Phrase-based SMT

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Content

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- Phrase-based SMT
 Motivation
 Generative Modelling
 Discriminative modelling
- 3 Decoding Complexity

The Noisy-Channel approach

Bayes rule

$$P(E|F) = \frac{P(E)P(F|E)}{P(F)}$$

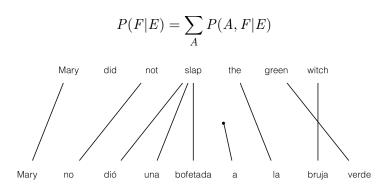
Inference

$$\hat{E} = \underset{E}{\operatorname{arg\,max}} P(E)P(F|E)$$

Estimation

- P(E) n-gram LM
- $P(F|E) \dots$

The IBM models



Models 1 and 2

$$P(F, A|E) = P(m|E) \prod_{j=1}^{m} P(a_j, f_j | a_1^{j-1}, f_1^{j-1}, m, E)$$

$$= P(m|E) \prod_{j=1}^{m} P(a_j | a_1^{j-1}, f_1^{j-1}, m, E) P(f_j | a_1^j, f_1^{j-1}, m, E)$$

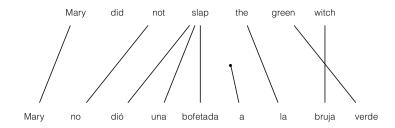
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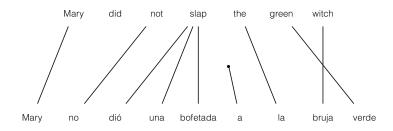
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- lexical translation $P(f_i|a_1^j, f_1^{j-1}, m, E) = t(f_i|e_i)$
- alignment $P(a_j | \dots)$
 - IBM1: $\sim unif(l+1)$
 - IBM2: = a(i|j, m, l)
 - HMM: $= a(i|a_{j-1}, l)$

Decoding with models 1 & 2?



Decoding with models 1 & 2?



how to explain insertions on the English side?

Modelling word fertility

- fertility: number of words generated by an English words
- Generative story
 - choose fertility for e_i
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 - reorder French words

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Modelling word fertility

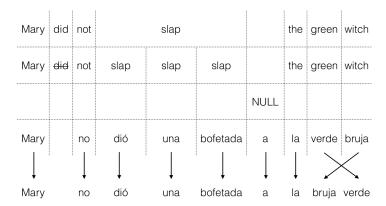
- fertility: number of words generated by an English words
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 - choose fertility for e_i
 - choose French words generated for each e_i
 - reorder French words
- parameters: fertility, translation, distortion, null-word
- inference is intractable:
 - E step in neighbourhood of Viterbi alignment

Mary	did	not	slap	the	green	witch

Mary	did	not	slap			the	green	witch
Mary	did	not	slap	slap	slap	the	green	witch

Mary	did	not		slap			the	green	witch
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						NULL			

Mary	did	not	slap				the	green	witch
Mary	did	not	slap	slap	slap		the	green	witch
						NULL			
Mary		no	dió	una	bofetada	а	la	verde	bruja



Conclusion

	Inference	Generation	
1	Exact		
2	Exact	Local search (and distortion limit)	
≥3	Approximate	(and distortion limit)	

- IBM models 1 and 2 are too weak for decoding
- decoding is NP-complete (for phrase-based models too)
- asymmetry is unsatisfactory from linguistic perspective

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 - (Fr) "est-ce que" ↔ "do/did"
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- local reorderings
 - "un homme grand" \leftrightarrow "a tall man"
 - "un grand homme" ↔ "a great man"

Example

		I	have	black	eyes
1	J'				
2	ai				
3	les				
4	yeux				
5	noirs				

A new hidden variable: segmentation S

One possible story

$$P(F|E) = \sum_{S} \sum_{A} P(S, A, F|E)$$
$$= \sum_{S} \sum_{A} P(S|E) \times P(A|S, E) \times P(F|A, S, E)$$

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 I_1 have 2 black 3 eyes 4

input

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 I_1 have₂ black₃ eyes₄ input $[I_1$ have₂] [black₃] [eyes₄] segmentation

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```
I_1 have<sub>2</sub> black<sub>3</sub> eyes<sub>4</sub> input [I_1 have<sub>2</sub>] [black<sub>3</sub>] [eyes<sub>4</sub>] segmentation [I_1 have<sub>2</sub>]<sub>1</sub> [eyes<sub>4</sub>]<sub>3</sub> [black<sub>3</sub>]<sub>2</sub> ordering
```

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```
\begin{array}{lll} \textbf{I}_1 \text{ have}_2 \text{ black}_3 \text{ eyes}_4 & \text{input} \\ \textbf{[I}_1 \text{ have}_2] \text{ [black}_3 \text{] [eyes}_4] & \text{segmentation} \\ \textbf{[I}_1 \text{ have}_2]_1 \text{ [eyes}_4]_3 \text{ [black}_3 \text{]}_2 & \text{ordering} \\ \textbf{[J'ai]}_1 \text{ [les yeux]}_3 \text{ [noirs]}_2 & \text{translation} \end{array}
```

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 - hidden segmentation and alignment
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- [Mylonakis and Sima'an, 2008]
 - observed (word) alignment and phrase pairs
 - ITG-based segmentation, infer translation probabilities

The Alignment-Template Approach

S3: in S4: the S5: mor

[Och and Ney, 2000] laid out the fundations for [Koehn et al., 2003]

```
T1: zwei, drei, vier, fünf, ...
T2: Uhr
T3: vormittags, nachmittags, abends, ...
S1: two, three, four, five, ...
S2: o'clock
```

morning, evening, afternoon, ...

