

# Development of a Lagrangian Particle Dispersion Model Compatible with the Weather Research and Forecasting (WRF) Model – Phase 3

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## 1. Summary

During phases 1 and 2 of this project, the FLEXPART particle dispersion model [Stohl *et al.*, 2005] was modified so that transport and diffusion of atmospheric contaminants and source-receptor relationships were based on the meteorological predictions from the Weather Research and Forecasting (WRF) [Fast and Easter, 2006]. Over the past year, the FLEXPART-WRF model was modified to 1) provide alternative treatments of the turbulent wind components based on the predicted turbulent kinetic energy in WRF and 2) account for vertical convective mixing that is consistent with the parameterizations in WRF. The next section describes the specific changes that were made to the code.

## 2. Specific Modifications

### 2.1 New Options

The *TURB\_OPTION* parameter in the main input file is used to specify how the turbulent wind components are treated. The existing options included:

- *TURB\_OPTION* = 0: turns off all turbulent wind components for particle trajectory calculations
- *TURB\_OPTION* = 1: turbulent wind components are computed based on surface-layer scaling and local stability

The following two options have been added:

- *TURB\_OPTION* = 2: turbulent wind components are computed based on predicted turbulent kinetic energy (TKE) where TKE is partitioned based on surface-layer scaling and local stability as used in *TURB\_OPTION* = 1
- *TURB\_OPTION* = 3: same as *TURB\_OPTION* = 2 except that TKE is partitioned by assuming a balance production of turbulent energy and dissipation.

For the new options, TKE must be written in the WRF output files.

The *LCONVECTION* parameter in the main input file is used to specify how convective mixing affects particle dispersion. The existing options included:

- *LCONVECTION* = 0: there is no convection treatment.
- *LCONVECTION* = 1: subgrid-scale convection is treated based on Emanuel scheme [Emanuel, 1991; Emanuel and Zivkovic-Rothman, 1999]

The following two options have been added:

- *LCONVECTION* = 2: convective fluxes are calculated based on KFeta scheme [Kain and Fritsch, 1990; Kain, 2004] and particle are repositioned based on the assumption that particles in the updraft plume are well mixed

- *LCONVECTION* = 3: same as *LCONVECTION* = 2 except that particles are repositioned based on probability of being entrained into and detrained out the cloud region

The new convection treatments in FLEXPART-WRF are applied on mesoscale sub-grid scales. Note that the code turns off convection when the horizontal grid size is equal to or smaller than 10 km, where WRF itself can resolve convection to some extent.

The new convective treatments are computationally expensive. Users have the option to compute convective mixing at selected time intervals (similar to the frequency that convective mixing is computed in WRF) using the parameter *DT\_CONV* in the main input file.

In addition, wet removal has been modified to included to use rain (both explicit and sub-grid scale) predicted by WRF. The user must ensure the variables RAINC, RAINNC, and CLDFRA are written to the WRF output files. If they are not present, wet removal will be zero.

A more detailed description of the methodology associated with the new treatments of turbulence and convective mixing are described in the Appendices A and B.

## 2.2 New and Modified Code

The code now contains the following new routines:

- *tke\_partition\_hanna.f*: partition of TKE based on relationship given by Hanna's empirical formula
- *tke\_partition\_MY.f*: partition of TKE based on Mellor-Yamada
- *convmix\_kfeta.f*: routine for preparing meteorological data for KFeta convection scheme
- *convection\_kfeta.f90* : subroutines for determining convection calculating convective fluxes using KFeta scheme that are extracted from WRF.
- *pre\_redist\_kf.f*: routine for preprocessing data for *redist\_kf.f*
- *redist\_kf.f*: subroutine for redistributing particle positions that are involved in updrafts
- *include\_kftable*: definition of variables used in KF convection scheme

Modifications were also made to the existing code to read new variables needed for incorporating TKE and convection into FLEXPART, including the following routines

```

includecom
includeinterpol
includepar
advance.f
gridcheck.f
gridcheck_nests.f
initialize.f
interpol_all
interpol_all_nests
interpol_misslev
interpol_misslev_nests
interpol_rain
interpol_rain_nests
read_ncwrfout.f
readinput.f
readwind.f

```

*readwind\_nests.f*  
*timemanage.f*  
*verttransform.f*  
*verttransform\_nests.f*

### **3. Users**

An older version of FLEXPART-WRF (prior to the consolidation of the input files) has been made publicly available through Andreas Stohl's web site:

<http://zardoz.nilu.no/~andreas/flextra+flexpart.html>.

