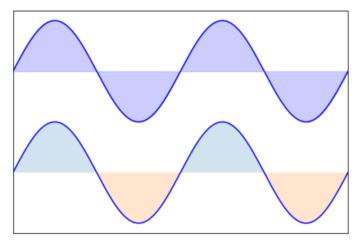
## **Plotting**

```
In [34]: import numpy as np
import matplotlib.pyplot as plt
%matplotlib inline
```

1. Create the plot shown in the figure below, some helper code is provided below so you only have to fill in the missing code that creates the colored regions.



```
In [36]: X = np.linspace
```

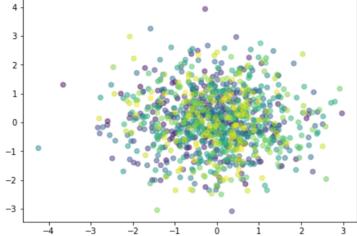
1. Recreate the plot shown below, fill in the neccessary code to add the colors and the transperancy factors.

```
In [37]: '''the code given below creates a random set of points on the graph,
    fill in the appropriate arguments to recreate the given image'''

n = 1024
X = np.random.normal(0,1,n)
Y = np.random.normal(0,1,n)

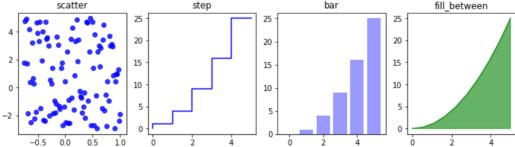
plt.axes([0.025,0.025,0.95,0.95])
plt.scatter(X,Y,c=np.arange(0,n),alpha=0.5)

plt.show()
```



1. Recreate the different 2-D plots shown in the figure below, the axes take the values for x and x^2

```
In [38]:
         import random
          # use the 'n' dataset to create the step and bar graphs
          n = np.array([0,1,2,3,4,5])
          sqr = n**2
          # the scatter plot can be obtained using the 'xx' datapoints
          xx = np.linspace(-0.75, 1., 100)
          yy = [random.uniform(-3,5) for x in xx]
          # use the 'x' dataset to create the fill between plot
          x = np.linspace(0, 5, 10)
          y = x**2
          # Insert code here to add the figure and subplots
          fig, axes = plt.subplots(1, 4, figsize=(12,3))
          #Insert code here
          axes[0].set title("scatter")
          axes[0].scatter(xx,yy,c="b",alpha=0.8)
          #Insert code here
          axes[1].set title("step")
          axes[1].step(n,sqr,c="b")
          #Insert code here
          axes[2].set title("bar")
          axes[2].bar(n,sqr,color="b",alpha=0.4)
          #Insert code here
          axes[3].set_title("fill_between");
          axes[3].plot(x,y,c='g',alpha=0.6) axes[3].fill(np.append(x,5),np.append(y,0),c='g',alpha=0.6)
          plt.show()
                   scatter
                                       step
                                                           bar
                                                                           fill between
```



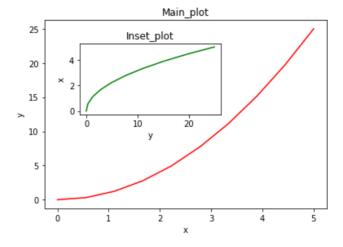
1. Use your knowledge of matplotlib to create a plot with a inset plot within it.

```
In [39]: y = x ** 2
    fig = plt.figure()

axes1 = fig.add_axes([0.1, 0.1, 0.8, 0.8]) # main axes
axes2 = fig.add_axes([0.2, 0.5, 0.4, 0.3]) # inset axes

# main figure
axes1.plot(x,y,c="r")
axes1.set(title="Main_plot",ylabel='y',xlabel='x')

# inset plot
axes2.plot(y,x,c="g")
axes2.set(title="Inset_plot",ylabel='x',xlabel='y')
plt.show()
```



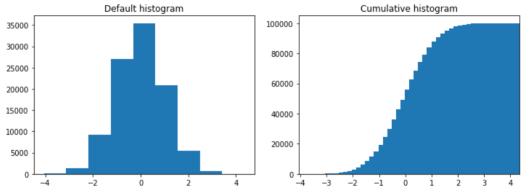
1. Create a cumulative histogram using the datapoints given below

```
In [40]: # A histogram
    n = np.random.randn(100000)

#Insert code for figure and subplot
    fig, axes = plt.subplots(1, 2,figsize=(12,4))

#Insert code here(Default histogram)
    axes[0].hist(n, bins=9)
    axes[0].set(title="Default histogram")

#Insert code here(Cumulative histogram)
    axes[1].hist(n, bins=50, cumulative=True)
    axes[1].set(title="Cumulative histogram",xlim=(n.min(),n.max()))
    plt.show()
```



## **Sympy**

```
In [41]: import sympy as sy
```

1. Write a few lines of code to reproduce the following number notations

```
In [44]: # use the answer of the previous cell to get back the original factors
# Insert code here
print factor(eqn_expand)

(x + 11)*(x + 22)*(x + 33)
```

1. Differentiate the following equation:  $v_0t - \frac{1}{2}gt^2$  with respect to t and integrate the answer to get the formula back:

```
In [45]: | #Insert code here
          v,g,t = symbols('v,g,t')
          eqn = v*t - 0.5*g*t**2
diff_eqn = diff(eqn,t)
          print diff_eqn
          print integrate(diff_eqn,t)
          -1.0*g*t + v
          -0.5*g*t**2 + 1.0*t*v
In [46]: #Insert code here for second derivative
          print ('acceleration:') # 2nd derivative
          diff2_eqn = diff(eqn,t,2)
          print diff2_eqn
          #Insert code here for the integration
          print integrate(integrate(diff2_eqn,t),t)
          acceleration:
          -1.0*g
          -0.5*q*t**2
```

## That's all folks!