# Lecture 4 Search Bias

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### Announcement

Consider applying to the *Programming Languages Mentoring Workshop* at PLDI'20 (June 16, London)

https://pldi20.sigplan.org/home/PLMW-PLDI-2020

Deadline: March 13

# Today

#### EUSolver discussion

#### Search space prioritization

- statistical models of code
- how to learn them
- how to use them during search

### **EUSover**

Q1: What does EUSolver use as behavioral constraints? Structural constraint? Search strategy?

- First-order formula
- Conditional expression grammar
- Bottom-up enumerative + pruning

Why do they need the specification to be pointwise?

- Example of a non-pointwise spec?
- How would it break the enumerative solver?

### **EUSover**

Q2: What are pruning/decomposition techniques EUSolver uses to speed up the search?

Condition abduction + special form of equivalence reduction

Why does EUSolver keep generating additional terms when all inputs are covered?

How is the EUSolver equivalence reduction differ from observational equivalence we saw in class?

 How do they overcome the problem that it's not robust to adding new points?

Branch-wise verification: are more counter-examples always better?

### **EUSover**

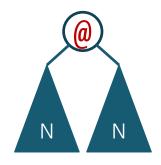
Q3: What would be a naive alternative to decision tree learning for synthesizing branch conditions?

- Learn atomic predicates that precisely classify points
  - why is this worse?
  - is it as bad as ESolver?
- Next best thing is decision tree learning w/o heuristics
  - why is this worse?

### Scaling enumerative search

#### Prune

Discard useless subprograms







$$m * (N - 1)^2$$

#### **Prioritize**

Explore more promising candidates first

### Order of search

#### Enumerative search explores programs in the order of depth

- Good default bias: small solution is likely to generalize
- But far from perfect

#### Result:

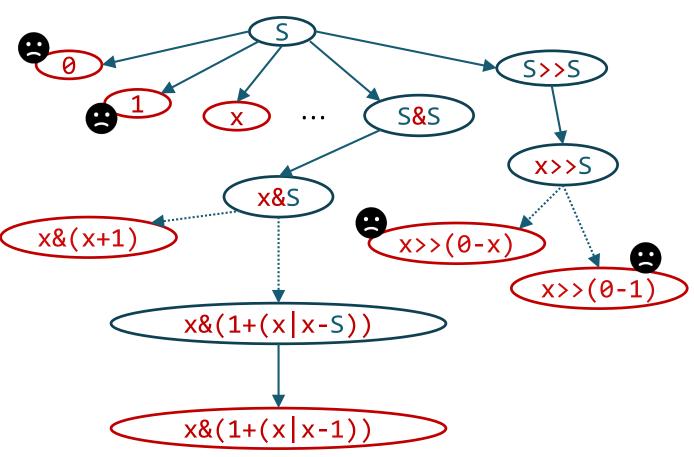
- Scales poorly with the size of the smallest solution to a given spec
- If spec is insufficient: plays monkey's paw

# Top-down search (revisited)

Turn off the rightmost sequence of **1**s:

```
00101 \rightarrow 00100
01010 \rightarrow 01000
10110 \rightarrow 10000
```

Explores many unlikely programs!



### Biasing the search

Idea: explore programs in the order of likelihood, not size

Q1: how do we know which programs are likely?

• learn a statistical (probabilistic) model from a corpus of programs!

Q2: how do we use this information to guide search?

### Statistical Language Models

Originated in Natural Language Processing

In general: a probability distribution over sentences in a language

• P(s) for  $s \in L$ 

#### In practice:

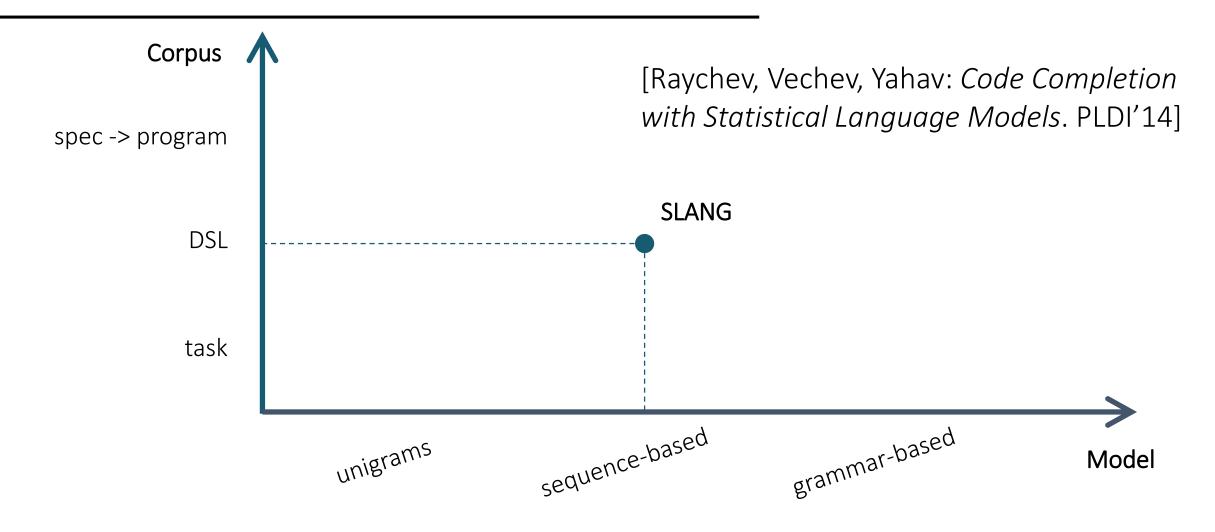
- must be in a form that can be used to guide search
- and also that can be learn from the data we have

