

World happiness

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Introduction

Exploratory Data Analysis

Formal Data Analysis

To begin to analysis the world happiness dataset, we need to check the correlation between the six explanatory variables to avoid the problem of multicollinearity.

Table 1: Correlation coefficient table of explanatory variables.

	LoggedGDP	Social	expectancy	Freedom	Generosity	corruption
LoggedGDP	1.0000000	0.7852987	0.8594606	0.4323235	-0.1992864	-0.3423374
Social	0.7852987	1.0000000	0.7232561	0.4829298	-0.1149459	-0.2032070
expectancy	0.8594606	0.7232561	1.0000000	0.4614939	-0.1617503	-0.3643735
Freedom	0.4323235	0.4829298	0.4614939	1.0000000	0.1694374	-0.4013630
Generosity	-0.1992864	-0.1149459	-0.1617503	0.1694374	1.0000000	-0.1639617
corruption	-0.3423374	-0.2032070	-0.3643735	-0.4013630	-0.1639617	1.0000000

From our correlation table we can see that the correlation between our Logged GDP and Healthy life expectancy is 0.859, which is a strong positive linear relationship. And the Logged GDP and Social support also have the high degree of collinearity, the correlation between this two variables is 0.785. So we remove Healthy life expectancy and Logged GDP. Then, using the remaining 4 explanatory variables to perform stepwise regression, and observe whether the remaining variables need to be eliminated.

```
Start:  AIC=-141.88
score ~ Social + Freedom + Generosity + corruption
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	Df	Sum of Sq	RSS	AIC
- Generosity	1	0.091	53.856	-143.628
<none>			53.765	-141.879
- corruption	1	6.078	59.843	-127.920
- Freedom	1	6.364	60.129	-127.210
- Social	1	43.953	97.718	-54.857

```
Step:  AIC=-143.63
score ~ Social + Freedom + corruption
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	Df	Sum of Sq	RSS	AIC
<none>			53.856	-143.628
- corruption	1	5.988	59.844	-129.919
- Freedom	1	6.325	60.181	-129.082
- Social	1	47.398	101.254	-51.561

Call:

```
lm(formula = score ~ Social + Freedom + corruption, data = happiness)
```

Coefficients:

(Intercept)	Social	Freedom	corruption
0.0779	5.6256	2.2271	-1.2254

According to the results of stepwise regression, we choose the model with the smallest AIC as the final model. Then, we fit the following linear model to the data.

$$\widehat{\text{score}}_i = \hat{\alpha} + \hat{\beta} * \text{Social}_i + \hat{\gamma} * \text{Freedom}_i + \hat{\delta} * \text{corruption}_i$$

where

- the $\widehat{\text{score}}_i$: the happiness score of the i th country.
- the $\hat{\alpha}$: the intercept of the regression line.
- the $\hat{\beta}$: the coefficient for the first explanatory variable Social.
- the $\hat{\gamma}$: the coefficient for the second explanatory variable Freedom.
- the $\hat{\delta}$: the coefficient for the second explanatory variable corruption.

When this model is fitted to the data, the following estimates of α (intercept) and β, γ and δ are returned:

Table 2: Estimates of the parameters from the fitted linear regression model.

term	estimate
intercept	0.078
Social	5.626
Freedom	2.227
corruption	-1.225

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