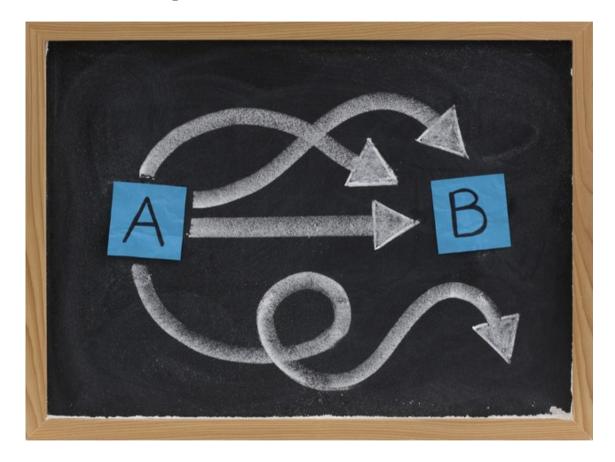
# Introduction to Serial Code Optimisations



**Getting from A to B – faster!** 

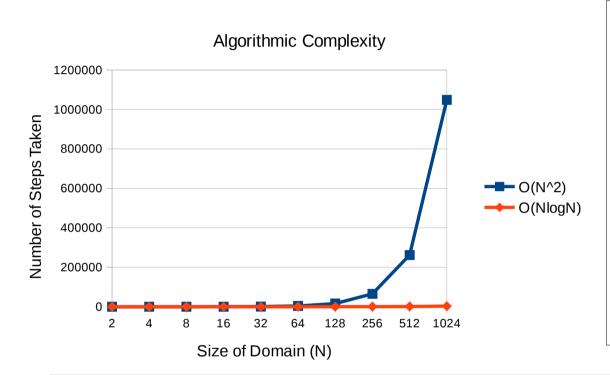


#### Overview

- Some hints and tips:
  - Lesson #1: Algorithms matter.
  - Lesson #2: Focus your efforts.
    - Never guess, use a profiler instead.
  - Lesson #3: Experiment with compiler flags and then re-profile.
  - Lesson #4: The memory hierarchy has a large effect (and it grows over time).
  - Lesson #5: Making use of wide registers is important on modern processors.



### Lesson #1: Algorithms Matter



### A solution in O(N<sup>2</sup>)... What do you mean?

Let's say we have a problem 'of size N'. This could be sorting a list of N items.

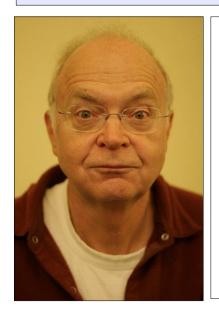
Sorting algorithm A takes O(N<sup>2</sup>) operations to sort the list. Algorithhm B takes O(NlogN) operations..

- Algorithm A  $\rightarrow$  O(N<sup>2</sup>).
- Algorithm B → O(NlogN).
- For large N, even a lousy implementation of B will beat a great implementation of A.



## Lesson #2: Focus your Efforts

"We should forget about small efficiencies, say about 97% of the time: premature optimization is the root of all evil. Yet we should not pass up our opportunities in that critical 3%. A good programmer will not be lulled into complacency by such reasoning, he will be wise to look carefully at the critical code; but only after that code has been identified" — Donald Knuth



For the assignments, we're going to

- (a) assume that we have the best algorithm; and
- (b) follow Knuth's sage advice:
  - 1 profile
  - 2 find the critical code
  - 3 only attempt to optimise the critical code
  - 4 repeat this cycle!



#### Lesson #2: Never Guess

#### Consider the following 2 loops:

```
This is repeated
/* loop 1 */
                               (and hence wasted)
for (i=0; i< N; i++)
                              computation, right?
  a[i] = pow(6, 0.35);
/* loop 2 */
x = pow(6, 0.35);
for (i=0; i<N; i++)</pre>
                                 gcc -O3
  b[i] = x;
  Loop containing invariants
  Elapsed time:
                        0.752673
                                 (s)
  Manually 'hoisted' loop
                0.938888 (s)
  Elapsed time:
```



#### Lesson #2: Use a Profiler Instead

This is some output from *gprof*:

```
Each sample counts as 0.01 seconds.

% cumulative self self total
time seconds seconds calls us/call us/call name

72.69 25.01 25.01 300000 83.37 83.37 collision
15.03 30.18 5.17 300000 17.23 17.23 propagate
9.13 33.32 3.14 300000 10.47 10.47 total_density
```

This function accounts for the vast majority of the run time. So let's focus our (initial) efforts there..



