

Experiment No. - 1\* Aim :-

To determine the numerical aperture of the optical fibre cable.

\* Material Required :-

optical fibre, mandrel, measuring scale, a plane having desired diameter of circle.

\* Theory :-

- i) Numerical aperture of any optical system is a measure of how much light can be collected by the optical system.
- ii) It is the product of the refractive index of the incident medium and the sine of maximum ray angle.
- iii) For a step-index fiber as in the present case, the numerical aperture is given by

$$N = \sqrt{n_{\text{core}}^2 - n_{\text{cladding}}^2}$$

- iv) For very small difference in refractive index the equation reduces to.

$$NA = n_{\text{core}} \sqrt{2\Delta}$$

where,  $\Delta$  is the fractional difference in refractive indices NA is numerical aperture.

\* Formula Used :-

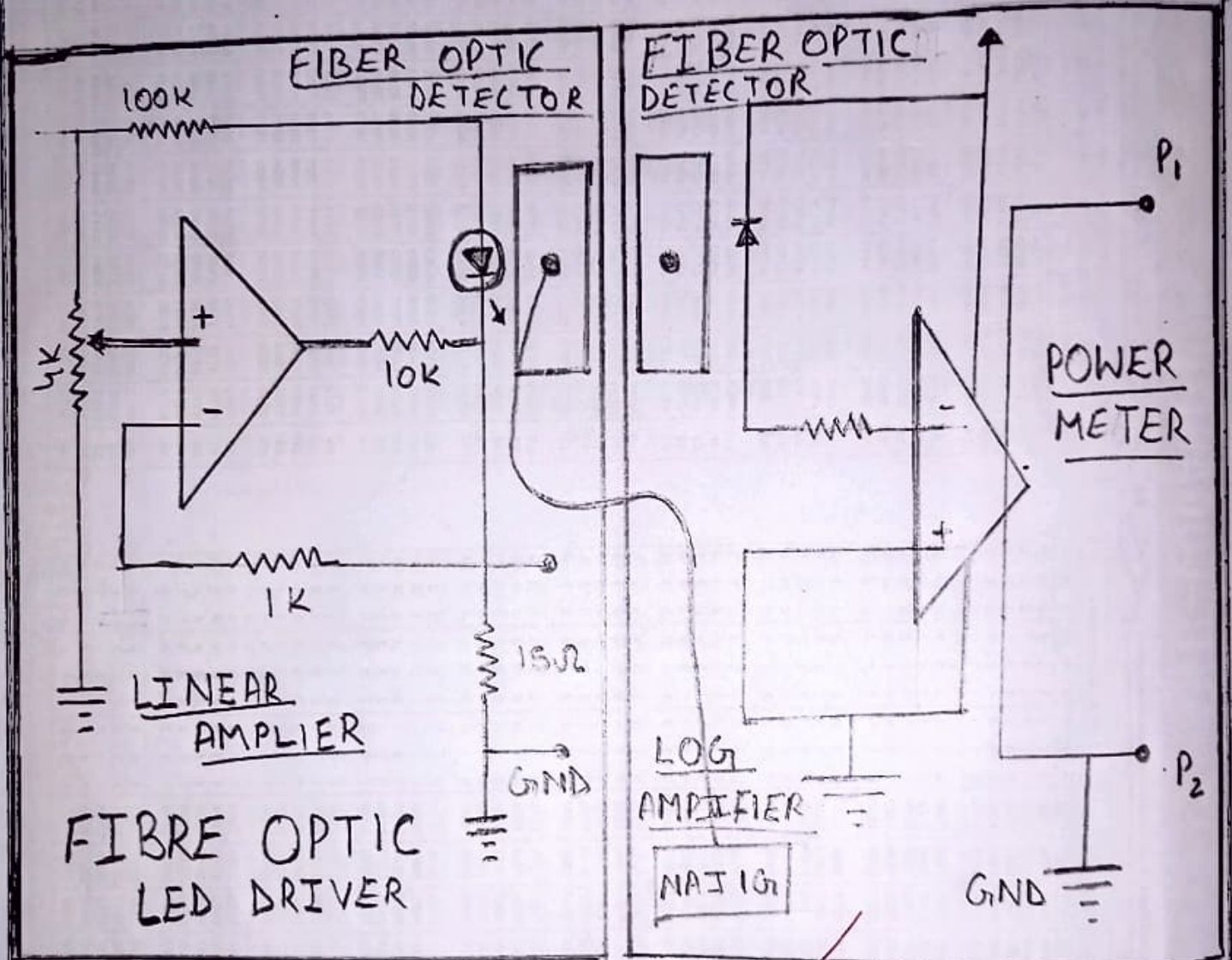
$$NA = \sin \theta_{\text{max}} = \frac{W}{\sqrt{4L^2 + W^2}}$$

where, NA is numerical aperture

$\theta_{\text{max}}$  is the acceptance angle

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# WIRING DIAGRAM





# \* Observation

S.No	L (mm)	W (mm)	NA	$\theta$ (degree)	$2\theta$ (degree)
1.	9	10	0.485	29.01	58.02
2.	14	16	0.496	29.73	59.46
3.	19	20	0.466	27.77	55.54
4.	24	24	0.472	28.16	56.32

$$2\theta_{avg} = 57.34$$

$$NA_{avg} = 0.4797 \approx 0.480$$

$W$  is the diameter of the circle  
 $L$  is the distance between fiber optic cable and diameter of circle.

