UNIT-3 WAVE OPTICS

INTERFRENCE! The phenomenon of addition or superposition of two light waves is called interference of light

At some Points the intensity is maximum while at other Points the intensity is minimum.

Maximum intensity is called constructive Interference. Minimum Intensity is called destructive Interference.

when two light wave interfore we get piterate dark and bright fringes bands These are called interference fringes.

Coherent Sources: Two Sources are said to be coherent of fey emit light wants of some forequery,

Same publishede and are in same phase with each other

Temporal coherence! (coherence in Hme)

Longitudinal coherence is known as temporal coherence.

It is a relation treasure of phase relation of wave

sreaching at a given points at two different Hmes.

Spatial cohorence (coherence in space).

Thansverse coherence or lateral coherence is known as spatial coherence. It is a measure of phase relationship between the waves reaching at two different Points in Space at Same time.

It is divided into two Parts-

Division by were frant. Interference of light takes blace between waves from two sources formed due to too shyle source.

Eg Enterference by Young double Slif.

1) Division by Amplitude: - Interference takes place between the waves from the treal real

Source & virtual source. Example - Interference by thin film.

- When two ar more coherant want superimpose, the secultary Effect is brightness in central region and darkness at other region.

Fringes! - Alternate Bright and darkbands are fringes.

- 4 The Fringer Pattern are obtained only when the Interfering waves are cohosent.
- * Region of Brightness are darkness are also known as Maxima 4 Minima.

Mono chromatic haus: Two essuance water traintenting Constant state difference monochronatic waves.

* Path of light !-

x when light travel along stranght line known is Fam of light

Shortest path between any two Points Called Geometrical pam. (GPL)

OPACA Pami- wave travel is three slower in a medium. opath = M(GPL)

D=ML)

path difference! - Difference between optical path of two rays travelling in different Direction known as obtical path difference.

GPC= S2R SIP OPL= M(S2P-SIP)

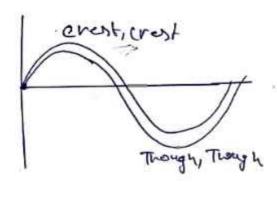
Path Difference 4 Phase Difference

Path Difference! - Difference in the Path travelled by the

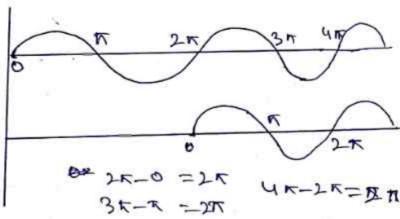
phase difference is Explained as the time 'gap where the have Either falls behind or lead to another.

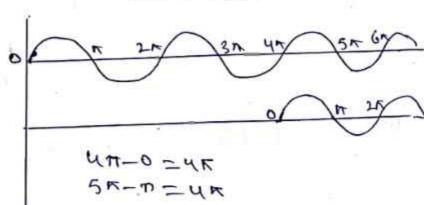
1) constructive Interformice!

Us an even multiple of TT (21,417,617--)



or



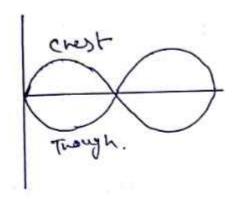


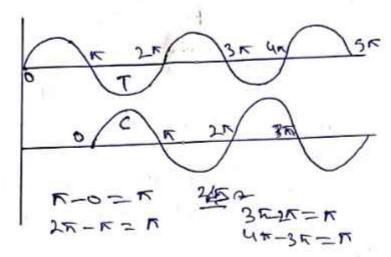
- D) Phase Difference Betwo = 012KK => (2K, UK, 6K ---)
- Phare Difference = 25 x Path Difference

bestweethe Interference-

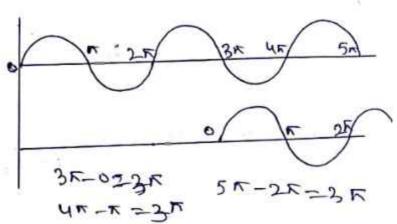
occurs when two waves cancel the effect of Eachothur.

Phase difference between waves is an and multiply of The





(M1377,5K---)



- D) Phase Difference = C2n-1) 17 (odd)
- 11) Pam Difference 2 C2n-1) 1 (using 1=7/2

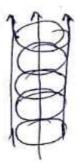
gas and a section

Conclitions for sustained Interference.

- D) Two sounces must be monochropautic in they must Emit light of some wearelength or frequency.
- 11) Two sources Must have Either no Phase difference or the Phase difference Must hemain unchanged with time.

Huygen's principle:-

All points on Primary wavefront are considered to be center of DISTURDANCE and sendsout secondary waves in all the Directions which travels through space with same nelocity man isotropic redium.



9

Ratio of Intristy of light of maxima & Minara

Ratio of Intensity of light due to two Sources:

cuity 6 4pm c- 7011m)

(anaz -> Amplitude)

$$\frac{w_1}{w_2} = \frac{a_1^2}{a_2^2}$$

Fringe widly

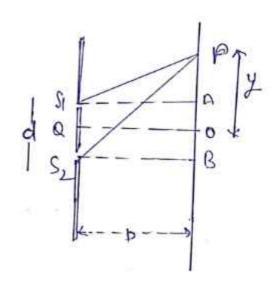
$$\left[\beta = \frac{D\lambda}{d}\right]$$

D- Distance between slift

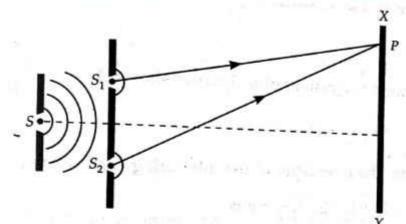
d- Distance bet source SIESZ

Position of bright Friggs:-

position of dork Fringes:-



SIP-S2P = pam Difference



Consider a monochonotic Sounce of light 5 emitting waves of waveleyth A. SI 452 are two Similar Slits

Let the phase difference between waves be y

let y1 4 y2 be the displacement of two wakes

y1= a151nwt -0

422 92 STWW++ 2

Hence Resultent DISPlacement 11

= a, Sinwt + az Sin (w++p)

= 9151 nut + 9251 nut cosp + 92 cos wt 51 nd

= SINW+(91+02624)+0263W+SINY

Let 9,+02 Cosy = RCoso -3

Hence Y = SIMUTROUS O + COSWIKSIND = RSIN(W++0)

Squaring and Adding (3) 4(9) R2 (costa +sin20) = (a(+c12(0) 4)2+(a2sinp)2 = 912+ 912 cos2 p + 29192 cos4 + 92 5172 p =>(12= 912+912+29102 (0) p) But Intensity I=R2 => I= 912+922+29192639 - (5) How of II + Is are the intensities of interfering light D= I1 + I2 + 2 JIII2 COS4 Suppose a1=a2=a I= 92+92+292(0) 4 = 292 (1+ cos (4)) 2 202 × 200524/2 = 402 cos24 constructive interference Path Difference = 1 x2MK = NX Imax = 912+922+29192 = C91+92)2 Destructive Interference

Destructive Interference

Inva= 912+912-29192

2 (91-91)2

- 0

Example 4.1 Find the resultant of superposition of two waves $y_1 = 2.0 \sin \omega t$ and $y_2 = 5.0 \sin (\omega t + 30^\circ)$. Symbols have their usual meanings. [GGSIPU, Dec. 2004, (4 marks)]

Solution. According to superposition principle,

Method I

According to superposition principle, we have $Y = y_1 + y_2$

$$Y = y_1 + y_2 = 2.0 \sin(\omega t) + 5.0 \sin(\omega t + 30^\circ)$$

$$= 2.0 \sin \omega t + 5.0 (\sin \omega t \cos 30^\circ + \cos \omega t \sin 30^\circ)$$

$$= 2.0 \sin \omega t + \frac{5.0 \times \sqrt{3}}{2} \sin \omega t + \frac{5.0}{2} \cos \omega t$$

$$= (2.0 + 2.5 \times 1.732) \sin \omega t + 2.5 \cos \omega t$$

$$= 6.33 \sin \omega t + 2.5 \cos \omega t$$

 $= R\cos\theta\sin\omega t + R\sin\theta\cos\omega t$

Here $R\cos\theta = 6.33$; $R\sin\theta = 2.5$

$$R^{2}(\sin^{2}\theta + \cos^{2}\theta) = 46.3189$$

$$R = 6.8$$

$$\tan\theta = \frac{R\sin\theta}{R\cos\theta} = 0.394$$

$$\theta = 21.55^{\circ}$$

$$Y = R\sin(\omega t + \theta)$$

$$= 6.8\sin(\omega t + 21.55^{\circ})$$

Then

Given $a_1 = 2.0$, $a_2 = 5.0$, $\varphi = 30^\circ$, the resultant amplitude

$$R = \sqrt{(a_1^2 + a_2^2 + 2a_1a_2 \cos 30^\circ)}$$
$$= \sqrt{4 + 25 + 2 \times 2 \times 5 \times \sqrt{3}/2} = 6.8$$

and

$$\tan\theta = \frac{R\sin\theta}{R\cos\theta} = 0.394$$

then

$$\theta = 21.55^{\circ}$$

Hence

$$Y = R \sin(\omega t + \theta)$$

= 6.8 \sin (\omega t + 21.55°)

