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# Lecture 8: 2D Lists, Dictionaries and Sets.

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# Lecture 7 Challenges

- Write a function that devowels and returns an input string using list comprehension. Note that you will want to convert the input string to a list to do this, then reconstruct the devoweled string from the list comprehension result before returning it.
- Write a function that takes one tuple as input, returning True if all tuple items are of the same type, and False otherwise.

# Object Identity

An interesting phenomenon was brought to our attention in last week's lecture via Slide 17. There seems to be an inconsistency with the way the *is* operator works, for example:

```
>>> int1 = 256
>>> int2 = 256
>>> int2 is int1
True
```

```
>>> int1 = 257
>>> int2 = 257
>>> int2 is int1
False
```

Why is this the case?

[https://canvas.lms.unimelb.edu.au/courses/124575/discussion\\_topics/647420](https://canvas.lms.unimelb.edu.au/courses/124575/discussion_topics/647420)

# MST Musings

Thinking about approaches to the types of questions found in the MST.

Solutions now available under LMS -> Modules  
-> Assessments

# Today

1. 2-Dimensional Lists
2. Dictionaries, including Defaultdict
3. Sets

# 2-Dimensional Lists

- We have mainly been using lists in their standard, mono-dimensional structure, where lists contains things like integers, strings and floats.
  - `lst1 = [1, 2, 3, 4]`
  - `lst2 = ['a', 'b', 'c', 'd']`
- Lists can also contain lists and other complex data types. Some example 2-D lists:
  - `lst2d = [[1, 'a', 'first'], [2, 'b', 'second']]`
  - `lst_first_4 = [lst1, lst2]`
- Lists can also contain lists that can contain lists and so on, but we'll stop at the 2-D level

# 2-Dimensional Lists

To access a 2-D list element, use successive square brackets with the nested index positions:

```
>>> lst2d = [[0, 1, 2], ['zero', 'one', 'two']]
```

```
>>> lst2d[0][0]
```

```
0
```

```
>>> lst2d[0][2]
```

```
2
```

```
>>> lst2d[1][2]
```

```
'two'
```

# 2-Dimensional Lists

We can simply use nested *for* loops to successively go through each element of a 2-D list:

```
#collapse a 2-D list into a 1-D list
lst2d = [[1, 2, 3, 4, 5], [6, 7, 8, 9, 10]]
lst1d = []
for lst in lst2d:
    for item in lst:
        lst1d.append(item)
```

Using list comprehensions:

```
lst1d = [item for lst in lst2d for item in lst]
```



# 2-Dimensional Lists

- Row-column 2-dimensional tables are a very common data structure. E.g., Excel spreadsheets, websites (HTML: <table>, <tr>, <td>), etc.

Product Name	Quantity in Stock	Price	How Many Sold
Product1	5	45.5	10
Product2	8	10.2	50
Product3	9	6.4	20
Product4	20	8.6	20
Product5	15	10	30

- How can this be represented as a Python list structure?

# 2-Dimensional Lists

```
headers = ["Product Name", "Quantity in  
Stock", "Price", "How Many Sold"]  
prod1 = ["Product1", 5, 45.5, 10]  
prod2 = ["Product2", 8, 10.2, 50]  
prod3 = ["Product3", 9, 6.4, 20]  
prod4 = ["Product4", 20, 8.6, 20]  
prod5 = ["Product5", 15, 10, 30]  
products = [headers, prod1, prod2, prod3,  
prod4, prod5]  
  
import pprint #pretty printer  
pprint.pprint(products)
```

# 2-Dimensional lists

Change the price of Product1 to \$50 and change the quantity of Product3 to 10:

```
products[0][2] = 50  
products[2][1] = 10  
print(products)
```

```
[['Product1', 5, 50, 10],  
 ['Product2', 8, 10.2, 50],  
 ['Product3', 10, 6.4, 20],  
 ['Product4', 20, 8.6, 20],  
 ['Product5', 15, 10, 30]]
```

# 2-Dimensional Lists

## Print each row (i.e., product)

```
for i in range(len(products)) :  
    list_row = []  
    for j in range(len(products[i])) :  
        list_row.append(products[i][j])  
  
    print(list_row)
```

## Print each column

```
for i in range(len(products[0])) :  
    list_column = []  
    for j in range(len(products)) :  
        list_column.append(products[j][i])  
  
    print(list_column)
```

# Exercise 1

A valid table is one where each row has the same number of columns. Write a function `table_valid()`, which takes as input a 2-D list (the list represents a table of the form `[row1, row2, row3]`) and returns `True` or `False` depending on whether the table is valid.

