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% ELEC4700 Assignment 3

% By Huanyu Liu 100986552

% Part1

clear;

clc;

% Initialize the parameters

n=50; % number of particles

T=300; % temperture of the background

L=200e-9; % length of the frame (figure 1)

H=100e-9; % height of the frame

tao=0.2e-12; % the given mean time between collisions

m0=9.109e-31; % mass of a particle

mn=0.26*m0; % effective mass

kb=1.38e-23; % constant coeffient

vth=sqrt(2*kb*T/mn); % average speed of each particle

con=1e11; % The electron concentration

% Initialize the positions of each particle

Pox = L*rand(1,n);

Poy = H*rand(1,n);

% New parameters for assignment3

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V=0.1;

E=V/L;

e=1.60217662e-19;

F=E*e;

a=F/m0;


% Initialize the speed of each particle and measure the initial temperature

for num=1:n

Vx(num) = randn()*vth/sqrt(2);

Vy(num) = randn()*vth/sqrt(2);

end

% draw the first locations of the particles and the blocks

figure(1)

plot(Pox,Poy,'.');

xlim([0 L]);

ylim([0 H]);

hold on

% more parameters that will be used in the loop

TStop = 1e-12; % max running time

t=0; % start time

dt=1e-14; % step time

intervals=round(TStop/dt); % number of steps

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Vz=zeros(1,intervals); % initial the size of all changing speed (will be used in hist)

ddt = 0; % time since last timestep

collisions=0; % number of timesteps

time=0; % initialize the duration between collisions

path=zeros(1,n); % initialize the size of path length

j=0; % before the model runs, the current is 0

current(1)=0;

while t < TStop

    z=round(1+t/dt); % index, the z-th interval between collisions

    Pscat = 1-exp(-ddt/tao); % scattering possibility

    if Pscat > rand % if scatter

        time=time+ddt; % total time when scattering occur

        ddt=0; % reset the parameter for the possibility as required

        collisions=collisions+1; % one more collision occurs

        Vx = randn(1,n).*vth/sqrt(2);

        Vy = randn(1,n).*vth/sqrt(2); % velocity changes (in maxwell-boltzmann
distribution)

        average_path_length(collisions)=sum(path)/n; % average path length for this
interval

        path=zeros(1,n); % reset the path length

    else % nothing happens, same speed the next duration of time step

        path=path+sqrt(Vx.^2+Vy.^2).*dt; % add the next timestep's path length to the total
path length

        ddt=ddt+dt; % add the timestep size to the parameter

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end

Vact=sqrt(sum(Vx.^2+Vy.^2)/n); % the average speed of all the particles

Vz(z)=Vact; % will be used to get the distribution in hist

Vx = Vx + a.*t;

tPx = Pox + Vx.*dt; % predict the position

tPy = Poy + Vy.*dt;

% when the particles go to the right and left border

px1 = Pox >= L;

Pox(px1) = Pox(px1) - L;

px2 = Pox <= 0;

Pox(px2) = Pox(px2) + L;

py1 = tPy <= 0;

Vy(py1) = Vy(py1) .* (-1);

py2 = tPy >= H;

Vy(py2) = Vy(py2) .* (-1);

% now all velocity have been modified to the correct direction,

% update the position

PreviousPox = Pox;

PreviousPoy = Poy;

Pox = Pox + Vx.*dt;

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Poy = Poy + Vy.*dt;

j=j+1;

current(j)=H*e*con*sum(Vx)/n; % current formula

figure(1)

for i=1:n

plot([PreviousPox(i),Pox(i)], [PreviousPoy(i),Poy(i)]);

end

xlim([0 L]);

ylim([0 H]);

hold on

pause(0.01)

t=t+dt;

pre=current;

end

figure(2)

recordt=0:dt:TStop;

plot(recordt,current);

xlabel('time');

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ylabel('current (A)');

title('current vs. time');


n1=Pox<0.2*L;

n2=Pox<0.4*L;

n3=Pox<0.6*L;

n4=Pox<0.8*L;

n5=Poy<0.25*H;

n6=Poy<0.5*H;

n7=Poy<0.75*H;

Den=zeros(5,4);

temper=zeros(5,4);

Den(1,1)=sum(n1&n5);

temper(1,1)=sum(Vx(n1&n5).^2+Vy(n1&n5).^2).*mn./(2*kb*Den(1,1));

Den(1,2)=sum(n1&n6&(~n5));

temper(1,2)=sum(Vx(n1&n6&(~n5)).^2+Vy(n1&n6&(~n5)).^2).*mn./(2*kb*Den(1,2));

Den(1,3)=sum(n1&n7&(~n6));

temper(1,3)=sum(Vx(n1&n7&(~n6)).^2+Vy(n1&n7&(~n6)).^2).*mn./(2*kb*Den(1,3));

Den(1,4)=sum(n1&(~n7));

temper(1,4)=sum(Vx(n1&(~n7)).^2+Vy(n1&(~n7)).^2).*mn./(2*kb*Den(1,4));

Den(2,1)=sum(~n1&n2&n5);

temper(2,1)=sum(Vx(~n1&n2&n5).^2+Vy(~n1&n2&n5).^2).*mn./(2*kb*Den(2,1));