<u>Problem 4.1</u> Two waves of same frequency have amplitudes 1.00 and 2.00. They interference at a point, where the phase difference is 60°. What is the resultant amplitude? [GGSIPU, Dec. 2009 (3 marks)]

Solution. Given that $a_1 = 1.00$, $a_2 = 2.00$ and $\varphi = 60^{\circ}$

We know that, the resultant amplitude

$$R = \sqrt{a_1^2 + a_2^2 + 2a_1a_2\cos\varphi}$$
$$= \sqrt{1^2 + 2^2 + 2(1)(2)\cos 60^\circ}$$
$$= \sqrt{1 + 4 + 2} = \sqrt{7} = 2.65 \text{ unit.}$$

Problem 4.2 Superimpose the following waves

$$y_1 = 20 \sin \omega t$$
; $y_2 = 20 \sin(\omega t + 60^\circ)$

Show also the superimposition diagrammatically.

[GGSIPU, Dec. 2013 reappear (3 marks)]

Solution. Given $a_1 = 20$, $a_2 = 20$ and $\varphi = 60^\circ$

The resultant amplitude
$$R = \sqrt{a_1^2 + a_2^2 + 2a_1a_2 \cos \varphi}$$

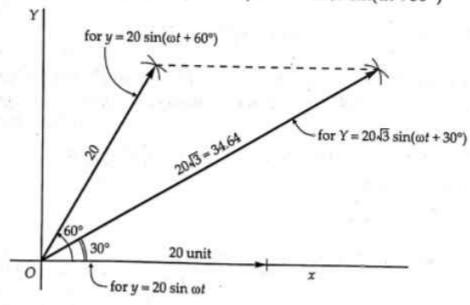
$$= \sqrt{(20)^2 + (20)^2 + 2 \times 20 \times 20 \times \cos 60^\circ}$$

$$= \sqrt{400 + 400 + 400} = 20\sqrt{3} = 20 \times 1.732 = 34.64 = 35$$
Direction
$$\tan \theta = \frac{a_2 \sin \varphi}{a_1 + a_2 \cos \varphi}$$

$$= \frac{20 \times \sin 60^\circ}{20 + 20 \cos 60^\circ} = \frac{20 \times \frac{\sqrt{3}}{2}}{20 + 20 \times \frac{1}{2}} = \frac{1}{\sqrt{3}}$$

$$\theta = \tan^{-1} \left(\frac{1}{\sqrt{3}}\right) = 30^\circ$$
Resultant displacement $X = 20\sqrt{3}$ is (1) and (2) and (3) are simplest than (3) and (4) are simplest than (4) are simplest than (4) are simplest than (5) are simplest than

Resultant displacement $Y = 20\sqrt{3} \sin(\omega t + 30^{\circ})$ for $Y = 20\sqrt{3} \sin(\omega t + 30^{\circ})$



Division of wavefront

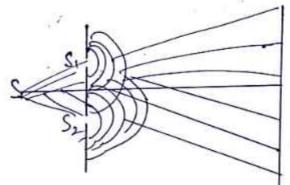
- D Young Double slit Exp.
- 11) Presnel BIPMIM

Division of Amplitude

- D THIN FILM
- 11) Newton's Ring
- 111) MIChelson Interferometer

Division of have front!-

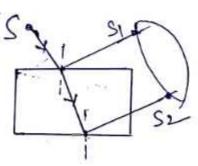
Wave front Docus of all the particles of medium which are in same stake of Vibrations.



Reflection Reflection Diffraction.

DIVISION by Amplitude

Partial Reflection



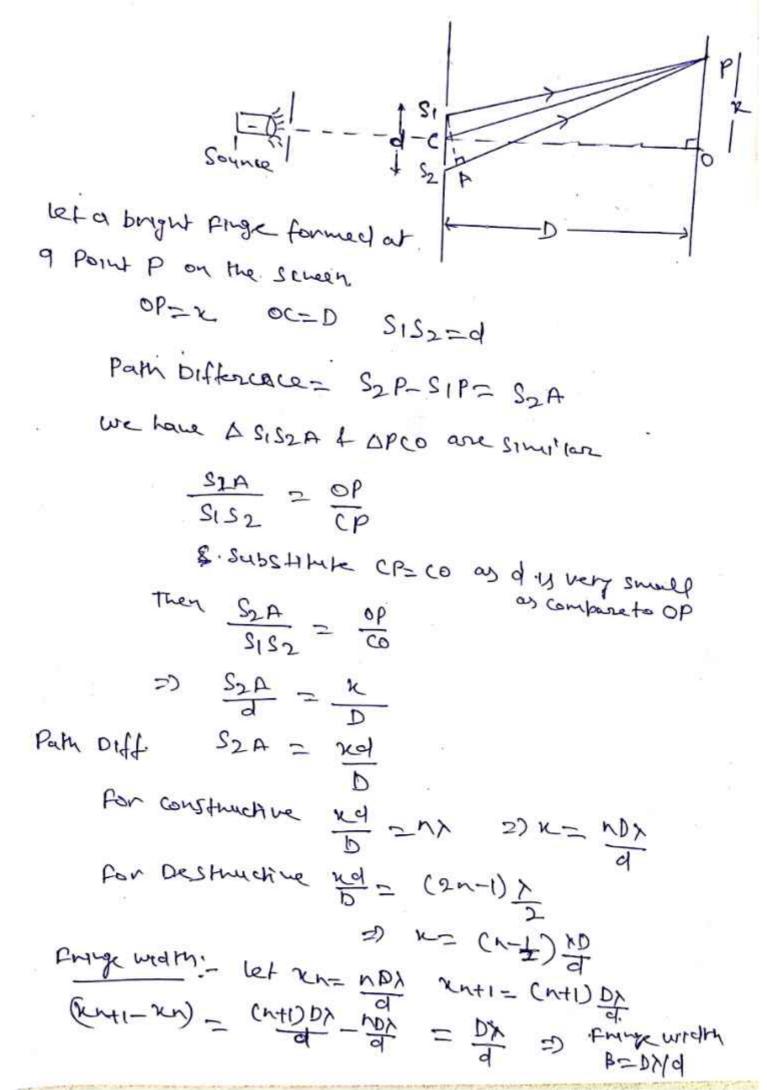
Young's Double Slit Experiment!-In 1001, Thomas young demonstrated the Interfarence light experimentally. A source of Monochronautic light S 13 Used for Illy minuting two Marrou Slit 21+52. Two Slits Is very close to each other and at equal distance from Source S. The wave from from Slit SI +52 Spreadout in all directions and Supercharbase on the school, BI Alternate bright & Dark fringes obscured. At centre o inhusity of light is murinaum 4 known as central maxima. My we move above + below the centre o alternate bright + dark fringes obtained. from youngs double slife Experiment following facts Can be verified. 1) Interference Pattern Disappear, if one of the two slit is Clased. It shows that interference pattern is due to superposition of wave from two sints. 11) Instead of two Slits illowninated with a style source, if two Independent sources (SI4SI) are used the Position of maximum 4 minimum Intensity donet rengal a Pixed. It shows that for producing interference coherent source Csingle source; should be used.

Condition for constructive interference!

[x=xx] (n=01/12,8---)

Condition for Destructive Interference!-)

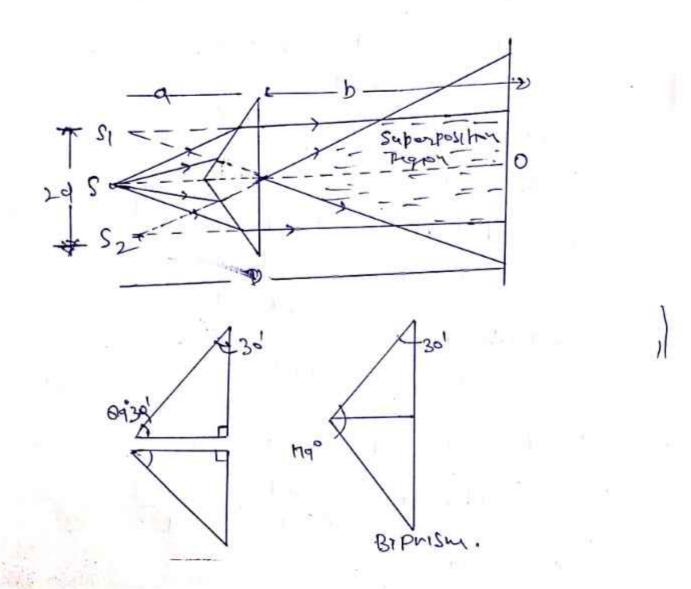
[x=(2n+1)]



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frensel Bi frism!.