\* Calculations :-

$$2\theta \text{ avg.} = \frac{58.02 + 59.46 + 55.54 + 56.32}{4}$$

$$2\theta \text{ avg.} = 57.34$$

$$NA \text{ avg.} = \frac{0.485 + 0.496 + 0.466 + 0.472}{4}$$

$$NA \text{ avg.} = 0.480$$

\* Percentage error :-

$$NA \text{ actual (according to lab Manual)} = 0.50$$

$$\% \text{ error} = \frac{0.50 - 0.48}{0.50} = 4.02\% \text{ (approx)}$$

\* Result :-

The numerical aperture is 0.480 and acceptance angle is  $57.34^\circ$ .

\* Precautions :-

- i) The optical fibre must be taut and shouldn't have tures.
- ii) The connection with the trainer must be Tight.
- iii) The length must be measured carefully.
- iv) The circle of light must be clear in the diameter.



Experiment No. - 2\* Aim:-

To determine the various types of losses that occur in optical fibre cables.

\* Material Required:-

Optical fibre, mandrel, micrometer, optical device (power meter).

\* Theory:-

- i) Attenuation is an optical fibre result of a number of effects. Attenuations in a fibre due to macro bending and estimate the losses.
- ii) The loss as a function of the length of the fiber is measurable only when we use a meter cable too in the experiments.
- iii) The optical power at a distance  $L$ , in an optical fiber is given by:-

$$P_L = P_0 \cdot 10^{(-2L/10)} \text{ dB}$$

$\alpha$  is the typical attenuation coefficient value  $P_0$  is the launched power.

- iv) Loss in fibers expressed in decibels is given by  $-10 \log (P_0/P_r)$  where,  $P_0$  is the ~~the~~ launched power and  $P_r$  is power at the forend of the fiber.
- v) Losses in fibers occur at fiber joints or slices due to axial displacement, angular displacement, separation mismatch, of cores diameter, mismatch of numerical apertures, improper

S.NO	$P_0$ (dBm)	Average loss (dBm)	Mean value (dBm)
1.	15.0	0.7	0.625
2.	20.0	0.6	
3.	25.0	0.6	
4.	30.0	0.6	

Figure



# \* Observation

Initial 15 dBm

Turns	Value	diff
n=0	15.0	0.4
n=1	15.4	0.9
n=2	16.8	0.5
n=3	16.8	0.5
n=4	17.8	1.0
n=5	18.3	0.8
n=6	19.1	

Mean = 0.7 dBm

Initial 25 dBm

Turns	Value	diff.
n=0	25	0.6
n=1	25.6	0.5
n=2	26.1	0.7
n=3	26.8	0.4
n=4	27.2	0.4
n=5	27.6	0.7
n=6	28.3	

Mean = 0.6 dBm

Turns	Value	diff
n=0	20	0.8
n=1	20.8	0.7
n=2	21.5	0.6
n=3	22.1	0.5
n=4	22.7	0.4
n=5	23.2	0.4
n=6	23.6	

Mean = 0.6 dBm

Initial 30.6 dBm

Turns	Value	diff.
n=0	30.6	0.5
n=1	31.1	0.8
n=2	31.9	0.5
n=3	32.4	0.5
n=4	32.9	0.5
n=5	32.9	0.5
n=6	33.9	

Mean = 0.6 dBm



cleaning and polishing at the ends.

\* Formula Used :-

The optical power at a distance  $L$ , in an optical fiber is given by:

$$P_L = P_0 (10^{-\alpha L/10}) \text{ dB}$$

where,  $P_0$  is the launched power &  $\alpha$  is attenuation coefficient.

\* Calculations :-

Average losses (dBm)

$$= \frac{(0.7 + 0.6 + 0.6 + 0.6)}{4} \text{ dBm}$$

$$= 0.625 \text{ dBm}$$

The losses should be in between the range of 0.3 and 0.8.

\* Result :-

The losses obtained in the optical fiber is 0.625 dBm.

\* Precautions :-

- i) The reading on micrometer should be recorded with no disturbances and fluctuations.
- ii) Micrometer should be fixed properly with the device to avoid any false reading.
- iii) Optical fiber should be fixed properly between the terminals of device.
- iv) The turns made on the object should be of ~~the~~ same diameter in each condition.

