# DSC630\_Week8\_Assignment\_Guruprasad- Part1-Using R

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```
library(readxl)
library(dplyr)
library(lubridate)
library(readr)
library(ggplot2)
library(ggthemes)
library(tidyr)
library(DT)
library(scales)
library(stringr)
library(knitr)
library(FactoMineR)
library(ggpubr)
library(kableExtra)
library(magrittr)
library(ggfortify)
library(visdat)
library(janitor)
library(Metrics)
```

```
# Reading the source file and creating a Dataframe
retail_df_orig <- read.csv("us_retail_sales.csv", stringsAsFactors = FALSE)
# Printing dimensions of the Dataframe
dim(retail_df_orig)</pre>
```

```
## [1] 30 13
```

1. Plot the data with proper labeling and make some observations on the graph.

```
# Formatting the column names to camel case for display purpose
retail_df_orig <- retail_df_orig %>%
    clean_names(case = "big_camel")
# Printing the top few rows from the Dataframe
kbl(head(retail_df_orig[1:6, ]), caption = "Retail Sales Data", booktabs = T) %>%
    kable_styling(latex_options = c("striped", "hold_position"))
```

Table 1: Retail Sales Data

Year	Jan	Feb	Mar	Apr	May	Jun	Jul	Aug	Sep	Oct	Nov	Dec
1992	146925	147223	146805	148032	149010	149800	150761	151067	152588	153521	153583	155614
1993	157555	156266	154752	158979	160605	160127	162816	162506	163258	164685	166594	168161
1994	167518	169649	172766	173106	172329	174241	174781	177295	178787	180561	180703	181524
1995	182413	179488	181013	181686	183536	186081	185431	186806	187366	186565	189055	190774
1996	189135	192266	194029	194744	196205	196136	196187	196218	198859	200509	200174	201284
1997	202371	204286	204990	203399	201699	204675	207014	207635	208326	208078	208936	209363

```
# For formatting reasons changing the format of the dataframe from Columns to
# Rows using the gather function
retail_df <- retail_df_orig %>%
    gather(key = Month, value = Sales, -Year) %>%
    arrange(Year)
# Printing data after reshaping
kbl(head(retail_df[1:6, ]), caption = "Retail Sales Data (after Reshaping)", booktabs = T) %>%
    kable_styling(latex_options = c("striped", "hold_position"))
```

Table 2: Retail Sales Data (after Reshaping)

Year	Month	Sales
1992	Jan	146925
1992	Feb	147223
1992	Mar	146805
1992	Apr	148032
1992	May	149010
1992	$\operatorname{Jun}$	149800

