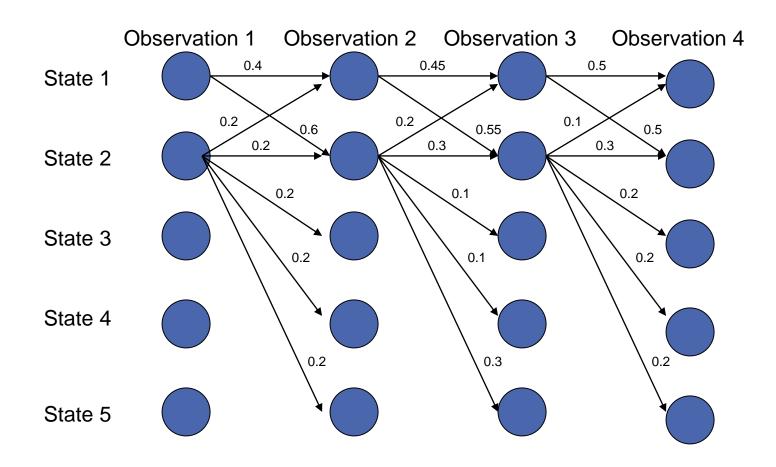
- State 1 has only two transitions but state 2 has 5:
  - Average transition probability from state 2 is lower



#### Label bias problem in MEMM:

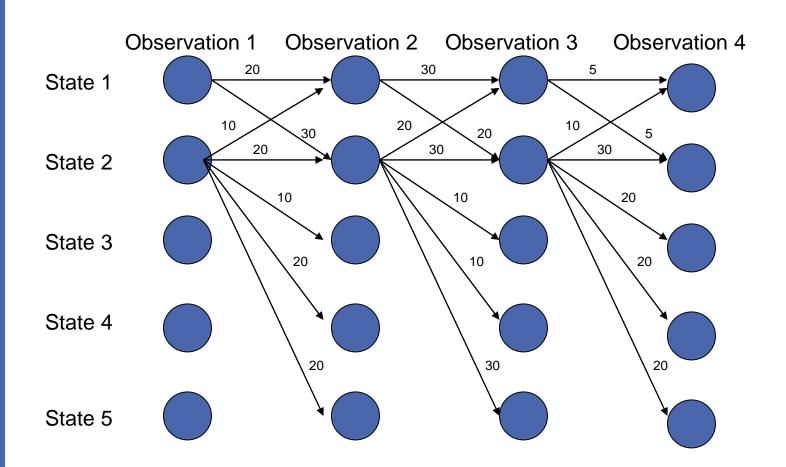
• Preference of states with lower number of transitions over others

Solution: Do not normalize probabilities locally



From local probabilities ....

# Solution: Do not normalize probabilities locally

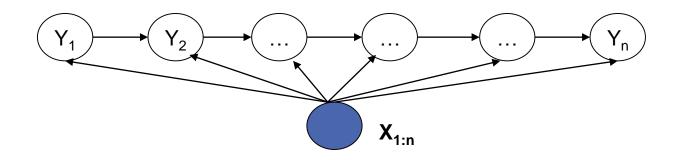


From local probabilities to local potentials

States with lower transitions do not have an unfair advantage!

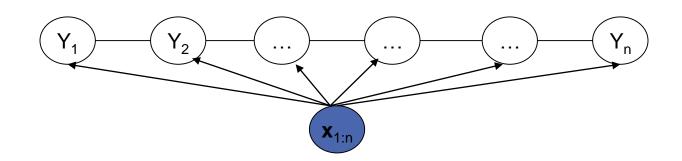
Referred From Label bias problem – Stanford Computer Science

# From MEMM ....



$$P(\mathbf{y}_{1:n}|\mathbf{x}_{1:n}) = \prod_{i=1}^{n} P(y_i|y_{i-1},\mathbf{x}_{1:n}) = \prod_{i=1}^{n} \frac{\exp(\mathbf{w}^T \mathbf{f}(y_i,y_{i-1},\mathbf{x}_{1:n}))}{Z(y_{i-1},\mathbf{x}_{1:n})}$$

