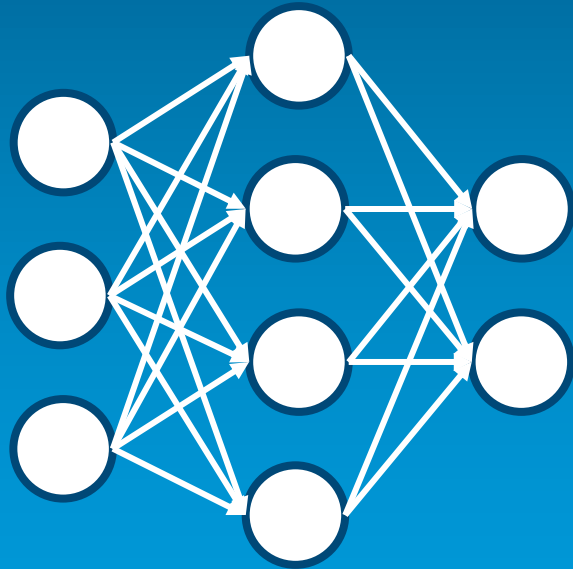


Reinforcement Learning Applied to Autonomous Vehicles



GUYOT Antonin



Content

- Context
 - QCAR presentation
 - Reinforcement Learning introduction
- Strategy and results
 - Bicycle model control
 - Simulation with MATLAB/Simulink
 - HiL integration
- Conclusion



QCAR presentation

- Developed by Quanser
- MATLAB Toolbox
- Control with WiFi
- LIDAR, 360 Vision, RGBD Camera, Accelerometers





Reinforcement Learning (RL) introduction

- RL => an agent tries to learn a policy by trial and error

- Setup :
 - Observations
 - Actions
 - Reward

- DDPG => Policy Iteration (actor/critic architecture)
 - Actor applies the policy
 - Critic looks at the associated reward to tune the policy



Reinforcement Learning (RL) introduction

- Actor-critic network

- Q-value

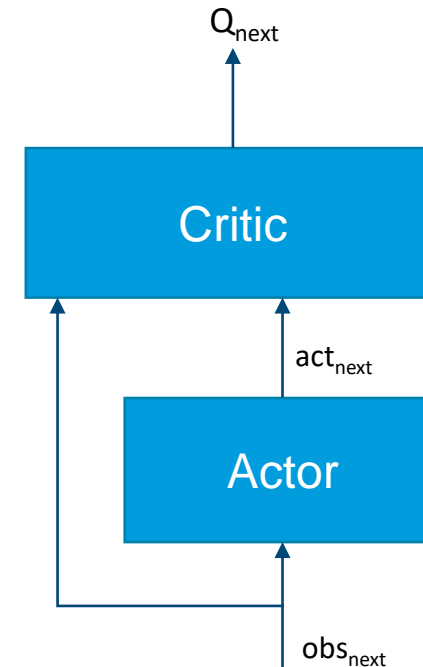
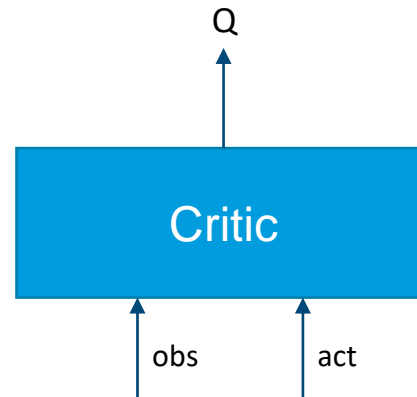
- $Q = reward + \gamma \cdot Q_{next}$

- Train actor : Maximize Q

- Train critic : Minimize $Q - (reward + \gamma Q_{next})$

- Replay Buffer

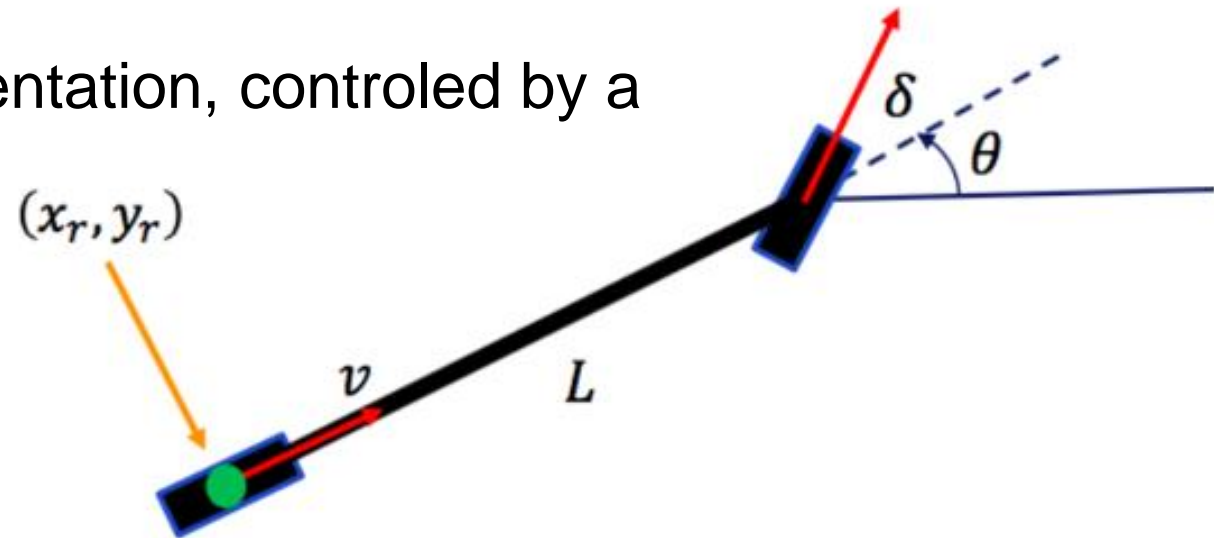
$[< obs, act, reward, obs_{next} >]$





Bicycle model control

- Simplified representation of a 4 wheels vehicle
- 2 wheels, one steering wheel
- Represented by a position and an orientation, controled by a velocity and a steering angle
 - $\dot{x}_r = v \cdot \cos(\theta)$
 - $\dot{y}_r = v \cdot \sin(\theta)$
 - $\dot{\theta} = \frac{v}{L} \cdot \tan(\gamma)$