The code is now being widely used, as indicated by e-mail correspondence to Jerome Fast. Most of the correspondence pertains to minor questions associated with how to set up and run the code. There have been no major bugs reported by the users. Known users include:

- Danny McKenna, NCAR
- Adam Hirsch, Jerome Brioude, NOAA
- Bret Anderson, EPA
- Matthew Simpson, LNNL
- Stephanie Seely, ENSCO
- Stephan de Wekker, University of Virginia
- Ben de Foy, University of St. Louis
- Henry Fuelburg, Florida State University
- several international scientists

## Appendix A: Treatment of Turbulence

TKE can be partitioned two ways.

1) *Based on surface scaling and local stability*

$$\sigma_u^2 = f_u \times TKE, \quad (A.1)$$

$$\sigma_v^2 = f_v \times TKE, \quad (A.2)$$

$$\sigma_w^2 = f_w \times TKE, \quad (A.3)$$

where  $\sigma_u$ ,  $\sigma_v$ , and  $\sigma_w$  are standard deviations of velocity components in the  $x$ ,  $y$ , and  $z$  directions, respectively;  $f_u$ ,  $f_v$ , and  $f_w$  are fractions of TKE  $(= (\sigma_u^2 + \sigma_v^2 + \sigma_w^2) / 2)$ , and estimated from the ratios of turbulence velocity components given by surface scaling and local stability. Detailed formulation can be found in *Stohl et al.* [2005].

2) *Based on a simplified 2<sup>nd</sup>-order closure technique*

Given TKE, wind, and potential temperature fields produced by WRF, standard variance of wind components can be estimated based on a simplified 2<sup>nd</sup>-closure technique [*Mellor and Yamada*, 1974, 1982; *Helfand and Labraga*, 1988]. The turbulence length scale,  $l$ , is calculated as,

$$l = \frac{\kappa(z + z_0)}{1 + \kappa(z + z_0) / l_\infty}, \quad (A.4)$$

$$l_\infty = 0.1 \frac{\int_0^H z \sqrt{e} dz}{\int_0^H \sqrt{e} dz}. \quad (A.5)$$

An upper limit for  $l$  under stable conditions is

$$l \leq 0.75 \left[ \frac{2e}{(g/\theta) \partial \theta / \partial z} \right]^{1/2} \quad (A.6)$$

The nondimensional vertical gradients of wind and temperature are,

$$G_u = \frac{l}{\sqrt{2e}} \frac{\partial u}{\partial z}, \quad (A.7)$$

$$G_v = \frac{l}{\sqrt{2e}} \frac{\partial v}{\partial z}, \quad (A.8)$$

$$G_m = G_u^2 + G_v^2, \quad (A.9)$$

$$G_h = -\frac{g}{\theta} \frac{l^2}{2e} \frac{\partial \theta}{\partial z}, \quad (A.10)$$

$$\sigma_u^2 = 2e(1/3 - 2A_1(S_m G_m + S_h G_h) + 6A_1 S_m G_u^2), \quad (A.11)$$

$$\sigma_v^2 = 2e(1/3 - 2A_1(S_m G_m + S_h G_h) + 6A_1 S_m G_v^2), \quad (A.12)$$

$$\sigma_w^2 = 2e(1/3 - 2A_1(S_m G_m + S_h G_h) + 6A_1 S_m G_h^2), \quad (\text{A.13})$$

Lagrangian time scales are expressed as,

$$T_u = c_t \frac{l}{\sigma_u}, \quad (\text{A.14})$$

$$T_v = c_t \frac{l}{\sigma_v}, \quad (\text{A.15})$$

$$T_w = c_t \frac{l}{\sigma_w}, \quad (\text{A.16})$$

$$S_m = \frac{A_1 \{1 - 3C_1 - 3A_2[B_2(1 - 3C_1) - 12A_1 C_1 - 3A_2]G_h\}}{1 - 3A_2(7A_1 + B_2)G_h + 27A_1 A_2^2(4A_1 + B_2)G_h^2 + 6A_1^2[1 - 3A_2(B_2 - 3A_2)G_h]G_m}, \quad (\text{A.17})$$

$$S_h = A_2 \frac{1 - 6A_1 S_m G_m}{1 - 3A_2(4A_1 + B_2)G_h}, \quad (\text{A.18})$$