# Changing the Compiler Flags (Conditionals in a Loop)

```
const size t arraySize = 32768;
std::vector<int> data(arraySize);
                                             Fill array with
                                            random numbers
// random sequence in range [0,256]
for (unsigned c = 0; c < arraySize; ++c)</pre>
  data[c] = std::rand() % 256;
// branches predictable if sorted, otherwise random
std::sort(data.begin(), data.end());
                                           Sort, or not...
long long sum = 0;
for (unsigned i = 0; i < 100000; ++i)
    for (unsigned c = 0; c < arraySize; ++c)</pre>
      { if (data[c] >= 128)
          sum += data[c];
                                 Conditional triggers
                               Predictably or randomly
```



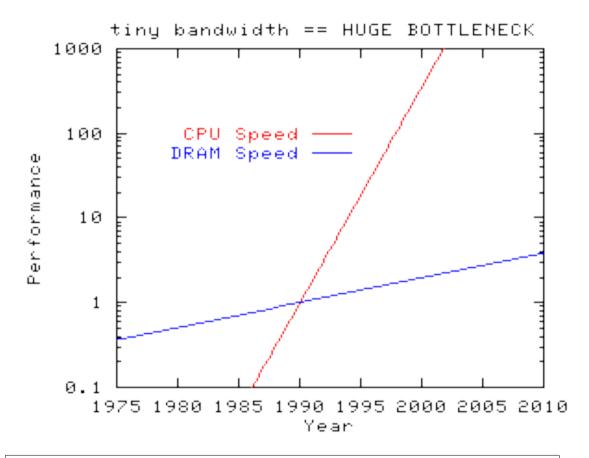
## Branch Prediction: Processors and Compiler Flags

				Time (s)
	Core 2	-02	sorted	3.2
gcc 4.	.4.3		random	13.7
		-O3	sorted	6.4
			random	15.6
	Xeon E5	-02	sorted	2.0
			random	10.4
gcc 4	.4.6	-O3	sorted	2.6
900 1			random	2.6

- Branching in loops can stall the (deep) pipelines in modern processors. (Yet another attempt to find parallelism in code execution)
- Branch prediction clearly matters.
- **BUT**.. the details vary from processor to processor and compiler to compiler.



