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CHAMP Bootcamp

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University of Pennsylvania

Lesson Overview

- 1. Calibration (\sim 1.5 hour)
 - i. Calibration overview
 - ii. HERA calibration exploration

Break (10 min)

- 2. HERA Imaging (\sim 1 hour)
 - i. HERA imaging overview
 - ii. HERA imaging with CASA
 - iii. HERA imaging with direct optimal mapping

Learning Objectives

A. Gain a basic understanding of what calibration is, and explore applying calibration to real data

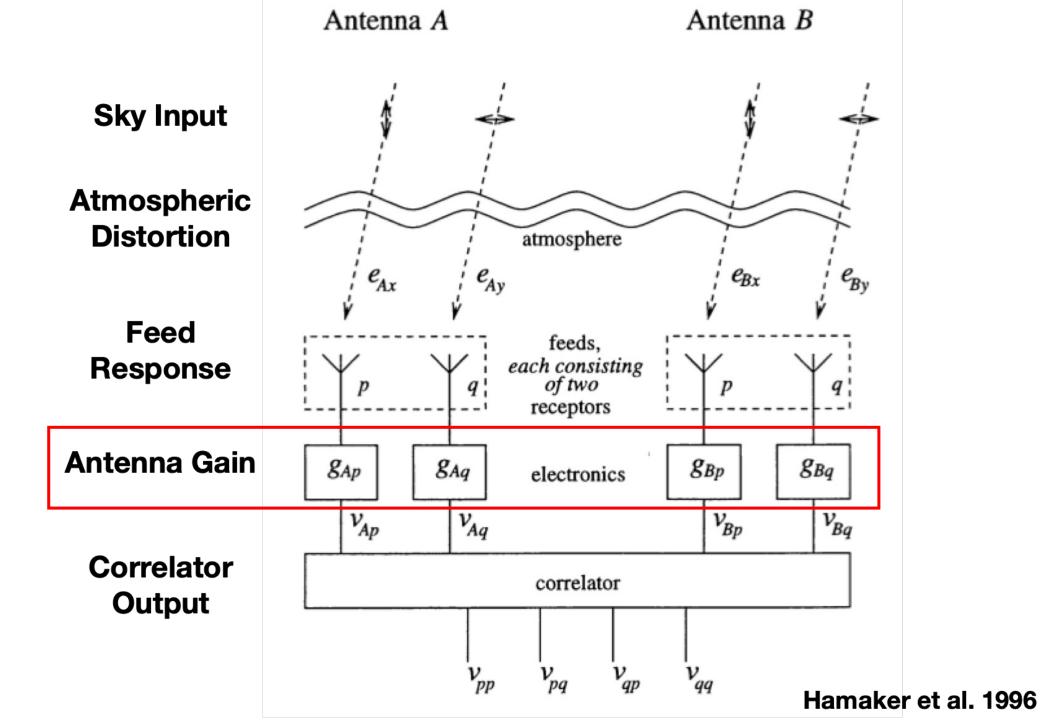
B. Become familiar with HERA's imaging capability

C. Learn how to perform basic imaging of HERA data with CASA and direct optimal mapping

What is calibration? Know your instrument!

- Necessary for all instruments
- Endless effort, depending on scientific requirements
- Serves two purposes
 - Data → physical properties
 - Improve the instruments
- Specific to an interferometer, like HERA





Measurement Equation

Ideal Scenario

$$V_{ij}^{\text{model}} = I \cdot e^{-2\pi i \vec{b} \cdot \hat{s}/\lambda}$$

Practical Scenario

$$V_{ij}^{\text{measured}} = g_i g_j^* \cdot I \cdot e^{-2\pi i \vec{b} \cdot \hat{s}/\lambda}$$



