# assignment-11-02-02-2024

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# 1 Gunjan Chakraborty

### 1.1 22MSRDS007

```
[1]: import pandas as pd
import numpy as np
import warnings
warnings.simplefilter(action='ignore', category=FutureWarning)
```

```
[2]: # Load the dataset
df = pd.read_csv('D:/Chools/Day_10/diabetes.csv')
```

### 1.1.1 1. Exploratory Data Analysis (EDA):

```
[3]: print(df.info())
```

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 768 entries, 0 to 767
Data columns (total 9 columns):

#	Column	Non-Null Count	Dtype
0	Pregnancies	768 non-null	int64
1	Glucose	768 non-null	int64
2	BloodPressure	768 non-null	int64
3	SkinThickness	768 non-null	int64
4	Insulin	768 non-null	int64
5	BMI	768 non-null	float64
6	${\tt DiabetesPedigreeFunction}$	768 non-null	float64
7	Age	768 non-null	int64
8	Outcome	768 non-null	int64

dtypes: float64(2), int64(7)
memory usage: 54.1 KB

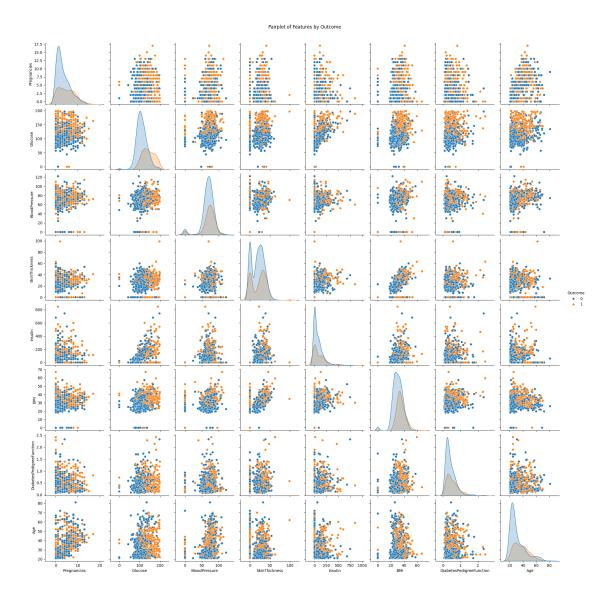
Mana

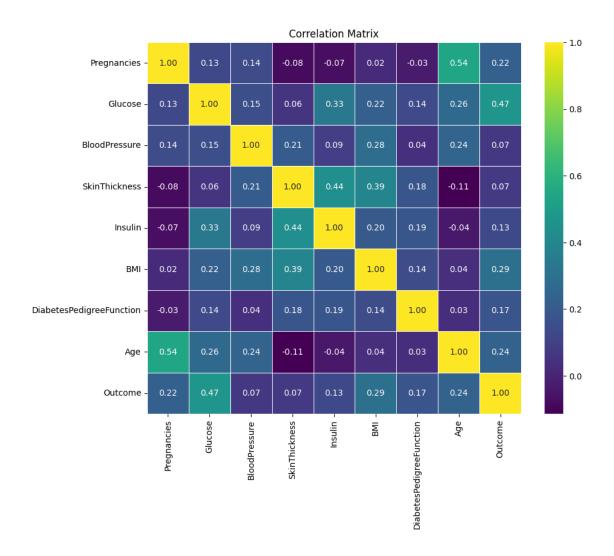
None

### [4]: print(df.describe())

Pregnancies Glucose BloodPressure SkinThickness Insulin \
count 768.000000 768.000000 768.000000 768.000000

```
3.845052 120.894531
                                          69.105469
                                                         20.536458
                                                                      79.799479
    mean
                         31.972618
                                                         15.952218 115.244002
    std
              3.369578
                                          19.355807
    min
              0.000000
                           0.000000
                                           0.000000
                                                          0.000000
                                                                       0.000000
    25%
               1.000000
                          99.000000
                                          62.000000
                                                          0.000000
                                                                       0.000000
                         117.000000
    50%
              3.000000
                                          72.000000
                                                         23.000000
                                                                      30.500000
    75%
              6.000000
                         140.250000
                                          80.000000
                                                         32.000000
                                                                     127.250000
    max
              17.000000
                         199.000000
                                         122.000000
                                                         99.000000
                                                                     846.000000
                        DiabetesPedigreeFunction
                                                                   Outcome
                  BMI
                                                          Age
          768.000000
                                      768.000000
                                                   768.000000
                                                               768.000000
    count
