In this example we look at the problem of handwritten digit recognition (intro-MNIST classification: pixels versus edge-based features duced in Example 1.10), and compare the training effectiveness of mini-batch Repeat the experiment outlined in Example 9.3 and create a pair of cost funcgradient descent (20 steps/epochs with a learning rate of α = 10^{-2} and batch size tion/misclassification history plots like the ones shown in Figure 9.11. Your of 200 applied to a multi-class Softmax cost) using P = 50,000 raw (pixel-based) results may vary slightly from those reported in the example depending on the details of your implementation. data points from the MNIST handwritten digit recognition dataset (introduced in Example 7.10), to the effectiveness of precisely the same setup applied to edge histogram based features extracted from these same data points. cost function: multiclass_softmax study rate: 0.01 train for 20 iterations batch size: 200 P=50000 Training Cost History both kinds of feature have similar converge 12.5 7.5 5.0 feature achieves better result in classification (About 4000 less mis dassfications) Training Mis-classification History edge-based 6000 € X axis limit => iteration 1 to 20 4000 2000

Example 9.3 Handwritten digit recognition

• 9-2 MNIST classification

```
import sys
from mlrefined libraries.math optimization library import static plotter
import autograd.numpy as np
from autograd.misc.flatten import flatten_func
from autograd import grad as gradient
import edge extract
from sklearn.datasets import fetch openml
sys.path.append('..')
plotter = static_plotter.Visualizer()
def linear_model(x, w):
   a = w[0] + np.dot(x.T, w[1:])
   return a.T
def multiclass softmax(w, x, y, iter):
   x_p = x[:, iter]
   y_p = y[:, iter]
   all_evals = linear_model(x_p, w)
   a = np.log(np.sum(np.exp(all evals), axis=0))
   b = all evals[y p.astype(int).flatten(), np.arange(np.size(y p))]
   cost = np.sum(a - b)
   return cost / float(np.size(y_p))
class MNIST_Classification(object):
   def __init__(self, n_sample):
      x, y = fetch_openml('mnist_784', version=1, return_X_y=True)
      self.x = x.T
      self.y = np.array([int(v) for v in y])[np.newaxis, :]
      self.shuffle_data(n_sample, self.x, self.y)
      self.standard normalizer(self.x rand.T)
      self.x_rand = self.normalizer(self.x_rand.T).T
      self.x_edge = self.hog_extractor(self.x_rand)
      self.cost_function = multiclass_softmax
      self.mismatching his = None
   def shuffle_data(self, n_sample, x, y):
      inds = np.random.permutation(y.shape[1])[:n sample]
      self.x_rand = np.array(x)[:, inds]
      self.y rand = y[:, inds]
```