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Experiment - 3

## \* Aim:-

To measure the magnetic flux density along the x-axis of elements coil when the distance b/w them is  $a = R$  [Radius of coil] and when it is greater and less than this.

## \* Material Required:-

Power supply, digital gauss meter, connecting wire, moving magnet, elements coils,

## \* Theory:-

i) field at any point on the axis of current carrying coil.  
Let E and F are two optical point element of coil through which current flowing.

field at P at a distance  $x$  from the centre and a distance  $r$  from element E is

$$\vec{dB} = \frac{\mu}{4\pi} \cdot \left\{ I \left( \frac{d\vec{e} \times \vec{r}}{r^2} \right) \right\}$$

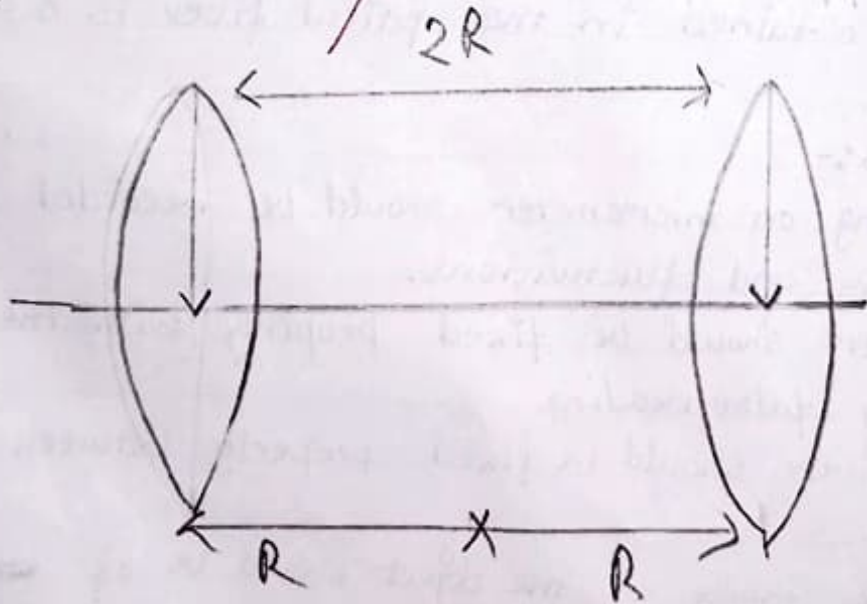
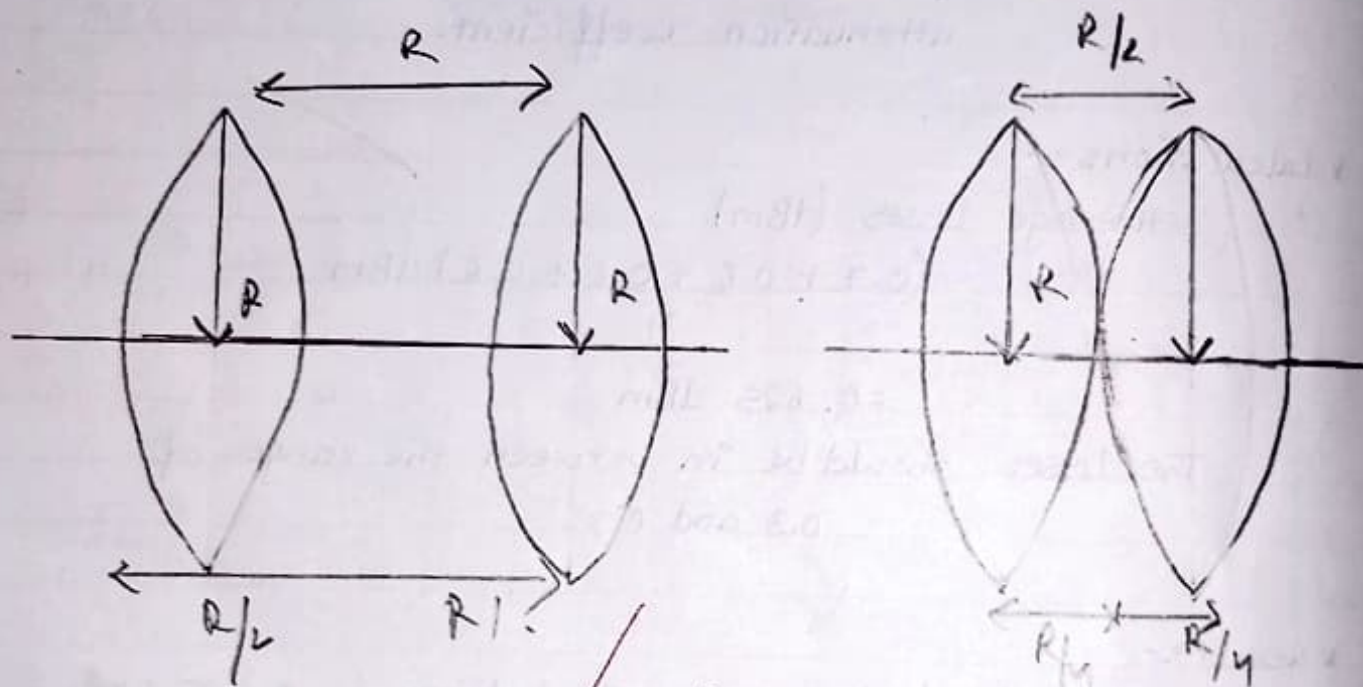
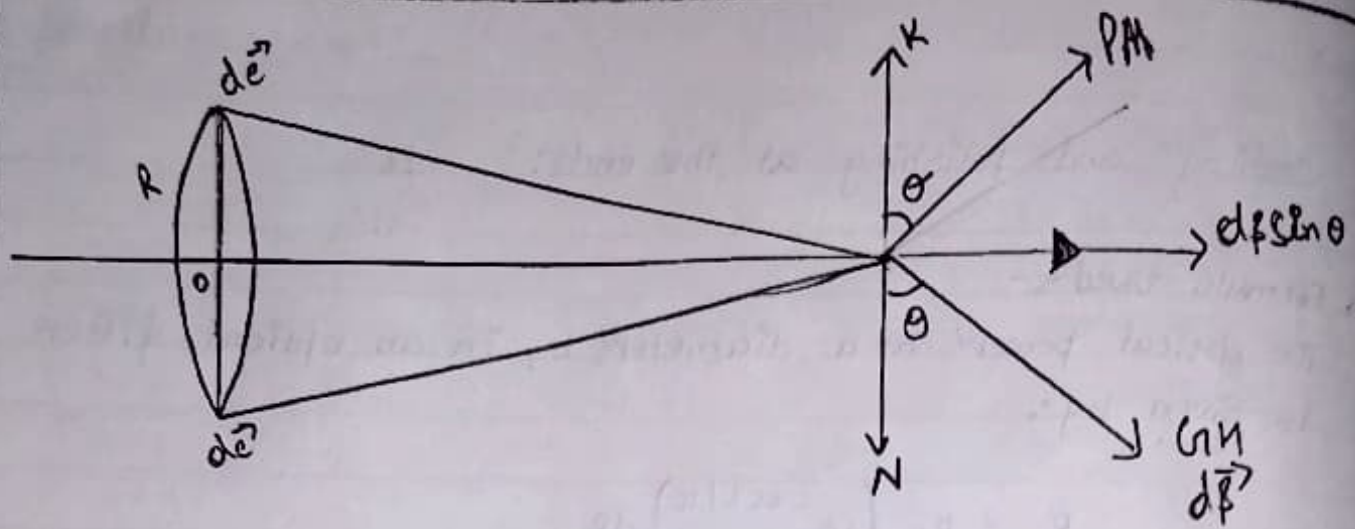
or