                                        0.471876
    mean
            31.992578
                                                    33.240885
                                                                  0.348958
                                        0.331329
                                                                  0.476951
    std
             7.884160
                                                    11.760232
    min
             0.000000
                                        0.078000
                                                    21.000000
                                                                  0.000000
    25%
            27.300000
                                        0.243750
                                                    24.000000
                                                                  0.000000
    50%
            32.000000
                                        0.372500
                                                    29.000000
                                                                  0.000000
    75%
            36.600000
                                        0.626250
                                                    41.000000
                                                                  1.000000
    max
            67.100000
                                        2.420000
                                                    81.000000
                                                                  1.000000
    print(df.isnull().sum())
                                 0
    Pregnancies
                                 0
    Glucose
    BloodPressure
                                 0
    SkinThickness
                                 0
    Insulin
                                 0
    BMI
                                 0
                                 0
    DiabetesPedigreeFunction
                                 0
    Age
    Outcome
                                 0
    dtype: int64
[6]: import seaborn as sns
     import matplotlib.pyplot as plt
     sns.pairplot(df, hue='Outcome', diag_kind='kde')
     plt.suptitle('Pairplot of Features by Outcome', y=1.02)
     plt.show()
```





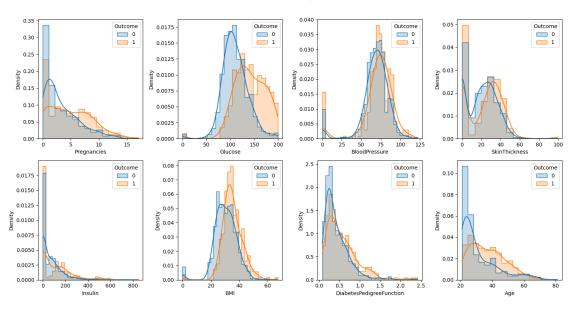
```
[8]: import seaborn as sns
  import matplotlib.pyplot as plt

# Distribution of each feature by Outcome with a unified histogram
  fig, axes = plt.subplots(nrows=2, ncols=4, figsize=(15, 8))
  fig.suptitle('Distribution of Features by Outcome', y=1.02)

for i, column in enumerate(df.columns[:-1]):
        sns.histplot(data=df, x=column, hue='Outcome', kde=True, element="step", ustat="density", common_norm=False, ax=axes[i // 4, i % 4])

plt.tight_layout()
  plt.show()
```

#### Distribution of Features by Outcome



```
[9]: import seaborn as sns
  import matplotlib.pyplot as plt

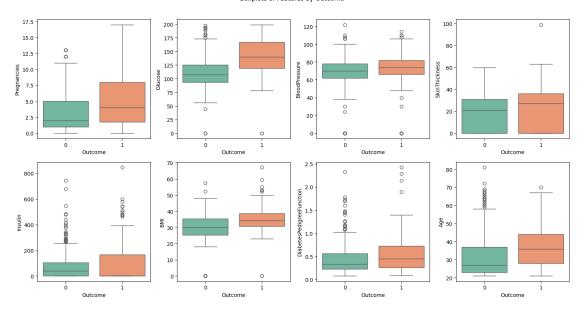
# Define a colorful palette
  colors = ["#66c2a5", "#fc8d62"]

# Boxplots for each feature by Outcome
  fig, axes = plt.subplots(nrows=2, ncols=4, figsize=(15, 8))
  fig.suptitle('Boxplots of Features by Outcome', y=1.02)

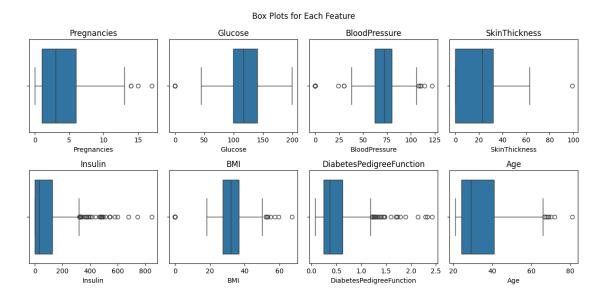
for i, column in enumerate(df.columns[:-1]):
      sns.boxplot(data=df, x='Outcome', y=column, ax=axes[i // 4, i % 4],
      palette=colors)

plt.tight_layout()
  plt.show()
```