```
# Examining the structure of the dataframe
str(retail_df)
```

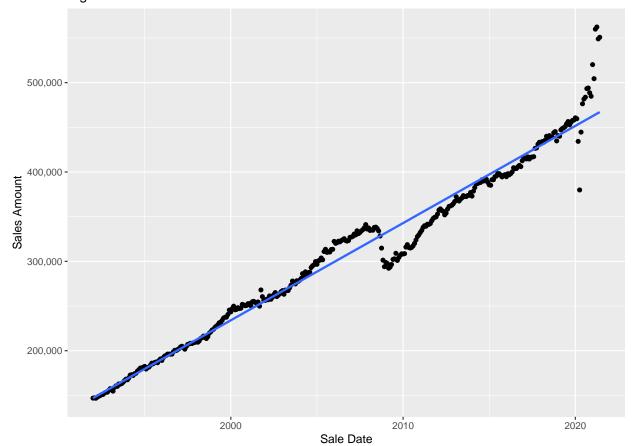
```
kbl(head(retail_df[1:10, ]), caption = "Retail Sales Data (after Formatting)", booktabs = T) %>%
kable_styling(latex_options = c("striped", "hold_position"))
```

Table 3: Retail Sales Data (after Formatting)

Year	Month	Sales	Sale_Date
1992	Jan	146925	1992-01-01
1992	Feb	147223	1992-02-01
1992	Mar	146805	1992-03-01
1992	Apr	148032	1992-04-01
1992	May	149010	1992-05-01
1992	$\operatorname{Jun}$	149800	1992-06-01

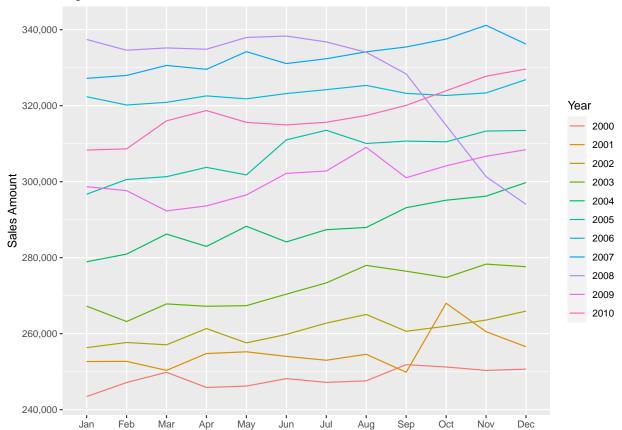
```
# Plotting a scatter plot of Sales vs Sale date with a linear regression line
ggplot(retail_df, aes(Sale_Date, Sales)) + geom_point() + geom_smooth(method = "lm",
    se = FALSE) + scale_y_continuous(labels = comma) + labs(title = "Figure 1 - Sales vs Sale date",
    x = "Sale Date", y = "Sales Amount")
```

Figure 1 - Sales vs Sale date



*Observations:* From the plot it appears the sales increased over time. However there is a drop in 2009 which may due to the global recession. Also there is a drop in 2020 due to Covid Pandemic.

Figure 2 - Sales Data from 2000-2010



**Observations:** From the 2000 to 2010 plot, it appears the sales in first half of 2008 was higher and the sales dropped significantly during the second half due to Global recession. Also the sale numbers in 2007 was higher than 2009 and 2010 due to the recession.

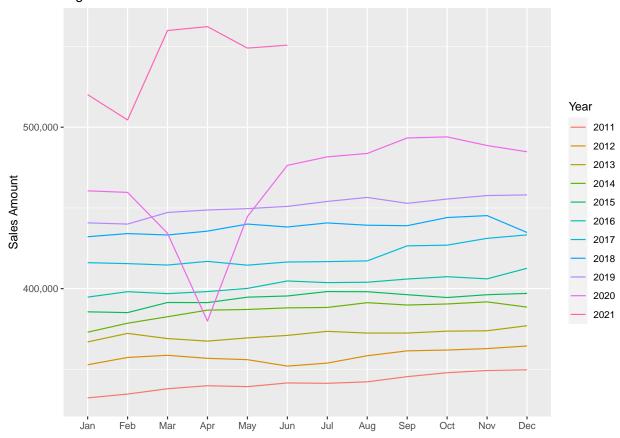


Figure 3- Sales Data from 2011-2021

Observations: From the 2011 to 2021 plot, the sales were pretty flat for most of the years except for 2020 and 2021. There is huge dip in the sales between 2020 March to June which coincides with the period when Covid hit the US. Also the sale recovered rapidly and the numbers were higher in the first half of 2021 compared to rest of the years. As the dataset only contained data until June 2021, the 2021 line only extends through half of the year.

2. Split this data into a training and test set. Use the last year of data (July 2020 – June 2021) of data as your test set and the rest as your training set.

```
# Creating Training data with Sale date before 2020 June and only selecting the
# sale date and Sales columns
train_data <- retail_df %>%
    select(Sale_Date, Sales) %>%
    filter(Sale_Date <= "2020-06-01")
# Creating Training data with Sale date after 2020 June and only selecting the
# sale date and Sales columns
test_data <- retail_df %>%
    select(Sale_Date, Sales) %>%
    filter(Sale_Date >= "2020-07-01")
```

```
# Printing rows from Training dataset
kbl(head(train_data[1:6, ]), caption = "Training Dataset", booktabs = T) %>%
    kable_styling(latex_options = c("striped", "hold_position"))
```

Table 4: Training Dataset

Sale_Date	Sales
1992-01-01	146925
1992-02-01	147223
1992-03-01	146805
1992-04-01	148032
1992-05-01	149010
1992-06-01	149800

```
# Printing rows from Test dataset
kbl(head(test_data[1:6, ]), caption = "Test Dataset", booktabs = T) %>%
    kable_styling(latex_options = c("striped", "hold_position"))
```

Table 5: Test Dataset

Sale_Date	Sales
2020-07-01	481627
2020-08-01	483716
2020-09-01	493327
2020-10-01	493991
2020-11-01	488652
2020-12-01	484782

3. Use the training set to build a predictive model for the monthly retail sales.

 $Building\ a\ Linear\ Regression\ model\ using\ R$ 

```
# Creating a Linear Regression model from Sale date in Training data to predict
# the Sales
reg_model <- lm(Sales ~ Sale_Date, data = train_data)</pre>
```

```
# Printing the summary of Regression model
summary(reg_model)
```

```
##
## Call:
## lm(formula = Sales ~ Sale_Date, data = train_data)
## Residuals:
             1Q Median
##
     Min
                           3Q
                                 Max
## -66948 -4802
                  -642
                         7813 27753
##
## Coefficients:
##
                Estimate Std. Error t value Pr(>|t|)
## (Intercept) -79588.259 3105.098 -25.63
                                              <2e-16 ***
## Sale_Date
                  28.683
                              0.229 125.27
                                              <2e-16 ***
```

