

We say an infinite sequence a_0, a_1, a_2, \dots is **non-increasing** if and only if for all $i \geq 0$, $a_i \geq a_{i+1}$.

There is an infinite right and down grid. The upper-left cell has coordinates $(0,0)$. Rows are numbered 0 to infinity from top to bottom, columns are numbered from 0 to infinity from left to right.

There is also a **non-increasing** infinite sequence a_0, a_1, a_2, \dots . You are given a_0, a_1, \dots, a_n ; for all $i > n$, $a_i = 0$. For every pair of x, y , the cell with coordinates (x, y) (which is located at the intersection of x -th row and y -th column) is white if $y < ax$ and black otherwise.

Initially there is one doll named Tina on $(0, 0)$. You can do the following operation

- Select one doll on (x, y) . Remove it and place a doll on $(x, y+1)$ and place a doll on $(x+1, y)$.

Note that multiple dolls can be present at a cell at the same time; in one operation, you remove only one. Your goal is to make all white cells contain 0 dolls. What's the minimum number of operations needed to achieve the goal? Print the answer modulo 10^9+7 .

Input

The first line of input contains one integer n ($1 \leq n \leq 2 \times 10^5$).

The second line of input contains $n+1$ integers a_0, a_1, \dots, a_n ($0 \leq a_i \leq 2 \times 10^5$).

It is guaranteed that the sequence a is **non-increasing**.

Output

Print the single number which indicates how many possible code variants that do not contradict the m system responses are left.

Examples

Input	2 2 2 0
Output	5