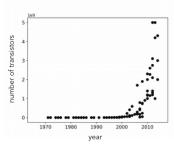
```
def standard normalizer(self, x):
   x ave = np.nanmean(x, axis=1)[:, np.newaxis]
   x_std = np.nanstd(x, axis=1)[:, np.newaxis]
   self.normalizer = lambda data: (data - x ave) / x std
@staticmethod
def hog extractor(x):
   kernels = np.array([[[-1, -1, -1], [0, 0, 0], [1, 1, 1]], [[-1, -1, 0], [-1, 0, 1], [0, 1, 1]],
   [[-1, 0, 1], [-1, 0, 1], [-1, 0, 1]], [[0, 1, 1], [-1, 0, 1], [-1, -1, 0]],
   [[1, 0, -1], [1, 0, -1], [1, 0, -1]], [[0, -1, -1], [1, 0, -1], [1, 1, 0]],
   [[1, 1, 1], [0, 0, 0], [-1, -1, -1]], [[1, 1, 0], [1, 0, -1], [0, -1, -1]]])
   extractor = edge extract.tensor conv layer()
   x transformed = extractor.conv layer(x.T, kernels).T
   return x transformed
def gradient_descent(self, loss_fun, w, x_train, y_train, alpha, max_its, batch_size):
   g_flat, unflatten, w = flatten_func(loss_fun, w)
   grad = gradient(g_flat)
   num train = y train.size
   w hist = [unflatten(w)]
   train hist = [g flat(w, x train, y train, np.arange(num train))]
   num batches = int(np.ceil(np.divide(num train, batch size)))
   for k in range(max its):
      for b in range(num batches):
         batch inds = np.arange(b * batch size, min((b + 1) * batch size, num train))
         grad eval = grad(w, x train, y train, batch inds)
          grad_eval.shape = np.shape(w)
          w = w - alpha * grad eval
      train_cost = g_flat(w, x_train, y_train, np.arange(num_train))
      w hist.append(unflatten(w))
      train_hist.append(train_cost)
   return w hist, train hist
def predict(self, x, w trained):
   class y = np.argmax(linear model(x, w trained), axis=0)
   return class y
@staticmethod
def misclass cost(w, x, y):
   all_evals = linear_model(x, w)
   y predict = (np.argmax(all evals, axis=0))[np.newaxis, :]
   count = np.sum(np.argwhere(y != y predict))
   return count
```

```
if __name__ == "__main__":
   mnist = MNIST_Classification(n_sample=50000)
   N = mnist.x_rand.shape[0]
   C = len(np.unique(mnist.y_rand))
   w = 0.1 * np.random.randn(N + 1, C)
   weight_his, cost_his = mnist.gradient_descent(mnist.cost_function, w, mnist.x_rand, mnist.y_rand,
alpha=0.01,
                                           max_its=20, batch_size=200)
   N = mnist.x edge.shape[0]
   w = 0.1 * np.random.randn(N + 1, C)
   weight_edge_his, cost_edge_his = mnist.gradient_descent(mnist.cost_function, w, mnist.x_edge,
mnist.y_rand,
                                                    alpha=0.01,
                                                    max its=20, batch size=200)
   mis1 = [a / 25000 \text{ for a in } [mnist.misclass\_cost(v, mnist.x\_rand, mnist.y\_rand) \text{ for } v \text{ in } weight\_his]]
   mis2 = [a / 25000 \text{ for } a \text{ in}]
           [mnist.misclass_cost(v, mnist.x_edge, mnist.y_rand) for v in weight_edge_his]]
   plotter.plot mismatching histories(histories=[mis1, mis2], start=1,
                                  labels=['raw', 'edge-based'],
                                  title="Training Mis-classification History")
   plotter.plot_cost_histories(histories=[cost_his, cost_edge_his], start=0,
                            labels=['raw', 'edge-based'],
                            title="Training Cost History")
```

10.4 Moore's law

Gordon Moore, co-founder of Intel corporation, predicted in a 1965 paper [47] that the number of transistors on an integrated circuit would double approximately every two years. This conjecture, referred to nowadays as Moore's law, has proven to be sufficiently accurate over the past five decades. Since the processing power of computers is directly related to the number of transistors in their CPUs, Moore's law provides a trend model to predict the computing power of future microprocessors. Figure 10.18 plots the transistor counts of several microprocessors versus the year they were released, starting from Intel 4004 in 1971 with only 2300 transistors, to Intel's Xeon E7 introduced in 2014 with more than 4.3 billion transistors.

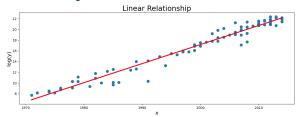
Figure 10.18 Figure associated with Exercise 10.4. See text for details.



(a) Propose a single feature transformation for the Moore's law dataset shown in Figure 10.18 so that the transformed input/output data is related linearly. Hint: to produce a linear relationship you will end up having to transform the output, not the input.

Sol: We can apply a log on y, then, logicy) and 3

will be linearly related.

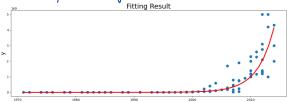


(b) Formulate and minimize a Least Squares cost function for appropriate weights, and fit your model to the data in the original data space as shown in Figure 10.18.

