Scales

July 21, 2021

1 Scales

```
excellent
               A+
excellent
               Α
excellent
               A-
good
               B+
good
               В
good
               B-
               C+
ok
ok
                C
ok
               C-
               D+
poor
                D
poor
```

```
[2]: # Now, if we check the datatype of this column, we see that it's just anu object, since we set string values df.dtypes
```

```
[2]: Grades object dtype: object
```

```
[3]: # We can, however, tell pandas that we want to change the type to category,
     →using the astype() function
    df ["Grades"] .astype("category") .head()
[3]: excellent
                 A+
    excellent
                   Α
    excellent
                 A-
    good
                 B+
    good
                  В
    Name: Grades, dtype: category
    Categories (11, object): [A, A+, A-, B, ..., C+, C-, D, D+]
[4]: # We see now that there are eleven categories, and pandas is aware of what \sqcup
     → those categories are. More
    # interesting though is that our data isn't just categorical, but that it'su
     →ordered. That is, an A- comes
    # after a B+, and B comes before a B+. We can tell pandas that the data is_{\sqcup}
     →ordered by first creating a new
    # categorical data type with the list of the categories (in order) and the
     →ordered=True flag
    my_categories=pd.CategoricalDtype(categories=['D', 'D+', 'C-', 'C', 'C+', 'B-', _
     \hookrightarrow 'B', 'B+', 'A-', 'A', 'A+'],
                                 ordered=True)
    # then we can just pass this to the astype() function
    grades=df ["Grades"] .astype(my_categories)
    grades.head()
[4]: excellent
    excellent
                  Α
    excellent
                 A-
    good
                 B+
                  В
    good
    Name: Grades, dtype: category
    Categories (11, object): [D < D+ < C- < C ... B+ < A- < A < A+]
[5]: # Now we see that pandas is not only aware that there are 11 categories, but it t_{\perp}
     →is also aware of the order of
    # those categoreies. So, what can you do with this? Well because there is an
     →ordering this can help with
    # comparisons and boolean masking. For instance, if we have a list of our
     \rightarrow grades and we compare them to a C
    # we see that the lexicographical comparison returns results we were not,
     \rightarrow intending.
    df [df ["Grades"]>"C"]
[5]:
         Grades
             C+
    ok
             C-
    ok
```

```
D
   poor
[6]: # So a C+ is great than a C, but a C- and D certainly are not. However, if we_
     ⇒broadcast over the dataframe
    # which has the type set to an ordered categorical
    grades[grades>"C"]
[6]: excellent
   excellent
                 Α
    excellent
                 A -
                 B+
   good
   good
                  В
                 B-
   good
                 C+
   Name: Grades, dtype: category
    Categories (11, object): [D < D+ < C- < C ... B+ < A- < A < A+]
[7]: # We see that the operator works as we would expect. We can then use a certain
    ⇒set of mathematical operators,
    # like minimum, maximum, etc., on the ordinal data.
[8]: # Sometimes it is useful to represent categorical values as each being a column
    →with a true or a false as to
    # whether the category applies. This is especially common in feature_
    →extraction, which is a topic in the data
    # mining course. Variables with a boolean value are typically called \operatorname{dummy}_{\square}
     →variables, and pandas has a built
    # in function called get dummies which will convert the values of a single,
    →column into multiple columns of
    # zeros and ones indicating the presence of the dummy variable. I rarely use
    \rightarrow it, but when I do it's very
    # handy.
[9]: # Theres one more common scale-based operation Id like to talk about, and thats,
     →on converting a scale from
    # something that is on the interval or ratio scale, like a numeric grade, into \Box
     →one which is categorical. Now,
    # this might seem a bit counter intuitive to you, since you are losing \Box
     \rightarrow information about the value. But its
    # commonly done in a couple of places. For instance, if you are visualizing the
     → frequencies of categories,
    # this can be an extremely useful approach, and histograms are regularly used
    →with converted interval or ratio
    # data. In addition, if youre using a machine learning classification approach \square
     →on data, you need to be using
```