#### Kinds of corpora:

- All programs from DSL: what are natural programs in this DSL?
- Solutions to specific task (e.g. for MOOCs)
- Spec-program pairs: what are likely programs for this spec?

#### Kinds of models:

- Likely components (aka unigrams)
- Sequence-based: n-grams, RNN (LSTM)
- Grammar-based: PCFG, PHOG



### **SLANG**

Input: code snippet with holes

```
SmsManager smsMgr = SmsManager.getDefault();
int length = message.length();
if (length > MAX_SMS_MESSAGE_LENGTH) {
   ArrayList<String> msgList =
        smsMgr.divideMsg(message);
   ? {smsMgr, msgList} // (H1)
} else {
   ? {smsMgr, message} // (H2)
}
```



Output: holes completed with (sequences) of method calls

```
SmsManager smsMgr = SmsManager.getDefault();
int length = message.length();
if (length > MAX_SMS_MESSAGE_LENGTH) {
   ArrayList<String> msgList =
        smsMgr.divideMsg(message);
   smsMgr.sendMultipartTextMessage(...msgList...);
} else {
   smsMgr.sendTextMessage(...message...);
}
```

### **SLANG:** inference phase

#### code snippet with holes

```
SmsManager smsMgr = SmsManager.getDefault();
int length = message.length();
if (length > MAX_SMS_MESSAGE_LENGTH) {
   ArrayList<String> msgList =
        smsMgr.divideMsg(message);
   ? {smsMgr, msgList} // (H1)
} else {
   ? {smsMgr, message} // (H2)
}
```

#### abstract histories of objects

#### learned generative model:

- bigrams suggest candidates
- n-grams / RNNs rank them

Partial History	Id	Candidate Completions	
$\langle \texttt{getDefault}, \texttt{ret} \rangle \cdot \langle \texttt{H2}, \texttt{smsMgr} \rangle$	11	$\langle  exttt{getDefault, ret}  angle \cdot \langle  exttt{sendTextMessage, 0}  angle$	0.0073
	12	$\langle  exttt{getDefault,ret}  angle \cdot \langle  exttt{sendMultipartTextMessage}, 0  angle$	0.0010
$\langle \texttt{getDefault}, \texttt{ret} \rangle \cdot \langle \texttt{divideMsg}, 0 \rangle \cdot \langle \texttt{H1}, \texttt{smsMgr} \rangle$	21	$\langle  ext{getDefault,ret}  angle \cdot \langle  ext{divideMsg}, 0  angle \cdot \langle  ext{sendMultipartTextMessage}, 0  angle$	0.0033
	22	$\langle  exttt{getDefault,ret}  angle \cdot \langle  exttt{divideMsg}, 0  angle \cdot \langle  exttt{sendTextMessage}, 0  angle$	0.0016
$\langle  exttt{length}, 0  angle \cdot \langle  exttt{H2},  exttt{message}  angle$	31	$\langle \text{length}, 0 \rangle \cdot \langle \text{length}, 0 \rangle$	0.0132
	32	$\langle \text{length}, 0 \rangle \cdot \langle \text{split}, 0 \rangle$	0.0080
	33	$\langle \text{length}, 0 \rangle \cdot \langle \text{sendTextMessage}, 3 \rangle$	0.0017
	34	$\langle  ext{length}, 0  angle \cdot \langle  ext{sendMultipartTextMessage}, 1  angle$	0.0001
$\langle divideMsg, ret \rangle \cdot \langle H1, msgList \rangle$	41	$\langle  ext{divideMsg, ret}  angle \cdot \langle  ext{sendMultipartTextMessage}, 3  angle$	

