

SOFTWARE DEVELOPMENT PROJECT (SDP)

TOPIC: MOTION CONTROL OF THE KELO 500

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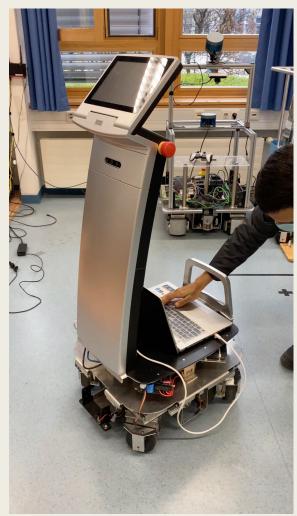
What is KELO 500?

- KELO 500 is an **over-actuated** mobile platform
- Four identical pair of wheels, which can be actuated independently
- Passive back drivability is a feature of this design
- Wheel actuation depends on desired motion and other policies
- Communication with wheel-units (slaves) is made over **EtherCAT**



KELO 500 robot

Motivation



Rotation about the axis



Straight motion in +y direction



Diagonal motion

How is it different from velocity control?



Demonstration of motion in torque control mode

Project Goals

Approach

- Resolution of redundancy in the over-actuated platform
- Design control policies to improve efficiency of force transmission
- Using suitable numerical-solver to calculate force distribution

■ Implementation & Integration

- Integration of BLAS/ LAPACK and SOEM libraries
- Implementation of numerical force distribution solver with GSL
- Implementation of EtherCat/communication interface with SOEM
- Integration of solver and communication interface into application
- Integration of control policies with the software

User stories

| Medium 1 | 2w | High | 1w 2w |
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| 1edium 1 | 1w | Low | |
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SOEM Library

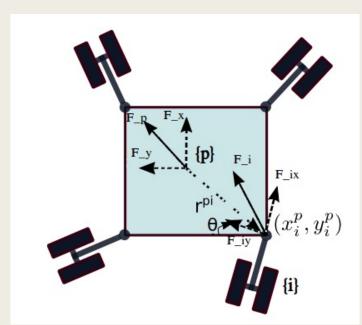
- SOEM (Simple Open EtherCAT Master) is an open source library used to perform EtherCAT communication.
- SOEM library is used to transfer control commands to the wheels units and receive pivot information in response.

EtherCAT Functional Principle MASTER

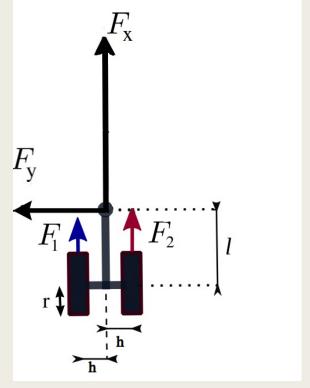
EtherCAT communication [2]

Physical Interpretation

- Platform forces F^p is mapped to wheel torques
- Individual forces at the corners are determined by inverse force kinematics
- Pivot forces are mapped to individual wheel forces
- Wheel forces are mapped to torques



4 wheel-units platform [1]



Pivot-wheel force distribution [1]

Mathematical Interpretation

$$\underbrace{F^p}_{3\times 1} = \begin{pmatrix} F^p_x \\ F^p_y \\ M^p \end{pmatrix} = \underbrace{G}_{3\times 8} \underbrace{\begin{pmatrix} F^1 \\ \vdots \\ F^4 \end{pmatrix}}_{4\times (2\times 1)} = G \begin{pmatrix} F^1_x \\ F^1_y \\ F^2_x \\ F^2_y \\ F^3_x \\ F^3_y \\ F^4_x \\ F^4_y \end{pmatrix}$$

Relation between platform force (F^p) and corner forces (F^i) [1]

$$G = \begin{bmatrix} c_1 & -s_1 & c_2 & .. & -s_4 \\ s_1 & c_1 & s_2 & .. & c_4 \\ x_1s_1 - y_1c_1 & x_1c_1 + y_1s_1 & x_2s_2 - y_2c_2 & .. & x_4c_4 + y_4s_4 \end{bmatrix}$$

Forward force matrix (Jacobian) [1]

Inverse force kinematics

$$B = \underbrace{W}_{3X3} * \underbrace{G}_{3X8} * \underbrace{K}_{8X8}$$

$$B = U * \Sigma * V^T$$

$$G^+ = K * V * \Sigma^+ * U^T * W$$

$$\underbrace{G^{+}}_{8X3} * \underbrace{F^{p}}_{3X1} = \underbrace{\begin{bmatrix} F^{1} \\ \cdot \\ \cdot \\ F^{4} \end{bmatrix}}_{8X1}$$

Pivot force calculation

$$\tau_{1} = 0.5r \left(F_{x} - F_{y} \left(\frac{I}{h} \right) \right)$$
$$\tau_{2} = 0.5r \left(F_{x} + F_{y} \left(\frac{I}{h} \right) \right)$$

Torque calculation

GSL - GNU Scientific Library

- GSL library is an open source library.
- Used for numerical computations in applied mathematics and science
- Provides support for BLAS and is well documented
- The GSL is written in C
- For linear algebra we have used gsl matrix and gsl vector datatypes

Lessons learnt

- Verification of conventions used in reference model with the actual model
- Consideration of time requirement for integration of the algorithms and debugging
- Verifying different functionality of the robot after integrated is more spontaneous.
- Physical systems have small deviations from expected ideal behaviour
- Use of python for prototyping mathematical models saves considerable time and effort
- Documentation of operating robot and version control of code is beneficial for debugging
- Verifying controllable and uncontrollable safety features

Reference for future developers

- Understanding and establishing EtherCAT connection requires prior knowledge or supervision.
- While developing mathematical model, consistent verification by backtracking is beneficial
- Use of python for prototyping mathematical model
- Considering safety measures before running the robot
- Documentation of running the robot and tracking code updates
- Standard coding practices and naming conventions helps for better maintenance

Communication and tools

- Daily 15 minutes scrum meeting focus (development team)
 - What did we do yesterday?
 - What will we do today?
 - Is there any impediment?
- Weekly meeting with supervisors (1-2 hours)
- Tools used for collaboration
 - Webex (weekly meetings)
 - Skype (daily team meetings)
 - Github (Version control)

Future work

- Adapt the implementation to suit for other robots (eg: RObile)
- Adapt to setup where some of wheel units are passive
- Support for joystick control
- Implementing using ROS/motion planner
- Dynamically update the weights when a wheel loses the connection
- Addition of configuration files

Reference

[1] Bruyninckx, H. (2021). Design of Complicated Systems. Work in progress. URL: https://robmosys.pages.gitlab.kuleuven.be

[2] https://www.youtube.com/watch?v=z2OagcHG-UU

THANK YOU