$$\vec{dB} = \frac{\mu}{4\pi} \left( \frac{Idl \sin 90^\circ \times r}{r^2} \right)$$

$$\vec{dB} = \frac{\mu}{4\pi} \left( \frac{Idl}{r^2} \right)$$

ii) The same field due to element F diametrically opposite to E acting along LFP. The components  $dB \cos \theta$  get

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\* Observation Table:-

Distance	X (cm)	B ( $a=R/2$ )	B ( $a=R$ )	B ( $a=2R$ )
0	-16.6	0.0	0.0	0.0
2	-14	1.2	1.2	2.0
4	-12	2.4	2.9	4.9
6	-10	4.7	5.6	9.0
8	-8	8.3	9.7	13.7
10	-6	13.3	15.1	16.7
12	-4	20.6	20.9	16.6
14	-2	27.6	25.1	14.2
16	0	32.5	20.9	12.3
18	+2	32.2	25.1	12.5
20	+4	26.9	20.9	14.4
22	+6	19.3	26.7	16.7
24	+8	12.9	24.5	16.6
26	+10	7.5	24.8	15.5
28	+12	4.6	18.9	8.8
30	+14	2.3	8.8	4.9
32	+16	1.0	5.9	2.0
34	+18	0.0	0.0	0.0

cancelled by all diametrically opposite elements. the element  $dB \sin \theta$  get added fall all elements, so field due to whole coil.

$$B = 2\pi R \int dB \sin \theta = \frac{\mu_0}{4\pi} \int_0^{2\pi} \frac{Idl}{R^2} \sin \theta.$$

$$B = \frac{\mu_0 I R^2}{2R^3 \left( \frac{1+x^2}{R^2} \right)^{3/2}} = \frac{\mu_0 I}{2R \left( \frac{1+x^2}{R^2} \right)^{3/2}}$$

$$\text{for } N \text{ coils, } B = \frac{\mu_0 N I}{2R \left( \frac{1+x^2}{R^2} \right)^{3/2}}$$

iii) for two coils separate by distance 'a' then,

$$OP = x_1 = (x_0 - a/2) \text{ for coil } -a_2$$

$$\text{and } a_2P = x_2 = (x_0 + a/2) \text{ for coil } -a_2$$

$x_0$  = distance of point P from the center.

