InfoGAN

Please note that this is an optional notebook meant to introduce more advanced concepts. If you're up for a challenge, take a look and don't worry if you can't follow everything. There is no code to implement—only some cool code for you to learn and run!

Goals

In this notebook, you're going to learn about InfoGAN in order to generate disentangled outputs, based on the paper, InfoGAN: Interpretable Representation Learning by Information Maximizing Generative Adversarial Nets by Chen et. al. While there are many approaches to disentanglement, this is one of the more widely used and better known.

InfoGAN can be understood like this: you want to separate your model into two parts: z, corresponding to truly random noise, and c corresponding to the "latent code." The latent code c which can be thought of as a "hidden" condition in a conditional generator, and you'd like it to have an interpretable meaning.

Now, you'll likely immediately wonder, how do they get c, which is just some random set of numbers, to be more interpretable than any dimension in a typical GAN? The answer is "mutual information": essentially, you would like each dimension of the latent code to be as obvious a function as possible of the generated images. Read on for a more thorough theoretical and practical treatment.

Formally: Variational Lower Bound

The <u>information entropy</u>) $H(X) = -\sum_{i=1}^{n} P(x_i) \log P(x_i)$ can be understood to the amount of "information" in the distribution X. For example, the information entropy of n fair coins is n bits. You've also seen a similar equation before: the cross-entropy loss. Moreover, mutual information I(X; Y) = H(X) - H(X|Y), which the authors of InfoGAN describe as (intuitively) the "reduction of uncertainty in X when Y is observed."

In InfoGAN, you'd like to maximize I(c; G(z, c)), the mutual information between the latent code c and the generated images G(z, c). Since it's difficult to know P(c | G(z, c)), you add a second output to the discriminator to predict P(c | G(z, c)).

Let $\Delta = D_{KL}(P(\cdot | x) \| Q(\cdot | x))$, the <u>Kullback-Leibler_divergence</u> between the true and approximate distribution. Then, based on Equation 4 in the paper, the mutual information has the following lower bound:

$$\begin{split} I(c;G(z,c)) &= H(c) - H(c \mid G(z,c)) \\ &= \mathrm{E}_{x \sim G(z,c)} [\mathrm{E}_{c^{'} \sim P(c,x)} \log P(c^{'} \mid x)] + H(c) \text{ (by definition of H)} \\ &= \mathrm{E}_{x \sim G(z,c)} [\Delta + \mathrm{E}_{c^{'} \sim P(c,x)} \log Q(c^{'} \mid x)] + H(c) \text{ (approximation error)} \\ &\geq \mathrm{E}_{x \sim G(z,c)} [\mathrm{E}_{c^{'} \sim P(c,x)} \log Q(c^{'} \mid x)] + H(c) \text{ (KL divergence is non-negative)} \end{split}$$

For a given latent code distribution, H(c) is fixed, so the following makes a good loss:

$$E_{x \sim G(z,c)}[E_{c' \sim P(c,x)} \log Q(c'|x)]$$

Which is the mean cross entropy loss of the approximation over the generator's images.

Updating the Minimax Game

min max A vanilla generator and discriminator follow a minimax game: $G = D = V(D, G) = E(\log D(x)) + E(\log(1 - D(G(z))))$.

min max

To encourage mutual information, this game is updated for Q to maximize mutual information: $^{G,Q}D = V(D,G) - \lambda I(c;G(z,c))$

Implementing InfoGAN

For this notebook, you'll be using the MNIST dataset again.

You will begin by importing the necessary libraries and building the generator and discriminator. The generator will be the same as before, but the discriminator will be modified with more dimensions in its output.

Packages and Visualization

```
import torch
from torch import nn
from tqdm.auto import tqdm
from torchvision import transforms
from torchvision.datasets import MNIST
from torchvision.utils import make grid
from torch.utils.data import DataLoader
import matplotlib.pyplot as plt
torch.manual seed(0) # Set for our testing purposes, please do not change!
def show tensor images (image tensor, num images=25, size=(1, 28, 28), nrow=5, show=True):
   Function for visualizing images: Given a tensor of images, number of images, and
   size per image, plots and prints the images in an uniform grid.
   image tensor = (image tensor + 1) / 2
   image_unflat = image_tensor.detach().cpu()
   image_grid = make_grid(image_unflat[:num_images], nrow=nrow)
   plt.imshow(image grid.permute(1, 2, 0).squeeze())
   if show:
       plt.show()
```

Generator and Noise

In [2]:

```
class Generator (nn.Module):
   Generator Class
       input_dim: the dimension of the input vector, a scalar
       im_chan: the number of channels in the images, fitted for the dataset used, a scalar
              (MNIST is black-and-white, so 1 channel is your default)
       hidden dim: the inner dimension, a scalar
   def init (self, input dim=10, im chan=1, hidden dim=64):
       super(Generator, self).__init__()
       self.input_dim = input_dim
        # Build the neural network
       self.gen = nn.Sequential(
            self.make gen block(input dim, hidden dim * 4),
           self.make_gen_block(hidden_dim * 4, hidden_dim * 2, kernel_size=4, stride=1),
            self.make gen block(hidden dim * 2, hidden dim),
            self.make gen block(hidden dim, im chan, kernel size=4, final layer=True),
   def make_gen_block(self, input_channels, output_channels, kernel_size=3, stride=2, final_layer=
False):
       Function to return a sequence of operations corresponding to a generator block of DCGAN;
       a transposed convolution, a batchnorm (except in the final layer), and an activation.
           input channels: how many channels the input feature representation has
           output channels: how many channels the output feature representation should have
            kernel size: the size of each convolutional filter, equivalent to (kernel size, kernel
size)
           stride: the stride of the convolution
           final layer: a boolean, true if it is the final layer and false otherwise
                      (affects activation and batchnorm)
       if not final_layer:
           return nn.Sequential(
               nn.ConvTranspose2d(input channels, output channels, kernel size, stride),
               nn.BatchNorm2d(output_channels),
               nn.ReLU(inplace=True),
       else:
           return nn.Sequential(
               nn.ConvTranspose2d(input channels, output channels, kernel size, stride),
               nn.Tanh(),
   def forward(self, noise):
```

```
Function for completing a forward pass of the generator: Given a noise tensor,
        returns generated images.
        Parameters:
           noise: a noise tensor with dimensions (n samples, input dim)
       x = noise.view(len(noise), self.input dim, 1, 1)
       return self.gen(x)
def get noise(n samples, input dim, device='cpu'):
   Function for creating noise vectors: Given the dimensions (n samples, input dim)
   creates a tensor of that shape filled with random numbers from the normal distribution.
       n samples: the number of samples to generate, a scalar
       input dim: the dimension of the input vector, a scalar
       device: the device type
   return torch.randn(n samples, input dim, device=device)
```

InfoGAN Discriminator

You update the final layer to predict a distribution for c from x, alongside the traditional discriminator output. Since you're assuming a normal prior in this assignment, you output a mean and a log-variance prediction.