# Lesson #4: The Memory Hierarchy has a Large Effect



See e.g. the STREAM banchmark: https://www.cs.virginia.edu/stream/



### Caches try to Bridge the Gap

#### **General Layout:**

- Registers and Caches on chip
- Bus connection to RAM

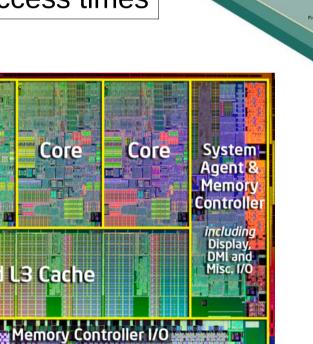
Core

• Hard drives slower access times

Соге

Shared L3 Cache

Соге



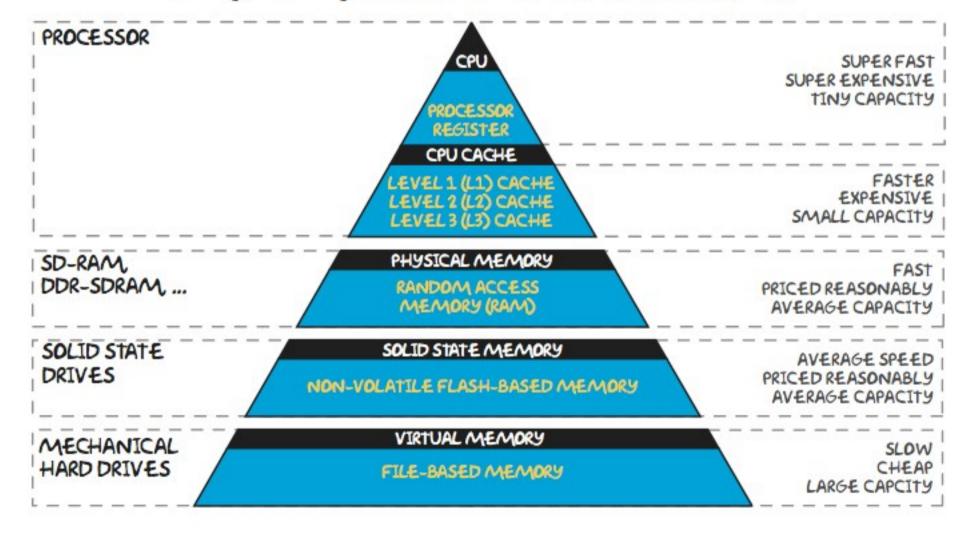
Schematic for Intel SandyBridge



Processor

Graphics 🛂

## THE MEMORY HIERARCHY





## Memory Hierarchies: Analogy

 L1 cache: Like picking up a paper from your desk (~3s)

 L2 cache: Like getting up and going to the bookshelf (~15s)

 Main memory: Like walking down the corridor (several minutes)

 Disk?: Like walking around the coastline of Britain (~ 1yr)!



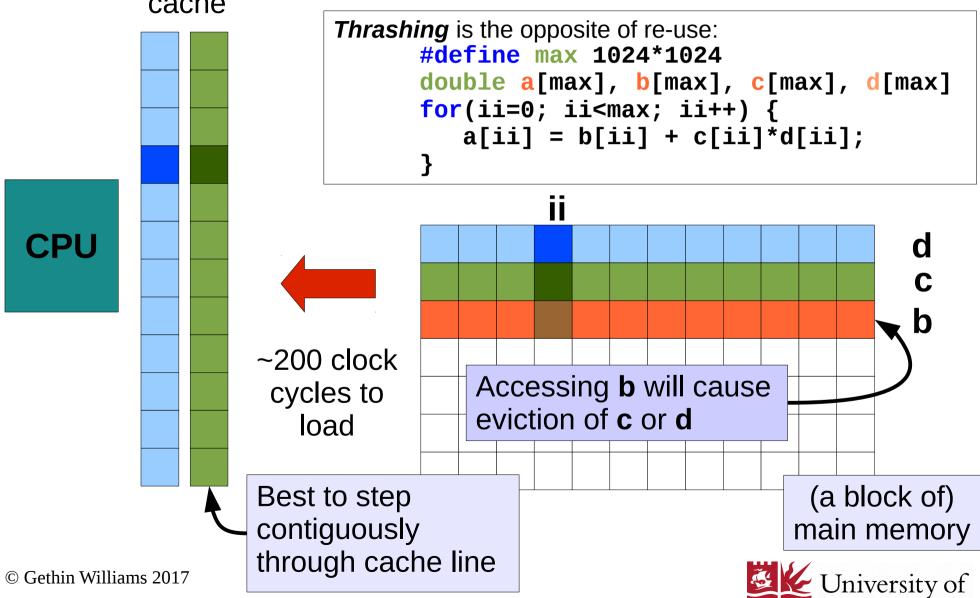
## Make the Most of the Cache that You Have

- Explore the use of different data types.
  - Perhaps you can store the same information in cache (to a suitable degree of precision), but using less space?
- Make the most of the data that you have in cache already – don't revisit the same data later in your program if you don't have to.

