### Hierarchical Machine Translation

Wilker Aziz

Universiteit van Amsterdam w.aziz@uva.nl

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- 1 Motivation
- 2 Hierarchical models of translation Hiero Syntactic constraints
- 3 Decoding

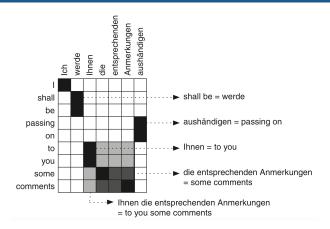


Figure: Koehn [2010]

# Why hierarchical structure?

#### Better generalisation

- compositionality
- reordering

Monotone translation is unrealistic

languages differ wrt word-order

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 languages differ wrt word-order e.g. different syntactic structure

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#### Monotone translation is unrealistic

 languages differ wrt word-order e.g. different syntactic structure e.g. rich morphology

### Reordering is arguably one of the hardest problems in MT

 part of the model of translational equivalences the part that determines the space of translations

# Key aspects

#### Expressiveness

how much can two languages differ wrt word order?

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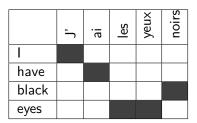
#### Modelling

• how many parameters do we have to estimate?

### Content

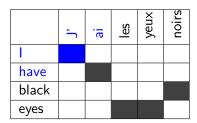
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#### Local Reordering



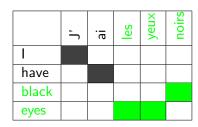
## Hierarchical phrase-based - Motivation

### Local Reordering



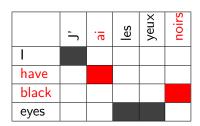
Monotone
 J'<sub>1</sub> ai<sub>2</sub> → I<sub>1</sub> have<sub>2</sub>

#### Local Reordering



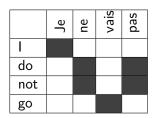
 Swap les yeux<sub>4</sub> noirs<sub>5</sub> → black<sub>3</sub> eyes<sub>4</sub>

### Local Reordering

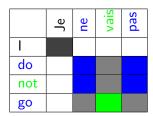


Discontinuous  $ai_2 X_{3-4} noirs_5 \rightarrow have_2 black_3$  $X_4$ 

#### Discontiguous Phrases



#### Discontiguous Phrases

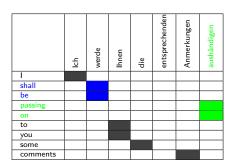


 $\begin{tabular}{ll} \blacksquare & {\sf Gappy phrase} \\ & {\sf ne \ vais \ pas} \to {\sf do \ not \ go} \\ & {\sf ne \ } X_{vais \ pas} \to {\sf do \ not \ } X_{go} \\ \end{tabular}$ 

### Long Distance Reordering

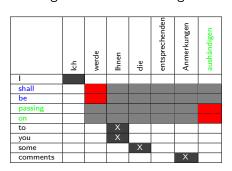
	lch	werde	lhnen	die	entsprechenden	Anmerkungen	aushändigen
I							
shall							
be							
passing							
on							
to							
you							
some							
comments							

#### Long Distance Reordering



How can we extract a biphrase for shall be passing on?

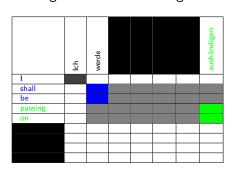
#### Long Distance Reordering



- How can we extract a biphrase for shall be passing on?
- We cannot, we need to extract to you some comments along

## Hierarchical phrase-based - Motivation

#### Long Distance Reordering



- How can we extract a biphrase for shall be passing on?
- We cannot, we need to extract to you some comments along
- Unless we replace all those words by a variable

Long Distance Reordering

shall be passing on to you some comments



werde Ihnen die entsprechenden Anmerkungen aushändigen

### Hierarchical phrase-based - Motivation

Long Distance Reordering

shall be passing on the state of the state o

#### Long Distance Reordering

shall be passing on X  $\updownarrow$  werde X aushändigen

Extends phrase-based MT with hierarchical rules [Chiang, 2005]

conditions on word alignment

- conditions on word alignment
- heuristic rule extraction

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- heuristic scoring by relative frequency counting

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#### Motivation

long-distance reordering

### Extends phrase-based MT with hierarchical rules [Chiang, 2005]

- conditions on word alignment
- heuristic rule extraction
- heuristic scoring by relative frequency counting
- log-linear model
- SCFG decoding