# Exercise 1 Solution

```
def table_valid(table):  
    num_columns = len(table[0])  
    for row in table:  
        if len(row) != num_columns:  
            return False  
  
    return True
```

# Dictionaries



## You know dictionaries!

They're great at looking up thing by a word, not a position in a list!

Look up

**Hello**



Get back

*A greeting (salutation) said when meeting someone or acknowledging someone's arrival or presence.*

# Dictionaries

Unlike sequences, which are indexed by a range of numbers, dictionaries are indexed by unique *keys*, which can be any immutable type.

```
{key1:value1, key2:value2, key3:value3}
```



# Using dictionaries

## Dictionary initialization:

```
>>> drinks = {} #empty dictionary
>>> drinks = {"coffee": 3.00, "tea": 2.50}
>>> type(drinks)
<class 'dict'>
```

## Iterating over a dictionary:

```
>>> for key in drinks:
    print(key)

coffee
tea
```

## Looking up items in a dictionary:

```
>>> drinks["coffee"] #if not found then KeyError is raised
3.00
```

## Adding or updating items to a dictionary:

```
>>> drinks["tea"] = 2.60
>>> drinks["water"] = 1.95
```

## Dictionaries are mutable

# Types for keys and values

- Keys in dictionaries (or elements in sets) must be **hashable**
- All of Python's immutable data types are **hashable**
  - **int, float, str, tuple, bool**
- **list, dict, set** cannot be keys in dictionaries (or elements in sets)
- Values in dictionaries can be of any of the data types we have been using, including dictionaries (i.e., dictionaries within dictionaries).

# Dictionary Operations

- Is key in dictionary?
  - `<key_value> in dictionary`
- Deleting an entry and returning value of entry
  - `dictionary.pop(key)`
- Deleting the entire contents of a dictionary:
  - `dictionary.clear()`
- Deleting an entry (no return value)
  - `del dictionary[key]`
- Returning a dictionary sorted by key
  - `sorted_dictionary = sorted(dictionary)`

# Exercise 2

Write a function `lookup_capital()`, that receives as input one string (a country name) and returns the capital city of that country.

There will be a global dictionary called `CAPITALS` that contains a collection of country names as keys with their capital city as corresponding value.

# Exercise 2 Solution

```
CAPITALS = {'Australia': 'Canberra', 'Italy': 'Rome',  
            'England': 'London', 'China': 'Beijing'}
```

```
def lookup_capital(country):  
  
    global CAPITALS  
  
    if country in CAPITALS:  
        return CAPITALS[country]  
    else:  
        return "I don't know that capital"
```

# Extracting information from dictionaries

```
fruits = {'apples': 5, 'oranges': 6, 'bananas': 3}

#Store a list of all keys in the dictionary
keys = [k for k in fruits]
#or
keys = list(fruits.keys()) #returns all keys in dictionary

#Store a list of all values in the dictionary
vals = [fruits[k] for k in fruits]
#or
vals = list(fruits.values()) #returns all values in dictionary

#Store a list of (key, value) tuples for all items in the
dictionary
pairs = [(k, fruits[k]) for k in fruits]
#or
pairs = list(fruits.items()) #returns all (key, value) pairs
in dictionary
```

# Exercise 3

Write a function `word_count2()` that takes as input a string of text and returns a dictionary containing an occurrence count for each word in the text.

# Defaultdict

- When using dictionaries as “counters” or “accumulators” you need to initialize every value for new keys.
- Alternatively, you can simplify things with **defaultdict**. The functionality of both dictionaries and defaultdict are almost same except for the fact that defaultdict never raises a `KeyError`. It provides a default value for keys that do not exist yet.

```
from collections import defaultdict

def count_digits(num):
    # Count the occurrences of individual digits in a number
    digit_count = defaultdict(int) #default is the integer 0
    for digit in str(num):
        digit_count[digit] += 1

    return digit_count

print(count_digits(134345547343))
```



