

INTRO TO DATA SCIENCE REVIEW

supervised unsupervised

making predictions discovering patterns

supervised unsupervised

labeled examples no labeled examples

TYPES OF ML SOLUTIONS

	continuous	categorical
supervised unsupervised	regression dimension reduction	classification clustering

QUESTION

HOW DO YOU REPRESENT YOUR

DATA?

TYPES OF DATA

continuous categorical

color RGB-values {red, blue}

ratings 1 — 10 rating Good / Bad

QUESTION

HOW DO YOU MEASURE

OF QUALITY?

supervised unsupervised

test out your predictions

--

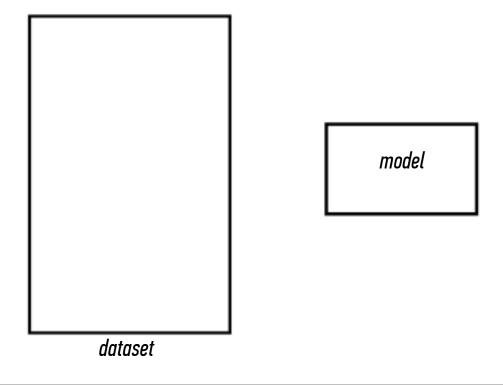
ASSESSING ML PERFORMANCE

supervised unsupervised

Accuracy, MSE, MAE, AUC

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III. SUPERVISED LEARNING



Q: What steps does a classification problem require?

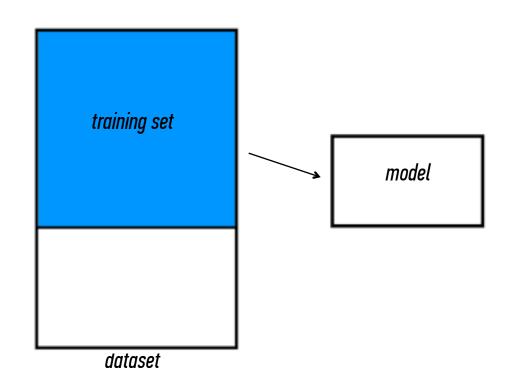
1) split dataset

dataset

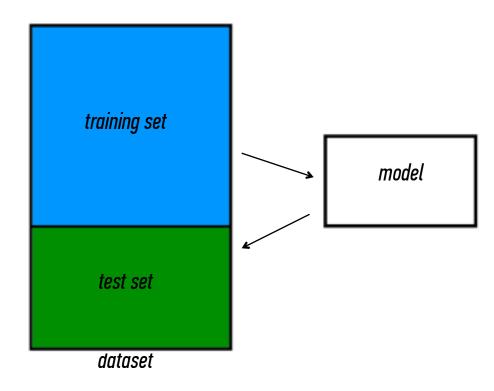
model

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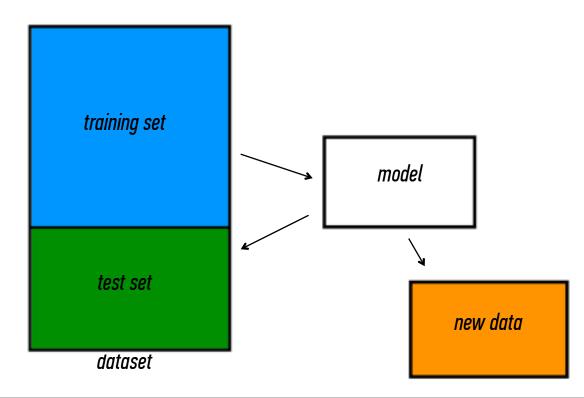
- 1) split dataset
- 2) train model



- 1) split dataset
- 2) train model
- 3) test model



- 1) split dataset
- 2) train model
- 3) test model
- 4) make predictions



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III. LINEAR REGRESSION

REGRESSION PROBLEMS

supervised
unsupervisedregression
dimension reductionclassification
clustering

INTRO TO REGRESSION

- Q: What is a regression model?
- A: A functional relationship between input & response variables

The simple linear regression model captures a linear relationship between a single input variable x and a response variable y:

$$y = \alpha + \beta x + \varepsilon$$

Q: What do the terms in this model mean?

$$y = \alpha + \beta x + \varepsilon$$

A: y = response variable (the one we want to predict)

x =input variable (the one we use to train the model)

 α = intercept (where the line crosses the y-axis)

 β = regression coefficient (the model "parameter")

 ε = residual (the prediction error)

LEARNING

```
OLS: min(\|y-x\beta\|^2)
L1 regularization: min(\|y-x\beta\|^2+\lambda\|\beta\|)
L2 regularization: min(\|y-x\beta\|^2+\lambda\|\beta\|^2)
```

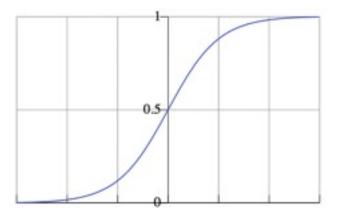
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IV. LOGISTIC REGRESSION

$$E(y|x) = \pi(x) = \frac{e^{\alpha + \beta x}}{1 + e^{\alpha + \beta x}}$$

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We've already seen what this looks like:



The **logit function** is an important transformation of the logistic function. Notice that it returns the linear model!

$$g(x) = ln(\frac{\pi(x)}{1-\pi(x)}) = \alpha + \beta x$$

The **logit function** is an important transformation of the logistic function. Notice that it returns the linear model!

$$g(x) = \ln(\frac{\pi(x)}{1 - \pi(x)}) = \alpha + \beta x$$

The logit function is also called the log-odds function.