$$V_{ij}^{\text{measured}} = g_i g_j^* V_{ij}^{\text{model}}$$

Antenna-Based Calibration Equation

Breaking down Antenna Gains

Antenna gain is a complex quantity, defined by an amplitude and phase

$$g_j = e^{\eta_j + i\phi_j}$$

$$\eta_j = \text{amplitude}$$

$$\phi_j = \text{phase}$$

$$\phi_i = \text{phase}$$

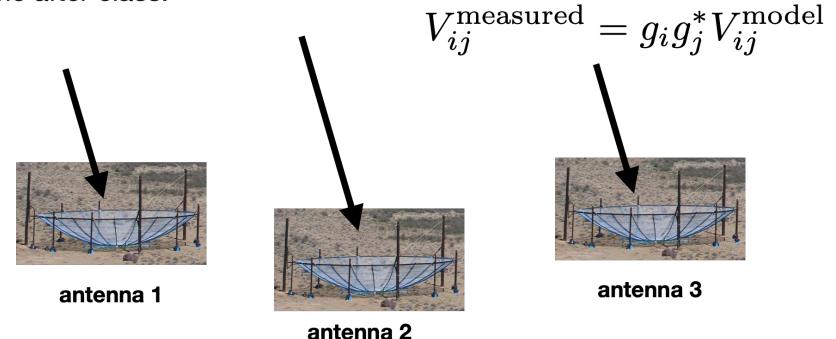
Gains are also in principle time and frequency dependent:

$$g_j(t,\nu) = e^{\eta_j(t,\nu) + i\phi_j(t,\nu)}$$

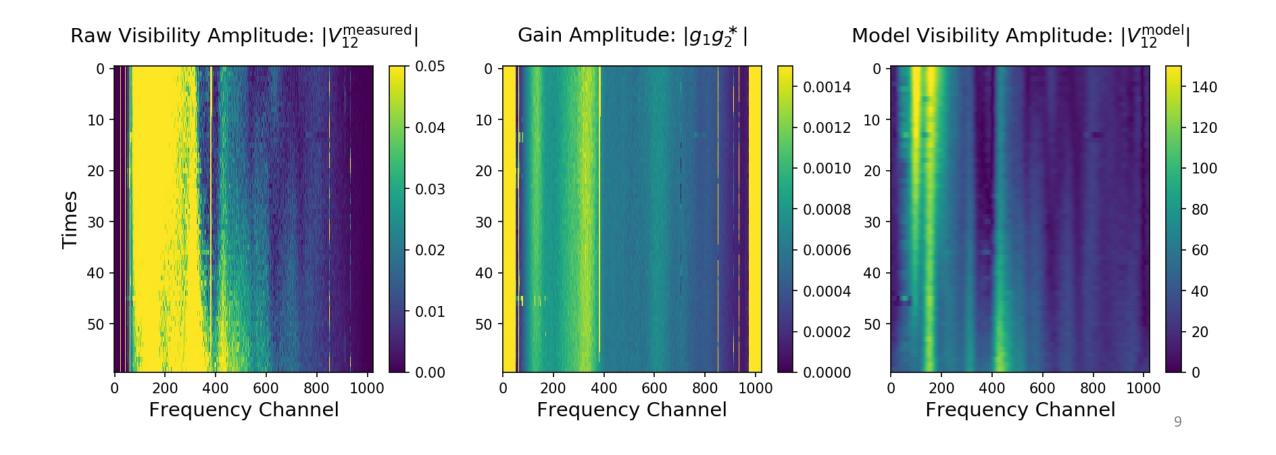
Solving for Gains

Given your measurements and your model, setup a system of equations!

We won't go into the details of **how** to solve this system of equations, but if you are curious ask me after class!



Applying Application $V_{ij}^{\mathrm{updated}} = V_{ij}^{\mathrm{measured}}/(g_i g_j^*)$



HERA Calibration Exploration Time...

2. HERA Imaging Specs

Design Spec

Performance



Frequency Coverage:

100 - 200 MHz [50 - 250 MHz]

Redshift Coverage:

$$6 < z < 13$$
 [5 < z < 27]

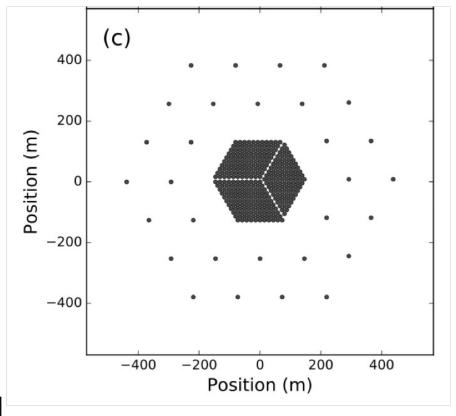
Longest Baseline:

Core: 292 m Outrigger: 876 m

Angular Resolution:

Core: 25 arcmin
Outrigger: 11 arcmin

$$z = 1.42 \times 10^9 / \nu - 1$$
$$\theta = \lambda / D$$



Dillon et al. 2016

3. HERA Imaging