It to an optical device which is used to produce two wherever sources of light by the Phenomenon of refraction of light. We use divison of wave front Method to Produce two coherent sources of light.



Problem 4.5 A biprism is placed at a distance of 5 cm from slit illuminated by sodium light of wavelength 5890 Å. Find the width of fringes observed in eyepiece at a distance of 75 cm from biprism, given the distance [GGSIPU, Oct. 2013 (2 marks)] between virtual sources is 0.005 cm.

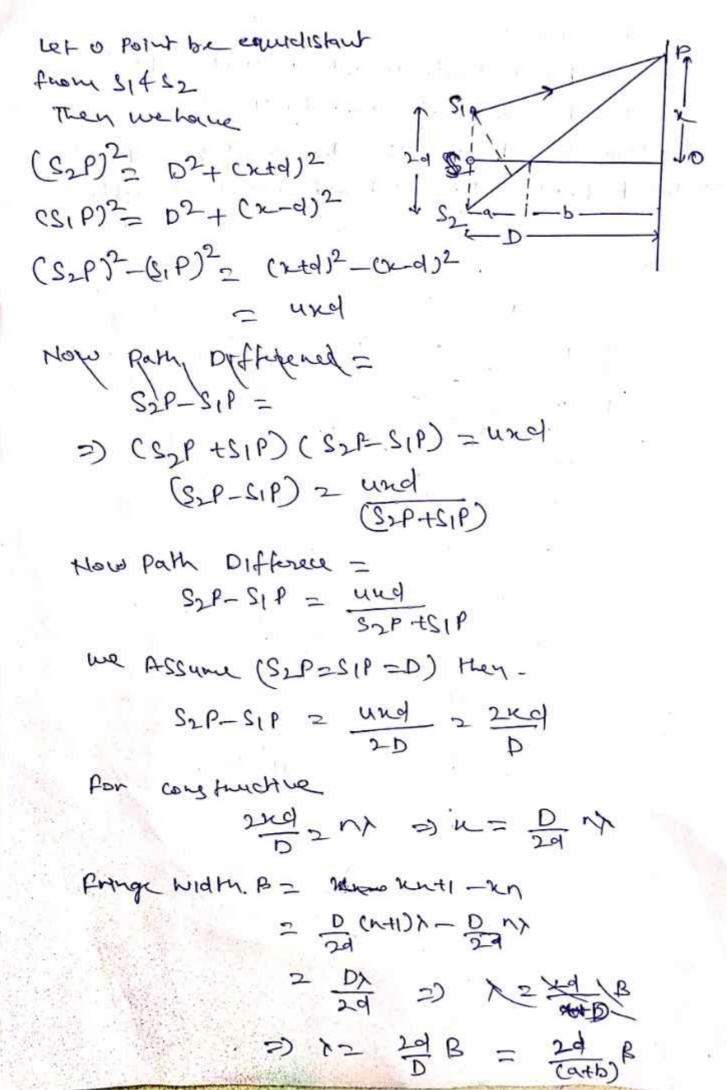
Solution. Given a = 5 cm, $\lambda = 5890 \text{ Å}$, $\beta = ?$, b = 75 cm, 2d = 0.005 cm

The fringe width (β) is given as

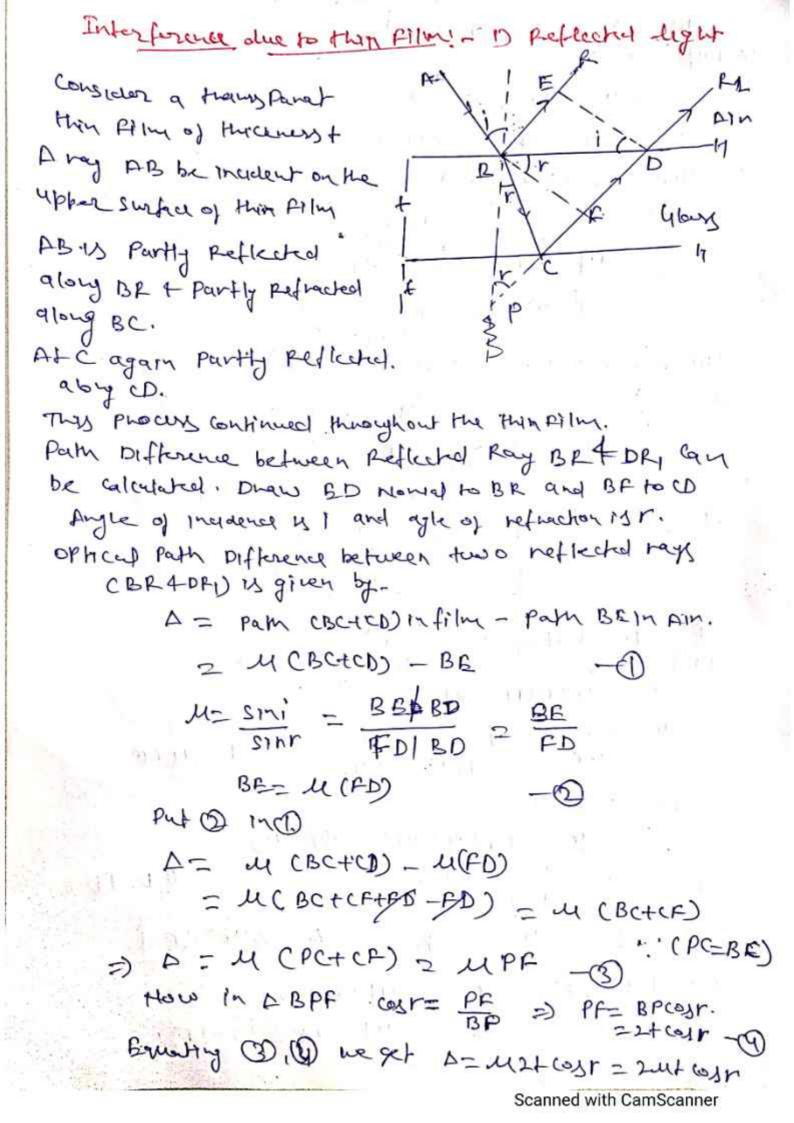
$$\beta = \frac{\lambda D}{2d} = \frac{\lambda(a+b)}{2d}$$

$$= \frac{5890 \times 10^{-8} \text{ cm} (5+75) \text{ cm}}{0.005 \text{ cm}} = \frac{5890 \times 10^{-8} \times 80}{0.005} \text{ cm} = 589 \times 8 \times 10^{-3} \text{ cm}$$

$$= 4.712 \text{ cm}.$$



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Condition for Bright Band Pull Diff. D=NX とれた(のかまるニツ 2-4+(OJK = CINTI)> condition for Dark Band. Path Diff A = CINTI) //2 241603 rt = (2nt) 1 24tcosr2nx Interference due to Transmitted ly hti-Effective Path Difference A= MCD+DE)-(P-0) Masini 2 CPICE = CP => (P= M(QE) from O D A= 4 (CD+DQ+QE)- QE(M) 2 MCCO+DQ) -1 (CO=1D) = M(IQ) D= M2+cosr = A= 24+cosr Bright - D= 2utcorny Dark = A = 2Ul Gar= (2nt1)}

Example 4.11 A soap film, suspended in air has thickness 5×10^{-5} cm and viewed at an angle 35° to the normal. Find the wavelength of light in visible spectrum, which will be absent for a reflected light. The μ for the soap film as 1.33 and the visible spectrum is 4000 to 7800 Å. [GGSIPU, Dec. 2009 (4 marks)]

Solution. In colour thin film:

Given that:
$$t = 500 \text{ nm} = 5.0 \times 10^{-7} \text{ m}$$
, $i = 35^{\circ}$, $\mu = 1.33$

We know that

$$2\mu t \cos r = n\lambda \qquad \dots (1)$$

$$\mu = \frac{\sin i}{\sin r}$$

and

$$\sin r = \frac{\sin 35^{\circ}}{1.33}$$

then

$$\cos r = \sqrt{(1 - \sin^2 r)} = \left[1 - \left(\frac{\sin 35^{\circ}}{1.33}\right)^2\right]^{1/2} = \sqrt{(1 - 0.186)} = 0.902$$

For first order i.e., n=1.

$$\lambda_1 = 2\mu t \cos r = 2 \times 1.33 \times 5.0 \times 10^{-7} \times 0.902$$

= 1.199×10⁻⁶ m = 12000 Å (approx.)