In [3]:

```
class Discriminator(nn.Module):
   Discriminator Class
     im_chan: the number of channels in the images, fitted for the dataset used, a scalar
           (MNIST is black-and-white, so 1 channel is your default)
     hidden dim: the inner dimension, a scalar
     c dim: the number of latent code dimensions
   def
        init (self, im chan=1, hidden dim=64, c dim=10):
        super(Discriminator, self).__init__()
        self.disc = nn.Sequential(
           self.make disc block(im chan, hidden dim),
           self.make disc block(hidden dim, hidden dim * 2),
       self.d_layer = self.make_disc_block(hidden_dim * 2, 1, final_layer=True)
        self.q layer = nn.Sequential(
           self.make disc block(hidden dim * 2, hidden dim * 2),
           self.make disc block(hidden dim * 2, 2 * c dim, kernel size=1, final layer=True)
   def make disc block(self, input channels, output channels, kernel size=4, stride=2, final layer
=False):
        Function to return a sequence of operations corresponding to a discriminator block of the
DCGAN;
       a convolution, a batchnorm (except in the final layer), and an activation (except in the f
inal layer).
        Parameters:
           input channels: how many channels the input feature representation has
           output channels: how many channels the output feature representation should have
           kernel size: the size of each convolutional filter, equivalent to (kernel size, kernel
size)
           stride: the stride of the convolution
           final layer: a boolean, true if it is the final layer and false otherwise
                      (affects activation and batchnorm)
       if not final_layer:
           return nn.Sequential(
               nn.Conv2d(input channels, output channels, kernel size, stride),
               nn.BatchNorm2d(output channels),
               nn.LeakyReLU(0.2, inplace=True),
           )
        else:
           return nn.Sequential(
                nn.Conv2d(input_channels, output_channels, kernel_size, stride),
   def forward(self, image):
```

```
Function for completing a forward pass of the discriminator: Given an image tensor, returns a 1-dimension tensor representing fake/real.

Parameters:
    image: a flattened image tensor with dimension (im_chan)

'''

intermediate_pred = self.disc(image)

disc_pred = self.d_layer(intermediate_pred)

q_pred = self.q_layer(intermediate_pred)

return disc_pred.view(len(disc_pred), -1), q_pred.view(len(q_pred), -1)
```

Helper Functions

You can include some helper functions for conditional GANs:

```
In [4]:
```

Training

Let's include the same parameters from previous assignments, as well as a new c_dim dimension for the dimensionality of the InfoGAN latent code, a $c_criterion$, and its corresponding constant, c_lambda :

- mnist_shape: the number of pixels in each MNIST image, which has dimensions 28 x 28 and one channel (because it's black-and-white) so 1 x 28 x 28
- adv_criterion: the vanilla GAN loss function
- c criterion: the additional mutual information term
- c_lambda: the weight on the c_criterion
- n_epochs: the number of times you iterate through the entire dataset when training
- z_dim: the dimension of the noise vector
- c_dim: the dimension of the InfoGAN latent code
- display_step: how often to display/visualize the images
- batch_size: the number of images per forward/backward pass
- Ir: the learning rate
- · device: the device type

In []:

```
from torch.distributions.normal import Normal
adv criterion = nn.BCEWithLogitsLoss()
c criterion = lambda c true, mean, logvar: Normal(mean, logvar.exp()).log prob(c true).mean()
c lambda = 0.1
mnist shape = (1, 28, 28)
n = pochs = 80
z \dim = 64
c dim = 2
display_step = 500
batch size = 128
# InfoGAN uses two different learning rates for the models
d lr = 2e-4
g lr = 1e-3
device = 'cuda'
transform = transforms.Compose([
   transforms.ToTensor(),
    transforms.Normalize((0.5,),(0.5,)),
```

```
dataloader = DataLoader(
   MNIST('.', download=True, transform=transform),
   batch size=batch_size,
   shuffle=True)
```

You initialize your networks as usual - notice that there is no separate O network. There are a few "design" choices worth noting here:

- 1. There are many possible choices for the distribution over the latent code. You use a Gaussian prior here, but a categorical (discrete) prior is also possible, and in fact it's possible to use them together. In this case, it's also possible to use different weights λ on both prior distributions.
- 2. You can calculate the mutual information explicitly, including H(c) which you treat as constant here. You don't do that here since you're not comparing the mutual information of different parameterizations of the latent code.
- 3. There are multiple ways to handle the Q network this code follows the original paper by treating it as part of the discriminator, sharing most weights, but it is also possible to simply initialize another network.

In [6]:

```
gen = Generator(input dim=z dim + c dim).to(device)
gen opt = torch.optim.Adam(gen.parameters(), lr=g lr)
disc = Discriminator(im_chan=mnist_shape[0], c_dim=c_dim).to(device)
disc opt = torch.optim.Adam(disc.parameters(), lr=d lr)
def weights init(m):
    if isinstance(m, nn.Conv2d) or isinstance(m, nn.ConvTranspose2d):
        torch.nn.init.normal (m.weight, 0.0, 0.02)
    if isinstance(m, nn.BatchNorm2d):
       torch.nn.init.normal_(m.weight, 0.0, 0.02)
       torch.nn.init.constant_(m.bias, 0)
gen = gen.apply(weights init)
disc = disc.apply(weights_init)
```

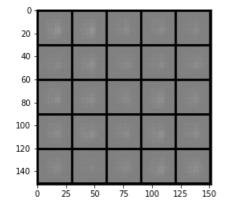
Now let's get to training the networks:

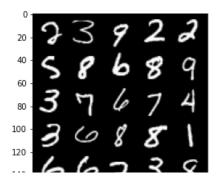
In [7]:

```
cur step = 0
generator losses = []
discriminator losses = []
for epoch in range(n_epochs):
    # Dataloader returns the batches and the labels
    for real, in tqdm(dataloader):
       cur batch size = len(real)
        # Flatten the batch of real images from the dataset
       real = real.to(device)
        c labels = get noise(cur batch size, c dim, device=device)
       ### Update discriminator ###
        # Zero out the discriminator gradients
        disc_opt.zero_grad()
        # Get noise corresponding to the current batch_size
        fake noise = get noise(cur batch size, z dim, device=device)
        # Combine the noise vectors and the one-hot labels for the generator
        noise and labels = combine vectors(fake noise, c labels)
        # Generate the conditioned fake images
        fake = gen(noise_and_labels)
        # Get the discriminator's predictions
        disc fake pred, disc q pred = disc(fake.detach())
        disc q mean = disc q pred[:, :c dim]
        disc_q_logvar = disc_q_pred[:, c_dim:]
        mutual_information = c_criterion(c_labels, disc_q_mean, disc_q_logvar)
        disc_real_pred, _ = disc(real)
        disc fake loss = adv criterion(disc fake pred, torch.zeros like(disc fake pred))
        disc_real_loss = adv_criterion(disc_real_pred, torch.ones_like(disc_real_pred))
        disc_loss = (disc_fake_loss + disc_real_loss) / 2 - c_lambda * mutual_information
        {\tt disc\_loss.backward(retain\_graph=True)}
        disc opt.step()
        # Keep track of the average discriminator loss
        discriminator losses += [disc loss.item()]
```