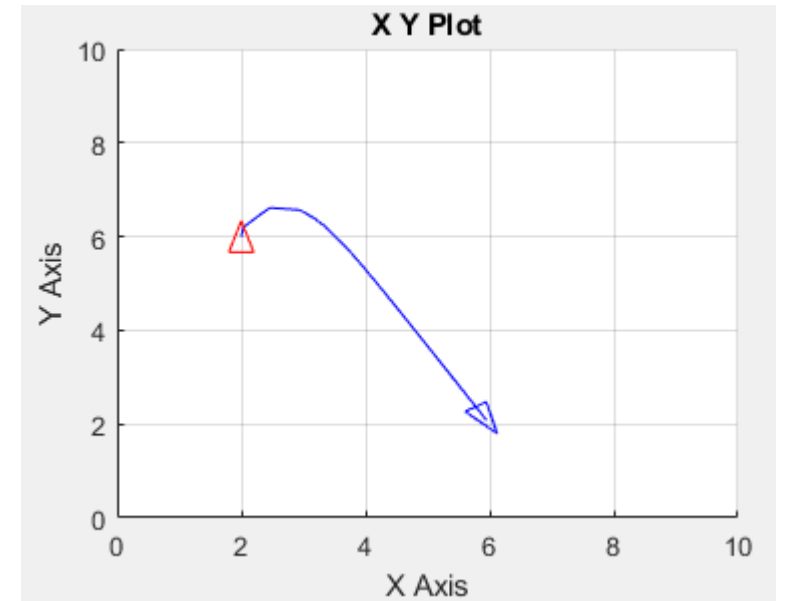
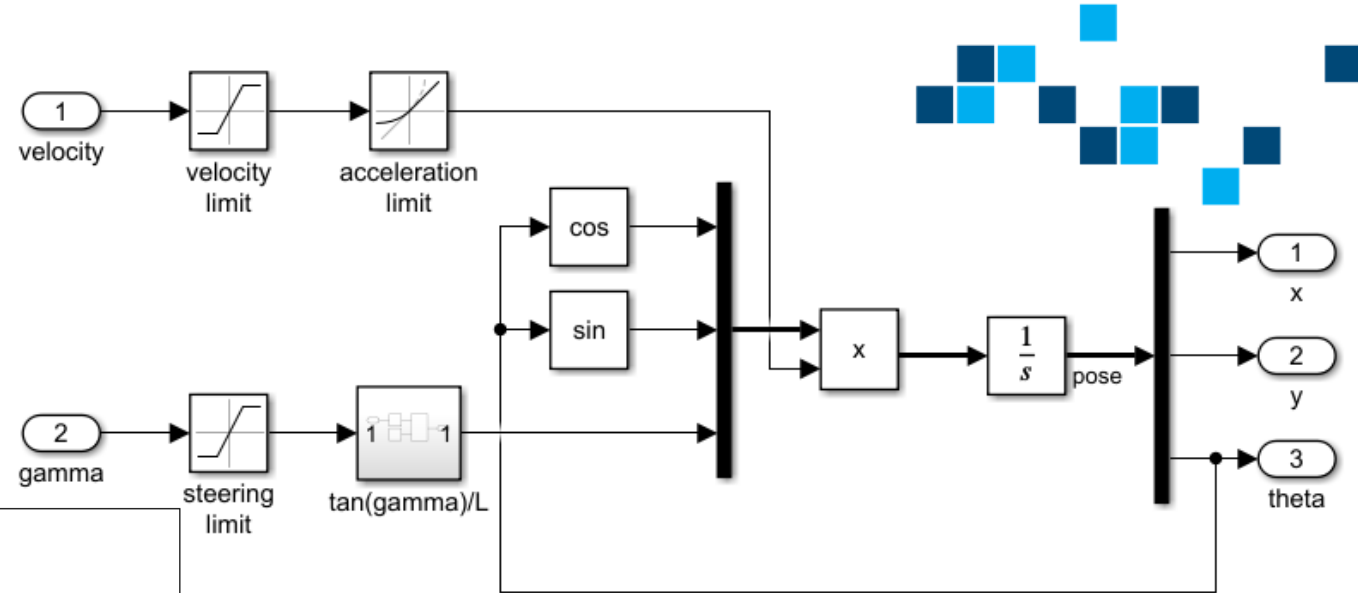
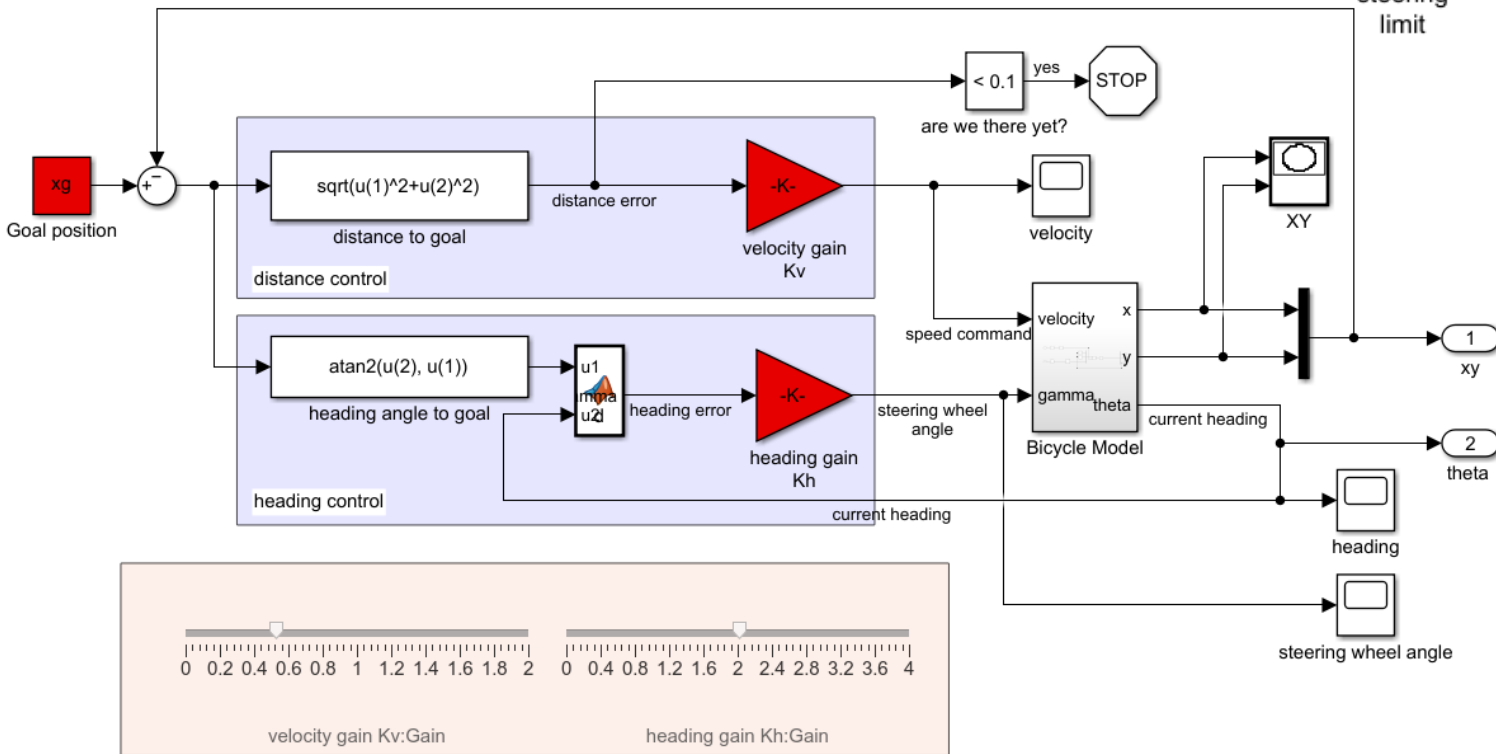


Bicycle model control

- To get started => work of Peter Corke
- Point to point control
 - Goal of coordinates (x_g, y_g)
 - $v = K_v \cdot \sqrt{(x_g - x_r)^2 + (y_g - y_r)^2}$
 - $\gamma = K_h \cdot (\tan^{-1} \left(\frac{y_g - y_r}{x_g - x_r} \right) - \theta)$