### **SLANG**

Predicts completions for sequences of API calls

Treats programs as (sets of) abstract histories

• Performs static analysis to abstract programs into finite histories

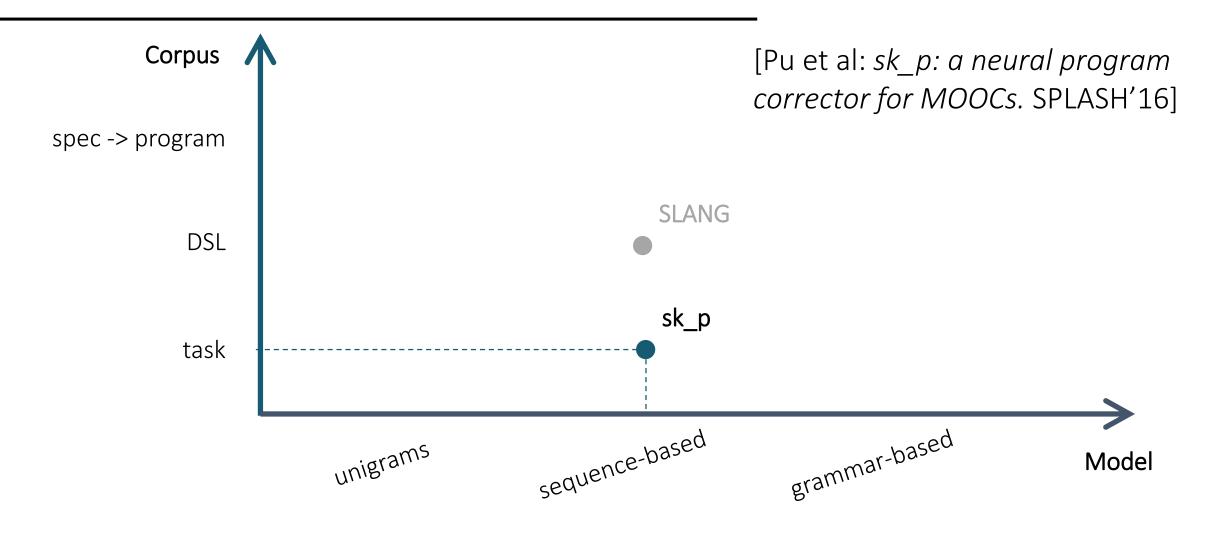
Training: learns bigrams, n-grams, RNNs on histories

Inference: given a history with holes

- Uses bigrams to get possible completions
- Uses n-grams / RNN to rank them
- Combines history completions into a coherent program

Features: fast (very little search)

Limitations: all invocation pairs must appear in training set



# sk\_p

Program corrections for MOOCs

Treats programs as a sequence of tokens

Abstracts away variables names

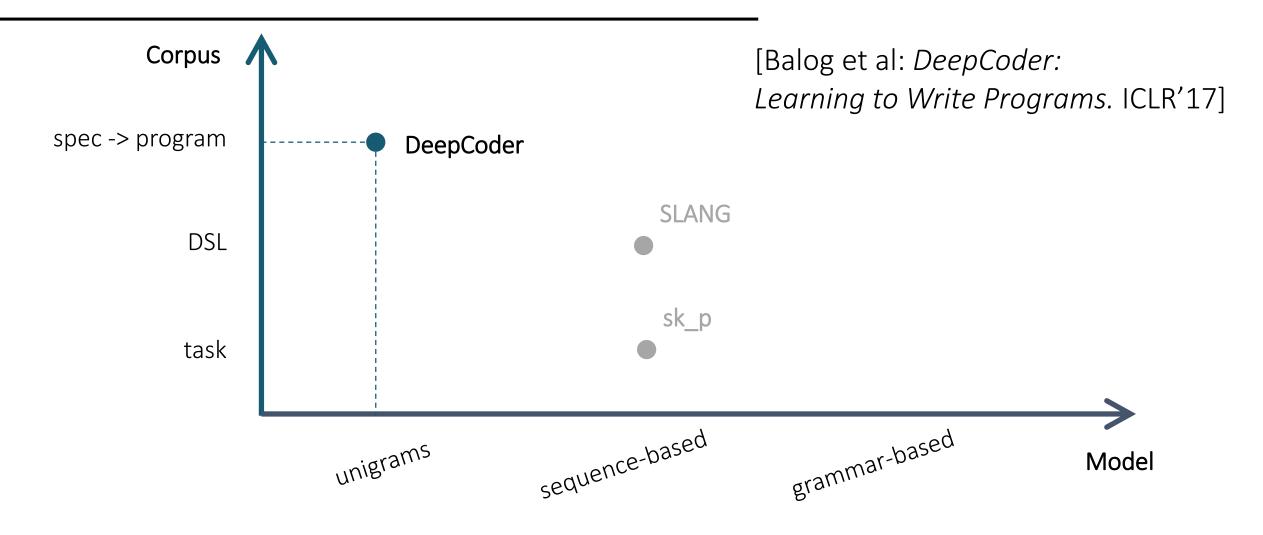
Uses the skipgram model to predict which statement is most likely to occur between the two