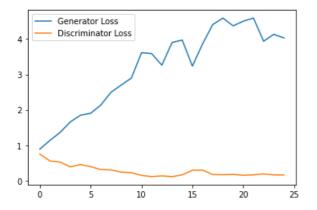
```
### Update generator ###
        # Zero out the generator gradients
        gen opt.zero grad()
        disc fake pred, disc q pred = disc(fake)
        disc q mean = disc q pred[:, :c dim]
        disc_q_logvar = disc_q_pred[:, c_dim:]
        mutual information = c criterion(c labels, disc q mean, disc q logvar)
        gen_loss = adv_criterion(disc_fake_pred, torch.ones_like(disc_fake_pred)) - c_lambda * mutu
al information
       gen loss.backward()
       gen_opt.step()
        # Keep track of the generator losses
        generator_losses += [gen_loss.item()]
        if cur_step % display_step == 0 and cur_step > 0:
            gen_mean = sum(generator_losses[-display_step:]) / display_step
            disc_mean = sum(discriminator_losses[-display_step:]) / display_step
            print(f"Epoch {epoch}, step {cur_step}: Generator loss: {gen_mean}, discriminator loss:
{disc_mean}")
            show tensor images (fake)
            show_tensor_images(real)
            step_bins = 20
            x axis = sorted([i * step bins for i in range(len(generator losses) // step bins)] *
step_bins)
            num_examples = (len(generator_losses) // step_bins) * step_bins
            plt.plot(
                range(num_examples // step_bins),
                torch.Tensor(generator_losses[:num_examples]).view(-1, step bins).mean(1),
                label="Generator Loss"
            plt.plot(
                range(num examples // step bins),
                torch.Tensor(discriminator_losses[:num_examples]).view(-1, step_bins).mean(1),
                label="Discriminator Loss"
            plt.legend()
           plt.show()
        cur step += 1
```

Epoch 1, step 500: Generator loss: 3.167040228128433, discriminator loss: 0.26804572267830373

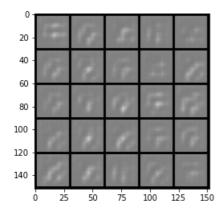


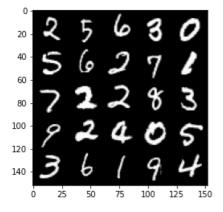


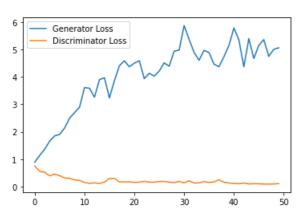




Epoch 2, step 1000: Generator loss: 4.934055043935776, discriminator loss: 0.13977463839948176







Epoch 3, step 1500: Generator loss: 5.62576796913147, discriminator loss: 0.06386134191974997

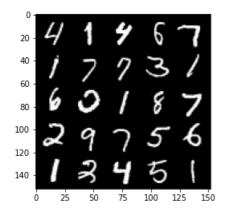
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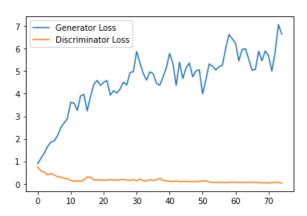
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75

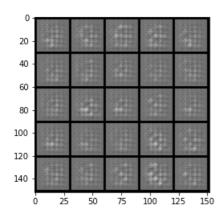
100

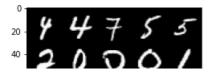
125

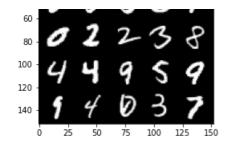


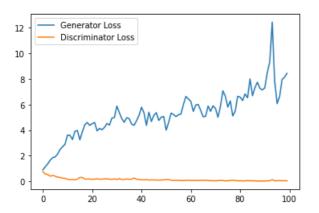


Epoch 4, step 2000: Generator loss: 7.299990788936615, discriminator loss: 0.03867933855205774

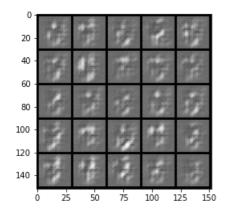


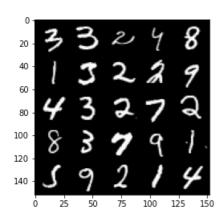


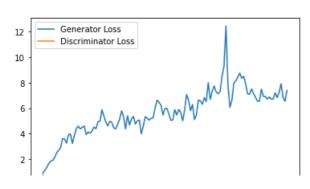


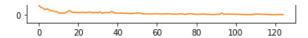


Epoch 5, step 2500: Generator loss: 7.22751990032196, discriminator loss: 0.018127896378631703

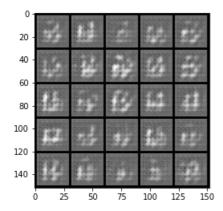


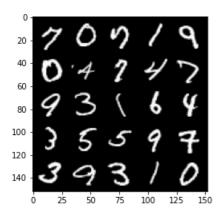


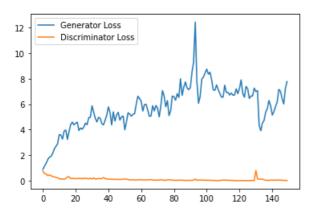




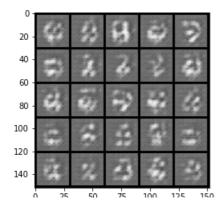
Epoch 6, step 3000: Generator loss: 6.128618523299694, discriminator loss: 0.07348163625225425

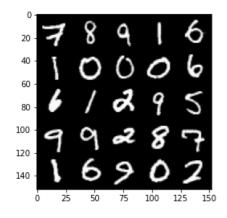


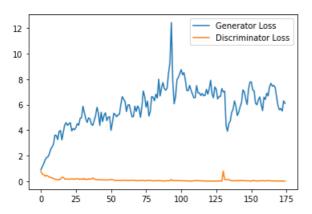




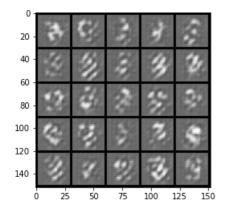
Epoch 7, step 3500: Generator loss: 6.576067698478699, discriminator loss: 0.018338050487218423