Empirical constants follows *Mellor and Yamada* [1982], so that  $(A_1, A_2, B_1, B_2, C_1) = (0.92, 0.74, 16.1, 10.1, 0.08)$ . The above relations are applied to decaying turbulence when TKE is greater than the equilibrium TKE that is calculated as,

$$e_r = \frac{B_1}{2} l^2 \left[ S_{mr} \left( \frac{\partial u}{\partial z} \right)^2 \left( \frac{\partial v}{\partial z} \right)^2 - S_{hr} \frac{g}{\theta} \frac{\partial \theta}{\partial z} \right] \quad (\text{A.19})$$

$$S_{hr} = C_h \frac{R_{fc} - R_f}{1 - R_f}, \quad (\text{A.20})$$

$$S_{mr} = C_m \frac{R_{f1} - R_f}{R_{f2} - R_f} S_{hr}, \quad (\text{A.21})$$

The flux Richardson number

$$R_f = - \frac{S_h G_h}{S_m G_m}, \quad (\text{A.22})$$

Here the critical flux Richardson number  $R_{fc}$ ,  $R_{f1}$ ,  $R_{f2}$ ,  $C_h$ ,  $C_m$  are determined from empirical constants,

$$R_{fc} = \frac{E_1}{E_2}, \quad (\text{A.23})$$

$$R_{f1} = \frac{E_3}{E_4}, \quad (\text{A.24})$$

$$R_{f2} = \frac{E_1}{E_5}, \quad (\text{A.25})$$

$$C_h = \frac{A_2}{B_1} E_2, \quad (\text{A.26})$$

$$C_m = \frac{A_1}{A_2} \frac{E_4}{E_5}, \quad (\text{A.27})$$

where

$$E_1 = B_1 - 6A_1 \quad (\text{A.28})$$

$$E_2 = 12A_1 + B_1 + 3B_2 \quad (\text{A.29})$$

$$E_3 = B_1(1-3C_1) - 6A_1 \quad (\text{A.30})$$

$$E_4 = B_1(1-3C_1) + 12A_1 + 9A_2 \quad (\text{A.31})$$

$$E_5 = B_1 + 3A_1 + 3B_2 \quad (\text{A.32})$$

For growing turbulence when  $e < e_r$ , modification proposed by *Helfand and Labraga* [1988] is used, i.e.,

$$S_m = \sqrt{e/e_r} S_{mr}, \quad (\text{A.33})$$

$$S_h = \sqrt{e/e_r} S_{hr}, \quad (\text{A.34})$$

And  $e$  is replaced by  $e_r$  when standard variances of turbulent wind components are calculated.

Figures A.1 – A.3 depict the differences in predicted concentrations resulting from the various treatments of the turbulent wind components. Figure A.1 employs  $TURB\_OPTION = 1$ , the default setting that does not employ the TKE from WRF. Figures A.2 and A.3 employ  $TURB\_OPTION = 2$  and 3, respectively. While the spatial extent of particle dispersion is qualitatively similar among the three methods, there are differences in the concentrations. The results from  $TURB\_OPTION = 2$  and 3 are more similar to each other than to the default value given by  $TURB\_OPTION = 1$ .

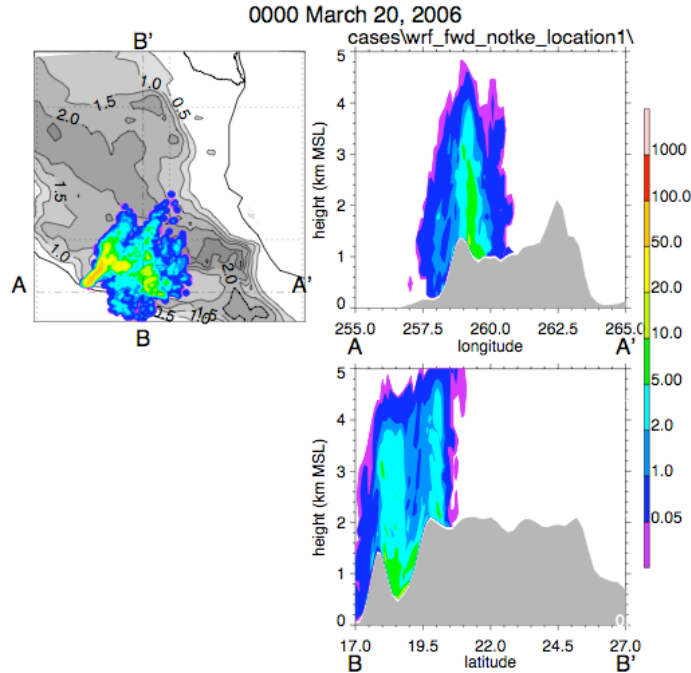


Figure A.1. Predicted particulate concentrations using  $TURB\_OPTION = 1$ .