#### Features

Can repair syntax errors

#### Limitations

Needs all algorithmically distinct solutions to appear in the training set



### DeepCoder

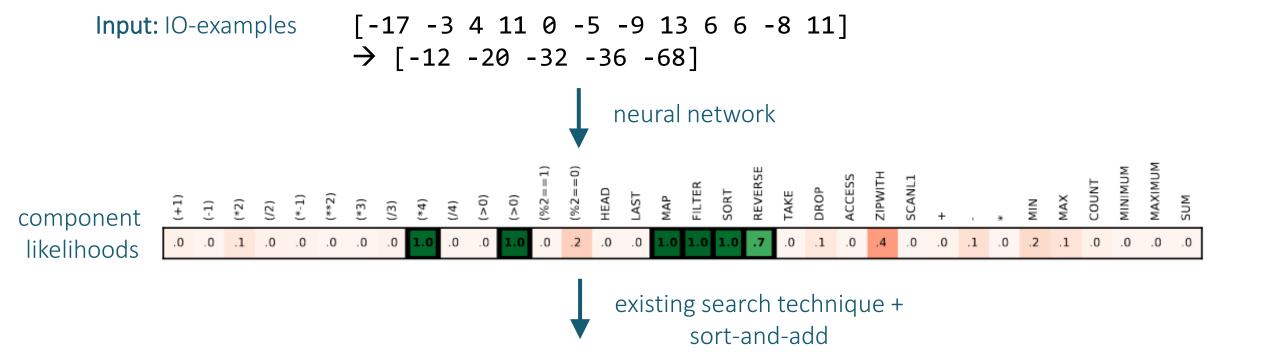
Input: IO-examples 
$$[-17 -3 \ 4 \ 11 \ 0 \ -5 \ -9 \ 13 \ 6 \ 6 \ -8 \ 11]$$

$$\rightarrow [-12 \ -20 \ -32 \ -36 \ -68]$$



Output: Program in a list DSL

### DeepCoder



Output: Program in

a list DSL

### DeepCoder

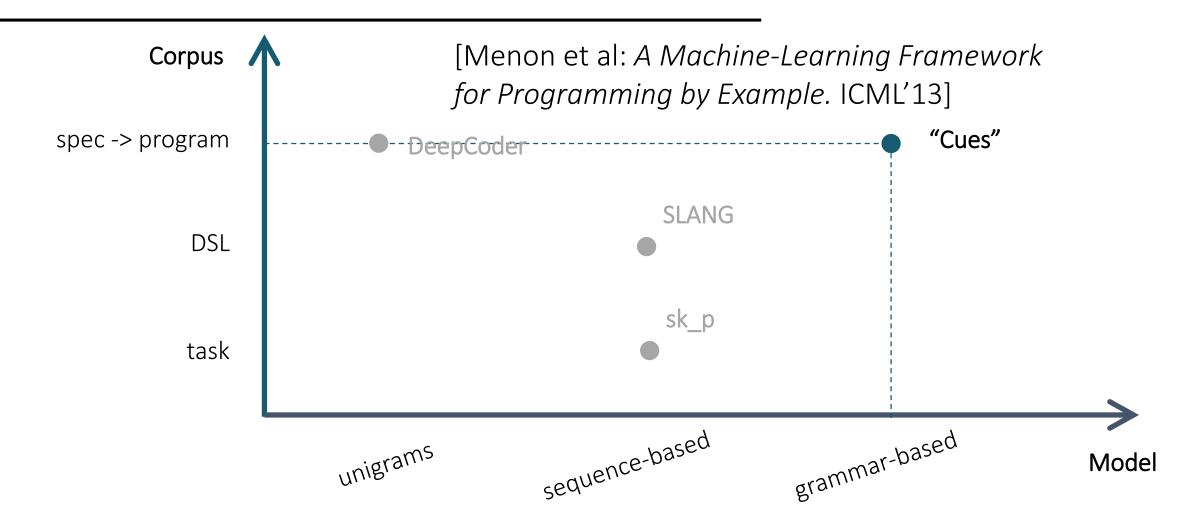
Predicts likely components from IO examples