# From MEMM to CRF

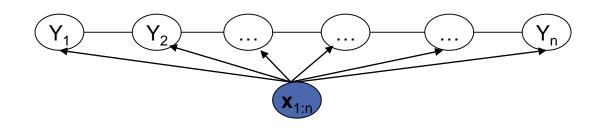


$$P(\mathbf{y}_{1:n}|\mathbf{x}_{1:n}) = \frac{1}{Z(\mathbf{x}_{1:n})} \prod_{i=1}^{n} \phi(y_i, y_{i-1}, \mathbf{x}_{1:n}) = \frac{1}{Z(\mathbf{x}_{1:n})} \prod_{i=1}^{n} \exp(\mathbf{w}^T \mathbf{f}(y_i, y_{i-1}, \mathbf{x}_{1:n}))$$

### CRF is a partially directed model

- Discriminative model like MEMM
- Usage of global normalizer Z(x) overcomes the label bias problem of MEMM
- Models the dependence between each state and the entire observation sequence (like MEMM)

## Conditional Random Fields

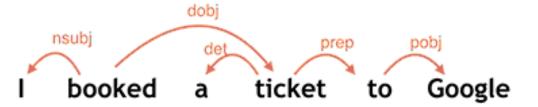


$$P(\mathbf{y}|\mathbf{x}) = \frac{1}{Z(\mathbf{x})} \exp(\sum_{i=1}^{n} (\sum_{k} \lambda_k f_k(y_i, y_{i-1}, \mathbf{x}) + \sum_{l} \mu_l g_l(y_i, \mathbf{x})))$$
$$= \frac{1}{Z(\mathbf{x})} \exp(\sum_{i=1}^{n} (\lambda^T \mathbf{f}(y_i, y_{i-1}, \mathbf{x}) + \mu^T \mathbf{g}(y_i, \mathbf{x})))$$

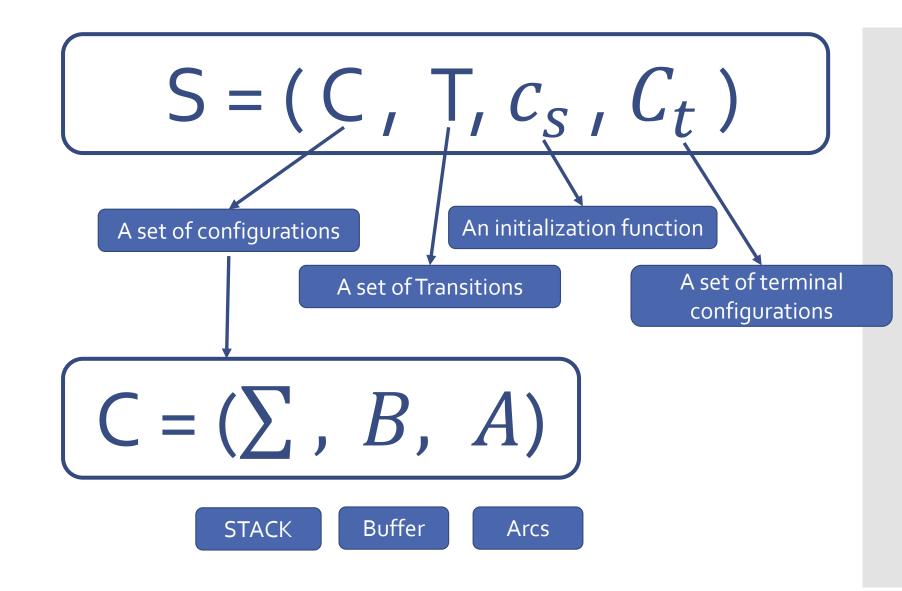
where 
$$Z(\mathbf{x}) = \sum_{\mathbf{y}} \exp(\sum_{i=1}^{n} (\lambda^T \mathbf{f}(y_i, y_{i-1}, \mathbf{x}) + \mu^T \mathbf{g}(y_i, \mathbf{x})))$$