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$$\text{Den}(2, 2) = \sum (\tilde{n}_1 \& n_2 \& n_6 \& (\tilde{n}_5));$$

$$\text{temper}(2, 2) = \sum (V_x((\tilde{n}_1 \& n_2 \& n_6 \& (\tilde{n}_5)).^2 + V_y((\tilde{n}_1 \& n_2 \& n_6 \& (\tilde{n}_5)).^2) \cdot *mn. / (2 * kb * \text{Den}(2, 2)));$$

$$\text{Den}(2, 3) = \sum (\tilde{n}_1 \& n_2 \& n_7 \& (\tilde{n}_6));$$

$$\text{temper}(2, 3) = \sum (V_x((\tilde{n}_1 \& n_2 \& n_7 \& (\tilde{n}_6)).^2 + V_y((\tilde{n}_1 \& n_2 \& n_7 \& (\tilde{n}_6)).^2) \cdot *mn. / (2 * kb * \text{Den}(2, 3)));$$

$$\text{Den}(2, 4) = \sum (\tilde{n}_1 \& n_2 \& (\tilde{n}_7));$$

$$\text{temper}(2, 4) = \sum (V_x((\tilde{n}_1 \& n_2 \& (\tilde{n}_7)).^2 + V_y((\tilde{n}_1 \& n_2 \& (\tilde{n}_7)).^2) \cdot *mn. / (2 * kb * \text{Den}(2, 4)));$$

$$\text{Den}(3, 1) = \sum (\tilde{n}_2 \& n_3 \& n_5);$$

$$\text{temper}(3, 1) = \sum (V_x((\tilde{n}_2 \& n_3 \& n_5).^2 + V_y((\tilde{n}_2 \& n_3 \& n_5).^2) \cdot *mn. / (2 * kb * \text{Den}(3, 1)));$$

$$\text{Den}(3, 2) = \sum (\tilde{n}_2 \& n_3 \& n_6 \& (\tilde{n}_5));$$

$$\text{temper}(3, 2) = \sum (V_x((\tilde{n}_2 \& n_3 \& n_6 \& (\tilde{n}_5)).^2 + V_y((\tilde{n}_2 \& n_3 \& n_6 \& (\tilde{n}_5)).^2) \cdot *mn. / (2 * kb * \text{Den}(3, 2)));$$

$$\text{Den}(3, 3) = \sum (\tilde{n}_2 \& n_3 \& n_7 \& (\tilde{n}_6));$$

$$\text{temper}(3, 3) = \sum (V_x((\tilde{n}_2 \& n_3 \& n_7 \& (\tilde{n}_6)).^2 + V_y((\tilde{n}_2 \& n_3 \& n_7 \& (\tilde{n}_6)).^2) \cdot *mn. / (2 * kb * \text{Den}(3, 3)));$$

$$\text{Den}(3, 4) = \sum (\tilde{n}_2 \& n_3 \& (\tilde{n}_7));$$

$$\text{temper}(3, 4) = \sum (V_x((\tilde{n}_2 \& n_3 \& (\tilde{n}_7)).^2 + V_y((\tilde{n}_2 \& n_3 \& (\tilde{n}_7)).^2) \cdot *mn. / (2 * kb * \text{Den}(3, 4)));$$

$$\text{Den}(4, 1) = \sum (\tilde{n}_3 \& n_4 \& n_5);$$

$$\text{temper}(4, 1) = \sum (V_x((\tilde{n}_3 \& n_4 \& n_5).^2 + V_y((\tilde{n}_3 \& n_4 \& n_5).^2) \cdot *mn. / (2 * kb * \text{Den}(4, 1)));$$

$$\text{Den}(4, 2) = \sum (\tilde{n}_3 \& n_4 \& n_6 \& (\tilde{n}_5));$$

$$\text{temper}(4, 2) = \sum (V_x((\tilde{n}_3 \& n_4 \& n_6 \& (\tilde{n}_5)).^2 + V_y((\tilde{n}_3 \& n_4 \& n_6 \& (\tilde{n}_5)).^2) \cdot *mn. / (2 * kb * \text{Den}(4, 2)));$$

$$\text{Den}(4, 3) = \sum (\tilde{n}_3 \& n_4 \& n_7 \& (\tilde{n}_6));$$

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$$\text{Den}(4, 4) = \sum (\tilde{n}_3 \& n_4 \& (\tilde{n}_7));$$

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Den(5,1)=sum((~n4)&n5);

temper(5,1)=sum(Vx((~n4)&n5).^2+Vy((~n4)&n5).^2).*mn./(2*kb*Den(5,1));

Den(5,2)=sum((~n4)&n6&(~n5));

temper(5,2)=sum(Vx((~n4)&n6&(~n5)).^2+Vy((~n4)&n6&(~n5)).^2).*mn./(2*kb*Den(5,2));

Den(5,3)=sum((~n4)&n7&(~n6));

temper(5,3)=sum(Vx((~n4)&n7&(~n6)).^2+Vy((~n4)&n7&(~n6)).^2).*mn./(2*kb*Den(5,3));

Den(5,4)=sum((~n4)&(~n7));

temper(5,4)=sum(Vx((~n4)&(~n7)).^2+Vy((~n4)&(~n7)).^2).*mn./(2*kb*Den(5,4));

[X,Y]=meshgrid(H/4:H/4:H,L/5:L/5:L);

figure(3)

subplot(1,2,1),surf(X,Y,Den);

title('Density');

subplot(1,2,2),surf(X,Y,temper);

title('Temperature');

fprintf(' The electrical field is: %g V/m\n',E);

fprintf(' The force on each particle is: %g N\n',F);

fprintf(' The acceleration of each particle is: %g m/s^2\n', a);

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The electrical field is: 500000 V/m

The force on each particle is: 8.01088e-14 N

The acceleration of each particle is: 8.79447e+16 m/s²



