Classes OO OOOOOOO

CS 61A Midterm 2 Review

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- 1. 3
- 2. 4
- 3. x
- 4. Error

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- 2. 4
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- 2. 4
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- 2. 4
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```
def f():
    x = 3
    def g():
    x = 4
    g()
    print(x)
    f()
```

- 1. 3
- 2. 4
- 3. x
- 4. Error

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- 1. 3
- 2. 4
- 3. x
- 4. Error

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def f():
    nonlocal x
    x = 3
    def g():
        x = 4
    g()
    print(x)
    f()
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- 2. 4
- 3. x
- 4. Error

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- 2. 4
- 3. x
- 4. Error

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    x = 3
    def g():
    nonlocal x
    x = 4
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    print(x)
    f()
```

- 1. 3
- 2. 4
- 3. x
- 4. Error

- $_{1} | x = [1, 2]$
- y = x
- y[0] = 3
- 4 | print(x[0])
- 1. 1
- 2. 2
- 3. 3
- 4. Error

- $_{1} | x = [1, 2]$
- y = x
- y[0] = 3
- 4 | print (x[0])
- 1. 1
- 2. 2
- 3. 3
- 4. Error

$$_{1} | x = [1, 2]$$

$$y = [x, 3]$$

$$y[0] = [4, 5]$$

- 1. [4, 5]
- 2. [1, 2]
- 3. [[4, 5], 2]
- 4. Error

$$|x| = [1, 2]$$

$$y = [x, 3]$$

$$y[0] = [4, 5]$$

- 1. [4, 5]
- 2. [1, 2]
- 3. [[4, 5], 2]
- 4. Error

$$\begin{vmatrix} x &= [1, 2] \\ y &= [x, 3] \\ y &= [0] = [4, 5] \\ y &= [0] \end{vmatrix}$$

- 1. [4, 5]
- 2. [1, 2]
- 3. [[4, 5], 2]
- 4. Error

$$\begin{vmatrix} x &= [1, 2] \\ y &= [x, 3] \\ y &= [0] = [4, 5] \\ y &= [0] \end{vmatrix}$$

- 1. [4, 5]
- 2. [1, 2]
- 3. [[4, 5], 2]
- 4. Error

What is printed after the code is executed in Python 3?

```
def foo1(a,b):
    if b == 0:
        return 0
    else:
        return a + foo1(a,b-1)
    print(foo1(4,3))
```

1. 4

•00

- 2. 7
- 3. 12
- 4. Error

What is printed after the code is executed in Python 3?

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def foo1(a,b):
    if b == 0:
        return 0
    else:
        return a + foo1(a,b-1)
    print(foo1(4,3))
```

1. 4

•00

- 2. 7
- 3. 12
- 4. Error

What is printed after the code is executed in Python 3?

```
def foo2(a,b):
    if b == 0:
        return 0
    else:
        return a + foo2(a,b-2)
    print(foo2(4,3))
```

1. 4

- 2. 7
- 3. 12
- 4. Error

What is printed after the code is executed in Python 3?

```
def foo2(a,b):
    if b == 0:
        return 0
    else:
        return a + foo2(a,b-2)
    print(foo2(4,3))
```

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- 2. 7
- 3. 12
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What is printed after the code is executed in Python 3?

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    if b == 0:
        return 0
    else:
        return a + foo3(a,b)
    print(foo3(4,3))
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- 2. 7
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What is printed after the code is executed in Python 3?

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def foo3(a,b):
    if b == 0:
        return 0
    else:
        return a + foo3(a,b)
    print(foo3(4,3))
```

1. 4

- 2. 7
- 3. 12
- 4. Error

Designing Recursive Algorithms

Design a recursive algorithm that computes the number of ways to choose k objects out of n objects.

```
def nChooseK(n,k):
```

Designing Recursive Algorithms

Solution:

```
def nChooseK(n,k):
    if k == 0:
        return 1
    elif k == n:
        return n
    else:
        return nChooseK(n-1,k) + nChooseK(n-1,k-1)
```

Designing Recursive Algorithms

nChooseK.png

Multiple Recursion

This problem is modified from lab 8, Exercise 4.

Consider an insect in an M by N grid. The insect starts at the left corner, (0,0), and wants to end up at the bottom right corner, (M-1,N-1). Every minute, the insect is capable of moving right or down any number of squares between 1 and 1. Write a function that determines the number of ways the insect can go from start to finish if we regard each minute as a distinct state.

```
def countpaths (M, N, I):
```

```
insect.jpeg
```