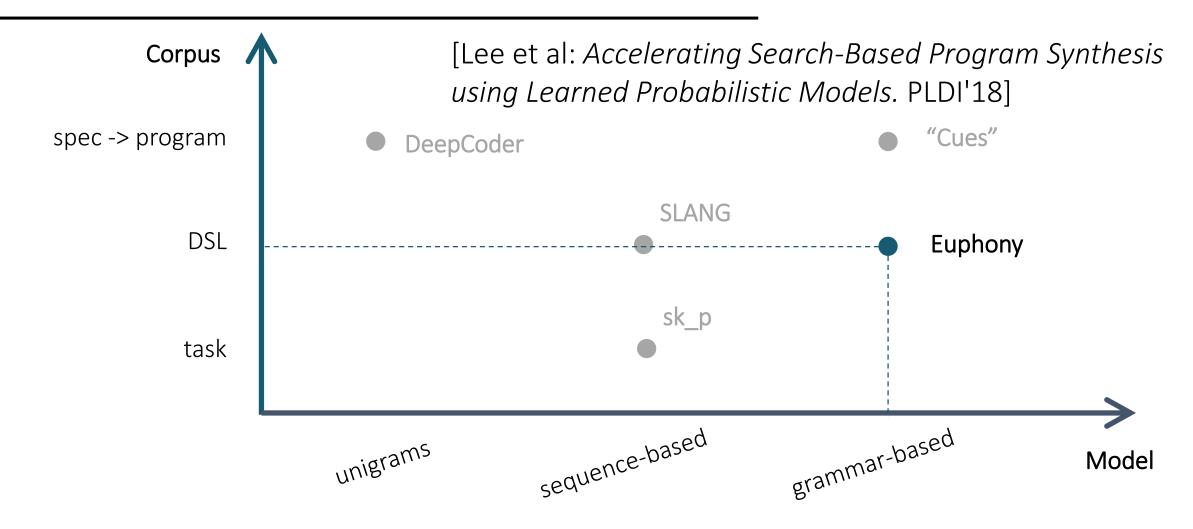
#### Features

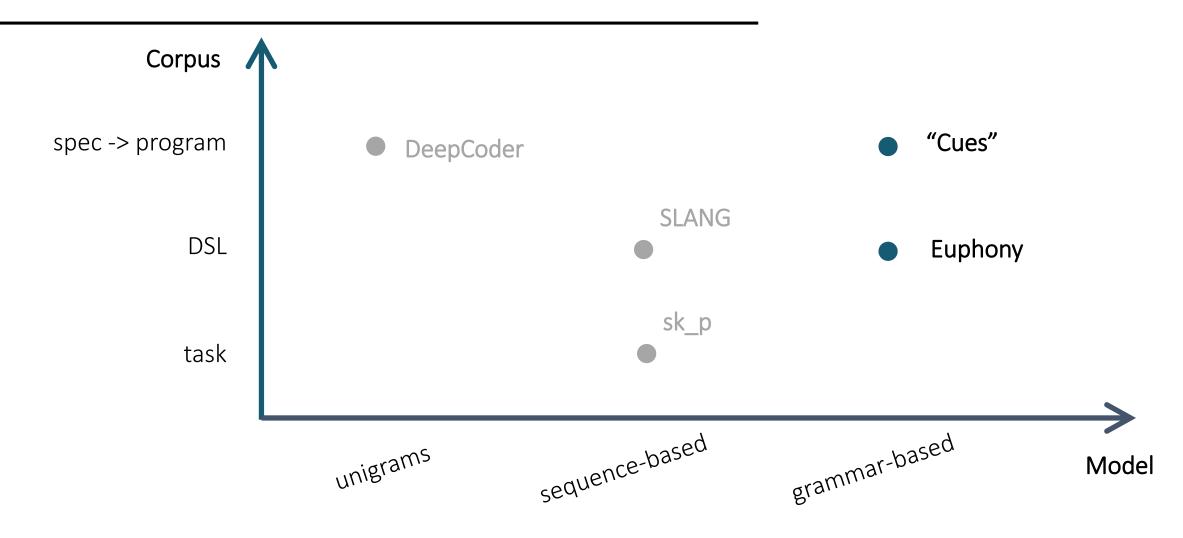
- Can be easily combined with any enumerative search
- Significant speedups for a small list DSL

