

GATE CSE NOTES

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With best wishes from Joyoshish Saha

• IP a subnetting - supernetting.

→ Classful IP addressing (A-E) → Casting → IP vs MAC → Subnetting
 → Subnet mask → Var.-fixed length subnetting → Routing table (working)
 → VLSM → SMask usage in N/W resolution → Limitations of classful addressing
 → CIDR / Classless addressing (CIDR block rules) → Subnetting in CIDR (Fixed-Variable) → SM 255 → Given DBA → # subnets possible → Supernetting (Conditions) → Private IP addresses.

• Flow Control Methods.

PLL-GBN | TL-SR (TCP)

→ Delays (T_t, T_p, T_q, T_{proc}) → Stop & Wait protocol (η , Throughput, RTT, Total time) → S&W ARG (TOT, SNo. for pkt & ack, SN 0&1, Solutions to lost data pkt, lost ack, delayed ack, damaged pkt - S&W ARG discards duplicate packets $\eta = \frac{1}{1+2a}$ S&W ARG uses NAK) → S&W vs S&N ARG (NAK, TOT, SN) → Communication channels (capacity) → Sliding window protocol (optimal window size of sender $1+2a$, seq. seq. no., choosing window size) → GBN Protocol ($W_s = N, W_r = 1$, Cumulative ack, ack timer, GBN doesn't accept corrupted or out-of-order frames & silently discards them, no NACK, retransmission of entire window, $TOT > AT$, $\eta = \frac{N}{1+2a}$ - problem of duplicate packets $\Rightarrow \#SN = N+1$) → SR Protocol ($W_s = W_r = N$, indep. ack, does not accept corrupted frame & uses NAK for retransmission, implicit & explicit retransmission request, accepts out-of-order packets, sorting at R., searching at S, retransmission after TOT expiry, $\eta = \frac{N}{1+2a}$) → Comparison of flow control protocols.*

• Access Control Methods. (at DLL)

→ Communication links (P2P, broadcast) → Topologies of CN (SRMBH)
 → TDM (fixed size intervals allocated in round robin manner, time slot = $T_t + T_p$, $\eta = \frac{1}{1+a}$, effective bandwidth) → Polling (Polling algo chooses one station to let send data, $\eta = \frac{T_t}{T_{poll} + T_t + T_p}$) → CSMA/CD ($T_t \geq 2T_p$ used in early Ethernet, Jam signal - 48b, back-off time, back-off limit, $2T_p$ time wasted at max for each collision, $\eta = \frac{1}{1+6.44a} = \frac{T_t}{cx2T_p + T_t + T_p}$, used in wired LANs, CSMA/CD only minimises recovery time, does not prevent collision, Binary exponential backoff algo., backoff time increases exp^{ly}, collision prob. decreases exp^{ly}, Capture effect: Winner always wins) → Token Passing (Ring latency $\frac{d}{v} + \frac{Nb}{B}$, Token holding time, $\eta = \frac{NT_t}{T_p + N(THT)}$, Delayed Token & Early token reinsertion, DTR - hold token until pkt transmitted by it takes complete revolution of the ring & comes back to it - $THT = T_t + \text{Ring latency}$)

$$THT = T_t + T_p \text{ (bit delay = 0)}, \eta = \frac{NT_t}{T_p + N(T_t + T_p)}, \text{ETR - release token immed.}$$

tely after putting pkt to the ring - $THT = T_t - \eta = \frac{NT_t}{T_p + NT_t}$

ETR has higher efficiency \rightarrow Aloha (Pure Aloha - $\eta = Ge^{-2G} - \eta_{max} = 18.4\%$,

Slotted Aloha - $\eta = Ge^{-G} - \eta_{max} = 36.8\%$)

• ~~Access~~ ^{Error} Control Methods. (DLL or TL)

\rightarrow Redundancy bits \rightarrow Simple parity checking (Even-odd-parity bit - can detect odd no. of bit errors) \rightarrow 2D parity checking \rightarrow CRC (Properties of CRC generator (!divisible by x , divisible by $x+1$), detect single bit errors - double bit - odd bit errors - burst errors) \rightarrow CRC steps (@S - CRC code - add $n-1$ zeros divide data with CRC code - attach remainder to data - @R - divide received data with CRC code - check if $rem = 0 \checkmark \neq 0 \times$) \rightarrow Checksum (for m bit csum, segments of m bits data are added (use wrap around) - then 1's complement to get csum - sent with data - @R sum of all segments + csum $\neq 0$) - Meaningful error (unable to detect)

