

Green University of Bangladesh Department of Computer Science and Engineering (CSE)

Faculty of Sciences and Engineering Semester: (Summer, Year:2025), B.Sc. in CSE (Day)

Lab Report NO #4 Course Title: Artificial Intelligent

Course Code: CSE 316 Section: 221 D12

Lab Experiment Name: kMeansClustering

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Lab Report Status	
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Title: kMeansClustering

Objectives:

- Implement a modified K-Means clustering algorithm using Python.
- Replace Euclidean distance with **Manhattan distance** for clustering.
- Generate 100 random points and 10 cluster centers.
- Visualize the clustered data on a **2D grid** using only the print () function.

Problem Analysis:

By substituting the Manhattan distance metric for the conventional Euclidean distance, the usual K-Means clustering algorithm must be modified.

Clustering 100 randomly generated points into ten groups according to how close they are to the original cluster centers is the aim.

A 2D grid must be created, where each cell represents a coordinate on the plane and uses different symbols to depict either a data point or a cluster center, as only the print() function may be used for visualization.

Accurate distance calculation, proper cluster assignment, iterative center updating, and efficient visualization within constrained console output capabilities are the primary obstacles.

Implementation:

import random

```
WIDTH = 30
HEIGHT = 15
NUM_POINTS = 100
NUM_CLUSTERS = 10
```

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POINT_SYMBOL = '.'
CLUSTER_SYMBOLS = ['A','B','C','D','E','F','G','H','I','J']
```

def manhattan_distance(p1, p2):

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return abs(p1[0] - p2[0]) + abs(p1[1] - p2[1])
points = [(random.randint(0, WIDTH-1), random.randint(0, HEIGHT-1)) for _ in
range(NUM_POINTS)]
clusters = [(random.randint(0, WIDTH-1), random.randint(0, HEIGHT-1)) for _
in range(NUM_CLUSTERS)]
def assign_clusters(points, clusters):
  assignments = []
  for p in points:
     distances = [manhattan_distance(p, c) for c in clusters]
    cluster_index = distances.index(min(distances))
     assignments.append(cluster_index)
  return assignments
def update_clusters(points, assignments, num_clusters):
  new_clusters = []
  for i in range(num_clusters):
    cluster_points = [p \text{ for } p, a \text{ in } zip(points, assignments) \text{ if } a == i]
    if cluster_points:
       avg_x = sum(p[0] \text{ for p in cluster_points}) // len(cluster_points)
       avg_y = sum(p[1] for p in cluster_points) // len(cluster_points)
       new_clusters.append((avg_x, avg_y))
     else:
         new_clusters.append((random.randint(0, WIDTH-1), random.randint(0,
HEIGHT-1)))
  return new_clusters
def k means(points, clusters, iterations=5):
  for _ in range(iterations):
     assignments = assign_clusters(points, clusters)
     clusters = update clusters(points, assignments, NUM CLUSTERS)
  return assignments, clusters
assignments, final clusters = k means(points, clusters)
```

```
grid = [[' ' for _ in range(WIDTH)] for _ in range(HEIGHT)]
for (x, y), cluster_idx in zip(points, assignments):
    grid[y][x] = CLUSTER_SYMBOLS[cluster_idx]

for idx, (x, y) in enumerate(final_clusters):
    grid[y][x] = CLUSTER_SYMBOLS[idx]

for row in grid:
    print(' '.join(row))
```

Output:

Conclusion:

Using the Manhattan distance metric, the modified K-Means clustering technique was effectively applied in this experiment.

With just the print() method, we were able to efficiently show the findings on a 2D grid and cluster 100 random points into 10 different groups.

This experiment showed how simple algorithms may be modified to meet particular needs and clarified the effects of various distance measurements on clustering outcomes. Additionally, the project reinforced the ideas of data display in a limited setting, iterative improvement, and distance computation.