Sol: Below is the fitting result:

Cost function: Leact square

Optimization function: Newtons method



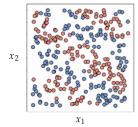
• 10-4 Moore's Law

```
import numpy as np
import pandas as pd
import autograd.numpy as np
from autograd import hessian, grad
import matplotlib.pyplot as plt
class Moores law(object):
   def __init__(self, filename):
      data = np.asarray(pd.read csv(filename, header=None))
      self.x = data[:, 0]
      self.x.shape = (1, len(self.x))
      self.y = data[:, 1]
      self.y.shape = (1, len(self.y))
      self.y_log = np.log(self.y)
   def data_plotting_linear_transform(self, w):
      fig = plt.figure(figsize=(16, 5))
      ax1 = fig.add subplot(1, 1, 1) # panel for original space
      ax1.scatter(self.x, self.y log, linewidth=3)
      s = np.linspace(np.min(self.x), np.max(self.x))
      t = w[0] + w[1] * s
      ax1.plot(s, t, linewidth=3, color='r')
      ax1.set xlabel('x', fontsize=16)
      ax1.set_ylabel('log(y)', rotation=90, fontsize=16)
      ax1.set title('Linear Relationship', fontsize=22)
      plt.show()
   @staticmethod
   def model(x, w):
      a = w[0] + np.dot(x.T, w[1:])
      return a.T
   def least squares mean(self, w):
      cost = np.sum((self.model(self.x, w) - self.y log) ** 2)
      return cost / float(np.size(self.y_log))
   def newtons_method(self, g, max_its, w, **kwargs):
      gradient = grad(g)
      hess = hessian(g)
```

```
epsilon = 10 ** (-10)
      if 'epsilon' in kwargs:
          epsilon = kwargs['epsilon']
      weight history = [np.array(w)]
      cost history = [np.array(g(w))]
      for k in range(max its):
         grad_eval = gradient(w)
         hess eval = hess(w)
         \verb|hess_eval.shape = (int((np.size(hess_eval)) ** (0.5)), int((np.size(hess_eval)) ** (0.5))|
         A = hess eval + epsilon * np.eye(w.size)
         b = grad eval
         w = np.linalg.solve(A, np.dot(A, w) - b)
         weight history.append(np.array(w))
          cost history.append(np.array(g(w)))
      self.w = w
      return weight_history, cost_history
   def data_plotting(self, w):
      fig = plt.figure(figsize=(16, 5))
      ax1 = fig.add subplot(1, 1, 1) # panel for original space
      ax1.scatter(self.x, self.y, linewidth=3)
      s = np.linspace(np.min(self.x), np.max(self.x))
      t = np.exp(w[0] + w[1] * s)
      ax1.plot(s, t, linewidth=3, color='r')
      ax1.set xlabel('x', fontsize=18)
      ax1.set ylabel('y', rotation=90, fontsize=18)
      ax1.set title('Fitting Result', fontsize=22)
      plt.show()
if __name__ == "__main__":
   filename = '../mlrefined datasets/nonlinear superlearn datasets/transistor counts.csv'
   w0 = np.random.randn(2, 1)
   Moores = Moores law(filename)
   Moores.newtons method(Moores.least squares mean, max its=1000, w=w0)
   Moores.data plotting linear transform(Moores.w)
   Moores.data plotting(Moores.w)
```

Propose a nonlinear model for the dataset shown in Figure 10.20 and perform nonlinear two-class classification. Your model should be able to achieve perfect classification on this dataset.

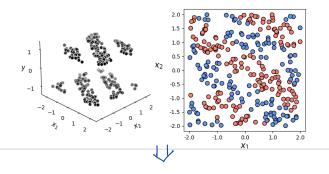
Figure 10.20 Figure associated Exercise 10.8. See text for detail

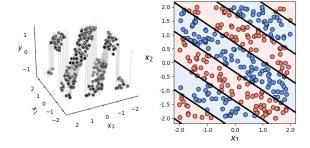


We can use "sin" to transform input data

The model is: $f(x,\omega)$ =sin(b + $\sum_{p=1}^{p} x_p^T w_p$) here, we only have $f(x_p)$ =sin(b + $x_1 w_1$ + $x_2 w_2$)

trained with "Softmax" Study_rate = 0.1 for 2000 iteration





As the figure illustrates, our model it can achieve perfect classification

over this dataset.