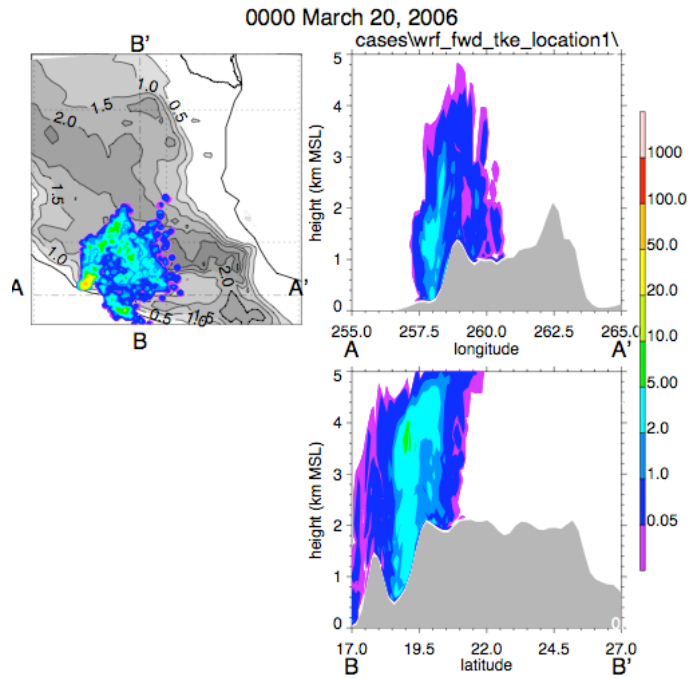


Figure A.2. Predicted particulate concentrations using  $TURB\_OPTION = 2$ .

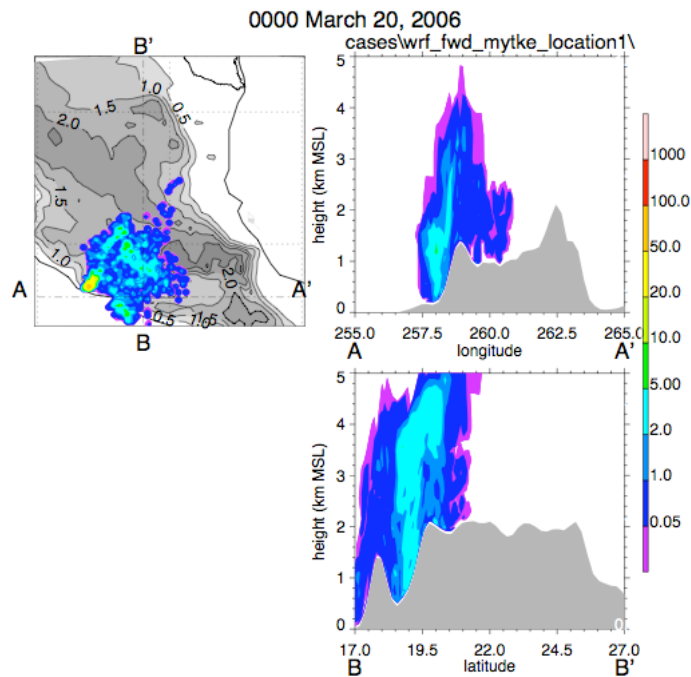


Figure A.3. Predicted particulate concentrations using  $TURB\_OPTION = 3$ .

## Appendix B: Treatment of Subgrid-Scale Convection

Particles within convective plumes are redistributed in a probabilistic manner. Probabilities are determined based on convective mass fluxes provided by the KFeta convective parameterization scheme [Kain, 2004] used by WRF. Formulations are similar to one proposed by Collins *et al.* [2002].

In the KFeta scheme, the change in updraft and downdraft mass fluxes with height can be expressed as,

$$\frac{\partial F_u}{\partial z} = e_u - d_u, \quad (\text{B.1})$$

$$\frac{\partial F_d}{\partial z} = e_d - d_d, \quad (\text{B.2})$$

where  $F_u$  is the updraft mass flux ( $\text{kg/s/m}^2$ ) and  $F_d$  is the downdraft mass flux ( $\text{kg/s/m}^2$ ),  $e_u$  and  $d_u$  are the entrainment and detrainment rates for the updraft plume, respectively, and  $e_d$  and  $d_d$  for the downdraft plume. In the KFeta scheme, mass fluxes at a level  $k$  are

$$F_u(k) = F_u(k-1) + E_u(k) - D_u(k), \quad (\text{B.3})$$

$$F_d(k) = F_d(k+1) + E_d(k) - D_d(k), \quad (\text{B.4})$$

where  $E_u$  and  $D_u$  are the entrainment and detrainment fluxes ( $\text{kg/s/m}^2$ ) for the updraft plume, respectively, and  $E_d$  and  $D_d$  are for the downdraft, respectively. They are calculated based on the KFeta convective parameterization scheme.