#### Motivation

- long-distance reordering
- lexicalised reordering

#### Heuristic rule extraction

shall be passing on to you some comments



werde Ihnen die entsprechenden Anmerkungen aushändigen

#### Heuristic rule extraction

werde //////die entsprechenden Anmerkungen aushändigen

#### Heuristic rule extraction

shall be passing on  $X_1$  some comments

\$

werde  $X_1$  die entsprechenden Anmerkungen aushändigen

Hiero

#### Heuristic rule extraction

werde  $X_1$  (Ne/e/h/t\$)//e/\$////t\$ Hiero

### Heuristic rule extraction

shall be passing on  $X_1$   $X_2$   $\updownarrow$  werde  $X_1$   $X_2$  aushändigen

#### Heuristic rule extraction

- $[X] \rightarrow \mathsf{shall}$  be passing on  $X_1 \ X_2 \mid \mathsf{werde} \ X_1 \ X_2$  aushändigen
- $[X] \rightarrow \text{shall be passing on } X_3 \mid \text{werde } X_3 \text{ aushändigen}$
- $[X] \rightarrow \mathsf{to} \mathsf{you} \mid \mathsf{Ihnen}$
- $[X] \rightarrow$  some comments | die entsprechenden Anmerkungen
- [X] o to you some comments | Ihnen die entsprechenden Anmerkungen

Hiero

### Hiero - Constraints

Practical Limitations [Chiang, 2005]

at most two nonterminal symbols

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\begin{array}{c} \mathsf{les} \ \mathsf{grandes} \ \mathsf{maisons} \ \leftrightarrow \ \mathsf{the} \ \mathsf{big} \ \mathsf{houses} \\ \mathsf{les} \ X_1 \ \mathsf{maisons} \ \leftrightarrow \ \mathsf{the} \ X_1 \ \mathsf{houses} \\ \mathsf{les} \ X_1 \ X_2 \ \leftrightarrow \ \mathsf{the} \ X_1 \ X_2 \\ \mathsf{les} \ X \ \leftrightarrow \ \mathsf{the} \ X \end{array}
```

### Practical Limitations [Chiang, 2005]

- at most two nonterminal symbols
- X spans at least 1 and at most 15 source words
- no nonterminals next to each other in the source side

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\begin{array}{c} \mathsf{les} \ \mathsf{grandes} \ \mathsf{maisons} \ \leftrightarrow \ \mathsf{the} \ \mathsf{big} \ \mathsf{houses} \\ \mathsf{les} \ X_1 \ \mathsf{maisons} \ \leftrightarrow \ \mathsf{the} \ X_1 \ \mathsf{houses} \\ \mathsf{les} \ X_1 \ X_2 \ \leftrightarrow \ \mathsf{the} \ X_1 \ X_2 \\ \mathsf{les} \ X \ \leftrightarrow \ \mathsf{the} \ X \end{array}
```

#### Glue rules

•  $S \rightarrow \langle S_1 X_2, S_1 X_2 \rangle$ 

Hiero

# Hiero - Scoring

Relative frequency: assume all fragments have been "observed"

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Joint rule probatility:  $p(LHS, RHS_{source}, RHS_{target})$ 

Hiero

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Relative frequency: assume all fragments have been "observed"

■ Joint rule probatility:  $p(LHS, RHS_{source}, RHS_{target})$ 

 $p(X, \mathsf{la} \ \mathsf{maison} \ X_1, \mathsf{the} \ X_1 \ \mathsf{house})$ 

Relative frequency: assume all fragments have been "observed"

Joint rule probatility:  $p(LHS, RHS_{source}, RHS_{target})$ 

 $p(X, \text{la maison } X_1, \text{the } X_1 \text{ house})$ 

Rule application probability:  $p(RHS_{source}, RHS_{target}|LHS)$ 

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 $p(\text{la maison } X_1, \text{the } X_1 \text{ house}|X)$ 

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- Rule application probability:  $p(RHS_{source}, RHS_{target}|LHS)$

$$p(\mathsf{Ia} \; \mathsf{maison} \; X_1, \mathsf{the} \; X_1 \; \mathsf{house} | X)$$

Direct translation probability:  $p(RHS_{target}|RHS_{source}, LHS)$ 

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- Rule application probability:  $p(RHS_{source}, RHS_{target} | LHS)$ 
  - $p(\mathsf{Ia} \; \mathsf{maison} \; X_1, \mathsf{the} \; X_1 \; \mathsf{house} | X)$
- Direct translation probability:  $p(RHS_{target}|RHS_{source}, LHS)$ 
  - $p(\mathsf{the}\ X_1\ \mathsf{house}|\mathsf{la}\ \mathsf{maison}\ X_1,X)$