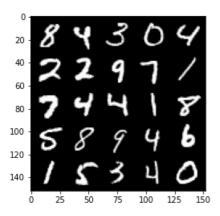


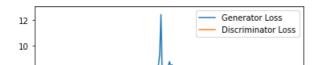


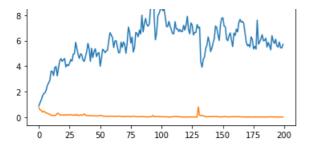


Epoch 8, step 4000: Generator loss: 5.855025008678436, discriminator loss: 0.005622400925960392

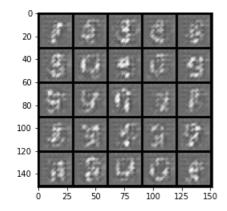


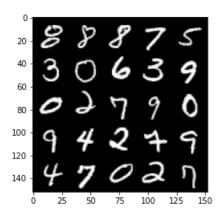


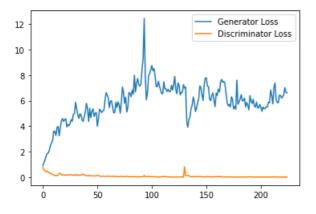




Epoch 9, step 4500: Generator loss: 6.120405224323273, discriminator loss: 0.00456536200735718

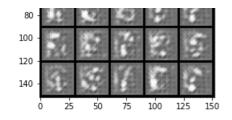


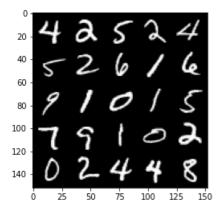


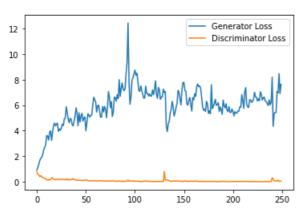


Epoch 10, step 5000: Generator loss: 6.476000558018685, discriminator loss: 0.03779529040493071

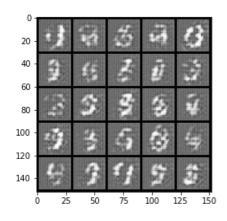
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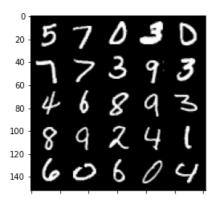


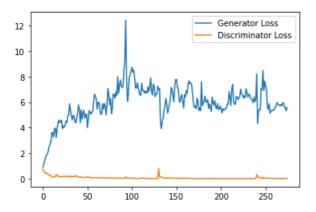




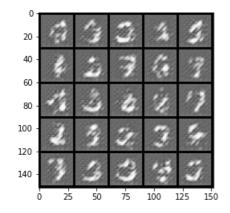
Epoch 11, step 5500: Generator loss: 5.729816679954529, discriminator loss: 0.015548398130573333

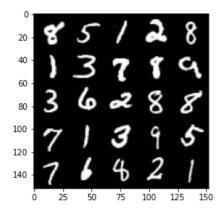


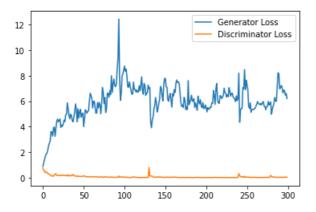




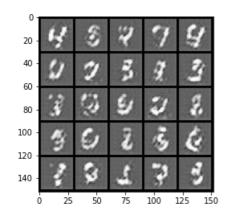
Epoch 12, step 6000: Generator loss: 6.4228900343179705, discriminator loss: 0.03541759544122033

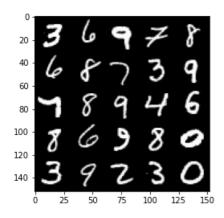


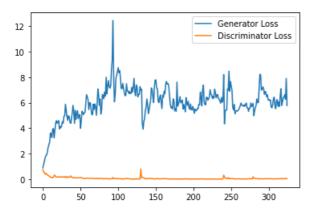




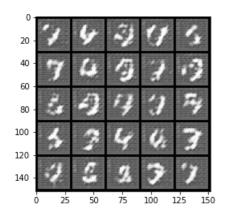
Epoch 13, step 6500: Generator loss: 6.182984417915344, discriminator loss: 0.025776191210839898

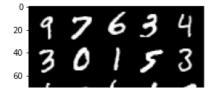


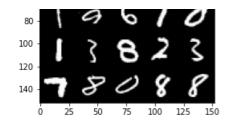


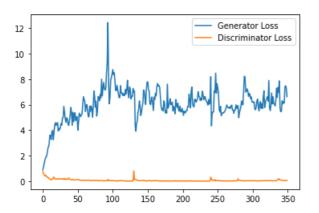


Epoch 14, step 7000: Generator loss: 6.466840156555175, discriminator loss: 0.055049508850090204

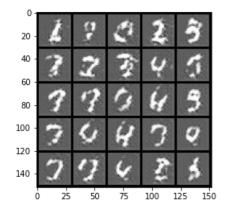


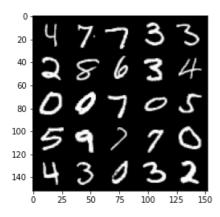


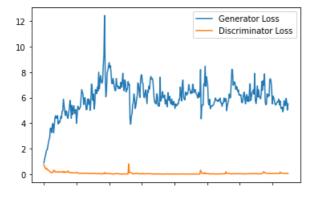




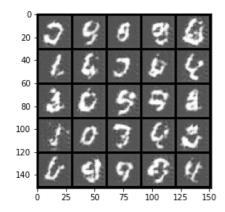
Epoch 15, step 7500: Generator loss: 5.5336820855140685, discriminator loss: 0.057636146329343316

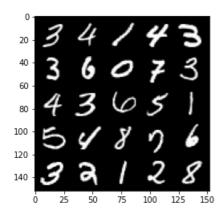


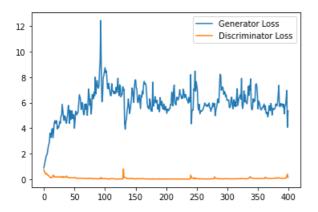




Epoch 17, step 8000: Generator loss: 5.818827602744102, discriminator loss: 0.09279959550499917

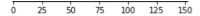


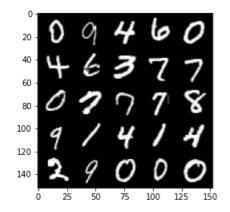


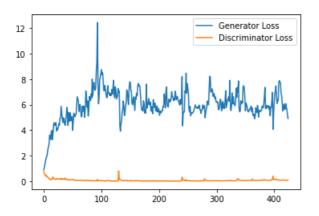


Epoch 18, step 8500: Generator loss: 6.390405876636505, discriminator loss: 0.08578228798508644

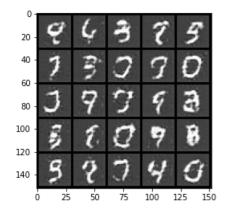
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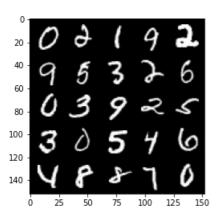




