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In[144]:= x = .;
B = .;
W1 = .;
W2 = .;
W3 = .;
gW = .;
gb = .;
Z = .;
Bm = .;
B = .;
v = .;
h = .;
fai0 = .;
m = .;

(*Original gamma matrices for fermions*)
y[1] = {{0, 0, 0, -1}, {0, 0, -1, 0}, {0, 1, 0, 0}, {1, 0, 0, 0}};
y[2] = {{0, 0, 0, -I}, {0, 0, I, 0}, {0, I, 0, 0}, {-I, 0, 0, 0}};
y[3] = {{0, 0, 1, 0}, {0, 0, 0, -1}, {-1, 0, 0, 0}, {0, 1, 0, 0}};
y[4] = {{-1, 0, 0, 0}, {0, -1, 0, 0}, {0, 0, 1, 0}, {0, 0, 0, 1}};
e4 = IdentityMatrix[4];

y[1] // MatrixForm
y[2] // MatrixForm
y[3] // MatrixForm
y[4] // MatrixForm

(*Original gamma matrices for fermions-commutation relations*)
Print["Original gamma matrices commutation relations"];

(*Calculation to verify that 4 gamma matrices (4x4) satisfy anti-
commutation relations*)
yf = 0;

yt = 0;

For[kh = 1, kh <= 4, kh++,
  For[ks1 = 1, ks1 <= 4, ks1++, yf = Det[y[kh].y[ks1] + y[ks1].y[kh]];
    yt = yf + yt;
    If[kh == ks1 && yf == 16, Print["x=", kh, ",y=", ks1, ",OK"]];
    If[kh != ks1 && yf == 0, Print["x=", kh, ",y=", ks1, ",OK"]];]];

(*Pauli matrices for bosons*)
t1 = {{0, 0, 0, 0}, {0, 0, 0, 0}, {0, 1, 0, 0}, {1, 0, 0, 0}};
t2 = {{0, 0, 0, 0}, {0, 0, 0, 0}, {0, -I, 0, 0}, {I, 0, 0, 0}};
t3 = {{0, 0, 1, 0}, {0, 0, 0, -1}, {1, 0, 0, 0}, {0, -1, 0, 0}};
(*t3={{0,0,0,0},{0,0,0,0},{1,0,0,0},{0,-1,0,0}};*)

(*Identity matrix for fermions*)
(*t4={{-1,0,0,0},{0,-1,0,0},{0,0,0,0},{0,0,0,0}};
t5={{0,0,0,0},{0,0,0,0},{0,0,1,0},{0,0,0,1}};
t5=0;*)
t4 = {{-1, 0, 0, 0}, {0, -1, 0, 0}, {0, 0, 1, 0}, {0, 0, 0, 1}};

t1 // MatrixForm

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t2 // MatrixForm
t3 // MatrixForm
t4 // MatrixForm

fai1 = {fai0 + h * x / Sqrt[2], fai0 + h * x / Sqrt[2], 0, 0}; (*Left-handed*)
fai2 = {0, 0, fai0 + h * x / Sqrt[2], fai0 + h * x / Sqrt[2]}; (*Right-handed*)

y1 = I * gw / 2 * (t1 * W1 + t2 * W2 + t3 * Z);
y2 = I * gb / 2 * Z * t4;
(*y2=I*gb/2*Z*t50;
y3=(A+m)/2*t5;*)
y3 = 0;
ys = (y1 + y2 + y3);
ys = (y1 + y2);
ys // MatrixForm

Print["-----"];

y1d = Conjugate[I] * gw / 2 * (Conjugate[t1] * W1 + Conjugate[t2] * W2 + Conjugate[t3] * Z);
y2d = Conjugate[I] * gb / 2 * (Conjugate[t4] * Z);
(*y2d=Conjugate[I]*gb/2*(Conjugate[t50]*Z);
y3d=(A+m)/2*t5;*)
y3d = 0;
ysd = (y1d + y2d + y3d);
ysd = (y1d + y2d);
ysd // MatrixForm