For second order i.e., n=2

$$\lambda_2 = \frac{2\mu t \cos r}{2} = \mu t \cos r = 1.33 \times 5.0 \times 10^{-7} \times 0.902 = 6000 \text{ Å (approx.)}$$

For third order i.e., n=3

$$\lambda_3 = \frac{2\mu t \cos r}{3} = \frac{2 \times 1.33 \times 5.0 \times 10^{-7} \times 0.902}{3} = 4000 \text{ Å (approx.)}$$

For fourth order i.e., n = 4

$$\lambda_4 = \frac{2\mu t \cos r}{4} = \frac{2 \times 1.33 \times 5.0 \times 10^{-7} \times 0.902}{4} = 3000 \text{ Å (approx.)}$$

Hence λ_2 and λ_3 wavelengths of light in visible spectrum will be absent.

Interference due to wedge Shape than Filmi-

Thin Filmer Layer of material deposited on a swefree which decide its Properties known as thin Film.

Wedge Shape thin film: - A film of Variable thickness is known as wedge shape or thin Film.

A thin film of varying throkness having zero throkness at one Point and pregnessively incheasing to a Particular thickness at other end is known as wedge.

Let us consider oxt ox are two planes inclied at any angle L. Yox is the segion inside thin film. Us the refractive index inside yox.

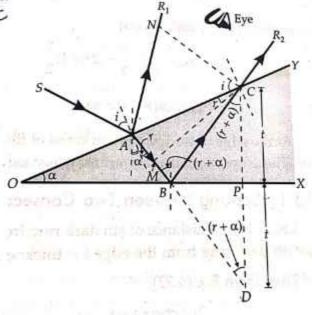
Then the Path Difference (A) between ray AP 4 CF2 13

A = (AB+BC) med (AN) Air

=M(AM+MB+BO)-CAN) = M(AM+MB +BC)-(AN) +D

From Snell's law M2 SINI

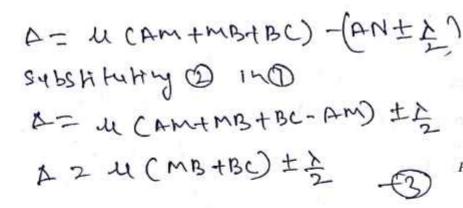
from DANC LAMC,

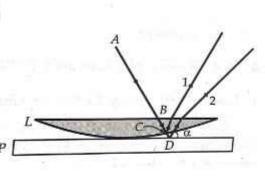


Interference produced by wedge shaped film.

MZ AN/AC ANTHAM -Q

If refractive molex of medium (Film) is queater than the refractive melex of incident ray CARD then ARI Suffer Path diff of 1/2 then @ becomes-





Also we have BC=BD &CP=PD=+
Hen (3) becomes

A= M(MB+BO) ± \(\frac{1}{2} = MMD ± \frac{1}{2} \)

From A CMD,

MD= 2+ (3) Cr+d)

D for maxima

24tes crtみ ナトラニハト

11) For Minima

241 (as (rth) + = C2/+1) }

tages in a supplement the probability of the other terms.

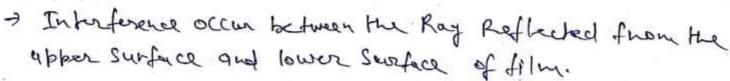
Hewton Rings - (Interference by Hedge Sheepe Film)

A pattern of interference produced by the contact of convex surface of lens with a plane glows Plate, appearing as a sorres of concentric, alternate bright to dank ring.

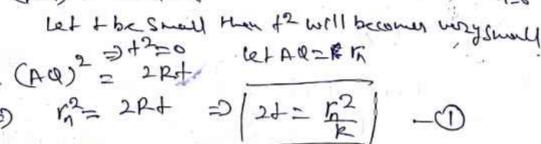
Of

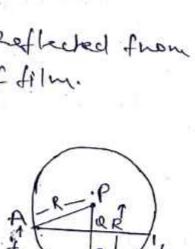
"A Series of alternate bright 4 dark ring that appear when a convex lens comes into the contect of glass plate"

- J A plane convex less is placed on a glass P in Sych a way that curved surface of glass touches the glass Plate.
- > Thin Film is formed between lower swiface of lens. (wedge shape Film)
- -> If a monochromatic light falls on the film a Set of alternate bright 4 dark fores . Ill to a
- 4 dark friger will be seen in the



HOW IN A APQ we have $(PP)^{2} = (PQ)^{2} + (PQ)^{2}$ $R^{2} = (R-1)^{2} + (PQ)^{2}$ $R^{2} = P^{2} + J^{2} - 2RJ + (PQ)^{2}$ $(PQ)^{2} = 2RJ - J^{2}$ $(PQ)^{2} = 2RJ - J^{2}$





Now we have path Difference in case of wedge shape thin Film E A= 24 (05 (r+d) + A Effective Path Difference will be (M=1, r=0, L=0, FORPIN) コ) | ム = 2+生産 for MM Bright pringes we have ナーゲニ ツ 2+= (2n+1)/ -0 companing of 40 $\frac{r_n^2}{R} = \frac{(2nt1)^{\lambda}}{2}$ rr2= c2n+UNR then Diameter of Ring (Dn) = (2nt1) x P Dr2= 4(2n+1) NR = 2(2n+1) NR (Dryp) = 2 (2(Mtp)+1) xR (Ontp)2 Dn2 = 2 (2 CN+P)+1) NR-2(2N+1) NR 22TR (2n+2p+1-2n-1) 2 YPRX

Similarly Refractive Index can be calculated U= (bitp-D2) Air (Dryp-Dn2) uguid Now For Nth Dank Ring we have 21-5 = C2n+1) 5 ヨンナニツ Franco no -ny riz= nrh rn2 Dn => [D= 2 JNYR] Hence Digneter D=2JNXR Rouddi = InxR Rodoi of Curvature of Irns P= 02 2) Newton Ring by Thany mitted light path Difference D= Lutcost (M21, 1=0, d=0 for AIn) Der maxima (Bright) 2+=MX Der Jar 11) Por Minimer 21= (2n±1)1/6 3 D2 J2NR [2nt])

In Hewton Ring Experiment the Digneter of 15th.
Ring was fund to be 0.590 cm 4 5th ring way 0.336 cm. It the Radius of converture of the conver leng is work Calculate the naveley that I light Used. 102 N= Drap - Dr2 UPR => DMP= DIF= 0.590CM Dn= D5=0.336CM. P= 10 R=100CM 8= (0.590)2-(0.331)2 NX 10 x 100 = 5002 x 150 cm 2 5802A. Q In Heathon Ring Experiment Diameter of a third dark Ring 1.D. 3.2 Mm. Find the fadius of curvature of the lew of t rot light = 5890 410-8 cm. Sol. Diameter of Dark Right givenby -Dr= 4n/R. Dnz D3 2 3.2 mm = 0.32 cm, n= 3 7= 5090 x100 cm R= Dr= = (0.32)2 = 145CM a In Hewton Ring Exposinent Diameter of Sty Ring way 0-336 cm and Diameter of 15th Ring was 0.590 cm. Fruit the Radius of Curvature of plans convey tens it h= 589040 Soly DATE DIE = 0.510 CM, DN= DE = 0.033 6 CM P=10 , X= 5890 +10-8CM R >= DNP2-DN2 3 R= DN+P2-DN2 (0.540)2- (0.336)2 (0.540)2- (0.336)2 299.83 cm Scanned with CamScanner

Example 4.14 In a Newton's ring experiment the diameters of 4th and 12th dark rings are 0.4 cm and 0.8 cm respectively. Deduce the diameter of 20th dark ring. [GGSIPU, Dec. 2011; Dec. 2012 (2.5 marks)]

Solution. In Newton's ring experiment,

Given that: n=4; (m+n)=12, m=8

 $D_n = 0.4 \text{ cm}$ and $D_{m+n} = 0.8 \text{ cm}$

The wavelength of sodium light using Newton's ring is

$$\lambda = \frac{D_{m+n}^2 - D_n^2}{4mR}$$

or

$$4\lambda R = \frac{D_{m+n}^2 - D_n^2}{m}$$

$$\Rightarrow 4\lambda R = \frac{(0.8)^2 - (0.4)^2}{m} \qquad \dots (i)$$

We know that the diameter of nth dark ring in presence of air is

$$D_n^2 = 4n\lambda R$$

$$\Rightarrow D_{20}^2 = 20 \times (4\lambda R) \qquad ...(ii)$$

Putting the value of 4\(\lambda R\) from Eq. (i) in Eq. (ii)

$$D_{20}^2 = \frac{20 \times [(0.8)^2 - (0.4)^2]}{8} = \frac{20}{8} \times 1.2 \times 0.4$$
 $\Rightarrow D_{20} = 1.2 \text{ cm}$

<u>Problem 4.11</u> A Newton ring arrangement is used with a light sources of wavelength $\lambda_1 = 6000$ Å and $\lambda_2 = 5000$ Å and it is found that the nth dark ring due to λ_1 coincide with (n+1)th dark ring due to λ_2 . If the radius of curvature of curved surface of the lens is 90 cm, then find the diameter for the nth, dark ring for λ_1 .