#### Boxplots of Features by Outcome



```
[10]: import seaborn as sns
      import matplotlib.pyplot as plt
      # Select columns excluding 'Outcome'
      columns_to_plot = df.iloc[:, :-1]
      # Create subplots
      fig, axes = plt.subplots(nrows=2, ncols=4, figsize=(12, 6))
      fig.suptitle('Box Plots for Each Feature')
      # Flatten the axes array for easy iteration
      axes = axes.flatten()
      # Create box plots for each column
      for i, column in enumerate(columns_to_plot.columns):
          sns.boxplot(x=columns_to_plot[column], ax=axes[i])
          axes[i].set_title(column)
      # Adjust layout for better spacing
      plt.tight_layout()
      plt.show()
```

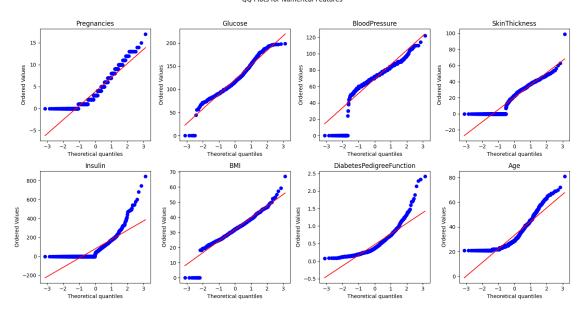


```
[11]: # Q-Q plot
import statsmodels.api as sm
from scipy.stats import probplot

# QQ plot for each numerical feature
fig, axes = plt.subplots(nrows=2, ncols=4, figsize=(15, 8))
fig.suptitle('QQ Plots for Numerical Features', y=1.02)

for i, column in enumerate(df.columns[:-1]):
    probplot(df[column], plot=axes[i // 4, i % 4])
    axes[i // 4, i % 4].set_title(column)

plt.tight_layout()
plt.show()
```

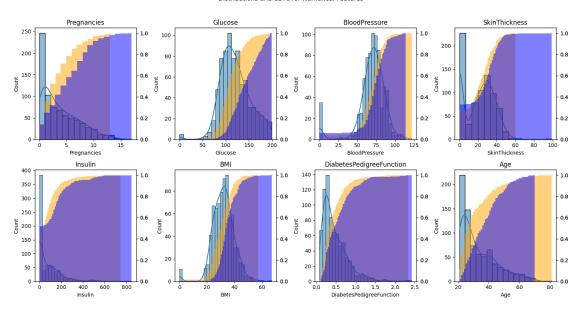


```
fig, axes = plt.subplots(nrows=2, ncols=4, figsize=(15, 8))
fig.suptitle('Distributions and CDFs for Numerical Features', y=1.02)

for i, column in enumerate(df.columns[:-1]):
    sns.histplot(data=df, x=column, kde=True, ax=axes[i // 4, i % 4])
    axes[i // 4, i % 4].set_title(column)
    axes[i // 4, i % 4].twinx().hist(df[df['Outcome'] == 0][column],
    cumulative=True, bins=100, color='orange', alpha=0.5, density=True)
    axes[i // 4, i % 4].twinx().hist(df[df['Outcome'] == 1][column],
    cumulative=True, bins=100, color='blue', alpha=0.5, density=True)

plt.tight_layout()
plt.show()
```

#### Distributions and CDFs for Numerical Features



```
Variable
                                   VIF
                Pregnancies
                              3.275748
0
                    Glucose 16.725078
1
2
              BloodPressure 14.619512
3
              SkinThickness
                             4.008696
4
                    Insulin
                              2.063689
5
                        BMI 18.408884
6
  DiabetesPedigreeFunction
                              3.195626
7
                        Age 13.492985
```

#### 1.2 Interpretation

## 1. Glucose (VIF = 16.72):

• A VIF of 16.72 for 'Glucose' suggests a high level of multicollinearity with other variables in the dataset. This may indicate that 'Glucose' has a strong correlation with other predictor variables, potentially affecting the stability and reliability of the regression model.