Point C of two when  $CP = x_0$ ,  $O_1'P = x_0$ ,  $O_2'P = x_0$  -  
and  $OP = x_0 + a/2$ .

iv) when  $x_0 = 0$  flux density has a maximum value when  $a < R$  and a minimum value when  $a > R$ .

The curve plotted for these are shown.

when,  $a = R$  the field is virtually same when.

$$-\frac{R}{2} < x < \frac{R}{2}$$

v) the special distribution of field strength b/w a pair of coil in the helmholtz arrangement is measured. The spacing at which a uniform magnetic field is produced and



**\* Result :-**

The graph obtained of the axis distance with respect to magnetic flux  $B$  is very close to the given graph.

**\* Precaution :-**

- i) The current and voltage must fixed to a values and should remain constant for all condition  $a = R/2$ ,  $a = R$  and  $a = 2R$ .
- ii) The connecting wires should be connected properly and all the connection must be tight.
- iii) The of both coins should lies on the same axis on which magnet is moving.

Experiment - 4\* Aim :-

To determine the wavelength of laser light using diffraction grating.

\* Material Required :-

diffraction grating of 300 lines/mm and 800 lines/mm, laser light

\* Theory :-

- i) when a wave hits an obstacle it does not simply go straight past, it bends round the obstacle. The same type of effect occurs at a hole. The waves spread out the outer side of the hole. This phenomenon is called diffraction.
- ii) The effect of diffraction is much more noticeable if the size of the obstacle will diffract a wave of long wavelength than a shorter one.
- iii) when white light enters the grating, the light components are diffracted at angles that are determined by the respective wavelengths.
- iv) By shining a light beam into a grating whose spacing  $d$  is known and measuring the angle where the light is imaged one can measure the wavelength  $\lambda$ . Consider the figure which shows the setup for a diffraction grating experiment. Images of the light will appear at a number of angles -  $\theta_1, \theta_2, \theta_3$  and so on. Relation is given as:

$$d \sin \theta_m = m \lambda$$

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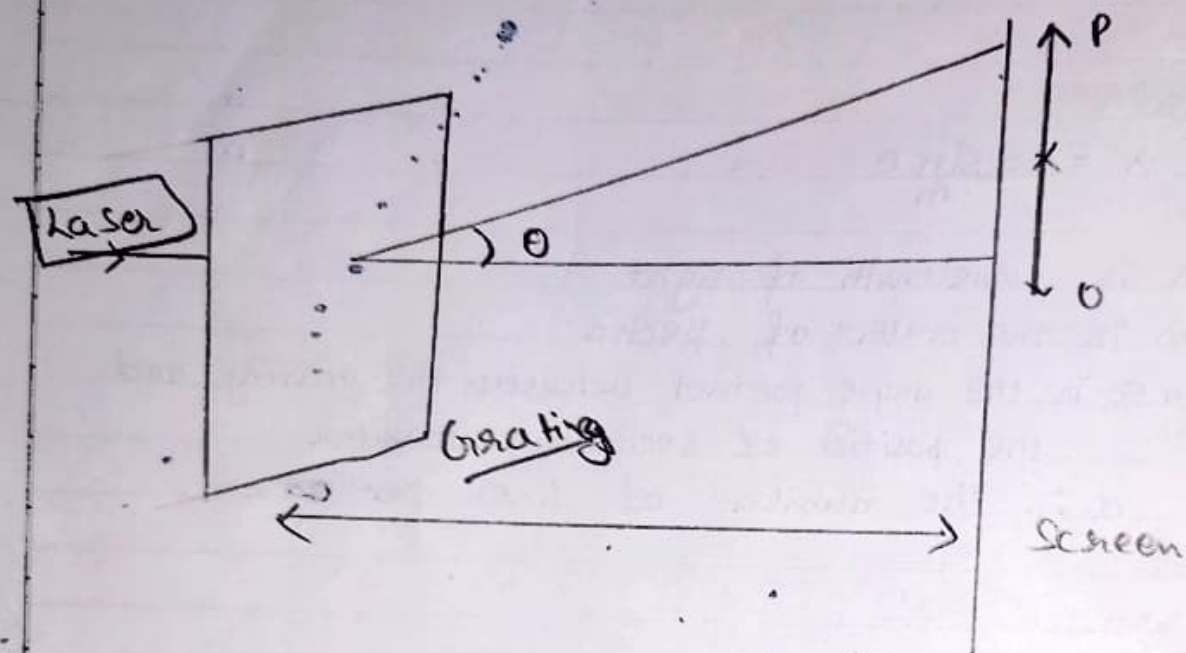
\* Observation Table -