• ISO/OSI Model \rightarrow PDNTSPA \rightarrow Information exchange \rightarrow Encapsulation (@ $n-1$ layer of n layer) \rightarrow PL (Bit rate control, Bit sync., transmission mode, topology, encoding & signaling) - Encoding (NRZ-L/I, Biphasic Manchester, Differential Manchester, 4B/5B) \rightarrow DLL (Node-Node delivery of msg, Framing, physical addressing, flow-error-access control, LLC & MAC sublayer, Bit-Byte stuffing) \rightarrow NL (Host 2 host connectivity, switching, routing, logical addressing, congestion control, fragmentation) \rightarrow TL (Process 2 process delivery, service point addressing, segmentation & reassembly, connection control, connection control, flow control, error control, multiplexing-demux'g) \rightarrow SL (Dialogue control, checkpoints - sync) \rightarrow PL (Syntax-semantics of information, translation, encryption, compression) \rightarrow AL (User interface)

• LAN Technologies. \rightarrow Ethernet (Bus topology, CSMA/CD, Manchester encoding, (DLL) not used for realtime apps as high no. of collisions)

Preamble	SFD	Dest. Add. MAC	Source Add. MAC	Length	Data + Padding	CRC
7B	1B	6B	6B	2B	46-1500B	4B

Ethernet header = 14B

64 - 1518 B size. Ethernet frame.

Ethernet hdr	IP hdr	TCP hdr	Payload	FCS (CRC)
14B	20B	20B	6-1460B	4B

\leftarrow TCP MSS / TCP Payload \rightarrow

\leftarrow IP MTU / Ethernet Payload (46-1500B) \rightarrow leads to fragmentⁿ

- Switching → Circuit, ^{PL}Msg, Packet (Virtual circuit, Datagram) ^{NL}
 → Optimal packet size in packet switching → In CS: $T_p > T_t$
 → In PS: $T_t > T_p$. → In packet switching, after $(\# \text{hops} \times T_t)$ time (when 1 packet is delivered to R), every T_t time the R will receive a packet because of pipelining.

IPv4

IPv4 header

Ver 4	HLen 4	TOS 8	TL 16	
Ident. (16)	0	D F	M F	F. offset 13
TTL 8	Protocol 8b		HCSum 16b	
SIP(32)		DIP(32b)		
Options (0-40B)				

→ HLen (Scaling factor 4)

→ Frag. offset: # of data bytes ahead of it in the original unfragmented datagram

→ scaling factor $\frac{2^{16}}{2^{13}} = 8$

→ TTL: Max #hops allowed to reach destⁿ @ destⁿ TTL should be ≥ 0 .

→ Protocol: ICMP-1, IGMP-2, TCP-6, UDP-1

→ Elimination of datagrams from buffer -
 ICMP > IGMP > UDP > TCP

→ HCSum: of entire header (only)

→ Record route, Source routing, Padding (In worst case, 3B of dummy data).

- Fragmentation → Check size of datagram, MTU of destⁿ N/W, DF bit
 → Changes made (TL field, MF ← 1 except last pkt, F. offset field) → Amt. of data sent in 1 frag. is chosen such that i) it's as large as possible but \leq MTU ii) it's multiple of 8 (for F. offset field) → Last frag. can have any amt. of data.
 → Reassembly algorithm. → Fragmentation overhead. → Fragmⁿ done at routers (intermediary devices)

- Protocols @ NL → Internet (NL) does not have concept of broadcasting, only LANs have. → NAT (Private → Public) → ARP (Know other host's MAC given their IP) → Localhost → RARP (Know your own IP given you know your MAC, #IP > active hosts @ RARP table) → BOOTP (RARP + centralised table + relay agent) → DHCP (BOOTP + dynamic table, DORA)
 → ICMP (Error handling - feedback - TTL exceed, parameter problem, Source quench, Source redirect, destⁿ unreachable; Req. & Reply - Echo, Time stamp, N/W mask, router solicitation & advertisement) - ICMP for TCP, UDP both - ICMP for 1st fragment only - Application of ICMP: Traceroute, PMTUD, Record route (using TTL exceed ICMP) - PMTUD using DHU ICMP DF=1.