### 2. BloodPressure (VIF = 14.61):

• Similar to 'Glucose', a VIF of 14.61 for 'BloodPressure' indicates a high level of multicollinearity. This variable seems to have a strong correlation with other predictors.

## 3. BMI (VIF = 18.40):

• 'BMI' has a very high VIF, suggesting a substantial degree of multicollinearity with other variables. This should be carefully considered, as it may affect the interpretation of the regression coefficients.

# 4. Age (VIF = 13.49):

• 'Age' also has a high VIF, indicating multicollinearity. The presence of strong correlations between 'Age' and other predictors may impact the reliability of the regression model.

Variables with VIF values above a certain threshold (commonly 5-10) are considered to have problematic levels of multicollinearity. In this case, 'Glucose,' 'BloodPressure,' 'BMI,' and 'Age' exhibit high VIF values, suggesting potential issues.

To address multicollinearity, we may consider: - Removing one of the highly correlated variables. - Combining correlated variables into a composite feature. - Applying regularization techniques (e.g., Ridge or Lasso regression) that automatically penalize the influence of highly correlated predictors.

```
[14]: import numpy as np

# Calculate Z-scores for each column
z_scores = np.abs((df - df.mean()) / df.std())

# Define a threshold for outliers (e.g., Z-score greater than 3)
outlier_threshold = 3

# Identify outliers for each column
outliers = (z_scores > outlier_threshold).sum()

# Display the count of outliers for each column
print("Number of outliers for each column:")
print(outliers)
```

Number of outliers for each column:

```
Pregnancies 4
Glucose 5
BloodPressure 35
SkinThickness 1
Insulin 18
BMI 14
```

```
DiabetesPedigreeFunction
                                 11
                                  5
     Age
                                  0
     Outcome
     dtype: int64
[15]: # Remove outliers using z-score or IQR method
      from scipy.stats import zscore
      z scores = zscore(df)
      df_no_outliers = df[(z_scores < 3).all(axis=1)]</pre>
[16]: df_no_outliers.info()
     <class 'pandas.core.frame.DataFrame'>
     Index: 729 entries, 0 to 767
     Data columns (total 9 columns):
          Column
                                    Non-Null Count Dtype
                                                    int64
      0
         Pregnancies
                                    729 non-null
      1
          Glucose
                                    729 non-null
                                                    int64
          BloodPressure
                                    729 non-null
                                                    int64
          SkinThickness
                                    729 non-null
                                                    int64
          Insulin
                                    729 non-null
                                                    int64
          BMT
                                    729 non-null
                                                    float64
      5
          DiabetesPedigreeFunction 729 non-null
                                                    float64
      6
      7
                                    729 non-null
                                                    int64
          Age
                                    729 non-null
      8
          Outcome
                                                    int64
     dtypes: float64(2), int64(7)
     memory usage: 57.0 KB
     1.2.1 3. Model Fitting:
[17]: X = df_no_outliers.drop('Outcome', axis=1)
      y = df_no_outliers['Outcome']
[18]: from sklearn.model_selection import train_test_split
      X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.2,_
       →random_state=42)
         decision Tree
[19]: from sklearn.tree import DecisionTreeClassifier
```