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$$p(\mathsf{Ia} \; \mathsf{maison} \; X_1, \mathsf{the} \; X_1 \; \mathsf{house} | X)$$

■ Direct translation probability:  $p(RHS_{target}|RHS_{source}, LHS)$ 

$$p(\mathsf{the}\ X_1\ \mathsf{house}|\mathsf{la}\ \mathsf{maison}\ X_1,X)$$

• Noisy-channel translation probability:  $p(RHS_{source}|RHS_{target}, LHS)$ 

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■ Direct translation probability:  $p(RHS_{target}|RHS_{source}, LHS)$ 

$$p(\mathsf{the}\ X_1\ \mathsf{house}|\mathsf{la}\ \mathsf{maison}\ X_1,X)$$

• Noisy-channel translation probability:  $p(RHS_{source}|RHS_{target}, LHS)$ 

$$p(\mathsf{Ia} \; \mathsf{maison} \; X_1 | \mathsf{the} \; X_1 \; \mathsf{house}, X)$$

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Lexical translation probability

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  - $p(X, \text{la maison } X_1, \text{the } X_1 \text{ house})$
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$$p(\mathsf{Ia} \; \mathsf{maison} \; X_1, \mathsf{the} \; X_1 \; \mathsf{house} | X)$$

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$$p(\mathsf{Ia}\ \mathsf{maison}\ X_1|\mathsf{the}\ X_1\ \mathsf{house},X)$$

Lexical translation probability

$$\prod_{t_i \in RHS_{target}} p(t_i | RHS_{source}, a) \qquad \prod_{s_i \in RHS_{source}} p(s_i | RHS_{target}, a)$$

Hiero

# Hiero - Model

$$p(\mathbf{d}, \mathbf{x}) = \prod_i \phi_i(\mathbf{d}, \mathbf{x})^{\lambda_i}$$

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$$\log p(\mathbf{d}, \mathbf{x}) = \sum_{i} \lambda_{i} \log \phi_{i}(\mathbf{d}, \mathbf{x})$$

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$$\log p(\mathbf{d}, \mathbf{x}) = \sum_{i} \lambda_{i} \left(\sum_{r \in \mathbf{d}} \log \phi_{i}(r, \mathbf{x})\right)$$

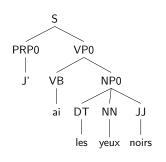
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$$\log p(\mathbf{d}, \mathbf{x}) = \sum_{i} \lambda_{i} \log \phi_{i}(\mathbf{d}, \mathbf{x})$$
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Log-linear combination of features

$$p(\mathbf{d}, \mathbf{x}) = \prod_{i} \phi_{i}(\mathbf{d}, \mathbf{x})^{\lambda_{i}}$$
$$\log p(\mathbf{d}, \mathbf{x}) = \sum_{i} \lambda_{i} \log \phi_{i}(\mathbf{d}, \mathbf{x})$$
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$$\log p(\mathbf{d}, \mathbf{x}) = \sum_{r \in \mathbf{d}} \sum_{i} \lambda_{i} \log \phi_{i}(r, \mathbf{x})$$

Linear model

$$f(\mathbf{d}, \mathbf{x}) = \sum_{i} \lambda_{i} h_{i}(\mathbf{d}, \mathbf{x}) = \sum_{r \in \mathbf{d}} \boldsymbol{\lambda}^{\top} \mathbf{h}(r, \mathbf{x})$$

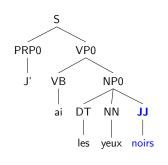


PRP	S	VP	
I	VB	N	P
	have	٦̈́Ĵ	NN
		 black	eyes

	J'	ai	les	yeux	noirs
I					
have					
black					
eyes					

- A context-free rule requires a single LHS
- A rule must be consistent with word-alignment
- Nonterminals in the RHS must align one-to-one

Rules are learnt from the word-alignment And constrained by syntactic categories

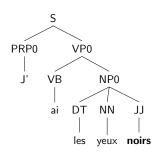


PRP	S	VP	
	VB	N	P
•			
	have	ĴĴ	ΝN
		black	eyes

	J'	ai	les	yeux	noirs
Ι					
have					
black					
eyes					

 $JJ \rightarrow noirs \mid black$  is straightforward

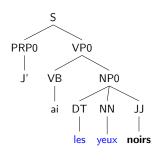
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PRP	S	VP	
I	VB	NI	P
	have	JJ 	NN 
		black	eyes

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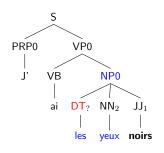