# Dependency Parsing?

### **Dependency Parsing**



# Transition Systems



# Transition Systems

Initialization: 
$$c_s(x = x_1, \dots, x_n) = ([0], [1, \dots, n], \emptyset)$$

**Terminal:** 
$$C_t = \{c \in C | c = ([0], [], A)\}$$

Transitions: 
$$(\sigma, [i|\beta], A) \Rightarrow ([\sigma|i], \beta, A)$$
 (Shift)

$$([\sigma|i|j], B, A) \Rightarrow ([\sigma|j], B, A \cup \{(j, l, i)\})^1 \quad (\text{Left-Arc}_l)$$

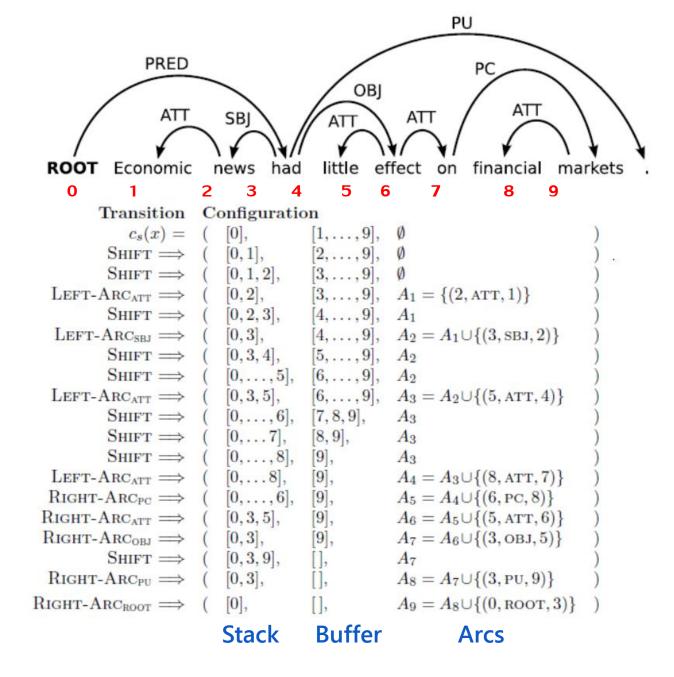
$$([\sigma|i|j], B, A) \Rightarrow ([\sigma|i], B, A \cup \{(i, l, j)\})$$
 (RIGHT-ARC<sub>l</sub>)

The notation  $[\sigma|i]$  (for the stack) denotes a right-headed list with head i and tail  $\sigma$ .

The notation  $[j|\beta]$  (for the buffer) denotes a left-headed list with head j and tail  $\beta$ .

<sup>&</sup>lt;sup>1</sup> Permitted only if  $i \neq 0$ .

# Transition Sequence For Arc-Standard System



 $[ROOT]_{\Sigma}$  [Economic, news, had, little, effect, on, financial, markets, .]<sub>B</sub>

ROOT Economic news had little effect on financial markets .

[ROOT, Economic] $_{\Sigma}$  [news, had, little, effect, on, financial, markets, .] $_{B}$ 

ROOT Economic news had little effect on financial markets .

[ROOT, Economic, news] $_{\Sigma}$  [had, little, effect, on, financial, markets, .] $_{B}$ 

ROOT Economic news had little effect on financial markets .

[ROOT, news]<sub> $\Sigma$ </sub> [had, little, effect, on, financial, markets, .]<sub>B</sub>

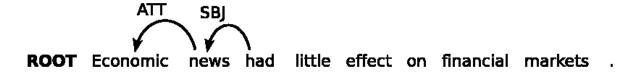
ROOT Economic news had little effect on financial markets

[ROOT, news, had] $_{\Sigma}$  [little, effect, on, financial, markets, .] $_{B}$ 

ATT

ROOT Economic news had little effect on financial markets .