For a particle located at a height between  $z(k-1)$  and  $z(k)$ , the probability to be entrained into the updraft plume during a time interval  $\Delta t$ ,  $p_{eu}$ , is calculated as the ratio of the entrained air mass into updraft to the total mass between  $z(k-1)$  and  $z(k)$ ,

$$p_{eu}(k) = \frac{E_u(k)\Delta t\Delta x\Delta y}{\rho\Delta z(k)\Delta x\Delta y} = \frac{E_u(k)\Delta t}{\rho\Delta z(k)}, \quad (\text{B.5})$$

Where  $\Delta x$  and  $\Delta y$  are the horizontal grid sizes in meters,  $\Delta z$  is equal to  $z(k)-z(k-1)$ ,  $\rho$  is air density ( $\text{kg/m}^3$ ). Similarly, the updraft detrainment probability,  $p_{du}$ , is,

$$p_{du}(k) = \frac{D_u(k)}{F_u(k-1)} \quad (\text{B.6})$$

We assume that the particle entrained into the updraft can reach any levels till it is detrained out the updraft during the time interval  $\Delta t$ . If the particle is detrained at a level, then it will stay there and no longer be repositioned during  $\Delta t$ . The probability that the particle can reach level  $z(m)$  above  $z(k)$  (inside updraft) is,

$$p_u(m) = (1 - p_{du}(k+1)) \times (1 - p_{du}(k+2)) \dots \times (1 - p_{du}(m-1)) = \prod_{i=k+1}^{m-1} [1 - p_{du}(i)]. \quad (\text{B.7})$$

Then the probability that the particle is detrained and stays at level  $m$  is,

$$P_u(m) = p_u(m) \times p_{du}(m)$$



Based on mass consistent, all particles at level  $k$  move downward by a distance  $F_u(k)\Delta t/(\rho\Delta x\Delta y)$ . Similarly, the probability of a particle being entrained into the downdraft during  $\Delta t$ ,  $p_{ed}(k)$ , is,

$$p_{ed}(k) = \frac{E_d(k)\Delta t\Delta x\Delta y}{\rho\Delta z(k)\Delta x\Delta y} = \frac{E_d(k)\Delta t}{\rho\Delta z(k)} \quad (\text{B.8})$$

The downdraft detrainment probability,  $p_{dd}(k)$ , is,

$$p_{dd}(k) = \frac{D_d(k)}{F_d(k+1)} \quad (\text{B.9})$$

The probability that the particle reaches level  $z(m)$  below  $z(k)$  is,

$$p_d(m) = (1 - p_{dd}(k-1)) \times (1 - p_{dd}(k-2)) \dots \times (1 - p_{dd}(m-1)) = \prod_{i=k-1}^{m-1} [1 - p_{dd}(i)] \quad (\text{B.10})$$

Then the probability that the particle is detrained out the downdraft and stays at level  $m$  is,

$$P_d(m) = p_d(m) \times p_{dd}(m) \quad (\text{B.11})$$

All particles at level  $k$  move upward by a distance  $F_d(k)\Delta t/(\rho\Delta x\Delta y)$ .

Since the downdraft's mass flux is usually significantly smaller than updraft's, particles are repositioned mainly by updraft. The above particle redistribution scheme is implemented in the FLEXPART-WRF by selecting  $LCONVECTION = 3$ .

FLEXPART-WRF also provides a simple redistribution scheme ( $LCONVECTION = 2$ ) that assumes particles involved in cloud will be redistributed randomly between cloud bottom and top.

The probability of a particle below cloud top being mixed inside the cloud updraft flow,  $p_u$ , is assumed to be equal to the ratio of air mass pumped by cloud at the cloud base during  $\Delta t$  to the total air mass below the cloud base, i.e.,

$$p_u = \frac{F_u(k_B)\Delta t\Delta x\Delta y}{\rho z_B\Delta x\Delta y} = \frac{F_u(k_B)\Delta t}{\rho z_B} \quad (\text{B.12})$$

Then the probability of the particle being repositioned to interval between  $z(m-1)$  and  $z(m)$  is,

$$P_u(m) = \frac{\Delta z(m)}{\sum_{i=kt}^{kt} \Delta z(i)}, \quad (\text{B.13})$$

where  $z_B$  is the cloud base height above the ground,  $kt$  and  $kb$  are indexes of height for convective cloud top and bottom. The downdraft flux, which is usually much smaller than the updraft flux, is not considered.