• 10-8 Engineering features transformation

```
from mlrefined_libraries.nonlinear_superlearn_library import nonlinear_classification_visualizer as ncv
from mlrefined_libraries.nonlinear_superlearn_library import basic_runner
import autograd.numpy as np
Visualizer = ncv.Visualizer
class Engineering Feature Transformation(Visualizer):
   def __init__(self, file_path):
      super().__init__(file_path)
      self.decent initializer(2)
   def decent initializer(self, scale):
      self.w0 = [scale * np.random.randn(3, 1), scale * np.random.randn(2, 1)]
   @staticmethod
   def feature transforms(x, w):
      f = np.sin(w[0] + np.dot(x.T, w[1:])).T
      return f
   def train(self, loss_fun, study_rate, iters, normalize):
      model = basic_runner.Setup(self.x.T, self.y, self.feature_transforms, loss_fun,
normalize=normalize)
      model.fit(w=self.w0, alpha choice=study rate, max its=iters)
      ind = np.argmin(model.cost history)
      self.w best = model.weight history[ind]
      self.model = model
   def visulizer(self):
      self.static N2 simple(self.w best, self.model, view=[30, 160])
if name == "__main__":
   file path = '../mlrefined_datasets/nonlinear_superlearn_datasets/diagonal_stripes.csv'
   Eng trans = Engineering Feature Transformation(file path)
   Eng_trans.plot_data()
   Eng trans.train(loss fun='softmax', study rate=0.1, iters=2000)
   Eng_trans.visulizer()
```

11.7

Bagging two-class classification models

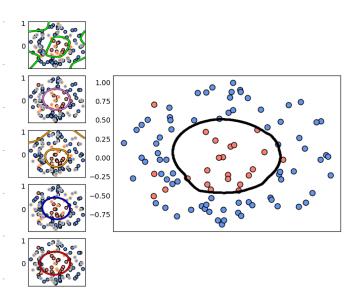
Repeat the first experiment outlined in Example 11.15, producing five naively cross-validated polynomial models to fit different training-validation splits of the two-class classification dataset shown in Figure 11.46. Compare the efficacy – in terms of number of misclassifications over the entire dataset – of each individual model and the final bagged model.

train-set portion: = validation portion: =

5 bogs , degree of polynomial: 1-8

model trained for 50 iterations for each degree

Optimized with Newtons method.



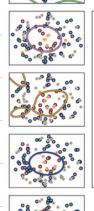
each one of the subplot corresponds to a individual model,

and most of them are already overfitting

Example 11.15 Bagging cross-validated two-class classification models

In the set of small panels in the left column of Figure 11.46 we show five different training–validation splits of the prototypical two-class classification dataset first described in Example 11.7, where $\frac{2}{3}$ of the data in each instance is used for training and $\frac{1}{3}$ is used for validation (the boundaries of these points are colored yellow). Plotted with each split of the original data is the nonlinear decision boundary corresponding to each cross-validated model found via naive cross-validation of the full range of polynomial models of degree 1 to 8. Many of these cross-validated models perform quite well, but some of them (due to the particular training–validation split on which they are based) severely *overfit* the original dataset. By bagging these models using the most popular prediction to assign labels (i.e., the *mode* of these cross-validated model predictions) we produce an appropriate decision boundary for the data shown in the right panel of the figure.





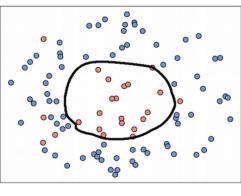




Figure 11.46 Figure associated with Example 11.15. (left column) Five models cross-validated on random training-validation splits of the data, with the validation data in each instance highlighted with a yellow outline. The corresponding nonlinear decision boundary provided by each model is shown in each panel. Some models, due to the split of the data on which they were built, severely overfit. (right column) The original dataset with the decision boundary provided by the bag (i.e., mode) of the five cross-validated models. See text for further details.