[ROOT, had] $_{\Sigma}$  [little, effect, on, financial, markets, .] $_{B}$ 



[ROOT, had, little] $_{\Sigma}$  [effect, on, financial, markets, .] $_{B}$ 



[ROOT, had, little, effect] $_{\Sigma}$  [on, financial, markets, .] $_{B}$ 



[ROOT, had, effect] $_{\Sigma}$  [on, financial, markets, .] $_{B}$ 



[ROOT, had, effect, on] $_{\Sigma}$  [financial, markets, .] $_{B}$ 



[ROOT, had, effect, on, financial] $_{\Sigma}$  [markets, .] $_{B}$ 



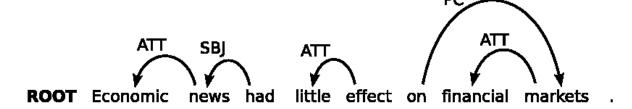
[ROOT, had, effect, on, financial, markets] $_{\Sigma}$  [.]<sub>B</sub>



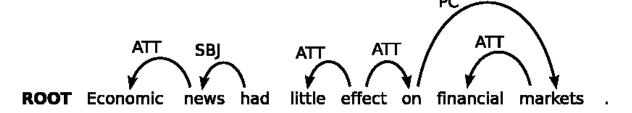
[ROOT, had, effect, on, markets] $_{\Sigma}$  [.]<sub>B</sub>



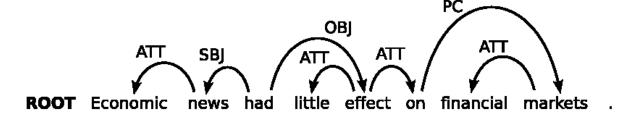
[ROOT, had, effect, on] $_{\Sigma}$  [.] $_{B}$ 



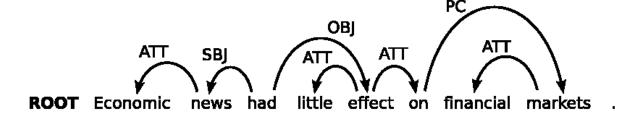
[ROOT, had, effect] $_{\Sigma}$  [.] $_{B}$ 

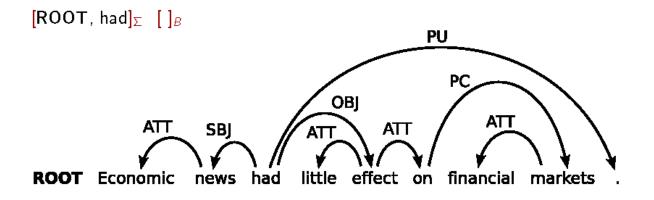


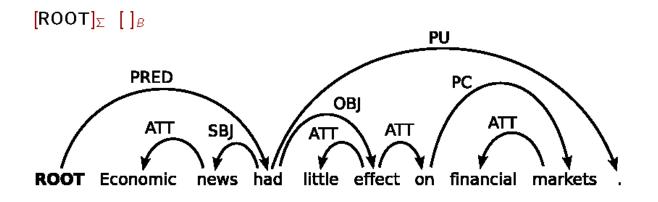
[ROOT, had] $_{\Sigma}$  [.] $_{B}$ 



[ROOT, had,  $.]_{\Sigma}$  []<sub>B</sub>

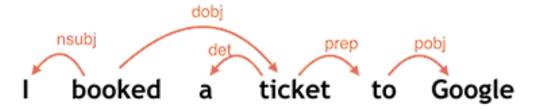






# Dependency Parsing?

### **Dependency Parsing**



## Question & Answer

### Referrences

- A Fast and Accurate Dependency Parser using Neural Networks
  - By Danqi Chen, Christopher D. Manning (Stanford)
- Structured Training for Neural Network Transition-Based Parsing
  - By David Wiess, Chris Alberti, Michael Collins, Slav Petrov (Google)
- Globally Normalized Transition-Based Neural Networks
  - By Daniel Andor, Chris Alberti, David Wiess, ... (Google)
- Transition-Based Parsing
  - class material by Joakim Nivre

## Thank you