# Sets

- Sets are unordered collections (not sequences), and their elements are unique (i.e., a set representation does not contain duplicates)
- They're good when you only want to store one of each thing but don't care about the order
- They are defined with curly brackets {}:
  - $\{1, 2, 3\}$  is a set, and it is the same set as  $\{3, 2, 1, 3\}$
- Kind of like just the keys part of dictionaries
- Set elements must be hashable/immutable
- Side fact: Sets are used in a branch of mathematics called set theory, and have been used to construct foundations for mathematical systems: [https://en.wikipedia.org/wiki/Set\\_theory](https://en.wikipedia.org/wiki/Set_theory)

# Sets

```
>>> a = {1, 2, 3}
```

```
>>> b = {3, 2, 3, 1}
```

```
>>> a == b
```

```
True
```

```
>>> str_set = set('hannah') #a quick way to remove  
duplicates too
```

```
>>> str_set  
{ 'h', 'a', 'n' }
```

```
>>> dict_set = set({'a': 1, 'b': 2})
```

```
>>> dict_set  
{ 'b', 'a' }
```

# Sets

```
>>> str_set = {'h', 'a', 'n'}  
>>> 'h' in str_set # testing for membership  
True
```

Remember that defining an empty dictionary is:

```
dict_name = {}
```

But {} also define a set. So how do we define an empty set?

```
a = set()
```

# Sets

- Sets are not sequences (no order) so you can't slice or index on them
- BUT they are mutable with methods `add()` and `remove()`

```
>>> a = set('cat')
>>> a.add('a')
{'t', 'a', 'c'} #didn't get added as letter 'a' already in set

>>> a.add('s')
{'t', 's', 'a', 'c'}

>>> a.remove('a')
{'t', 's', 'c'}
```

# Sets

- The following operations help to illustrate the point of sets. Suppose we had the following two lists, which recorded city weather temperatures for a week:
  - `melb_temps = [21, 25, 28, 19, 19, 25, 20]`
  - `syd_temps = [21, 30, 30, 18, 19, 27, 20]`
- If we want to find the unique number of temperatures for each city, we can easily convert these lists to sets:
  - `len(set(melb_temps)) == 5`
  - `len(set(syd_temps)) == 6`
- Now, if we want to find the set of temperatures the cities had in common, we can use a set theory operation called **intersection**, which can be done in Python in two ways:
  - `set(melb_temps) & set(syd_temps) == {19, 20, 21}`
  - `set(melb_temps).intersection(set(syd_temps)) {19, 20, 21}`

# Sets

- **Union** is another set theory operation that combines all the elements in two sets:
  - `set(melb_temps) | set(syd_temps) == {18, 19, 20, 21, 25, 27, 28, 30}`
  - `set(melb_temps).union(set(syd_temps)) == {18, 19, 20, 21, 25, 27, 28, 30}`
- **Set Difference** finds all the elements that are in one set but not the other:
  - `set(melb_temps) - set(syd_temps) == {25, 28}`
  - `set(melb_temps).difference(set(syd_temps)) == {25, 28}`
  - `set(syd_temps) - set(melb_temps) == {18, 27, 30}`
  - `set(syd_temps).difference(set(melb_temps)) == {18, 27, 30}`

# Exercise 4

Given two sets, their symmetric difference is the set of elements that belong to either one or the other set but not both.

Write a function `symmetric_difference()`, that takes two sets as input and returns the set that is their symmetric difference.

# Summary

Today we covered:

- Two-dimensional lists, which can be used to store tabular information.
- Dictionaries, which store items as **key: value** pairs
- For easy tallying of items use **defaultdict**
- **Sets** used for storing and manipulating collections with unique elements
- Dictionaries and sets are unordered collections that are **mutable**
- Dictionaries and sets use **hashing** to allow for efficient storage and retrieval without the use of indexes. Only immutable variable types are **hashable**



# Lecture 8 Challenges

- Write a function `swap_dict()`, which takes one dictionary as input and returns another dictionary resulting from swapping the keys and values around. For example, if the input is `{'a':1, 'b':2}`, the output would be `{1:'a', 2:'b'}`.
- Write a function `cartesian_product()`, which takes two sets, `A` and `B`, as inputs. The function then returns the Cartesian product ( $\times$ ) of `A` and `B`. For example, if `A = {1,2}` and `B = {3,4}`, then `A x B = {(1,3), (1,4), (2,3), (2,4)}`

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