Print["-----"];

ya1 =
FullSimplify[(y1 + y2 + y3)] /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /. -W1 + I W2 -> -Wp /.
-W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /.
I W1 - W2 -> I Wm /. -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm;
ya2 = FullSimplify[(y1d + y2d + y3d)] /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /.
-W1 + I W2 -> -Wp /. -W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /.
I W1 - W2 -> I Wm /. -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm;
FullSimplify[(y1 + y2 + y3) * (y1d + y2d + y3d)] /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /.
-W1 + I W2 -> -Wp /. -W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /.
I W1 - W2 -> I Wm /. -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm;

ya1 // MatrixForm
ya2 // MatrixForm

FullSimplify[ExpandAll[ya1.ya2]] // MatrixForm

Print["-----"];
Print["-----"];

(*Left-handed*)
Print["Left-handed"];
(y1 + y2 + y3).fai1 /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /. -W1 + I W2 -> -Wp /.
-W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /. I W1 - W2 -> I Wm /.
-I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm // MatrixForm

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(y1d + y2d + y3d).fai1 /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /. -W1 + I W2 -> -Wp /.
  -W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /. I W1 - W2 -> I Wm /.
  -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm // MatrixForm
y4 = Coefficient[(y1 + y2 + y3).fai1).((y1d + y2d + y3d).fai1) / 2 /. W1 - I W2 -> Wp /.
  W1 + I W2 -> Wm /. -W1 + I W2 -> -Wp /. -W1 - I W2 -> -Wm /.
  I W1 + W2 -> I Wp /. I W1 - W2 -> I Wm /. -I W1 - W2 -> -I * Wp /.
  -I W1 + W2 -> -I * Wm, fai0 + h x / Sqrt[2], 2];

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FullSimplify[ExpandAll[y4]]
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Print["-----"];
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Zm = Simplify[Coefficient[y4, Z, 2]];
Wmp = Simplify[Coefficient[y4, Wm Wp, 1]];
Am = Simplify[Coefficient[y4, A, 2]];
ms = Simplify[Coefficient[y4, m, 2]];

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Print["Z coefficient=", Zm];
Print["Wmp coefficient=", Wmp];
Print["A coefficient=", Am];
(*gw=0.63;*)
gw = 0.653; (*changed*)

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cos = (1 - 0.2276)^(1/2);
cos^2 + 0.2276;
g = gw / cos;
gb = (g^2 - gw^2)^(1/2);
v = 246;

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Print["Z=", v * (Zm^(0.5))]
Print["Wmp=", v * (Wmp^(0.5))]
Print["A=", v * (Am^(0.5))]
(*Print["Higgs particle mass"];
Print["m=", v * (ms^(0.5))] *)

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Print["-----"];
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x = .;
B = .;
W1 = .;
W2 = .;
W3 = .;
gw = .;
gb = .;
Z = .;
Bm = .;
B = .;
v = .;
h = .;
fai0 = .;
m = .;

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(*Right-handed*)
Print["Right-handed"];

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(y1 + y2 + y3).fai2 /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /. -W1 + I W2 -> -Wp /.
  -W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /. I W1 - W2 -> I Wm /.
  -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm // MatrixForm
(y1d + y2d + y3d).fai2 /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /. -W1 + I W2 -> -Wp /.
  -W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /. I W1 - W2 -> I Wm /.
  -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm // MatrixForm

y4 = Coefficient[
  ((y1 + y2 + y3).fai2).((y1d + y2d + y3d).fai2) / 2 /. W1 - I W2 -> Wp /. W1 + I W2 -> Wm /.
    -W1 + I W2 -> -Wp /. -W1 - I W2 -> -Wm /. I W1 + W2 -> I Wp /. I W1 - W2 -> I Wm /.
    -I W1 - W2 -> -I * Wp /. -I W1 + W2 -> -I * Wm, fai0 + h x / Sqrt[2], 2];