Diffraction Grating — 300 lines/mm ·  $D = 6.5 \text{ cm}$

<u>Order</u>	Distance b/w central maxima and second maxima (cm)	$\lambda$ A° (wavelength)
1.	1.2	6067
2.	2.5	5983

Diffraction Grating — 80 lines/mm ·  $D = 23.6 \text{ cm}$

<u>Order</u>	Distance b/w central maxima and second maxima (cm)	$\lambda$ A° (wavelength)
1.	1.1 cm	5516
2.	2.4 cm	6323





v) The image created at  $\theta_m$  is called the  $m$ th order image. The 0th order image is the light that shines straight through. The image created by this bottom appears at an angle of  $\theta = 0^\circ$  no matter what the grating space is.

\* Formula Used:-

$$\lambda = \frac{d \sin \theta}{m}$$

where,  $\lambda$  is wavelength of light

$m$  is the order of spectra

$\sin \theta$  is the angle formed between the grating and the position of secondary maxima

$d$  is the number of lines per cm.

\* Calculations:-

For 300 lines/mm

$$\text{order 1 } \lambda = \frac{0.1}{300} \times \frac{1.2}{\sqrt{(1.2)^2 + (6.5)^2}} = 6067 \text{ \AA}$$

$$\text{order 2 } \lambda = \frac{0.1 \times 2.5 \text{ cm} \times 1}{300 \sqrt{(2.5)^2 + (6.5)^2}} = 5983 \text{ \AA}$$

For 80 Lines/mm

$$\text{order 1 } \lambda = \frac{0.1}{80} \times \frac{1.1}{\sqrt{(1.1)^2 + (23.6)^2}} = 5816 \text{ \AA}$$

$$\text{order 2 } \lambda = \frac{0.1}{80} \times \frac{2.4}{\sqrt{(2.4)^2 + (23.6)^2}} = 6323 \text{ \AA}$$

$$\lambda_{\text{mean}} = 6047 \text{ \AA}$$

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\* Percentage error :-

$$\left( \frac{6250 - 6047}{6250} \right) \times 100\% = 3.20\%$$

\* Result :-

The wavelength of diodelaser is  $6047 \text{ \AA}$

\* Precaution :-

- i) The grating element and laser should be on same level along with the diode.
- ii) The distance between central maxima and secondary maxima must be measured carefully.
- iii) The distance between element and diode must be measured carefully on optical bench.
- iv) The laser must be kept straight and should not be moved.



## Experiment - 5

### \* Aim :-

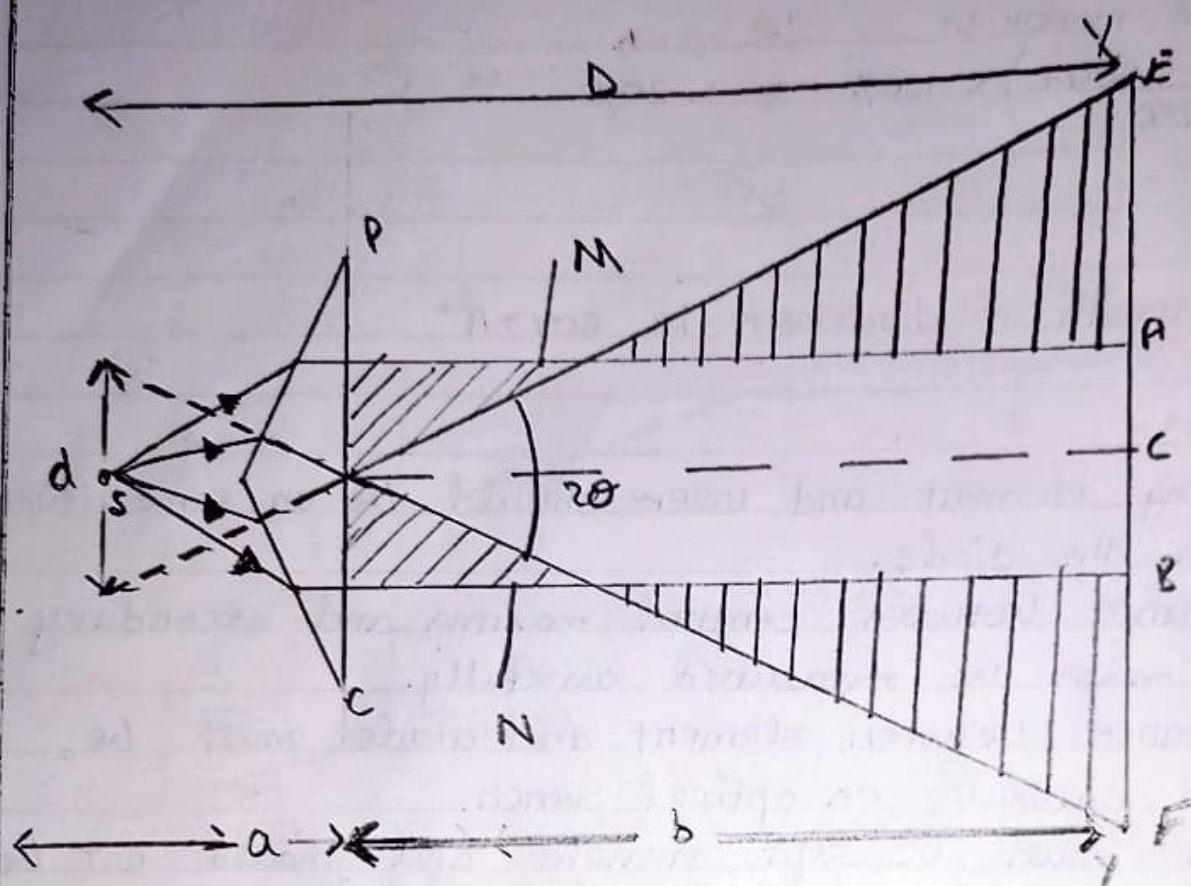
To determine the wavelength of sodium light using Fresnel's Biprism.