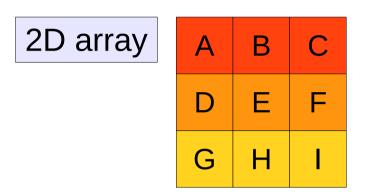


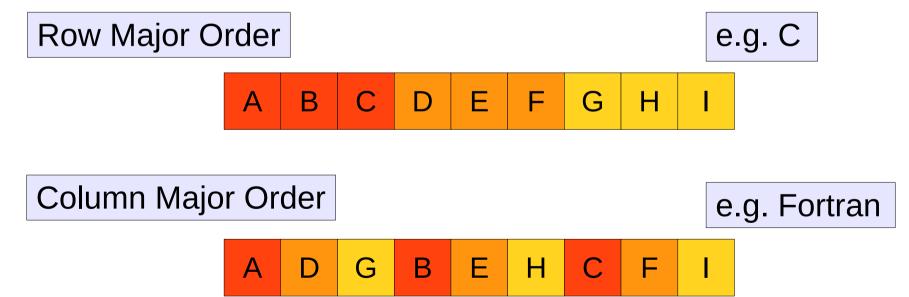
## Cache Thrashing: A Synthetic

2-way associative cache Example



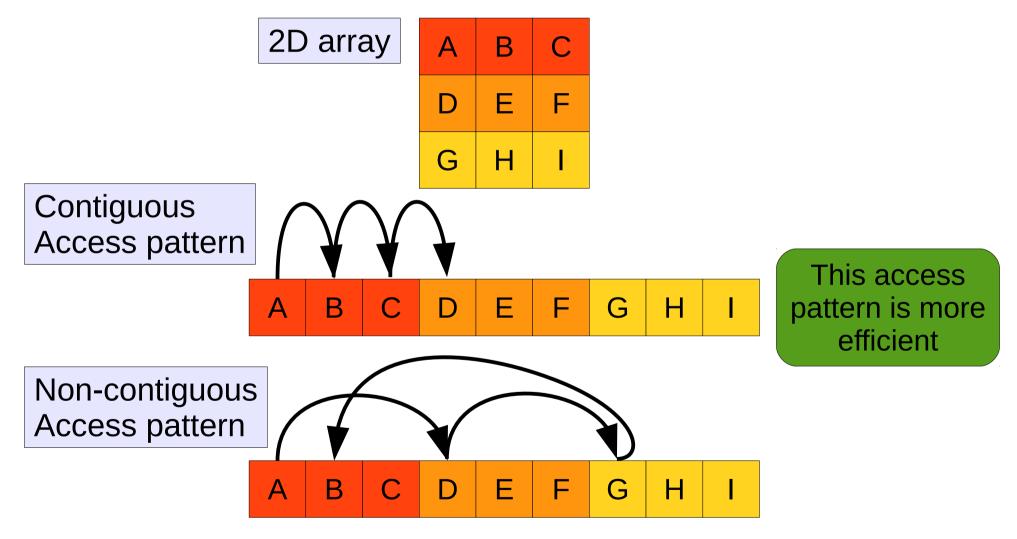
#### Row vs. Column Major Order





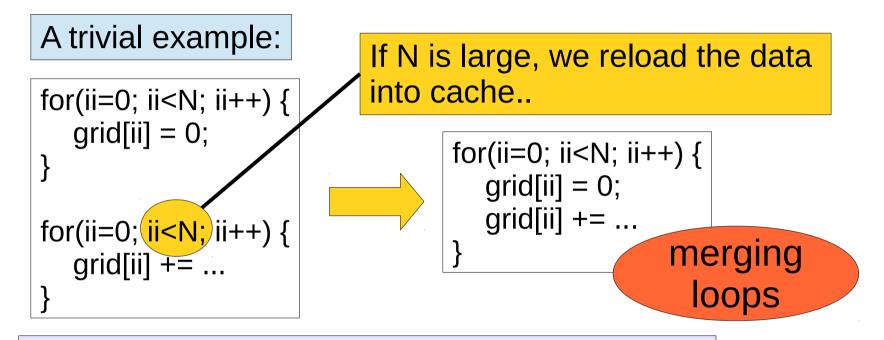


#### Row vs. Column Major Order





### Don't Re-Visit Memory More Often Than You Need To

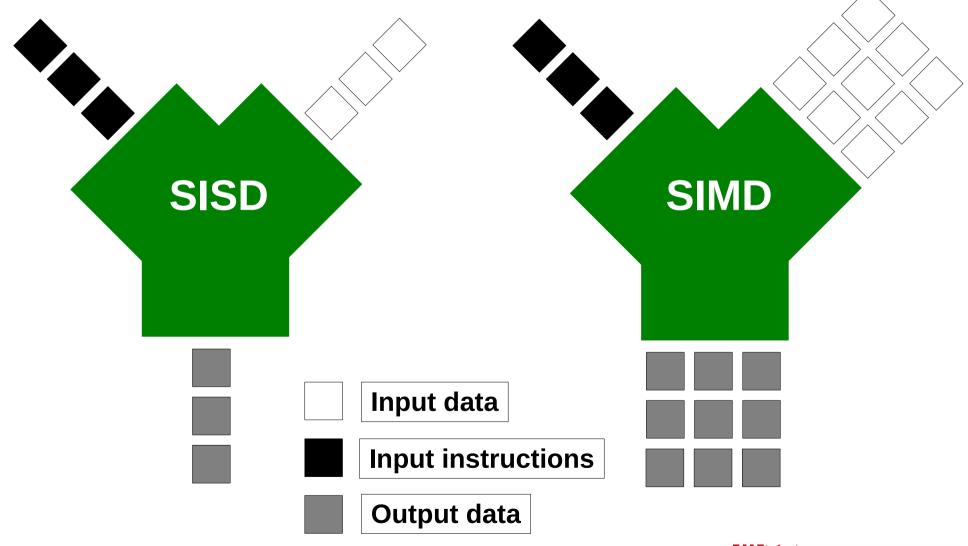


Look for similar opportunities in your assignment.

You may need to re-write the code so that the same operations are performed on the data but with potentially radically different source code.



## Lesson #5: Vectorisation is of Growing Importance





### Trends in Register Width

- SSE: 128bit, e.g. 2 doubles or 4 floats
  - BCp1 (AMD Opteron 2218)
  - BCp2 (Intel Xeon E5462, 'Harpertown')
- AVX: 256bit, e.g. 4 doubles
  - BCp3 (Intel SandyBridge)
- Intel MIC: 512bit, e.g. 8 doubles
  - BCp3
- Employ through:
  - compiler options portability.
  - language intrinsics most control (& hence performance?).



#### Vectorisation – the Principles

- Memory allocations and data structures aligned to the appropriate boundaries (RAM → caches->registers).
- No data dependencies within loop iterations (e.g. a[i] = a[i-1] + 1), as we want to process serveral iterations at once.