FullSimplify[ExpandAll[y4]]
(*Zm=Simplify[
  Coefficient[y4,Z,2] /. Cos[th] -> gw/Sqrt[gb^2+gw^2] /. Sin[th] -> gb/Sqrt[gb^2+gw^2]];
Wmp=Simplify[Coefficient[y4,Wm Wp,1] /. Cos[th] -> gw/Sqrt[gb^2+gw^2] /.
  Sin[th] -> gb/Sqrt[gb^2+gw^2]];
Bm=Simplify[Coefficient[y4,B,2] /. Cos[th] -> gw/Sqrt[gb^2+gw^2] /.
  Sin[th] -> gb/Sqrt[gb^2+gw^2]];*)

Zm = Simplify[Coefficient[y4, Z, 2]];
Wmp = Simplify[Coefficient[y4, Wm Wp, 1]];
Am = Simplify[Coefficient[y4, A, 2]];
ms = Simplify[Coefficient[y4, m, 2]];

Print["Z coefficient=", Zm];
Print["Wmp coefficient=", Wmp];
Print["A coefficient=", Am];
(*gw=0.63;*)
gw = 0.653; (*changed*)

cos = (1 - 0.2276)^(1/2);
cos^2 + 0.2276;
g = gw / cos;
gb = (g^2 - gw^2)^(1/2);
v = 246;

Print["Z=", v * (Zm^(0.5))]
Print["Wmp=", v * (Wmp^(0.5))]
Print["A=", v * (Am^(0.5))]
(*Print["Higgs particle mass"];
Print["m=", v * (ms^(0.5))] *)

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Out[163]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 0 & -1 \\ 0 & 0 & -1 & 0 \\ 0 & 1 & 0 & 0 \\ 1 & 0 & 0 & 0 \end{pmatrix}$$

Out[164]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 0 & -i \\ 0 & 0 & i & 0 \\ 0 & i & 0 & 0 \\ -i & 0 & 0 & 0 \end{pmatrix}$$

Out[165]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \\ -1 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \end{pmatrix}$$

Out[166]//MatrixForm=

$$\begin{pmatrix} -1 & 0 & 0 & 0 \\ 0 & -1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

Original gamma matrices commutation relations

x=1,y=1,OK

x=1,y=2,OK

x=1,y=3,OK

x=1,y=4,OK

x=2,y=1,OK

x=2,y=2,OK

x=2,y=3,OK

x=2,y=4,OK

x=3,y=1,OK

x=3,y=2,OK

x=3,y=3,OK

x=3,y=4,OK

x=4,y=1,OK

x=4,y=2,OK

x=4,y=3,OK

x=4,y=4,OK

Out[175]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & 1 & 0 & 0 \\ 1 & 0 & 0 & 0 \end{pmatrix}$$

Out[176]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \\ 0 & -i & 0 & 0 \\ i & 0 & 0 & 0 \end{pmatrix}$$

Out[177]//MatrixForm=

$$\begin{pmatrix} 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & -1 \\ 1 & 0 & 0 & 0 \\ 0 & -1 & 0 & 0 \end{pmatrix}$$

Out[178]//MatrixForm=

$$\begin{pmatrix} -1 & 0 & 0 & 0 \\ 0 & -1 & 0 & 0 \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix}$$

Out[186]//MatrixForm=

$$\begin{pmatrix} -\frac{1}{2} i g b Z & 0 & \frac{i g w Z}{2} & 0 \\ 0 & -\frac{1}{2} i g b Z & 0 & -\frac{1}{2} i g w Z \\ \frac{i g w Z}{2} & \frac{1}{2} i g w (w_1 - i w_2) & \frac{i g b Z}{2} & 0 \\ \frac{1}{2} i g w (w_1 + i w_2) & -\frac{1}{2} i g w Z & 0 & \frac{i g b Z}{2} \end{pmatrix}$$