Bicycle model control

■ Simulink Model

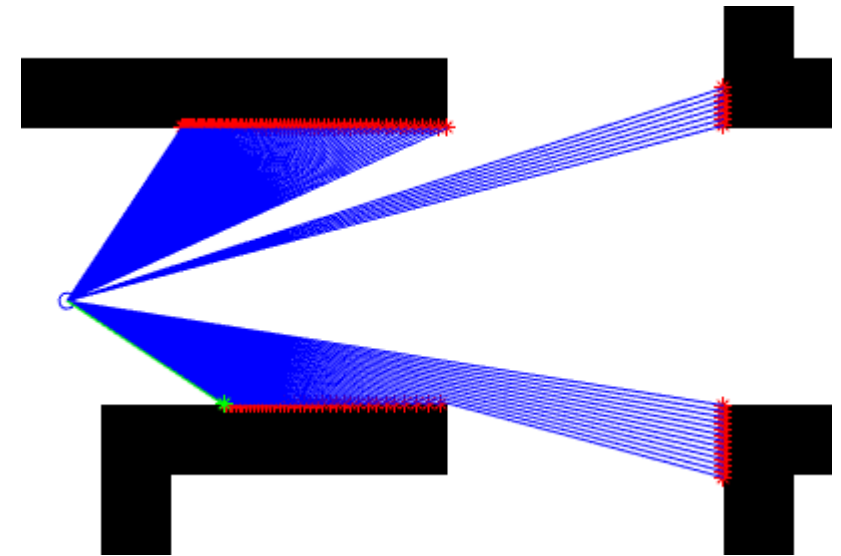
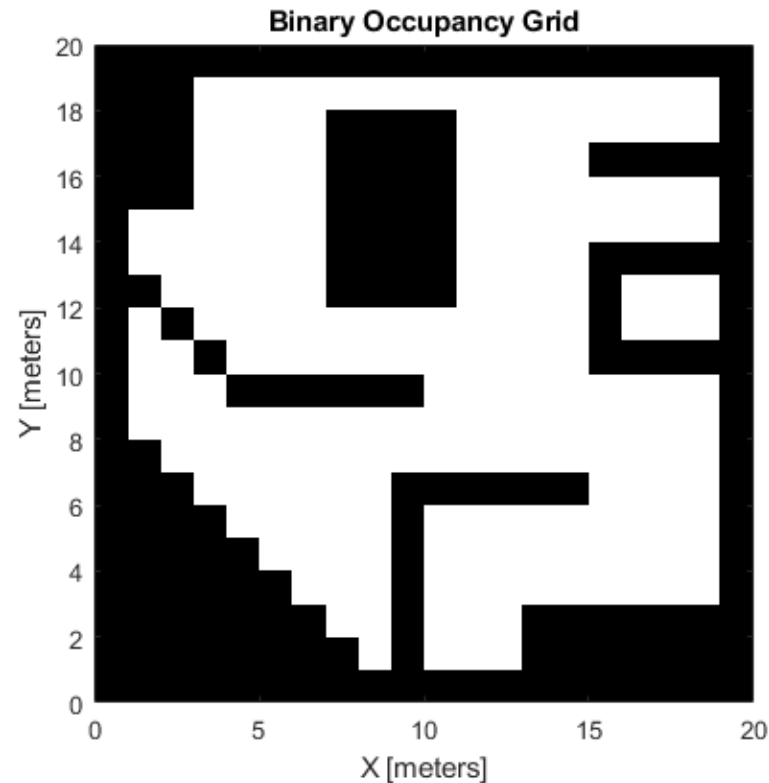




Simulation with MATLAB Simulink

- Modelisation of the components

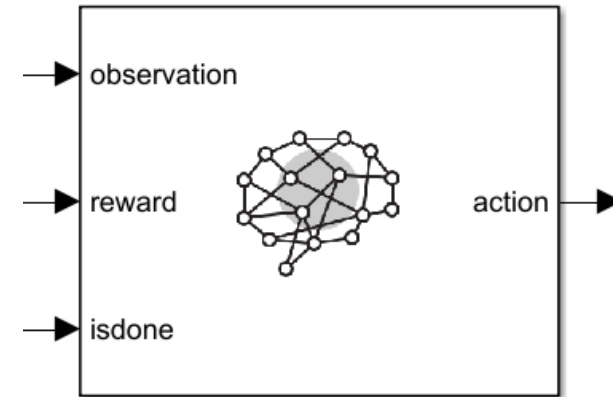
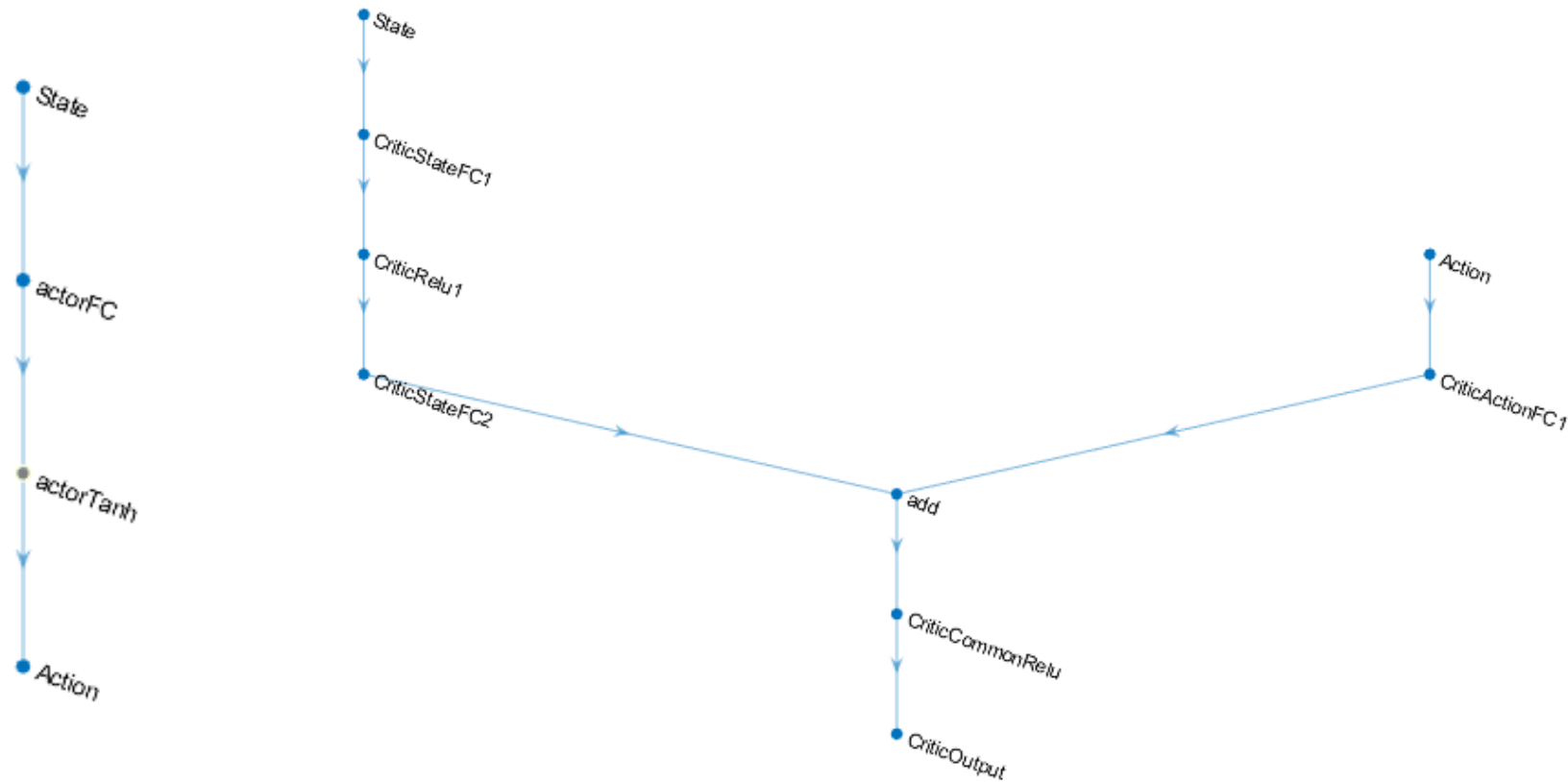
- Environment
- LIDAR





