



MATLAB Numeric Data Types

- single: single precision floating point number (32 bits)
- double: double precision floating point number (64 bits)
- int8: 8-bit integer [-128 ... 127]
- uint8: 8-bit unsigned integer [0 ... 255]
- int16: 16-bit integer
- uint16: 16-bit unsigned integer
- int32: 32-bit integer
- uint32: 32-bit unsigned integer
- int64: 64-bit integer
- uint64: 64-bit unsigned integer

Binary Arithmetic Operations, $x \text{ op } y$

Shape Compatibility Rules

A.	$+$ $-$.op	x and y have the same size and shape
B.	$*$	<code>size(x,2)</code> equals <code>size(y,1)</code>
C.	\backslash	<code>size(x,1)</code> equals <code>size(y,1)</code>
D.	$/$	<code>size(x,2)</code> equals <code>size(y,2)</code>
E.	$^$	x and y are square and at least one is scalar

Here we have five rules for
a binary operation,

Binary Arithmetic Operations, $x \text{ op } y$

Shape Compatibility Rules

A.	$+$ $-$.op	x and y have the same size and shape or at least one is scalar
B.	$*$	<code>size(x,2)</code> equals <code>size(y,1)</code> or at least one is scalar
C.	\backslash	<code>size(x,1)</code> equals <code>size(y,1)</code> or at least x is scalar
D.	$/$	<code>size(x,2)</code> equals <code>size(y,2)</code> or at least y is scalar
E.	\wedge	x and y are square and at least one is scalar

The special cases are that
if one operand is a scalar,

Binary Arithmetic Operations, $x \text{ op } y$

Shape Compatibility Rules

A.	$+$ $-$.op	x and y have the same size and shape or at least one is scalar
B.	$*$	size(x,2) equals size(y,1) or at least one is scalar
C.	\backslash	size(x,1) equals size(y,1) or at least x is scalar
D.	$/$	size(x,2) equals size(y,2) or at least y is scalar
E.	$^$	x and y are square and at least one is scalar
F.	$+$ $-$.op	array and vector with equal row or column length

Binary Arithmetic Operations, $x \text{ op } y$

Shape Compatibility Rules

A.	$+ -$ $. \text{op}$	x and y have the same size and shape or at least one is scalar
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Binary Arithmetic Operations, $x \text{ op } y$

Type-Shape Combinations

Allowed Operators

1. x, y = floating point numbers \longrightarrow **ALL**
2. x, y = scalars: integers of same type or integer and double \longrightarrow **ALL**
3. x = integer array, y = scalar integer of same type or scalar double \longrightarrow **ALL** except \backslash and \wedge
4. y = integer array, x = scalar integer of same type or scalar double \longrightarrow **ALL** except $/$ and \wedge
5. x, y = non-scalar integers of the same type \longrightarrow **+**, **-**, and **.op**
6. x, y = integers of different types or integer and single \longrightarrow **NONE**

Binary Arithmetic Operations, $x \text{ op } y$

Type-Shape Combinations

Allowed Operators

least

1. x, y = floating point numbers \longrightarrow ALL
2. x, y = scalars: integers of same type or integer and double \longrightarrow ALL
3. x = integer array, y = scalar integer of same type or scalar double \longrightarrow ALL except \backslash and \wedge
4. y = integer array, x = scalar integer of same type or scalar double \longrightarrow ALL except $/$ and \wedge
5. x, y = non-scalar integers of the same type \longrightarrow $+$, $-$, and .op
6. x, y = integers of different types or integer and single \longrightarrow NONE

most

Binary Arithmetic Operations, $x \text{ op } y$

Shape Compatibility Rules

A.	$+$ $-$ $.op$	x and y have the same size and shape or at least one is scalar
B.	$*$	<code>size(x,2)</code> equals <code>size(y,1)</code> or at least one is scalar
C.	\backslash	<code>size(x,1)</code> equals <code>size(y,1)</code> or at least x is scalar
D.	$/$	<code>size(x,2)</code> equals <code>size(y,2)</code> or at least y is scalar
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5. x, y = non-scalar integers of the same type \rightarrow $+$, $-$, and $.op$
6. x, y = integers of different types or integer and single \rightarrow NONE

These tables will let you know what works and what doesn't.

Binary Arithmetic Operations, $x \text{ op } y$

Shape Compatibility Rules

A.	$+$ $-$ $.op$	x and y have the same size and shape or at least one is scalar
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5. x, y = non-scalar integers of the same type → $+$, $-$, and $.op$
6. x, y = integers of different types or integer and single → NONE

The output of $x \text{ op } y$ has the type of the operand that occupies fewer bytes in memory.

You can refer back to these tables, which are provided as accompanying references

Simultaneous Linear Algebraic Equations

$$A x = b$$

$$\begin{bmatrix} A_{11} & A_{12} & \dots & A_{1N} \\ A_{21} & A_{22} & \dots & A_{2N} \\ \vdots & \vdots & \dots & \vdots \\ \vdots & \vdots & \dots & \vdots \\ \vdots & \vdots & \dots & \vdots \\ \vdots & \vdots & \dots & \vdots \\ A_{M1} & A_{M2} & \dots & A_{MN} \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \\ \vdots \\ x_N \end{bmatrix} = \begin{bmatrix} b_1 \\ b_2 \\ \vdots \\ b_M \end{bmatrix}$$

Simultaneous Linear Algebraic Equations

$$A x = b$$

$$\begin{array}{ccccccccc} A_{11}x_1 & + & A_{12}x_2 & + & \dots & + & A_{1N}x_N & = & b_1 \\ A_{21}x_1 & + & A_{22}x_2 & + & \dots & + & A_{2N}x_N & = & b_2 \\ \vdots & & \vdots & & & & \vdots & & \vdots \\ A_{M1}x_1 & + & A_{M2}x_2 & + & \dots & + & A_{MN}x_N & = & b_M \end{array}$$

or some other permutation
of these three adjectives,

Summary of Error Handling

- Previous error handling
 - MATLAB error messages to help us debug our code
 - not informative enough
 - change from one MATLAB version to another
 - If-statements to examine input for errors
 - too many possibilities to be feasible