Alignment template: (class) phrase pair & internal alignment

Model

$$\mathsf{score}(E, S, A | F) = \theta^\top h(F, E, A, S)$$

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features include

- language model
- alignment (distortion)
- translation

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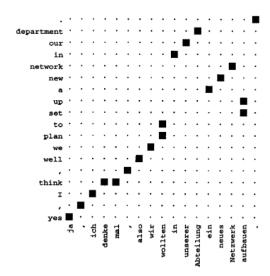
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independence assumptions

- $h_A(F, E, A, S) = \log \prod_k p(a_k|F, E, A, S)$
- $h_F(F, E, A, S) = \log \prod_k p(\overline{f_k}|F, E, A, S)$

Alignment symmetrization



Let (\bar{f},\bar{e}) be a phrase pair Let A be an alignment matrix

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- multiple derivations can explain an "observed" phrase pair
- we extract all of them once, irrespective of derivation

Translation estimates

Number of times a (consistent) phrase pair is "observed"

$$c(\bar{f},\bar{e})$$

Relative frequency counting

$$\phi(\bar{f}|\bar{e}) = \frac{c(\bar{f}, \bar{e})}{\sum_{\bar{f}'} c(\bar{f}', \bar{e})}$$

Features

- language model
- forward translation probability P(F|E)
- backward translation probability P(E|F)
- forward and backward lexical smoothing
- word penalty
- phrase penalty
- distance-based reordering model
- lexical reordering model

Distance-based reordering

- exponential $\delta(d_k) = \alpha^{d_k}, \alpha < 1$
- $d_k = |\operatorname{start}_k \operatorname{end}_{k-1} 1|$

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1	J'	-			
2	ai	_	<u> </u>		
3	les				3
4	yeux				
5	noirs			2	

- $\bar{f}_1 = J'$ ai
- $\bar{e}_1 = I$ have
- $start_1 = 1$
- $\operatorname{end}_1 = 2$

- $\bar{f}_2 = \mathsf{noirs}$
- $\bar{e}_2 = \mathsf{black}$
- $start_2 = 5$
- $\operatorname{end}_2 = 5$

- $\bar{f}_3 = \text{les yeux}$
- $\bar{e}_3 = \mathsf{eyes}$
- $start_3 = 3$
- $\operatorname{end}_3 = 4$

Conclusion

- generative modelling requires approximations
- overfitting in fragment models (DOP)
- [Koehn et al., 2003] ignore segmentation: good feature choice in discriminative model
- reordering remains an issue

Decoding

Disambiguation problem

$$\begin{split} \hat{E} &= \operatorname*{arg\,max}_{E} P(E) P(F|E) \\ &= \operatorname*{arg\,max}_{E} P(E) \sum_{A} P(F,A|E) \end{split}$$

NP-complete [Sima'an, 2002]

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Viterbi approximation

$$\hat{E} \approx \underset{E,A}{\operatorname{arg\,max}} P(E)P(F,A|E)$$

Viterbi decoding

The alignment space (or space of derivations)

- $O(2^n)$ segmentations
- O(n!) permutations
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Packed representation using finite-state transducers

$$O(n^2 \times 2^n \times t)$$

NP-complete (TSP) [Knight, 1999, Zaslavskiy et al., 2009]

Complete model

$$P(E)P(F, S|E) = \prod_{j=1}^{|E|} \psi(e_j|e_{j-n+1}^{j-1}) \prod_{i=1}^{|S|} \phi(\bar{f}_i|\bar{e}_i) \delta(\mathsf{start}_i - \mathsf{end}_{i-1} - 1)$$

Approximations:

- distortion limit $d: 2^n \rightarrow 2^d$
- maximum phrase length $m: n^2 \to n \times m$
- alignment space $O(2^d \times n \times m \times t)$
- weighted derivations $O(2^d \times n \times m \times t \times |\Delta|^{k-1})$ where P(E) is a k-gram LM components over Δ^* and $|\Delta| \propto t \times n$

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This space is too large for exact inference

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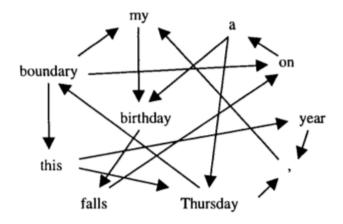
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• pruning: beam search

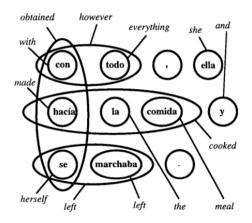
Complexity

[Knight, 1999]



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