[GGSIPU, Sept. 2009 (3 marks)]

Solution. Given $\lambda_1 = 6000 \text{ Å for } n\text{th ring}$

$$\lambda_2 = 5000 \text{ Å for } (n+1) \text{th ring, } R = 90 \text{ cm} = 0.9 \text{ m}$$
and
$$(D_n)_{\lambda_1} = (D_{n+1})_{\lambda_2} \qquad [\because D_n = \sqrt{4n\lambda R}]$$
or
$$\sqrt{4n\lambda_1 R} = \sqrt{4(n+1)\lambda_2 R}$$
or
$$n\lambda_1 = (n+1)\lambda_2$$

$$\Rightarrow \qquad 6000 \times n = (n+1) \times 5000$$

$$\Rightarrow \qquad n = 5$$

$$D_n = \sqrt{4 n \lambda_1 R}$$

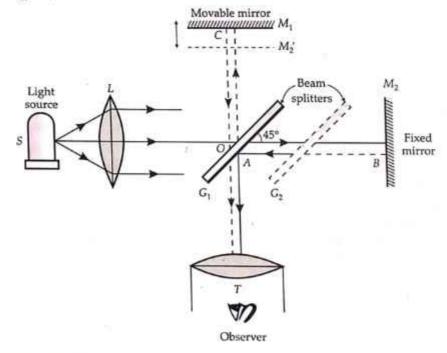
$$D_5 = \sqrt{4 \times 5 \times 6000 \times 10^{-10} \times 0.9} = 3.286 \times 10^{-3} \text{ m}$$

Michelson Interferone teri-

An Interference is an instrument in which the Phenomenon of Interference is used to make precise measurement of wave length or Distance.

Michelson designed an interferenter which utilize the thin Film interference.

Principle! In Michelson Interferenter a beam of light form an extended sound divided into two parks of Equal intensities by Partial reflection 4 refraction. Beam travel in Mutually Perpendicular direction after Reflection from the Mirnor. Beam overlap each other and Produce Interference Fringer.



There are two parallet glass plate 9,442 of Same thickness. Glass plate 9, 50 Semi Silvered on the backlide and Functionals a beam Splitter.

Function of combessating place 92.
To equalise the path of AC + AB 42 13 Used also called compensating place

A= 2+ coso

D condition for Brightness 2+cos0=nx

1) Condition for bank

2+610= (2n ± x)

Mole: 0 - Angled, The observer look into the System of an angle Q.

t- Thickness of Rilm.

Applications: measurement of have leight of light can be determined by Michelson interspreture

N- Fringes

1) To determine the difference in two haves.

A>= 11-12= 12+

111) Theckness of thin Thanspanent Sheet $t = \frac{m\lambda}{2(M-1)}$ ording Driffraction! - The Phenomenon of benefing of light of round the Short corner and Spreading

into the negion of geometrical shadow. is called

Diffraction of light

D when a Marinow Slift is placed in the Path of Sught only the Region A'B' on the Scheen should get illuminated.

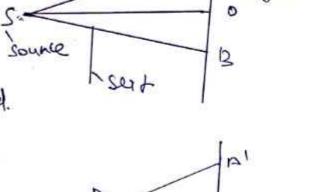
He Scheen Should get Illuminated

I) When an obstacle AB 13 Placed

In the Path of light, then

its distinct geometrical shadow

Should be obtained on the



Shockow.
Shockow.
B

Interference

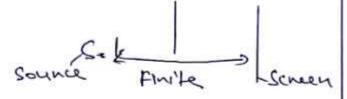
Screen.

D It occurs due to Superposition of Secondary Lavelets from two Coherent Sources of light.

- 2) All Bright Fringes have Same Intensity
- 3) Fringes due to mono-Chromatic light has same widty
- 4) Intensity of all dark fringes are zero

Diffraction

- 1) It occurs due to Superposition of Se condany wavelets from exposed Part of Single Sounce
- 3) Intensity of successive bright fringes goes on decreasing.
- 3) Diffraction fringes one never of Equal width
 - 4) Introstry of dark fringes are Not zero.



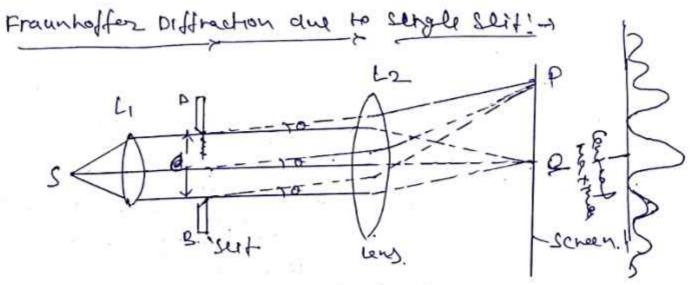
- 11) No lens & No Minnon Used
- III) center may be donk on bright
- IV) wavefront are Sphoracal oz cylindrical
- 2 one plate, the circular Rigiete.

Fraunhoffers Diff rection

1) In Frankattery Diffraction Sounce, Screen and Diffraction device are at Enfinite Distance

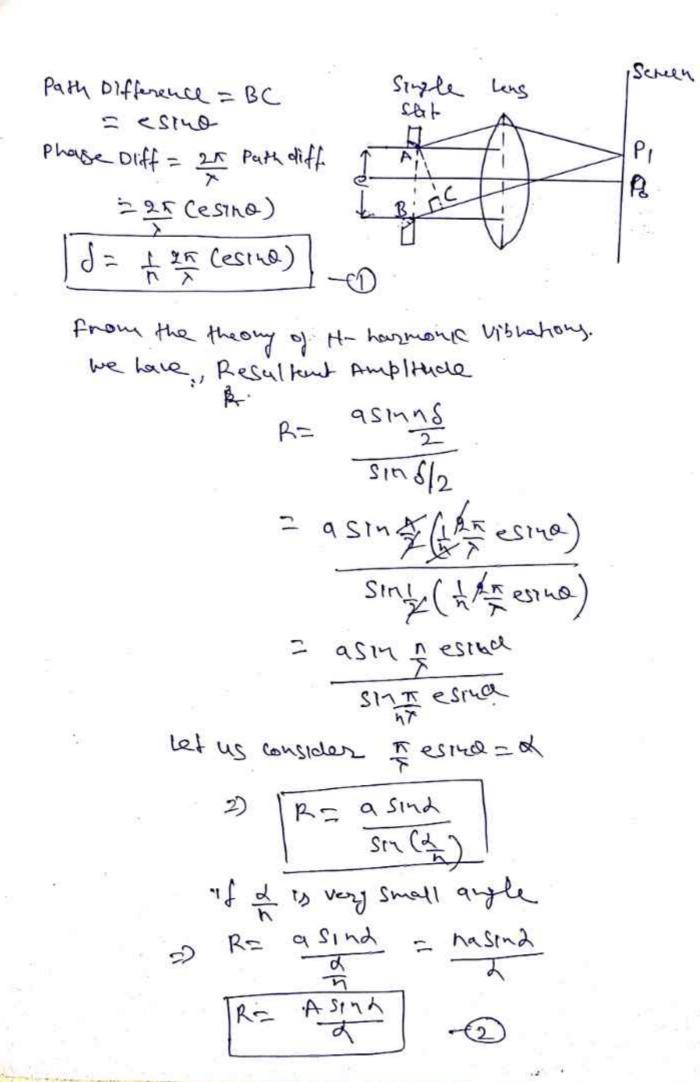
Sounce Infinite. Scheen

- 1) At infinite distance inhality of light becomes low, trence less (convex) is used.
- IN) center always bright
- IV) plane wavefront are
- v) Diffraction device are Double Shit, nelit, gratty etc.