#### Limitations

• Unclear whether it scales to larger DSLs or more complex data structures







### Grammar-based models

Weighted top-down search

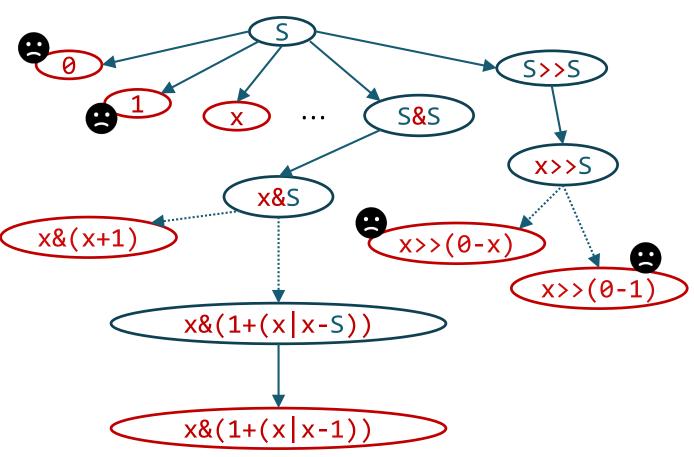
From probabilistic grammars to weights

# Top-down search (revisited)

Turn off the rightmost sequence of **1**s:

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```

Explores many unlikely programs!



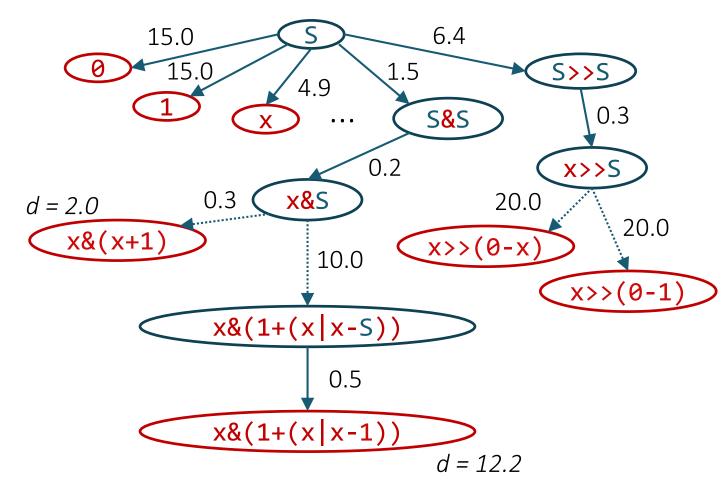
### Weighted top-down search

**Idea:** explore programs in the order of likelihood, not size

1. Assign weights w(e) to edges such that d(p) < d(p') iff p is more likely than p'

$$d(\mathbf{p}) = \sum_{e \in S \to \mathbf{p}} w(e)$$

2. Use Dijkstra's algorithm to find closest leaves



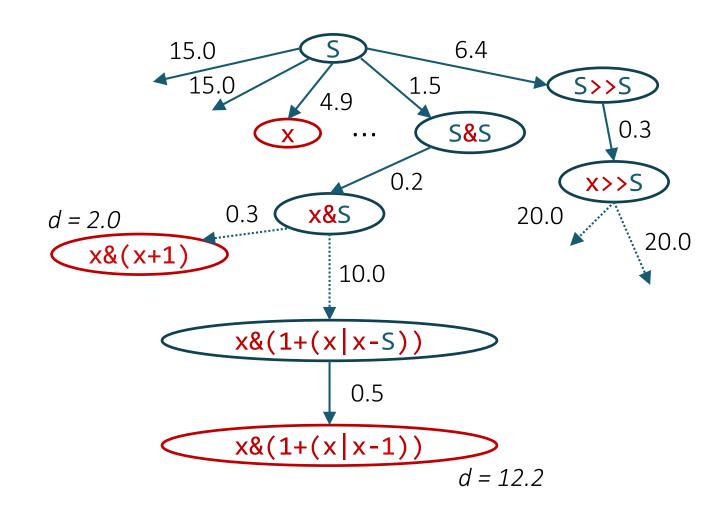
### Weighted top-down search (Dijkstra)

```
top-down(\langle T, N, R, S \rangle, [i \rightarrow o]) {
                                                P now stores candidates (nodes) together
  P := \lceil \langle S, 0 \rangle \rceil \leftarrow
                                               with their distances
  while (P != [])
     <p,d> := P.dequeue min(d);
                                               Dequeue the node with the shortest
     if (ground(p) \&\& p([i]) = [o])
       return p;
                                               distance from the root
     P.enqueue(unroll(p,d));
unroll(p,d) {
  P' := []
                                                Distance to a new node: add the w(e)
  N := leftmost nonterminal in p
  forall (N ::= rhs in R)
     P' += \langle p[N -> rhs], d + w(rhs, p) >
  return P';
```

### Can we do better?

**Dijkstra:** explores a lot of intermediate nodes that don't lead to any cheap leaves

A\*: introduce heuristic function h(p) that estimates how close we are to the closest leaf



# Weighted top-down search (A\*)

```
top-down(\langle T, N, R, S \rangle, [i \rightarrow o]) {
  P := [\langle S, 0, h(S) \rangle]
  while (P != [])
     \langle p,d,h \rangle := P.dequeue\_min(d + h);
     if (ground(p) \&\& p([i]) = [o])
       return p;
     P.enqueue(unroll(p,d));
unroll(p,d) {
  P' := []
  N := leftmost nonterminal in p
  forall (N ::= rhs in R)
     P' += \langle p[N -> rhs], d + w(rhs, p), \rangle
                              h(p[N \rightarrow rhs])>
  return P';
```

Roughly how close is this program to the closest leaf

> So, where do these come from?