This scheme is implemented by selecting  $LCONVECTION = 2$ .

Figures B.1 – B.3 depict the differences in predicted concentrations resulting from the various treatments of the convective mixing. Figure B.1 employs  $LCONVECTION = 0$ , the default setting that does not include any convective mixing. Figures B.2 and B.3 employ  $LCONVECTION = 2$  and 3, respectively. The differences in the predicted spatial extent of

particle dispersion and magnitude of the concentrations are usually small. However,  $LCONVECTION = 3$  produces a deeper layer of vertical mixing within 2 km of the surface in some locations. The minor differences in this case may be the result of the amount of convective mixing that is produced in the simulation. For this case, convection was occurring in portions of the domain. Additional tests would be required to more rigorously test the new treatments under a broader range of meteorological conditions.

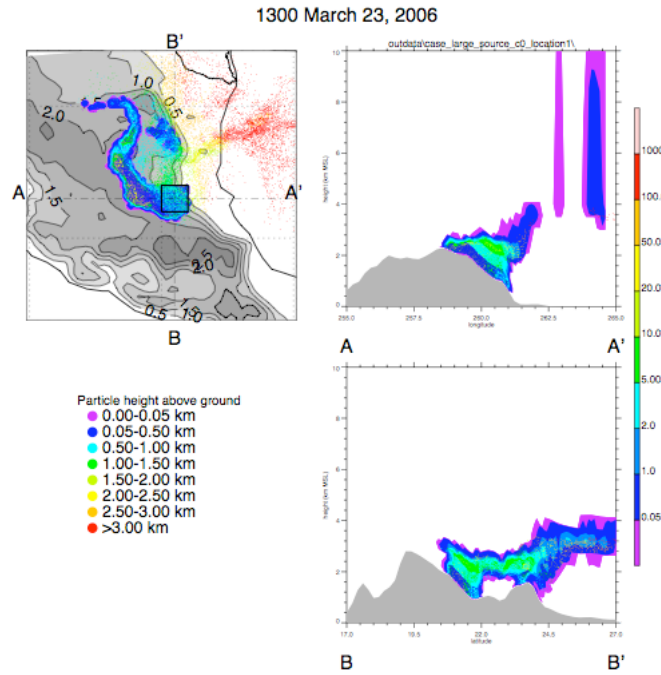


Figure B.1. Predicted particulate concentrations using  $LCONVECTION = 0$ .

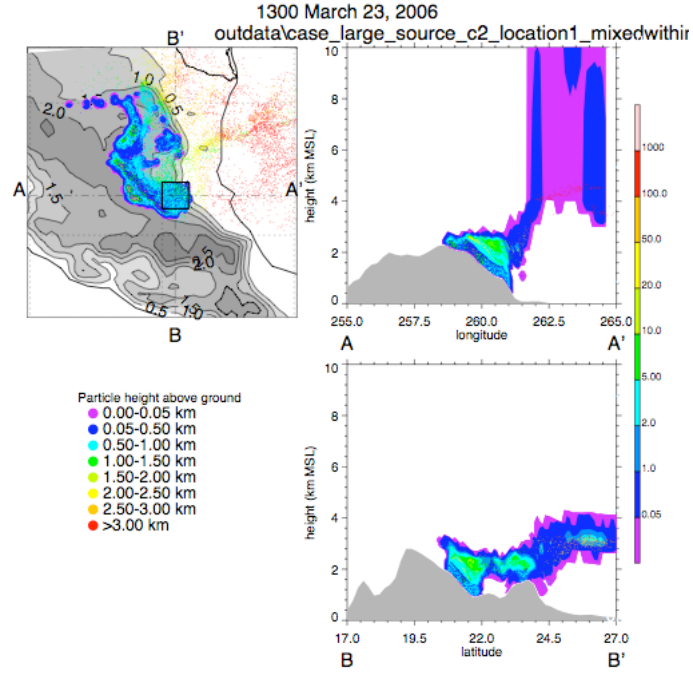


Figure B.2. Predicted particulate concentrations using  $LCONVECTION = 2$ .