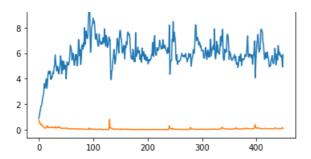


Epoch 19, step 9000: Generator loss: 5.637216531038284, discriminator loss: 0.08476102903485298

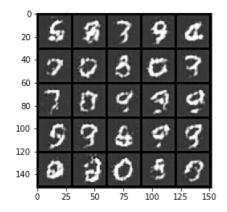


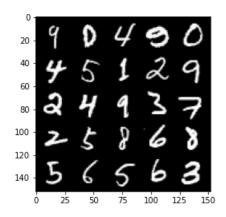


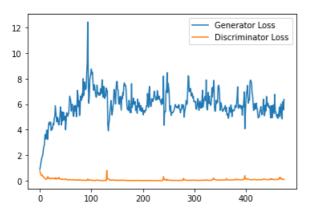




Epoch 20, step 9500: Generator loss: 5.5218742909431455, discriminator loss: 0.11271381099522114

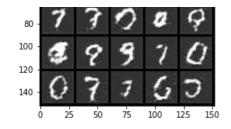


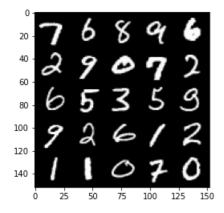


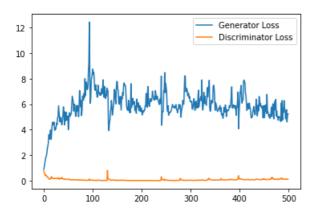


Epoch 21, step 10000: Generator loss: 5.226604416131973, discriminator loss: 0.11670769383013248

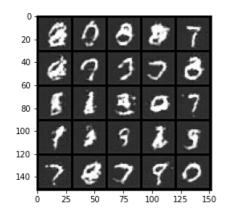
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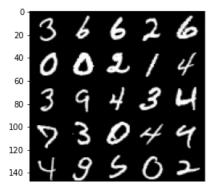


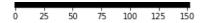


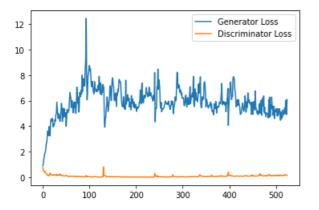


Epoch 22, step 10500: Generator loss: 5.1316748850345615, discriminator loss: 0.13710587410628797

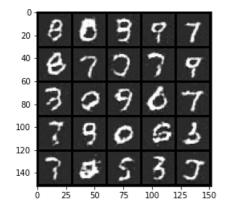


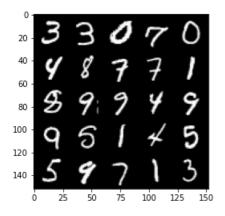


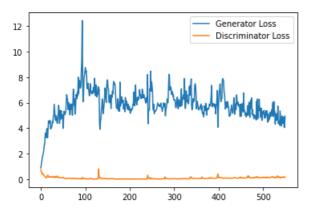




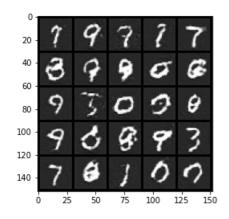
Epoch 23, step 11000: Generator loss: 4.729004925727844, discriminator loss: 0.14669813318550587

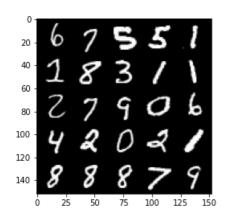


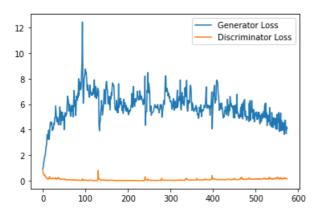




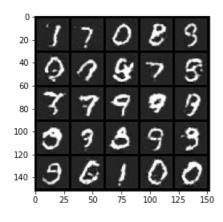
Epoch 24, step 11500: Generator loss: 4.452961914777756, discriminator loss: 0.17711261761188507

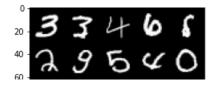


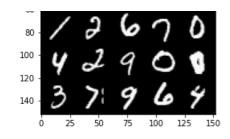


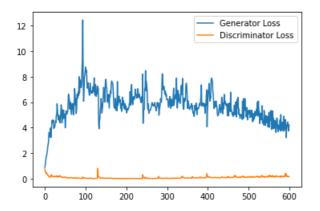


Epoch 25, step 12000: Generator loss: 4.153380656480789, discriminator loss: 0.18515914358198643

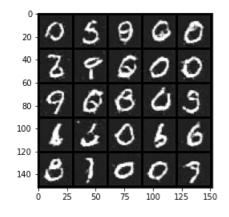


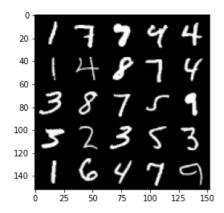


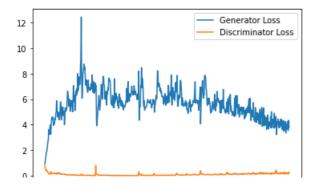




Epoch 26, step 12500: Generator loss: 3.9479361569881437, discriminator loss: 0.18386704057455064

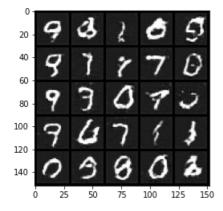


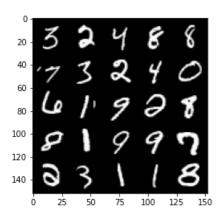


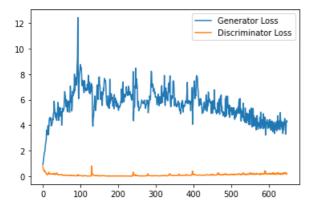




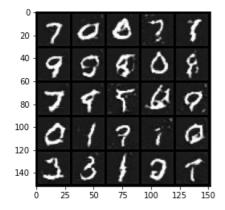
Epoch 27, step 13000: Generator loss: 4.063976177215576, discriminator loss: 0.19696425104141235

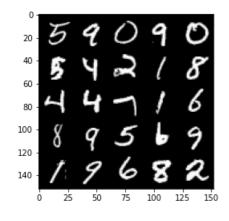


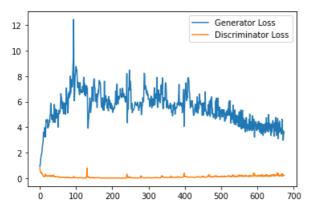




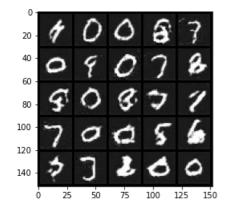
Epoch 28, step 13500: Generator loss: 3.8123042097091675, discriminator loss: 0.23499093514680863