### \* Material Required :-

Two convex lenses of focal length 10 cm and 20 cm, Fresnel biprism, eye piece, slit.

### \* Theory :-

- i) Light from a monochromatic source (sodium lamp) is made to fall on a narrow vertical slit & held symmetrically and at a short distance from biprism P held with its refracting edges vertical.
- ii) Each half of the biprism produces a virtual ~~edge~~ image of source of light S by refracting. The distance between S and P is so adjusted that the two virtual images  $S_1$ ,  $S_2$  of the source S lie close together.
- iii) The diagram shows the horizontal cross-section of the arrangement. Thus two coherent sources  $S_1$  and  $S_2$  of monochromatic light from a single source S are obtained.
- iv) The point C on the screen lies at the same distance from  $S_1$  and  $S_2$ . The two waves reaching C reinforce each other and the point C will be center of a bright fringe. Coherent the intensity of light at any point will depend upon the path difference.





S.No	No. of fringes	Micrometer reading (mm)	Difference (mm)	mean of diff. (mm)	fringe width (mm)
1.	n	7.335	1.14	1.233	0.189
2.	n+6	8.475	1.11		
3.	n+12	9.585	1.12		
4.	n+18	10.715	1.16		
5.	n+24	11.835			

$$\beta = 0.189 \text{ mm.}$$

	reading for $S_1$ (a)	reading for $S_2$ (b)	b-a
$d_1$	0.540	7.530	7.01
$d_2$	-0.715	0.875	1.59

### \* Formula Used :-

$$\lambda = \frac{\beta d}{D}$$

where,  $\lambda$  is wavelength of sodium light

$\beta$  is fringe width

$D$  is distance between slit S and eye piece

$d$  is distance between two virtual sources.

### \* Calculations :-

distance between two virtual sources ( $d$ )  $d = \sqrt{d_1 d_2}$   
 $= 3.39 \text{ mm}$

$$D = 106.8 \text{ cm}$$

$$\beta = 0.189 \text{ mm}$$

$$\text{wavelength } (\lambda) = \frac{\beta d}{D} = \frac{0.189}{10} \times \frac{3.39}{10} \times \frac{1}{106.8}$$

$$\lambda = 5991.6 \text{ \AA}$$

### \* Percentage error :-

$$\left( \frac{5991.6 - 5872}{5872} \right) = \left( \frac{118.4}{5872} \right) \times 100\%$$

$$= 2.02\%$$

### \* Result :-

The wavelength of sodium lamp obtained is  $5991.6 \text{ \AA}$ .

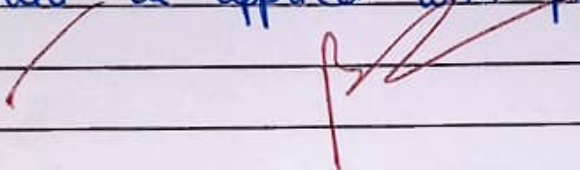
### \* Precautions :-

i) The slit should be very narrow and vertical.

ii) The refracting edge of the bi-prism should be made parallel to slit.

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- iii) There should be no lateral shift of fringes on sliding the upright carrying the eyepiece.
  - iv) To avoid backlash error, screw of the micrometer scale should be moved in same direction.
  - v) while measuring the fringe width, the vertical cross-wire should be made to lie at the center of bright fringe before noting the reading.
  - vi) For measurement of correct value of distance  $D$  index correction should be applied with proper sign.
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## Experiment - 6

## \* Aim :-

To determine the moment of inertia of fly wheel about its own axis of rotation.