By contrast, the final model (mode of s individual models) does not appear obvious overfitting

• 11-7 Bagging two-class classification models

```
import copy
import autograd.numpy as np
from mlrefined libraries.nonlinear superlearn library.classification bagging visualizers v2 import
from mlrefined libraries.nonlinear superlearn library.reg lib.super setup import Setup
class Bagging Two Class Classification(Visualizer):
   def __init__(self, file_path):
      data = np.loadtxt(file path, delimiter=',')
      Visualizer. init (self, file path)
      self.x = data[:-1, :]
      self.y = data[-1:, :]
      self.visulizer = Visualizer(file path)
   def split dataset(self, train portion):
      self.train portion = train portion
      r = np.random.permutation(self.x.shape[1])
      train num = int(np.round(train portion * len(r)))
      self.train inds = r[:train num]
      self.valid inds = r[train num:]
      self.x train = self.x[:, self.train inds]
      self.x valid = self.x[:, self.valid inds]
      self.y train = self.y[:, self.train inds]
      self.y valid = self.y[:, self.valid inds]
   def train(self, num_bag, train_portion, degree):
      model = []
      for j in range(num_bag):
         model 11 7 = Setup(self.x, self.y)
         model 11 7.preprocessing steps(name="standard")
         model 11 7.split dataset(train portion)
          for d in range(1, degree + 1):
             model_11_7.choose_cost(name='softmax')
             model 11 7.choose features(name='polys', degree=d)
             model 11 7.fit(algo='newtons_method', max its=50, verbose=False, lam=10 ** (-8))
          val costs = [np.min(model 11 7.valid count histories[i]) for i in range(degree)]
          min ind = np.argmin(val costs)
         min val = val costs[min ind]
```

```
# get minor of minor
          smallest_ind = np.argmin(model_11_7.valid_count_histories[min_ind])
          model_11_7.train_cost_histories = model_11_7.train_cost_histories[min_ind][smallest_ind]
         model 11 7.valid cost histories = model 11 7.valid cost histories[min ind][smallest ind]
         model_11_7.train_count_histories = model_11_7.train_count_histories[min_ind][smallest_ind]
         model_11_7.valid_count_histories = model_11_7.valid_count_histories[min_ind][smallest_ind]
         model_11_7.weight_histories = model_11_7.weight_histories[min_ind][smallest_ind]
          model 11 7.choose features(name='polys', degree=min ind + 1)
          # store
         model.append(copy.deepcopy(model_11_7))
      return model
   def visulization(self, model):
      self.visulizer.show runs(model)
if __name__ == "__main__":
   file path = '../mlrefined_datasets/nonlinear_superlearn_datasets/new_circle_data.csv'
   bagging8 = Bagging Two Class Classification(file path=file path)
   trained model = bagging8.train(num bag=5, train portion=0.67, degree=8)
   bagging8.show_runs(trained_model)
```

11.10 Classification of diabetes

Perform K-fold cross-validation using a linear model and the ℓ_1 regularizer over a popular two-class classification genomics dataset consisting of P=72 datapoints, each of which has input dimension N=7128. This will tend to produce a sparse predictive linear model – as detailed in Example 11.18 – which is helpful

in determining a small number of genes that correlate with the output of this two-class classification dataset (which is whether each individual represented in the dataset has diabetes or not).

Li: regularization

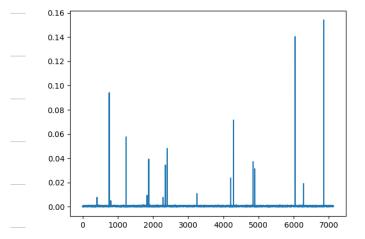
$$C = C_0 + \frac{\lambda}{n} \sum_{\omega} |\omega|$$

O chose best λ for the regularization

10-folds validation study rate: $\frac{1}{K}$ (K = iteration)

Best 7 for Li regularization & 12-245

best lambda is:12.244897959183675



Example 11.18 Genome-wide association studies

Genome-wide association studies (GWAS) aim at understanding the connections between tens of thousands of genetic markers (input features), taken from across the human genome of several subjects, with medical conditions such as high blood pressure, high cholesterol, heart disease, diabetes, various forms of cancer, and many others (see Figure 11.52). These studies typically involve a relatively small number of patients with a given affliction (as compared to the very large dimension of the input). As a result, regularization based cross-validation is a useful tool for learning meaningful (linear) models for such data. Moreover, using a (sparsity-inducing) regularizer like the ℓ_1 norm can help researchers identify the handful of genes critical to the affliction under study, which can both improve our understanding of it and perhaps provoke development of gene-targeted therapies. See Exercise 11.10 for further details.