- Routing → DFR (Distributed Bellman-ford: $D(v) = \min \{ D(v), D(w) + c(w, v) \}$)
 → LSR (Dijkstra's SS shortest path: $d_x(y) = \min_v \{ c(x, v) + d_v(y) \}$)
 → flooding of LS packets

• Transport layer protocols. → TCP (Options field - Time stamp, window extension, param. negotiation, padding)

TCP header -

Source port 16b							Dest ⁿ port 16b						
Seq. no. 32b													
Ack. no. 32b													
H. Len 4b		Res. 6b		U R g	A C K	P S H	R S T	S I W	F I N	Adv. window size 16b			
CSum 16b							Urg. ptr 16b						
options + padding (0-40B)													

Checksum

Pseudoheader -

Src. addr. (IP) 32b		
Dst ⁿ addr 32b		
Res. 8b	Protocol from IP 8b	TCP segment len. 16b

Wrap around time, Life time (180s)
NAT ≥ LT to avoid same SN for bytes.

→ 3 way handshake (SYN-req, SYN-ACK-req)

ACK - pure ack) → SYN=1 - 1 SN, ACK=1 0 SN, FIN=1 - 1 SN, 1 data byte - 1 SN → TCP connⁿ termination (FIN, ACK, FIN, ACK)

→ TCP flow control ($W_s = \min(cwnd, rwnd)$)

→ TCP error control (CSum, Ack, retransmission - after TOT expires, after revng 3 duplicate acks) → TCP Congestion Control

(Congestion policy - SS, CA, CD - SS: $W_c, init = 1MSS$, $cwnd = 2 \times \text{previous } W_c$ till threshold = $\frac{W_c}{2}$)

$\frac{W_r}{MSS}$ - CA: linear $W_c = W_c + 1 \div \frac{CD}{2}$

i) TOT expiry - thresh = $\frac{\text{current } W_c}{2}$ - $W_c = 1MSS$
- resume SS ii) 3 dup. acks - thr = $\frac{\text{current } W_c}{2}$

$W_c = \text{thr.}$ - resume CA) → TCP timers

(TOT, Time wait, ACK timer, persistent(client), keep alive(server)) → Setting TOT (Actual RTT ↑ → TOT ↑) → Basic algo ($IRTT_1 \rightarrow TOT_1 = 2IRTT_1 \rightarrow IRTT_{n+1} = \alpha IRTT_n + (1-\alpha) ARTT_n$)

→ $TOT_2 = 2 \times IRTT_2$) → Jacobson's algo ($IRTT_1, ID_1 \rightarrow TOT_1 = 4ID_1 + IRTT_1 \rightarrow \text{disadv.}$ $AD_1 = |IRTT_1 - ARTT_1| \rightarrow IRTT_{n+1} = \alpha IRTT_n + (1-\alpha) ARTT_n \rightarrow ID_{n+1} = \alpha ID_n + (1-\alpha) AD_n$)

→ $IRTT_2 = \alpha IRTT_1 + (1-\alpha) ARTT_1 \rightarrow ID_2 = \alpha ID_1 + (1-\alpha) AD_1 \rightarrow TOT_2 = 4ID_2 + IRTT_2$)

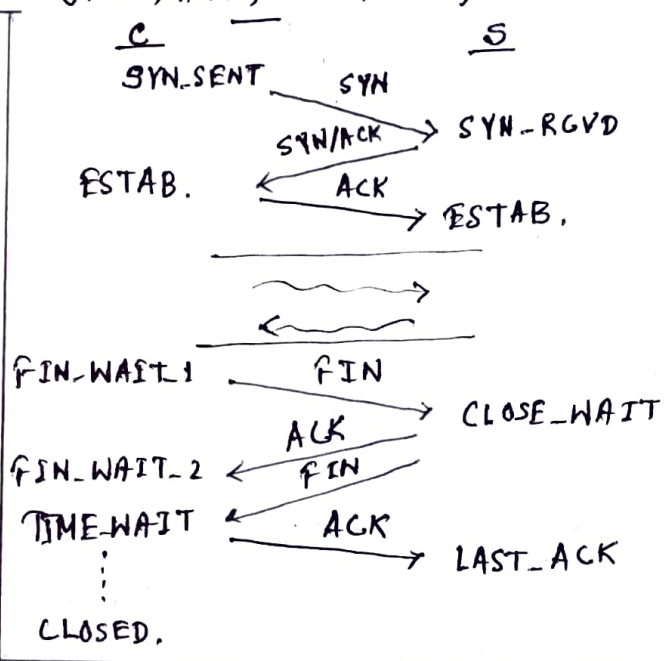
→ Karn's Modⁿ (ack arrives after TOT goes off - no initial TOT value as ack is delayed - solⁿ: When retransmission double TOT whenever TOT goes off & retransmit). → Traffic shaping (Leaky bucket - same avg rate always - use queue; Token bucket - bucket of tokens - tokens generated at each tick - has max capacity - ready packet acquires a token & goes out to the N/W - max

o/p rate = $\frac{c + p \cdot t}{t}$) → Silly window syndrome (Clark's, Nagle's algo.)