```
## ---
## Signif. codes: 0 '***' 0.001 '**' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 12720 on 340 degrees of freedom
## Multiple R-squared: 0.9788, Adjusted R-squared: 0.9787
## F-statistic: 1.569e+04 on 1 and 340 DF, p-value: < 2.2e-16</pre>
```

**Observations:** The R-squared value is very high and is close to 0.98, so there is a chance that the model may be overfitted. Also the P values are in acceptable range of lesser than 0.05.

4. Use the model to predict the monthly retail sales on the last year of data.

```
# Creating a tibble of Sale date from test data to be used to predict using the
# model
explanatory_data <- tibble(Sale_Date = test_data$Sale_Date)
# Adding a new column called Predicted sales in test data with the prediction
# results
test_data <- test_data %>%
    mutate(predicted_sales = predict(reg_model, explanatory_data))
test_data$predicted_sales <- as.integer(test_data$predicted_sales)</pre>
```

```
# Printing rows from Test dataset with Prediction results
kbl(head(test_data[1:6, ]), caption = "Test Dataset (with Predicted sales)", booktabs = T) %>%
    kable_styling(latex_options = c("striped", "hold_position"))
```

Table 6:	Test Dataset	(with Predicted sales)	j

Sale_Date	Sales	$predicted\_sales$
2020-07-01	481627	449450
2020-08-01	483716	450339
2020-09-01	493327	451228
2020-10-01	493991	452089
2020-11-01	488652	452978
2020-12-01	484782	453838

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Figure 4- Residuals vs Sale date in Test data

5. Report the RMSE of the model predictions on the test set.

```
# Calculating the Root Mean square error
rmse(test_data$Sales, test_data$predicted_sales)
```

#### ## [1] 66429.51

**Observations** The results of RMSE indicates that there is an error of upto \$64500 in the Sales predictions by the model. As the Linear regression may not be the best choice for preidting Time series data, a different method will be used using Python.

# Part2 - Model building Using Python

As the Simple Linear Regression may not be a great choice for predicting Time series data, Holt Winters method is used using Python to build the model.

```
In [1]:
        # Importing the required libraries
        import pandas as pd
        import numpy as np
        from matplotlib import pyplot as plt
        from statsmodels.tsa.holtwinters import ExponentialSmoothing as HWES
        # Creating a Dataframe After reading the retails_df file imported from the manipulation done in R
In [2]:
        retail df = pd.read csv('retail df.csv', header=0, infer datetime format=True, parse dates=[1]
                                 , index_col=[1]
        # Setting the index frequency as Months
        retail df.index.freq = 'MS'
In [3]: # Printing the top few rows in the dataframe
        retail df.head()
Out[3]:
                      Sales
          Sale Date
        1992-01-01 146925
        1992-02-01 147223
        1992-03-01 146805
        1992-04-01 148032
        1992-05-01 149010
```

```
In [4]: # Setting the index frequency as Months
        retail_df.index.freq = 'MS'
In [5]: # Splitting the dataset into Train and test sets
        retail_df_train=retail_df.loc[:"2020-06-01"]
        # Data from July 2020 until June 2021 are used as Test datasets
        retail_df_test = retail_df.loc["2020-07-01":]
In [6]: # Printing the data in the Test dataset
        retail df test
Out[6]:
                      Sales
          Sale_Date
        2020-07-01 481627
        2020-08-01 483716
        2020-09-01 493327
        2020-10-01 493991
        2020-11-01 488652
        2020-12-01 484782
        2021-01-01 520162
        2021-02-01 504458
        2021-03-01 559871
        2021-04-01 562269
        2021-05-01 548987
        2021-06-01 550782
In [7]: | # Building a model object using Holt winters with period set to 12
        holtwinter model = HWES(retail df train, seasonal periods=12, trend='add', seasonal='mul')
        # Fitting the model
```