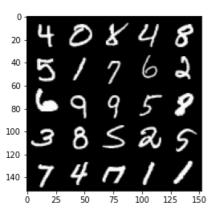


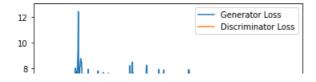


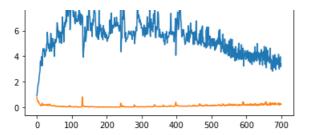


Epoch 29, step 14000: Generator loss: 3.564532298564911, discriminator loss: 0.24171543024480344

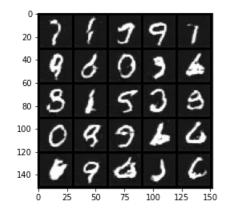


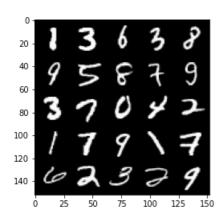


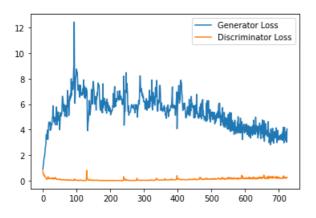




Epoch 30, step 14500: Generator loss: 3.525953214406967, discriminator loss: 0.2253201840519905

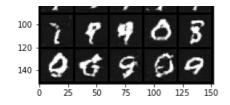


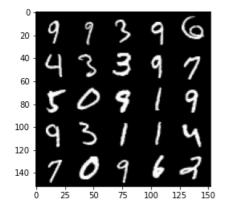


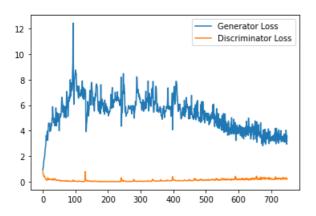


Epoch 31, step 15000: Generator loss: 3.465760036468506, discriminator loss: 0.23348198588192462

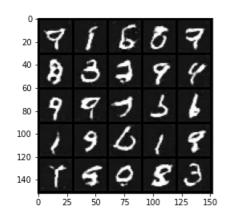
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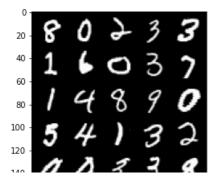




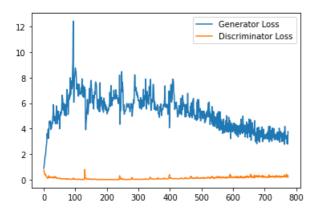


Epoch 33, step 15500: Generator loss: 3.362176615357399, discriminator loss: 0.24513046769797803

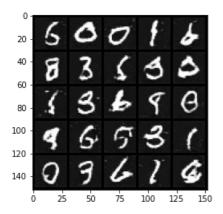


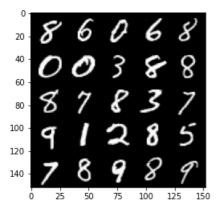


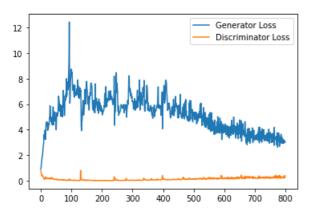




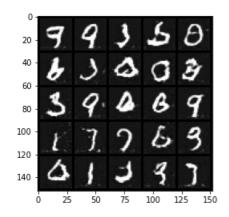
Epoch 34, step 16000: Generator loss: 3.168489579319954, discriminator loss: 0.2683380576968193

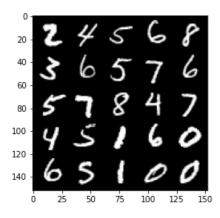


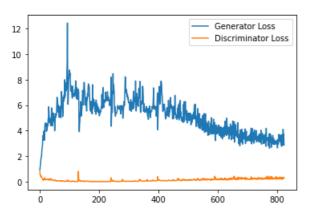




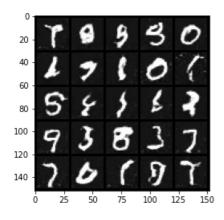
Epoch 35, step 16500: Generator loss: 3.2488120551109314, discriminator loss: 0.2606092303842306

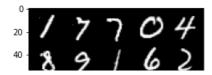


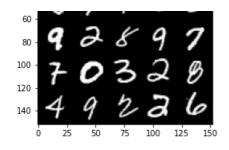


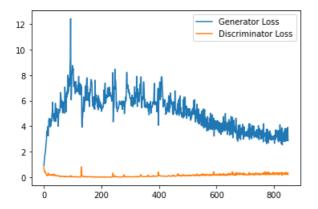


Epoch 36, step 17000: Generator loss: 3.16798055934906, discriminator loss: 0.2684578493535519

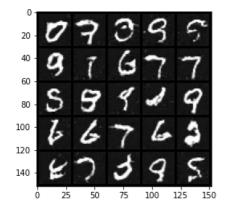


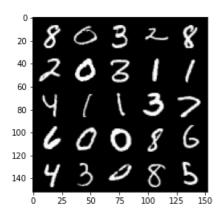


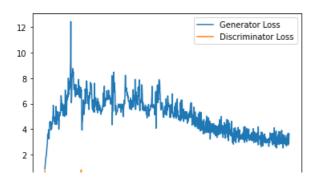


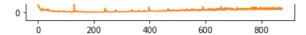


Epoch 37, step 17500: Generator loss: 3.139405228614807, discriminator loss: 0.2693894495666027

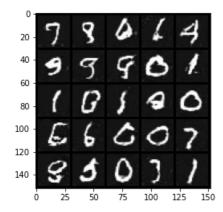


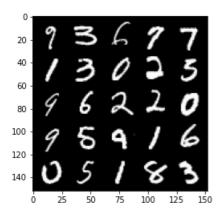


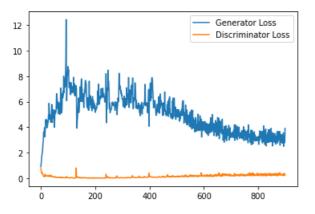




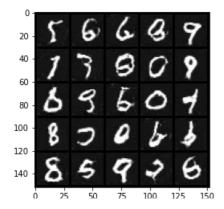
Epoch 38, step 18000: Generator loss: 3.122336815595627, discriminator loss: 0.2813077694773674

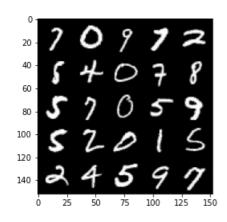


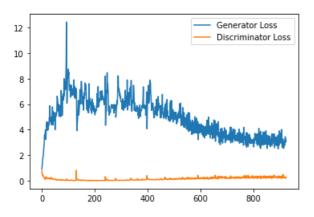




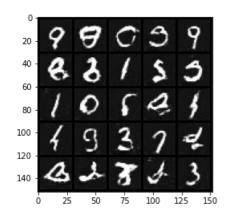
Epoch 39, step 18500: Generator loss: 3.090659918129444, discriminator loss: 0.2735979157090187