PRP	S	VP	
I	VB	N	P
	have	JJ     black	NN   eyes

		J'	ai	les	yeux	noirs
	I					
	have					
ĺ	black					
ĺ	eyes					

A single LHS  $\rightarrow$  subtree

- A context-free rule requires a single LHS
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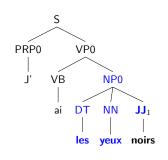


PRP	S	VP	
I	VB	N	P
•			
	have	$JJ_1$	$NN_2$
		black	eyes

	J'	ai	les	yeux	noirs
I					
have					
black					
eyes					

Use NP0/NP

- A context-free rule requires a single LHS
- A rule must be consistent with word-alignment
- Nonterminals in the RHS must align one-to-one

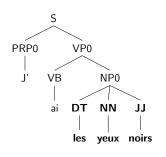


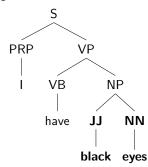
_	S	_	
PRP		VΡ	
		^	
i	VΒ	N	P
	have	$JJ_1$	NN
		black	eyes

	J'	ai	les	yeux	noirs
I					
have					
black					JJ
eyes					

$$\begin{array}{c} \mathsf{NP0/NP} \rightarrow \\ \stackrel{\mathit{DT}}{\mathit{les}} \ \stackrel{\mathit{NN}}{\mathit{yeux}} \ \mathsf{JJ_1} \ | \ \mathsf{JJ_1} \ \stackrel{\mathit{NN}}{\mathit{eyes}} \end{array}$$

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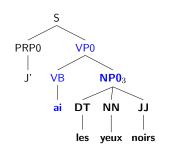




	J'	ai	les	yeux	noirs
I					
have					
black					
eyes					

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Rules are learnt from the word-alignment And constrained by syntactic categories



PRP	S	VP		
İ	VB	$NP_3$		
	 have	IJ	NN	
		black	eyes	

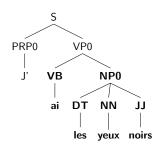
	J'	ai	les	yeux	noirs
I					
have					
black					NP
eyes			NP	NP	

 $egin{array}{l} \mathsf{/P0/VP} 
ightarrow \ i & \mathsf{NP0}_3 \mid \stackrel{VB}{have} \ \mathsf{NP}_3 \end{array}$ 

- A context-free rule requires a single LHS
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## Syntactic Constraints

Rules are learnt from the word-alignment And constrained by syntactic categories



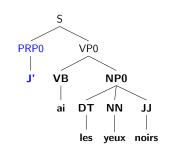
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	have	ĴĴ	ΝN
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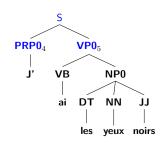
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have					
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### Syntactic Constraints

Rules are learnt from the word-alignment And constrained by syntactic categories



PRP <sub>4</sub>	\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\\	/P <sub>5</sub>	
İ	VB	N	P
	have	JĴ 	ΝN
		black	eyes

		J'	ai	les	yeux	noirs
T		PRP				
h	ave		VP			
Ь	lack					VP
e	yes			VP	VP	

 $S \rightarrow PRP0_4 VP_5 \mid PRP_4 VP_5$ 

- A context-free rule requires a single LHS
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#### Grammar

#### Grammar

PRP0/PRP 
$$\rightarrow$$
 J' | I   
JJ  $\rightarrow$  noirs | black   
NP0/NP  $\rightarrow$   $\stackrel{DT}{les}$   $\stackrel{NN}{yeux}$  JJ | JJ   
VP0/VP  $\rightarrow$   $\stackrel{VB}{ai}$  NP0 |  $\stackrel{VB}{have}$  NP   
S  $\rightarrow$  PRP0 VP0 | PRP VP

# Syntax-based vs Hiero

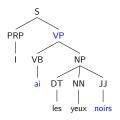
More constraints on rules

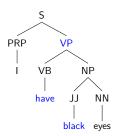
000

Can we extract the discontiguous phrase ai X noirs?

 $\hbox{\bf Hiero:}\ X\to\hbox{\bf ai}\ X_1\ \hbox{\bf noirs}\ |\ \hbox{\bf have black}\ X_1$ 

Syntactic: No!





### Syntax-based vs Hiero

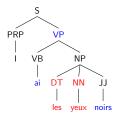
#### More constraints on rules

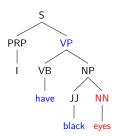
000

Can we extract the discontiguous phrase ai X noirs?

 $\hbox{\bf Hiero:}\ X\to\hbox{\bf ai}\ X_1\ \hbox{\bf noirs}\ |\ \hbox{\bf have black}\ X_1$ 

Syntactic: No!