## \* Material Required :-

Fly wheel, stop watch, Thin cord, 100g slotted weights (5), Hanger, Meter Rod.

## \* Theory :-

i) if  $h$  = vertical distance through which mass fall then P.E. = K.E. of falling mass + Rotational K.E. of wheel + work done by friction.

$$mgh = \frac{1}{2}mv^2 + \frac{1}{2}I\omega^2 + n_1 f \quad \text{----- (1)}$$

where,  $n_1$  = No. of revolutions made by the winding of cord  
 $n_1 f$  = Total energy spent in over coming friction after the cord leaves the axle.

ii) Let  $n_2$  is the no. of revolutions made by wheel before coming to rest. Hence K.E. =  $\frac{1}{2}I\omega^2$  of wheel is spent in over coming the friction in  $n_2$  revolutions

$$\frac{1}{2}I\omega^2 = n_2 f$$

$$\text{or } f = \frac{I\omega^2}{2n_2} \quad \text{----- (2)}$$

putting 2 in 1 and rearrange we get,

$$I = \frac{2mgh - mv^2}{\omega^2 \left(1 + \frac{n_1}{n_2}\right)} \quad \text{----- (3)}$$

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iii) Angular average velocity =  $\frac{\omega_0 + 0}{2} = \frac{\omega_0}{2}$

If  $t$  is the time taken by wheel before coming to rest, average velocity  $\left(\frac{\omega_0}{2}\right)$  = total angle described in  $n_2$  revolution.

$$\frac{\omega_0}{2} = \frac{2\pi n_2}{t}$$

$$\boxed{\omega = \frac{4\pi n_2}{t}} \quad \text{--- (4)}$$

(iv) If  $h$  = height through which mass  $m$  falls and is equal to length of cord wound on axle in  $n_1$  windings.  
i.e.

$$h = 2\pi r n_1 \quad \text{--- (5)}$$

Putting 4 and 5 in equation 3 on rearranging we get

$$I = \frac{mgr n_1 t^2}{4\pi n_2 (n_1 + n_2)} - \frac{mr^2 n_2}{n_1 + n_2} \quad \text{--- (6)}$$

v) From equation (6) the value of 1st term is very large as compared to the second term and so the second term is neglected. Hence,

$$I = \frac{mgr n_1 t^2}{4\pi n_2 (n_1 + n_2)}$$

\* Formula Used :-

$$I = \frac{mgr n_1 t^2}{4\pi n_2 (n_1 + n_2)}$$

where,  $m$  is mass of weights taken

$g$  is acceleration due to gravity

$t$  is time taken by flywheel to come to rest.

$n_1$  is no. of revolutions of winding of cord.

$n_2$  is total no. of revolution made by wheel before coming to rest.

\* Calculations :-

$$g = 980 \text{ cm/s}^2 \quad \text{and} \quad r = 1.02 \text{ cm}$$

$$I_1 = \frac{100 \times 980 \times 1.02 \times 71^2}{4 \times 3.14 \times 60 \times 71} = 1.04 \times 10^5 \text{ g/cm}^2$$

$$I_2 = \frac{200 \times 980 \times 1.02 \times 95^2}{4 \times 3.14 \times 108 \times 119} = 1.23 \times 10^5 \text{ g/cm}^2$$

$$I_3 = \frac{300 \times 980 \times 1.02 \times 112^2}{4 \times 3.14 \times 160 \times 171} = 1.21 \times 10^5 \text{ g/cm}^2$$

$$I_4 = \frac{400 \times 980 \times 1.02 \times 132^2}{4 \times 3.14 \times 219 \times 230} = 1.21 \times 10^5 \text{ g/cm}^2$$

$$I_5 = \frac{500 \times 980 \times 1.02 \times 262^2}{4 \times 3.14 \times 262 \times 273} = 1.25 \times 10^5 \text{ g/cm}^2$$

$$\text{Mean of best three values} = 1.15 \times 10^5 \text{ g/cm}^2$$

\* Percentage Error :-

$$\text{Original value} = 1.15 \times 10^5 \text{ g/cm}^2$$

$$\% \text{ error} = \left( \frac{1.15 - 1}{1} \right) \times 100\% = 15\%$$

\* Result :-

The moment of inertia obtained of the flywheel is about its own axis of rotation is  $1.15 \times 10^5 \text{ g/cm}^2$ .

\* Precautions :-

i) The loop should be quite loose so that it slips off the axle as soon as string has unwound itself.

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- ii) The length of the string should be little less than the height of axle above.
  - iii) The string should be thin and be wound completely and uniformly on the axle.
  - iv) The timing and the counting of the revolution should start from the instant the mass goes off the peg.
  - v) There should be least possible friction at the bearing.
  - vi) There should be the confirmation that wheel should make about 100 revolutions before stopping.
- 