Simulation with MATLAB Simulink

■ RL Toolbox

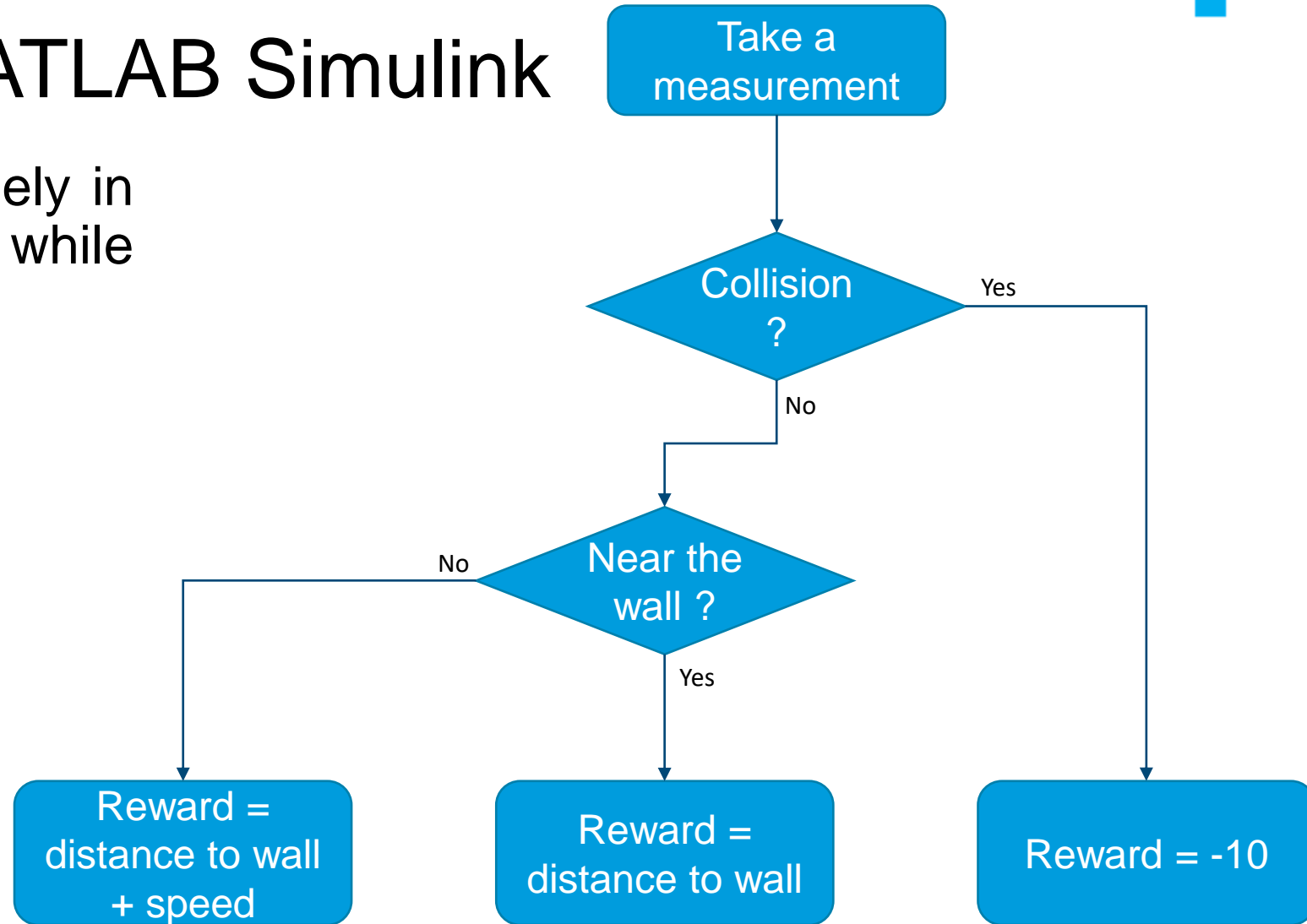




Simulation with MATLAB Simulink

First experiment : move freely in a space with obstacles while avoiding them

- Observations
- Actions
 - Velocity control
 - Steering control
- Reward