#### Content

- 1 Motivation
- 2 Hierarchical models of translation
- 3 Decoding

Phrase-based

 $\mathsf{Tree}\text{-}\mathsf{based}$ 

# Decoding

Phrase-based

Left-to-Right

Tree-based

Bottom-Up

#### Phrase-based

- Left-to-Right
- Beam Search

#### Tree-based

- Bottom-Up
- Chart Parsing

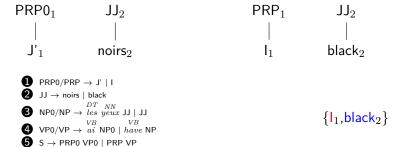
Decoding

J' ai les yeux noirs

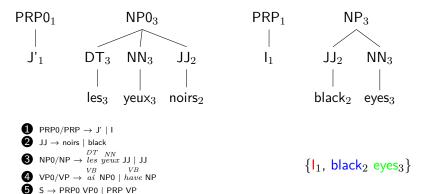
```
    PRPO/PRP → J' | I
    JJ → noirs | black
    NPO/NP → les yeux JJ | JJ VB VB VB VB VB VPO/VP → ai NPO | have NP
    S → PRPO VPO | PRP VP
```

 $J'_1$  ai les yeux noirs

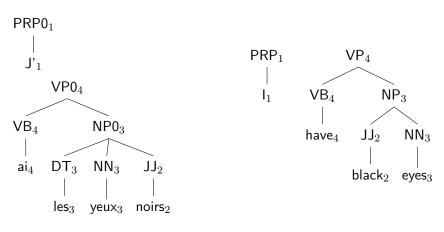
 $J'_1$  ai les yeux noirs<sub>2</sub>



J'<sub>1</sub> ai les yeux<sub>3</sub> noirs<sub>2</sub>



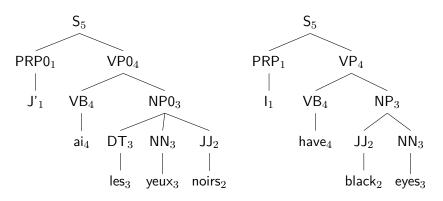
J'<sub>1</sub> ai<sub>4</sub> les yeux<sub>3</sub> noirs<sub>2</sub>



- ② JJ → noirs | black
- $\textbf{3} \hspace{0.1cm} \text{NPO/NP} \rightarrow \stackrel{DT}{les} \stackrel{NN}{yeux} \text{JJ} \hspace{0.1cm} | \hspace{0.1cm} \text{JJ} \hspace{0.1cm} |$

 $\{I_1, have_4 black_2 eyes_3\}$ 

J'<sub>1</sub> ai<sub>4</sub> les yeux<sub>3</sub> noirs<sub>2</sub>



- $2 \quad \mathsf{JJ} \to \mathsf{noirs} \mid \mathsf{black}$

- $S \rightarrow PRP0 \ VP0 \mid PRP \ VP$

 $\{I_1 \text{ have}_4 \text{ black}_2 \text{ eyes}_3\}$ 

#### Conclusions and further reading

#### Hierarchical structure

reasonable accounts of languages with different word-order

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- reasonable accounts of languages with different word-order
  - however, rather strict/fixed word-order (simpler morphology)

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#### Linguistically-informed labels

- constrain hiero grammar [Zollmann and Venugopal, 2006]
- tree-based grammars [DeNeefe and Knight, 2009]
- feature-rich models [Chiang et al., 2009]
- tree transducers and EM training [Galley et al., 2006]



### Earley intersection

AXIOMS

$$\overline{[S' \to \bullet S, q, q]} \quad q \in I$$

GOAL

$$[S' \to S \bullet, q, r] \ q \in I \land r \in F$$

Scan

$$\frac{[X \to \alpha \bullet x\beta, q, s]}{[X \to \alpha x \bullet \beta]} \quad \langle s, x, r \rangle \in E$$

Predict

$$\frac{[X \to \alpha \bullet Y\beta, q, r]}{[Y \to \bullet \gamma, r, r]} \quad Y \to \gamma \in R$$

Complete

$$\frac{[X \to \alpha \bullet Y\beta, q, s] [Y \to \gamma \bullet, s, r]}{[X \to \alpha Y_{s,r} \bullet \beta, q, r]} \quad X \neq S'$$

ACCEPT

$$\frac{[S' \to \bullet S, q, q] [S \to \gamma \bullet, q, r]}{[S' \to S_{q,r} \bullet, q, r]} \quad r \in F$$

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