• 11-10 Classification of diabetes

```
import copy
from autograd import value and grad
from autograd.misc.flatten import flatten func
import autograd.numpy as np
import matplotlib.pyplot as plt
from IPython.display import clear output
from mlrefined_libraries.nonlinear_superlearn_library.kfolds_reg_lib.superlearn_setup import Setup
class Diabetes Classification(Setup):
   def init (self, file path, K fold):
      data = np.loadtxt(file path, delimiter=',')
      self.x = data[:-1, :]
      self.y = data[-1:, :]
      super().__init__(self.x, self.y)
      self.fold_num = self.fold_assigning(self.y.size, K_fold)
      self.x mean = np.nanmean(self.x, axis=1)[:, np.newaxis]
      self.x std = np.nanstd(self.x, axis=1)[:, np.newaxis]
      self.K fold = K fold
      self.lam = None
   def decent_ini(self):
      self.w 0 = 0.1 * np.random.randn(self.x.shape[0] + 1, 1)
   @staticmethod
   def fold assigning(L, K):
      order = np.random.permutation(L)
      c = np.ones((L, 1))
      L = int(np.round((1 / K) * L))
      for s in np.arange(0, K - 2):
         c[order[s * L:(s + 1) * L]] = s + 2
      c[order[(K - 1) * L:]] = K
      return c
   def data initialization(self):
      self.deviation_regulartor(self.x)
      x = self.data recovery(self.x)
      self.x_mean = np.nanmean(x, axis=1)[:, np.newaxis]
      self.data normalization(x)
   def deviation regulartor(self, x):
```

```
self.x_std = np.nanstd(x, axis=1)[:, np.newaxis]
   regulator = np.zeros(self.x std.shape)
   for i in range(len(self.x_std)):
      if self.x std[i] <= 0.01:</pre>
          regulator[i] = 1.0
          self.x std += regulator
       else:
          pass
{\tt def} data_normalization(self, x):
   # Generate the normalization function
   normalize = lambda x: (x - self.x_mean) / self.x_std
   self.x = normalize(x)
def data recovery(self, x):
   mean = np.nanmean(self.x, axis=1)
   for i in np.argwhere(np.isnan(x)):
      x[i[0], i[1]] = mean[i[0]]
   return x
@staticmethod
def linear model(x, w):
   a = w[0] + np.dot(x.T, w[1:])
   return a.T
def make_train_test_split(self, k):
   train ind = [v[0] for v in np.argwhere(self.fold num != k)]
   valid_ind = [v[0] for v in np.argwhere(self.fold_num == k)]
   self.train_x = self.x[:, train_ind]
   self.train y = self.y[:, train ind]
   self.valid x = self.x[:, valid ind]
   self.valid_y = self.y[:, valid_ind]
def gradient_descent(self, g, x, y, alpha_choice, max_its, batch_size):
   w = self.w 0
   # flatten the input function, create gradient based on flat function
   g flat, unflatten, w = flatten func(g, w)
   grad = value and grad(g flat)
   num_train = y.size
   w hist = [unflatten(w)]
   train_hist = [g_flat(w, x, y, np.arange(num_train))]
   num batches = int(np.ceil(np.divide(num train, batch size)))
   alpha = 0
```

```
for k in range(max_its):
      if alpha choice == 'diminishing':
         alpha = 1 / float(k + 1)
      else:
         alpha = alpha choice
      for b in range(num batches):
         batch inds = np.arange(b * batch size, min((b + 1) * batch size, num train))
         cost_eval, grad_eval = grad(w, x, y, batch_inds)
         grad eval.shape = np.shape(w)
          w = w - alpha * grad_eval
      train_cost = g_flat(w, x, y, np.arange(num_train))
      w hist.append(unflatten(w))
      train hist.append(train cost)
   return w hist, train hist
def softmax(self, w, x, y, iter):
   x_p = x[:, iter]
   y_p = y[:, iter]
   cost = np.sum(np.log(1 + np.exp(-y p * (self.linear model(x p, w)))))