He monochrometre Sounder of lights, emitting light wave of wavelength & is placed at the Principle focus of connex leng 4

of Diffraction pattern obtained on scheen lying at a distance D from the sub. and contextions



1) Condition for Minima
$$t=0$$
 $\Rightarrow \frac{P^2SIn^2d}{d^2} = 0$

$$d = \pm n\pi$$
Hence $\pm l\pi$, $\pm 2\pi$, $\pm 3\pi$ ----

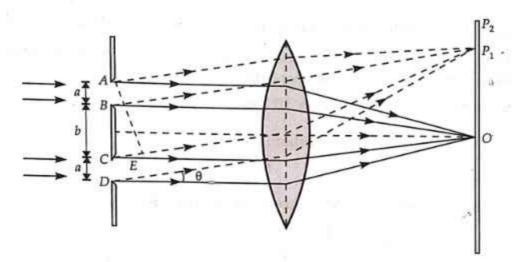
Frauntoferess Diffraction due to two sliets!

Let us consider a parallel beam of monochromatic eight of wavellingth & incident on doubte Slit and each Slit difficult at an angle of.

Then Path difference (at BAC) (at B4C)
(E = (a+b) sino

We have Phone Difference = 2x x Path difference

28 2 27 (a+6) since —



Fraunhofer's diffraction at double slit.

Here each slift can be treated as an independent small Sounce of light. Resulant pattern will be same as due to two sounces.

If 22 is the phase dall

It It is the phase difference between the extreme rays from first Slit, they

$$2d = \frac{2\pi}{\lambda} a sind$$

$$d = \frac{\pi}{\lambda} a sind - 2$$

The resultant displacement y, due to the rays from the first slit is given by -

y1= Asinwt -3

Where A= Ao SIND (Amplitude)

Ao. 1s the Amplitude of the direct ray

A 18 the Amplitude of diffracted very at angle of from first slit.

Then Resultant displacement you due to two rays from the second slit is given by -

42= ASIN (W++2B) - 9

then Resulant Displacement y due to rays from two slit difficated at anyla a is given by -

Y= 91+72

2 ASINWL+ ASIN (WH+2B)

2 A (SIN WH + SIN CWH +2B)

2-2 A COSPSINEWITED) 22A COSB SIN(WITE)

Substituting (In (

Then Resultant Amplitude,

R= 2ACOJB

Smond From A - A RHHHEELPS

D R= 2A0 SIND USB BW ILAP

=> I d 4 AS SIN2 COS2B

Suppose constant of proportionality is 1 them

I = 4 Ao2 (SINA)2 cox213

Now D Condition for maxing.

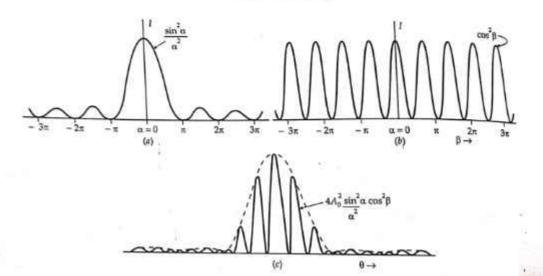
I will be maximum when sindes

As wehave d = Trasino

rasina = ± MAX

Similarly for maxima

The Catho) SIND= +NT



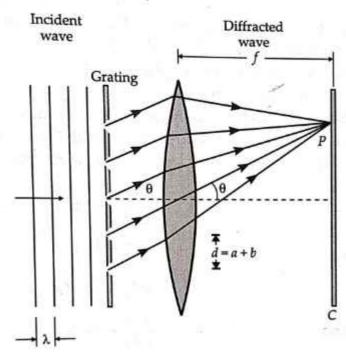
Resultant intensity distribution pattern of double slit.

Fraunhaffer Diffraction due to MSERTS

"An arrangement consist of large Humber of Parallel equidistant narrow rectangular slits of same width is known as diffraction gratry!"

we have considered-

- D Each Slit is of width a and Lay Same lingth
- 11) All Slits are parallel to each other.
- 111) Stace betwee two Slif 11 Same.



Fraunhofer diffraction of a plane wave incident normally on a multiple slit aperture.

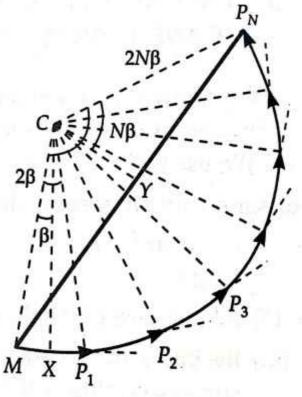
Consider Point P on the screen where diffracted waves

From theory of diffusion all the points of Slit Can be Summed up into single howelet of Amplitude A.

If 22 15 the phase differed between two extreme rays
then

2d = 27 951 mb

The Path difference from two Nearby SIII is given by-A= (a+b) SIND The we have phuse Difference = 2 k x Path Difference 2 2B= 25 (a+b) sind -0 C= NOW to find resultant Intensity (I) we have to superimpos til waves each of Amplituale A with phase difference of 2B with nearby wave. Then we have WX = SINB => WX = CWRITE ST But MX= & MP, 3) FWb1 = CW SINB or MP1 = 2CMSINB -(3)



Phasor diagram for N slits.

BUT MY= & MPH I MPH = CMSINNB MPN = 2 cmsin B -(6) Dividing (8) by (5) we have MPH = SINHB

AND MY 2 SMHB

2) MYZ CHISINHB

MPH- Resulant Disturbance of NSIIL. at @ MPI- Siyle Slit DISturbunce

Hence Ro= ASINNB where A= Assind by 10 =) Ro= Ao SIND SINHB Resultant Intensity I= Ro2 =) I = A3 (SINA) 2 (SINHB) 2 \$ Hune First torex \$ 12 to (Sind) (SINHB) 2 there strict term Is (SINA) 2 is intensity due to single slit

4 Second town (SINNB) 2 1s due to combined Effect

D condition for maxima

11) condition for Minima

Diffractory growthy! - An arrangement country of large no. of close, Parallel Straight and thansporent Equidistant sets, each of Equal width 'a' seprated by an opeque regroup.

The Stacing (a+b) between adjacent slif. 1s called diffraction element or grating element.

Grating element 2 carts)

I- A² SIN² L SIN² NB

SIN² SIN² B

Resolving Power of an obtical tratminent!

The ability or Capability of an obtical instrument to produce two separate images of two very close object is called resolving power.

By Called resolving power.

Ratio of waveleight of any spectral line to the Smalleyt waveleight difference between very close line forward. Skeetnest line can just be resolved.

Resolving power = 1 = 29 (d-Distance between two object.)

Apreture)

Dispersive Power: -

take of change of Angle of didfraction with waveleight of light used. (dd/dx)

·Rayleigh's Criterion!

To obtain recolving power of an instrument Rayleigh suggested a criterion known as Rayleigh Criterion. According to Rayleigh criterion two images can be sugarded as sepreted if centrel majorna of one falls on the first mining of other.

Distance between the centre of Patterns shall be equal to the radius of central disc. This is called Rayligh limit of Resolution.

Resolving fower of a Plane transmission grating!

Resolving Power of Telescopein

r- Rading of control bright invage a- Dramater of objective.

Resolving power of Microscopei-

No- wave keyth of light in vacquing Me- refractive makes of medium, (MSIND) - Mumerical Aperture of objective of Microscope.

Scanned with CamScanner

.. Dispersion power.

D) Defined of the rate of change of angle of diffraction with the wavelength of light used (df/dx)

111) It depends on (a+b)

Resolving Power

1) Defined at the ratio of wavefright of any spectral line to the small est waveleyth difference between very.

Close line for which the Spectral line can just be resolved

111) Independent of grating Element Coutb) Example 5.6 Show that only first order spectra is possible if the width of grating element is less than twice the wavelength of the light.

[GGSIPU, Dec. 2013 reappear (3 marks)]

Solution. Given
$$(a+b) < 2\lambda$$
, suppose $(a+b) = (2\lambda - x)$; then grating formula $(a+b)\sin\theta = n\lambda$

 $\theta = 90^{\circ}$ for highest order

$$(2\lambda - x) = n\lambda$$

$$n = \frac{2\lambda - x}{\lambda}$$

which is less than 2 or it is first order spectra.