Multiple Recursion

Below is an example of calling countpaths (3,2,2)

countpaths.png

Multiple Recursion

```
def countpaths(M, N, I):
1
        return helper (M, N, I, I, 0, 0)
2
3
   def helper(M, N, I, steps, x, y):
4
        if x = M - 1 and y = N - 1:
5
             return 1
6
        elif x > M-1 or y > M-1:
7
             return 0
8
        else:
q
             if steps == 0:
10
                  return 0
             else:
12
                  return helper (M, N, I, steps -1, x, y) +
                       helper(M, N, I, I, x+steps, y) +
14
                       helper(M, N, I, I, x, y+steps)
15
```

```
def fib1(n):
    if n == 1:
        return 1
    elif n == 2:
        return 1
    else:
        return fib(n-1)+fib(n-2)
```

- 1. O(1)
- 2. $O(\log n)$
- 3. O(n)
- 4. $O(n^2)$
- 5. $O(2^n)$

```
def fib1(n):
    if n == 1:
        return 1
    elif n == 2:
        return 1
    else:
    return fib(n-1)+fib(n-2)
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- 1. O(1)
- 2. $O(\log n)$
- 3. O(n)
- 4. $O(n^2)$
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- 1. *O*(1)
- 2. $O(\log n)$
- 3. *O*(*n*)
- 4. $O(n^2)$
- 5. $O(2^n)$

- 1. *O*(1)
- 2. $O(\log n)$
- 3. O(n)
- 4. $O(n^2)$
- 5. $O(2^n)$

```
def foo(n):
    if n <= 1:
        return 0
    else:
        return 1 + foo(n/2)</pre>
```

- 1. *O*(1)
- 2. $O(\log n)$
- 3. *O*(*n*)
- 4. $O(n^2)$
- 5. $O(2^n)$

Order of Growth

What is the order of growth for the following function?

```
def foo(n):
    if n <= 1:
        return 0
    else:
        return 1 + foo(n/2)</pre>
```

- 1. O(1)
- 2. $O(\log n)$
- 3. O(n)
- 4. $O(n^2)$
- 5. $O(2^n)$

Classes

Convert the following below-the-line implementation of a class representing a point on the cartesian plane to a Python 3 class:

```
from math import *
   def make_point(x, y):
        def point(op, *opnds):
3
            nonlocal x, y
4
            if op == 'distance_from_origin' and len(opnds) == 0:
5
                 return sqrt(pow(x, 2) + pow(y, 2))
6
            elif op = 'distance_from_point' and len(opnds) == 1:
7
                 return sqrt(pow(x - opnds[0]('x'), 2)
8
                     + pow(y - opnds[0]('y'), 2))
            elif op = 'x' and len(opnds) \Longrightarrow 0:
                 return x
            elif op = 'y' and len(opnds) \Longrightarrow 0:
                 return y
            else:
14
                 raise ValueError()
15
        return point
16
```

Classes

Solution

```
from math import *
   class Point:
2
       def __init__(self, x, y):
3
           self.x, self.y = x, y
4
5
       def distance_from_origin(self):
6
           return sqrt(pow(self.x, 2) + pow(self.y, 2))
7
8
       def distance_from_point(self, p):
9
           return sqrt(pow(self.x-p.x, 2) + pow(self.y-p.y, 2))
10
```

Consider the following class:

```
class Foo:
    x = 3
    def __init__(self, var):
    self.y = var

def bar(self, z):
    Foo.x = Foo.x + 1
    return self.y + z

f = Foo()
```

- 1. A class:
- 2. An instance variable:
- 3. A static variable:
- 4. A method:
- 5. A parameter:
- 6. An object:



Consider the following class:

```
class Foo:
    x = 3
    def __init__(self, var):
    self.y = var

def bar(self, z):
    Foo.x = Foo.x + 1
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f = Foo()
```

- 1. A class: Foo
- 2. An instance variable:
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Consider the following class:

```
class Foo:
    x = 3
    def __init__(self, var):
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    return self.y + z

f = Foo()
```

- 1. A class: Foo
- 2. An instance variable: y
- 3. A static variable:
- 4. A method:
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Consider the following class:

```
class Foo:
    x = 3
    def __init__(self, var):
    self.y = var

def bar(self, z):
    Foo.x = Foo.x + 1
    return self.y + z

f = Foo()
```

- 1. A class: Foo
- 2. An instance variable: y
- 3. A static variable: x
- 4. A method:
- 5. A parameter:
- 6. An object:



Consider the following class:

```
class Foo:
    x = 3
    def __init__(self, var):
    self.y = var

def bar(self, z):
    Foo.x = Foo.x + 1
    return self.y + z

f = Foo()
```

- 1. A class: Foo
- 2. An instance variable: y
- 3. A static variable: x
- 4. A method: bar, __init__
- 5. A parameter:
- 6. An object:



Consider the following class:

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class Foo:
    x = 3
    def __init__(self, var):
    self.y = var

def bar(self, z):
    Foo.x = Foo.x + 1
    return self.y + z

f = Foo()
```

- 1. A class: Foo
- 2. An instance variable: y
- 3. A static variable: x
- 4. A method: bar, __init__
- 5. A parameter: self, var, z
- 6. An object:



Consider the following class:

```
class Foo:
    x = 3
    def __init__(self, var):
    self.y = var

def bar(self, z):
    Foo.x = Foo.x + 1
    return self.y + z

f = Foo()
```

- 1. A class: Foo
- 2. An instance variable: y
- 3. A static variable: x
- 4. A method: bar, __init__
- 5. A parameter: self, var, z
- 6. An object: f



Classes

It is 2001 and you are a college student at Cal. You decide to create FACEPALM, an application for the Palm Pilot that maintains information about different people in your address book. FACEPALM will have a *profile* for each person. You decide to write a class called Profile that simulates a FACEPALM profile. It stores a person's name, the person's institution, and a list of profiles of the person's friends. It also has the following methods:

- add_friend(profile) adds the given profile to the list of profiles of friends, if the profile is not already present.
- 2. get_name() returns the person's name.
- 3. get_inst() returns the person's institution.

Write the definition of the Profile class as specified above. We have given you a template.

```
class Profile:
def __init__(self, name, inst):
pass
```

Classes

Solution:

```
class Profile:
        def __init__(self, name, inst):
2
            self.name = name
3
            self.inst = inst
4
            self.friends = []
5
6
        def add_friend(self, profile):
7
            if profile not in self friends:
8
                 self.friends.append(profile)
9
10
        def get_name(self):
            return self.name
12
13
        def get_inst(self):
14
            return self.inst
15
```

Dictionaries

You now want to give a user a sense of the geographical distribution of their friends. To achieve that, you provide a method friends_in_inst, which returns a dictionary that maps an institution to a list of the profiles of all the friends at that institution. Write the definition of friends_in_inst.

Dictionaries

Solution:

```
class Profile:
       def friends_in_inst(self):
3
            result = \{\}
            for friend_profile in self.friends:
5
                inst = friend_profile.inst
6
                if inst in result:
7
                     result [inst].append(friend_profile)
                else:
                     result [inst] = [friend_profile]
10
            return result
11
```

Inheritance

You are not earning too much money from the application. In an attempt to get some revenue, you decide that profiles will be "restricted" by default: when restricted, users are only allowed to add 100 friends, beyond which they will not be allowed to add more friends. You then offer "paid" profiles that lift this restriction.

- Modify the definition of add_friend in the class Profile that implements the restriction.
- Define another class called Paid_profile that mimics the Profile class, except in the behavior of the add_friend method. (Hint: You should not have to rewrite a lot of Profile.)

Inheritance

Solution:

```
class Profile:
2
       def add_friend(self, profile):
3
            if profile not in self.friends:
4
                if len(self.friends) < 100:
5
                     self.friends.append(profile)
6
                else:
7
                     print "Cannot add more than 100
8
                            friends. Please upgrade."
9
10
   class Paid_profile(Profile):
11
       def add_friend(self, profile):
12
            if profile not in self.friends:
13
                self.friends.append(profile)
14
```

Epilogue

The application, unfortunately, dies out because you have not had a chance to move it to other platforms. However, in 2003, a Harvard student named Mark Zuckerberg comes up with a suspiciously similar idea...

Destructive map

Write a destructive method $d_map()$ that takes in a function f and a list 1 and changes the list so that each element e is changed to f(e). For example,

Destructive map

Solution

Memoization

Consider the mapping of the numbers $1, 2, \dots, 26$ to the letters where 1 maps to A, 2 maps to B, and so on.

Given a string of numbers, how many ways are there to insert spaces such that all the numbers correspond to valid letters (i.e., are in $\{1, 2, \ldots, 26\}$)? For example, for the string '1012', there are two ways:

- 10, 1, 2
- 10, 12

The splitting into 1, 0, 12 is not valid because 0 does not correspond to a letter. Also, the splitting into 1, 01, 2 is not valid because 01 does not correspond to a letter.

Memoization

The following function definition is a recursive solution. This function is very inefficient. Write a version that uses memoization to reduce the number of recursive calls.

```
def num_of_splits(s):
       if len(s) = 0:
2
            return 1
3
       else:
4
            return (check1(s) * num_of_splits(s[1:]))
5
                + (check2(s) * num_of_splits(s[2:]))
6
7
   def check1(s):
       return s[0] in '123456789'
q
10
   def check2(s):
11
       if len(s) > 1:
12
            if s[0] = '1':
                return s[1] in '0123456789'
14
            elif s[0] = '2':
15
                return s[1] in '0123456'
16
                                       ◆□→ ◆□→ ◆글→ ◆글→ 글
       return False
17
```

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Memoization

Solution:

```
def num_of_splits2(s):
       \mathsf{m} = \{\}
2
        def helper(s):
3
            if s in m:
4
                 return m[s]
5
             elif len(s) = 0:
6
                 return 1
7
            else:
8
                 m[s] = (check1(s) * helper(s[1:])) +
9
                      (check2(s) * helper(s[2:]))
10
                 return m[s]
        return
                helper(s)
12
```