# Initialize the model

model = DecisionTreeClassifier()

```
# Fit the model
      model.fit(X_train, y_train)
[19]: DecisionTreeClassifier()
[20]: model = DecisionTreeClassifier(max_depth=5, min_samples_split=2,__
       →min_samples_leaf=1)
      model.fit(X_train, y_train)
[20]: DecisionTreeClassifier(max_depth=5)
[21]: # Perform post-pruning using cost-complexity pruning
      path = model.cost_complexity_pruning_path(X_train, y_train)
      ccp_alphas, impurities = path.ccp_alphas, path.impurities
      # Fit a series of models with different alpha values
      models = []
      for ccp_alpha in ccp_alphas:
         pruned_model = DecisionTreeClassifier(ccp_alpha=ccp_alpha)
         pruned_model.fit(X_train, y_train)
         models.append(pruned_model)
      # Choose the model with the best alpha
      best model = models[np.argmax(ccp alphas)]
[22]: from sklearn.metrics import accuracy_score, classification_report,_
      # Make predictions
      y_pred = best_model.predict(X_test)
      # Evaluate the model
      accuracy = accuracy_score(y_test, y_pred)
      conf_matrix = confusion_matrix(y_test, y_pred)
      # Use zero division=1 to set precision to 0 if there are no predicted samples
      classification_rep = classification_report(y_test, y_pred, zero_division=1)
      print(f"Accuracy(Decision Tree): {accuracy}")
      print(f"Confusion Matrix:\n{conf_matrix}")
      print(f"Classification Report:\n{classification_rep}")
     Accuracy(Decision Tree): 0.773972602739726
     Confusion Matrix:
     [[84 18]
      [15 29]]
     Classification Report:
```

support	f1-score	recall	precision	
102	0.84	0.82	0.85	0
44	0.64	0.66	0.62	1
146	0.77			accuracy
146	0.74	0.74	0.73	macro avg
146	0.78	0.77	0.78	weighted avg

#### 2.1 Random Forest

```
[23]: from sklearn.ensemble import RandomForestClassifier

# Initialize the Random Forest model

rf_model = RandomForestClassifier(n_estimators=100, random_state=42)

# Fit the Random Forest model

rf_model.fit(X_train, y_train)

# Make predictions on the test set

y_pred_rf = rf_model.predict(X_test)

# Evaluate the Random Forest model

accuracy_rf = accuracy_score(y_test, y_pred_rf)

print(f"Accuracy (Random Forest): {accuracy_rf}")
```

Accuracy (Random Forest): 0.7808219178082192

```
print(f"Accuracy (Random Forest - Pre-Pruned): {accuracy_rf_pre_pruned}")
```

Accuracy (Random Forest - Pre-Pruned): 0.8082191780821918

Accuracy (Random Forest - Tuned): 0.821917808219178

#### 2.1.1 Gradient Boosting

```
# Make predictions on the test set
y_pred_gradient_boost = gradient_boost_model.predict(X_test)

# Evaluate the model
accuracy_gradient_boost = accuracy_score(y_test, y_pred_gradient_boost)
print(f"Accuracy (Gradient Boosting): {accuracy_gradient_boost:.4f}")

# Classification Report and Confusion Matrix
print("\nClassification Report:")
print(classification_report(y_test, y_pred_gradient_boost))

print("\nConfusion Matrix:")
print(confusion_matrix(y_test, y_pred_gradient_boost))
```

Accuracy (Gradient Boosting): 0.8288

Classification Report:

support	f1-score	recall	precision	
102	0.89	0.95	0.83	0
44	0.66	0.55	0.83	1
146	0.83			accuracy
146	0.77	0.75	0.83	macro avg
146	0.82	0.83	0.83	weighted avg

Confusion Matrix: [[97 5] [20 24]]

### 3 Conclusion

In conclusion, we evaluated the performance of three different machine learning models on the diabetes dataset:

## 1. Gradient Boosting:

- Achieved an accuracy of 82.88%.
- Demonstrated a relatively higher predictive accuracy compared to other models.

## 2. Random Forest (Tuned):

- Achieved an accuracy of 82.19%.
- Fine-tuning hyperparameters led to improved performance compared to the initial Random Forest model.

#### 3. Decision Tree:

- Achieved an accuracy of 77.40%.
- Displayed lower accuracy compared to the Gradient Boosting and Tuned Random Forest models.

Overall, the Gradient Boosting model showed the highest accuracy, indicating its effectiveness in capturing complex relationships within the dataset. The fine-tuned Random Forest model also performed well, showcasing the importance of hyperparameter optimization. The Decision Tree, while providing reasonable accuracy, fell slightly behind the other models.