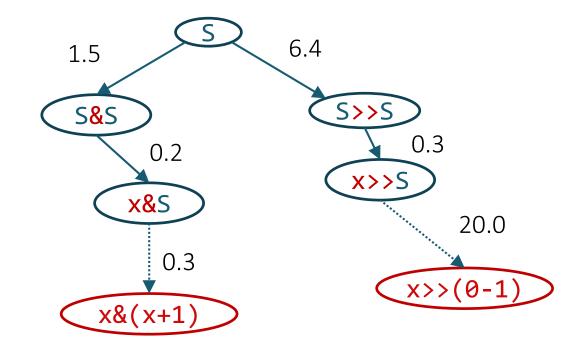
### Assigning weights to edges

$$d(\mathbf{p}) = \sum_{e \in S \to \mathbf{p}} w(e)$$

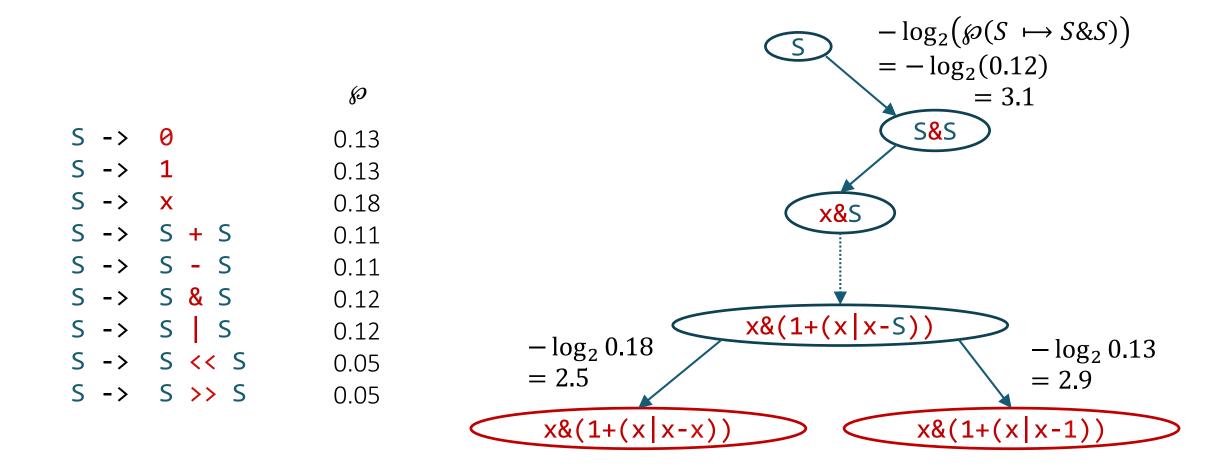
$$2^{-d(\mathbf{p})} = \prod_{e \in S \to \mathbf{p}} 2^{-w(e)}$$

$$\wp(\mathbf{p}) = \prod_{e \in S \to \mathbf{p}} \wp(e)$$

So, we should decide what is the probability of taking each edge  $\mathcal{D}(e)$  and then set  $w(e) = -\log_2 \mathcal{D}(e)$ 



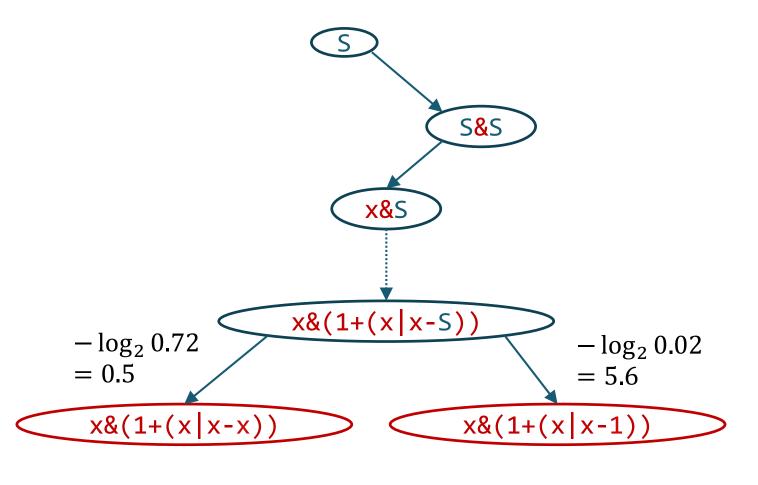
# Probabilistic CFG (PCFG)