Example 5.7 A parallel beam of light is made incident on a plane transmission diffraction grating of 15000 lines per inch and angle of 2nd order diffraction is found to be 45°. Calculate the wavelength of light used.

[GGSIPU, Dec. 2015 reappear (4.5 marks)]

Solution. Given: N = 15000 lines/inch = $\frac{15000}{2.54}$ lines/cm,

$$n=2$$
, $\theta=45^{\circ}$, $\lambda=?$

We know the grating formula,

 $(a+b)\sin\theta = n\lambda$ $\lambda = \frac{(a+b)\sin\theta}{n} \qquad ...(i)$

 $(a+b) = \frac{1}{N} = \frac{2.54}{15000}$ cm ...(ii)

Putting Eq. (ii) in Eq. (i), we get

$$\lambda = \frac{2.54 \sin 45^{\circ}}{15000 \times 2} = 5987 \times 10^{-5} = 5987 \text{ Å}.$$

Example 5.8 A plane transmission grating has 15000 lines per inch. What is the highest order of the spectra which can be observed for wavelength 6000 Å? If opaque spaces are exactly two times the transparent spaces, which order of spectra will be absent?

[GGSIPU, Dec. 2015 reappear (3 marks)]

Solution.

or

$$N = 15000$$
 lines/inch

$$(a+b) = \frac{2.54}{15000}$$
 cm; $\lambda = 6000 \text{ Å} = 6.000 \times 10^{-5}$ cm

We know the grating formula

$$(a+b)\sin\theta = n\lambda$$

For highest order, $\sin \theta = 1$

$$n = \frac{(a+b)}{\lambda} = \frac{2.54 \times 10^5}{15000 \times 6} = 2.8 \approx 3 \text{ (approximately)}$$

Hence the third order is highest order visible.

Problem 5.7 A plane transmission grating having 6000 lines per cm used to obtain a spectrum of light from a sodium light in the second order. Find the angular separation between the two sodium lines ($\lambda_1 = 5890 \text{ Å}$ and $\lambda_2 = 5896 \text{ Å}$). [GGSIPU, Dec. 2017 (5.5 marks)]

Solution. For diffraction grating,

$$(a+b) = \frac{1}{6000} \text{ cm} = \frac{1}{6000 \times 100} \text{ m}, \quad \lambda_1 = 5.890 \times 10^{-7} \text{ m}, \quad \lambda_2 = 5.896 \times 10^{-7} \text{ m}$$

 $(\theta_2 - \theta_1)$ = angular separation between two spectral lines =?

· Condition for maxima,

$$(a+b)\sin\theta = n\lambda$$

$$(a+b)\sin\theta_1 = n\lambda_1$$

$$\sin\theta_1 = \frac{n\lambda_1}{(a+b)}$$

$$\Rightarrow \qquad \theta_1 = \sin^{-1}\left[\frac{2\times5.890\times10^{-7}\times6000\times100}{1}\right] = 44^\circ59'$$
and
$$(a+b)\sin\theta_2 = n\lambda_2$$

$$\sin\theta_2 = \frac{n\lambda_2}{(a+b)}$$

$$\Rightarrow \qquad \theta_2 = \sin^{-1}\left[\frac{2\times5.896\times10^{-7}\times6000\times100}{1}\right] = 44^\circ61'$$
Hence
$$\theta_2 - \theta_1 = 2'.$$

Hence $\theta_2 - \theta_1 = 2$.

<u>Problem 6.14</u> A 20 cm long tube containing sugar solution is placed between crossed Nicols and illuminated with light of wavelength 6×10^{-5} cm. If the specific rotation is $60^{\circ}/dm/gm/cm^{3}$ and optical rotation produced is 12°, determine the strength of the solution.

[GGSIPU, Sept. 2011 (2 marks); Jan 2015 (3 marks)]

Solution. The specific rotation S of a solution is given by

$$[S]_T^{\lambda} = \frac{\theta}{l \times C}$$

Here, $\theta = 12^\circ$, l = 2.0 dm and $S = 60/\text{dm/gm/cm}^3$

$$C = \frac{12}{2.0 \times 60} = 0.1 \text{ gm/cc} = 10\%.$$

<u>Problem 5.1</u> Diffraction pattern of a single slit of width 0.5 cm is formed by a lens of focal length 40 cm. Calculate the distance between first dark and next bright fringe from the axis, $\lambda = 4890$ Å.

[GGSIPU, Sept. 2012 (3 marks); Sept. 2013 reappear (4 marks)]

Solution. For Fraunhofer diffraction through narrow single slit, given

$$a = 0.5 \text{ cm} = 5 \times 10^{-3} \text{ m},$$

 $f = \text{focal length of lens} = 40 \text{ cm} = 0.4 \text{ m}$
 $\lambda = 4890 \text{ Å} = 4.89 \times 10^{-7} \text{ m}$

Distance between first minima and first secondary maxima = $x_2 - x_1$.

: Condition for minima is written as $a \sin \theta = n\lambda$

$$\Rightarrow \text{ for } n=1, \qquad \sin \theta = \frac{\lambda}{a} \text{ and } \sin \theta = \frac{x_1}{f}$$

$$\therefore \qquad x_1 = \frac{f\lambda}{a} = 3.912 \times 10^{-5} \text{ m}.$$

: Condition for secondary maxima is written as

$$a \sin \theta = (2n+1)\frac{\lambda}{2}$$

$$\Rightarrow \text{ for } n=1, \qquad \sin \theta = \frac{3\lambda}{2a} \quad \text{and} \quad \sin \theta = \frac{x_2}{f}$$
Hence
$$x_2 = \frac{3f\lambda}{2a}$$

$$= \frac{3 \times 0.4 \times 4.89 \times 10^{-7}}{2 \times 5.0 \times 10^{-3}} = 5.868 \times 10^{-5} \text{ m}$$

$$\Rightarrow (x_2 - x_1) = 1.956 \times 10^{-5} \text{ m}.$$

Problem 6.5 A plane polarised light is incident on a quartz plate cut parallel to the axis. Calculate the least thickness of the plate for which the o- and e-rays combine to form plane polarised light. Assume that $\mu_e = 1.5533$ and $\mu_o = 1.5442$ and $\lambda = 5.4 \times 10^{-5}$ cm [GGSIPU, Dec. 2015 (2 marks)]

Solution. In this case the quartz plate must act as half wave plate. Thus if t be the required thickness then we have

$$(\mu_e - \mu_o) t = \frac{\lambda}{2}$$
$$t = \frac{\lambda}{2(\mu_e - \mu_o)}$$

or

Putting the given values, we get

$$t = \frac{5.4 \times 10^{-5} \text{ cm}}{2 (1.5533 - 1.5442)}$$
$$= \frac{5.4 \times 10^{-5} \text{ cm}}{2 \times 0.0091} = 3 \times 10^{-3} \text{ cm}.$$

Example 5.5 How many orders will be visible if the wavelength of an incident radiation is 5000 Å and number of lines on the grating is 2620 per inch? [GGSIPU, Dec. 2013 reappear (2 marks)]

Solution. Given $\lambda = 5000 \text{ Å} = 5.0 \times 10^{-7} \text{ cm}$,

$$N = 2620$$
 LPI, then grating element $(a+b) = \frac{2.54}{2620}$ cm,

We know grating formula $(a+b)\sin\theta = n\lambda$ (for highest order $\theta = 90^\circ$), then $(a+b) = n\lambda$

or

$$n = \frac{(a+b)}{\lambda}$$

$$= \frac{2.54}{2620} \times \frac{1}{5.0 \times 10^{-5}} = 19.38 = 19$$

Example 5.10 What is the least separation between wavelengths that can be resolved near 640 nm in the second order, using diffraction grating that is 5 cm wide and ruled with 32 lines per millimetre.

[GGSIPU, Oct. 2013 (2 marks)]

Solution. Given $\lambda = 640$ nm, n=2, $N=32 \times 50 = 1600$, $d\lambda = ?$

We know resolving power of grating is given by

$$\frac{\lambda}{d\lambda} = nN$$

$$d\lambda = \frac{\lambda}{nN}$$

$$= \frac{640 \times 10^{-9} \text{ m}}{2 \times 1600} = \frac{6400}{3200} \times 10^{-10} \text{ m}$$

$$= 2 \times 10^{-10} \text{ m} = 2 \text{ Å}$$

<u>Problem 5.8</u> Deduce the missing order for double slits Fraunhofer diffraction pattern, if the slit widths 0.16 mm and they are 0.8 mm apart. [GGSIPU, Sept. 2011 (2 marks)]

Solution. Given that

$$a = 0.16 \text{ mm}$$
 ; $b = 0.8 \text{ mm}$

If a be the slit width and b the separation between slits; the condition of missing order spectra is given by

$$\frac{a+b}{a} = \frac{n}{m}$$

$$\frac{0.16+0.8}{0.16} = \frac{n}{m}$$

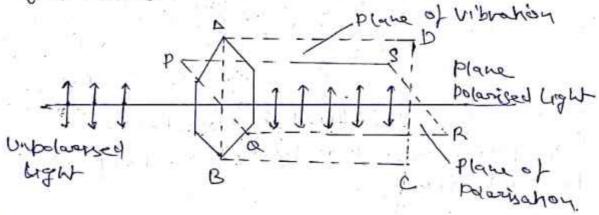
$$\frac{0.96}{0.16} = \frac{n}{m}$$

$$n=6$$
 $m=6$, 12, 18, ... $(m=1, 2, 3, ...)$

Thus 6th, 12th, 18th, ... orders will be missing.