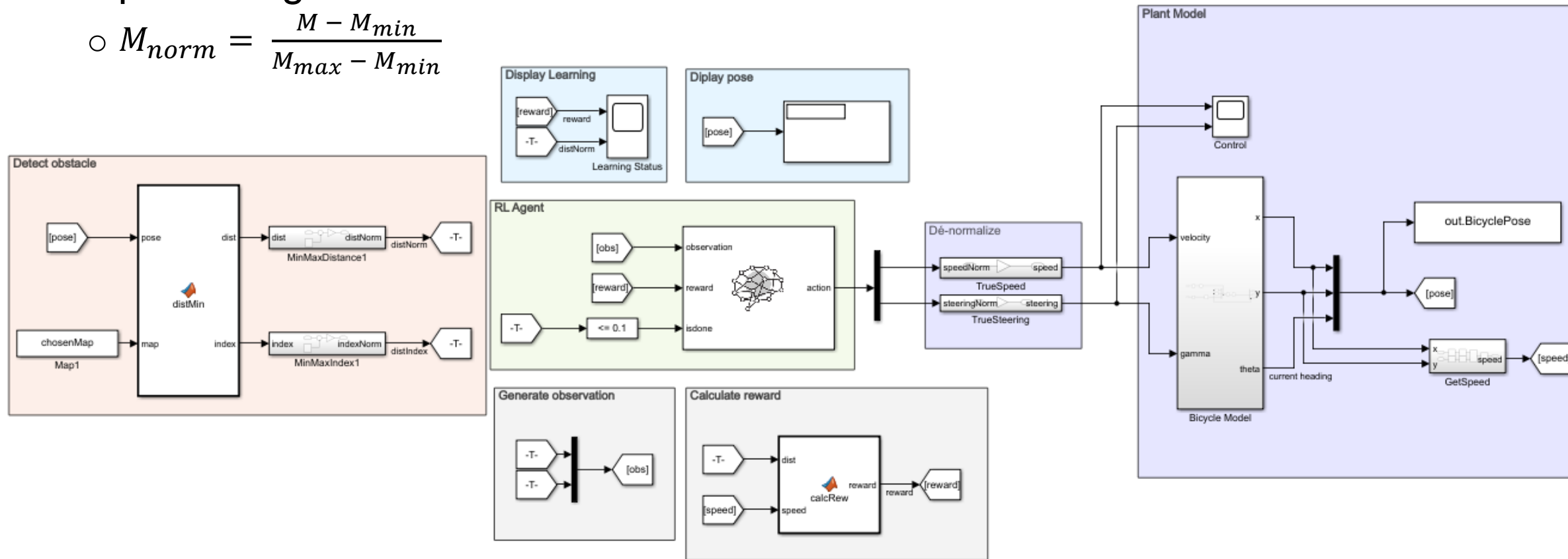




Simulation with MATLAB Simulink – Obstacle

- Help convergence : MinMax normalization

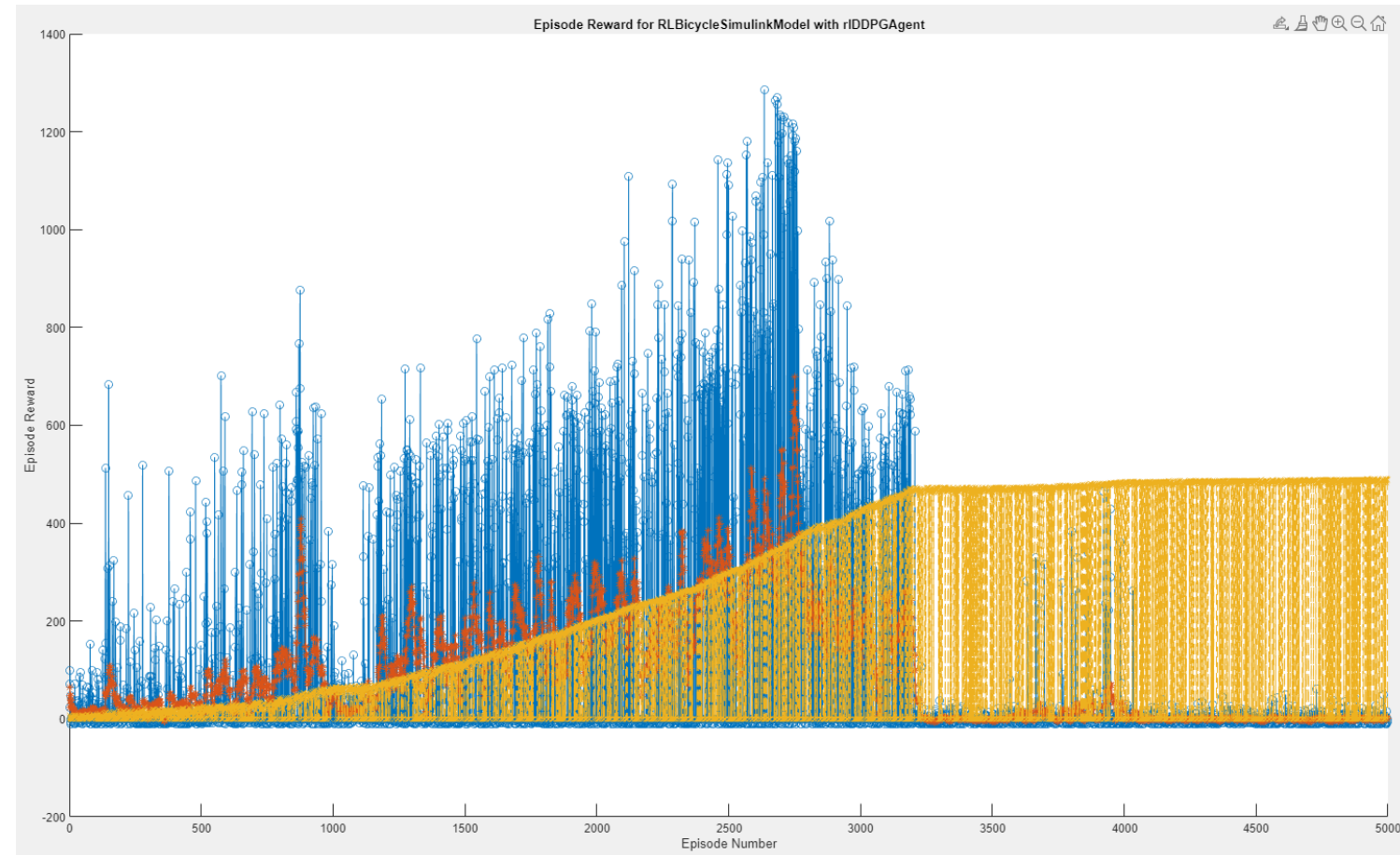
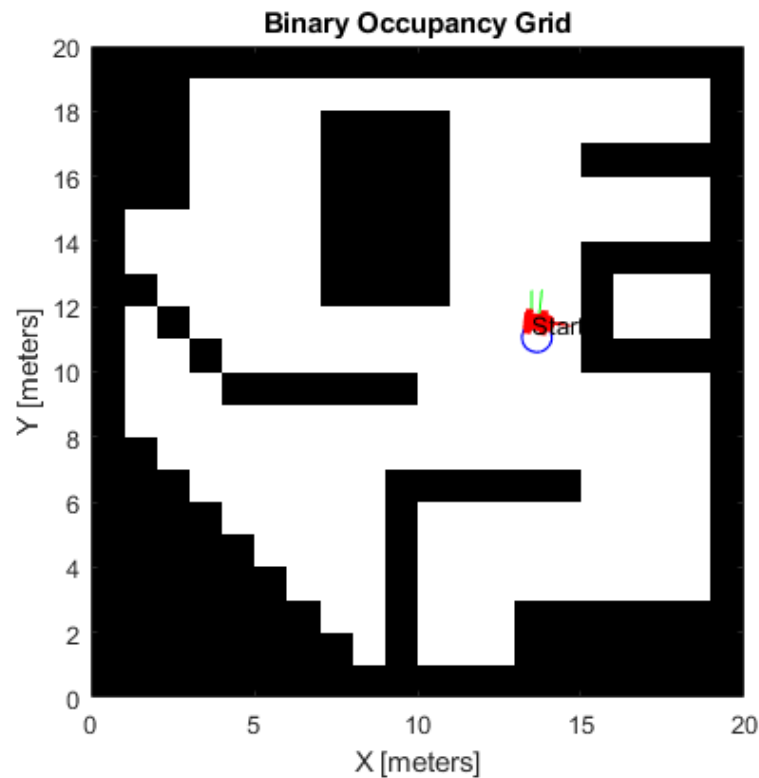
$$\circ M_{norm} = \frac{M - M_{min}}{M_{max} - M_{min}}$$