```
fitted_object = holtwinter_model.fit()
```

C:\Users\Gurup\anaconda3\_2021.11\lib\site-packages\statsmodels\tsa\holtwinters\model.py:915: ConvergenceWarning: Opti mization failed to converge. Check mle\_retvals. warnings.warn(

In [8]: # Printing the summary of the Model print(fitted\_object.summary())

## ExponentialSmoothing Model Results

==========	=======================================		=======================================
Dep. Variable:	Sales	No. Observations:	342
Model:	ExponentialSmoothing	SSE	11844033536.443
Optimized:	True	AIC	5969.216
Trend:	Additive	BIC	6030.573
Seasonal:	Multiplicative	AICC	5971.333
Seasonal Periods:	12	Date:	Sat, 03 Feb 2024
Box-Cox:	False	Time:	19:18:26
Box-Cox Coeff.:	None		

	coeff	code	optimized
smoothing_level	0.9242857	alpha	True
smoothing trend	0.0001	beta	True
smoothing_seasonal	0.0432653	gamma	True
initial_level	1.4979e+05	1.0	True
initial_trend	887.75783	b.0	True
<pre>initial_seasons.0</pre>	0.9999993	s.0	True
<pre>initial_seasons.1</pre>	0.9956907	s.1	True
<pre>initial_seasons.2</pre>	0.9967751	s.2	True
<pre>initial_seasons.3</pre>	1.0002459	s.3	True
<pre>initial_seasons.4</pre>	1.0005226	s.4	True
<pre>initial_seasons.5</pre>	1.0004347	s.5	True
<pre>initial_seasons.6</pre>	0.9999762	s.6	True
<pre>initial_seasons.7</pre>	1.0000104	s.7	True
<pre>initial_seasons.8</pre>	1.0008482	s.8	True
<pre>initial_seasons.9</pre>	1.0002168	s.9	True
<pre>initial_seasons.10</pre>	1.0009653	s.10	True
<pre>initial_seasons.11</pre>	1.0043148	s.11	True

In [9]: # Predicting the sales using forecast function and stepps are set to 12 to predict 12 month sales

```
sales_forecast = fitted_object.forecast(steps=12)
         sales forecast.head()
 Out[9]: 2020-07-01
                       474871.718730
         2020-08-01
                       475695.133314
         2020-09-01
                       475856.047180
         2020-10-01
                       477395.170172
         2020-11-01
                       478259.621682
         Freq: MS, dtype: float64
In [10]: | #plot the training data, the test data and the forecast on the same plot
         # Assigning the Title to the plot
         plt.title('Figure 5- Retail Sales from 1992-2021')
         plt.ylabel('Sale Amount')
         # Creating an object for the Past sales using the Training Dataset
         past, = plt.plot(retail df train.index, retail df train, 'b.-', label='Sales History')
         # Creating an object for the Future sales using the Test Dataset
         future, = plt.plot(retail df test.index, retail df test, 'r.-', label='Actual Sales')
         # Creating an object for the Predicted sales using the Prediction numbers
         predicted future, = plt.plot(retail df test.index, sales forecast, 'g.-', label='Sales Forecast')
         plt.legend(handles=[past, future, predicted future])
         plt.show()
```

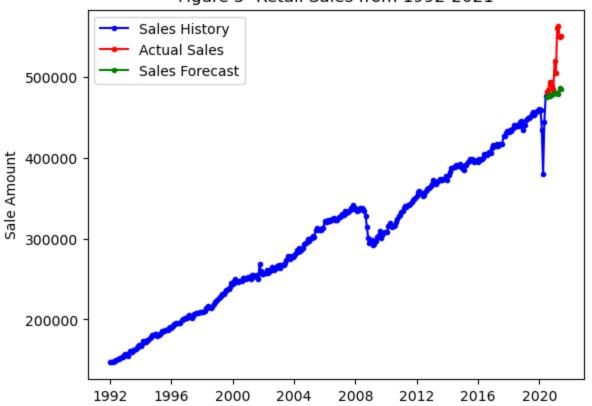


Figure 5- Retail Sales from 1992-2021

The Plot indicates that the Actual sales were higher than the predicted sales . The Root mean square error is calculated in the next step that shows the expected error in the predictions

```
In [11]: from sklearn.metrics import mean_absolute_error,mean_squared_error,r2_score
    def create_regression_metrics(y_obj,predicted_tgt):
        """
        This function takes the Predicted values as input and returns the results RMSE
        """
        # using mean_squared_error function to calculate the MSE
        mse=mean_squared_error(y_obj,predicted_tgt)
        print(f"MSE: {mse}")
        # using mean_squared_error function to calculate the RMSE by taking square root of MSE
        rmse= np.sqrt(mean_squared_error(y_obj,predicted_tgt))
        print(f"RMSE: {rmse}")
        return (rmse)
```

```
In [12]: # Calculating the RMSE using the Holt winters model
    create_regression_metrics(retail_df_test,sales_forecast)
```

MSE: 2056170184.524826 RMSE: 45345.01278558455

Out[12]: 45345.01278558455

The RMSE results indicates that we can expect an error upto approximately 45000 in the Sales predictions which is lower than the RMSE using simple linear regression in R.