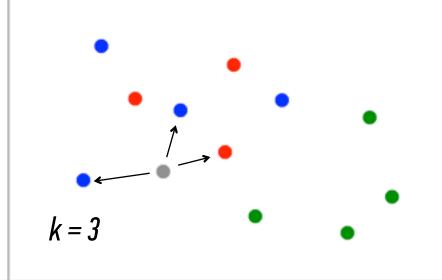
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V. KNN CLASSIFICATION

KNN CLASSIFICATION

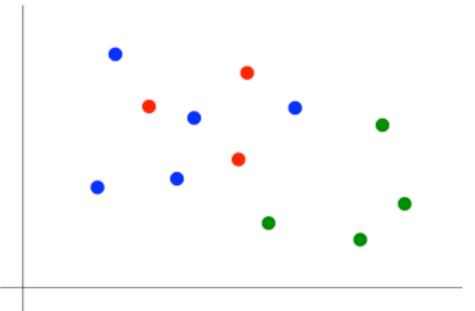
Suppose we want to predict the color of the grey dot.

- 1) Pick a value for k.
- 2) Find colors of k nearest neighbors.



Suppose we want to predict the color of the grey dot.

- 1) Pick a value for k.
- 2) Find colors of k nearest neighbors.
- 3) Assign the most common color to the grey dot.



INTRO TO DATA SCIENCE

VI. NAÏVE BAYES

BAYESIAN INFERENCE

Suppose we have a dataset with features $x_1, ..., x_n$ and a class label C. What can we say about classification using Bayes' theorem?

$$P(\text{class } C \mid \{x_i\}) = \frac{P(\{x_i\} \mid \text{class } C) \cdot P(\text{class } C)}{P(\{x_i\})}$$

Bayes' theorem can help us to determine the probability of a record belonging to a class, given the data we observe.

source: <u>Data Analysis with Open Source Tools</u>, by Philipp K. Janert. O'Reilly Media, 2011.

THE LIKELIHOOD FUNCTION

This term is the likelihood function. It represents the joint probability of observing features $\{x_i\}$ given that that record belongs to class C.

$$P(\text{class } C \mid \{x_i\}) = \frac{P(\{x_i\} \mid \text{class } C) \cdot P(\text{class } C)}{P(\{x_i\})}$$

This term is the prior probability of C. It represents the probability of a record belonging to class C before the data is taken into account.

$$P(\text{class } C \mid \{x_i\}) = \frac{P(\{x_i\} \mid \text{class } C) \cdot P(\text{class } C)}{P(\{x_i\})}$$

THE NORMALIZATION CONSTANT

This term is the normalization constant. It doesn't depend on C, and is generally ignored until the end of the computation.

$$P(\text{class } C \mid \{x_i\}) = \frac{P(\{x_i\} \mid \text{class } C) \cdot P(\text{class } C)}{P(\{x_i\})}$$

THE POSTERIOR

This term is the posterior probability of C. It represents the probability of a record belonging to class C after the data is taken into account.

$$P(\text{class } C \mid \{x_i\}) = \frac{P(\{x_i\} \mid \text{class } C) \cdot P(\text{class } C)}{P(\{x_i\})}$$

This term is the posterior probability of C. It represents the probability of a record belonging to class C after the data is taken into account.

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The goal of any Bayesian computation is to find ("learn") the posterior distribution of a particular variable.

The idea of Bayesian inference, then, is to **update** our beliefs about the distribution of C using the data ("evidence") at our disposal.

$$P(\text{class } C \mid \{x_i\}) = \frac{P(\{x_i\} \mid \text{class } C) \cdot P(\text{class } C)}{P(\{x_i\})}$$

Then we can use the posterior for prediction.

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V. COMPARISON

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CLASSIFICATION

KNN

linear

KNN

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linear

KNN

scalability

scalability

interpretation

linear

| KNN | N | +/- |

	KNN
linear	N
scalability	+/-
interpretation	_
configuration	+

	KNN
linear	N
scalability	+/-
interpretation	_
configuration	+
specification	_

KNN

linear N
scalability +/interpretation -

configuration feature-select overfitting --- K

linear

Logistic KNN

scalability interpretation configuration feature-select overfitting

linear scalability

interpretation

configuration

+/

-

KNN

+

Logistic

+

NB

feature-select -

| > K

2 Prior

overfitting

linear scalability

interpretation

configuration

feature-select

-/-

KNN

Logistic

+

Prior

NB

Tuesday, January 28, 14

-+

+

RF

50 **CLASSIFICATION** KNN Logistic NB SVM RF linear scalability

Prior

n tree

feature-select

overfitting

interpretation

configuration