Whatsy of light are restricted in a particular plane is called Polarisation of light.

when an ordinary light 10 Unpolarised light topseed through a tournaline Crystal, out of all the vibrations which are synametrical about the direction of Propagation, only those pass through it which are parallel to Crystall ographic axis AB. Therefore direction of Propagation are confined to a single plane.



Plane of Vibration! - The blane CABCD) which contain vibration of plane polarised light is called plane of Vibration.

Plane of Polarisator. The plane (PORS) perpendicular to the plane of vibration is celled

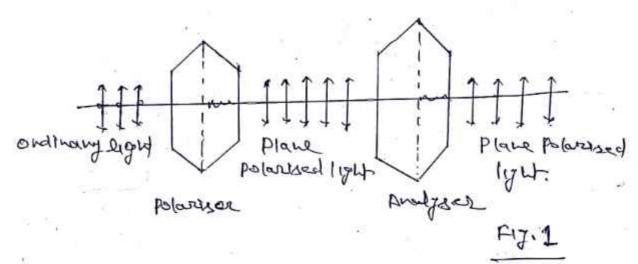
plane polarised light! It may be defined as the light in which vibration of light are are fishicked to a particular plane.

Note: - vibration of Plane Polarised light are perpendicular to the plane of Adarisation.

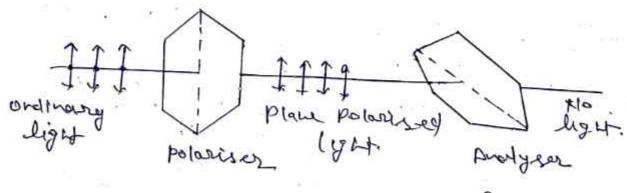
Polarisoz: "Tourmaline (Bystaf) or HICOI Prism Used to produce plane polarised light Called Polariser.

Maked eye or the polariser Can't make distinction between unbolarised light or plane polarised light.

Analysez: Crystal or Micol Prism used to Analyse the Nature of light called Analysear



* The Intensity of light becomes Minimum when the arest of Polarister to Analyster are pertendicular to each other. (Fig2)



Fy. 2

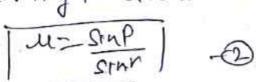
Brewsters Lawis It State that when light is 3 incident at polarising angule at incident at polarising angule at the interface of reflecting refracting, medium, the refractive malex of medium is equal to the tangent of the polarising angle.

If P be the polarising angle and it the refracting medium.

then according to Brewster's law.

1 12 tanp

When a light is incident at Polarising angle P on a refracting medium of refractine medium of refraction let r be the angle of refraction then according to smells law



From 0 40

thence when a ray of light merdent at bolasisty angle, the reflected ray is at right angle to the refracted ray.

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It state that when a completely plane Polarized light beain is incident on an analysee, the intensity of the emergent light varies as the square of cosine of the angle between the plane of transmission of the analysier and polariser.

J= a2 ces20 Plane of polariner Consider a Plane of Polaniser and plane of analyser are inclined Analysers at an angle Q as shown in Figure. Further Suppose that the plane of Polarissed light of Intensity to and amplitude a cos a a incident on polariser. They 1) The component acoss is along the Plane of analyses.

11) the component assint is along the perpendicular to the plane of analyseur

then Intensity of light then wither from analysee is given by -

150 1-92 CM2d

at Is, intensity of incident plane polarized therefore [I= Io custo] or Id costo

Condition: - & When 0=0 DR(80° COND=11 =) (I=I)

18 Hence when polarizer and Analyser are parallel, the intensity of eight transmitted from eight analyses is same as from polarizer.

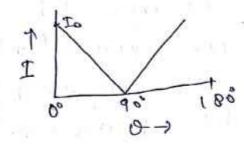
2) When 0-90° Sother 60,0000

(I=0

therefore when polariser and analyser are peripendicular the intensity of light themselfed from light is zero in minimum

3) If we Plot a graph between intensity of light and angle between Polariser and Analyser it will be as -

4) In case light incident on analyser is unpolarised then I= 1 to



will be the place the west-and or

Be an argone and project

2 Dissolts of entries properties

(Cesso = \frac{1}{2} cesso de averge volue ef cesso)

Hence 1=\frac{1}{2} to

A complete project of the expect of the depart of the complete of the complete of

to be apply the

(b) MICOL Prism! _"It is an obtical device made from Calaste and frequently used for producing and analysis of Plane Polarised 1yht. It is based on the phenomenon of double refraction."

the Phenomenan of Splitting of unpolarised elightento two polarised refracted ray is known as doubte refraction:

* When a Marrow beam of Unbolorised light be incident normally on a double setracting crystal such as calcite, it sheit into two retracted rought one is 'oridinary RAY' or D-roy and other is 'Extrordinary RAY'. ERAY"

Mccof Prism Principle

when uppolarised beam of light enter the calcute crystal it split into o-ray + E-ray

In the prism o-ray is Elimited by total internal settlection, thence E-ray only transmitted through the Passin.

construction: A calcife crystal cut into two half. The two half of crystal are properly polished and cemented in their original position, with a min layer of cement named as canada balsan.

(which is midway for E ray 40-ray)

Refractive maker for calcite of E-ray

Refractive maker for O-Ray 110 = 1.66

Mrcof Prom.

L-1

C-51-(1-55)= (-690)

Cmhap And (-690)

- D It two menochrometic ray is meident on a doubly bet retracting crystal it spert into two wave front one for ordinary very and other. For extra ordinary ray.
- 11) Ordinary very has some belocity in all direction hence wave front in Spheritical.
- (11) Extra ordinary ray by different relocity in different direction hence its ware front is ellipsords
- IV) # The Uniaxial Crystal has been classified as
 Heyative and Positive Crystal. In Hegative Crystal
 live calcite extraordinary wave velocity (ve) &
 Jreater than ordinary velocity (vo).
 In Positive Crystal Vo7 Vc.

Surface less outside the Spherical Surface

"In positue Crystal ellipsoidal Surface les inside spherical Surface.

Debuty of ordinary ray 4

Extra ordinary ray usame
along ofthe AXIS.

VII) Ellipsoided wave surface must be sympetriced about optic AXII.

calake

Right hundred or dextro-rotations. Plane of polarisation or Place of Vibrations Rotated in clarkwise Direction.

Left to connabar, and lyan ex. place of hishartony Roberted in anti clockwise direction.

Eg - Fruit Sugar

Specific Rotation: Measure of optical Activity of a sample Specific Rotation for a given wave length of light at a given temperature is defined conventionally as the Rotation produced by one decimeter long column of Solution containing I gm of officely Active material Parce of Solution,

Polosineter: A Polonimeter is an instrument used for determining the others Rotation of Solution) When used for determining the obtical Rotation of Sagar it is called saccharineter

Half should bolarimeter; - It consist of this killery burn H14 H2, H1 is polariser +H2 is analyser. Behind H1 is a half while place of quarte Q which cover one half of the view while other half is covered by hours 6.

Quater wave Plate: Plate of double refrecting uniaxing & crystal of Calcife or quartz of suitable throwness whose refrecting faces are cut parallel to the direction of other Aris.

If the thickness of the plate is t and the refractive index of ordinary and extraordinary rays are dust be subjectively. Then the beth difference introduced between the two rays is given by My

To bradul a bath Difference of X14 in Calcite

(110-11e)+=1/4

1= 1/4

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Half wave plate: this plate is also made from doubte refracting unicipied crystal of martion calcite with its refracting face cut parallel to the optic axis. The thick next of the plat is such that the ordinary and extra ordinary rays how path pifference = x12

In Calcute (ho-le) + = 7/2

+ 2/1
2(46-46)

In Quart2 += 1/2 (me-no)