→ UDP (Length - header + data, csum on hdr, data, pseudo IP header.

Source port 2B	Dest. Port 2B
Length 2B	CSum 2B

Application - DNS, Trivial FTP (TFTP), broadcast-multicast, real time app, streaming, DHCP, SNMP. - does not guarantee in-order delivery.



• Application layer protocols.

DNS (Stateless, UDP, connectionless, non-persistent, port 53, inband),
 HTTP (Stateless, TCP, connectionless, HTTP 1.0 ^{non} persistent, HTTP 1.1 persistent, port 80, inband),
 FTP (Stateful, TCP, connⁿ oriented, control connⁿ persistent, data connⁿ is non-persistent) out-of-band, port 20 for data, 21 for control connⁿ)
 SMTP - Stateless, TCP, connⁿ oriented, persistent, port 25, inband),
 POP (Stateful, TCP, connⁿ oriented, persistent, port 110, inband).

• Wifi (Collision avoidance using RTS, CTS, Exposed & Hidden terminal problem, positive acknowledgement system, MACA).

• IT/W Security. → Passive attacker, Active attacker (Masquerade, replay, modification, Dos) → Symmetric or Secret

key cryptography (DES, AES) → $a \equiv b \pmod n \Rightarrow (a-b) | n$

→ Multiplicative inverse $\underline{a} \underline{b} \equiv 1 \pmod p \Rightarrow b \equiv a^{-1} \pmod p \rightarrow a, b$ coprimes

(gcd 1) $\Rightarrow \exists c \in \mathbb{Z}, ac \equiv 1 \pmod b \rightarrow$ Euler's totient $f^n \phi(n) = \#$ of +ve integers upto n that are coprime to n $\phi(9) = 6$ (1, 2, 4, 5, 7, 8)

→ If n is prime $\phi(n) = n-1 \rightarrow$ If m, n coprimes, $\phi(m) \phi(n) = \phi(mn)$

→ Euler's product formula $\phi(n) = n \left(1 - \frac{1}{p_1}\right) \dots \left(1 - \frac{1}{p_k}\right)$ when

$n = p_1^{a_1} p_2^{a_2} \dots p_k^{a_k}$, p_i are prime factors → Euler's theorem for coprimes $a^{\phi(n)} \equiv 1 \pmod n$; a, n being coprimes → Fermat's little

theorem $a^{\phi(n)+1} \equiv a \pmod n$; a, n being coprimes. → Asymmetric

encryption algo (Diffie Hellman key exchange, RSA algo).

→ RSA Algo (pu: (e, n) pr: (d, n) ; @S, $c = p^e \pmod n$;

@R, $p = c^d \pmod n = p^{ed} \pmod n$ - $ed \equiv 1 \pmod \phi(n)$;

picking n, e, d : $n = p_1 p_2 = p_1 p_2$ large primes, pick $1 \leq e \leq \phi(n)$ s.t. $\text{gcd}(e, \phi(n)) = 1$ so that $ed \equiv 1 \pmod \phi(n)$.

→ Residue class, primitive root, multiplicative order, discrete logarithm problem (finding x s.t. $a^x \equiv b \pmod p$, np-hard, p -prime, a, b non zero int) → one way function.

→ DHKE. 1. $P_u: P, G$, $Pr_s: a$ $Pr_R: b$. 2. $S: x = G^a \bmod P$

$R: y = G^b \bmod P$ 3. Exchange x, y 4. secret key:

$S: y^a \bmod P$ $R: x^b \bmod P \Rightarrow$ algebraically $x^b \bmod P = y^a \bmod P$. → Firewalls → Digital signatures.

• C - channel capacity, λ - arrival rate of frames (frames/sec),

$\frac{1}{\mu}$ - no. of bits/frame \Rightarrow delay time $T = \frac{1}{\mu C - \lambda}$

If N subchannels $T' = \frac{N}{\mu C - \lambda}$