Simulation with MATLAB Simulink – Obstacle

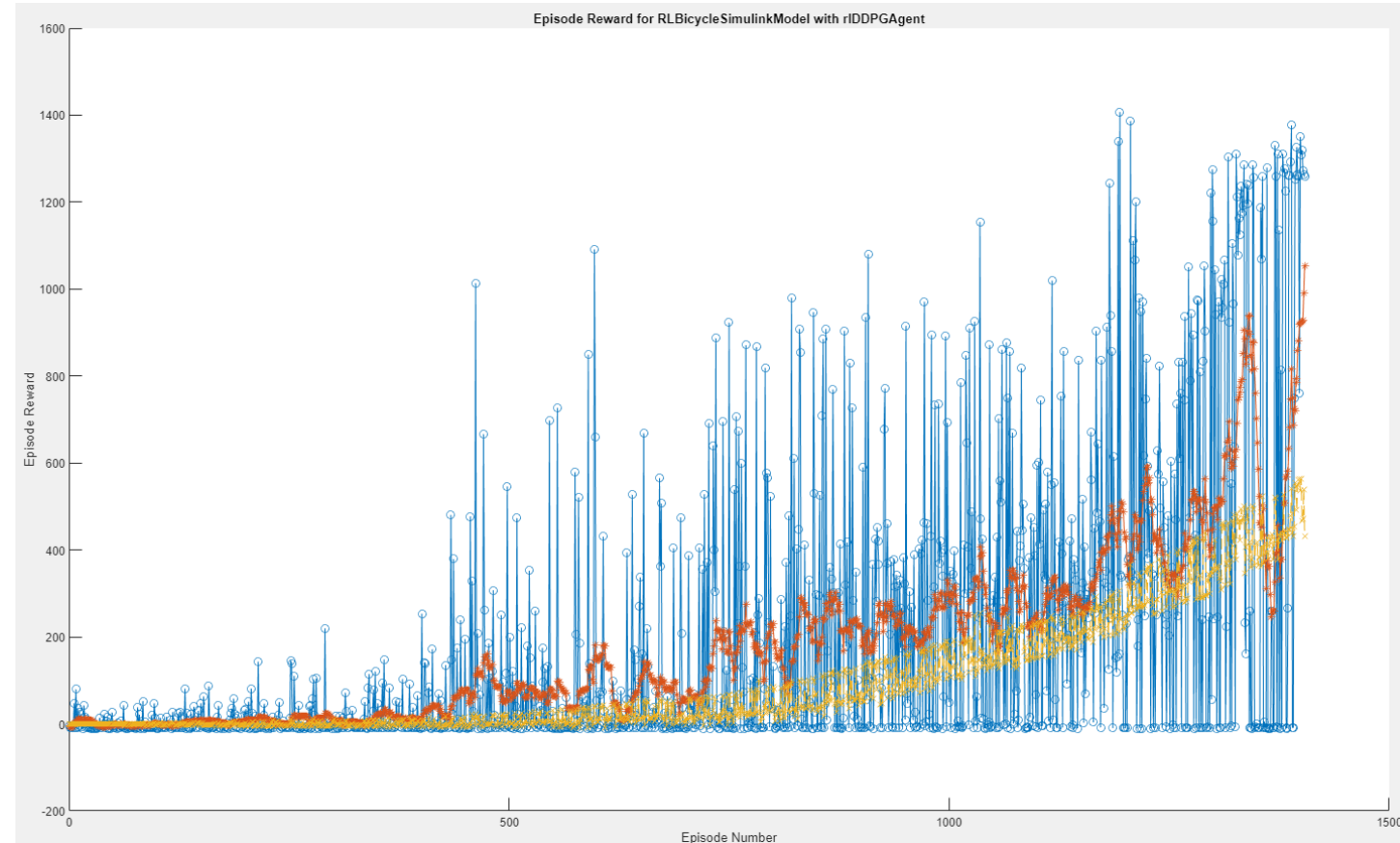
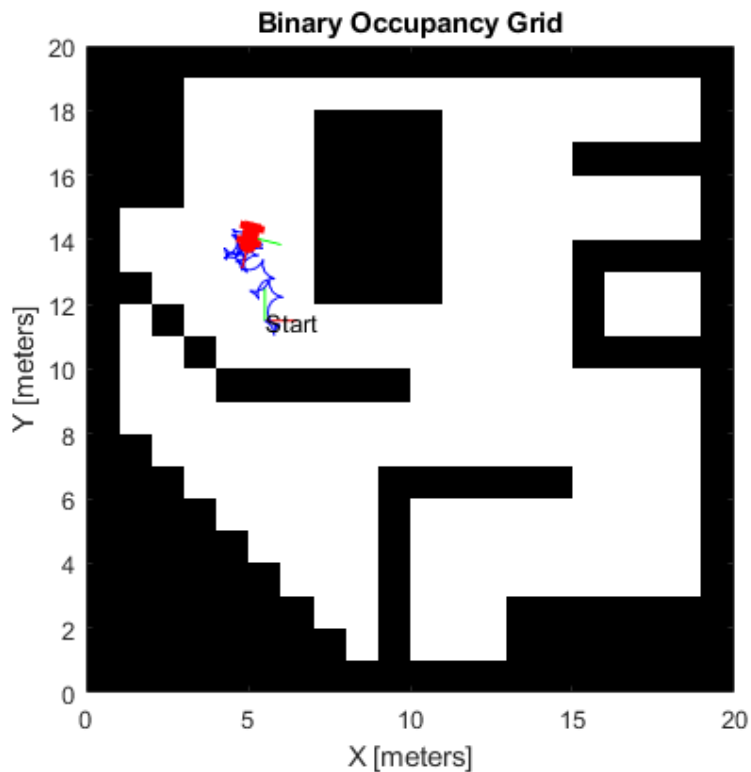
- First result : no good policy





Simulation with MATLAB Simulink – Obstacle

- Second result : convergence





Simulation with MATLAB Simulink – Obstacle

- Improvements
 - Let it train for longer
 - Improve reward function
 - Better control of velocity (backtracking)



Simulation with MATLAB Simulink

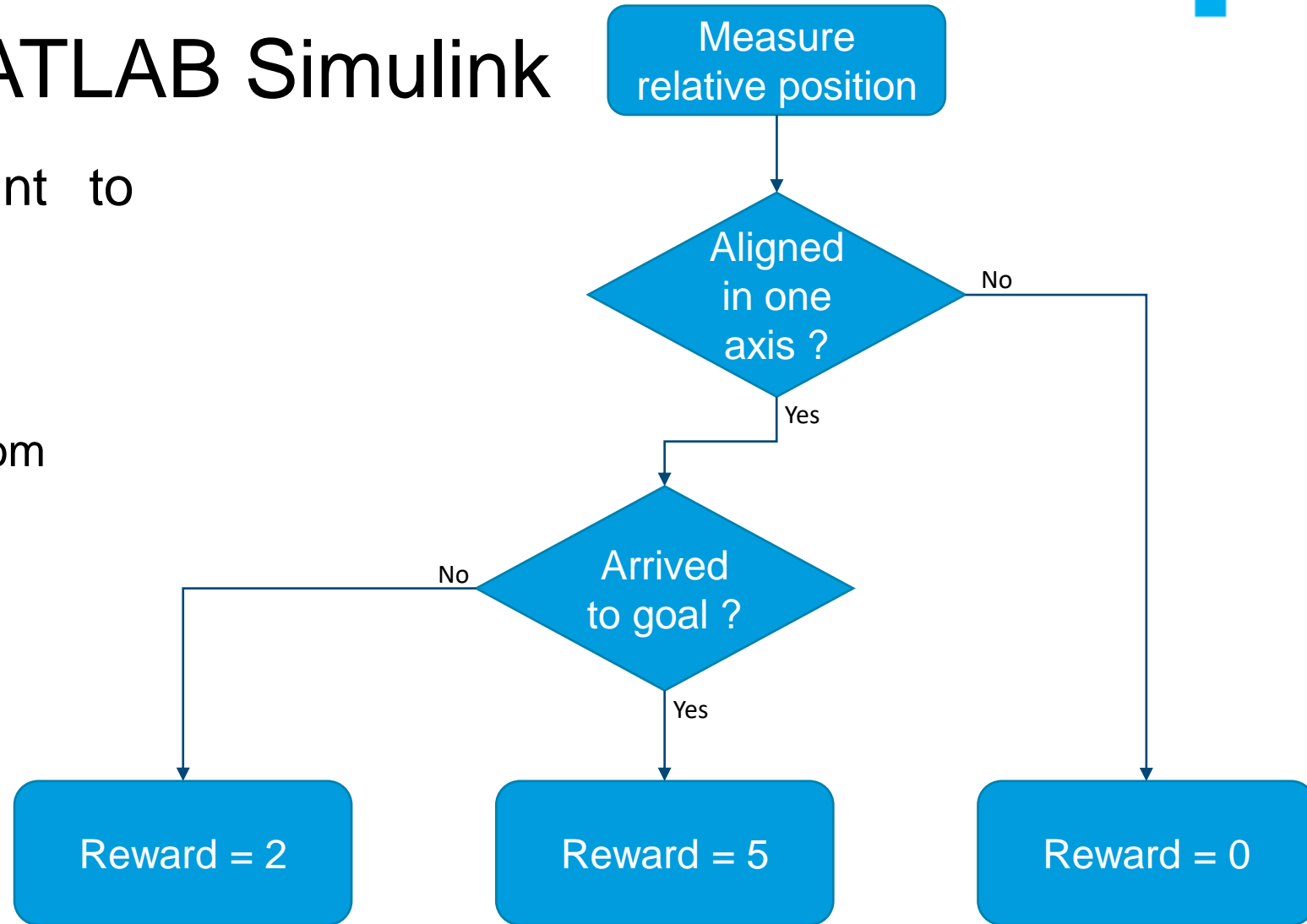
Second experiment : Point to point drive

