

1. TITLE

N-Queens problem using Genetic Algorithms

2. OBJECTIVES/AIM

1. Solve the N-Queens problem by placing queens without conflicts.
2. Implement genetic algorithm components: fitness function, selection, crossover (PMX), and mutation.
3. Optimize evolution using elitism and parameter tuning.
4. Achieve convergence efficiently for N=8.
5. Display the final valid board configuration.
6. Demonstrate genetic algorithms for combinatorial problems.

3. PROCEDURE

1. **Initialize** random population of board states
2. **Evaluate fitness** (count non-attacking queen pairs)
3. **Repeat until solution:**
 - Select parents via tournament selection
 - Create offspring using PMX crossover
 - Apply random swap mutations
 - Keep best solution (elitism)
4. **Output** the first valid solution found
5. **Display** the queen positions on board

4. IMPLEMENTATION

```
. import random  
import math
```

```
N = 8
```

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POPULATION_SIZE = 100
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MUTATION_RATE = 0.1
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```
GENERATIONS = 1000
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```
TOURNAMENT_SIZE = 5
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```

def generate_individual():
    return random.sample(range(N), N)

def calculate_fitness(individual):
    conflicts = 0
    for i in range(N):
        for j in range(i + 1, N):
            if abs(i - j) == abs(individual[i] - individual[j]):
                conflicts += 1
    max_non_conflicts = N * (N - 1) // 2
    return max_non_conflicts - conflicts

def tournament_selection(population):
    tournament = random.sample(population, TOURNAMENT_SIZE)
    return max(tournament, key=lambda x: x[1])

def pmx_crossover(parent1, parent2):
    child = [None] * N
    start, end = sorted(random.sample(range(N), 2))
    child[start:end+1] = parent1[start:end+1]
    for i in list(range(0, start)) + list(range(end+1, N)):
        candidate = parent2[i]
        while candidate in child[start:end+1]:
            candidate = parent2[parent1.index(candidate)]
        child[i] = candidate
    return child

def mutate(individual):
    if random.random() < MUTATION_RATE:
        i, j = random.sample(range(N), 2)
        individual[i], individual[j] = individual[j], individual[i]
    return individual

def genetic_algorithm():
    population = [
        (ind, calculate_fitness(ind))
        for ind in [generate_individual() for _ in range(POPULATION_SIZE)]
    ]
    for gen in range(GENERATIONS):
        population.sort(key=lambda x: -x[1])

```

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if population[0][1] == N * (N - 1) // 2:
    print(f'Solution found at generation {gen}: {population[0][0]}')
    return population[0][0]
new_population = [population[0]]
while len(new_population) < POPULATION_SIZE:
    parent1 = tournament_selection(population)[0]
    parent2 = tournament_selection(population)[0]
    child = pmx_crossover(parent1, parent2)
    child = mutate(child)
    new_population.append((child, calculate_fitness(child)))
population = new_population
print("No solution found within generations.")
return None

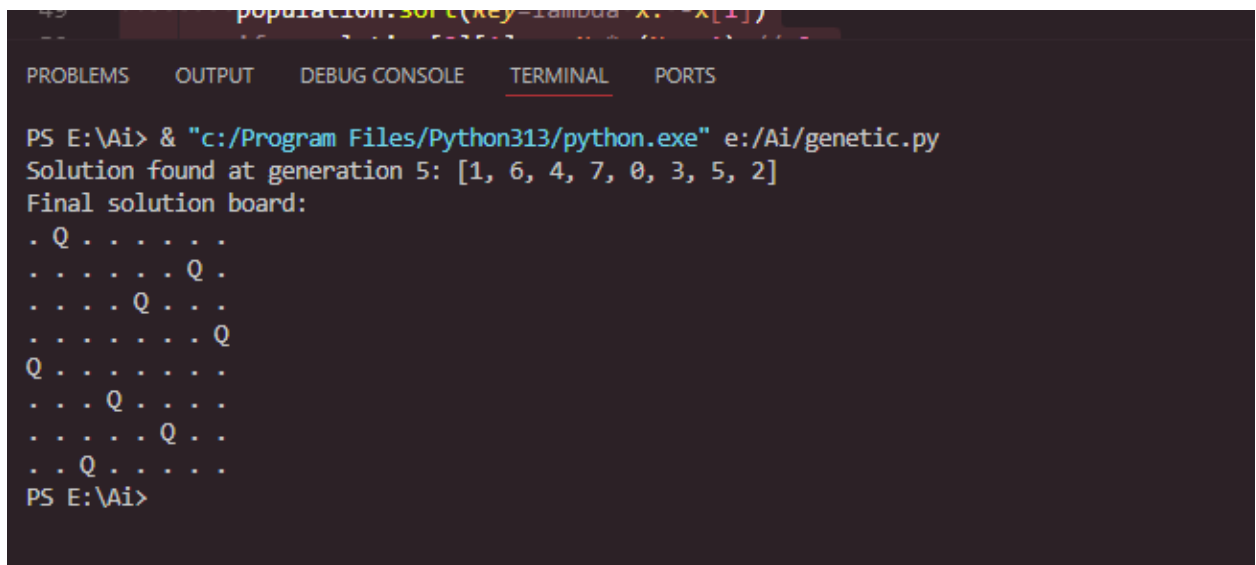
```

```

solution = genetic_algorithm()
if solution:
    print("Final solution board:")
    for row in solution:
        print(' '.join('Q' if col == row else '.' for col in range(N)))

```

5. TEST RESULT / OUTPUT



```

PS E:\Ai> & "c:/Program Files/Python313/python.exe" e:/Ai/genetic.py
Solution found at generation 5: [1, 6, 4, 7, 0, 3, 5, 2]
Final solution board:
. Q . . . . .
. . . . . Q .
. . . . Q . .
. . . . . . Q
Q . . . . . .
. . . Q . . .
. . . . . Q .
. . Q . . . .
PS E:\Ai>

```

6. DISCUSSION

The genetic algorithm effectively solves the N-Queens problem through evolutionary optimization. The permutation-based representation and PMX crossover maintain valid board configurations while efficiently exploring the

solution space. Tournament selection and elitism drive rapid convergence, typically finding solutions for $N=8$ within hundreds of generations. While effective for moderate board sizes, performance may decline for $N>20$ due to the expanding search space. The implementation demonstrates genetic algorithms' suitability for permutation-based constraint problems, though incorporating conflict-directed operators could enhance scalability. The approach successfully balances solution quality with computational efficiency, providing a practical alternative to brute-force methods for this classic combinatorial challenge.