- Compilers prefer correct programs to fast but incorrect ones! Watch out for aliased pointers (you may need to use compiler hints, e.g. #pragma ivdep, 'restrict').
- What function calls are you allowed? Often only inlined and math intrinsics, no switch statements.
- Newer compilers and chipsets offer progressively more support to the programmer: pay attention to the compilers vectorisation reports.



### Vectorisation: Many Useful Tutorials

- https://software.intel.com/en-us/articles/vectoriz ation-essential
- http://hpac.rwth-aachen.de/teaching/sem-accg
   -16/slides/08.Schmitz-GGC\_Autovec.pdf
- and many others besides.



## Appendix – Using gprof

https://sourceware.org/binutils/docs/gprof/

'Instrument' the code for profiling..

```
cc -02 -pg myprog.c -o myprog.exe
./myprog.exe Will run more slowly with -pg

gprof myprog.exe gmon.out >
profile.txt
less profile.txt
```

Parses the output and assembles into something readable..



#### Summary

- For the fastest possible serial code:
  - Choose the best algorithm.
  - First, examine your within-core performance.
  - Never guess. Do experiment. Always use a profiler.
  - Look at your use of the memory hierarchy.
  - Don't revisit memory more frequently than you need to.
  - To get the most out of modern processors, you will need code that will vectorise well.
- Appendix: Cache thrashing and tiled loops.