- Observations

- Distance and orientation from goal
- Relative position from goal

- Actions

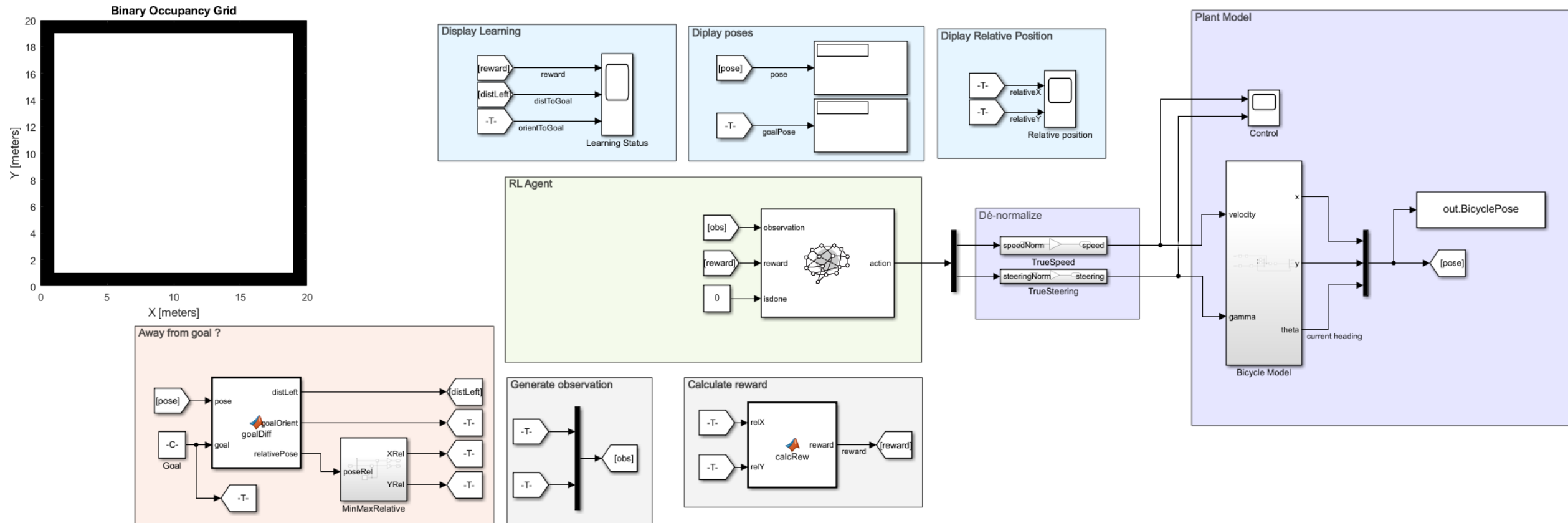
- Reward





Simulation with MATLAB Simulink – Point to Point

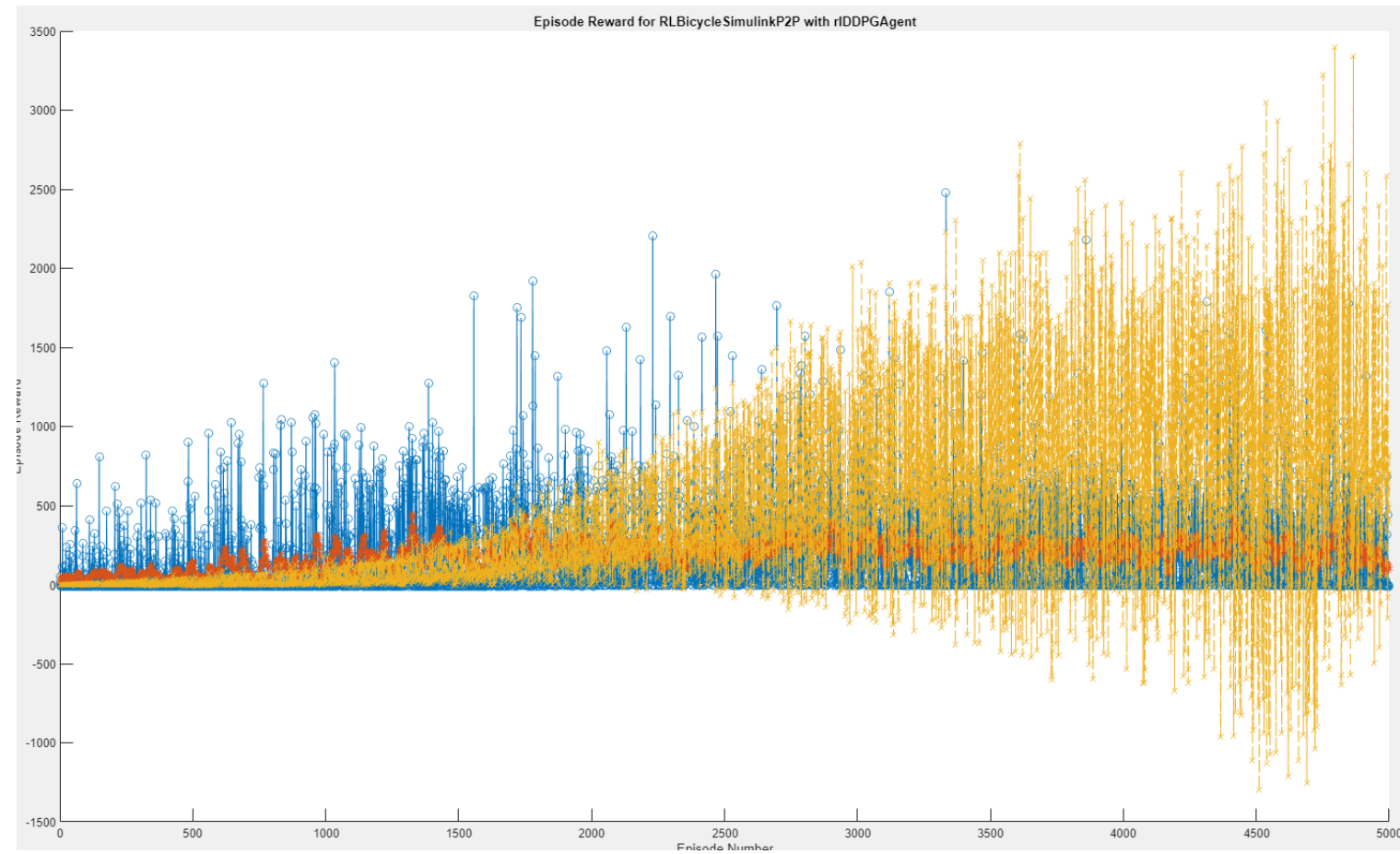
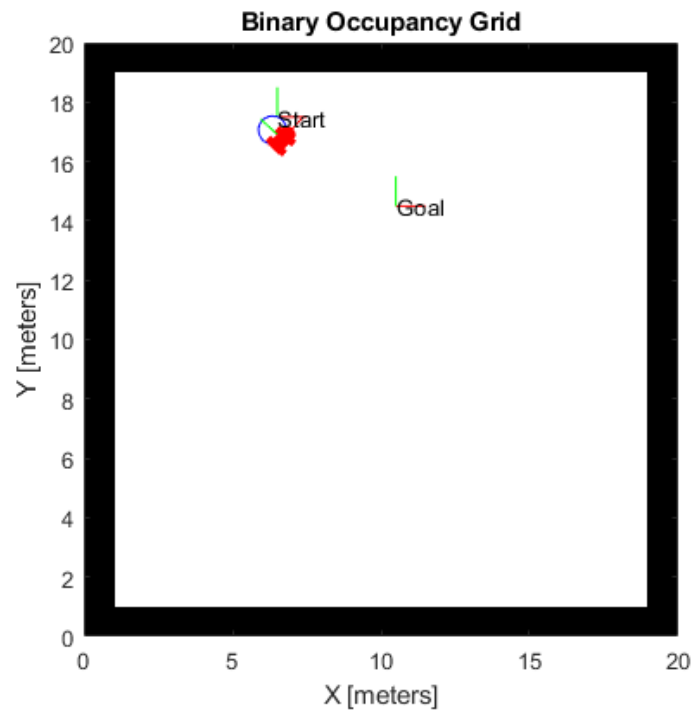
■ Simplified environment