D+

poor

```
# categorical data, so reducing dimensionality may be useful just to apply a
      → qiven technique. Pandas has a
     # function called cut which takes as an argument some array-like structure like_
     \rightarrowa column of a dataframe or a
     # series. It also takes a number of bins to be used, and all bins are kept at \Box
     \rightarrowequal spacing.
     # Lets go back to our census data for an example. We saw that we could group by
     ⇒state, then aggregate to get a
     # list of the average county size by state. If we further apply cut to this,
     →with, say, ten bins, we can see
     # the states listed as categoricals using the average county size.
     # let's bring in numpy
     import numpy as np
     # Now we read in our dataset
     df=pd.read csv("datasets/census.csv")
     # And we reduce this to country data
     df=df[df['SUMLEV']==50]
     # And for a few groups
     df=df.set_index('STNAME').groupby(level=0)['CENSUS2010POP'].agg(np.average)
     df.head()
 [9]: STNAME
                    71339.343284
     Alabama
     Alaska
                    24490.724138
     Arizona
                   426134.466667
                    38878.906667
     Arkansas
     California
                   642309.586207
     Name: CENSUS2010POP, dtype: float64
[10]: # Now if we just want to make "bins" of each of these, we can use cut()
     pd.cut(df,10)
[10]: STNAME
     Alabama
                                (11706.087, 75333.413]
     Alaska
                                (11706.087, 75333.413]
                             (390320.176, 453317.529]
     Arizona
     Arkansas
                                (11706.087, 75333.413]
     California
                              (579312.234, 642309.586]
     Colorado
                              (75333.413, 138330.766]
     Connecticut
                              (390320.176, 453317.529]
     Delaware
                              (264325.471, 327322.823]
                             (579312.234, 642309.586]
     District of Columbia
```

```
Florida
                         (264325.471, 327322.823]
                           (11706.087, 75333.413]
Georgia
Hawaii
                         (264325.471, 327322.823]
Idaho
                           (11706.087, 75333.413]
                          (75333.413, 138330.766]
Illinois
Indiana
                           (11706.087, 75333.413]
Towa
                           (11706.087, 75333.413]
Kansas
                           (11706.087, 75333.413]
                           (11706.087, 75333.413]
Kentucky
                           (11706.087, 75333.413]
Louisiana
                          (75333.413, 138330.766]
Maine
Maryland
                         (201328.118, 264325.471]
Massachusetts
                         (453317.529, 516314.881]
Michigan
                          (75333.413, 138330.766]
                           (11706.087, 75333.413]
Minnesota
                           (11706.087, 75333.413]
Mississippi
                           (11706.087, 75333.413]
Missouri
                           (11706.087, 75333.413]
Montana
Nebraska
                           (11706.087, 75333.413]
                         (138330.766, 201328.118]
Nevada
New Hampshire
                          (75333.413, 138330.766]
New Jersey
                         (390320.176, 453317.529]
New Mexico
                           (11706.087, 75333.413]
New York
                         (264325.471, 327322.823]
North Carolina
                          (75333.413, 138330.766]
North Dakota
                           (11706.087, 75333.413]
Ohio
                          (75333.413, 138330.766]
Oklahoma
                           (11706.087, 75333.413]
Oregon
                          (75333.413, 138330.766]
                         (138330.766, 201328.118]
Pennsylvania
                         (201328.118, 264325.471]
Rhode Island
                          (75333.413, 138330.766]
South Carolina
South Dakota
                           (11706.087, 75333.413]
Tennessee
                           (11706.087, 75333.413]
                          (75333.413, 138330.766]
Texas
Utah
                          (75333.413, 138330.766]
                           (11706.087, 75333.413]
Vermont
                           (11706.087, 75333.413]
Virginia
Washington
                         (138330.766, 201328.118]
West Virginia
                           (11706.087, 75333.413]
                          (75333.413, 138330.766]
Wisconsin
Wyoming
                           (11706.087, 75333.413]
Name: CENSUS2010POP, dtype: category
Categories (10, interval[float64]): [(11706.087, 75333.413] < (75333.413,
138330.766] < (138330.766, 201328.118] < (201328.118, 264325.471] ...
(390320.176, 453317.529] < (453317.529, 516314.881] < (516314.881, 579312.234] <
(579312.234, 642309.586]]
```