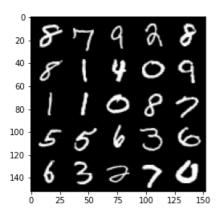




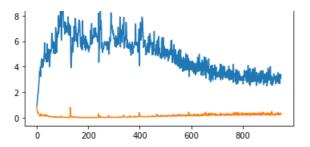


Epoch 40, step 19000: Generator loss: 3.0913102478981016, discriminator loss: 0.2716540338099003

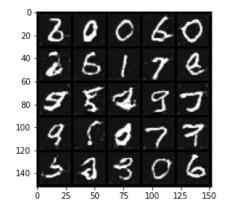


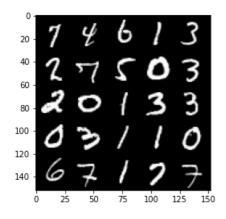


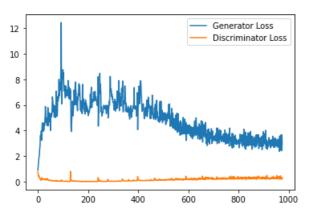




Epoch 41, step 19500: Generator loss: 3.0277226293087005, discriminator loss: 0.2885069041252136

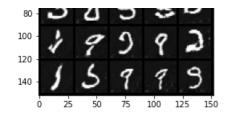


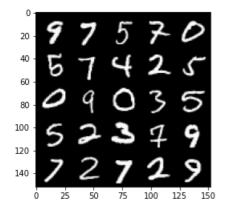


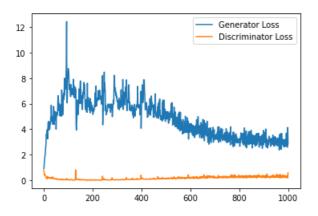


Epoch 42, step 20000: Generator loss: 3.038147697210312, discriminator loss: 0.28756011874973775

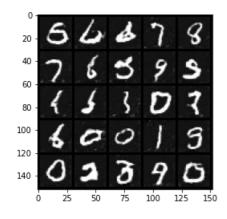


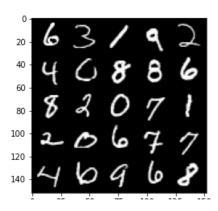


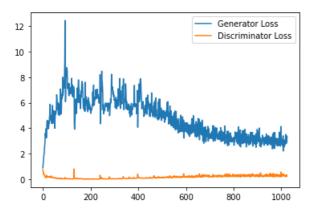




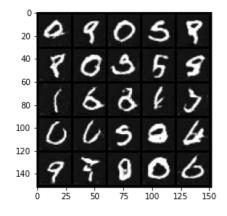
Epoch 43, step 20500: Generator loss: 2.961669181227684, discriminator loss: 0.2756729773133993

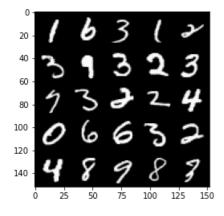


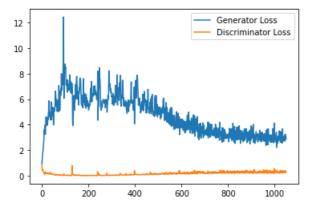




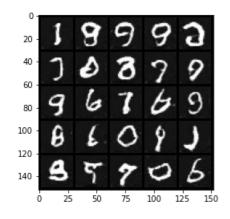
Epoch 44, step 21000: Generator loss: 2.9731139051914215, discriminator loss: 0.29210287253558637

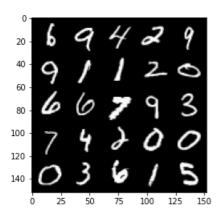


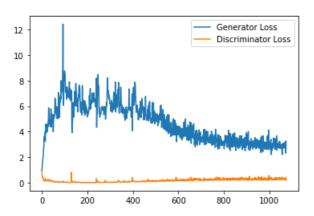




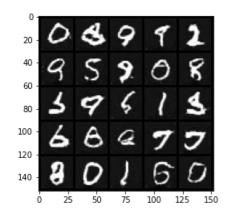
Epoch 45, step 21500: Generator loss: 2.8707749834656715, discriminator loss: 0.2886882951557636

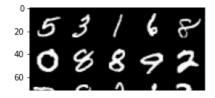


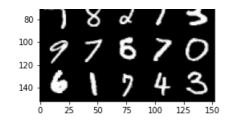


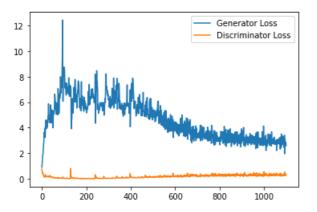


Epoch 46, step 22000: Generator loss: 2.895602949023247, discriminator loss: 0.28593095576763156

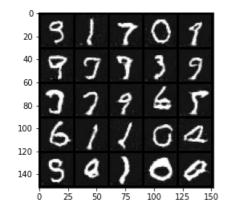


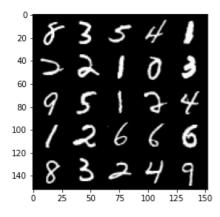


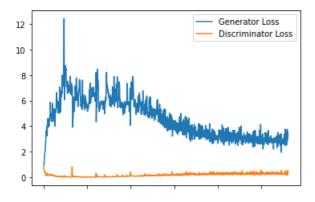




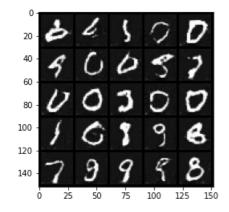
Epoch 47, step 22500: Generator loss: 3.002691268324852, discriminator loss: 0.28412409023940566

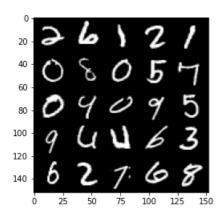


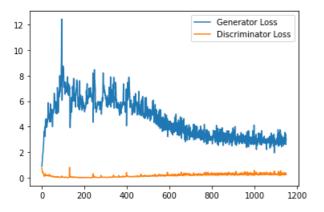




Epoch 49, step 23000: Generator loss: 2.923450103998184, discriminator loss: 0.28645632065832616

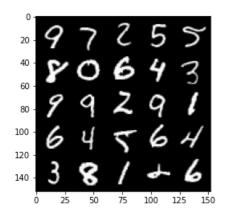


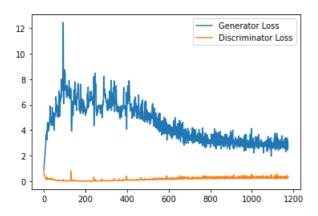




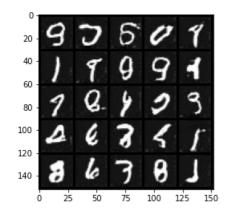
Epoch 50, step 23500: Generator loss: 2.9488804116249083, discriminator loss: 0.2815913873016834