Simulation with MATLAB Simulink – Point to Point

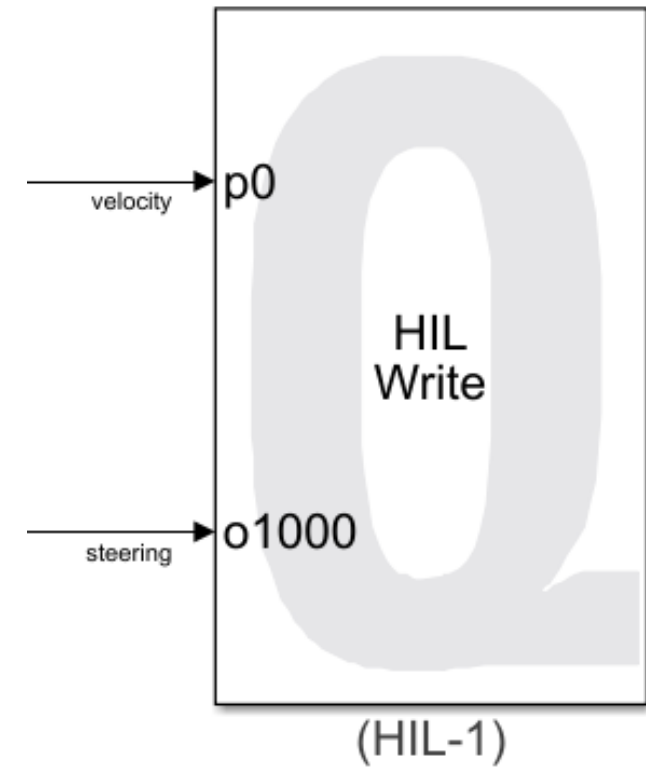
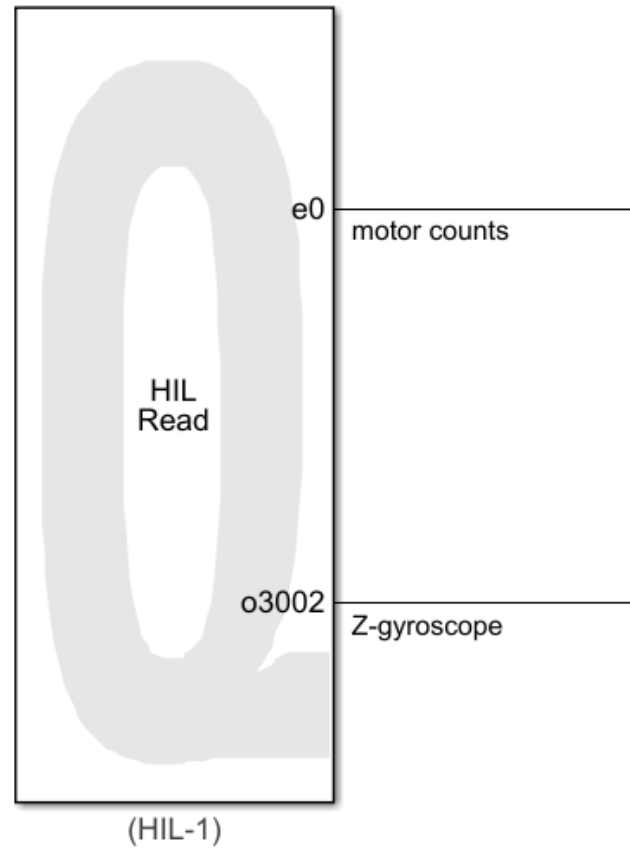
- Results : no good policy





HiL integration

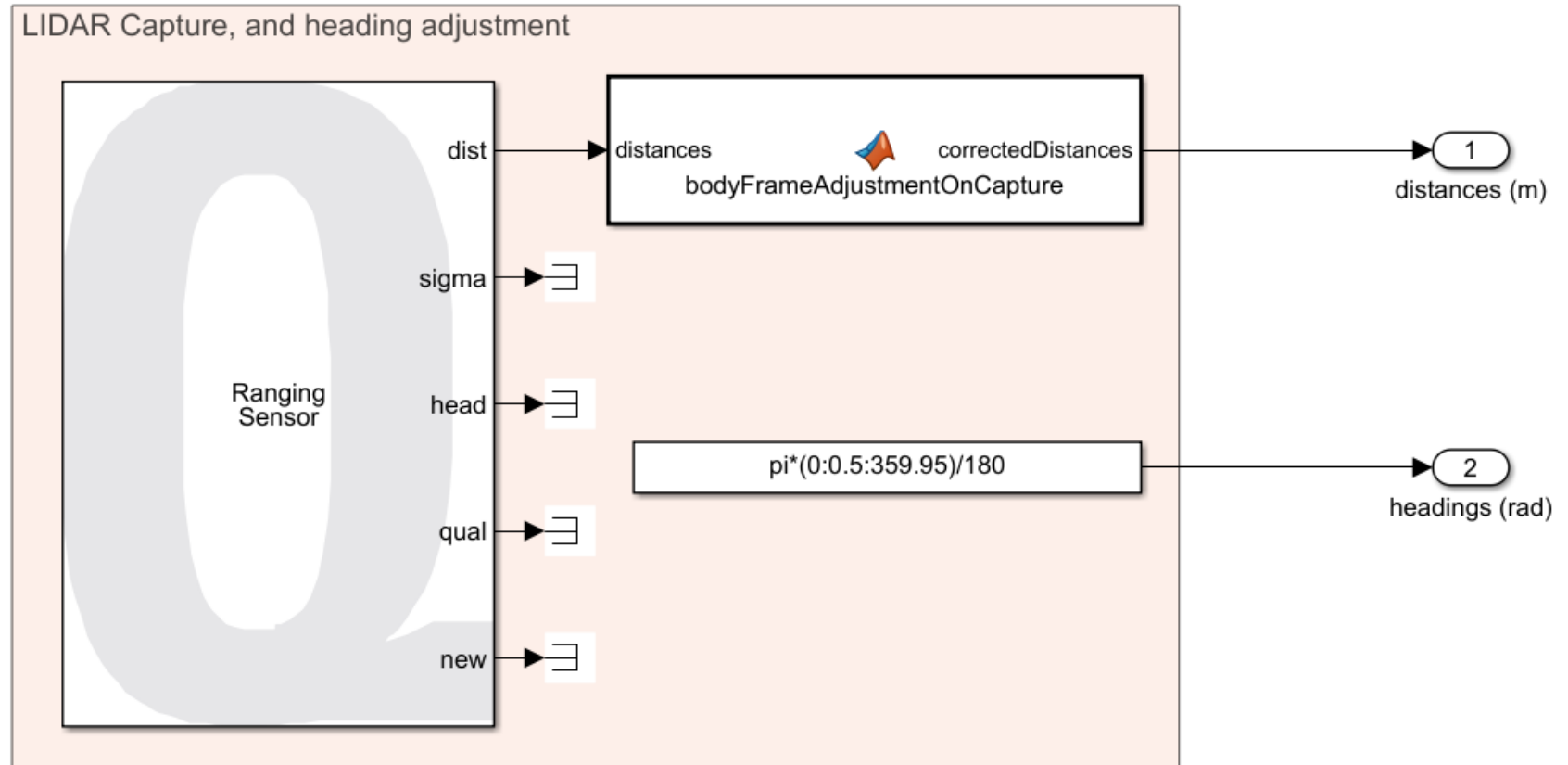
- Use of Quanser Toolbox
- Velocity and steering control





HiL integration

■ LIDAR informations acquisition





Conclusion

- Discovery of RL algorithms
 - Correlation between simulation and reality
 - Results analysis
 - Difficulty => DDPG complete understanding (black box)
 - Next step => fully integrate HiL and try more difficult tasks
- Appropriation of a simplified but complex model
- Hang of the QCAR and embedded system (and problems associated)

Thank you for listening !
Any questions ?