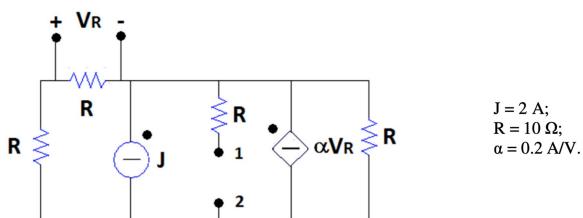
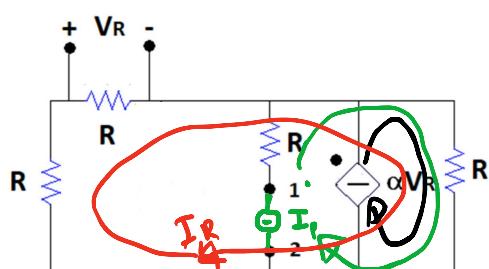


ES 1

- 1) Determinare il circuito equivalente di Thevenin fra i punti 1 e 2 del circuito in figura.

 R_{TH} 

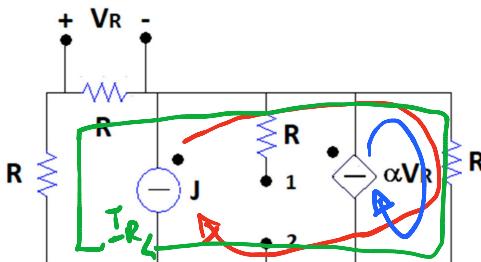
$$\left\{ \begin{array}{l} V_R = R I_R \\ \alpha V_R R + I_p R + 3 I_R R = 0 \\ \alpha I_R R^2 + R I_p + 3 I_R R = 0 \end{array} \right.$$

$$I_R = \frac{-R I_p}{\alpha R^2 + 3R} \quad I_R = \frac{-I_p}{\alpha R + 3} = -\frac{1}{5} I_p$$

$$V_p = R I_p - 2R \left(-\frac{1}{5} I_p \right) = I_p R \left(1 + \frac{2}{5} \right) = \frac{7}{5} R I_p$$

$$R_{TH} = \frac{V_p}{I_p} = \frac{7}{5} R$$

 V_{TH}



$$\left\{ \begin{array}{l} V_R = R I_R \\ 3R I_R + R \alpha V_R + R \delta = 0 \\ 3R I_R + \alpha R^2 I_R + R \delta = 0 \end{array} \right.$$

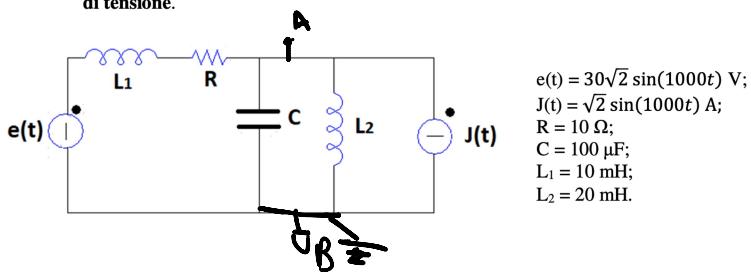
$$I_R (3R + \alpha R^2) = -R \delta$$

$$I_R = \frac{-\delta}{3 + \alpha R} = -\frac{1}{5} \delta = -\frac{2}{5} \text{ A}$$

$$V_{TH} = R I_R + R \alpha V_R + R \delta = R \left(-\frac{2}{5} \right) + \alpha R^2 \left(-\frac{2}{5} \right) + 2R = 8 \text{ V}$$

ES 2

- 2) Determinare l'energia media immagazzinata nell'induttore L_2 e la potenza apparente erogata dal generatore di tensione.



$$\dot{V}_a = ?$$

$$\dot{E} = 30 \text{ V}$$

$$\dot{J} = 1 \text{ A}$$

$$J + \frac{E}{SWL_1 + R} = \left(\frac{1}{SWL_1 + R} + JWC + \frac{1}{SWL_2} \right) \dot{V}_a$$

$$\dot{V}_a = \frac{J + \frac{E}{SWL_1 + R}}{\frac{1}{SWL_1 + R} + JWC + \frac{1}{SWL_2}} = 50 - 30\delta$$

$$T. = V_a - 1.5 \rightarrow 5 \text{ V}$$

$$I_{L_2} = \frac{V_A}{j\omega L_2} = -1,5 - 2,5 \delta$$

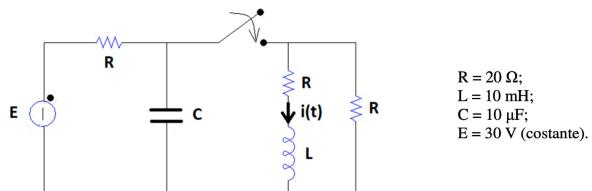
$$W_{L_2} = \frac{1}{2} L I^2 = 0,085 \delta$$

$$I_E = \frac{E - V_0}{R + j\omega L_1} = 0,5 + 0,25 \delta$$

$$P_E = E \cdot I_E = 76,18 \text{ W}$$

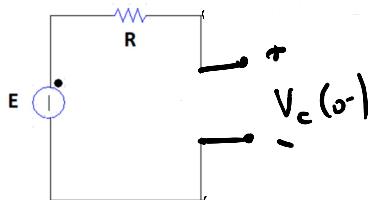
ES 3

- 3) Determinare l'andamento temporale della corrente $i(t)$ per $-\infty < t < +\infty$, considerando che l'interruttore si chiude per $t=0$. Il circuito è ipotizzato a regime per tempi negativi.

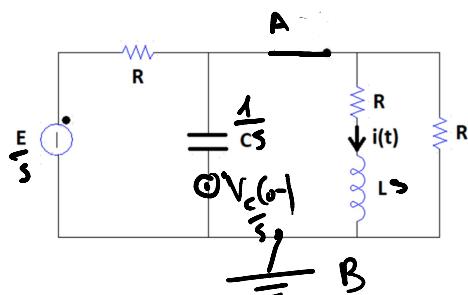


$$t < 0 \quad V_C(t) = 0$$

$$V_C(0^-) = \dot{E} = 30 \text{ V}$$



$$t \geq 0$$



$$\frac{E}{sR} + C V_C(s) = V_0 \left(\frac{3}{s} + \frac{1}{Ls} + Cs \right)$$

$$\frac{E}{SR} + C V_C(s^-) = V_0 \left(\frac{3}{R} + \frac{1}{Ls} + Cs \right)$$

$$V_A = \frac{\frac{E}{SR} + C V_C(s^-)}{3/R + 1/Ls + Cs} = \frac{E + SRC V(s^-)}{3s + R/L + RCs^2}$$

$$i(t) = \frac{V_0}{R + sL} = E + RSc V(s^-)$$