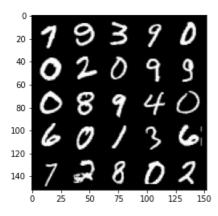
0 - 20 -	8	9	9	0	7
40 - 60 -	7	0	1	0	9
80 -	0	B	B	2	Q
100 -	9	7	9	+	0
120 - 140 -	7	0	9	4	1



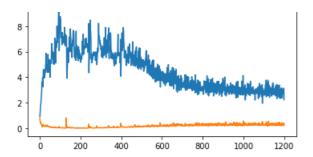


Epoch 51, step 24000: Generator loss: 2.8166019877791406, discriminator loss: 0.2880981774181128

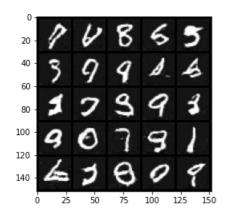


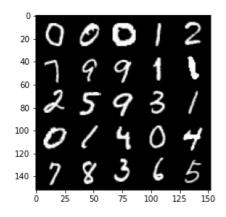


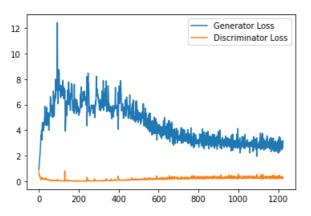




Epoch 52, step 24500: Generator loss: 2.92742211997509, discriminator loss: 0.28629149942100046

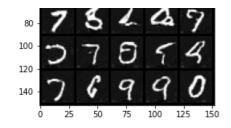


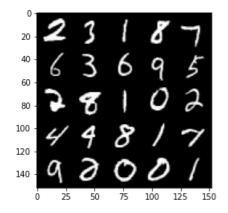


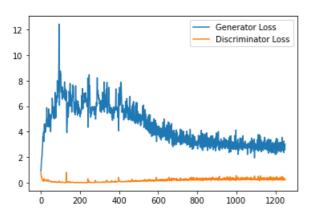


Epoch 53, step 25000: Generator loss: 2.8458479763269424, discriminator loss: 0.2877708634287119

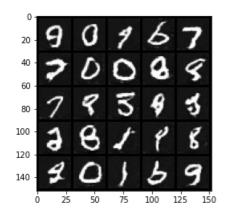


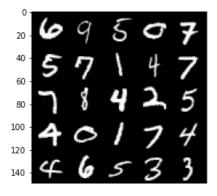


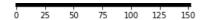


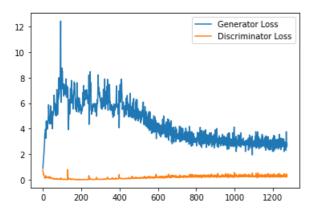


Epoch 54, step 25500: Generator loss: 2.825963757157326, discriminator loss: 0.28914713107049467

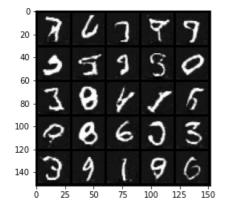


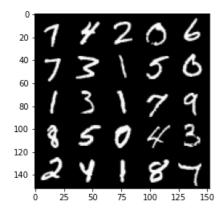


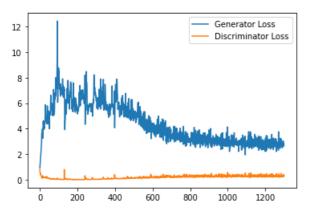




Epoch 55, step 26000: Generator loss: 2.8143911405205726, discriminator loss: 0.2829174581170082







KeyboardInterrupt:

Exploration

You can do a bit of exploration now!

```
In [8]:
```

```
# Before you explore, you should put the generator
# in eval mode, both in general and so that batch norm
# doesn't cause you issues and is using its eval statistics
gen = gen.eval()
```

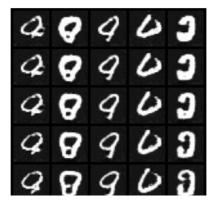
Changing the Latent Code Vector

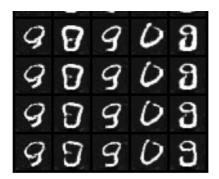
You can generate some numbers with your new model! You can add interpolation as well to make it more interesting.

So starting from a image, you will produce intermediate images that look more and more like the ending image until you get to the final image. Your're basically morphing one image into another. You can choose what these two images will be using your conditional GAN.

In [9]:

```
import math
### Change me! ###
n interpolation = 9 # Choose the interpolation: how many intermediate images you want + 2 (for the
start and end image)
def interpolate class(n view=5):
    interpolation noise = get noise(n view, z dim, device=device).repeat(n interpolation, 1)
    first_label = get_noise(1, c_dim).repeat(n_view, 1)[None, :]
   second label = first label.clone()
   first label[:, :, 0] = -2
    second label[:, :, 0] = 2
    # Calculate the interpolation vector between the two labels
    percent second label = torch.linspace(0, 1, n interpolation)[:, None, None]
   interpolation labels = first label * (1 - percent second label) + second label *
percent second label
   interpolation labels = interpolation labels.view(-1, c dim)
    # Combine the noise and the labels
    noise and labels = combine vectors (interpolation noise, interpolation labels.to(device))
    fake = gen(noise_and_labels)
    show_tensor_images(fake, num_images=n_interpolation * n_view, nrow=n_view, show=False)
plt.figure(figsize=(8, 8))
interpolate class()
 = plt.axis('off')
```





You can also visualize the impact of pairwise changes of the latent code for a given noise vector.

In [10]:

```
import math
### Change me! ###
n\_interpolation = 8 # Choose the interpolation: how many intermediate images you want + 2 (for the
start and end image)
def interpolate_class():
           interpolation_noise = get_noise(1, z_dim, device=device).repeat(n_interpolation *
n_interpolation, 1)
           first_label = get_noise(1, c_dim).repeat(n_interpolation * n_interpolation, 1)
            # Calculate the interpolation vector between the two labels
           first_label = torch.linspace(-2, 2, n_interpolation).repeat(n_interpolation)
            second_label = torch.linspace(-2, 2, n_interpolation).repeat_interleave(n_interpolation)
            interpolation_labels = torch.stack([first_label, second_label], dim=1)
            # Combine the noise and the labels
            noise and labels = combine vectors(interpolation noise, interpolation labels.to(device))
            fake = gen(noise and labels)
            \verb|show_tensor_images| (fake, num_images=n_interpolation * n_interpolation, nrow=n_interpolation, show_tensor_images| (fake, num_images=n_interpolation) | (fa
OW=False)
plt.figure(figsize=(8, 8))
interpolate_class()
     = plt.axis('off')
                                                                                                                                                                                                                                                                                                  •
```