   cost += (self.lam * np.sum(np.abs(w[1:])))
   return cost / float(np.size(y p))
def counting mis classification(self, w, x, y):
   y_predict = np.sign(self.linear_model(x, w))
   num misclass = len(np.argwhere(y != y predict))
   return num misclass
def train(self, lams, max its, study rate):
   all train counts = []
   all valid counts = []
   for k in range(self.K fold):
      print("-----fold" + str(k + 1) + "-----")
      print("----")
      # self.data normalization(self.x)
      self.choose normalizer(name='standard')
      self.make train test split(k)
      self.find best reg(lams, max its, study rate)
      all_train_counts.append(copy.deepcopy(self.train_count_misclass))
      all_valid_counts.append(copy.deepcopy(self.valid_count_misclass))
   print("finish")
   best lam = self.count mis class total(all train counts, all valid counts)
   return best lam
```

```
def single_trail(self, lams, max_its, study_rate):
      self.data normalization(self.x)
      train_inds = np.argwhere(self.fold_num != -1)
      train inds = [v[0] for v in train inds]
      valid inds = np.argwhere(self.fold num == -1)
      valid inds = [v[0] for v in valid inds]
      self.valid x = self.x[:, valid inds]
      self.valid_y = self.y[:, valid_inds]
      self.train x = self.x[:, train inds]
      self.train_y = self.y[:, train_inds]
      self.find best reg(lams, max its, study rate)
   def find best reg(self, lams, max its, study rate):
      self.train count misclass = []
      self.valid count misclass = []
      self.weights = []
      batch size = np.size(self.train y)
      self.decent_ini()
      for i in range(len(lams)):
         print('running ' + str(i + 1) + ' of ' + str(len(lams)) + ' rounds')
         self.lam = lams[i]
         weight history, cost history = self.gradient descent(self.softmax, self.train x,
                                                      self.train y, alpha choice=study rate,
                                                      max its=max its, batch size=batch size)
         w_p = weight_history[np.argmin(cost_history)]
          self.weights.append(w p)
          self.train count misclass.append(self.counting mis classification(w p, self.train x,
self.train y))
          self.valid count misclass.append(self.counting mis classification(w p, self.valid x,
self.valid y))
      bset ind = np.argmin(self.valid count misclass)
      self.best lam = lams[bset ind]
      self.best weights = self.weights[bset ind]
   @staticmethod
   def count mis class total(all train counts, all valid counts):
      all train counts = np.array(all train counts)
      train totals = np.sum(all train counts, 0)
      all_valid_counts = np.array(all_valid_counts)
      valid totals = np.sum(all valid counts, 0)
      best valid ind = np.where(valid totals == valid totals.min())[0][-1]
      best lam = lamda[best valid ind]
      return best lam
```

```
if __name__ == "__main__":
    k_fold = 10
    lamda = np.linspace(0, 20, 50)
    file_path = '../mlrefined_datasets/nonlinear_superlearn_datasets/new_gene_data.csv'
    diabetes = Diabetes_Classification(file_path=file_path, K_fold=k_fold)
    lamda_chose = diabetes.train(lamda, max_its=100, study_rate='diminishing')
    print("best lambda is:" + str(lamda_chose))
    clear_output()
    diabetes2 = Diabetes_Classification(file_path=file_path, K_fold=k_fold)
    diabetes2.single_trail(lams=np.array([lamda_chose]), max_its=200, study_rate='diminishing')
    plt.plot(np.abs(diabetes2.best_weights[1:]))
    plt.show()
```