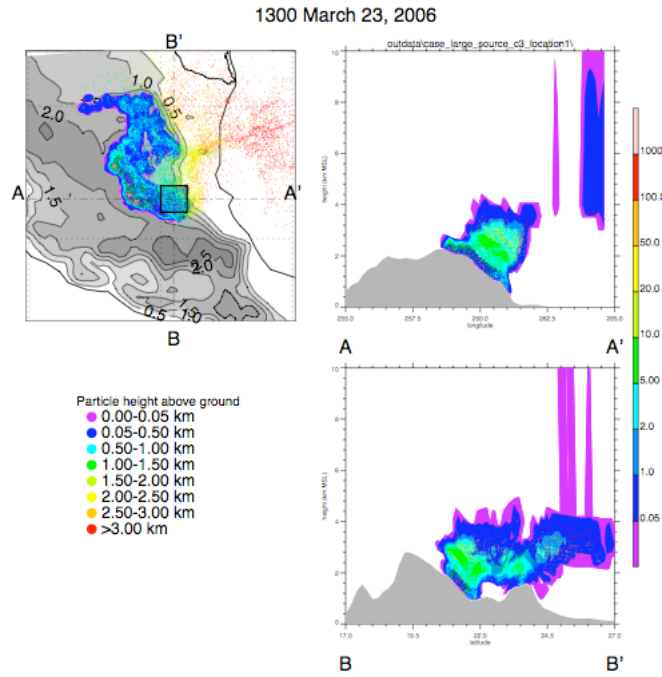


Figure B.3. Predicted particulate concentrations using  $LCONVECTION = 3$ .