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Out[193]//MatrixForm=

$$\begin{pmatrix} \frac{i g b Z}{2} & 0 & -\frac{1}{2} i g w Z & 0 \\ 0 & \frac{i g b Z}{2} & 0 & \frac{i g w Z}{2} \\ -\frac{1}{2} i g w Z & -\frac{1}{2} i g w (w_1 + i w_2) & -\frac{1}{2} i g b Z & 0 \\ -\frac{1}{2} i g w (w_1 - i w_2) & \frac{i g w Z}{2} & 0 & -\frac{1}{2} i g b Z \end{pmatrix}$$


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Out[198]//MatrixForm=

$$\begin{pmatrix} -\frac{1}{2} i g b Z & 0 & \frac{i g w Z}{2} & 0 \\ 0 & -\frac{1}{2} i g b Z & 0 & -\frac{1}{2} i g w Z \\ \frac{i g w Z}{2} & \frac{i g w w_p}{2} & \frac{i g b Z}{2} & 0 \\ \frac{i g w w_m}{2} & -\frac{1}{2} i g w Z & 0 & \frac{i g b Z}{2} \end{pmatrix}$$

Out[199]//MatrixForm=

$$\begin{pmatrix} \frac{i g b Z}{2} & 0 & -\frac{1}{2} i g w Z & 0 \\ 0 & \frac{i g b Z}{2} & 0 & \frac{i g w Z}{2} \\ -\frac{1}{2} i g w Z & -\frac{1}{2} i g w w_m & -\frac{1}{2} i g b Z & 0 \\ -\frac{1}{2} i g w w_p & \frac{i g w Z}{2} & 0 & -\frac{1}{2} i g b Z \end{pmatrix}$$

Out[200]//MatrixForm=

$$\begin{pmatrix} \frac{1}{4} (g b^2 + g w^2) Z^2 & \frac{1}{4} g w^2 w_m Z & 0 & 0 \\ -\frac{1}{4} g w^2 w_p Z & \frac{1}{4} (g b^2 + g w^2) Z^2 & 0 & 0 \\ 0 & \frac{1}{4} g b g w (w_m - w_p) Z & \frac{1}{4} (g b^2 + g w^2) Z^2 & -\frac{1}{4} g w^2 w_p Z \\ \frac{1}{4} g b g w (-w_m + w_p) Z & 0 & \frac{1}{4} g w^2 w_m Z & \frac{1}{4} (g b^2 + g w^2) Z^2 \end{pmatrix}$$


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Left-handed

Out[204]//MatrixForm=

$$\begin{pmatrix} -\frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ -\frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ \frac{1}{2} i g w w_p \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) + \frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ \frac{1}{2} i g w w_m \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) - \frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \end{pmatrix}$$

Out[205]//MatrixForm=

$$\begin{pmatrix} \frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ \frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ -\frac{1}{2} i g w W_m \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) - \frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ -\frac{1}{2} i g w W_p \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) + \frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \end{pmatrix}$$

$$\text{Out[207]} = \frac{1}{4} (g w^2 W_m W_p + (g b^2 + g w^2) Z^2)$$

$$Z \text{ coefficient} = \frac{1}{4} (g b^2 + g w^2)$$

$$W_{mp} \text{ coefficient} = \frac{g w^2}{4}$$

$$A \text{ coefficient} = 0$$

$$Z = 91.3897$$

$$W_{mp} = 80.319$$

$$A = 0.$$

Right-handed

Out[241]//MatrixForm=

$$\begin{pmatrix} \frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ -\frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ \frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ \frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \end{pmatrix}$$

Out[242]//MatrixForm=

$$\begin{pmatrix} -\frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ \frac{1}{2} i g w \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ -\frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \\ -\frac{1}{2} i g b \left( f_{ai0} + \frac{h x}{\sqrt{2}} \right) Z \end{pmatrix}$$

$$\text{Out[244]} = \frac{1}{4} (g b^2 + g w^2) Z^2$$

$$Z \text{ coefficient} = \frac{1}{4} (g b^2 + g w^2)$$

$$W_{mp} \text{ coefficient} = 0$$

$$A \text{ coefficient} = 0$$

$$Z = 91.3897$$

$$W_{mp} = 0.$$

$$A = 0.$$