# Probabilistic Higher-Order Grammar (PHOG)

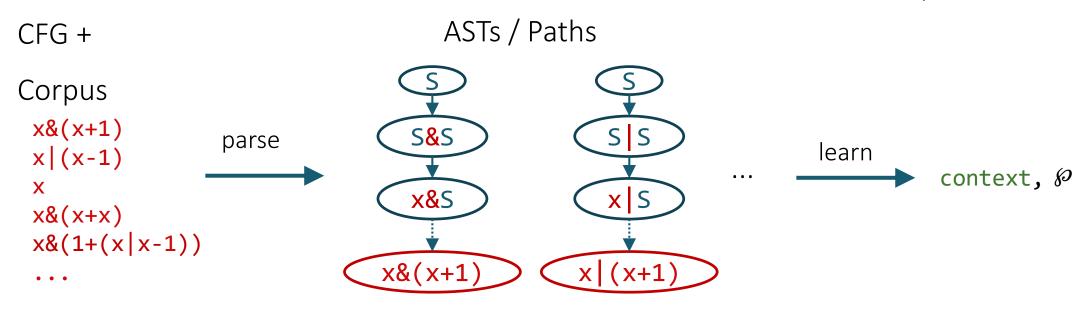
[Bielik, Raychev, Vechev '16]

N[context]	-> rhs	
		Ю
S[x,-] ->	1	0.72
$S[x,-] \rightarrow$	X	0.02
$S[x,-] \rightarrow$	S + S	0.12
S[x,-] ->	S <b>-</b> S	0.12
• • •		
S[1,+] ->	1	0.26
S[1,+] ->	X	0.25
S[1,+] ->	S + S	0.19
S[1,+] ->	S <b>-</b> S	0.08



### Learning PHOGs

[Bielik, Raychev, Vechev '16]



PHOGs useful for:

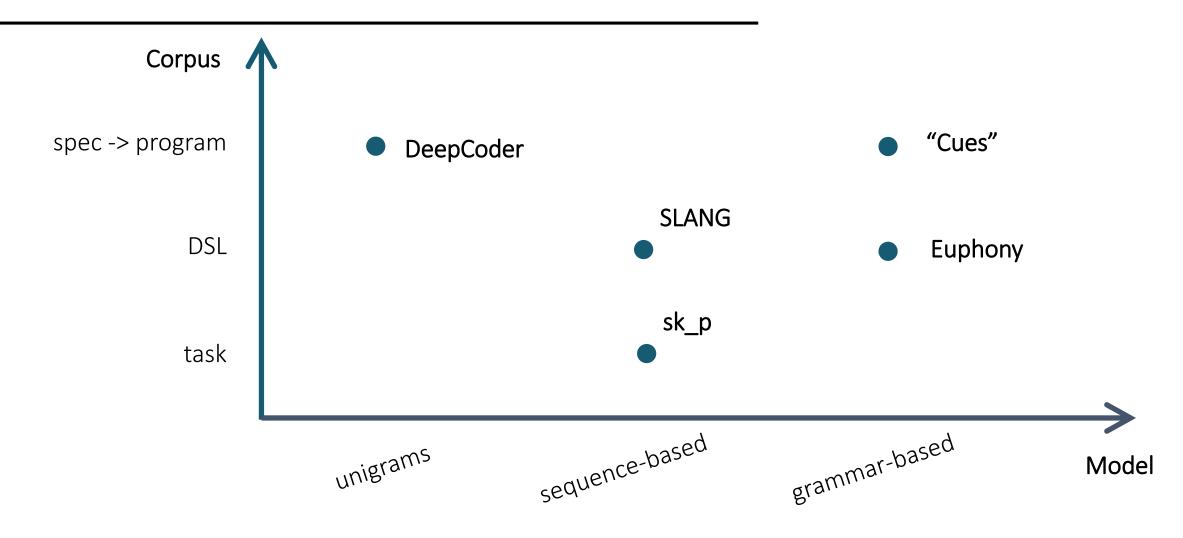
code completion

deobfuscation

programming language translation

statistical bug detection

# How do they compare?



### Next week

#### Topics:

• Synthesis framework demos by John Sarracino (Sketch, PROSE, Rosette)

Paper: Lee, Heo, Alur, Naik: <u>Accelerating Search-Based Program</u> <u>Synthesis using Learned Probabilistic Models</u>. PLDI'18

Review due Wednesday

#### Project:

- Proposals due in two weeks
- Talk to me about the topic: today, Jan 27, 28, 30 at 5pm