## Appendix C: Main Input File

Parameters that have been added or modified are highlighted in red:

```
=====FORMER PATHNAMES FILE=====
/files1/d3p207/aftac/mytest/pilt/testrun_long/out_6days_location4_test/
/files1/d3p207/aftac/mytest/pilt/testrun_long/netcdf/
/files1/d3p207/aftac/mytest/pilt/testrun_long/netcdf/AVAILABLE
=====
=====FORMER COMMAND FILE=====
1 LDIRECT: 1 for forward simulation, -1 for backward simulation
20060322 120000 YYYYMMDD HHMISS beginning date of simulation
20060328 120000 YYYYMMDD HHMISS ending date of simulation
3600 SSSSS output every SSSSS seconds
3600 SSSSS time average of output (in SSSSS seconds)
900 SSSSS sampling rate of output (in SSSSS seconds)
999999999 SSSSS time constant for particle splitting (in seconds)
900 SSSSS synchronisation interval of flexpart (in seconds)
-5.0 CTL factor by which time step must be smaller than tl
4 IFINE decrease of time step for vertical motion by factor ifine
1 IOUT 1 concentration, 2 mixing ratio, 3 both, 4 plume traject, 5=1+4
1 IPOUT particle dump: 0 no, 1 every output interval, 2 only at end
1 LSUBGRID subgrid terrain effect parameterization: 1 yes, 0 no
0 LCONVECTION convection: 1 yes, 0 no
3600. DT_CONV time interval to call convection, seconds
0 LAGESPECTRA age spectra: 1 yes, 0 no
0 IPIN continue simulation with dumped particle data: 1 yes, 0 no
0 IFLUX calculate fluxes: 1 yes, 0 no
0 MDOMAINFILL domain-filling trajectory option: 1 yes, 0 no, 2 strat. o3 tracer
1 IND_SOURCE 1=mass unit , 2=mass mixing ratio unit
1 IND_RECEPTOR 1=mass unit , 2=mass mixing ratio unit
0 MQASILAG quasilagrangian mode to track indivitual particles: 1 yes, 0 no
0 NESTED_OUTPUT shall nested output be used? 1 yes, 0 no
3 TURB_OPTION 0=no turbulence; 1=diagnosed as in flexpart_ecmwf; 2=from tke.
1 ADD_SFC_LEVEL add a level near sfc using u10,v10,t2,qv2? 1 yes, 0 no
0 SFC_OPTION 0=default computation of u*, hflux, pblh, 1=from wrf
1 IOUTTYPE 0=default binary, 1=ascii
=====FORMER AGECLASSES FILE=====
1 NAGECLASS number of age classes
1728000 SSSSS age class in SSSSS seconds
=====FORMER OUTGRID FILE=====
-102.000 OUTLONLEFT geographical longitude of lower left corner of output grid
13.500 OUTLATLOWER geographical latitude of lower left corner of output grid
101 NUMXGRID number of grid points in x direction (= # of cells + 1)
101 NUMYGRID number of grid points in y direction (= # of cells + 1)
-92.000 DXOUTLON grid distance in x direction
23.500 DYOUTLON grid distance in y direction
17 NUMZGRID number of vertical levels
50.0 LEVEL height of level (upper boundary)
100.0 LEVEL height of level (upper boundary)
200.0 LEVEL height of level (upper boundary)
400.0 LEVEL height of level (upper boundary)
600.0 LEVEL height of level (upper boundary)
800.0 LEVEL height of level (upper boundary)
1000.0 LEVEL height of level (upper boundary)
1200.0 LEVEL height of level (upper boundary)
1400.0 LEVEL height of level (upper boundary)
1600.0 LEVEL height of level (upper boundary)
1800.0 LEVEL height of level (upper boundary)
2000.0 LEVEL height of level (upper boundary)
2500.0 LEVEL height of level (upper boundary)
3000.0 LEVEL height of level (upper boundary)
3500.0 LEVEL height of level (upper boundary)
4000.0 LEVEL height of level (upper boundary)
10000.0 LEVEL height of level (upper boundary)
=====FORMER RECEPTOR FILE=====
7 NUMRECEPTOR number of receptors
F01 RECEPTORNAME name of receptor point
-99.125 XRECEPTOR geographical longitude
19.375 YRECEPTOR geographical latitude
F02 RECEPTORNAME name of receptor point
-99.750 XRECEPTOR geographical longitude
19.375 YRECEPTOR geographical latitude
F03 RECEPTORNAME name of receptor point
-100.750 XRECEPTOR geographical longitude
19.375 YRECEPTOR geographical latitude
F04 RECEPTORNAME name of receptor point
-101.750 XRECEPTOR geographical longitude
19.375 YRECEPTOR geographical latitude
F05 RECEPTORNAME name of receptor point
```

```

-102.750      XRECEPTOR      geographicl longitude
  19.375      YRECEPTOR      geographical latitude
  F06         RECEPTORNAME    name of receptor point
-103.750      XRECEPTOR      geographicl longitude
  19.375      YRECEPTOR      geographical latitude
  F07         RECEPTORNAME    name of receptor point
-104.750      XRECEPTOR      geographicl longitude
  19.375      YRECEPTOR      geographical latitude
=====FORMER SPECIES FILE=====
  1           NUMTABLE          number of variable properties
1 AIRTRACER   -999.9   -9.9E-09   -9.9   -9.9E09   -9.99   29.00
=====FORMER RELEASES FILE=====
  1           NSPEC             total number of species emitted
  1           EMITVAR           1 for emission variation
  1           LINK              index of species in file SPECIES
  0 1.000 1.000   IHOUR         include if EMITVAR=1 for each species
  1 1.000 1.000   AREA_HOUR
  2 1.000 1.000   POINT_HOUR
  3 1.000 1.000
  4 1.000 1.000
  5 1.000 1.000
  6 1.000 1.000
  7 1.000 1.000
  8 1.000 1.000
  9 1.000 1.000
 10 1.000 1.000
 11 1.000 1.000
 12 1.000 1.000
 13 1.000 1.000
 14 1.000 1.000
 15 1.000 1.000
 16 1.000 1.000
 17 1.000 1.000
 18 1.000 1.000
 19 1.000 1.000
 20 1.000 1.000
 21 1.000 1.000
 22 1.000 1.000
 23 1.000 1.000
  1 1.000 1.000   IDOW          include if EMITVAR=1 for each species
  2 1.000 1.000   AREA_DOW
  3 1.000 1.000   POINT_DOW
  4 1.000 1.000
  5 1.000 1.000
  6 1.000 1.000
  7 1.000 1.000
  1           NUMPOINT          number of releases
20060322 120000 ID1, IT1        beginning date and time of release
20060328 120000 ID2, IT2        ending date and time of release
-101.0      XPOINT1            longitude [deg] of lower left corner
16.         YPOINT1            latitude [deg] of lower left corner
-92.000     XPOINT2            longitude [deg] of upper right corner
20.00      YPOINT2            latitude [DEG] of upper right corner
  1           KINDZ             1 for m above ground, 2 for m above sea level
0000.00     ZPOINT1            lower z-level (in m agl or m asl)
1000.00     ZPOINT2            upper z-level (in m agl or m asl)
90000       NPART              total number of particles to be released
1.0000E00    XMASS              total mass emitted
RELEASE_TEST1 COMPOINT         character*20 comment
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