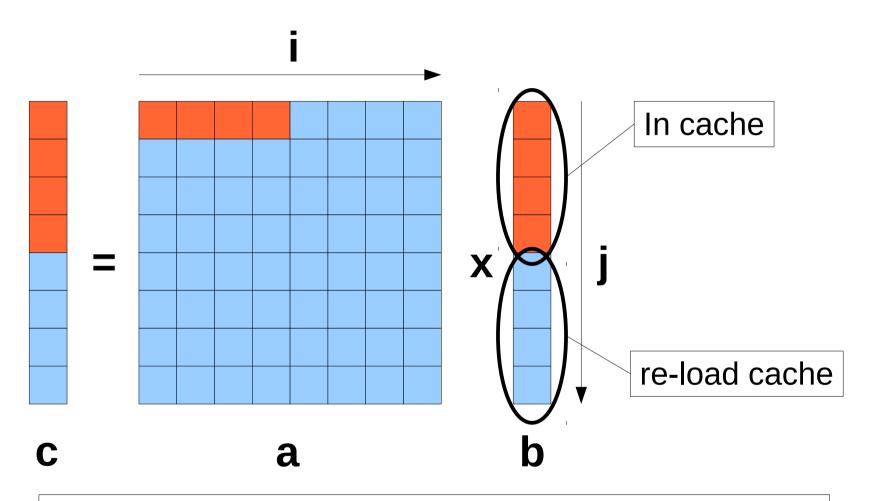
#### Inner Product

```
/*
    ** matrix vector multiply--a classic example
    ** from: http://en.wikipedia.org/wiki/Loop_tiling
    */
    for (i = 0; i < N; i++) {
        for (j=0; j < N; j++) {
          c[i] = c[i] + a[i][j] * b[j];
        }
}</pre>
```

#### But what if N is large?



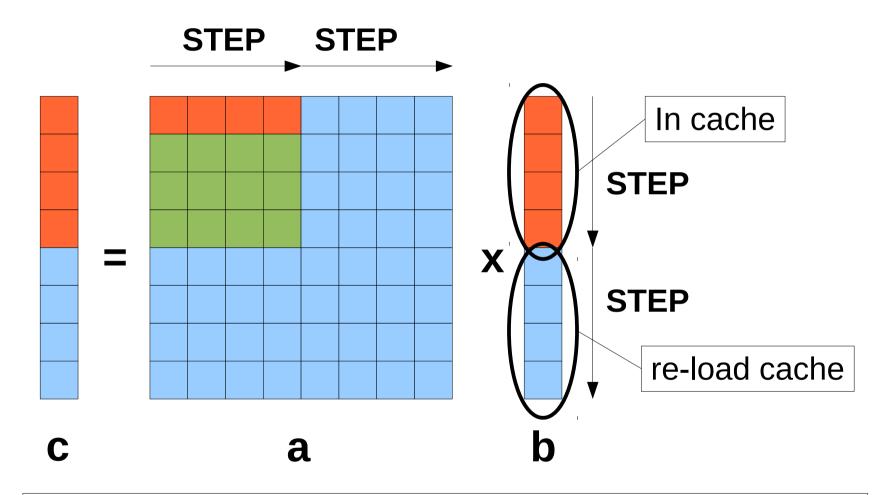
#### Many Cache Misses



End up re-loading b and c many times



#### Fewer Cache Misses



Work through arrays in block-size: STEP



#### 'Blocked' Loop: Code

```
/*
** tiling of STEPxSTEP blocks
*/
for (i=0; i<N; i+=STEP) {</pre>
 for (j=0; j<N; j+=STEP) {</pre>
    for (x=i; x<min(i+STEP, N); x++) {</pre>
       for (y =j; y<min(j+STEP, N); y++) {</pre>
         r[x] = r[x] + p[x][y] * q[y];
```



## 'Blocked' Loop: Run-time...

gcc v4.4.6 on BCp1

Naive nested loops

Elapsed time: 2.585584 (s)

Tiled loop

Elapsed time: 1.743811 (s)

So all the extra coding was worth it!

Naive nested loops

icc v12.1 on BCp1 Elapsed time: 1.900453 (s)

Tiled loop

Elapsed time: 1.993969 (s)

Not if your compiler will block loops for you!

